

2016.1.27 SEMINAR

WANG ZIYUAN BELONGING TO HONIDEN LAB.

A METHOD OF IMPROVING QOS:  
EXPLORATIONS OF THE POSSIBILITY  
OF FUNCTION COMBINATIONS IN  
SERVICE COMPOSITIONS



# BACKGROUND

## MOTIVATION

- There is a growing need for web service providers to develop customised and flexible web services as quick as they can.
- One way to satisfy this demand is to utilise service compositions, which provide a method of consolidating several services to a richer service



# BACKGROUND

## WHAT IS SERVICE

- A service  $S$  is a reusable system that provides functions which are documented in a service description.

e.g. : internet settlement, house information search engine

- $S$  is defined by  $IOPEQ = (S.I, S.O, S.P, S.E, S.Q)$ , where
  - $S.I, S.O$  = required inputs and outputs
  - $S.P, S.E$  = preconditions and effects
  - $S.Q = QoS(\text{quality-of-service})$
- However, in my research,  $S$  is defined by  $IOQ = (S.I, S.O, S.Q)$



# BACKGROUND

## WHAT IS QOS

- QoS(quality-of-service):
  - Generic name of the criteria which express the quality of service  
Response time, Price, Reliability, ...and so on
  - In my research,  $S.Q = \{q_1, q_2, \dots, q_n\}$

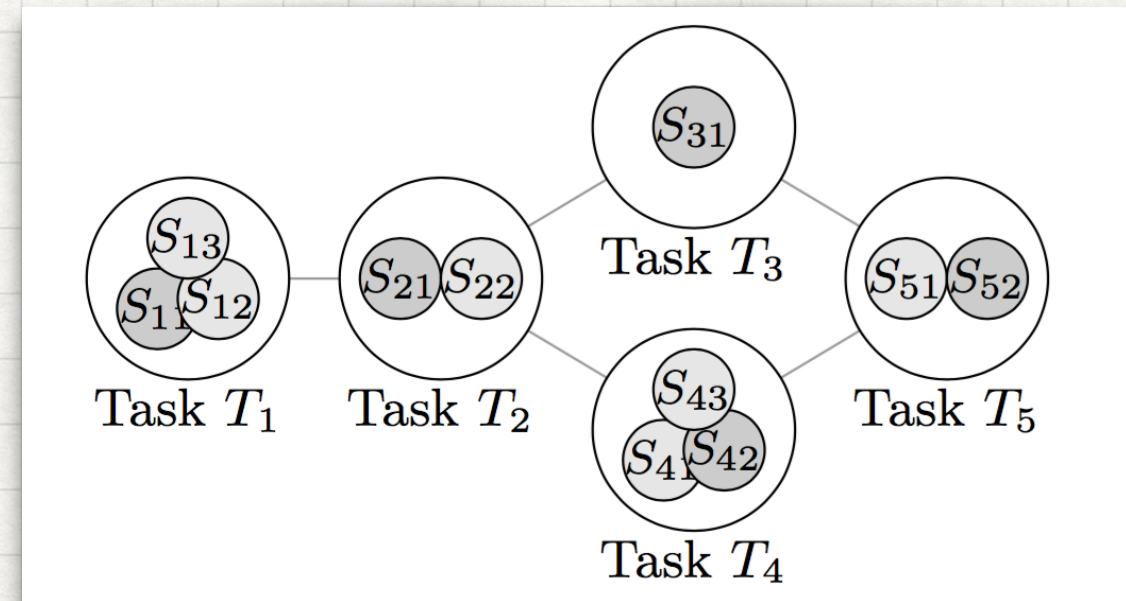
where,  $q_i$  is normalized between 0 and 1, with 0 being the worst and 1 being the best.



