## INGI1131 Practical Exercises Lab 5: Threads and Declarative Concurrency

During this lab session we will continue synchronizing concurrent threads. We will see producer and consumer, logic gates, bounded buffer, and detection of thread termination.

- 1. **Producer-Consumer** We start with simple exercises for warming up on stream communication.
  - a Create a function {Numbers N I J} that returns a list of N random integers from I to J. Use the function {OS.rand} that returns a random integer. As an extra constraint, force function Numbers to wait half a second before generating every number.
  - b Create a function called SumAndCount that takes a list of integers as input, and produces two results: the sum of all the elements of the list, and the amount of elements that were in the list. As an extra constraint, SumAndCount should take 250 milliseconds to process every element.
  - c Make the output of Numbers be the input of SumAndCount, where each function run on its own thread. How much time does the whole program takes in order to execute everything? (answer in terms of the N).
  - d Write a function {FilterList Xs Ys} that takes Xs as input, and return another list where none of the elements belongs to Ys. These kind of functions can be used to filter emails using a black list of known spammers.
  - e Concatenate Numbers, FilterList and SumAndCount to filter some numbers from the random generation, and show intermediate outputs on the Browser to see the evolution of the lists.

## 2. Digital Logic Simulation

- a A logic gate is a concurrent function that takes one or more streams as input with binary values, apply a logic function to the input, and returns the resulting stream as output. The simplest logic gate is the NotGate, which takes one stream as input, and negates every element of it. Implement NotGate starting by defining the function Not that receives a binary integer and returns its negation.
- b Implement logic gates AndGate and OrGate. Both of them take two streams as input, and return the result of applying logic operations and and or to each pair of inputs. And example of calling the AndGate can be seen in Figure 1.
- c We can represent one-output logic gates with binary trees of the form gate(value:<logic operator> <input 1> ... <input n>)

  Note that the amount of inputs vary according to the logic operator. Inputs can

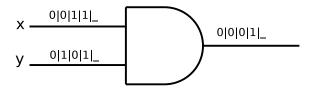


Figure 1: The 'and' logic gate.

be represented as other logic gates, or as input(v) where v is to be found on the stream inputs. A way of writing the NotGate using these trees is simply

```
gate(value:'not' input(x))
The gate that represents Figure 1 is the following:
    gate(value:'and' input(x) input(y))
The following binary tree represents the logic gate of Figure 2:
    gate(value:'or'
        gate(value:'and'
        input(x)
```

input(y))
gate(value:'not'
input(z)))

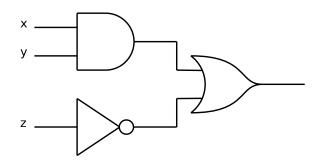


Figure 2: Composition of logic gates.

Implement a function {Simulate G Ss} that returns the output of the circuit corresponding to G under the inputs Ss.

Example of execution: Assume that G is bound to the tree above. The call  ${Simulate \ G \ input(x:1|0|1|0|_ \ y:0|1|0|1|_ \ z:1|1|0|0|_)}$ 

should return 0|0|1|1|. Notice that Simulate must be a concurrent process. Further determination of the input should imply further determination of the output. When feeding the following piece of code (again, assume that G is bound to the tree above):

```
declare Ss 
{Browse {Simulate G Ss}} 
Ss=input(x:1|0|1|0|_ y:0|1|0|1|_ z:1|1|0|0|_)
```

0|0|1|1|\_ must appear in the Browser.

d General question. What is the relationship between logic gates and producer and consumers?

