

Typing the Untypeable

in Erlang using Partial Evaluation

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Er..what?

- Functional programming language
- Language based solution to distributed software
- Riak, RabbitMQ, ejabberd, WhatsApp...



But, no (static) types!



Icon made by [Pixel-Perfect](https://www.flaticon.com) from www.flaticon.com

No types in a distributed language
⇒ distributed debugging!

...

```
spawn(FarAwayNode, my_module, non_existent_function,[42]).
```

...

A Practical Subtyping System For Erlang

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University of Glasgow Bell Labs, Lucent Technologies

TYPER: A Type Annotator of Erlang Code

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Typing Erlang

John Hughes, David Sands, Karol Ostrovský
December 12, 2002

Detecting Software Defects in Telecom Applications Through Lightweight Static Analysis: A War Story

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Point Of No Local Return: *The Continuing Story Of Erlang Type Systems*

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Practical Type Inference Based on Success Typings

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Experience from Developing the Dialyzer: A Static Analysis Tool Detecting Defects in Erlang Applications

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Our good friend Dialyzer

```
-spec zip(List1, List2) -> List3
```

```
  when List1 :: [A], List2 :: [B],  
        List3 :: [{A, B}], A :: term(), B :: term().
```

Dialyzer in action

```
-module(test).
```

```
lookup(K,[]) -> none;
```

```
lookup(K,[{K,V}|_]) -> {ok,V};
```

```
lookup(K,[_|KVs]) -> lookup(K,KVs).
```

```
find() -> {ok,"s"} = lookup(0,[{0,1}]).
```

```
... $ dialyzer test.erl
```

```
    Checking whether the PLT  
    /Users/nachi/.dialyzer_plt is  
    up-to-date... yes
```

```
    Proceeding with analysis... done in  
    0m0.13s
```

done (passed successfully)

UH OH!

Goals of this thesis

- Retrofit a static type system to Erlang
- Respect Erlang's philosophy: allow flexible programming

Hindley–Milner Type system

- Strong type inference properties
- Has been very successful in typing functional languages
- Rejected by previous attempts to type Erlang
- “The **difficulty** is that with Hindley–Milner each type must involve a set of *constructors* distinct from those used in any other types, a convention not adhered to by Erlang programmers.” — Marlow and Wadler, 96

But we show that this need not necessarily be the case!

Haskell ADT

```
data Tree a = Nil  
            | Node a (Tree a) (Tree a)
```

Erlang ADT

```
-type tree(A) :: nil  
        | {node, A, tree(A),tree(A)}.
```

Type inference for ADTs, an example

```
findNode(_,nil) ->
```

```
    false;
```

```
findNode(N,{node,N,Lt,Rt}) ->
```

```
    true;
```

```
findNode(N,{node,_,Lt,Rt}) ->
```

```
    findNode(N, Lt) or findNode(N,Rt).
```

```
findNode/2 :: (A,tree(A)) → boolean()
```

The constructor overloading problem

- Restricting constructors to a unique type is practically impossible

Example: {**ok**, Value}, {**'EXIT'**, pid(), Reason}

- But, consider these ADTS:

-type server(R) :: {**'EXIT'**, pid(), R} | ...

-type client(R) :: {**'EXIT'**, pid(), R} | ...

What should be the *inferred* type of this constructor be?

'EXIT' / 2 :: ?

Type inference walkthrough

(+) Num $T \Rightarrow (T, T) \rightarrow T$

sum ([]) -> 0;

sum ([X|Xs]) -> X + sum(Xs).