# BACKGROUND

## WHAT IS WORKFLOW

- workflow: sequence of two or more linked services
- workflow template: sequence of two or more linked services task instead of actual services
- task: has abstract function (task.I, task.O). contains a set of services which meet the task function
- workflow 's function: (first\_service.I, last\_service.O)



[1] Towards robust service compositions in the context of functionally diverse services  
F Wagner, B Klöpper, F Ishikawa, S Honiden  
Proceedings of the 21st international conference on World Wide Web, 969-978



# BACKGROUND

## WHAT IS FUNCTIONAL REQUIREMENTS

- Functional requirements  $f$ :
  - for a workflow template  $W$   
 $f = (i, o)$  , where  $i \in W.\text{first\_task}.I$ ,  $o \in W.\text{last\_task}.O$
  - In my research,  
 $f = (\text{a set of } W.\text{first\_task}.\text{services}, \text{a set of } W.\text{last\_task}.\text{services})$



# BACKGROUND

## WHAT IS QOS OPTIMIZATION

- 3 steps for QoS Optimization<sup>[1]</sup>:
  - step1: calculate the QoS vector  $Q$  of the workflow

computed on the basis of the types of QoS attributes and the control flow of the workflow.
  - step2: calculated value  $\sigma$ 

the components of the obtained QoS vector  $Q$  are aggregated into a single value  $\sigma$  by applying a weighted sum.
  - step3: algorithms optimize  $\sigma$  and try to meet the QoS constraints.

[1]Towards robust service compositions in the context of functionally diverse services

F Wagner, B Klöpper, F Ishikawa, S Honiden

Proceedings of the 21st international conference on World Wide Web, 969-978



# BACKGROUND

## WHAT IS SERVICE COMPOSITION

- service composition<sub>[1]</sub>: a system to solve composition problem
- existing composition problem definition:
  - input: a workflow template, a number of services, function requirements
  - output: QoS best workflow and its QoS
- existing algorithm of service composition: GA, ACO,...

[1]Towards robust service compositions in the context of functionally diverse services

