XSVS_example

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1 PYXSVS - python X-ray Speckle Visibility Spectroscopy data analysis tool

This notebook gives a description of the pyxsvs code, together with an example of usage. The code is available at GitHub: https://github.com/pawel-kw/pyxsvs

1.1 Introduction

X-ray Speckle Visibility Spectroscopy (XSVS) is a technique which allows to measure dynamics of a disordered sample from a series of coherent diffraction patterns (speckle patterns). The basic quantity measured is the visibility of speckles, quantified by the normalized variance of the intensity I in the speckle pattern, measured as a function of exposure time t_e

$$V_2(t_e) = \langle I^2 \rangle_{t_e} / \langle I \rangle_{t_e}^2 - 1 \tag{1}$$

The pyxsvs code calculates the variance assuming that $V_2(t_e) = 1/M$, where M is the number of coherent modes, derived from the recorded speckle pattern by fitting the intensity distribution P(K) with the Poisson-Gamma (negative-binomial) model,

$$P(K) = \frac{\Gamma(K+M)}{\Gamma(K+1)\Gamma(M)} \left(\frac{\langle K \rangle}{\langle K \rangle + M}\right)^K \left(\frac{M}{\langle K \rangle + M}\right)^M, \tag{2}$$

K denoting the number of photons, and Γ - the gamma function.

1.1.1 Requirements

Running pyxsvs requires the following, non standard Python libraries to be installed:

- 1. scipy http://www.scipy.org/
- 2. fabio I/O library for images produced by 2D X-ray, https://pypi.python.org/pypi/fabio
- $3. \ \ pyFAI-tool for fast azimuthal integration, http://www.esrf.eu/UsersAndScience/Publications/Highlights/2012/et/et3$
- 4. lmfit A library for least-squares minimization and data fitting, https://pypi.python.org/pypi/lmfit/

In principle, the code should be able to run on any operating system, but it was only tested on Archlinux.

1.2 Data

The code was written to handle data acquired with the single-chip MEDIPIX detector at ID10. Data from the 2x2 MEDIPIX could be also handled without any changes to the code, provided that the appropriate flat field and mask is given.

- 1. A complete XSVS data set is composed of several sub-sets of data acquired with different exposure times.
- 2. Each sub-set for a given exposure time contains exposures taken on different (but equivalent) scattering volumes, in order to avoid radiation damage (the sample was translated after a certain number of exposures).

1.2.1 Data description

 $[Exp_1]$

A data set is described in an *.ini style input file, containing all the information needed for the calculations. The input file contains several sections. The [Main] section holds all the data common for the different exposures, like the result directory, data directory, flat field file, mask file, q partitioning description, experimental geometry description. The following sections are names [Exp_n], with n being an order number of the exposure. These sections contain exposure-specific metadata: file prefix and suffix, first and last file number and the exposure time. *Important*: the exposure time is not automatically deduced from the files. It has to be provided manually in the input file.

Below, a listing of an example input file.

```
In [1]: with open('./analysis/xsvs/xsvs_input.txt','r') as input_file:
            lines = input_file.readlines()
        for line in lines:
            print line
[Main]
save dir = ./
data dir = ../../data/xsvs-series/
flat field = ../maxipix1_flatfield_2013.edf
default mask = ../maxipix1_mask_2013.edf
mask = ../mask.edf
q1 = 0.002
qs = 0.001
q2 = 0.010
dq = 4e-04
sample name = SiD_1-1-1_40C_1
wavelength = 1.53
cenx = 125.01
ceny = 118.31
pix = 0.055
sddist = 2140
figure title = SiD_1-1 40 degC
```

