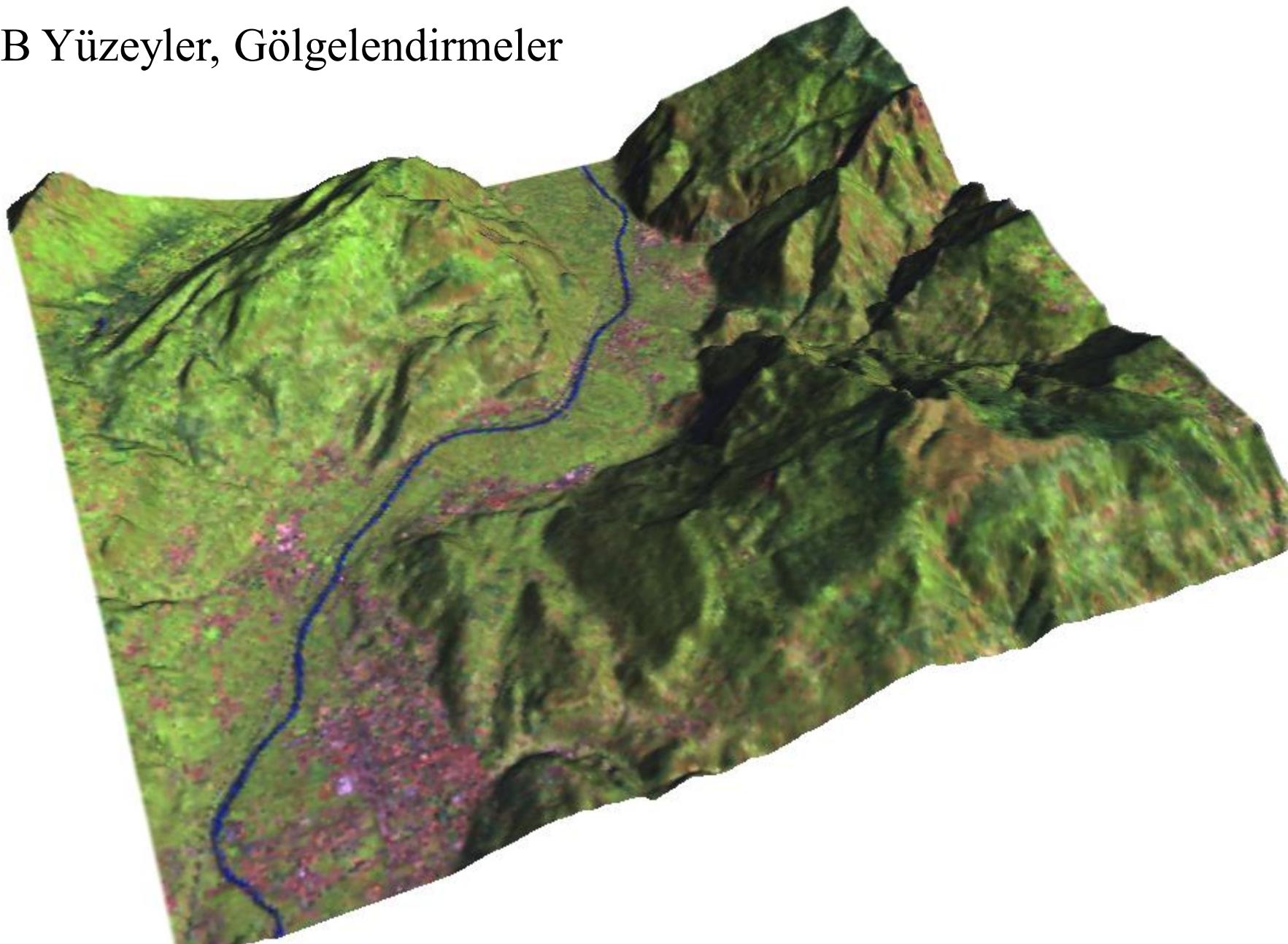
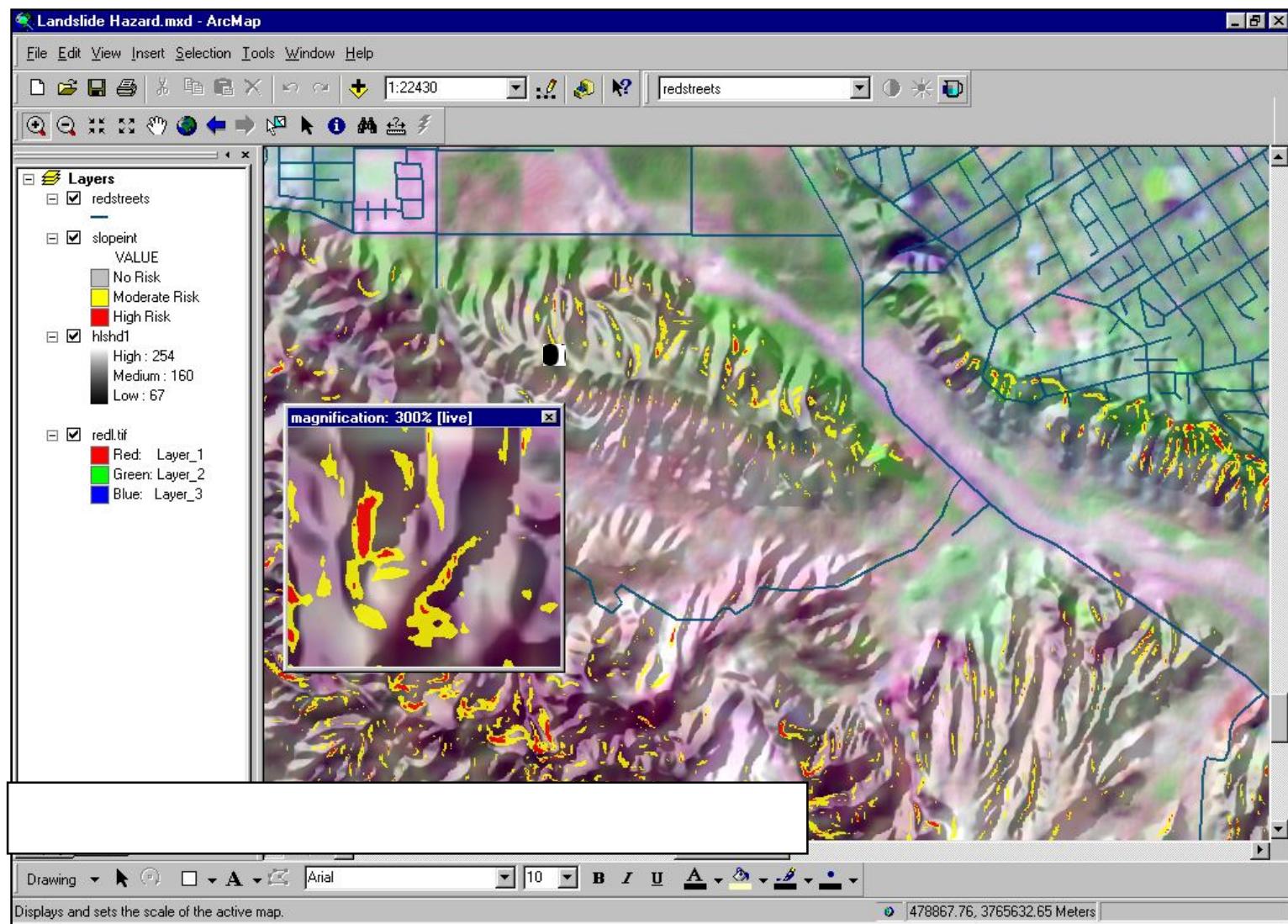