F Wagner, B Klöpper, F Ishikawa, S Honiden

Proceedings of the 21st international conference on World Wide Web, 969-978



# PROBLEM

## BEST WORKFLOW IS LIMITED

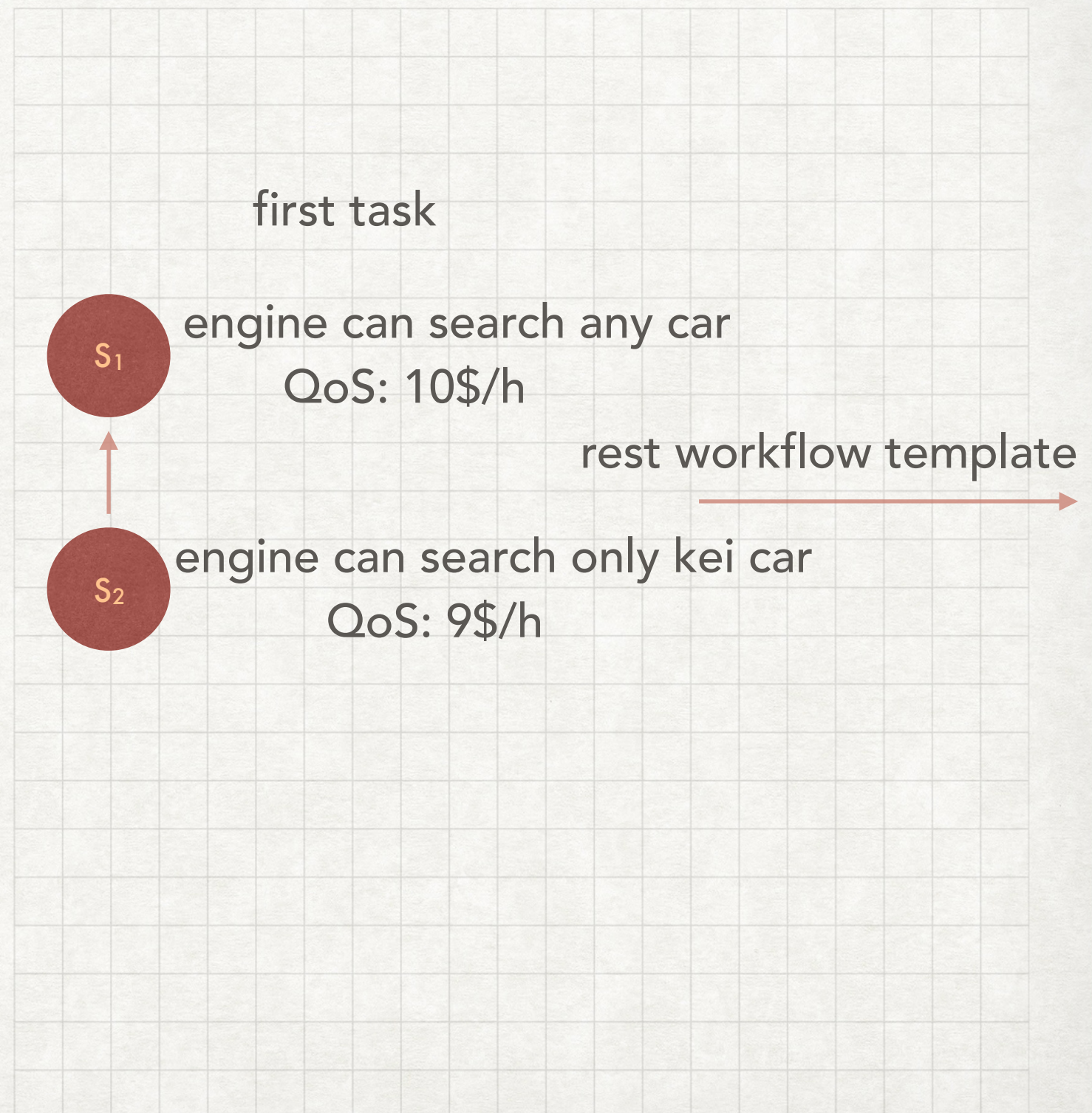
- Reason:
  - existing composition problem definition utilised fixed functional requirements as input
- Result:
  - the search space in that case is limited, which would possibly not include service compositions with better QoS whose functions are slightly different from the required one



# PROBLEM

## BEST WORKFLOW IS LIMITED

- web service providers want to create a service which use  $S_1$  or  $S_2$  as first service of workflow.
- service purpose: help user to rental a car for shopping
- if providers insist "can search any car" as input part of functional requirements, he will not find the best solution !





# APPROACH

## EXTENDED COMPOSITION PROBLEM

- put forward the concept of Variation:

to a functional requirement  $= (i, o)$ ,

where  $i$  = a set of  $W.fisrt\_task.services$ ,

$o$  = a set of  $W.last\_task.services$

adjust  $(i, o)$  into  $(i', o')$ , where  $i'$  and  $o'$  is stronger or weaker than  $i$  and  $o$  for obtaining a Variation function  $(i, o)$



# APPROACH

## EXTENDED COMPOSITION PROBLEM

- the concept of Strong and Weak:
  - to a service  $s \in \text{firt\_task}$ ,  $\text{Strong}(s) : \{s' \in \text{firt\_task}, s.I \subsetneq s'.I\}$
  - to a service  $s \in \text{firt\_task}$ ,  $\text{Weak}(s) : \{s' \in \text{firt\_task}, s'.I \subsetneq s.I \text{ and } s' \text{ adjoin } s\}$ . Too weak service is not expected
  - to a service  $s \in \text{last\_task}$ ,  $\text{Strong}(s) : \{s' \in \text{last\_task}, s.I \subsetneq s'.I\}$
  - to a service  $s \in \text{last\_task}$ ,  $\text{Weak}(s) : \{s' \in \text{last\_task}, s'.I \subsetneq s.I \text{ and } s' \text{ adjoin } s\}$ . Too weak service is not expected
  - to a set of service  $S \subset \text{first\_task}$ ,  $\text{Strong}(S) : \text{Union}(\text{Strong}(\text{every } s \in S))$
  - to a set of service  $S \subset \text{first\_task}$ ,  $\text{Weak}(S) : \text{Union}(\text{Weak}(\text{every } s \in S))$
  - to a set of service  $S \subset \text{last\_task}$ ,  $\text{Strong}(S) : \text{Union}(\text{Strong}(\text{every } s \in S))$
  - to a set of service  $S \subset \text{last\_task}$ ,  $\text{Weak}(S) : \text{Union}(\text{Weak}(\text{every } s \in S))$