[A]

A

B

T

Substitution

A = T
B = T

Predicates

{Num, T}

Intermediate: ([A]) $\rightarrow T$


Final: Num $T \Rightarrow ([T]) \rightarrow T$

- Collect type information and class constraints
 - Type information as a *substitution*
 - Class constraints as *predicates*
- Specialize the inferred type using collected information

Overloading constructors – the main idea

```
-type sr(R)  :: { 'EXIT', pid(), R } | { request, integer() }  
-type cl(R)  :: { 'EXIT', pid(), R } | { response, integer() }
```

`'EXIT'/2 :: A ~ [cl(R), sr(R)] ⇒ (pid(), R) → A`


deferred unification constraint (duc)

Overloading constructors - specialization

```
serverHandler(ClientId,X) ->  
  case X of  
    {request,N} ->  
      ClientId ! N + 42;  
    {'EXIT',_,R} ->  
      log(R)  
  
  end,  
  serverHandler(ClientId,X).
```

$\text{serverHandler} :: \text{Padd } D \Rightarrow$
 $(D, \text{sr}(\mathbf{B})) \rightarrow C$

$\text{'EXIT'}/2 ::$
 $A \sim [\text{cl}(\mathbf{R}), \text{sr}(\mathbf{R})]$
 $\Rightarrow (\text{pid}(), \mathbf{R}) \rightarrow A$

$\text{'EXIT'}/2 :: (\text{pid}(), \mathbf{R}) \rightarrow \text{sr}(\mathbf{R})$

Overloading constructors – general cases

`getReason({'EXIT',_,R}) -> R.`

`foo() ->
getReason({'EXIT',self(),true})`

`getReason/1 ::
A ~ [cl(R),sr(R)]
⇒ (A) → R`

`foo/0 :: (A,B) → C ~
[(pid(),B) → cl(B), (pid(),B) → sr(B)];
C ~ [cl(boolean()), sr(boolean())]
⇒ () → B`

Extracting type information from ducs

```
foo/0 :: (A,B) → C ~ [(pid(),B) → cl(B), (pid(),B) → sr(B)];  
      C ~ [cl(boolean()), sr(boolean())]  
      ⇒ () → B
```

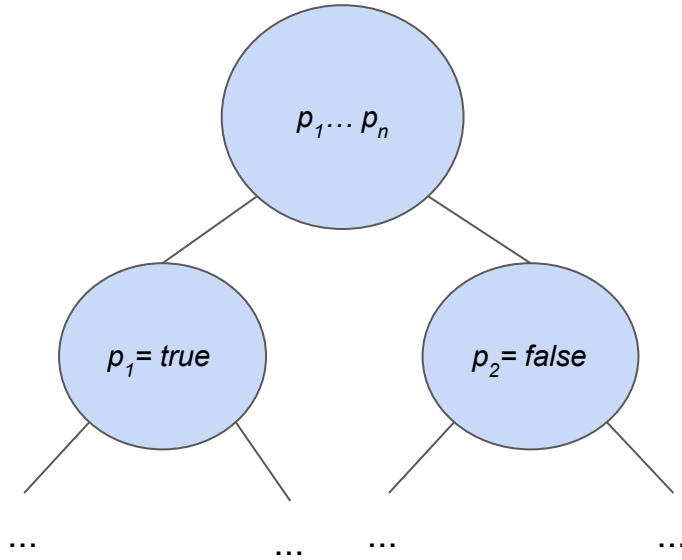


```
foo/0 :: C ~ [cl(B), sr(B)];  
C ~ [cl(boolean()), sr(boolean())]  
⇒ () → B
```



