



# Detecting Money Laundering with Machine Learning

Martin Jullum

Joint with Anders Løland, Ragnar Bang Huseby, Aliaksandr Hubin, Geir Ånonsen and Johannes Lorentzen

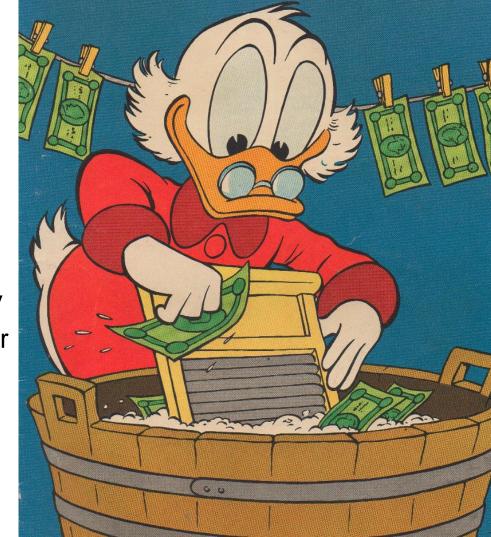
Insurance seminar UiO 2020

October 1<sup>st</sup> 2020



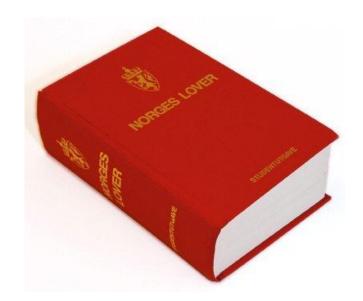
## Money laundering

- Making money from criminal activity appear legal
- Examples
  - Buy antics with dirty money –
     state as attic finding sell legally
  - Incorporate criminal funds in your own legal business
  - Buy (single premium) insurance policy (via straw person) with dirty money – surrender the policy



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All financial institutions are legally binded to report "suspicious transactions" to Økokrim

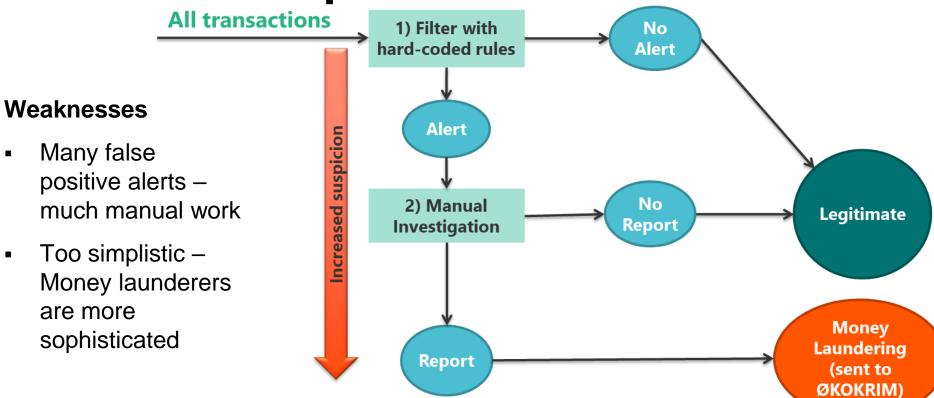


A Money-Laundering Megawit wit to Resign Biggest D. Selection A NATIONE -n fine Of Denmark's Biggest Bank

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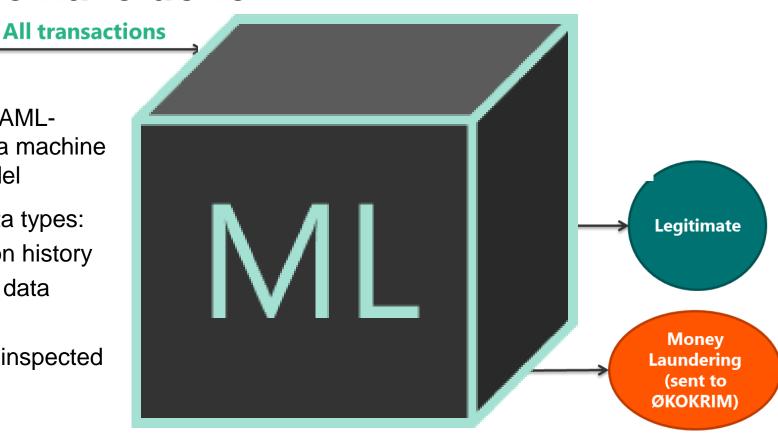


