On Adversarial Training without Perturbing All Examples

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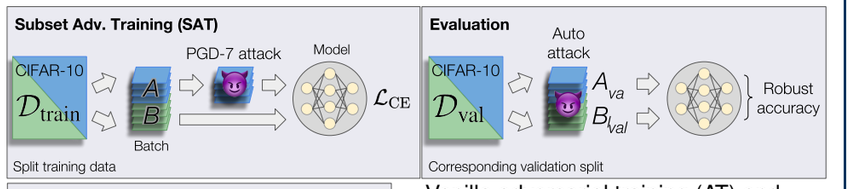
In a Nutshell



Vanilla adversarial training (AT) and most its variants perturb **every training example**. To what extent is that necessary? We split the training set into subsets A and B, train on $A \cup B$ but construct adv. examples only for examples in A.

Contributions

We propose an analytical tool *Subset Adversarial Training* (SAT) 1 to investigate robustness when only a training subset has been attacked.

- 2 Adv. robustness transfers to never attacked classes
- 3 & 4 Harder examples tend to provide best robustness transfer
- 4 Attacking 50% of training data is sufficient to recover baseline robust accuracy
- 5 30% reach baseline robust accuracy after transfer to downstream tasks
- 6 Can be combined with single-step attack training

Paper and Code: `github.com/mlosch/SAT`

[1] Dan Hendrycks et al. "Natural adversarial examples". In: *CVPR* (2021).
[2] Eric Wong, Leslie Rice, and J Zico Kolter. "Fast is better than free: Revisiting adversarial training". In: *ICLR* (2020).

1 Subset Adversarial Training (SAT)

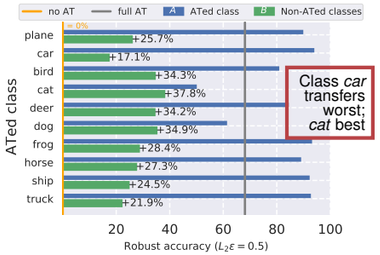
Questions: Does robustness transfer to unseen classes/examples? Does it depend on particular classes/examples?

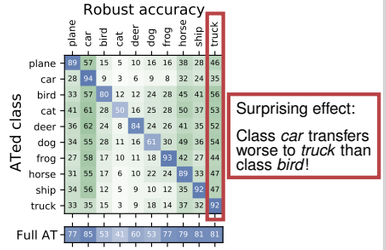
SAT: $\min_\theta \mathbb{E}_{(x,y)\in\mathcal{D}_{\text{train}}} \left[w_A \mathbb{1}_{(x,y)\in A} \max_{||\delta||_2 \leq \epsilon} \mathcal{L}(x+\delta, y; \theta) + w_B \mathbb{1}_{(x,y)\in B} \mathcal{L}(x, y; \theta) \right]$

Adv. Training loss $\forall x \in A$ | Vanilla cross-entropy $\forall x \in B$

Note: A and B are *fixed* pre training — Examples in B are never attacked

2 Class-subset Splits (CSAT)



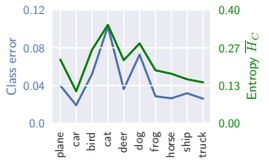


- Non-trivial robust accuracy on classes in B
- Characteristics correlate strongly with class *difficulty*

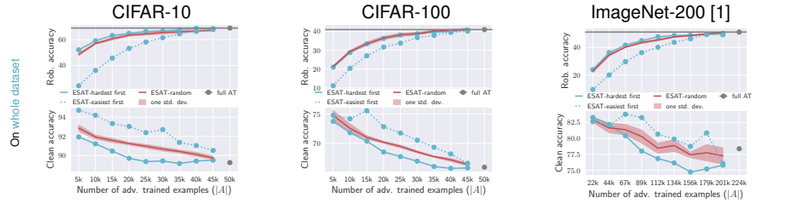
3 Measuring Class Difficulty

As class difficulty metric, we utilize entropy $\mathcal{H}$ over softmax σ. We rank examples once before training.

$\mathcal{H}(f(x)) = -\sum_{i=1}^{N} \sigma_i(f(x)) \cdot \log \sigma_i(f(x))$

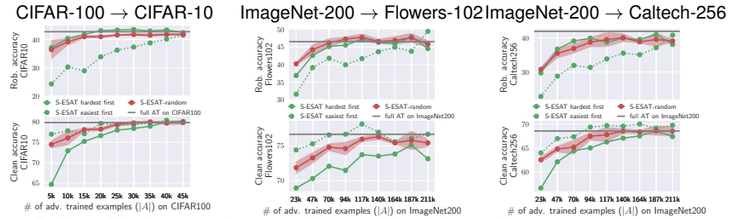


4 Example-subset Splits (ESAT)



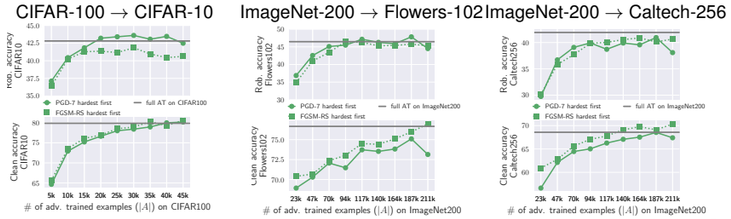
- Hard examples (solid lines) provide best robustness transfer
- 50% of hardest examples provide near baseline rob. accuracy

5 Transfer to Downstream Tasks (S-ESAT)



- Only 30% of examples provide near baseline rob. accuracy

6 Single-step S-ESAT



- Results generalize when combined with single-step attacks (FGSM[2])