

## Declaration and statement of authorship

I, bearing Roll No. 106119100, agree and acknowledge  
that:

- 1) The assessment was answered by me as per instruction applicable to each assessment, and that I have not resorted to any unfair means to deliberately improve my performance.
- 2) I have neither impersonated anyone, nor have been impersonated by any person for the purpose of assessment.

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03/12/2021

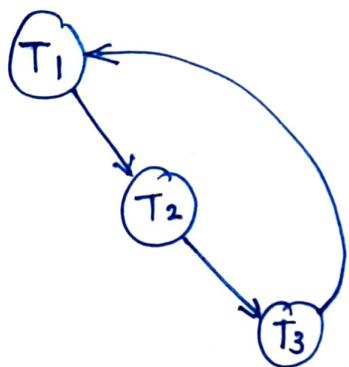
END SEM EXAM  
CSPC 52 - DBMS

106119100

Rajneesh Pandey

Question ①

(a) precedence graph,

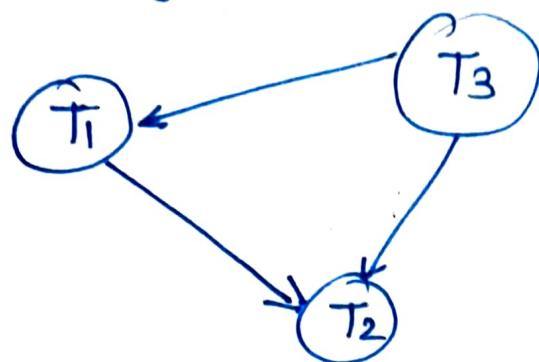


we can see here clearly  
that a cycle exists,  
hence,  
it is not conflict serializable.

- (i) initial Read → as only one read is,  
happening, this satisfies
- (ii) final write → as only a single write  
is happening, this satisfies.
- (iii) update Read → This fails, because in any  
serial schedule, due to the  
cycle, there would be  
update conflict.

Hence, it is NOT view serializable.

(b) precedence graph:



we can clearly see that there is no cycle here.

Hence, it is conflict serializable.

Topological sort:

T<sub>3</sub>, T<sub>1</sub>, T<sub>2</sub>

so, the serial schedule would be

T<sub>3</sub>, T<sub>1</sub>, T<sub>2</sub> Ans

As, it is conflict serializable, hence it is also view serializable.