# APPROACH

## EXTENDED COMPOSITION PROBLEM

to a functional requirement  $FQ = (i, o)$ ,

where  $i$  = a set of  $W.fisrt\_task.services$ ,

$o$  = a set of  $W.last\_task.services$

There are 8 kind of basic Variation:  $FQ_{(s,s)}$ ,  $FQ_{(s,f)}$ ,  $FQ_{(s,w)}$ ,  $FQ_{(f,s)}$ ,  
 $FQ_{(f,w)}$ ,  $FQ_{(w,s)}$ ,  $FQ_{(w,f)}$ ,  $FQ_{(w,w)}$ ,

where  $s$  = Strong( $i$ ) or Strong( $o$ ),  $f$  = fixed( $i$ ) or fixed( $o$ ),  $w$  = Weak( $i$ ) or Weak( $o$ ). The former element apply  $i$ , latter element apply  $o$



# APPROACH

## EXTENDED COMPOSITION PROBLEM

- There are 3 degrees of Variation:
- $FQ_{\text{compatible}} = FQ \cup FQ_{(s,s)} \cup FQ_{(s,f)} \cup FQ_{(f,s)}$  , where compatible means functional compatible
- $FQ_{\text{trade-off}} = FQ \cup FQ_{(s,s)} \cup FQ_{(s,f)} \cup FQ_{(f,s)} \cup FQ_{(w,s)} \cup FQ_{(s,w)}$ , where trade-off means functional trade-off
- $FQ_{\text{compromise}} = FQ \cup FQ_{(s,s)} \cup FQ_{(s,f)} \cup FQ_{(f,s)} \cup FQ_{(w,s)} \cup FQ_{(s,w)} \cup FQ_{(f,w)} \cup FQ_{(w,f)} \cup FQ_{(w,w)}$ , where compromise means functional compromise



# APPROACH

## EXTENDED COMPOSITION PROBLEM

- extended composition problem definition:
  - input: a workflow template, a number of services, function requirement, the degree of Variation
  - procedure: According to the degree of Variation, calculate new function requirement, then the new system take each basic Variation in it as input
  - output: each basic Variation's QoS best workflow and its QoS, then generate a Scheme as selection advice to user.