data prefix = $sid1-1_40C_-$

data suffix = .edf.gz

first data file = 1

last data file = 360

exp time = 5e-5

$[Exp_2]$

data prefix = $sid1-1_40C_-$

data suffix = .edf.gz

first data file = 361

last data file = 720

exp time = 1e-4

$[Exp_3]$

data prefix = $sid1-1_40C_-$

data suffix = .edf.gz

first data file = 721

last data file = 1080

exp time = 2e-4

$[Exp_4]$

data prefix = $sid1-1_40C_-$

data suffix = .edf.gz

first data file = 1081

last data file = 1440

exp time = 4e-4

$[Exp_5]$

data prefix = $sid1-1_40C_-$

data suffix = .edf.gz

first data file = 1441

last data file = 1800

exp time = 8e-4

$[Exp_6]$

data prefix = $sid1-1_40C_-$

data suffix = .edf.gz

first data file = 1801

last data file = 2160

exp time = 1.6e-3

$[Exp_7]$

data prefix = $sid1-1_40C_-$

data suffix = .edf.gz

first data file = 2161

last data file = 2520

exp time = 3.2e-3

$[Exp_8]$

data prefix = $sid1-1_40C_-$

data suffix = .edf.gz

first data file = 2521

last data file = 2700

exp time = 6.4e-3

The input file is created manually. In the case of multiple, similarly looking data sets, I usually write a Python script creating the input files for all the data sets.

1.3 Data analysis

The pyxsvs code can be executed as a script, with the input file name given as an input parameter:

```
> python2 pyxsvs.py -i ./xsvs_input.txt
```

The script works as follows.

- 1. The input file name is parsed and passed as an argument to the pyxsvs object constructor.
- 2. An object of pyxsvs class is created. This includes calculating an averaged 2D SAXS image.
- 3. Direct beam position is determined
- 4. Speckle visibility is calculated:
 - a) For each exposure, each data frame is divided into q partitions.
 - b) Histograms are calculated for each of these partitions and averaged over all frames.
 - c) The resulting histograms are fitted with the negative-binomial distribution function and the number of modes is determined

The results are saved in a binary data file (pickle). A series of figures is also produced.

1.3.1 Example

The following example executes the same commands which are executed by calling the pyxsvs script

```
In [20]: import sys
         from pyxsvs import pyxsvs
In [4]: cd ./analysis/xsvs
/home/kwasniew/Tools/Python/pyxsvs/examples/analysis/xsvs
In [5]: calculator = pyxsvs.pyxsvs('./xsvs_input.txt', useFlatField=True)
In [6]: calculator.findDB()
[[Variables]]
     xi:
             125.009901 +/- 0.030955 (0.02\%) initial = 125.010000
             118.309403 +/- 0.068321 (0.06\%) initial = 118.310000
[[Correlations]] (unreported correlations are < 0.100)
   C(xi, yi)
                                 = -0.632
In [7]: calculator.calculateVisibility()
20
Histograming Exp_1
Calculations took 1.53 s
Done for Exp_1, now plotting and fitting...
Histograming Exp_2
Calculations took 1.52 s
```

```
Histograming Exp_3
99%
Calculations took 1.64 s
Done for Exp_3, now plotting and fitting...
Histograming Exp_4
99%
Calculations took 1.71 s
Done for Exp_4, now plotting and fitting...
Histograming Exp_5
99%
Calculations took 2.22 s
Done for Exp_5, now plotting and fitting...
20
Histograming Exp_6
Calculations took 1.94 s
Done for Exp_6, now plotting and fitting...
Histograming Exp_7
99%
Calculations took 1.98 s
Done for Exp_7, now plotting and fitting...
Histograming Exp_8
99%
Calculations took 0.96 s
Done for Exp_8, now plotting and fitting...
/home/kwasniew/Tools/Python/pyxsvs/pyxsvs-src/pyxsvs.py:628: RuntimeWarning: invalid value encountered
  numpy.logErr = yerr/(ydata*numpy.log(10))
```

The execution often spits out some warnings about zeros appearing in log or divisions. Normally this is not a problem.

1.3.2 Reporting results

The script produces a lot of figures and a binary pickle file containing all the data. To get an overview of the fit results I wrote another Python script, which collects all the figures produced by pyxsvs and puts them together into a single PDF repot. The pickle result file can be easily used for further data fitting and reporting. Pickle is not an optimal data storage format (see https://wiki.python.org/moin/UsingPickle). Eventually, pyxsvs should save the results into something more secure and readable, like good, old CSV type ASCII file or an hdf5.