## **Current AML process at DNB**



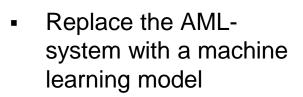
#### What we have done

- Replace the AMLsystem with a machine learning model
- Available data types:
  - transaction history
  - customer data
  - alerts
  - manually inspected cases

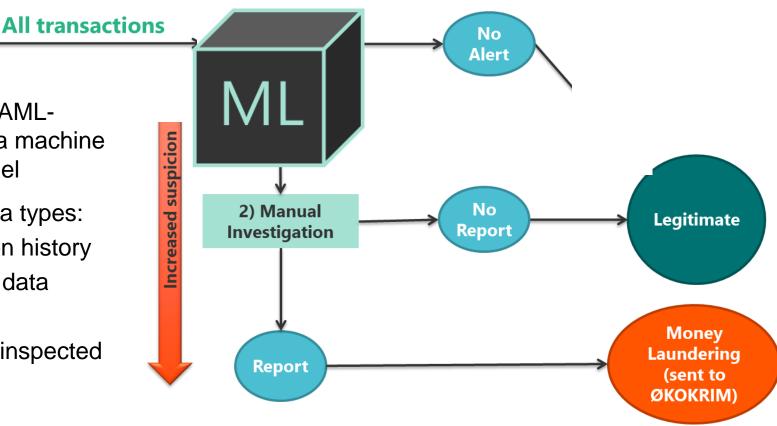


#### What we have done

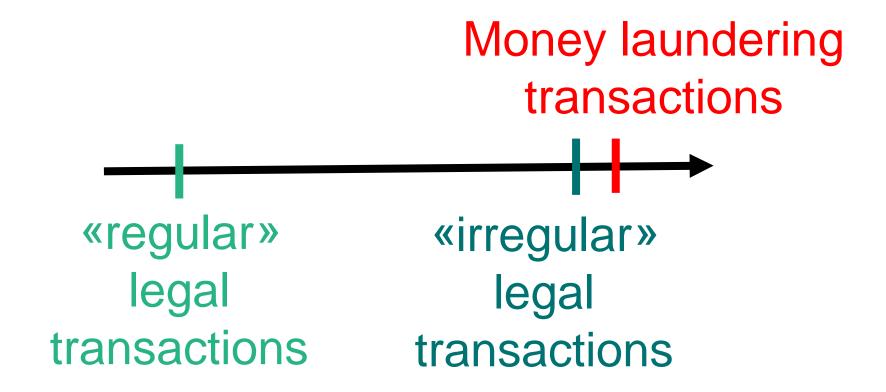
### More realistic setting!



- Available data types:
  - transaction history
  - customer data
  - alerts
  - manually inspected cases



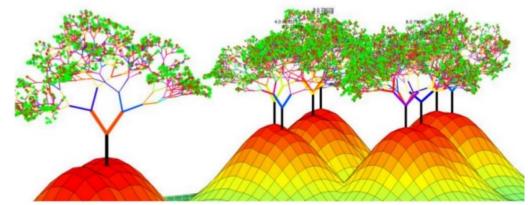
### What makes this hard?



