

Embedded System Design and Modeling

IX. Scheduling basics

- ▶ Scheduling = the process of arranging the execution of a set of **tasks** which need to be run on the same processing device
 - ▶ i.e. decide which task is run when, for how long, etc.
- ▶ Encountered in multi-tasking systems
- ▶ *Note:* Slides are heavily based on Prabal Dutta & Edward A. Lee, Berkeley 2017

Task

- ▶ A **task** is a set of operations which have:
 - ▶ release (arrival) time: earliest time when it can be run
 - ▶ **start time**: actual starting time
 - ▶ **finish time**: actual ending time
 - ▶ execution time: actual running time, excluding any interruptions
 - ▶ **deadline**: latest time by which a task must be completed
- ▶ Tasks may be interrupted by higher priority tasks, when priorities are defined
- ▶ Tasks may be periodic (e.g. every 10ms) or aperiodic

Task

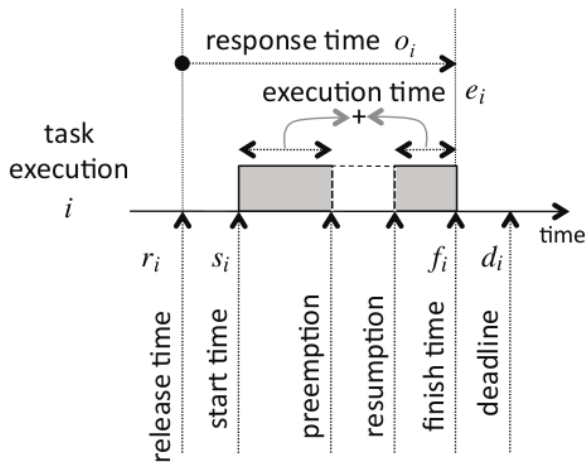


Figure 12.1: Summary of times associated with a task execution.

Scheduling

- ▶ How to decide which task to run when?

Considerations:

- ▶ Preemptive vs. non-preemptive scheduling
- ▶ Periodic vs. aperiodic tasks
- ▶ Fixed priority vs. dynamic priority
- ▶ Priority inversion anomalies
- ▶ Other scheduling anomalies

Preemptive vs. non-preemptive

- ▶ Non-preemptive: once started, no task can be interrupted until it finishes
- ▶ Preemptive: a task can be interrupted
 - ▶ the kernel decides when
- ▶ Preemptive scheduling:
 - ▶ Every task has a **priority**
 - ▶ At any instant, the task with the **highest priority** is executed
 - ▶ Any high priority task takes precedence over a low priority task

Rate Monotonic Scheduling (RMS)

- ▶ Given N **periodic** tasks
- ▶ **Rate Monotonic Scheduling (RMS)**: assign task priority by period: smaller period has higher priority

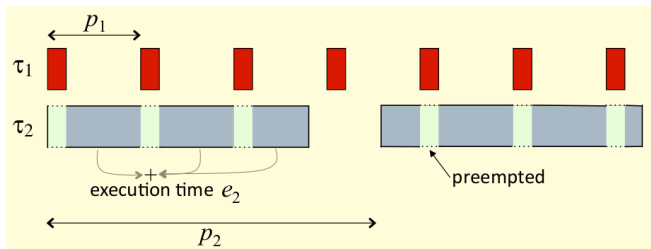


Figure 12.3: Two periodic tasks $T = \{\tau_1, \tau_2\}$ with a preemptive schedule that gives higher priority to τ_1 .

Optimality of RMS

- ▶ A **feasible schedule** = all task finish times are before their deadlines
 - ▶ no deadline is exceeded
- ▶ **Theorem:** If the set of N tasks can be arranged to form a feasible schedule, then the RMS scheduling is feasible.

Earliest Deadline First (EDF)

- ▶ Given N non-periodic independent tasks with arbitrary arrival times and deadlines
- ▶ **Earliest Deadline First (EDF) scheduling: execute the task with the earliest deadline among all available tasks
- ▶ Note: If a new task that just arrived can interrupt the current task, in case it has an earlier deadline

Earliest Deadline First (EDF)

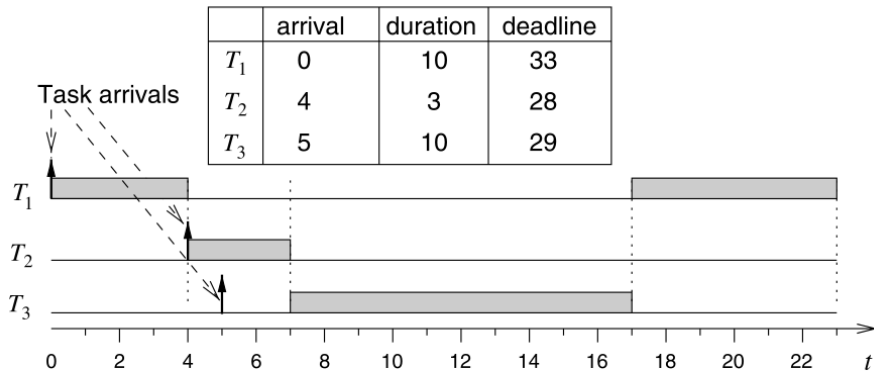


Figure 6.6. EDF schedule

Optimality of EDF

- ▶ **Theorem:** EDF scheduling minimizes the maximum lateness of the tasks
- ▶ The **maximum lateness** of a set of N tasks is:

$$L_{max} = \max (f_i - d_i)$$

i.e. the maximum exceeding of a deadline

(the maximum lateness can be negative, i.e. when no task deadline is exceeded, and in this case it acts as a safety time margin)

- ▶ EDF makes the maximum exceeding of deadline as small as possible, or, if no deadline is exceeded, EDF maximizes the safety margin between the finish time and the deadline