# STAT 542 / CS 598: Homework 4

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Due: Monday, Oct 14 by 11:59 PM Pacific Time

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### Question 1 [70 Points] Tuning Random Forests in Virtual Twins

#### Set up of data sets

```
set.seed(11)
require(randomForest)
mydata = read.csv('Sepsis.csv')
n = nrow(mydata)
train.id = sample(1:n, round(n*0.75,0))
train.data = mydata[train.id,c(-1,-15)]
test.data = mydata[-train.id,c(-1,-15)]
```

I have removed the first predictor, X, which appears to be only an index as well as the last, BEST from the training and test sets.

#### Prediction and comparison functions

#### Iteration loop

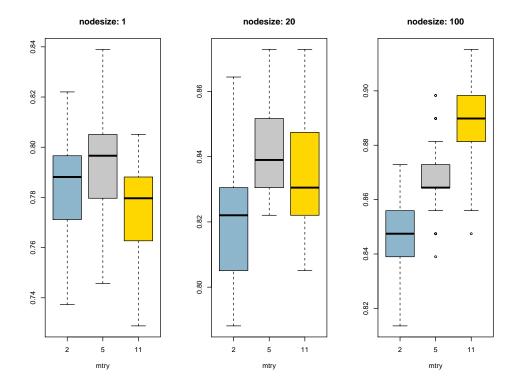
```
reps = 100
mtries = c(2,5,11)
nodesizes = c(1,20,100)
zeros = rep(0, length(mtries)*length(nodesizes)*reps)
accuracies =array(zeros, dim=c(reps,length(mtries),length(nodesizes)))
for (i in 1:reps){
```

```
for (j in 1:length(mtries)){
   for (k in 1:length(nodesizes)){
     prediction = get_treatment(mtry=mtries[j], nodesize=nodesizes[k])
     accuracies[i,k,j] = get_accuracy(prediction, mydata[-train.id, "BEST"])
   }
}
```

This leads to the following results with rows representing different nodesize and the coloumns different mtry values.

Table 1: Model performance for combinations of mtry and nodesize

	2	5	11
1	0.7843220	0.7935593	0.7775424
20	0.8183898	0.8426271	0.8350847
100	0.8485593	0.8684746	0.8894915



#### Intuition

Normally when one has highly correlated data, it helps to reduce the number of predictors (mtry) available for selection at each split. When all predictors are used (11 in this case if we ignore THERAPY) this process is similar to simple bagging. The result of the above analysis would suggest that the predictors are largely uncorrelated since the accuracy improves from 2 to 5 for all values for nodesize and also from 5 to 11 for nodesize=100.

The parameter nodesize determines the minimum size of nodes, in other words it determines the depth of each tree. For small values we can expect very deep trees. In this example I vary this from a minimum of 1 (largest possible tree) to 100. This model also seems to be very sensitive to changes in , mtry with

a maximum accuracy achieved for mtry = 11 and nodesize = 100, which will be considered the optimal values.

## Question 2 [30 Points] Second Step in Virtual Twins

Generate predictions on all data based on the best parameters from Question 1.

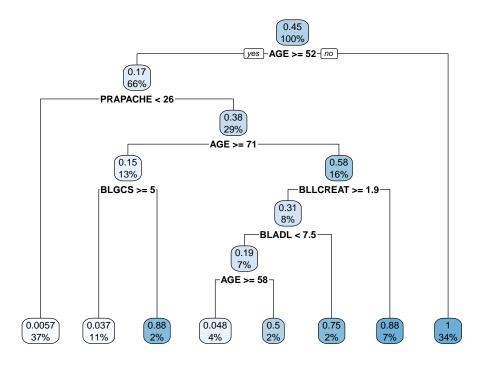
Helper function to choose treatment

```
choose_treatment <- function(pred.1, pred.0){
    return (ifelse(pred.1>pred.0, 1,0))
}

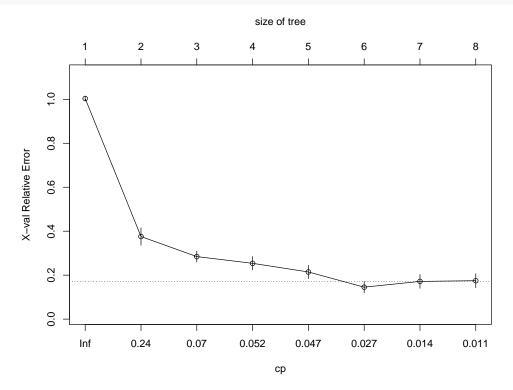
set.seed(124)
all_data = mydata[,c(-1,-15)]
model.data.0 = all_data[all_data[,"THERAPY"] == 0,][,c(-2,-14)]
model.data.1 = all_data[all_data[,"THERAPY"] == 1,][,c(-2,-14)]
rforest.0 = randomForest(model.data.0$Health ~ ., data=model.data.0, mtry=11, nodesize=100)
rforest.1 = randomForest(model.data.1$Health ~ ., data=model.data.1, mtry=11, nodesize=100)
pred.0 = predict(rforest.0, all_data)
pred.1 = predict(rforest.1, all_data)
all_data['PRED'] = choose_treatment(pred.1, pred.0)
#mean(all_data$PRED==mydata$BEST)
```

Build a single regression tree using the predicted values all\_data['PRED] as the proposed treatment.

```
par(mfrow=c(1,2))
require(rpart)
require(rpart.plot)
train.all_data = all_data[,c(-1,-2)]
rtree = rpart(train.all_data$PRED~., data=train.all_data)
par(mfrow=c(1,1))
rpart.plot(rtree)
```



# plotcp(rtree)



This gives us a tree with the following CP values:

##

## Regression tree:

```
## rpart(formula = train.all_data$PRED ~ ., data = train.all_data)
##
## Variables actually used in tree construction:
                BLADL
## [1] AGE
                         BLGCS
                                  BLLCREAT PRAPACHE
## Root node error: 116.37/470 = 0.24761
##
## n = 470
##
##
           CP nsplit rel error xerror
## 1 0.628119
                   0
                       1.00000 1.00367 0.0091916
## 2 0.090654
                       0.37188 0.37572 0.0399637
                   1
## 3 0.053312
                   2
                      0.28123 0.28451 0.0247947
## 4 0.051545
                   3
                     0.22791 0.25387 0.0306802
## 5 0.042042
                   4
                       0.17637 0.21451 0.0299692
## 6 0.016919
                   5
                       0.13433 0.14535 0.0260048
## 7 0.011913
                   6
                       0.11741 0.17156 0.0316150
## 8 0.010000
                       0.10550 0.17483 0.0317182
                   7
```

To prune the tree, we find the amount of splits that minimise the cross validation error xerror as follows:

```
opt = which.min(rtree$cptable[, "xerror"])
rtree$cptable[opt, 4]
```

```
## [1] 0.1453465
```

Find the upper limit based on 1 standard deviation and list all splits that have xerror less than this.

```
upper_1se = rtree$cptable[opt, 4] + rtree$cptable[opt, 5]
tmp.id = which(rtree$cptable[, 4] <= upper_1se)</pre>
```

Compute an average CP value between the two splits with the lowest resulting xerror of 0.171 which should fall between rows 5 and 6:

```
CP.1se = 0.5*(rtree$cptable[min(tmp.id[1]),1] + rtree$cptable[min(tmp.id[1])-1,1])
final.rtree = prune(rtree, cp=CP.1se)
```

which gives the following tree based on a  $CP_{1se}$  of 0.029.

```
par(mfrow=c(1,1))
rpart.plot(final.rtree)
```