Data overview In order to use the reportResults.py script, in addition to pyxsvs requirements you need to have ReportLab, an engine for creating complex, data-driven PDF documents. An opensource version can be obtained from http://www.reportlab.com/opensource/ Then, all you need to do is to run:

```
> python2 reportResults.py -i ./xsvs_input.txt
```

Done for Exp_2, now plotting and fitting...

20

The PDF gives a good overview, but real data analysis requires looking into the pickle data file.

Data plotting and fitting Pickle is a standard Python library. The results can be loaded from the file in a very simple way.

```
import pickle
        fname = './SiD_1-1_40C_sid1-1_40C_results.p'
        with open(fname, 'rb') as handle:
             res_data = pickle.load(handle)
   The data container is a multi-level dictionary with exposure labels as keys:
In [10]: res_data.keys()
Out[10]: ['Exp_5', 'Exp_4', 'Exp_7', 'Exp_6', 'Exp_1', 'Exp_3', 'Exp_2', 'Exp_8']
   For each exposure, the value containes another dictionary:
In [11]: res_data['Exp_1'].keys()
Out[11]: ['data', 'expTime']
   One of them stores the exposure time value in [s]
In [12]: res_data['Exp_1']['expTime']
Out[12]: 5e-05
  The other is the data container, with data grouped by the scattering vector partitions:
In [13]: res_data['Exp_1']['data'].keys()
Out[13]: ['q008', 'q007', 'q006', 'q005', 'q004', 'q003', 'q002', 'q001', 'q000']
In [14]: res_data['Exp_1']['data']['q000'].keys()
Out[14]: ['R-1',
           'histStdDev',
           'trace',
           'Κ',
           'M',
           'histogram',
           'q',
           'histogramBins',
           'beta'l
```

- 'R-1': An estimate of contrast β based on the observed probabilities of 1 and 2 photon events: $R = 2P(2)[1 P(1)]/P(1)^2 = 1 + \beta$. This should work well for small average photon counts $\langle K \rangle$.
- \bullet 'histogram Bins': number of photons K

In [9]: from pylab import *

- 'histogram': probability value P(K) of observing K photons
- 'histStdDev': standard deviation from the mean of P(K), calculated using all the frames for the given exposure time
- \bullet 'K': average number of photons for the given q partition
- 'M': the fitted number of modes contributing to the speckle pattern
- 'beta': $\beta = 1/M$, speckle contrast
- 'q': the value of the momentum transfer vector q in $[A^{-1}]$
- 'trace': average number of photons in the given q partition for each frame

