

In contexts where committee sizes are sufficiently large, it could make sense to use [Algorand](#)-style privately selected committees, in order to improve lookahead privacy to improve DoS resistance and resistance against other kinds of adaptive adversary attacks.

Algorand-style private selection works as follows. Suppose that each validator  $V_i$  has a private preimage  $C_{\{V_i\}}$

(a la [RANDAO](#)), and there is a common randomness source  $R$

; for any given proposal  $P$

, we derive a randomness  $R_P$

(eg.  $R_P = H(R, C_P)$ )

, where  $C_P$

is the proposer's

preimage). If there are in total  $N$

validators and we want a committee of size  $M$

, then anyone can make a signature by revealing  $C_{\{V_i\}}$

and showing that  $C_{\{V_i\}} \leq 2^{256} * \frac{M}{N}$

. On average,  $M$

of the  $N$

validators will be able to do so for any given proposal, with standard deviation  $\sqrt{M}$

and so at least  $M - 3\sqrt{M}$

~99.85% of the time (and at most  $M + 3\sqrt{M}$

99.85% of the time).

Suppose an attacker has fraction  $p$

of proposers, and the committee threshold is  $\frac{2}{3} * M$

; we can try to estimate the probability that a fraudulent proposal will get through for various values of  $p$

and  $M$

with publicly selected committees (which are guaranteed to have size exactly  $M$

) and privately selected committees (using Poisson distributions, so assuming  $N$

approaching infinity, values for  $N = 20000$

are very close to the limit at  $N \rightarrow \infty$

):

- $M = 200, p = \frac{1}{4}$

: public selection safety failure  $6.25 * 10^{-35}$

, private selection  $1.89 * 10^{-22}$

- $M = 100, p = \frac{1}{4}$

, public selection safety failure  $1.21 * 10^{-18}$

, private selection  $2.75 * 10^{-12}$

- $M = 200, p = \frac{1}{3}$

: public selection safety failure  $1.07 * 10^{-21}$

, private selection  $5.64 * 10^{-13}$

- $M = 100, p = \frac{1}{3}$

, public selection safety failure  $6.45 * 10^{-12}$

, private selection  $1.90 * 10^{-7}$

- $M = 200, p = \frac{1}{2}$

: public selection safety failure  $1.77 * 10^{-6}$

, private selection  $9.35 * 10^{-4}$

- $M = 100, p = \frac{1}{2}$

: public selection safety failure  $4.36 * 10^{-4}$

, private selection  $1.24 * 10^{-2}$

In summary, private selection unfortunately does have the weakness that it nearly doubles required safe committee sizes.