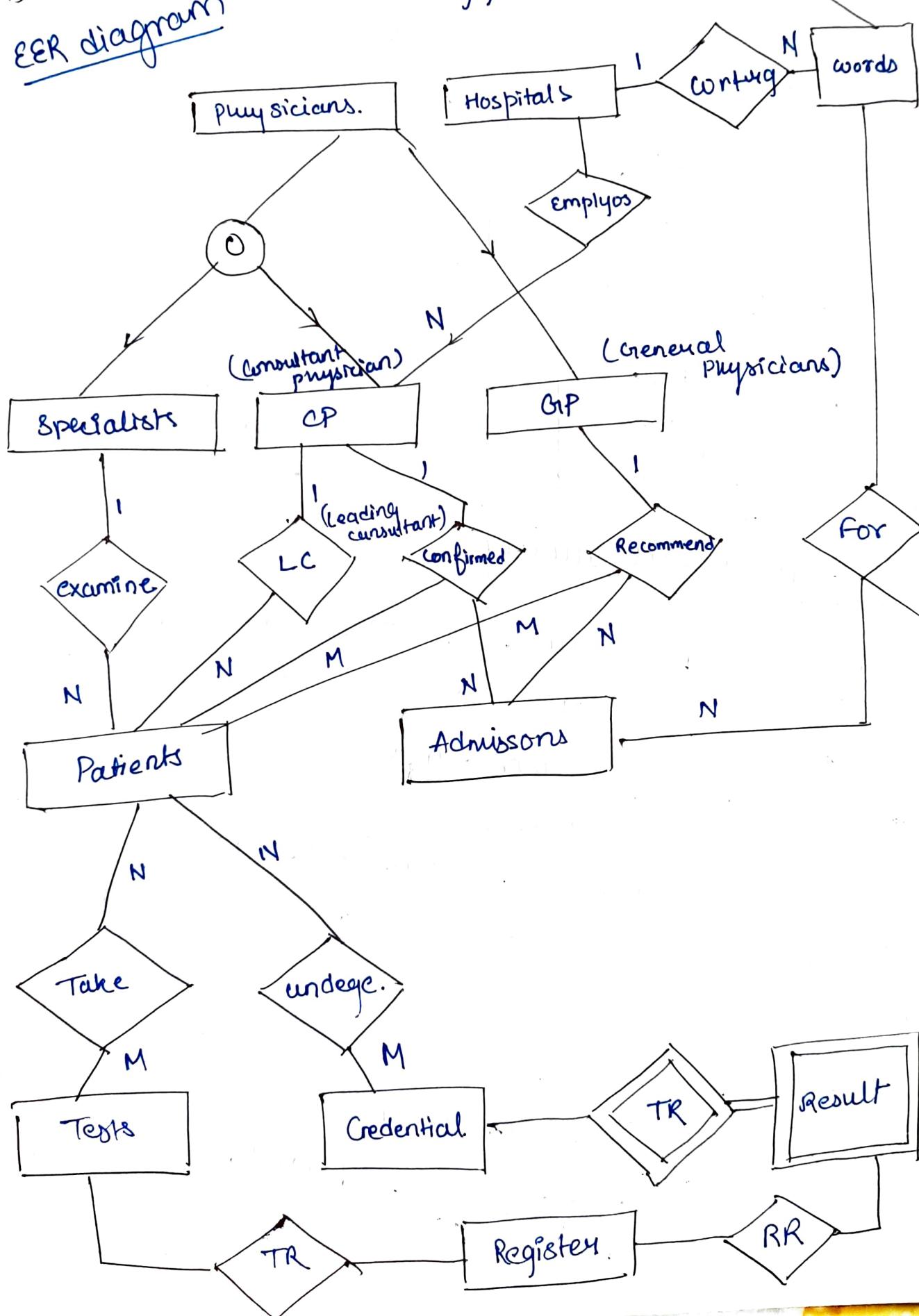
## Question ②

(i)

