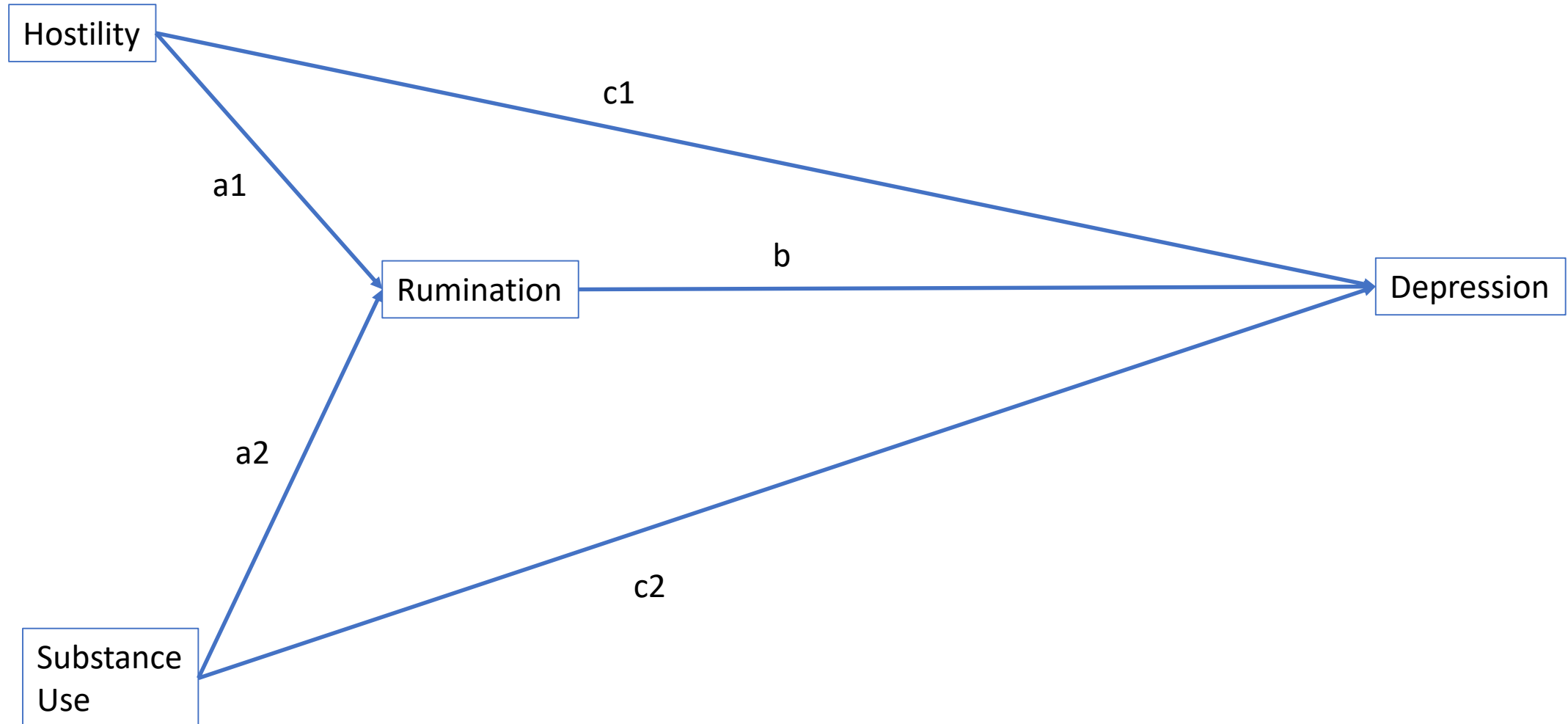


Calculating Monte Carlo Confidence Intervals from Mplus Output

<http://quantpsy.org/medmc/medmc.htm>

Here's a model



Here's the code

TITLE: Path Analysis All Continuous Variables
DATA: FILE IS ex3.11.dat;

VARIABLE:
NAMES ARE depression HoB anxiety Host rumination Sub;

USEVARIABLES ARE depression host rumination sub;