CBS ve Bilgisayar Grafikleri

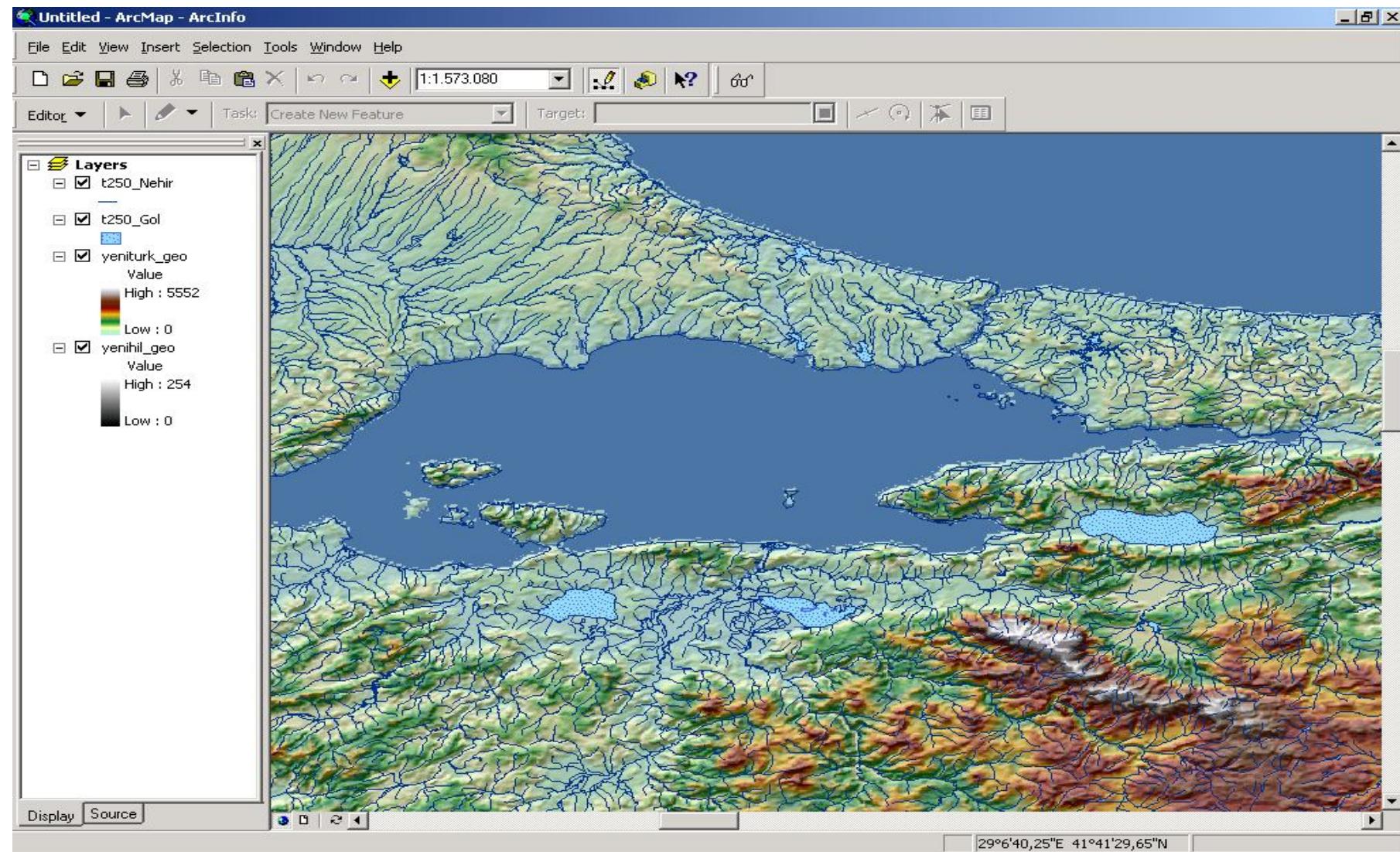
3B Yüzeyler, Gölgelendirmeler



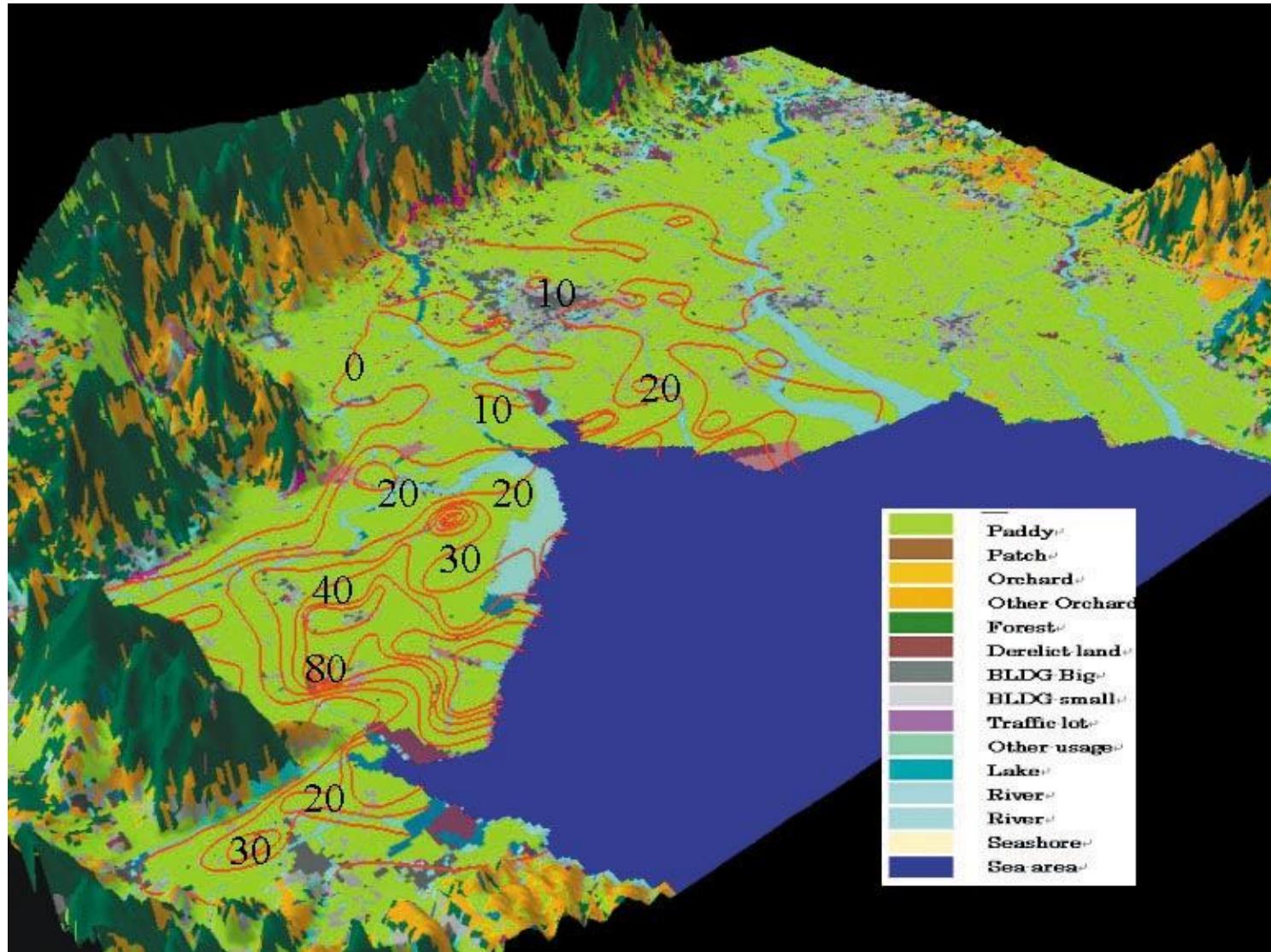
CBS'de 3B Uygulamalar, Gölgelendirmeler



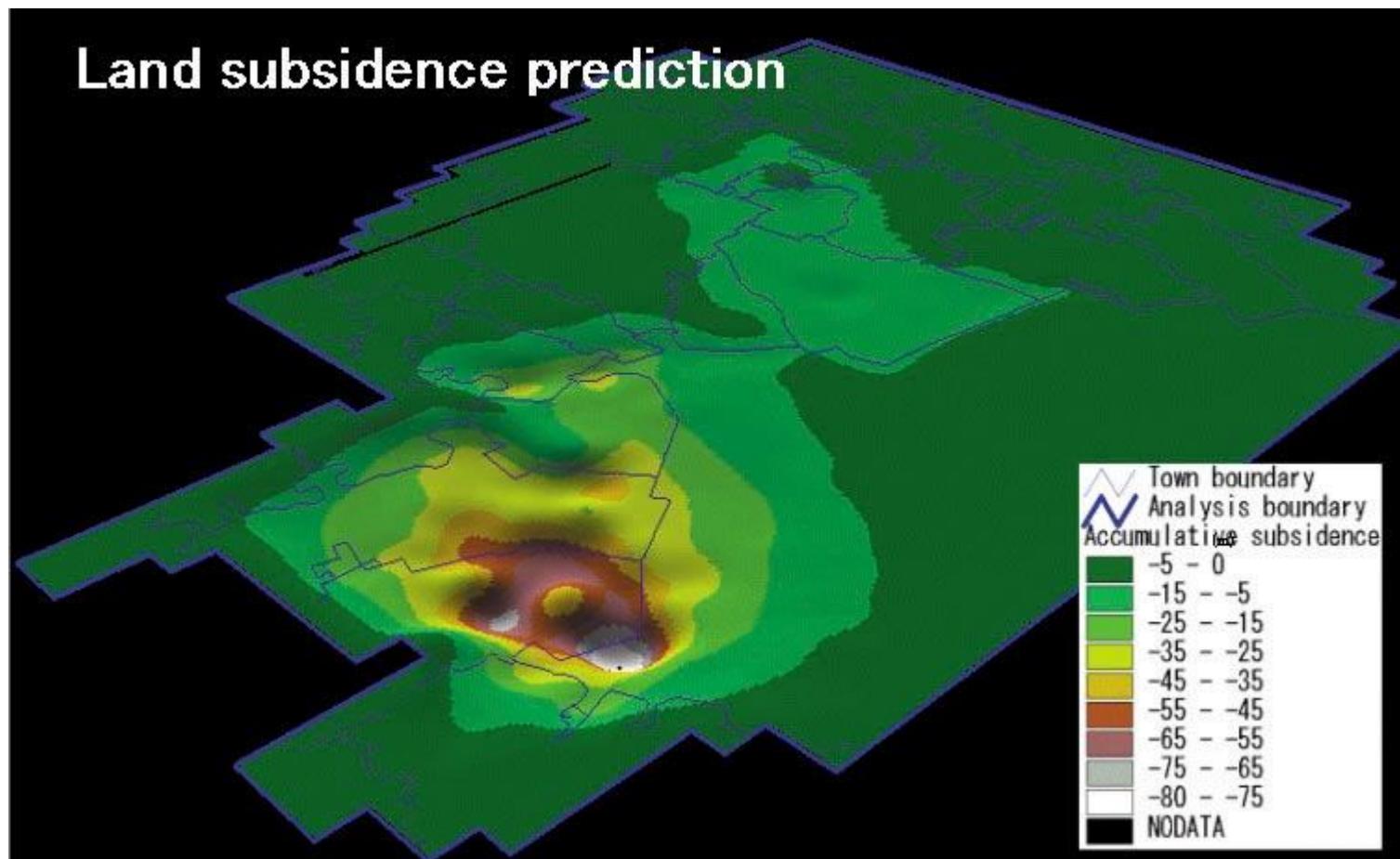
CBS'de 3B Uygulamalar, Gölgelendirmeler



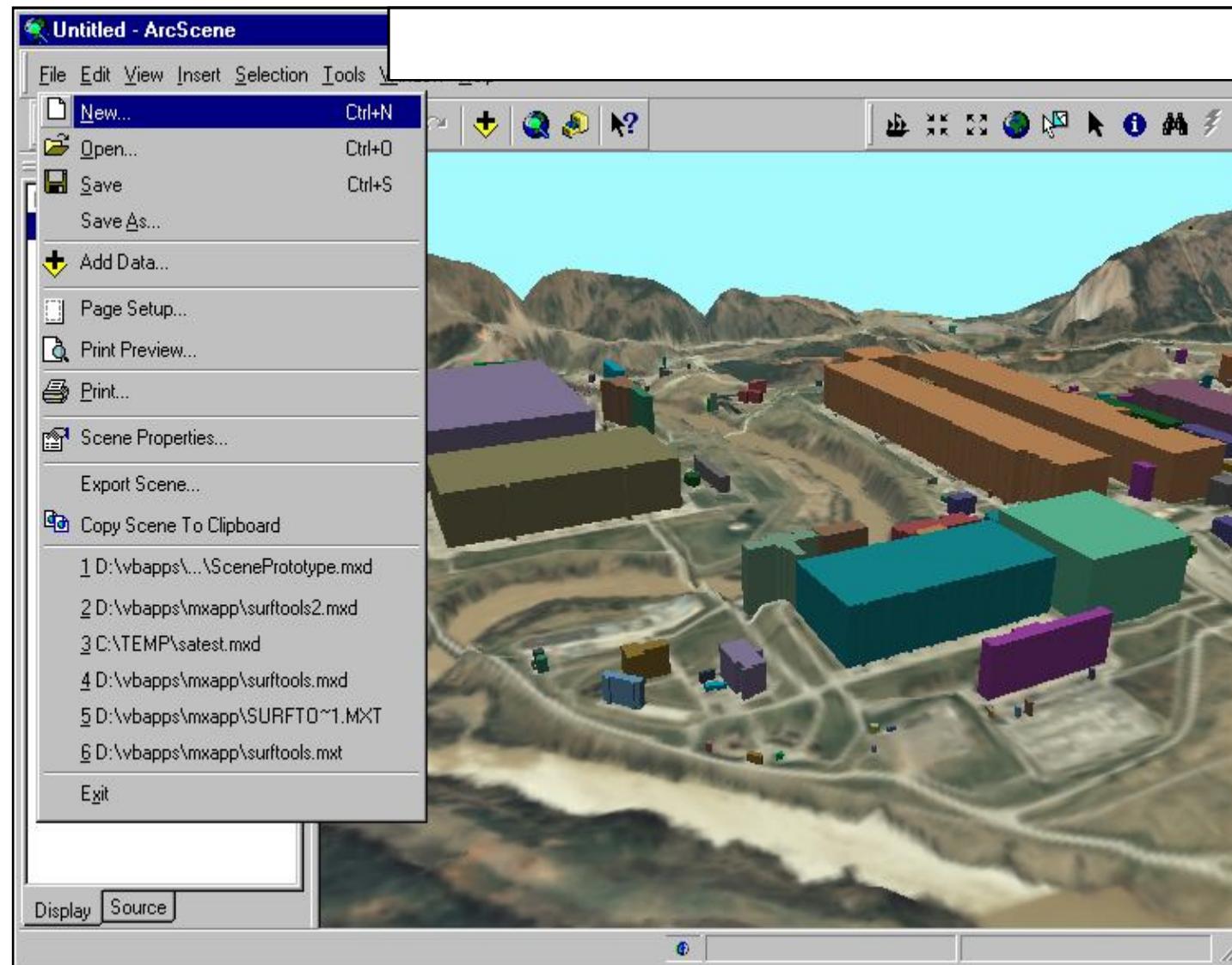
CBS'de 3B Uygulamalar, Gölgelendirmeler



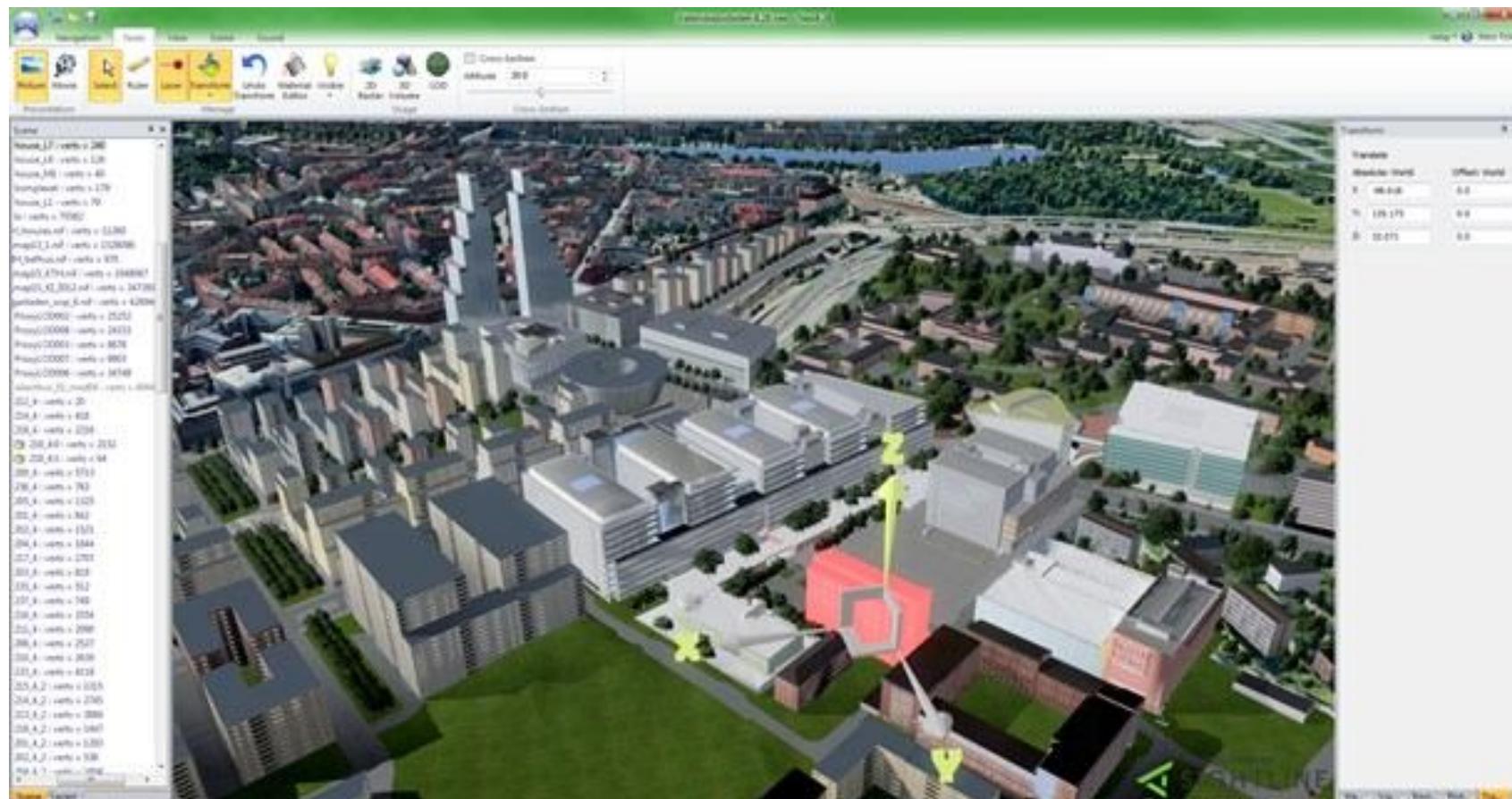
CBS'de 3B Uygulamalar, Gölgelendirmeler



CBS'de 3B Uygulamalar, Yüzeyler (Surface)



