ELE 503 Homework 8

Table of Contents

Problem	1	1
Problem	2	1
Problem	3a (Choosing Ts)	1
Problem	3b.1 (Design of Bessel Pole DSFR)	2
Problem	3b.2 (Design of SDPP/ADP DSFR)	3
Problem	3b.3 (Analysis)	4
	3c (Design of OBR)	

Noah Johnson

Problem 1

See attached paper.

Problem 2

See attached paper.

Problem 3a (Choosing Ts)

```
load sroots;
A = [0 1 0; -4 -.4 40; 0 0 -4];
B = [0;0;2];
x0=[0.34;0;0]; %Given Initial State
Ts = 4.5; %Given Settling Time

plantPoles = eig(A)

plantPoles =
    -0.2000 + 1.9900i
    -0.2000 - 1.9900i
    -4.0000 + 0.0000i

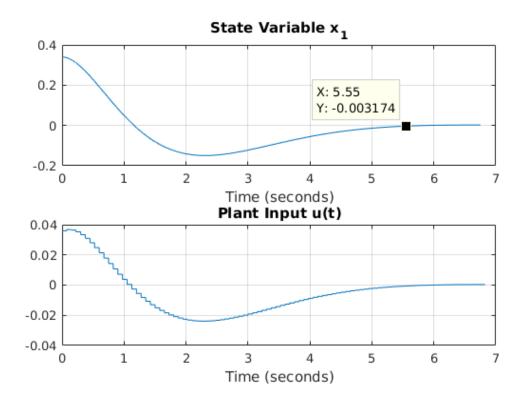
    Note that the system has complex valued poles.

beta_max = imag(plantPoles(1));
n = 3;
T = min(pi/beta_max, Ts/(20*n))
```

```
T = 0.0750
```

Problem 3b.1 (Design of Bessel Pole DSFR)

```
[phi, gamma] = c2d(A,B,T);
sPoles = s3/Ts;
zPoles = exp(T*sPoles);
K = place(phi, gamma, zPoles);
results = sim('reg_dsf','StopTime', '6.75');
tout = results.tout;
u = results.u;
x = results.x;
%run reg_dsfp script, open result
open('BesselPoles.fig')
%Normalized Bessel Poles only
fprintf('----\n\n');
dsm(phi,gamma,K)
[del1_1,del2_1] = rb_regsf(phi,gamma,K,T)
----- Bessel Poles -----
Upper gain margin for input #1 is 1 dB
Lower gain margin for input #1 is -30.1 dB
Phase margin for input #1 is 11 degrees
del1_1 =
   0.1225
de12_1 =
   0.1092
```

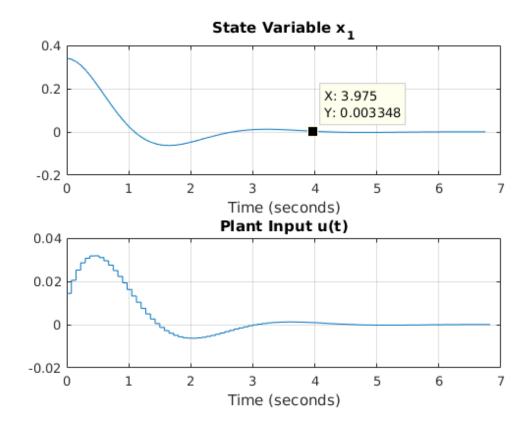


Problem 3b.2 (Design of SDPP/ADP DSFR)

```
adp = s1/Ts + j*imag(plantPoles(1));
sPoles = [adp conj(adp) plantPoles(3)];
zPoles = exp(T*sPoles);
K = place(phi, gamma, zPoles);
results = sim('reg_dsf','StopTime', '6.75');
tout = results.tout;
u = results.u;
x = results.x;
%run reg asfp script, open result
open('SelectedPoles.fig')
% SDPP,ADP
               -----\n\n');
fprintf('----
dsm(phi,gamma,K)
[del1_2, del2_2] = rb_regsf(phi,gamma,K,T)
----- SDPP/ADP Poles ------
Upper gain margin for input #1 is 24.62 dB
Lower gain margin for input #1 is -30.1 dB
Phase margin for input #1 is 90 degrees
```

```
del1_2 =
     1.2102

del2_2 =
     0.9412
```



Problem 3b.3 (Analysis)

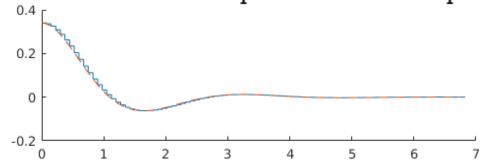
The Bessel pole regulator system gives unacceptable classical and robustness bounds, I would say it is safe to say that it should never be considered. By contrast, the second regulator gives fairly robust stability bounds.

Problem 3c (Design of OBR)

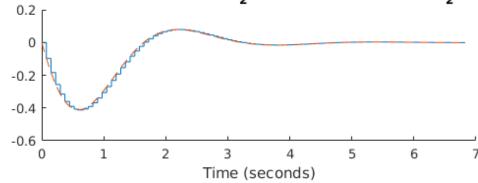
```
C = [1 0 0];
soPoles = [adp conj(adp) plantPoles(3)];
zoPoles = exp(T*soPoles);
L = (place(phi',C',zoPoles))';
```

```
results = sim('reg_dob','StopTime', '6.75');
tout = results.tout;
u = results.u;
x = results.x;
xhat = results.xhat;
y = results.y;
% % Load saved figures
% c=hgload('x1vsxhat1.fig');
% k=hgload('x2vsxhat2.fig');
% % Prepare subplots
% figure
% h(1)=subplot(2,1,1);
% title('Estimated State Variable xhat_1(solid), State Variable
x_1(dashed)')
% h(2)=subplot(2,1,2);
% title('Estimated State Variable xhat 2(solid), State Variable
x 2(dashed)')
% xlabel('Time (seconds)')
% % Paste figures on the subplots
% copyobj(allchild(get(c,'CurrentAxes')),h(1));
% copyobj(allchild(get(k,'CurrentAxes')),h(2));
open('xvsxhat.fig')
fprintf('----\n\n');
dsm(phi, gamma, K)
[del1_2, del2_2] = rb_regob(phi,gamma,C,K,L,T)
----- OBR Stability -----
Upper gain margin for input #1 is 24.62 dB
Lower gain margin for input #1 is -30.1 dB
Phase margin for input #1 is 90 degrees
del1 2 =
   1.5051
de12 \ 2 =
   0.6785
```

Estimated State Variable $xhat_1(solid)$, State Variable $x_1(dashed)$



Estimated State Variable $xhat_2(solid)$, State Variable $x_2(dashed)$



Published with MATLAB® R2017a