## Modelling

- Binary response (Y): Transaction sent to Økokrim (Yes = 1, no = 0)
- Want to predict P(Y = 1|data related to present transaction)
- State of the art: Gradient boosting machines (GBM)
- XGBoost very efficient and flexible implementation of GBM based on tree models

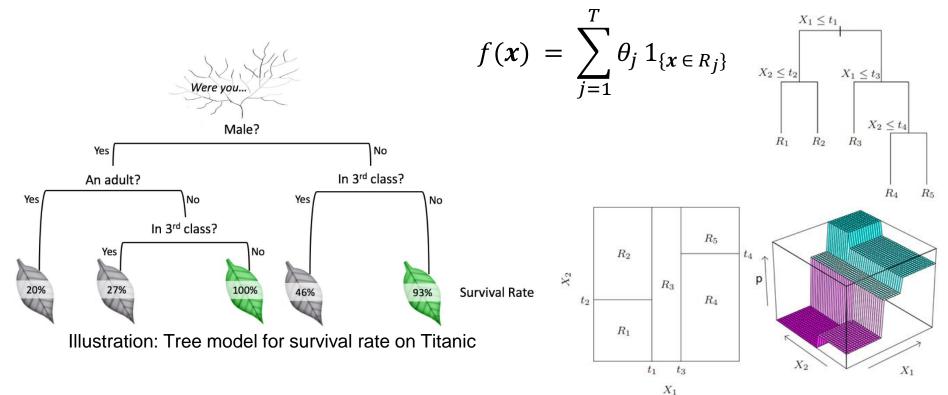




### Tree models

Learn model  $f(x) \approx y$ using  $x = (x_1, ..., x_p)$ 

■ Conceptually very simple: Constructed as a series of IF-ELSE rules on  $x_i$ 



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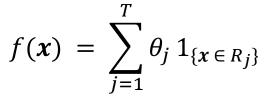
■ Conceptually very simple: Constructed as a series of IF-ELSE rules on  $x_i$ 

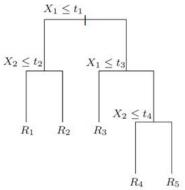
#### Benefits:

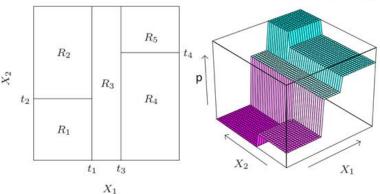
- Easy to train (greedy algorithm)
- Direct modeling of non-linearities and interactions
- Invariant under monotone transformations of x
- Naturally combines continuous and categorical features

#### Drawbacks

- High variance
- Limited predictive power







## **Boosting**

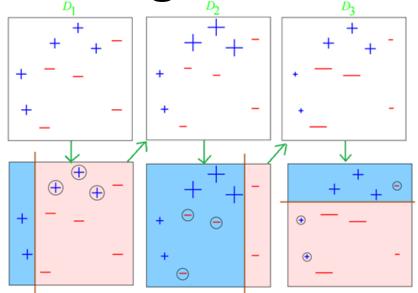
• Given some loss function  $L(y, \cdot)$ , iteratively fit simple models  $f_m(x)$  (weak learners) trying to correct «errors» of previous models:

$$f_m(\mathbf{x}) = \arg\min_{h \in \Phi} s_h(x), \qquad s_h(x) = \frac{1}{n} \sum_{i=1}^n L(y_i, f^{(m-1)}(x_i) + h(x_i))$$

and sum them into a strong learner

$$f^{(M)}(x) = \sum_{m=1}^{M} f_m(x)$$

## **Boosting illustration**



#### Tree model drawbacks

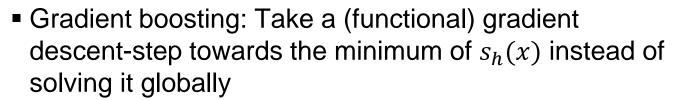
- High variance
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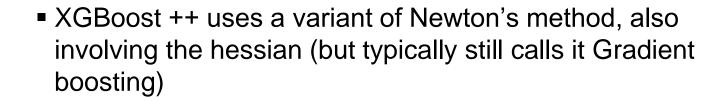
Both fixed using boosting!