CBS'de 3B Uygulamalar



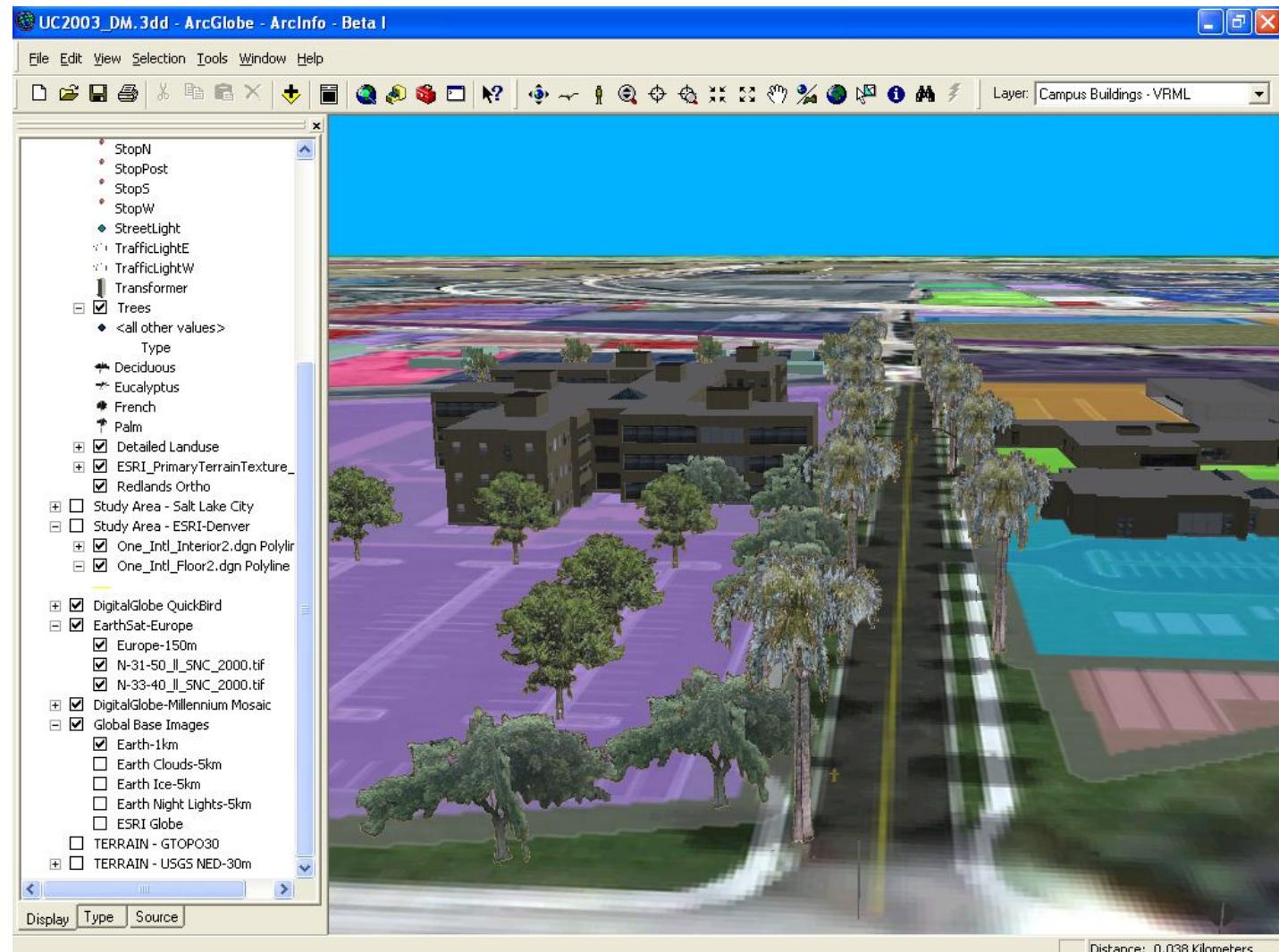
CBS'de 3B Uygulamalar



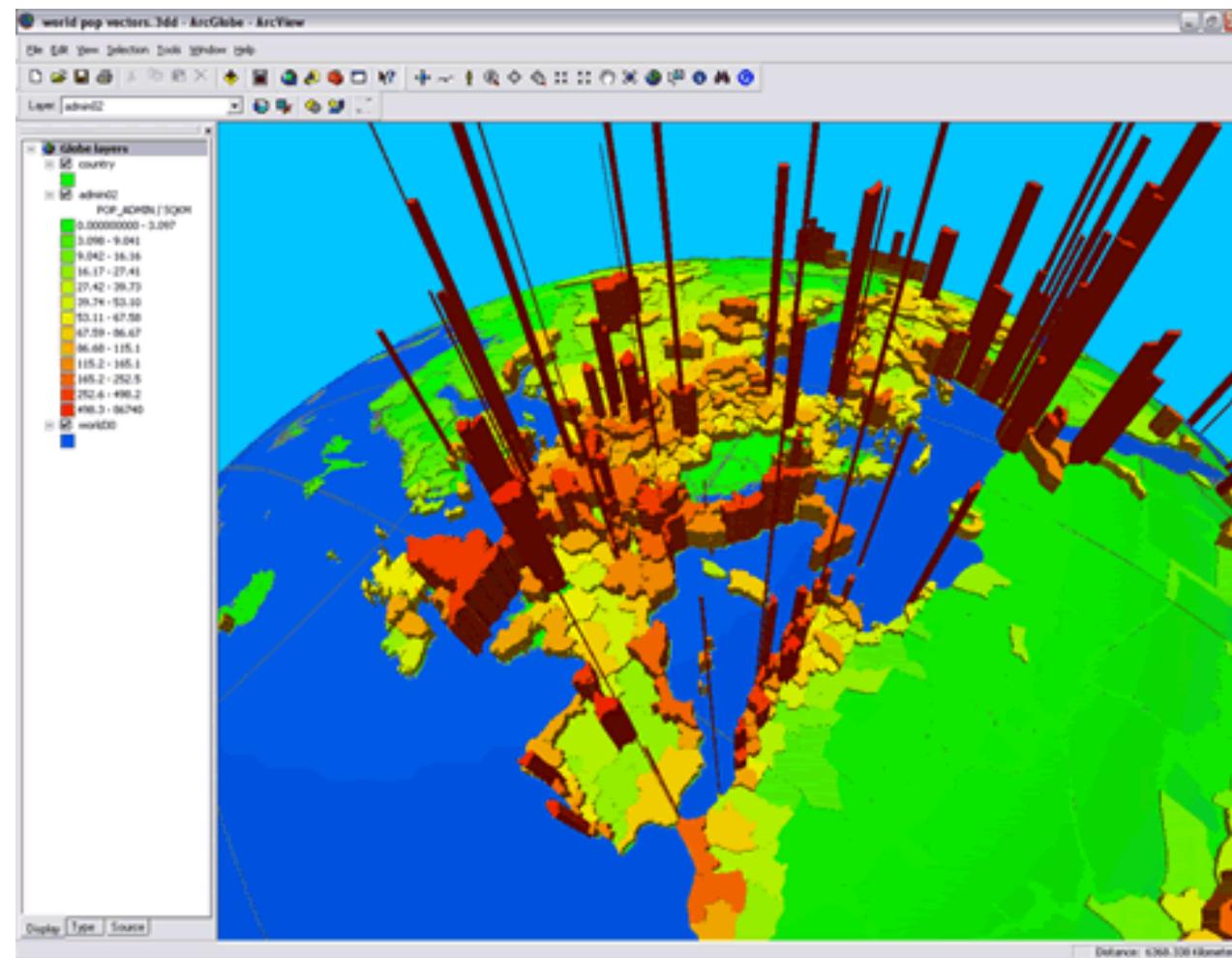
CBS'de 3B Uygulamalar, Yüzeyler (Surface)