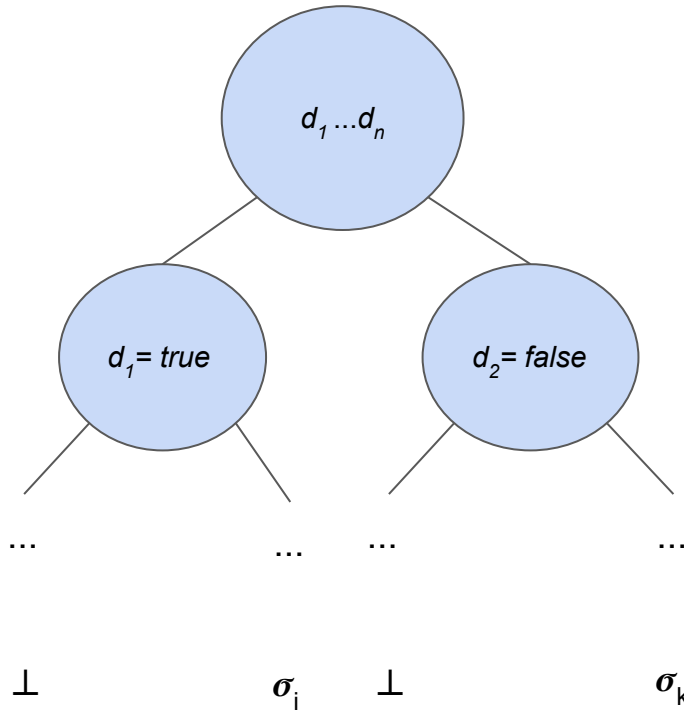
```
foo/0 :: () → boolean()
```

Stålmarch's Dilemma Rule



“Any information gained both from assuming that a proposition is true and from assuming that it is false must hold independent of the value of the proposition”

Applying Stålmarch's Dilemma Rule



- Valid proofs lead to a substitution
- Invalid proofs to a contradiction

Applying the Dilemma rule gives us that the intersection of all valid substitutions must be always true

Allowing flexible programming

- Branches of different type? No problem!
(provided return value is not used)

```
serverHandler(ClientId,X) ->  
  case X of  
    {request,N} ->  
      ClientId ! N + 42;  
    {'EXIT',_,R} ->  
      log(R)  
  end,  
  serverHandler(ClientId,X).
```

- Want to compare values of different types? No problem!

```
(==) :: (A,B) → boolean()
```

Allowing flexible programming: Untypeable?

- `element(Position,Tuple)`

```
element(2,{a,b,c}) = b
```

- `is_function(Function,Arity)`

```
is_function(fun (X) -> X end,1) = true
```

- `is_tuple(Tuple)`

```
is_tuple({}) = true
```

- `spawn(Module,Function,Args) ...`

Partial Evaluation: Overview

```
power(0,_) -> 1;  
power(N,X) -> X * power(N-1,X).
```

power(3,X)



$X * X * X * 1$

Partial Evaluation for Erlang

Pattern matching

$\{X, Y\} = \{1, 5\} \Rightarrow$

$\{X, X\} = \{Y, Z\} \Rightarrow$

$\{[X|Xs], 42\} = \{Z, Y\} \Rightarrow$

...

looks like a job for *unification* !

Substitutions

$X = 1, Y = 5$

$X = Y, Y = Z$

$Z = [X|Xs], Y = 42$

Typing the Untypeable Using Partial Evaluation

Demo

Results

- Type inference applied successfully to a few small libraries
 - OTP libraries: *orddict* and *orddsets* (~ 200 LOC)
 - An implementation of a distributed fault tolerant resource pool (~100 LOC)
 - < 3 LOC added/modified in each case (mainly ADT definitions)
- Partial evaluation driven type inference applied to several handcrafted examples

Limitations

- Erlang programmers do generic programming over constructors!

```
-type rbt(K,V) :: empty  
                | {r,rbt(K,V),K,V,rbt(K,V)}  
                | {b,rbt(K,V),K,V,rbt(K,V)}
```

```
to_list(empty, List) -> List;  
to_list({_,L,Ks,Vs,R}, List) ->  
    to_list(L, [{Ks,Vs}|to_list(R, List)]).
```

- PE helps only when at least *some* static information is available
- Current PE implementation unfolds only fully static function calls

Future Work

- Type inference for records, modules and error handling
- Partial evaluation for function calls with dynamic arguments
- Better ways to integrate type inference and partial evaluation
 $\text{foo}(Z) \rightarrow$
 $[\{A,B\} \mid [X \mid Xs]] = Z, \text{element}(2,X)$
 X is a tuple of 2 elements according to TI, but PE doesn't know that!
- Typing concurrency by adding *effects* to the type system

THE END

Type classes for overloading other operators

`(!) :: Padd A ⇒ (A,B) → B`

`unlink :: Port A ⇒ (A) → boolean()`

`...`