



# Wannier90/Tight-Binding library



## Motivation



- Powerful packages available for Wannier Hamiltonians (WANNIER90, wannier-tools), analysis beyond predefined functions is tedious, e.g.
  - Self-defined k-paths
  - Access to H(k)
  - $lacksymbol{\downarrow}$  Access to  $|\Psi\rangle$
  - Post-processing of observables
  - No object-oriented work-flow
- General applicability to all kind of tight-binding Hamiltonians



### Classes



#### hamiltonian

H(k)  $\nabla H(k)$  H(R)-spinless H(k)-spinless  $\nabla H(k)$ -spinless H(k) to w2dyn format

H(R)

Bravais vectors
Spin  $R, R_{cart}$ Basis (s, p, d, ...)

k\_space

Cartesian 

Reduced

k-distance Path/Grid/Monkhorst Stereographic proj.

Bravais vectors k\_space\_red k\_space\_car

operator

 $L, S, J, \Omega_n$ , Band inversion... Self-defined operators postprocessing ( $J^2$ ,Band-/k-integratrion)

 $\hat{O}$ 

val (Array for storing  $\langle \hat{O} \rangle$  val\_k\_int val\_b\_int

observables

initialize\_ops()
calculate\_ops()
 post\_ops()
 write\_ops()

op\_types op\_types\_k



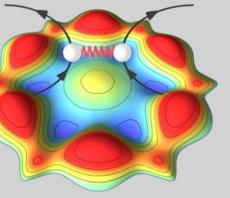
## Installation





### Initializing a Wannier Hamiltonian Sangiovanni





hamiltonian(HR\_FILE,BRA\_VEC=None,SPIN=False,BASIS=None,EF=None,N\_ELEC None)

#### **Required Arguments**

Filename/path HR\_FILE String

Optional Arguments		
BRA_VEC	np-array	Bravais vectors
SPIN	Boolean	Spin
BASIS	np-array	L-quantum numbers
EF	Float	Fermi energy
N ELEC	Integer	Number of electrons



# Initializing a Wannier Hamiltonian Example



hamiltonian(HR\_FILE,BRA\_VEC=None,SPIN=False,BASIS=None,EF=None, N\_ELEC=None)

```
#### Setting up Hamiltonian
inputfile = "../../test_ham/In_SiC_soc.dat"
bra_vec = np.array([
  [3.0730000, 0.0000000, 0.0000000],
  [-1.5365000, 2.6612960, 0.0000000],
  [0.000000, 0.0000000, 20.0000000]
        = True
spin
        = np.array([0,1]) # {Ta1:d,Ta2:d,As1:p,As2:p}
basis
n_elec
       = 3.223
ef
```

Ham = hamiltonian(inputfile,bra\_vec,spin,basis,ef,N\_ELEC=n\_elec)



## Initializing a k-space



k\_space(K\_TYPE,K\_BASIS,VECS,BRA\_VEC=None,N\_POINTS=None, RADIUS=None)

Required A	rguments	
K_TYPE	String	Specifies k-space
BASIS	String	"red/car"
VECS	np-array	Vectors spanning k-space

Optional Arg	guments	
BRA_VEC	np-array	Bravais vectors
N_POINTS	Integer	Number of k-points
RADIUS	Float	Radius for Pontriyagin integration



### Initializing a k-space Example



```
k_space(K_TYPE,K_BASIS,VECS,BRA_VEC=None,N_POINTS=None,
                            RADIUS=None)
 #### Setting up k-space
 ktype
         = "path"
 kbasis = "red"
        = np.array([
 vecs
             [ 1/3, 1/3,0],
             [ 1/2, 0,0],
               0, 0, 0]
 bra_vec = np.array([
   [3.0730000, 0.0000000,
                           0.0000000],
   [-1.5365000, 2.6612960,
                           0.000000],
   [0.000000, 0.0000000]
                           20.0000000]
 npoints
         = 100
 K_space = k_space(ktype,kbasis,vecs,bra_vec,npoints)
```



### Initializing an Observables calculation



### observables(HAMILTONIAN, K\_SPACE, OP\_TYPES=[], OP\_TYPES\_K=[], PREFIX="")

Required Arguments			
HAMILTONIAN hamiltonian		Ham. object	
K_SPACE	k_space	k_space object	

Optional Arg	uments	
OP_TYPES	Array	Contains k- independent operators
OP_TYPES_K	Array	Contains k-dependent operators



### Initializing and running observables calculation Example



### observables(HAMILTONIAN, K\_SPACE, OP\_TYPES=[], OP\_TYPES\_K=[], PREFIX="")

```
#### Defining operators
```

```
op_types =["S","L","J"]
op_types_k=["BC","BC_mag","Orb_SOC_inv"]
```

#### Running calculation

# Initializing observables
Observables = observables(Ham, K\_space, op\_types, op\_types\_k)

# Calculating observables
Observables.calculate\_ops()