MODEL:
depression on host (c1);
depression on sub (c2);

rumination on host (a1);
rumination on sub (a2);

depression on rumination (b);

model constraint:
new (ind1 ind2);
ind1 = a1*b;
ind2 = a2*b;

Output:
tech1 tech3;

Selected Results

MODEL RESULTS

	Estimate	S.E.	Est./S.E.	Two-Tailed P-Value
DEPRESSI ON				
HOST	0.992	0.043	22.978	0.000
SUB	3.052	0.045	68.271	0.000
RUMINATION	2.001	0.045	44.616	0.000
RUMINATI ON				
HOST	0.039	0.043	0.905	0.366
SUB	0.091	0.044	2.054	0.040
Intercepts				
DEPRESSION	-1.064	0.046	-23.058	0.000
RUMINATION	-0.028	0.046	-0.600	0.549
Residual Variances				
DEPRESSION	1.062	0.067	15.810	0.000
RUMINATION	1.055	0.067	15.811	0.000
New/Additional Parameters				
IND1	0.078	0.086	0.904	0.366
IND2	0.182	0.089	2.051	0.040

How many parameters did we estimate?

Right at the top of the output above the fit indices is the following statement:

MODEL FIT INFORMATION

Number of Free Parameters

9

Tech1 Matrices

TAU

The tau vector contains information regarding thresholds of categorical observed variables. The elements are in the order of thresholds within variables.

NU

The nu vector contains information regarding means or intercepts of continuous observed variables.

LAMBDA

The lambda matrix contains information regarding factor loadings. The rows of lambda represent the observed dependent variables in the model. The columns of lambda represent the continuous latent variables in the model.

THETA

The theta matrix contains the residual variances and covariances of the observed dependent variables or the latent response variables. The rows and columns both represent the observed dependent variables.

ALPHA

The alpha vector contains the means and/or intercepts of the continuous latent variables.

BETA

The beta matrix contains the regression coefficients for the regressions of continuous latent variables on continuous latent variables. Both the rows and columns represent continuous latent variables.

GAMMA

OUTPUT, SAVEDATA, And PLOT Commands

The gamma matrix contains the regression coefficients for the regressions of continuous latent variables on observed independent variables. The rows represent the continuous latent variables in the model. The columns represent the observed independent variables in the model.

PSI

The psi matrix contains the variances and covariances of the continuous latent variables. Both the rows and columns represent the continuous latent variables in the model.

DELTA

Delta is a vector that contains scaling information for the observed dependent variables.

Tech1 Matrices – when all variables are observed

TAU

The tau vector contains information regarding thresholds of categorical observed variables. The elements are in the order of thresholds within variables.

NU

The nu vector contains information regarding means or intercepts of continuous observed variables.

LAMBDA

The lambda matrix contains information regarding factor loadings. The rows of lambda represent the observed dependent variables in the model. The columns of lambda represent the continuous latent variables in the model.

THETA

The theta matrix contains the residual variances and covariances of the observed dependent variables or the latent response variables. The rows and columns both represent the observed dependent variables.

ALPHA

The alpha vector contains the means and/or intercepts of the continuous latent variables.

BETA

The beta matrix contains the regression coefficients for the regressions of continuous latent variables on continuous latent variables. Both the rows and columns represent continuous latent variables.

GAMMA

OUTPUT, SAVEDATA, And PLOT Commands

The gamma matrix contains the regression coefficients for the regressions of continuous latent variables on observed independent variables. The rows represent the continuous latent variables in the model. The columns represent the observed independent variables in the model.

PSI

The psi matrix contains the variances and covariances of the continuous latent variables. Both the rows and columns represent the continuous latent variables in the model.

DELTA

Delta is a vector that contains scaling information for the observed dependent variables.