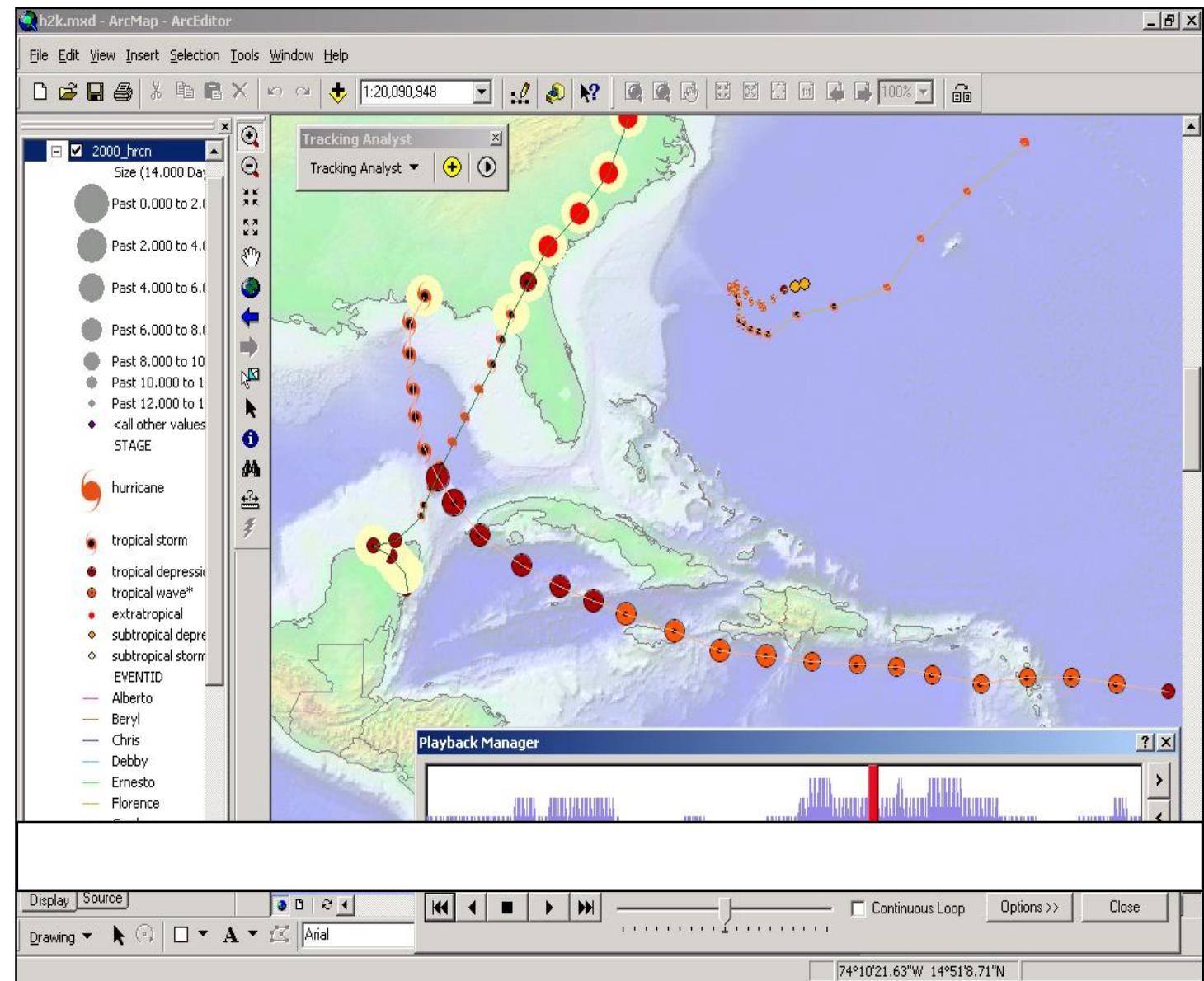
CBS'de 3B Uygulamalar



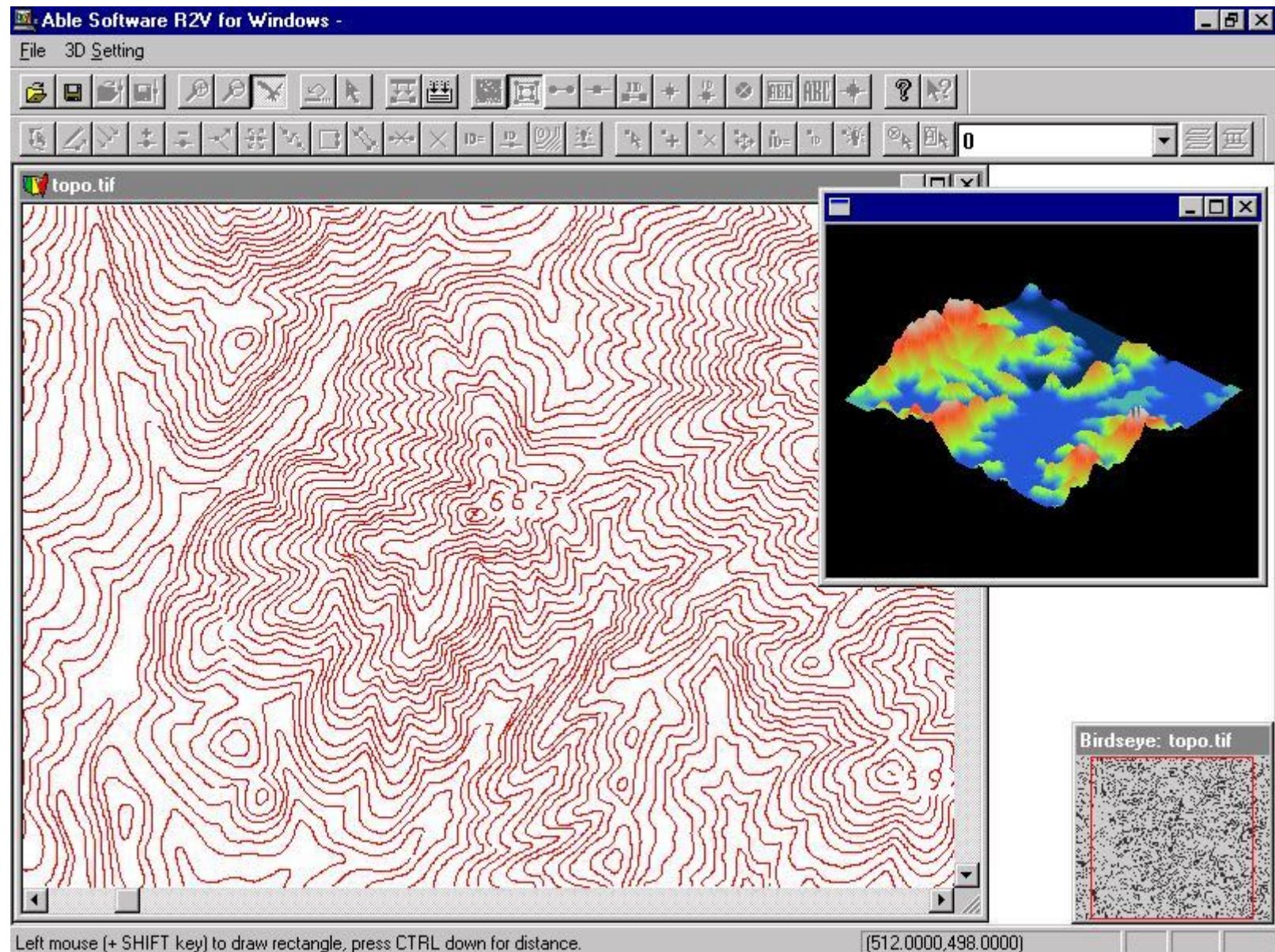
İstatistik Gösterimler, grafikler



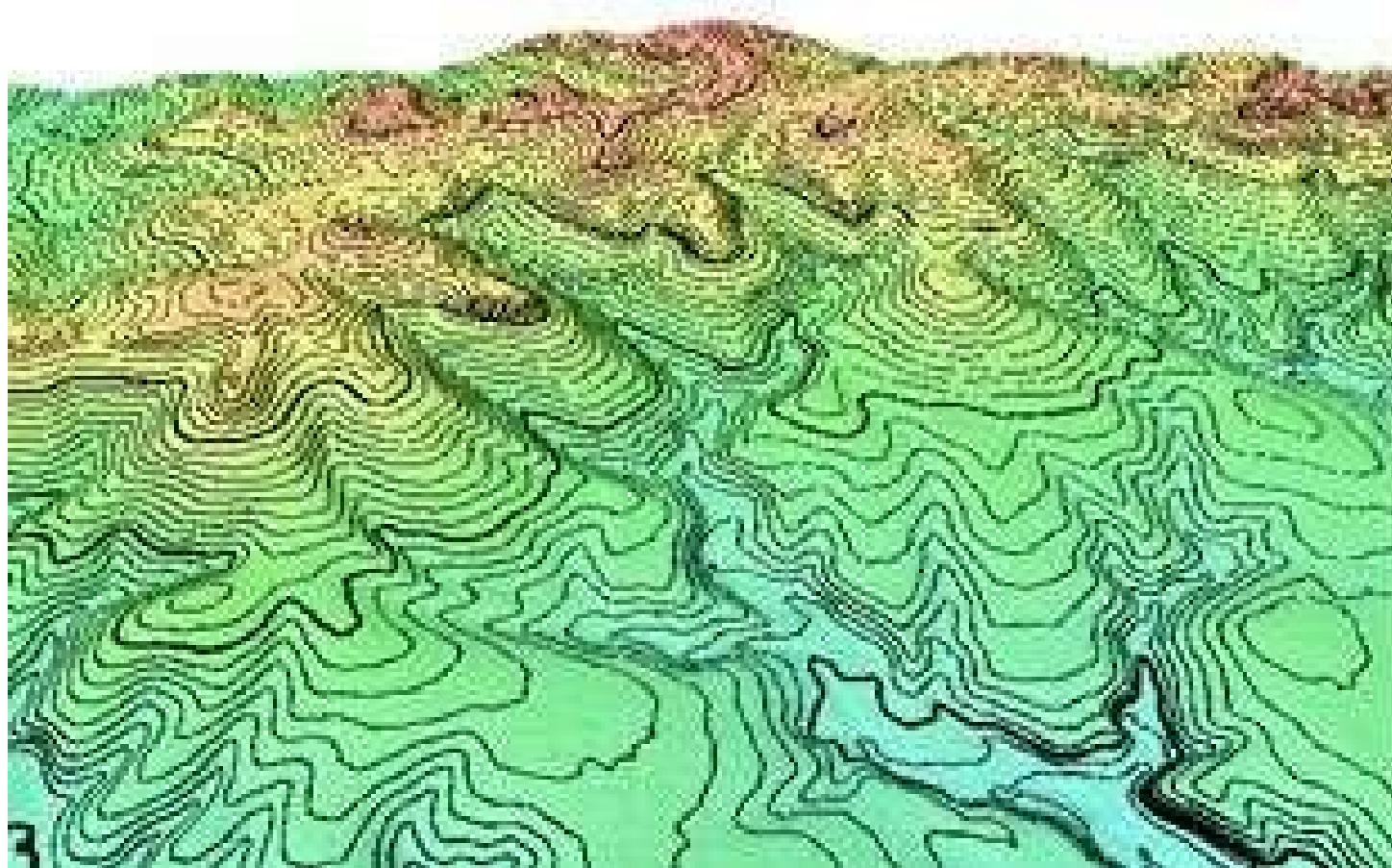
İstatistik Gösterimler, grafikler

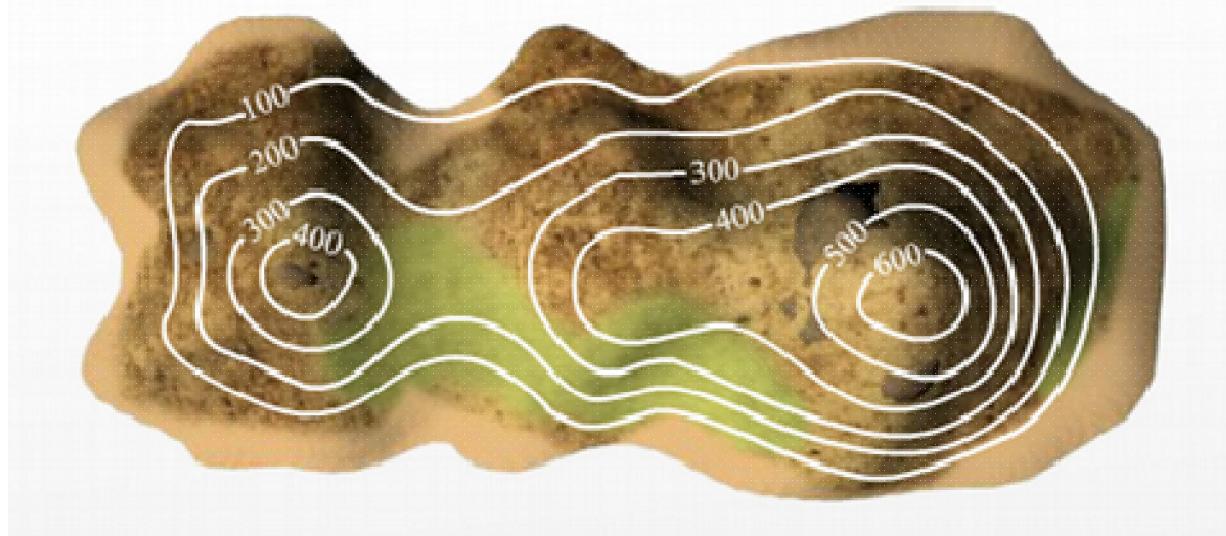
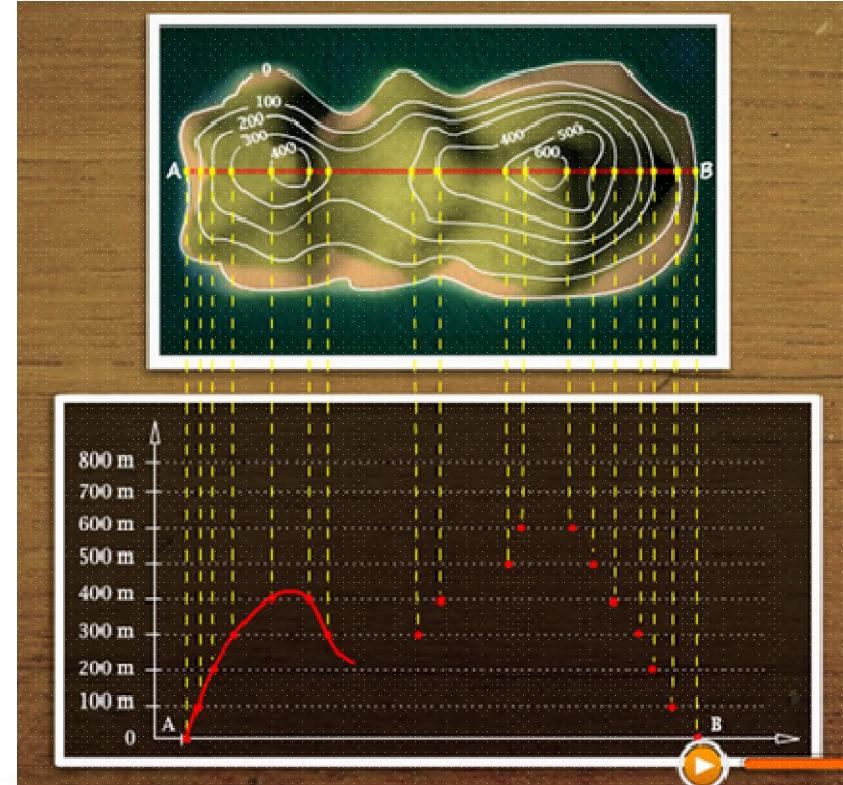
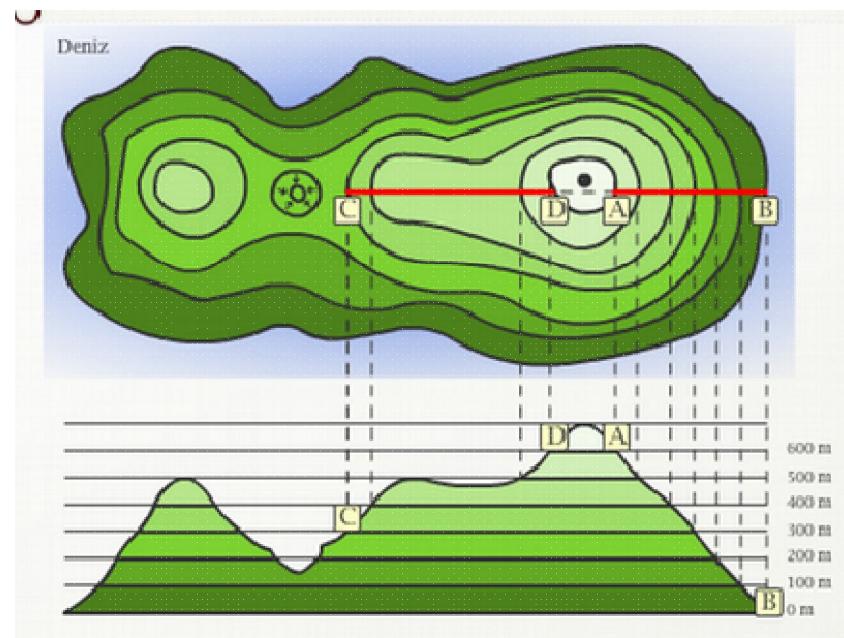


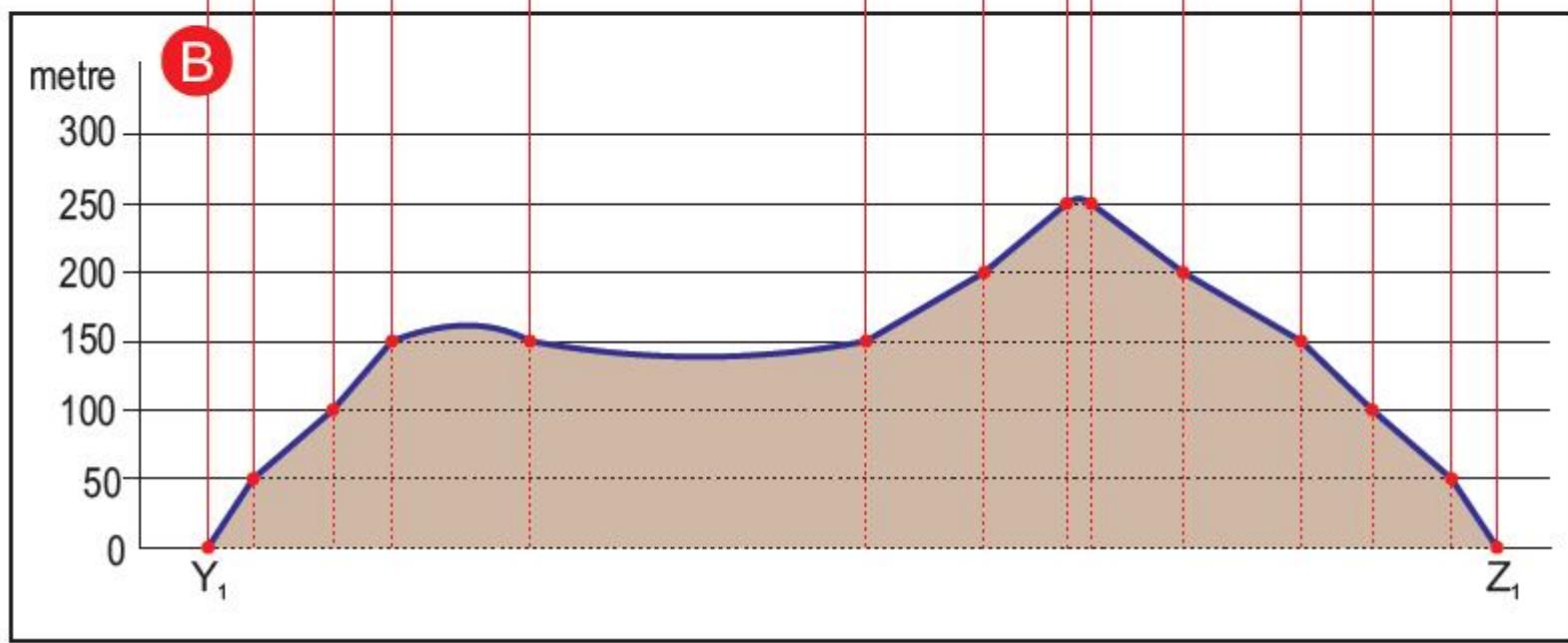
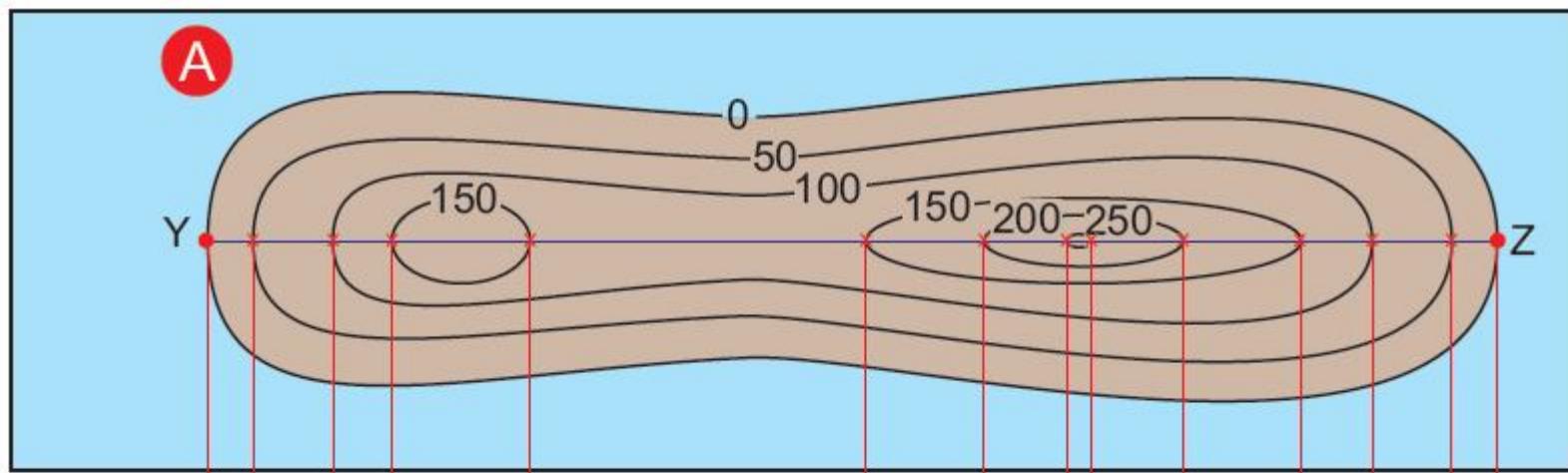
Spline'lar 3B Yüzeyler

