

A CliffordBasic solution to an R4 linear system $a x + b y = c$, using wedge products to solve. Also includes mmacell output to embed the solution in the book as Mathematica input and output.

Solve: $\mathbf{a} x + \mathbf{b} y = \mathbf{c}$

```
<< CliffordBasic`;
$SetSignature = {4, 0};

Import[
  "https://raw.githubusercontent.com/jkuczm/MathematicaCellsToTeX/master/NoInstall.m"]

(*Import[
  "https://raw.githubusercontent.com/jkuczm/MathematicaSyntaxAnnotations/master/BootstrapInstall.m"]
Import["https://raw.githubusercontent.com/jkuczm/MathematicaCellsToTeX/master/BootstrapInstall.m"]*)

ClearAll[a, b, c, iab, aWedgeB, cWedgeB, aWedgeC, x, y]
a = e[1] + e[2];
b = e[1] + e[4];
c = e[1] + 2 e[2] - e[4];

aWedgeB = OuterProduct[a, b];
cWedgeB = OuterProduct[c, b];
aWedgeC = OuterProduct[a, c];

(* 1/aWedgeB *)
iab = aWedgeB / GeometricProduct[aWedgeB, aWedgeB];
x = GeometricProduct[iab, cWedgeB];
y = GeometricProduct[iab, aWedgeC];

{"a  $\wedge$  b = ", aWedgeB}, {"c  $\wedge$  b = ", cWedgeB},
 {"a  $\wedge$  c = ", aWedgeC}, {"x = ", x}, {"y = ", y}
} // Grid

a  $\wedge$  b =      -e[1, 2] + e[1, 4] + e[2, 4]
c  $\wedge$  b =    -2 e[1, 2] + 2 e[1, 4] + 2 e[2, 4]
a  $\wedge$  c =      e[1, 2] - e[1, 4] - e[2, 4]
x =                      2
y =                      -1
```

Generate cells

junk. first experimentation with `mmaCell`