Tech1

Tech1 provides the parameter numbers for each parameter in the model

TECHNICAL 1 OUTPUT

PARAMETER SPECIFICATION

	NU				
	DEPRESSI	RUMINATI	HOST	SUB	
1	<u>0</u>	<u>0</u>	<u>0</u>	<u>0</u>	
	LAMBDA				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>0</u>	<u>0</u>	<u>0</u>	<u>0</u>	
RUMINATI	0	0	0	0	
HOST	0	0	0	0	
SUB	0	0	0	0	
	THETA				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>0</u>	<u>0</u>	<u>0</u>	<u>0</u>	
RUMINATI	0	0	0	0	
HOST	0	0	0	0	
SUB	0	0	0	0	
	ALPHA				
	DEPRESSI	RUMINATI	HOST	SUB	
1	<u>1</u>	<u>2</u>	<u>0</u>	<u>0</u>	
	BETA				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>0</u>	<u>3</u>	<u>4</u>	<u>5</u>	
RUMINATI	0	0	6	7	
HOST	0	0	0	0	
SUB	0	0	0	0	
	PSI				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>8</u>	<u>9</u>	<u>0</u>	<u>0</u>	
RUMINATI	0	0	0	0	
HOST	0	0	0	0	
SUB	0	0	0	0	

Tech1

Here in the red boxes are
the parameter numbers for
The means of depression (1)
And rumination (2)

TECHNICAL 1 OUTPUT

PARAMETER SPECIFICATION

	NU				
	DEPRESSI	RUMINATI	HOST	SUB	
1	<u>0</u>	<u>0</u>	<u>0</u>	<u>0</u>	
	LAMBDA				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>0</u>	<u>0</u>	<u>0</u>	<u>0</u>	
RUMINATI	0	0	0	0	
HOST	0	0	0	0	
SUB	0	0	0	0	
	THETA				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>0</u>	<u>0</u>	<u>0</u>	<u>0</u>	
RUMINATI	0	0	0	0	
HOST	0	0	0	0	
SUB	0	0	0	0	
	ALPHA				
	DEPRESSI	RUMINATI	HOST	SUB	
1	<u>1</u>	<u>2</u>	<u>0</u>	<u>0</u>	
	BETA				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>0</u>	<u>3</u>	<u>4</u>	<u>5</u>	
RUMINATI	0	0	6	7	
HOST	0	0	0	0	
SUB	0	0	0	0	
	PSI				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>8</u>	<u>9</u>	<u>0</u>	<u>0</u>	
RUMINATI	0	0	0	0	
HOST	0	0	0	0	
SUB	0	0	0	0	

Tech1

Here in the red box are
the parameter numbers for
The regression coefficients
With depression as the DV
i.e., 3, 4,5
And with rumination as the
DV
i.e., 6, 7

TECHNICAL 1 OUTPUT

PARAMETER SPECIFICATION

NU				
	DEPRESSI	RUMINATI	HOST	SUB
1	0	0	0	0
LAMBDA				
	DEPRESSI	RUMINATI	HOST	SUB
DEPRESSI	0	0	0	0
RUMINATI	0	0	0	0
HOST	0	0	0	0
SUB	0	0	0	0
THETA				
	DEPRESSI	RUMINATI	HOST	SUB
DEPRESSI	0	0	0	0
RUMINATI	0	0	0	0
HOST	0	0	0	0
SUB	0	0	0	0
ALPHA				
	DEPRESSI	RUMINATI	HOST	SUB
1	1	2	0	0
BETA				
	DEPRESSI	RUMINATI	HOST	SUB
DEPRESSI	0	3	4	5
RUMINATI	0	0	6	7
HOST	0	0	0	0
SUB	0	0	0	0
PSI				
	DEPRESSI	RUMINATI	HOST	SUB
DEPRESSI	8	9	0	0
RUMINATI	0	0	0	0
HOST	0	0	0	0
SUB	0	0	0	0

Tech1

Here in the red box are
the parameter numbers for
Variance of depression (8)
And the variance of
Rumination (9)