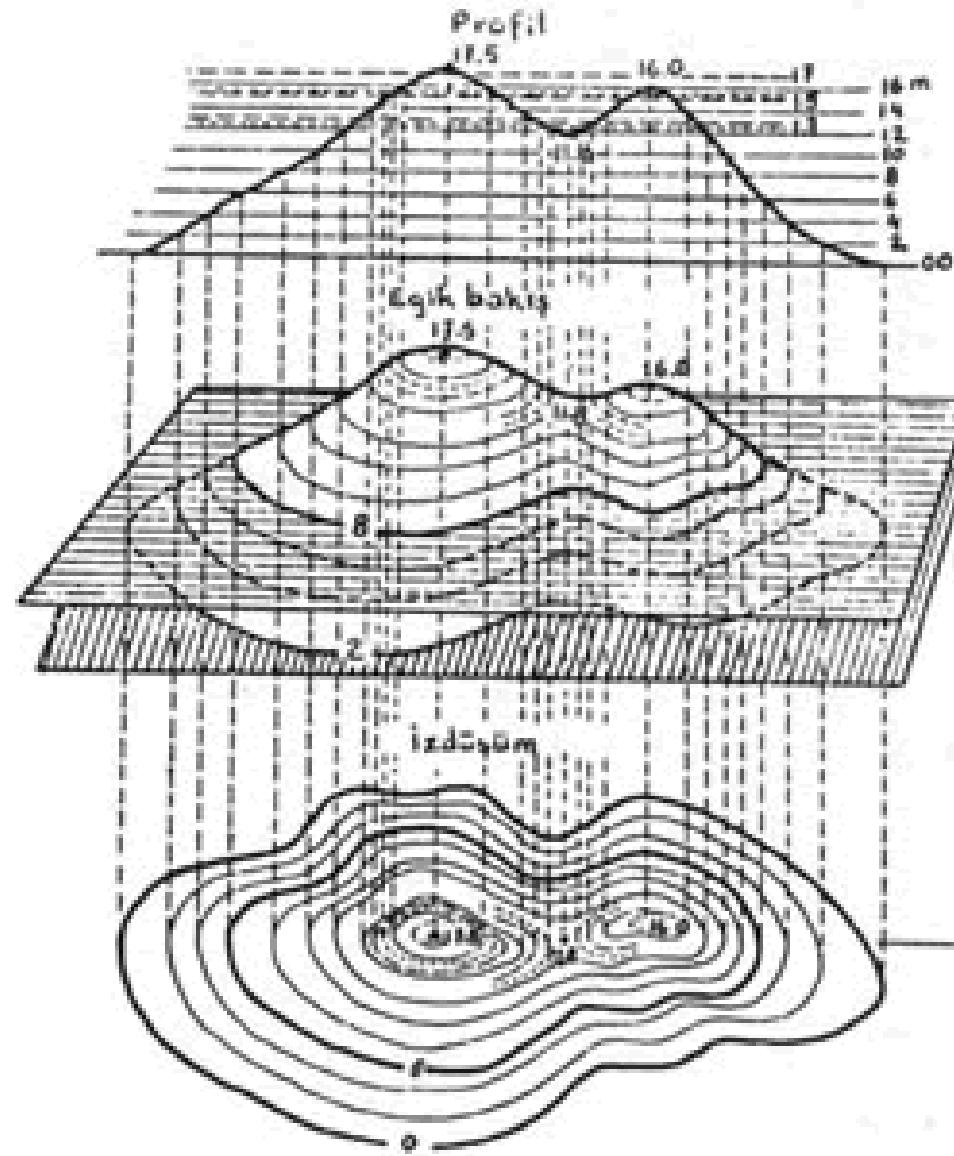


Spline'lar, 3B Yüzeyler



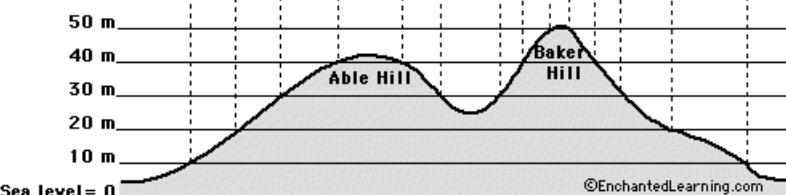
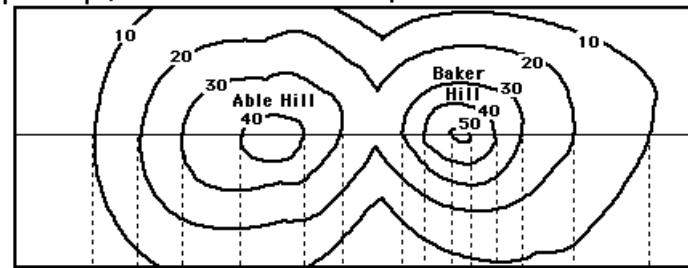








Topographic Map (with contour lines that show points that are on the same level)

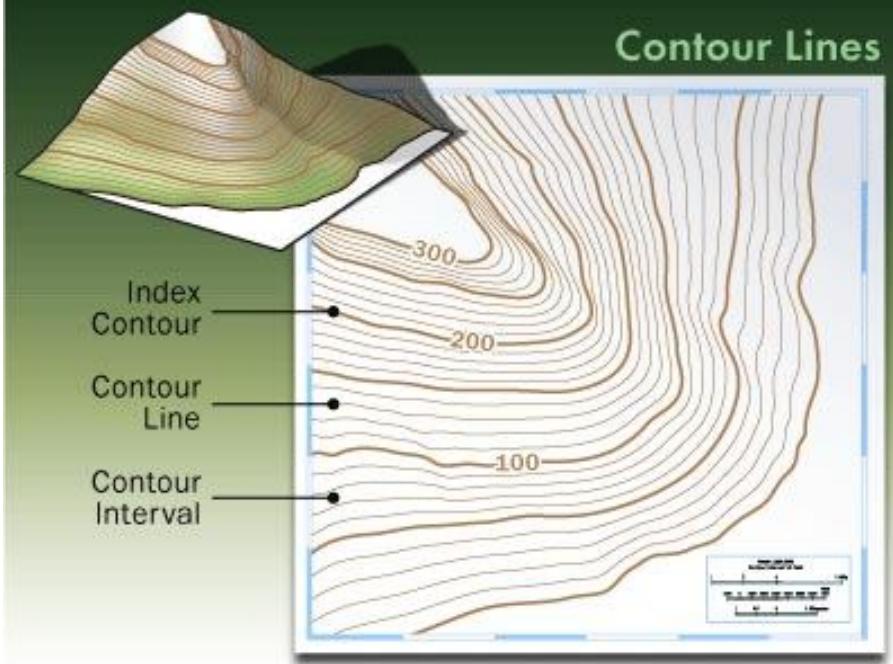


The two hills seen from the side, with elevations marked and dotted lines pointing to the corresponding contour lines.

How Topographic Maps Work

©2009 HowStuffWorks

Contour Lines

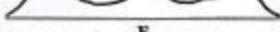
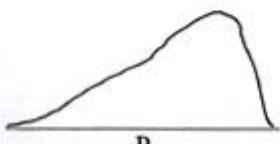
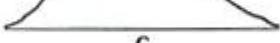
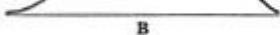
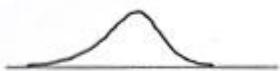


Name _____

GROUP ACTIVITY C

*Matching Elevations
Using Cross Sections
and Contour Lines*

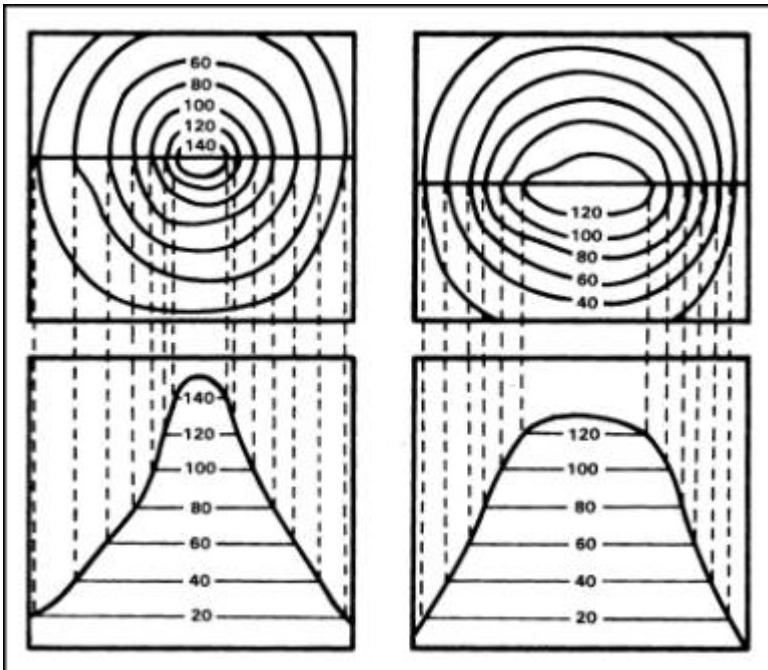
Cross Sections

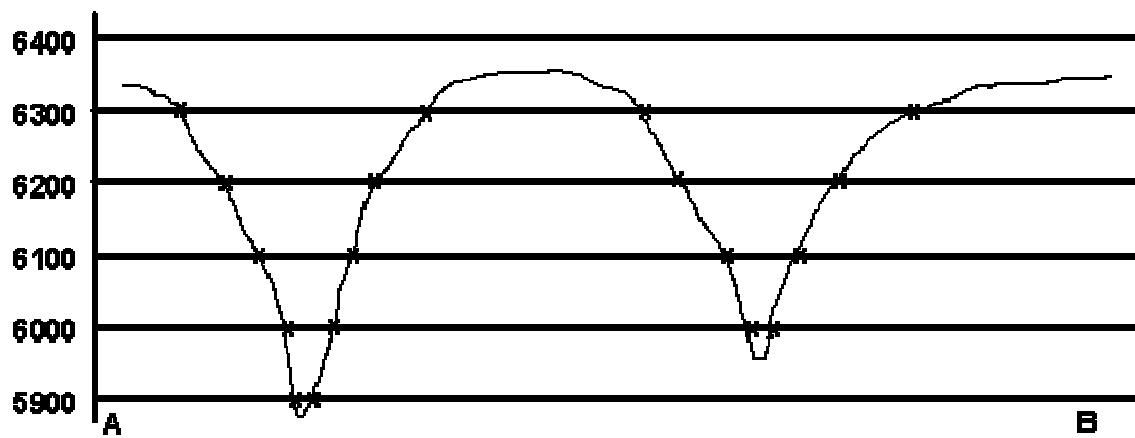
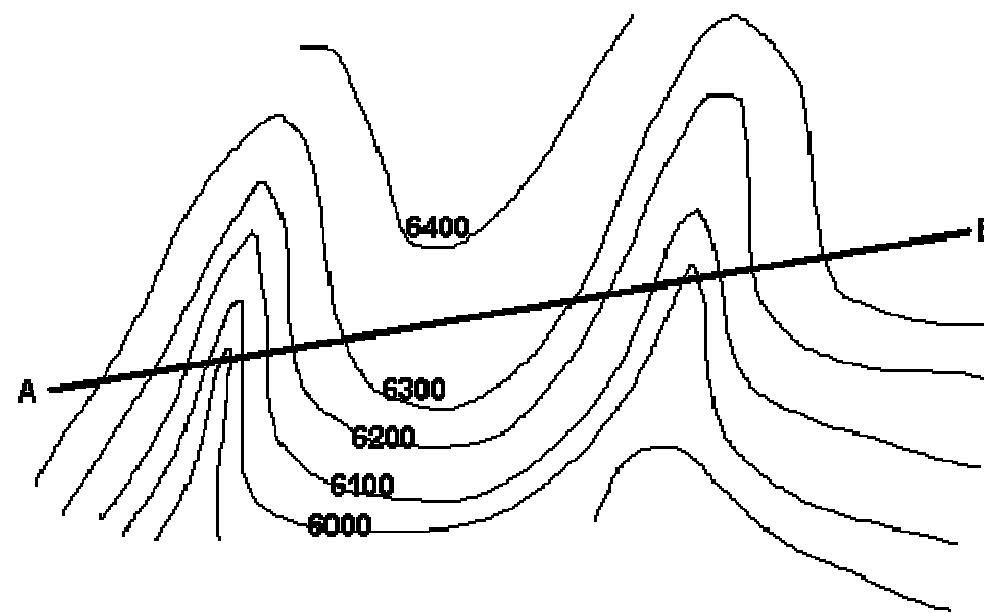