# APPROACH

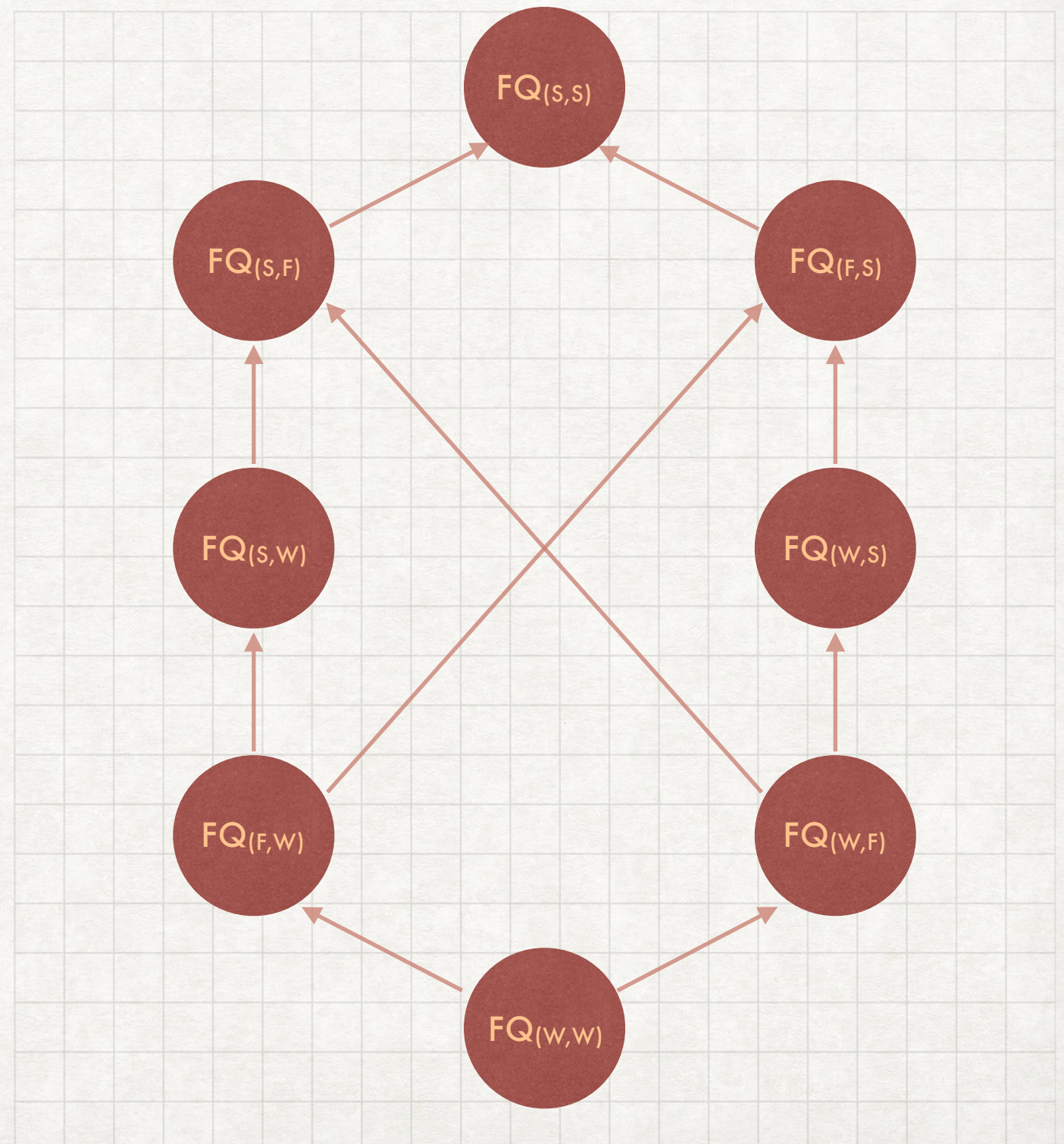
## EXTENDED COMPOSITION PROBLEM

- Scheme: some local QoS best workflows which belong to different basic Variation
- How to generate Scheme:
  - step1: calculate each basic Variation's QoS best workflow and its QoS as each node
  - step2: refer to graph in the right and Scheme algorithm below

for each node:

if this node's QoS is greater  
than every node it can get to:

add it to Scheme





# APPROACH

## ALGORITHM FOR EXTENDED COMPOSITION PROBLEM

- Full search algorithm: using dfs algorithm, but slow
- Skyline algorithm: apply function selection at every search step
- def selection(service\_list):
  - ans = {}
  - Next = Union(every service in service\_list.next)
  - while Next != {}:
    - s = QoS best in service\_list and s.next != {}
    - add s to ans
    - service\_list = service\_list - s
    - Next = Next - s.next
    - for service in service\_list:
      - service.next = service.next - s.next
  - return ans