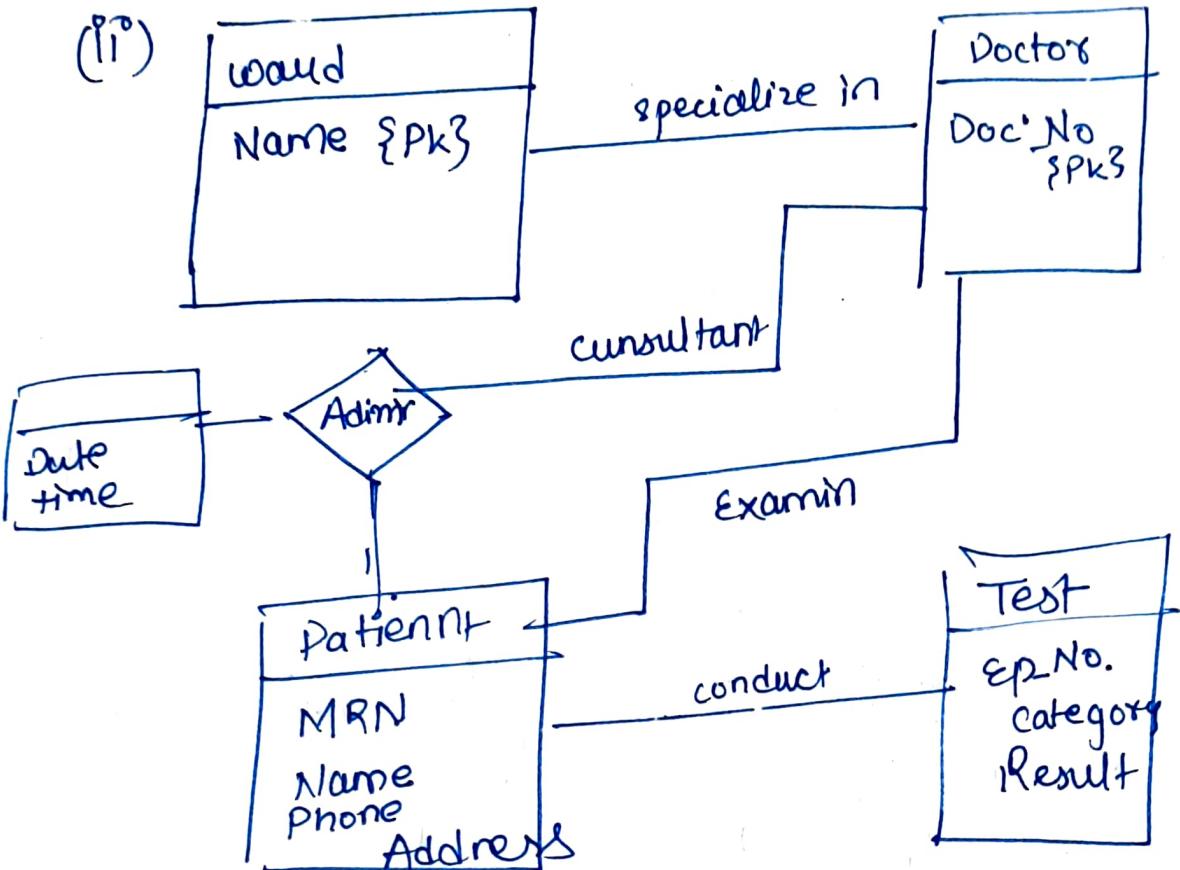
EER diagram

word Name  
{ Maternity,  
Pediatric,  
Oncology... }

wordname.



(ii)



(iii) four sql query's:

(a) `SELECT d.name as "Department",  
p.name as "physician"  
FROM department d,  
physician p.  
WHERE d.head = p.employeeid;`  
physicians who are the head of department

(b) Nurses not Registered

`SELECT * FROM nurse  
WHERE registered = 'false';`

(c) Patient book appointment with at least with one doctor

SELECT count(DISTINCT patient) AS  
"No. of patients taken at least  
one appointment"  
FROM appointment;

(d) count No. of room available

SELECT count(\*) "Number of available  
rooms"  
FROM room  
WHERE unavailable = 'false';

(e) More SQL queries

SELECT \* FROM Patient

SELECT \* FROM Doctors

SELECT \* FROM Ward

### Question 3

R {A<sub>1</sub>, A<sub>2</sub>, A<sub>3</sub>, A<sub>4</sub>, A<sub>5</sub>, A<sub>6</sub>, A<sub>7</sub>, A<sub>8</sub>}

FD: {

A <sub>1</sub> , A <sub>2</sub> → A <sub>3</sub>
A <sub>1</sub> , A <sub>3</sub> → A <sub>2</sub>
A <sub>1</sub> , A <sub>4</sub> → A <sub>3</sub>
A <sub>2</sub> → A <sub>4</sub>
A <sub>2</sub> , A <sub>3</sub> → A <sub>1</sub>
A <sub>5</sub> → A <sub>7</sub>

}

Now, if we find the candidate keys.

$$\left\{ \begin{array}{l} A_1 A_2 A_6 A_8^+ = A_1 A_2 A_3 A_4 A_5 A_6 A_7 A_8 - (I) \\ A_1 A_3 A_6 A_8^+ = A_1 A_2 A_3 A_4 A_5 A_6 A_7 A_8 - (II) \\ A_2 A_3 A_6 A_8^+ = A_1 A_2 A_3 A_4 A_5 A_6 A_7 A_8 - (III) \end{array} \right.$$

Candidate key

Now, to decompose into BCNF using the rule:  
Non-trivial  $\alpha \rightarrow \beta$ , decompose as

- (i)  $\alpha \cup \beta$
- (ii) R - ( $\beta - \alpha$ )

→ For every non trivial FD that's not superkey, decomposes.

(i)  $A_1 A_2 \rightarrow A_3$

Decompose, R as  $R_0 (A_1 A_2 A_3 A_4 A_5 A_7)$   
AND

$R_1 (A_1 A_2 A_6 A_8)$

(ii)  $A_1 A_3 \rightarrow A_2$

$A_1 A_3$  is superkey in  $R_1$ , no chance.

(iii)  $A_1 A_4 \rightarrow A_5$

Decompose  $R_1$  as  $R_2 (A_1, A_4, A_5 A_7)$   
AND

$R_3 (A_1 A_2 A_3 A_6)$

(iv)  $A_2 \rightarrow A_4$ .

$R_3$  is split as  $R_4 (A_2, A_4)$  and  
 $R_5 (A_1, A_2, A_3)$

(v)  $A_2 A_3 \rightarrow A_1$

this is already a superkey in  $R_5$

(vi)  $A_5 \rightarrow A_7$

Violates  $R_2$  as  $A_5$  is not a superkey

$R_2$  is split as  $R_6 (A_5, A_7)$  and  
 $R_7 (A_1 A_6 A_8)$

so,

we  
get,

$R_0$	( $A_1 A_2 A_6 A_8$ )
$R_4$	( $A_2 A_4$ )
$R_5$	( $A_1 A_2 A_3$ )
$R_6$	( $A_5 A_7$ )
$R_7$	( $A_1 A_4 A_5$ )

BCNF is satisfied

#### Question ④

$$F \{ A_1 \rightarrow A_2, A_2 \rightarrow A_3, A_1 \rightarrow A_3, A_1 A_2 \rightarrow A_1 \}$$

so, we get  $PD$ : functional dependencies.