Contour Lines



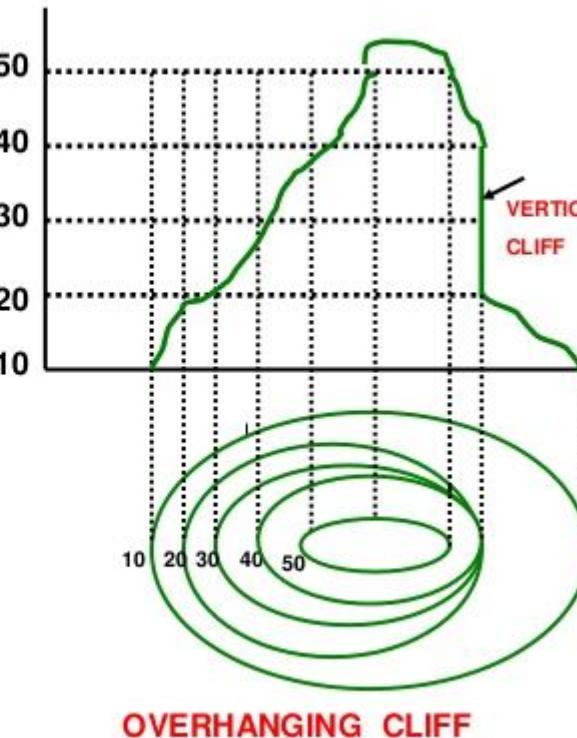
The permission of Pearson Education, Inc. is granted to photocopy this page for classroom use.

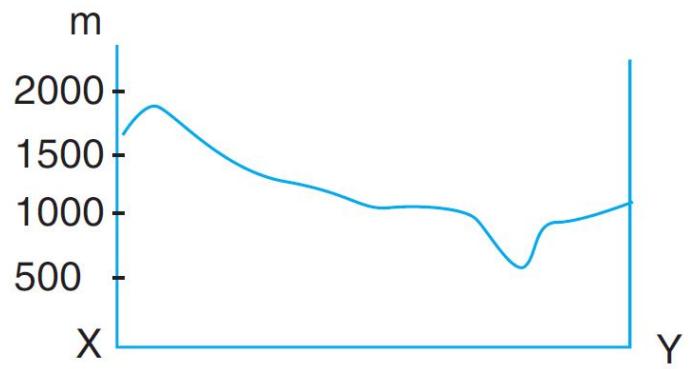




CHARACTERISTICS OF CONTOURS

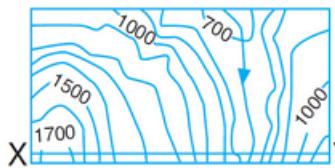
x) Contour lines never run into one another except in the case of a vertical cliff. In this case ,several contours coincide and the horizontal equivalent becomes zero.



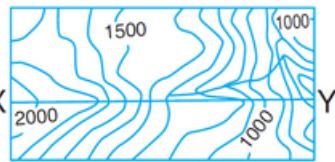


**Yandaki profil,
aşağıdaki haritaların
hangisindeki X–Y
doğrultusuna aittir?**

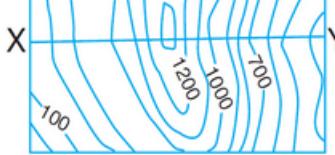
A)



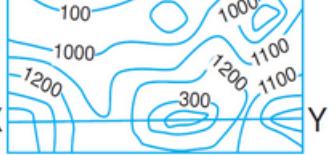
B)



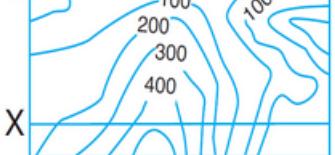
C)



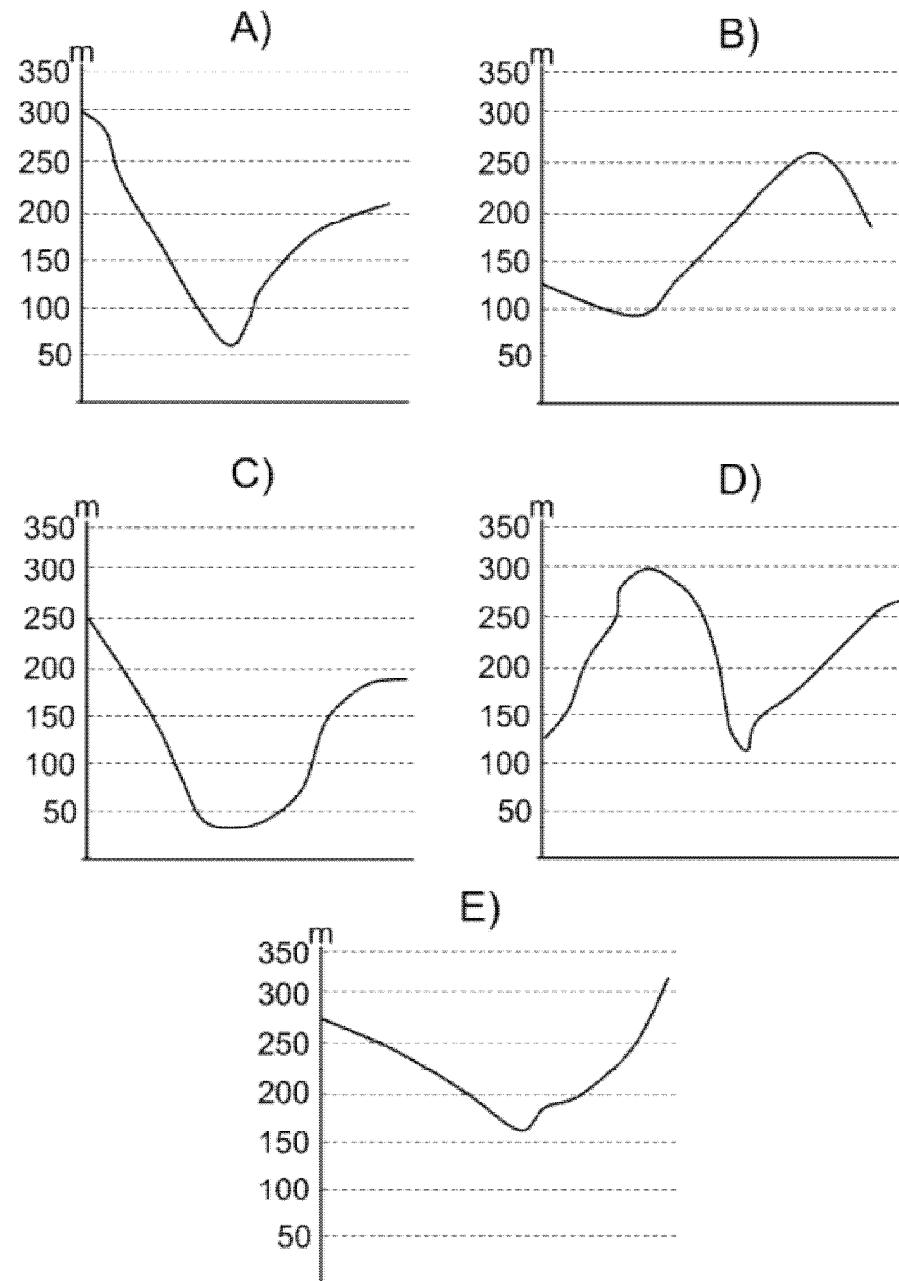
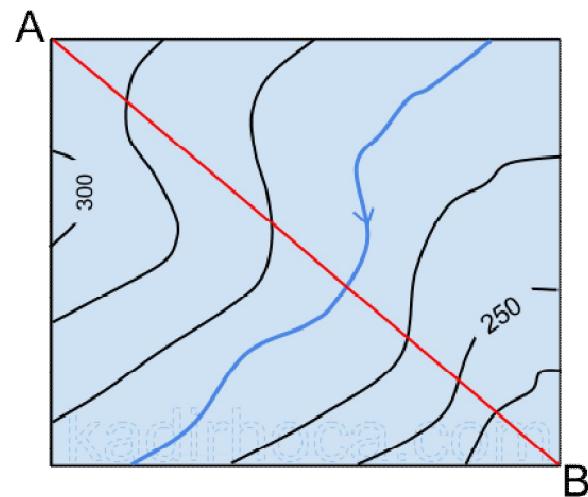
D)



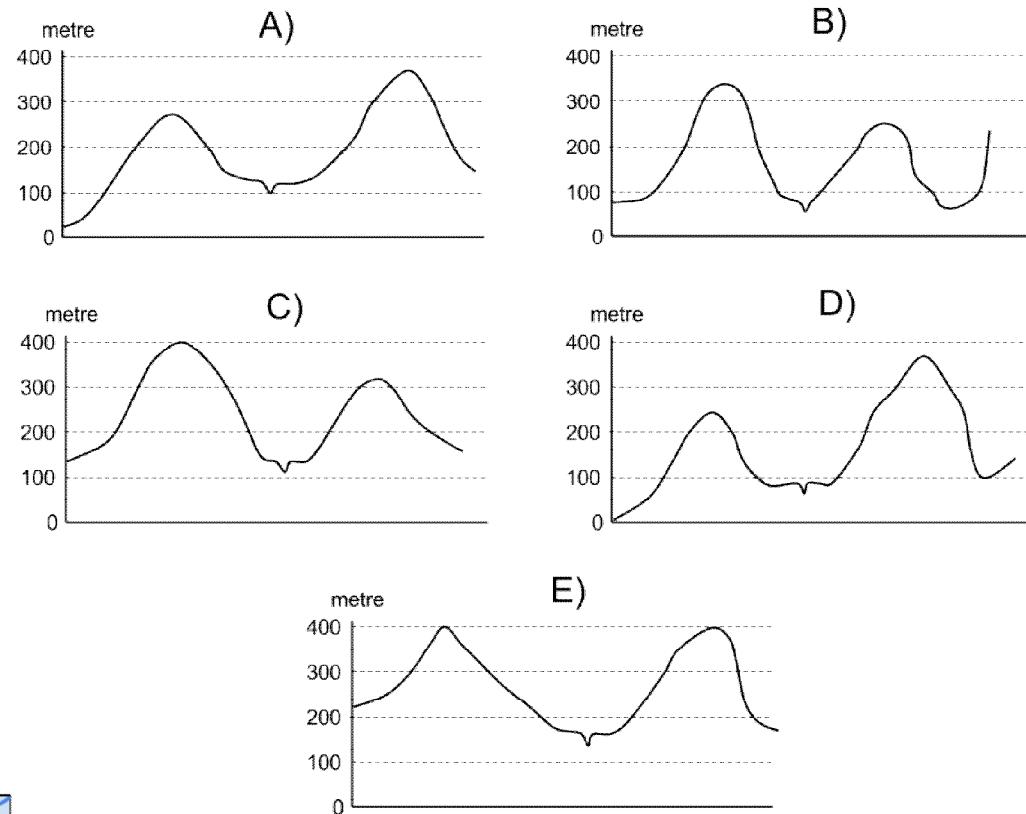
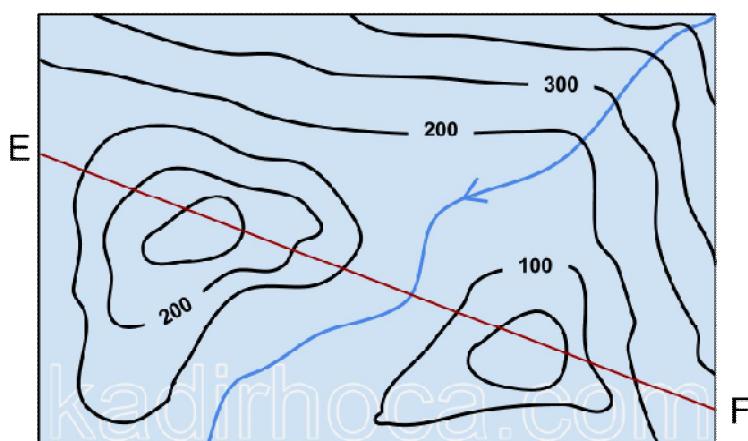
E)

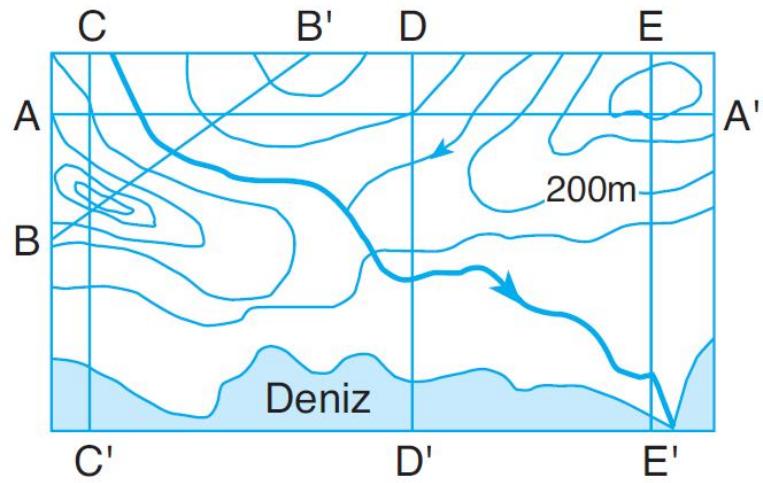


Yandaki izohips
haritasında verilen A –
B doğrultusunun profili
aşağıdakilerden hangisidir?



