

Semantic Latent Space in Diffusion Models

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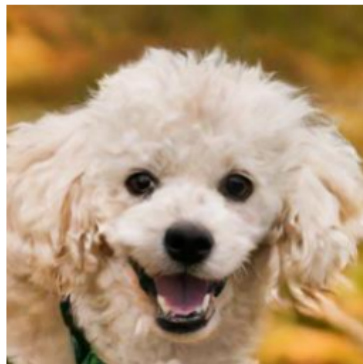
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Task Description

- Controlling the generative process in diffusion models to get desirable changes.



(a) "Dog"



(b) "Smiling Dog"

Figure: Generate the image (b) given (a) with attribute "smiling"

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Denoising Diffusion Implicit Model

- DDIM conditions the original process on the original image x_0

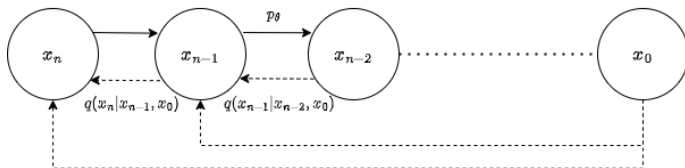


Figure: Non-Markovian process which trains faster than DDPM.

$$x_{t-1} = \sqrt{\alpha_{t-1}} \left(\frac{x_t - \sqrt{1 - \alpha_t} \epsilon_t^\theta(x_t)}{\sqrt{\alpha_t}} \right) + \sqrt{1 - \alpha_{t-1} - \sigma_t^2} \cdot \epsilon_t^\theta(x_t) + \sigma_t z_t, \quad (1)$$

Denoising Diffusion Implicit Model

- $\mathbf{P}_t(\epsilon_t^\theta(x_t)) := \left(\frac{x_t - \sqrt{1 - \alpha_t} \epsilon_t^\theta(x_t)}{\sqrt{\alpha_t}} \right),$
 $\mathbf{D}_t(\epsilon_t^\theta(x_t)) := \sqrt{1 - \alpha_{t-1} - \sigma_t^2} \cdot \epsilon_t^\theta(x_t)$
- Now, (1) becomes

$$x_{t-1} = \sqrt{\alpha_{t-1}} \mathbf{P}_t(\epsilon_t^\theta(x_t)) + \mathbf{D}_t(\epsilon_t^\theta(x_t)), \quad (2)$$

- Can we manipulate $\epsilon_t^\theta(x_t)$ to get desired changes?
 - If yes, How do we know the direction of the $\Delta\epsilon$ change?
 - Ans: Use CLIP

CLIP

- CLIP embeds images and texts, whose similarity indicates semantic similarity between them

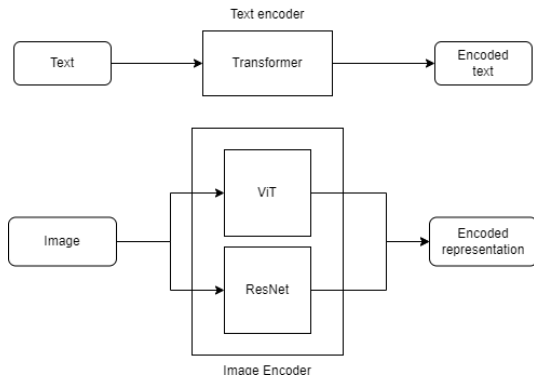


Figure: Architecture of CLIP

- $E_T : \text{text} \rightarrow \mathbb{R}^N, E_I : \text{Image} \rightarrow \mathbb{R}^N$

- **Idea:** Maximise cosine similarity between target description and edited image.
- Directional loss with cosine distance achieves homogeneous editing without mode collapse

$$\mathcal{L}(x^{edit}, y^{target}; x^{source}, y^{source}) := 1 - \frac{\Delta I \cdot \Delta T}{\|\Delta I\| \cdot \|\Delta T\|}, \quad (3)$$

where

$$\Delta I := E_I(x^{edit}) - E_I(x^{source}), \Delta T := E_T(y^{target}) - E_T(y^{source})$$

- For example: Given a face image x^{source} and attribute `smiling` $y^{target} := \text{"smiling face"}$ $y^{source} := \text{"face"}$, we optimise x^{edit} on 3