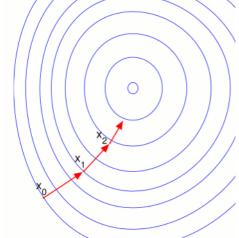
## XGBoost and gradient boosting

Generally hard to solve

$$\arg\min_{h \in \Phi} s_h(x), \qquad s_h(x) = \frac{1}{n} \sum_{i=1}^n L(y_i, f^{(m-1)}(x_i) + h(x_i))$$







## Transforming raw data (feature engineering)

XGBoost requires numeric tabular data as input!

#### Raw input data

- Specific transaction info
- Background info about sender/receiver
- Sender/receiver's transaction history
- Previously reported transactions from sender/receiver

Υ	X1	X2	X3	X4	X5	X6
1	0,453406	0,992838	0,734389	0,159918	0,397515	0,949952
0	0,274	0,654207	0,169886	0,493841	0,407112	0,939789
0	0,741897	0,855005	0,585788	0,366456	0,365123	0,57955
1	0,488119	0,465754	0,716517	0,493048	0,855049	0,632114
0	0,134458	0,762057	0,848194	0,098779	0,872603	0,063026
0	0,531914	0,998817	0,808215	0,060721	0,716595	0,35374
0	0,341509	0,8398	0,637808	0,48304	0,279987	0,730286
0	0,530306	0,463271	0,338713	0,986781	0,925251	0,272484
1	0,864123	0,652763	0,689599	0,080937	0,990294	0,364736
0	0,106812	0,900351	0,450224	0,143815	0,593244	0,020764

1716 columns (features)

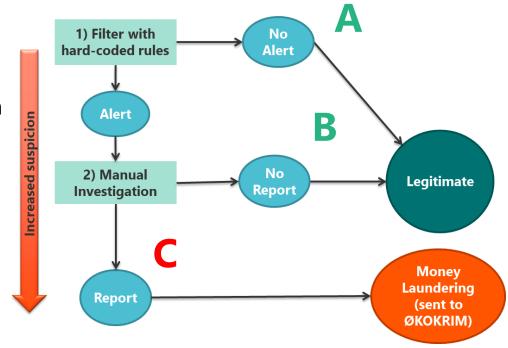
### **Data refinement**

#### 2 years of modellable transaction data

- All transactions leading to
  - A report (C)
  - An alert, but no report (B)
- A sample of normal transactions (A)

#### **Data refinement**

- We chose #A = #B
- Use only one transaction from each manual investigation (2)
- No transactions with same sender/receiver two consecutive days

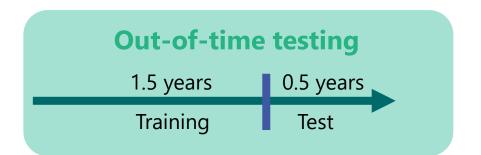


## Training, testing and modelling

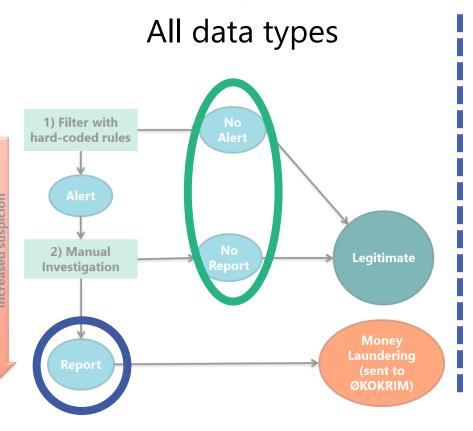
#### **Modelling**

- 10-fold cross validation (CV)
- Stopping criterion (# boosting rounds): AUC
- Tuning: Random + iterative grid-search
- Model trained on GPU
- Final model used for prediction on test data:

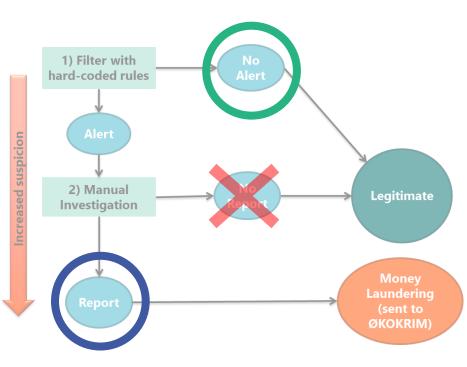
$$\hat{f}(x_{\text{test}}) = \frac{1}{10} \sum_{i=1}^{10} \hat{f}_{cv,-i}(x_{\text{test}})$$



## 2 training scenarios

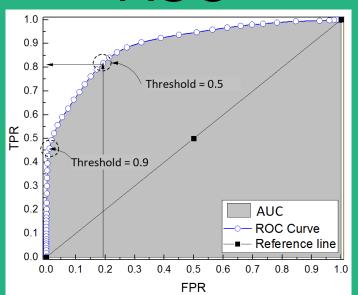


No unreported transactions



### **Evaluation metrics**

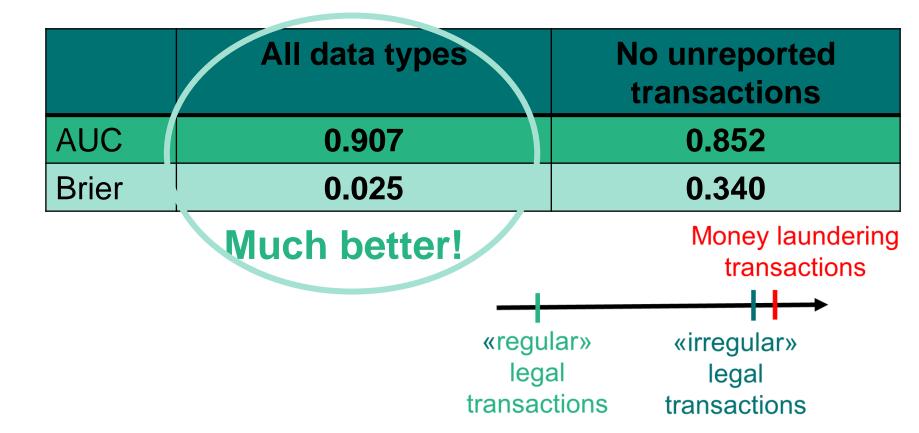
## Ranking: AUC



## Probabilities: Brier score

$$\frac{1}{n_{\text{test}}} \sum_{i=1}^{n_{\text{test}}} (y_i - \hat{p}_i)^2$$

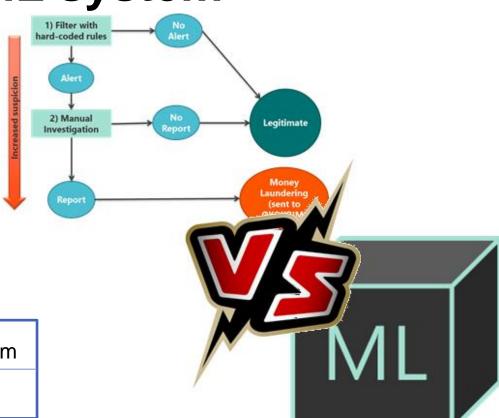
## **Comparing scenarios**



## ML vs current AML system

Hard to properly compare

■ PPP = Proportion of Positive Predictions:
Proportion of transactions that needs to be controlled to find 95% of the reported transactions



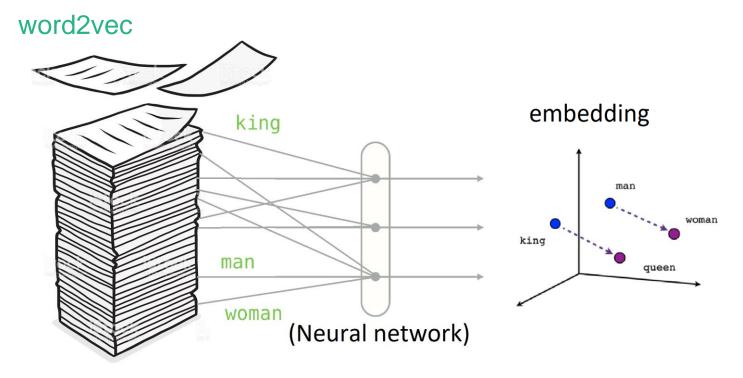
	ML (all data types)	Current system
PPP	31.5 %	48.9 %