Yukarıdaki haritada
görülen arazinin E
– F
doğrultusundaki
profil
aşağıdakilerden
hangisidir?

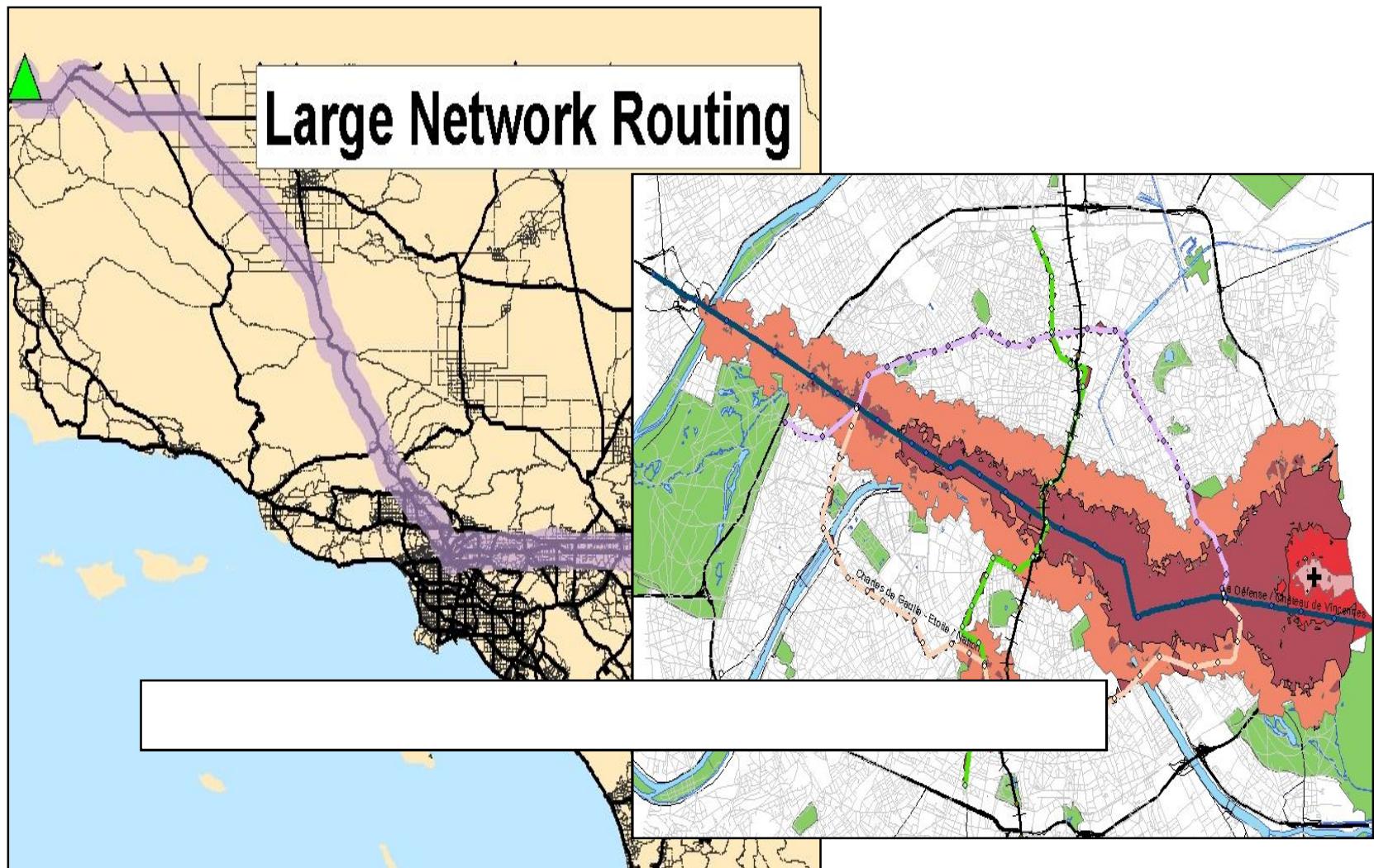




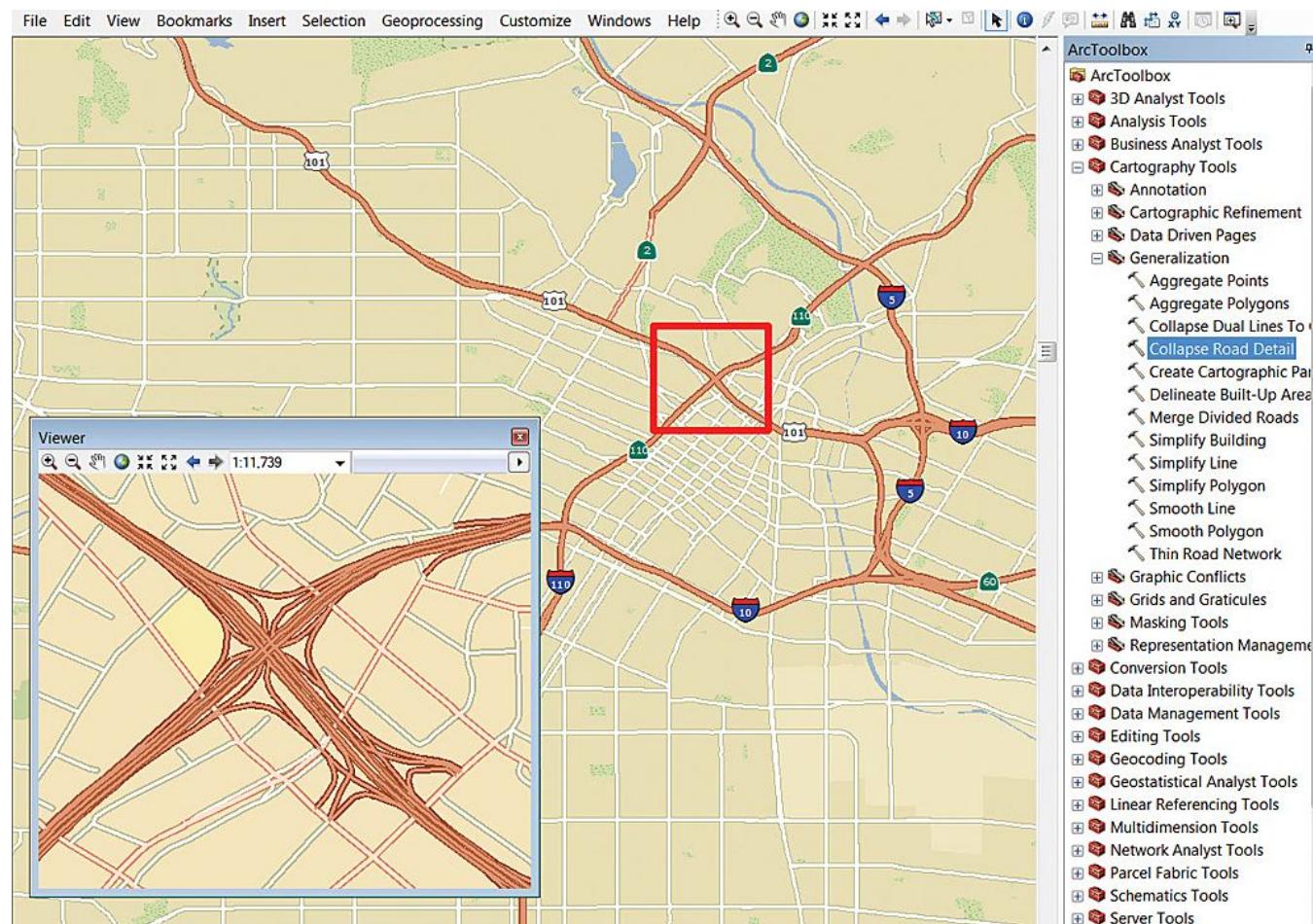
**Yukarıda verilen profil,
haritadaki
doğrultulardan hangisine
aittir?**

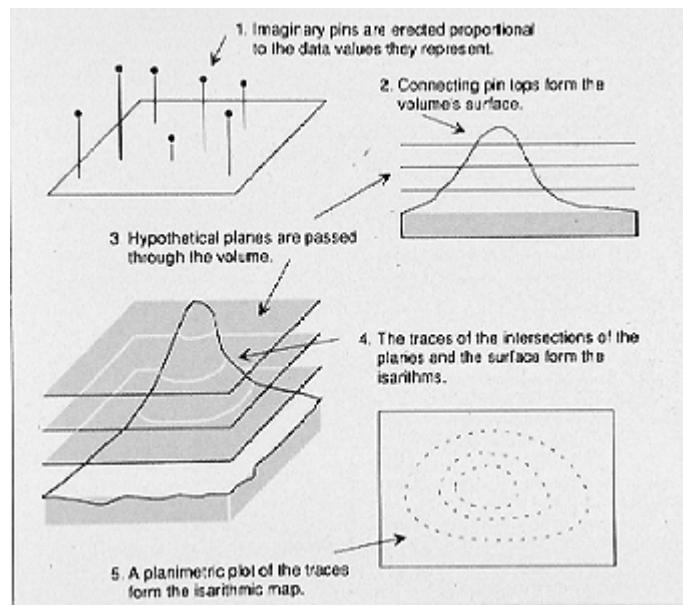
- A) A – A'
- B) B – B'
- C) C – C'
- D) D – D'
- E) E – E'

CBS'de Spline'lar



Genelleştirmede spline lar





2D TRANSLATION (Öteleme)

$$\left. \begin{array}{l} X_p' = X_p + tx \\ Y_p' = Y_p + ty \end{array} \right\} \quad \begin{pmatrix} X_p' \\ Y_p' \end{pmatrix} = \begin{pmatrix} X_p \\ Y_p \end{pmatrix} + \begin{pmatrix} tx \\ ty \end{pmatrix}$$

$$P' = P + T$$

2D SCALING (Ölçekleme)

$$\left. \begin{array}{l} X_p' = X_p * s_x \\ Y_p' = Y_p * s_y \end{array} \right\} \begin{pmatrix} X_p' \\ Y_p' \end{pmatrix} = \begin{pmatrix} X_p \\ Y_p \end{pmatrix} * \begin{pmatrix} s_x & 0 \\ 0 & s_y \end{pmatrix}$$
$$P' = P * S$$

2D ROTATION (Döndürme)

$$\left. \begin{array}{l} X_p' = X_p * \cos\alpha - Y_p * \sin\alpha \\ Y_p' = X_p * \sin\alpha + Y_p * \cos\alpha \end{array} \right\} \begin{pmatrix} X_p' \\ Y_p' \end{pmatrix} = \begin{pmatrix} X_p \\ Y_p \end{pmatrix} * \begin{pmatrix} \cos\alpha & -\sin\alpha \\ \sin\alpha & \cos\alpha \end{pmatrix}$$

$$P' = P * R$$

2D HOMOGENOUS COORDINATES

TRANSFORMATION

$$\begin{pmatrix} X_p' \\ Y_p' \\ 1 \end{pmatrix} = \begin{pmatrix} 1 & 0 & tx \\ 0 & 1 & ty \\ 0 & 0 & 1 \end{pmatrix} * \begin{pmatrix} X_p \\ Y_p \\ 1 \end{pmatrix}$$

ROTATION

$$\begin{pmatrix} X_p' \\ Y_p' \\ 1 \end{pmatrix} = \begin{pmatrix} \cos\alpha & -\sin\alpha & 0 \\ \sin\alpha & \cos\alpha & 0 \\ 0 & 0 & 1 \end{pmatrix} * \begin{pmatrix} X_p \\ Y_p \\ 1 \end{pmatrix}$$

SCALING

$$\begin{pmatrix} X_p' \\ Y_p' \\ 1 \end{pmatrix} = \begin{pmatrix} sx & 0 & 0 \\ 0 & sy & 0 \\ 0 & 0 & 1 \end{pmatrix} * \begin{pmatrix} X_p \\ Y_p \\ 1 \end{pmatrix}$$

3D

TRANSLATION

$$\begin{pmatrix} X_p' \\ Y_p' \\ Z_p' \\ 1 \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 & tx \\ 0 & 1 & 0 & ty \\ 0 & 0 & 1 & tz \\ 0 & 0 & 0 & 1 \end{pmatrix} * \begin{pmatrix} X_p \\ Y_p \\ Z_p \\ 1 \end{pmatrix}$$

SCALING

$$\begin{pmatrix} X_p' \\ Y_p' \\ Z_p' \\ 1 \end{pmatrix} = \begin{pmatrix} sx & 0 & 0 & 0 \\ 0 & sy & 0 & 0 \\ 0 & 0 & sz & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} * \begin{pmatrix} X_p \\ Y_p \\ Z_p \\ 1 \end{pmatrix}$$

3D ROTATION

$$\begin{pmatrix} Xp' \\ Yp' \\ Zp' \\ 1 \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos\alpha & -\sin\alpha & 0 \\ 0 & \sin\alpha & \cos\alpha & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} * \begin{pmatrix} Xp \\ Yp \\ Zp \\ 1 \end{pmatrix}$$

