

Assignment 1 (100 points) Due: Wednesday, October 22

Email me one file. Do not use a “reply” to email your file. Use .R as the extension. The file name submitted by a student named Albert Einstein is AlbertEinsteinAssign1.R I should be able to load your code into the R environment by using the “Open Script” feature of R. Then I should be able to run your code. Put your name as the first line of your .R file. This will be a line that is executable, and look this: name = “Albert Einstein”. Of course your own name will be substituted for Albert Einstein. When I run tests on your code, I will want to know whose code is running. Your code should be well-commented, and indented so a reader can easily follow the code. Bring a print out of your file to class. Your one file should contain two functions.

1. Write a function that merges two already sorted vectors into a third sorted vector. The input vectors are sorted in ascending order. The function prototype is:

```
merge.sort <- function(in1,in2).
```

Example:  $x = c(1,2,3,4)$  and  $y = c(1.5,3,5)$ . Then  $z = \text{merge.sort}(x,y)$  results in  $z = c(1,1.5,2,3,3,5)$

2. Write a function that bins data. This is the kind of thing one does when making a histogram. We are given a data vector  $x$ , and a vector containing the boundary of the bins. This vector is called bins.

Function prototype is:

```
bin.data <- function(x,bins)
```

Check that bins is strictly increasing. The bins are open on the left and closed on the right (except for the last bin). For example, if  $\text{bins} = c(2.5,5,7.8,9)$  you are to determine if an element of  $x$  falls into the bin  $(-\infty, 2.5]$ , the bin  $(2.5, 5]$ , the bin  $(5, 7.8]$ , the bin  $(7.8, 9]$ , or the bin  $(9, \infty)$ . Here  $x$  is a numeric data vector, and we want to bin the data. If bins has length  $m$ , then we return a vector of length  $(m+1)$ . We do not allow  $-\infty$  or  $\infty$  values in bins.

The purpose of the function is to return a count of how many elements of  $x$  fall into each bin. Using the bins vector as defined above, if  $x = c(8.3, -2, 2.3, 7.9, 2.5, 2.51, 8.5, -8.9, 9.2)$  we return the vector  $c(4,1,0,3,1)$ . The explanation of the output vector is given below.

There are four values of $i$ such that	$x[i] \leq \text{bins}[1]$
There is one value of $i$ such that	$\text{bins}[1] < x[i] \leq \text{bins}[2]$
There are zero values of $i$ such that	$\text{bins}[2] < x[i] \leq \text{bins}[3]$
There are three values of $i$ such that	$\text{bins}[3] < x[i] \leq \text{bins}[4]$
There is one value of $i$ such that	$\text{bins}[4] < x[i]$