# APPROACH

## ALGORITHM FOR EXTENDED COMPOSITION PROBLEM

- Naive Variation algorithm:
  - for basic\_variation in degree of variation:
    - Skyline(basic\_variation)
    - put the local best QoS into temp\_ans
  - Scheme(temp\_ans)



# APPROACH

## ALGORITHM FOR EXTENDED COMPOSITION PROBLEM

- Developed Variation algorithm:
  - divide basic\_variation in degree of variation into some groups by whether containing the same input
  - for each group:
    - Skyline(group.input)
    - put the local best QoS into temp\_ans
  - Scheme(temp\_ans)



# APPROACH

## ALGORITHM FOR EXTENDED COMPOSITION PROBLEM

- $FQ_{\text{compatible}} = [FQ, FQ_{(f,s)}], [FQ_{(s,f)}, FQ_{(s,s)}]$
- $FQ_{\text{trade-off}} = [FQ, FQ_{(f,s)}], [FQ_{(s,f)}, FQ_{(s,s)}, FQ_{(s,w)}], [FQ_{(w,s)}]$
- $FQ_{\text{compromise}} = [FQ_{(s,f)}, FQ_{(s,s)}, FQ_{(s,w)}], [FQ, FQ_{(f,s)}, FQ_{(f,w)}], [FQ_{(w,f)}, FQ_{(w,s)}, FQ_{(w,w)}]$



# IMPLEMENTATION

## EXTENDED COMPOSITION PROBLEM

- Evaluation of Proposal 1: How QoS can be improved by allowing Variation in functional requirements?
- calculate 1000 times random service composition problem
- Scheme improvement degree:  $\Sigma$  element's improvement of Scheme

Performance of three Variation degree in 828 valid cases

	Improved scheme numbers	average improvement degree(vs fixed functional requirements)
<b>FQ<sub>compatible</sub></b>	453	5.089129%
<b>FQ<sub>trade-off</sub></b>	485	8.827387%
<b>FQ<sub>compromise</sub></b>	566	11.80829%



# IMPLEMENTATION

## ALGORITHM FOR EXTENDED COMPOSITION PROBLEM

- Skyline vs Full search:
- step numbers: search from a service to a next service called one step

Comparison of the search space and time of Full search and Skyline

	step numbers	runtime(second)
<b>Full search</b>	2999026	16.729
<b>Skyline</b>	1974.1	0.5128
<b>Full search/ Skyline</b>	1519.1864647181	32.6228549141966



# IMPLEMENTATION

## ALGORITHM FOR EXTENDED COMPOSITION PROBLEM

- From the user perspective, maybe  $FQ_{\text{compromise}}$  is best, if he don't mind some functional compromise.  $FQ_{\text{compatible}}$  is the next best

Comparison of the search space and time of different Variation

	step numbers	runtime(second)
<b>Fixed functional requiremnet</b>	2113	0.569703
<b>Naive Variation algorithm <math>FQ_{\text{compatible}}</math></b>	6550	2.017894
<b>Naive Variation algorithm <math>FQ_{\text{trade-off}}</math></b>	8837	2.642321
<b>Naive Variation algorithm <math>FQ_{\text{compromise}}</math></b>	13062	3.992750
<b>Developed Variation algorithm <math>FQ_{\text{compatible}}</math></b>	4100	0.992360
<b>Developed Variation algorithm <math>FQ_{\text{trade-off}}</math></b>	5456	1.231265
<b>Developed Variation algorithm <math>FQ_{\text{compromise}}</math></b>	5867	1.263835



# DISCUSSION

## LIMITATION

- the condition functional compromise can not tolerate
- the example in page 10:
  - web service providers want to create a service, which service purpose: help user to rental a car for climbing mountains



# DISCUSSION

## FUTURE WORK

- concern QoS constraint
- research Skyline and Variation algorithm is different scalability, such as change task numbers and services numbers in each task