TECHNICAL 1 OUTPUT

PARAMETER SPECIFICATION

	NU				
	DEPRESSI	RUMINATI	HOST	SUB	
1	<u>0</u>	<u>0</u>	<u>0</u>	<u>0</u>	
	LAMBDA				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>0</u>	<u>0</u>	<u>0</u>	<u>0</u>	
RUMINATI	0	0	0	0	
HOST	0	0	0	0	
SUB	0	0	0	0	
	THETA				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>0</u>	<u>0</u>	<u>0</u>	<u>0</u>	
RUMINATI	0	0	0	0	
HOST	0	0	0	0	
SUB	0	0	0	0	
	ALPHA				
	DEPRESSI	RUMINATI	HOST	SUB	
1	<u>1</u>	<u>2</u>	<u>0</u>	<u>0</u>	
	BETA				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>0</u>	<u>3</u>	<u>4</u>	<u>5</u>	
RUMINATI	0	0	6	7	
HOST	0	0	0	0	
SUB	0	0	0	0	
	PSI				
	DEPRESSI	RUMINATI	HOST	SUB	
DEPRESSI	<u>8</u>	<u>9</u>	<u>0</u>	<u>0</u>	
RUMINATI	0	0	0	0	
HOST	0	0	0	0	
SUB	0	0	0	0	

Tech3 – Covariance Parameter Matrix

- Diagonals are the variances
- The body contains the covariances

Tech3

Tech3 uses fortran notation
Which is a form of scientific
Notation

Examples:

0.212856D-02 = .002

(D-02 means add 2 leading 0s)

0.212856D+02 = 21.29

(D+02 means move the decimal
Over 2 spots)

ESTIMATED COVARIANCE MATRIX FOR PARAMETER ESTIMATES					
	1	2	3	4	5
1	0.212856D-02				
2	0.359461D-19	0.211487D-02			
3	0.555058D-04	-0.373083D-18	0.201151D-02		
4	-0.857395D-04	-0.455727D-18	-0.782207D-04	0.186539D-02	
5	0.131834D-04	0.229941D-17	-0.183416D-03	0.107902D-03	0.199847D-02
6	-0.142984D-18	-0.831032D-04	0.448604D-16	0.307598D-16	0.200692D-17
7	0.266430D-17	0.181403D-04	0.144795D-15	0.795148D-16	0.207426D-15
8	-0.208205D-07	-0.372951D-19	0.378087D-07	-0.519753D-07	0.599421D-07
9	0.275922D-17	0.473785D-07	0.108034D-15	-0.542752D-17	-0.339555D-16
10	0.216071D-05	-0.166293D-03	0.783034D-04	-0.304495D-05	-0.713995D-05
11	0.505997D-05	0.362994D-04	0.183371D-03	-0.713069D-05	-0.167204D-04

ESTIMATED COVARIANCE MATRIX FOR PARAMETER ESTIMATES					
	6	7	8	9	10
6	0.185170D-02				
7	0.100194D-03	0.197042D-02			
8	0.186612D-17	0.413683D-17	0.450792D-02		
9	0.173375D-06	-0.933541D-07	-0.228236D-17	0.445586D-02	
10	0.370531D-02	0.200491D-03	0.147180D-08	0.346929D-06	0.741751D-02
11	0.200491D-03	0.394288D-02	0.344668D-08	-0.186805D-06	0.408329D-03

ESTIMATED COVARIANCE MATRIX FOR PARAMETER ESTIMATES	
	11
11	0.790656D-02

Now what did we want to do again?

- To make MCCIs we need:
- a and b come from the model results section
- $\text{Var}(a)$, $\text{Var}(b)$, and $\text{Cov}(a,b)$ come from tech3

*Note: in the current model there are two indirect effects, so we have to do this twice

Input:	
a	<input type="text"/>
b	<input type="text"/>
$\text{var}(a)$	<input type="text"/>
$\text{var}(b)$	<input type="text"/>
$\text{cov}(a,b)$	<input type="text"/>
Confidence	<input type="text" value="95"/> %
Repetitions	<input type="text" value="20000"/>

a1, a2, b

MODEL RESULTS

	Estimate	S.E.	Est./S.E.	Two-Tailed P-Value
DEPRESSI ON				
HOST	0.992	0.043	22.978	0.000
SUB	3.052	0.045	68.271	0.000
RUMINATION	2.001	0.045	44.616	0.000
RUMINATI ON				
HOST	0.039	0.043	0.905	0.366
SUB	0.091	0.044	2.054	0.040
Intercepts				
DEPRESSION	-1.064	0.046	-23.058	0.000
RUMINATION	-0.028	0.046	-0.600	0.549
Residual Variances				
DEPRESSION	1.062	0.067	15.810	0.000
RUMINATION	1.055	0.067	15.811	0.000
New/Additional Parameters				
IND1	0.078	0.086	0.904	0.366
IND2	0.182	0.089	2.051	0.040

