

**DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING**

SRM Nagar, Kattankulathur – 603203, Chengalpattu District, Tamilnadu

Academic Year: 2021-22 (Even)

Test : CLAT- 1

Date : 07/04/2022

Course Code &amp; Title : 18MAB302T-Discrete Mathematics for Engineers

Duration : 1 Period (50 minutes)

18MAB302T – Discrete Mathematics for Engineers		Program Outcomes (POs)														
		Graduate Attributes												PSO		
		1	2	3	4	5	6	7	8	9	10	11	12	1	2	3
S. No.	Course Outcomes (COs)															
1	Problem solving in sets, relations and functions.	M	H	M						M	M		H	-	-	-
2	Solving problems in basic counting principles, inclusion exclusion and number theory.	M	H		M	M				M			H	-	-	-
3	Solving problems of mathematical logic, inference theory and mathematical induction.	M	H							M			H	-	-	-
4	Gaining knowledge in groups, rings and fields. Solving problems in coding theory.	M	H		M					M			H	-	-	-
5	Gaining knowledge in graphs and properties. Learning about trees, minimum spanning trees and graph coloring.	M	H	M						M	M		H	-	-	-
6	Learning mathematical reasoning, combinatorial analysis, algebraic structures and graph theory.	M	H							M			H	-	-	-

Year &amp; Sem : II &amp; III

Max. Marks: 25

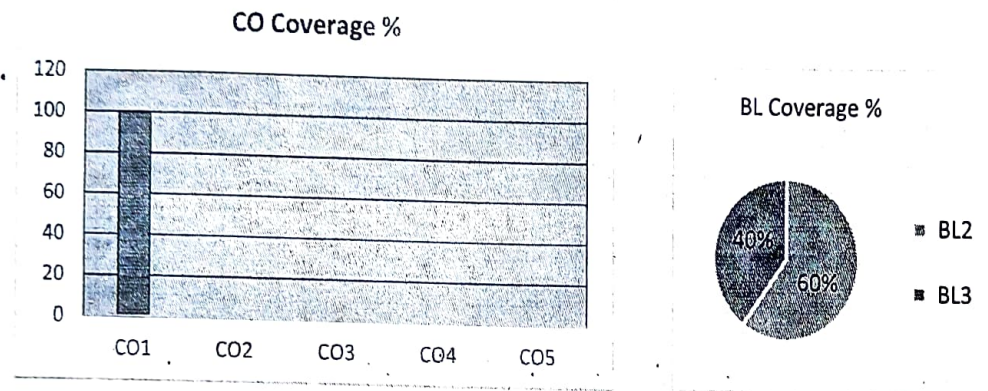
Course Articulation Matrix:

Part - A						
(3 x 4 = 12 Marks)						
Instructions: Answer all Questions						
Q. No	Question	Marks	BL	CO	PO	PI Code
1	Prove that $(A - C) \cap (C - B) = \emptyset$ analytically where $A, B, C$ are sets.	4	2	1	1	1.1.1
2	Draw the Hasse diagram representing the partial ordering $\{(A, B) / A \subseteq B, A, B \in P(S) \text{ where } S = \{x, y, z\}\}$ . Here $P(S)$ denotes the power set of the set $S$ .	4	3	1	2	2.1.1
3	Give an example of a relation $R$ such that (i) $R$ is reflexive, transitive but not symmetric. (ii) $R$ is neither symmetric nor anti – symmetric.	4	3	1	2	2.4.4

**Part – B**  
(1x 13 = 13 Marks)

4	a) Given $R = \{(1, 1), (1, 2), (1, 4), (2, 2), (2, 3), (3, 4), (4, 1)\}$ defined on the set $A = \{1, 2, 3, 4\}$ , find the transitive closure of $R$ using Warshall's algorithm.	7	3	1	2	2.1.3
	b) Prove that when two functions are bijective, then their composition will always yield a bijective function.	6	2	1	2	2.1.2

**Course Outcome (CO) and Bloom's level (BL) Coverage in Questions**



Approved by the Audit Professor/Course Coordinator