## 3. Thread Termination

a As you may already known, the function {Map L F} takes a list L and a function F as arguments. It applies F to every element of L, and it returns a list with those results. Now, let us suppose that you call Map inside a thread, and you want to use Show to display the result on the emulator. A first attempt to write the code would be as follows:

```
declare
L1 L2 F
L1 = [1 2 3]
F = fun {$ X} {Delay 200} X*X end
thread L2 = {Map L1 F} end
{Show L2}
```

The problem is that if Show is called before the thread has finished, the result will not appear on the emulator. This is because L2 will not be bound to the resulting list. Use the function {Wait X}, which waits until variable X is bound to a value, to call {Show L2} only when the thread has finished its execution.

b Exactly the same problem, but now using three threads. You want to call Show only when all threads are finished. Note that we do not need an intermediate variable F to crate a function and pass it as argument. You can create it just when the function Map is called.

```
declare L1 L2 L3 L4 L1 = [1\ 2\ 3] thread L2 = {Map L1 fun {$ X} {Delay }200} X*X end} end thread L3 = {Map L1 fun {$ X} {Delay }200} 2*X end} end thread L4 = {Map L1 fun {$ X} {Delay }200} 3*X end} end {Show L2#L3#L4}
```

c MapRecord is a function that, given a record R1 and function F, returns the records that result of applying F to each field of R1. Consider the following definition of Map on records:

```
proc {MapRecord R1 F R2}
    A={Record.arity R1}
    proc {Loop L}
        case L of nil then skip
        [] H|T then
             thread R2.H={F R1.H} end
             {Loop T}
        end
    end
in
    R2={Record.make {Record.label R1} A}
    {Loop A}
end
```

- Record.arity returns a list where every element is a field name of the record. For instance: {Record.arity rec(foo1:1 foo2:2)} returns [foo1 foo2]
- Record.make creates a record based on two arguments: a label, and a list with the arity of the record. The values of the fields are unbound.

Under this definition, If you feed the following code:

```
{Show {MapRecord
'#'(a:1 b:2 c:3 d:4 e:5 f:6 g:7)
fun {$ X} {Delay 1000} 2*X end}}
```

You will get a tuple of undetermined values on the emulator window.

- i. Redefine MapRecord by adding an extra parameter that is bound to unit once all the threads has finished their execution.
- ii. Use this last version of MapRecord to wait for the execution of all the threads before showing the result.

## d Bounded Buffer

- i. Do the exercise about Foo and Bar in lab session 4 if you have not done it yet. In that exercise you have to write your own bounded buffer, and that will help you to understand better the next exercise.
- ii. Consider now that you have two consumers and one producer. How can you use bounded buffers to avoid having a memory overflow in the case where one consumer go faster than the other one? And by the way, why do we have an overflow situation if one consumer is faster?
  - In the example shown below, we cannot know a priori which consumer will go faster since the delay at each iteration is random. Let  $n_1$  and  $n_2$  be the number of elements consumed by DSum01 and DSum02 at some point in time. How can we ensure that  $|n_1 n_2|$  is always smaller than or equal to the size of the bounded buffer?

```
Hint: You are not limited to use only one bounded buffer.
```

```
declare
proc {Buffer N ?Xs Ys}
  fun {Startup N ?Xs}
     if N==0 then Xs
     else Xr in Xs=_{-}|Xr \{Startup N-1 Xr\} end
  proc {AskLoop Ys ?Xs ?End}
     case Ys of Y|Yr then
        Xr End2
     in
        Xs=Y|Xr % Get element from buffer
        End=_|End2 % Replenish the buffer
        {AskLoop Yr Xr End2}
     end
  end
  End={Startup N Xs}
in
  {AskLoop Ys Xs End}
end
proc {DGenerate N Xs}
  case Xs of X|Xr then X=N {DGenerate N+1 Xr} end
fun {DSum01 ?Xs A Limit}
  {Delay {OS.rand} mod 10}
  if Limit>0 then
     X|Xr=Xs
  in
     \{DSum01 Xr A+X Limit-1\}
  else A end
fun {DSum02 ?Xs A Limit}
  {Delay {OS.rand} mod 10}
  if Limit>0 then
     X|Xr=Xs
     {DSum02 Xr A+X Limit-1}
  else A end
end
local Xs Ys V1 V2 in
  thread {DGenerate 1 Xs} end % Producer thread
  thread {Buffer 4 Xs Ys} end % Buffer thread
  thread V1={DSum01 Ys 0 1500} end % Consumer thread
  thread V2={DSum02 Ys 2 1500} end % Consumer thread
  {Browse [Xs Ys V1 V2]}
end
```