Steps

- Determine which parameter numbers go with the a-paths and b-paths
- Enter the estimates into the quantpsy calculator
- Look at the MCCI and see if it contains 0
 - If yes, then not significant
 - If no, then significant

What parameters do we need?

- a1 is the regression slope of rumination on hostility
- a2 is the regression slope of rumination on substance use
- b is the regression slope of depression on rumination
- *note only 1 b-path because rumination is the only mediator
- a1, a2, and b will come from the BETA matrix
- a1 is parameter 6, a2 is parameter 7, and b is parameter 3

	BETA			
	DEPRESSI	RUMINATI	HOST	SUB
DEPRESSI	0	0	4	5
RUMINATI	0	3	6	7
HOST	0	0	0	0
SUB	0	0	0	0

Ok, back to tech3

- $\text{Var}(a1) =$
 - Parameter 6 with 6
 - .0019
- $\text{Var}(a2) =$
 - Parameter 7 with 7
 - .00197
- $\text{Var}(b) =$
 - Parameter 3 with 3
 - .002
- $\text{Cov}(a1, b) =$
 - Parameter 6 with 3
 - .00000000000000000004
- $\text{Cov}(a2, b) =$
 - Parameter 7 with 3
 - .00000000000000000001

TECHNICAL 3 OUTPUT

ESTIMATED COVARIANCE MATRIX FOR PARAMETER ESTIMATES					
	1	2	3	4	5
1	0.212856D-02				
2	0.359461D-19	0.211487D-02			
3	0.555058D-04	-0.373083D-18	0.201151D-02		
4	-0.857395D-04	-0.455727D-18	-0.782207D-04	0.186539D-02	
5	0.131834D-04	0.229941D-17	-0.183416D-03	0.107902D-03	0.199847D-02
6	-0.142984D-18	-0.831032D-04	0.448604D-16	0.307598D-16	0.200692D-17
7	0.266430D-17	0.181403D-04	0.144795D-15	0.795148D-16	0.207426D-15
8	-0.208205D-07	-0.372951D-19	0.378087D-07	-0.519753D-07	0.599421D-07
9	0.275922D-17	0.473785D-07	0.108034D-15	-0.542752D-17	-0.339555D-16
10	0.216071D-05	-0.166293D-03	0.783034D-04	-0.304495D-05	-0.713995D-05
11	0.505997D-05	0.362994D-04	0.183371D-03	-0.713069D-05	-0.167204D-04

