

Lorem Ipsum International Examinations

Lorem Ipsum International Advanced Subsidiary and Advanced Level

CANDIDATE NAME				
CENTER NUMBER		CANDIDATE NUMBER		
MATHEMATIC	cs		9709/43	
Paper 4: Also Pure Mathematics		October/November 2017		
			As long as you want	
Candidate answe	ers on this paper.			
No Additional m	naterials are required.			

Some reminders:

Write your centre number, candidate number and name on all the work you hand in.

Write in **pen or pencil**, but not lighter than HB.

Do not use staples, paper clips, glue or correction fluid.

DO NOT WRITE IN ANY BARCODES.

Answer all questions.

Mobile phones may be used.

You may lose marks if you do not show your working or if you do not use appropriate units.

At the end of the examination, fasten all your work securely together.

The number of marks is given in brackets [] at the end of each question or part question.

There are 4 questions, and the maximium mark you can get is 20.

This paper contains 8 pages, of which 2 are empty.

1	It is	given that $\frac{1}{\infty} = 0$.	
	a F	Prove $-8 = 10$.	2]
	b H	Hence prove $\frac{1}{0} = \infty$.	[2]
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2	а	Prove the identity "opinion $-\pi=$ onion".	[1]
	b	Prove the identity $\frac{7}{s} = 0 \mod 2$.	[3]
	С	Explain why obtuse triangles are always sad.	[1]
			• • • • • • • • • • • • • • • • • • • •

[3]

3	а	Prove	the	following	identity:
•	u	1 1000	LIIC	TOHOWING	Taciffy.

$\frac{1}{8}\left(4\cos\left(4\theta + \sqrt{\sin\left(\frac{\theta}{2}\right)}\right) + \cos\left(8\theta + 2\sqrt{\sin\left(\frac{\theta}{2}\right)}\right) + 3\right) = \cos^4\left(2\theta + \frac{1}{2}\sqrt{\sin\left(\frac{\theta}{2}\right)}\right)$

b Hence solve $\frac{1}{8} \left(4\cos\left(4\theta + \sqrt{\sin\left(\frac{\theta}{2}\right)}\right) + \cos\left(8\theta + 2\sqrt{\sin\left(\frac{\theta}{2}\right)}\right) \right)$	/ [3]
Total mark for question 3: 6 , all questions total to 15 at this point.	
Total mark for question 5. 6 , an questions total to 15 at this point.	
It is given that John has 3 apples, and he then lost 1 apple.	
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It is given that John has 3 apples, and he then lost 1 apple.	[1]
It is given that John has 3 apples, and he then lost 1 apple. a Show that John has 2 apple left.	
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It is given that John has 3 apples, and he then lost 1 apple. a Show that John has 2 apple left. b Hence calculate the mass of the Sun.	[3]
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It is given that John has 3 apples, and he then lost 1 apple. a Show that John has 2 apple left. b Hence calculate the mass of the Sun.	[3]

С	Write 1 instagram in gram.	[1]

Total mark for question 4: 5, all questions total to 20 at this point.

It is given that $1000\,\mathrm{gram}=1\,\mathrm{kilogram}.$

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