## 9.2. REDUCED BASES

Table 9.2.5.1. The parameters  $D = \mathbf{b} \cdot \mathbf{c}$ ,  $E = \mathbf{a} \cdot \mathbf{c}$  and  $F = \mathbf{a} \cdot \mathbf{b}$  of the 44 lattice characters  $(A = \mathbf{a} \cdot \mathbf{a}, B = \mathbf{b} \cdot \mathbf{b}, C = \mathbf{c} \cdot \mathbf{c})$ 

The character of a lattice given by its reduced form (9.2.2.1) is the first one that agrees when the 44 entries are compared with that reduced form in the sequence given below (suggested by Gruber). Such a logical order is not always obeyed by the widely used character numbers (first column), which therefore show some reversals, *e.g.* 4 and 5.

						Bravais	Transformation to a conventional basis
No.	Type	D	E	F	Lattice symmetry	type‡	(cf. Table 9.2.5.2, footnote **)
A = B = C							
1	I	A/2	A/2	A/2	Cubic	cF	111/111/111
2	I	D	D	D	Rhombohedral	hR	$1\bar{1}0/\bar{1}01/\bar{1}\bar{1}\bar{1}$
3	II	0	0	0	Cubic	cP	100/010/001
5	II	-A/3	-A/3	-A/3	Cubic	cI	101/110/011
4	II	D	D	D	Rhombohedral	hR	110/101/111
6	II	$D^*$	D	F	Tetragonal	tI	011/101/110
7	II	$D^*$	E	E	Tetragonal	tI	101/110/011
8	II	$D^*$	E	F	Orthorhombic	oI	$\bar{1}\bar{1}0/\bar{1}0\bar{1}/0\bar{1}\bar{1}$
A = B, no conditions on $C$							
9	I	A/2	A/2	A/2	Rhombohedral	hR	$100/\bar{1}10/\bar{1}\bar{1}3$
10	I	D	D	F	Monoclinic	mC	$110/1\bar{1}0/00\bar{1}$
11	II	0	0	0	Tetragonal	tP	100/010/001
12	П	0	0	-A/2	Hexagonal	hP	100/010/001
13	П	0	0	F	Orthorhombic	oC	110/110/001
15	П	-A/2	-A/2	0	Tetragonal	tI	100/010/112
16	П	D*	D	F	Orthorhombic	oF	110/110/112
14	II	D	D	F	Monoclinic	mC	110/110/001
17	П	$D^*$	E	F	Monoclinic	mC	$1\overline{10}/110/\overline{10}\overline{1}$
B = C, no conditions on $A$							
		1	1. /2	1. /2	m		074 /477 /400
18	I	A/4	A/2	A/2	Tetragonal	tI	011/111/100
19	I	D	A/2	A/2	Orthorhombic	oI	Ī00/0Ī1/Ī11
20	I	D	E	E	Monoclinic	mC	$011/01\bar{1}/\bar{1}00$
21	II	0	0	0	Tetragonal	tP	010/001/100
22	II	-B/2	0	0	Hexagonal	hP	010/001/100
23	II	D Date	0	0	Orthorhombic	oC	011/011/100
24	II	D* D	-A/3	-A/3	Rhombohedral	hR	$121/0\bar{1}1/100$
25	II		E	E	Monoclinic	mC	011/011/100
No conditions on A, B, C							
26	I	A/4	A/2	A/2	Orthorhombic	oF	$100/\bar{1}20/\bar{1}02$
27	I	D	A/2	A/2	Monoclinic	mC	$\overline{1}20/\overline{1}00/0\overline{1}1$
28	I	D	A/2	2D	Monoclinic	mC	$\bar{1}00/\bar{1}02/010$
29	I	D	2D	A/2	Monoclinic	mC	$100/1\bar{2}0/00\bar{1}$
30	I	B/2	E	2E	Monoclinic	mC	$010/01\bar{2}/\bar{1}00$
31	I	D	E	F	Triclinic	aP	100/010/001
32	II	0	0	0	Orthorhombic	oP	100/010/001
40	II	-B/2	0	0	Orthorhombic	oC	$0\bar{1}0/012/\bar{1}00$
35	II	D	0	0	Monoclinic	mP	$0\overline{1}0/\overline{1}00/00\overline{1}$
36	II	0	-A/2	0	Orthorhombic	oC	$100/\bar{1}0\bar{2}/010$
33	II	0	E	0	Monoclinic	mP	100/010/001
38	II	0	0	-A/2	Orthorhombic	oC	<u>1</u> 00/120/00 <u>1</u>
34	II	0	0	F	Monoclinic	mP	<u>1</u> 00/00 <u>1</u> /0 <u>1</u> 0
42	II	-B/2	-A/2	0	Orthorhombic	oI	Ī00/0Ī0/112
41	II	-B/2	E	0	Monoclinic	mC	$0\bar{1}\bar{2}/0\bar{1}0/\bar{1}00$
37	II	D	-A/2	0	Monoclinic	mC	102/100/010
39	II	D	0	-A/2	Monoclinic	mC	<u>1</u> 20/ <u>1</u> 00/00 <u>1</u>
43	II	$D^{\dagger}$	E	F	Monoclinic	mI	$\bar{1}00/\bar{1}\bar{1}\bar{2}/0\bar{1}0$
44	II	D	E	F	Triclinic	аP	100/010/001

<sup>\*</sup> 2|D+E+F|=A+B. † As footnote \* plus |2D+F|=B.

<sup>‡</sup> For symbols for Bravais types see footnote \* to Table 9.1.7.1 and de Wolff et al. (1985). The capital letter of the symbols in this column indicates the centring type of the cell as obtained by the transformation in the last column. For this reason, the standard symbols mS and oS are not used here.