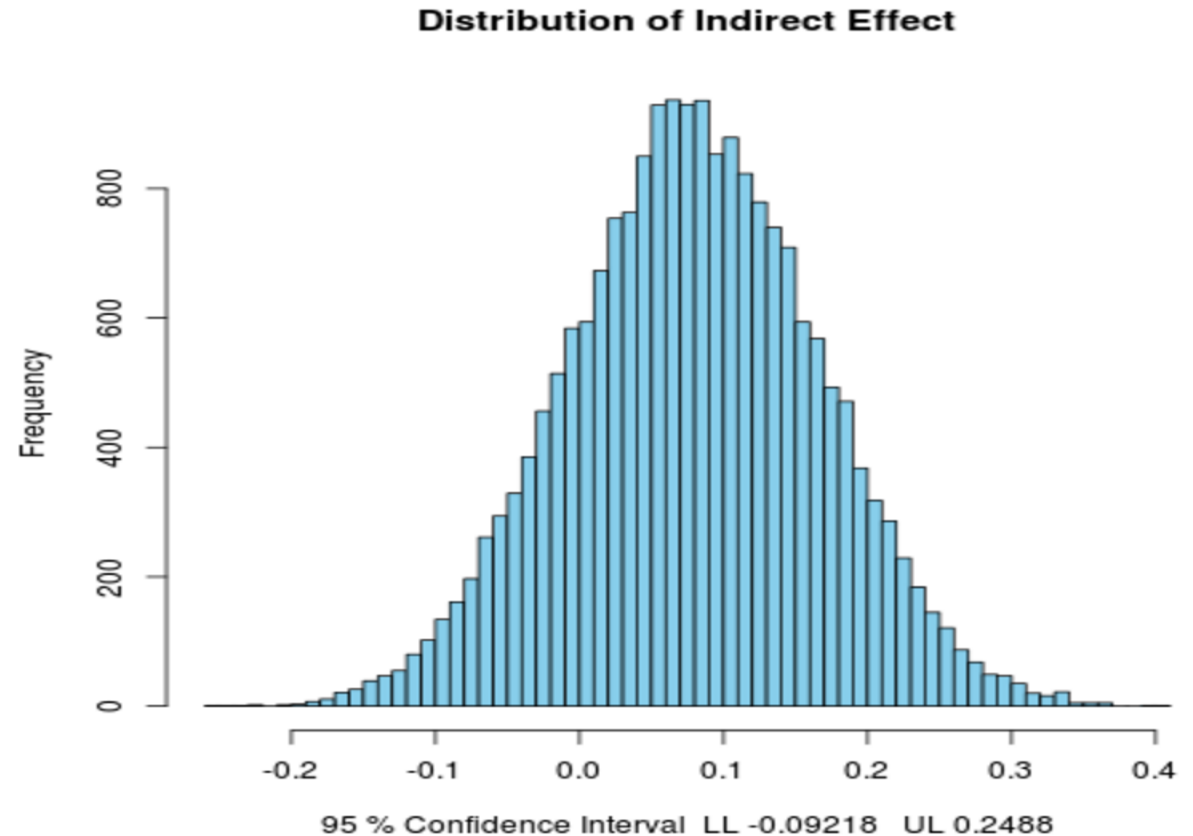
ESTIMATED COVARIANCE MATRIX FOR PARAMETER ESTIMATES					
	6	7	8	9	10
6	0.185170D-02				
7	0.100194D-03	0.197042D-02			
8	0.186612D-17	0.413683D-17	0.450792D-02		
9	0.173375D-06	-0.933541D-07	-0.228236D-17	0.445586D-02	
10	0.370531D-02	0.200491D-03	0.147180D-08	0.346929D-06	0.741751D-02
11	0.200491D-03	0.394288D-02	0.344668D-08	-0.186805D-06	0.408329D-03

ESTIMATED COVARIANCE MATRIX FOR PARAMETER ESTIMATES	
	11
11	0.790656D-02

Time to calculate our first MCCI

- Hostility → Rumination → Depression
- $a_1 * b$
- MCCI = $[-.09, .24]$ not sig.

Input:	
<i>a</i>	<input type="text" value=".039"/>
<i>b</i>	<input type="text" value="2.001"/>
<i>var(a)</i>	<input type="text" value=".0019"/>
<i>var(b)</i>	<input type="text" value=".002"/>
<i>cov(a,b)</i>	<input type="text" value=".000000000000000004"/>
Confidence	<input type="text" value="95"/> %
Repetitions	<input type="text" value="20000"/>



Time to calculate our second MCCI

- Substance Use → Rumination → Depression
- $a^2 \cdot b$
- MCCI = [.005, .36] significant

Input:	
<i>a</i>	<input type="text" value=".091"/>
<i>b</i>	<input type="text" value="2.001"/>
var(<i>a</i>)	<input type="text" value=".00197"/>
var(<i>b</i>)	<input type="text" value=".002"/>
cov(<i>a</i> , <i>b</i>)	<input type="text" value=".000000000000000001"/>
Confidence	<input type="text" value="95"/> %
Repetitions	<input type="text" value="20000"/>