Learned Perceptual Image Patch Similarity

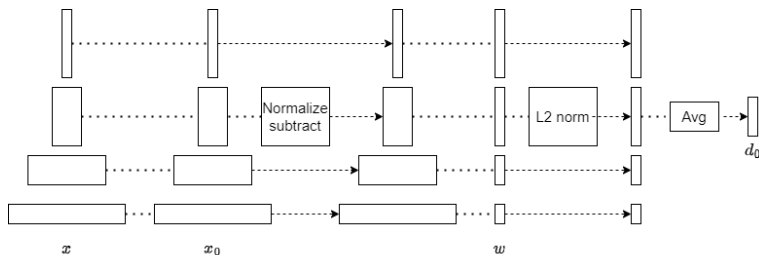


Figure: LPIPS is used to measure similarity in between images x and x_0

- LPIPS computes the similarity between the activations of two image patches for some pre-defined network.
- This measure has been shown to match human perception well.
- A low LPIPS score means that image patches are perceptually similar.

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Discovering Latent Space

- **Update** x_T to optimize the directional CLIP loss given text prompts: leads to distortion or incorrect manipulation

DDIM Reverse Process

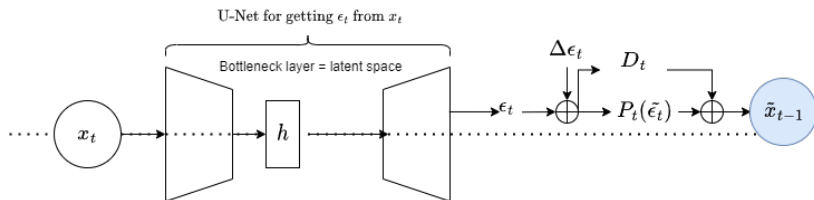


Figure: Comparison of DDIM and Asyrp

- **Shift the noise vector** ϵ_t^θ at each sampling step: changes in \mathbf{P}_t and \mathbf{D}_t cancel out similar to destructive interference

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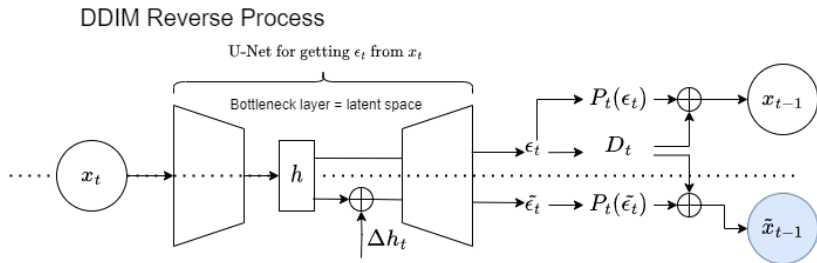
Asymmetric Reverse Process

- Asyrp applies change to only \mathbf{P} term

$$\tilde{x}_{t-1} = \sqrt{\alpha_{t-1}} \mathbf{P}_t(\tilde{\epsilon}_t^\theta(x_t)) + \mathbf{D}_t(\epsilon_t^\theta(x_t)), \quad (4)$$

where

$$\Delta \epsilon_t = \tilde{\epsilon}_t^\theta - \epsilon_t^\theta$$

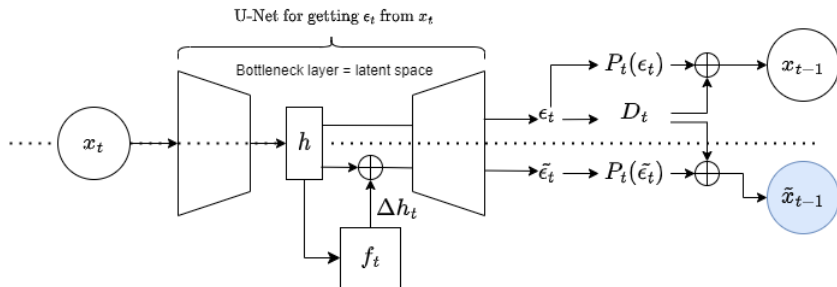


- Changes are applied to bottleneck of U-net

Asymmetric Reverse Process

- Additionally, instead of optimizing Δh at every time, a neural f_t is trained on clip loss to predict Δh_t

DDIM Reverse Process



Asymmetric Reverse Process

\mathcal{H} -space

The h -space, represented by h_t , has smaller spacial resolutions and high-level semantics than ϵ_t^θ

$$x_{t-1} = \sqrt{\alpha_{t-1}} \mathbf{P}_t(\epsilon_t^\theta(x_t | \Delta h_t)) + \mathbf{D}_t(\epsilon_t^\theta(x_t)) + \sigma_t \mathbf{Z}_t \quad (5)$$

Optimizing Δh_t requires a lot of training examples and training time and thus we define a function $f_t(h_t)$ (implemented as a neural network) which produces Δh_t for a given h_t and t . f_t converges faster than learning all Δh_t .