Below, an example showing how the results can be plotted.

```
In [18]: import itertools
         from pylab import *
         import pickle
         sys.path.append('/home/kwasniew/Tools/Python/pyxsvs/pyxsvs-src/')
         import pyxsvs
         %pylab inline
         mcolors = itertools.cycle(['b', 'g', 'r', 'c', 'm', 'y', 'k'])
         markers = itertools.cycle(list(Line2D.filled_markers))
         lstyles = itertools.cycle(['-', '--', '-.', ':'])
         def plot_xsvs_results(res_data,ax1,ax2,**kwargs):
             ''', 'Plotting results of the pyxsus code
             exp_list = sort(res_data.keys()) # Get a sorted list of exposures
             q_list = sort(res_data[exp_list[0]]['data'].keys()) # Sorted list of qs
             for j in xrange(len(q_list[:])):
                 beta_data = zeros((len(exp_list),3)) # Container for contrast values
                 for i in xrange(len(exp_list)):
                     marker = markers.next()
                     color = mcolors.next()
                     histogramBins = res_data[exp_list[i]]['data'][q_list[j]]['histogramBins']
                     hist_data = res_data[exp_list[i]]['data'][q_list[j]]['histogram']
                     K_ave = res_data[exp_list[i]]['data'][q_list[i]]['K']['value']
                     # Plot the histogram for the first q value for all exposures
                     if j == 0:
                         # First, get the q value
                         q_val = res_data[exp_list[i]]['data'][q_list[j]]['q']['value']
                         q_{txt} = r'^q = \%.2f \times 10^{-2} \; \AA^{-1}^' \% (q_val*1e2)
                         # Get the exposure time
                         exp_val = res_data[exp_list[i]]['expTime']
                         ax1.set_title(q_txt)
                         # Plot the fitted negative binomial distribution
                         # The fitted M value
                         M = res_data[exp_list[i]]['data'][q_list[j]]['M']['value']
                         xx = arange(0,100,0.1) # generating a dense mesh for the fitted curve
                         # evaluate the negative binomial distribution
                         neg_binom = pyxsvs.pyxsvs.nbinomPMF(xx,K_ave,M)
                         # Plot the data and the fitted curve
                         ax1.plot(histogramBins[:-1]/K_ave,hist_data[:-1],'o',ms=3,
                                 marker=marker,color=color,label=r'%.2f ms' % (exp_val*1e3))
                         ax1.plot(xx/K_ave,neg_binom,'-',color=color)
                     # Extract the contrast as a function of exposure for each q value
                     beta_data[i,0] = res_data[exp_list[i]]['expTime']
                     beta_data[i,1] = res_data[exp_list[i]]['data'][q_list[j]]['beta']['value']
                     beta_data[i,2] = res_data[exp_list[i]]['data'][q_list[j]]['beta']['stddev']
                 sep_par = j*0.1 # additive factor to separate the data sets in the plot
                 qval = res_data[exp_list[i]]['data'][q_list[j]]['q']['value']
                 # Plot the contrast as a function of exposure time for all q values
                 ax2.errorbar(beta_data[:,0],beta_data[:,1]+sep_par,beta_data[:,2],
                         color=color,marker=marker,
```

```
label=r'$%.1f$' % (qval*1e2),**kwargs)
               # Adjusting the plots
              ax2.set_xscale('log')
              ax2.set_xlim(4e-5,1e-2)
              ax2.set_ylim(0,1.0)
              ax21 = ax2.legend(frameon=0,bbox_to_anchor=(1.3,1.0),
                                   title=r'$q \times 10^{-2}$ [$\AA^{-1}$]')
              ax21.get_title().set_fontsize('10')
              ax2.set_xlabel(r'$t_e$ [s]')
              ax2.set_ylabel(r'$1/M$')
              ax1.set_xlim(-1,20)
              ax1.set_ylim(1e-4,5)
              ax1.set_yscale('log')
              ax1.legend(frameon=0,bbox_to_anchor=(1.2,1),title=r'$t_e$')
              ax1.set_xlabel(r'$K/ \langle K \rangle$')
              ax1.set_ylabel(r'$P(K)$')
Populating the interactive namespace from numpy and matplotlib
WARNING: pylab import has clobbered these variables: ['power', 'draw_if_interactive', 'random', 'fft', '
'%matplotlib' prevents importing * from pylab and numpy
In [17]: results_file = './SiD_1-1_40C_sid1-1_40C_results.p'
          # Prepare the figure
          fig1 = figure(figsize=(12,4))
          ax1 = fig1.add_subplot(121)
          ax2 = fig1.add_subplot(122)
          subplots_adjust(wspace=0.5)
          # Plot the results
          with open(results_file, 'rb') as handle:
              res_data = pickle.load(handle)
          plot_xsvs_results(res_data,ax1,ax2)
                     q = 0.20 \times 10^{-2} \text{ Å}^{-1}
                                                       1.0
                                                                                          q \times 10^{-2} [\text{\AA}^{-1}]
                                           0.05 ms
        10<sup>0</sup>
                                                                                           <del>-</del>_0.2
                                           0.10 ms
                                                       0.8
                                           0.20 ms
                                           0.40 ms
        10-
                                           0.80 ms
                                                                                            →0.5
                                                       0.6
                                           1.60 ms
                                           3.20 ms
                                                                                            ₩ 0.7
        10-
                                           6.40 ms
                                                       0.4
                                                                                           →0.9
        10
                                                       0.2
                                                       0.0
        10-4
                                                                          10-3
```

In []:

 $K/\langle K \rangle$

 t_e [s]