R matrix for rotating about X axe

$$\begin{pmatrix} \cos\alpha & 0 & -\sin\alpha & 0 \\ 0 & 1 & 0 & 0 \\ \sin\alpha & 0 & \cos\alpha & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

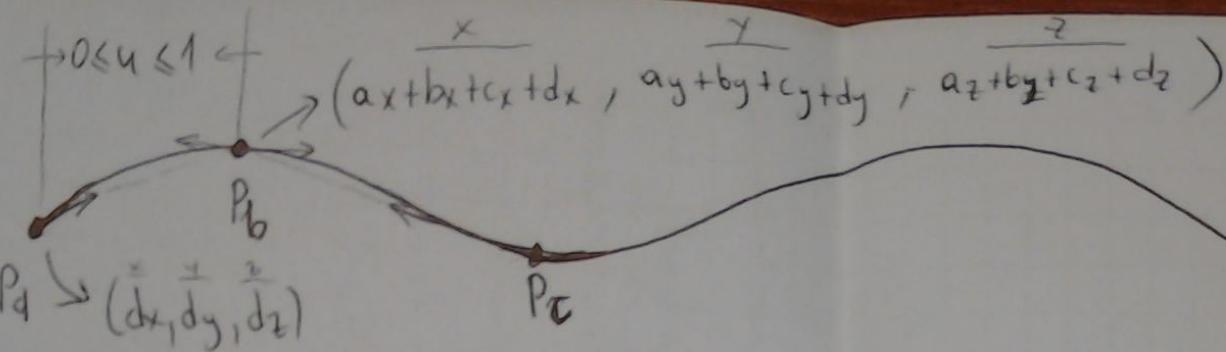
R matrix for rotating about Y axe

$$\begin{pmatrix} \cos\alpha & -\sin\alpha & 0 & 0 \\ \sin\alpha & \cos\alpha & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

R matrix for rotating about Z axe)

SPLINES (Parametric Cubic Curves)

- Hermite Form
- Bezier Form
- B-Spline Form



u ~~de~~ bir parametre olsun. $\frac{u}{1-u}$, bu parametre 0'dan 1'e kadar artarken,

$$\begin{aligned}x(u) &= a_x u^3 + b_x u^2 + c_x u + d_x \\y(u) &= a_y u^3 + b_y u^2 + c_y u + d_y \\z(u) &= a_z u^3 + b_z u^2 + c_z u + d_z\end{aligned}$$

$$0 \leq u \leq 1$$

$$P(u) = a u^3 + b u^2 + c u + d \quad (\text{istekle } 3^{\text{t}} \text{ şe yeme kusaca benu yozalem})$$

aldığı her deper yukarıdaki denklemlerde yerine koyduğunda olusan x, y, z koordinatlarını nokta olarak ekstra bastırılmışsa P_0 ile P_1 arasındaki carveli oluştursun.

$P_a P_b$ hırba ile $P_b P_c$ hırbaının P_b noktasında yumusakta bir şarz yapabili-
şırı tam her iki hırbanın da P_b noktasındaki türerleri birbirine eşit
olmalı. (Bir fonksiyonun bir noktasının farklı türer o noktadaki
toplu ^{çaprazına eritter} (epiimage) olmali) Dolapsı ile öyle bir paralelik fonksiyon
yanı gormeliyiz ki yukarıdaki gibi... bunu söylesin. Yani böyle
bir fonksiyon olmali ki hem P_a 'dan hem P_b 'den geçsin, hem de
bir fonksiyon olmali ki hem P_a 'dan hem P_b 'den geçsin.

$$P_a \text{ dan } P_b \text{ deki iskelelerin eşiğinde geçsin.}$$

$$P(u) = \begin{pmatrix} u^3 & u^2 & u & 1 \end{pmatrix} \begin{bmatrix} a \\ b \\ c \\ d \end{bmatrix}$$

Bu ikiinde u yerine
0 ve 1 koysak
(P_a da $u=0$, P_b da $u=1$ olacakları)
 $\begin{cases} k=a \\ k+1=b \end{cases}$

$$P(0) = P_k$$

$$P(1) = P_{k+1}$$

$$P'(0) = DP_k$$

$$P'(1) = DP_{k+1}$$

$$P'(u) = \begin{pmatrix} 3u^2 & 2u & 1 & 0 \end{pmatrix} \begin{bmatrix} a \\ b \\ c \\ d \end{bmatrix} \Rightarrow \begin{bmatrix} P_k \\ P_{k+1} \\ DP_k \\ DP_{k+1} \end{bmatrix} = \begin{pmatrix} 0 & 0 & 0 & 1 \\ 1 & 1 & 1 & 1 \\ 0 & 0 & 1 & 0 \\ 3 & 2 & 1 & 0 \end{pmatrix} \begin{bmatrix} a \\ b \\ c \\ d \end{bmatrix}$$

$$\begin{pmatrix} a \\ b \\ c \\ d \end{pmatrix} < \begin{pmatrix} 0 & 0 & 0 & 1 \\ 1 & 1 & 1 & 1 \\ 0 & 0 & 1 & 0 \\ 3 & 2 & 1 & 0 \end{pmatrix}^{-1} \cdot \begin{pmatrix} P_k \\ P_{k+1} \\ DP_k \\ DP_{k+1} \end{pmatrix}$$

$$= \begin{pmatrix} 2 & -2 & 1 & 1 \\ -3 & 3 & -2 & -1 \\ 0 & 0 & 1 & 0 \\ 1 & 0 & 0 & 0 \end{pmatrix} \begin{pmatrix} P_k \\ P_{k+1} \\ DP_k \\ DP_{k+1} \end{pmatrix}$$

Delay + 1;

$$P(u) = [u \ u^2 \ u^4] \cdot \begin{pmatrix} 2 & -2 & 1 & 1 \\ -3 & 3 & -2 & -1 \\ 0 & 0 & 1 & 0 \\ 1 & 0 & 0 & 0 \end{pmatrix} \cdot \begin{pmatrix} P_k \\ P_{k+1} \\ DP_k \\ DP_{k+1} \end{pmatrix}$$

$$P(u) = P_k(2u^3 - 3u^2 + 1) + P_{k+1}(-2u^3 + 3u^2) + DP_k(u^3 - 2u^2 + u) + DP_{k+1}(u^3 - u^2)$$

$$x(u) = x_k(2u^3 - 3u^2 + 1) + x_{k+1}(-2u^3 + 3u^2) + x'_k(u^3 - 2u^2 + u) + x'_{k+1}(u^3 - u^2)$$

$$y(u) = \dots$$

$$f(u) = \dots$$

~~DOĞRULU~~ (~~ÇİZGİ~~)

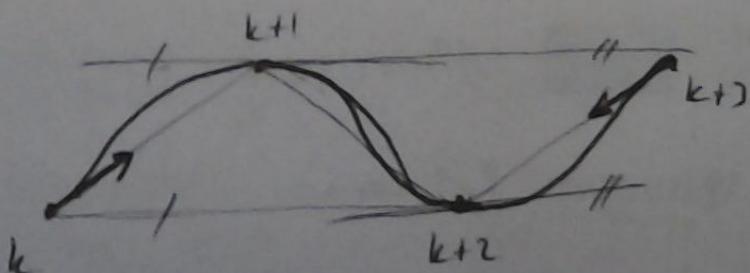
$$x'_k = \frac{1}{2} (1-t)(x_{k+1} - x_k)$$

$$y'_k = \frac{1}{2} (1-t)(y_{k+1} - y_k)$$

$$x'_{k+1} = \frac{1}{2} (1-t)(x_{k+2} - x_k)$$

$$y'_{k+1} = \frac{1}{2} (1-t)(y_{k+2} - y_k)$$

Hearn-Baker'in
kitabından... Cardinal
Spline: Gerçek türevler
yerine, ortalama
koordinatlar alınarak kabul
edilebilecek türevler.



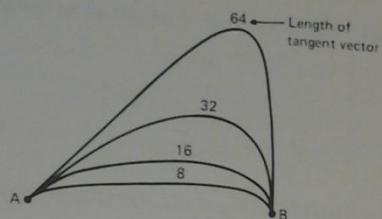


Fig. 13.9 Family of Hermite parametric cubic curves. Tangent-vector directions are fixed: 45° at A , -90° at B . The magnitude of the vector varies and is given with each curve.

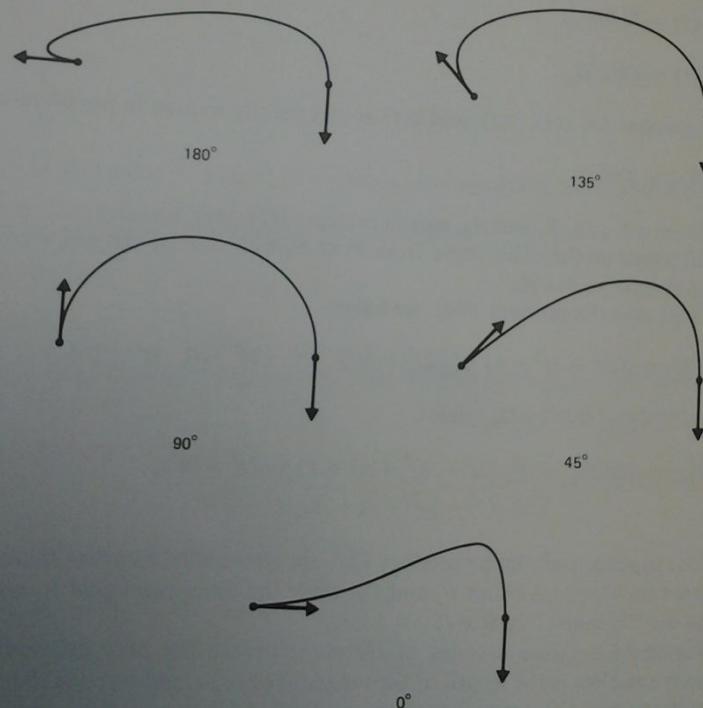
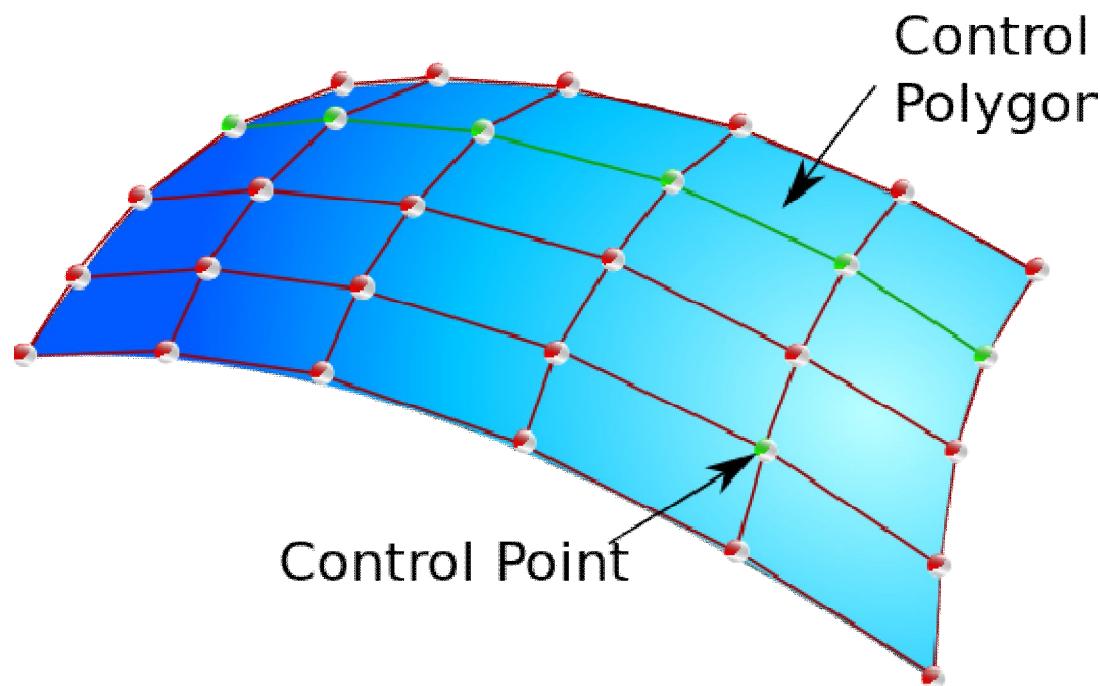


Fig. 13.10 Family of Hermite parametric cubics. The tangent-vector direction at right is fixed at -90° ; at left it varies and is shown with each curve. The magnitude of all tangent vectors is fixed.

Gerilim farklı, çıkış eğimleri (Tangent vector) sabit

Gerilim sabit, çıkış eğimleri (Tangent vector) farklı

Parametric Cubic Surfaces



Parametric Cubic Surfaces

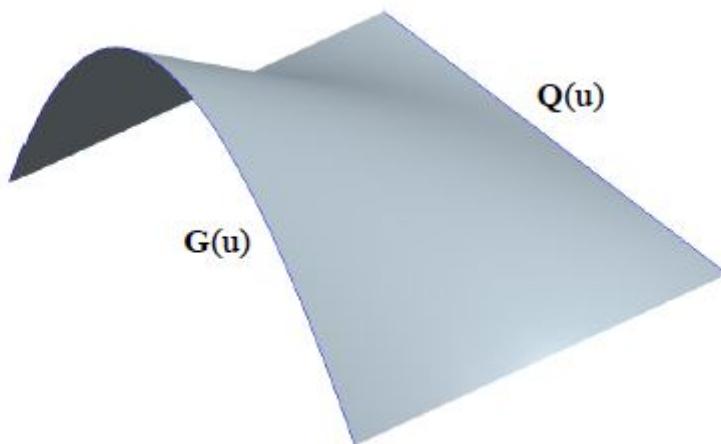


Figure 2: Ruled surface composed of a Hermite cubic spline and a line.