Editing Intervals and Quality Boosting

In a diffusion model, early time-steps generate high-level context. Later time steps generate fine details.

Editing Interval: the smallest early interval $[T, t_{edit}]$ that brings enough distinguishable changes to the images. *Editing Strength* is used to determine t_{edit} :

$$\xi_t = LPIPS(x, \mathbf{P}_T) - LPIPS(x, \mathbf{P}_t) \\ LPIPS(x, x_{t_{edit}}) = 0.33$$

Boost Interval: Injecting stochastic noise improves image quality but longer intervals may cause modifications to the image. *Quality Deficiency*, which measures the noise in x_t compared to original image x , is used to determine t_{boost} :

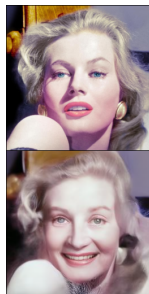
$$\lambda_t = LPIPS(x, x_t) \\ \lambda_t = LPIPS(x, P_{t_{boost}}) = 1.2$$

Generative Process

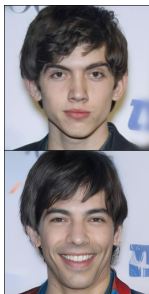
$$p_{\theta}^{(t)}(x_{t-1}|x_t) = \begin{cases} \mathcal{N}(\sqrt{\alpha_{t-1}}\mathbf{P}_t(\epsilon_t^{\theta}(x_t|\mathbf{f}_t)) + \mathbf{D}_t, \sigma_t^2\mathbf{I}), \eta = 0 & [T, t_{edit}] \\ \mathcal{N}(\sqrt{\alpha_{t-1}}\mathbf{P}_t(\epsilon_t^{\theta}(x_t)) + \mathbf{D}_t, \sigma_t^2\mathbf{I}), \eta = 0 & (t_{edit}, t_{boost}] \\ \mathcal{N}(\sqrt{\alpha_{t-1}}\mathbf{P}_t(\epsilon_t^{\theta}(x_t)) + \mathbf{D}_t, \sigma_t^2\mathbf{I}), \eta = 1 & (t_{boost}, 0] \end{cases} \quad (6)$$

Results

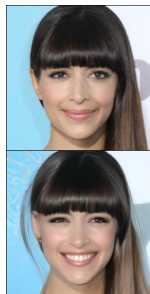
These are the results that we got by implementing changes for a h-space in a DDIM:



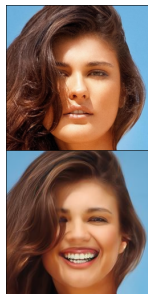
(a)



(b)



(c)



(d)

Figure: Top is the input. Bottom is output

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Work Distribution

- 1 Coding and Theory: Dadhichi Telwadkar and Prateek Garg
- 2 Presentation and Report: Vinayak Goyal, Bhavya Singh

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Kwon, M., Jeong, J. & Uh, Y. Diffusion Models Already Have A Semantic Latent Space. *The Eleventh International Conference On Learning Representations* . (2023), <https://openreview.net/forum?id=pd1P2eUBVfq>



Song, J., Meng, C. & Ermon, S. Denoising Diffusion Implicit Models. *International Conference On Learning Representations*. (2021), <https://openreview.net/forum?id=St1giarCHLP>



Radford, A., Kim, J., Hallacy, C., Ramesh, A., Goh, G., Agarwal, S., Sastry, G., Askell, A., Mishkin, P., Clark, J., Krueger, G. & Sutskever, I. Learning Transferable Visual Models From Natural Language Supervision. (2021)



Zhang, R., Isola, P., Efros, A., Shechtman, E. & Wang, O. The Unreasonable Effectiveness of Deep Features as a Perceptual Metric. (2018)

The End

Questions? Comments?