### Limitations

- We are not really using the time-evolving transaction network
  - Who are you sending/receiving money to/from
  - When are you sending/receiving
- Social/professional network information is not used
- Many variables complicates putting the model into production
- The model only learns what has already been reported

## **Current work: Utilize the transaction <u>network</u>**

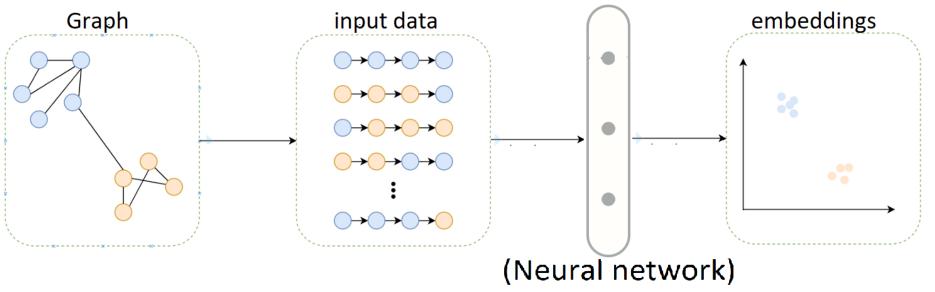
Borrowing strength from NLP (Natural Language Processing)



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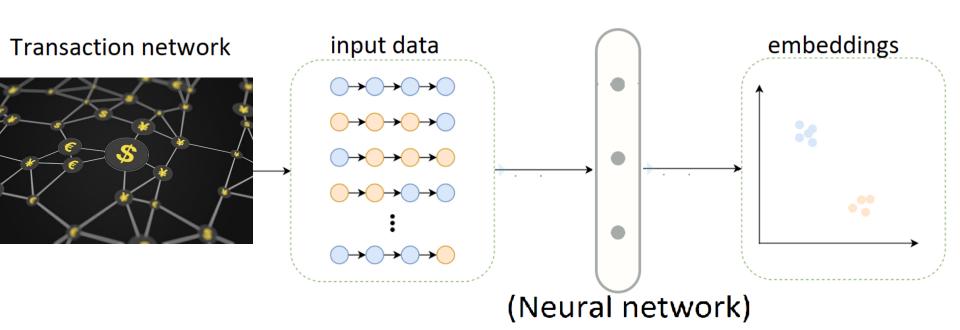
word2vec → node2vec



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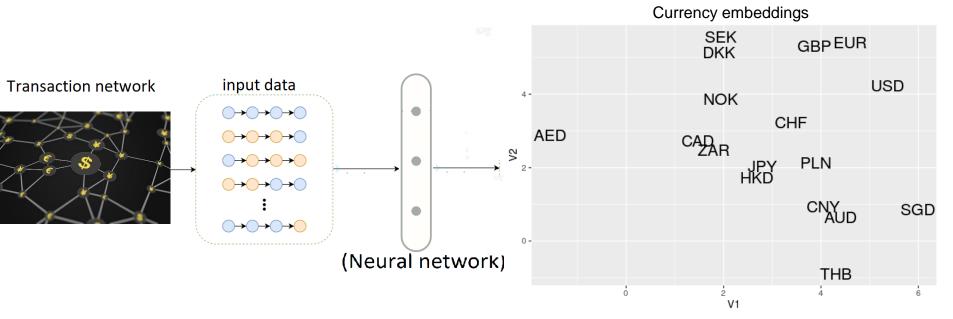
word2vec → node2vec → trans2vec



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