Step 1:  $FD$  with only one attribute as RHS

$$\begin{aligned} A_1 &\rightarrow A_2 \\ A_2 &\rightarrow A_3 \\ A_1 &\rightarrow A_3 \\ A_1 A_2 &\rightarrow A_1 \end{aligned}$$

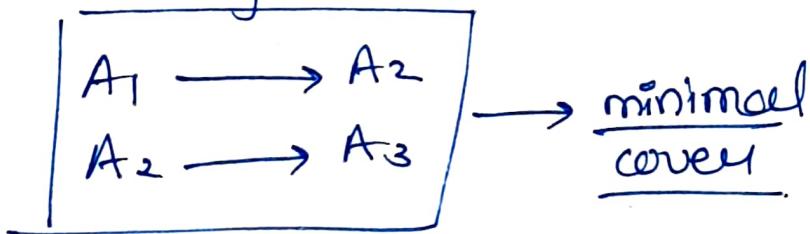
Step 2: Remove Trivial FD's

$$\begin{aligned} A_1 &\rightarrow A_2 \\ A_2 &\rightarrow A_3 \\ A_1 &\rightarrow A_3 \end{aligned}$$

Step 3: Minimizing the LHS, we obtained  
some as above

$$\left\{ \begin{array}{l} A_1 \rightarrow A_2 \\ A_2 \rightarrow A_3 \\ A_1 \rightarrow A_3 \end{array} \right\} \rightarrow \text{transition}$$

## Step 4: Removing Redundant FD's



we got the answer

## Question 5

$F: \{A \rightarrow B, BC \rightarrow D\}$   
 Attributes  $\{A, B, C, D\}$

so, for  $F^+$ , we get the following.

trivial. {

$$\begin{array}{l} A \rightarrow A \\ B \rightarrow B \\ C \rightarrow C \\ D \rightarrow D \\ E \rightarrow E \end{array}$$

so, we now  
get the closures

$$A \rightarrow AB, (A)^+ = AB.$$

$$\begin{array}{l} (B)^+ : B \\ (C)^+ : C \\ (D)^+ : D. \end{array}$$

$$\begin{array}{l} AB \rightarrow AB, \\ AC \rightarrow ABCD \end{array}$$

$$\begin{array}{l} (AB)^+ : AB \\ (AC)^+ : ABCD \end{array}$$

$$BC \rightarrow BCD$$

$$(BC)^+ : BCD$$

$$AD \rightarrow ADB$$

$$(AD)^+ : ADB$$

$$BD \rightarrow BD$$

$$(BD)^+ : BD.$$

$$CD \rightarrow CD$$

$$(CD)^+ : CD$$

$$ABC \rightarrow ABCD$$

$$\underline{(ABC)^+ : ABCD}$$

$$ABD \rightarrow ABD$$

$$\underline{(ABD)^+ : ABD}$$

$$BCD \rightarrow BCD : (BCD)^+ : BCD$$

$$ACD \rightarrow ABCD : (ACD)^+ : (ABCD)$$

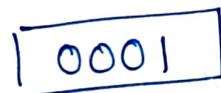
$$ABCD \rightarrow ABCD : (ABCD)^+ : ABCD.$$

Hence, we obtain  $P^+$  as the union of all the closures of the attributes.

## Question ⑥

Insertions in  $B^+$  tree.

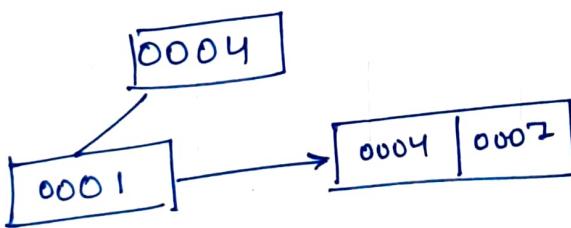
(i) 1



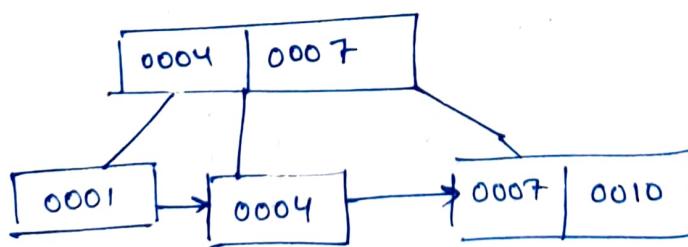
(ii) 4



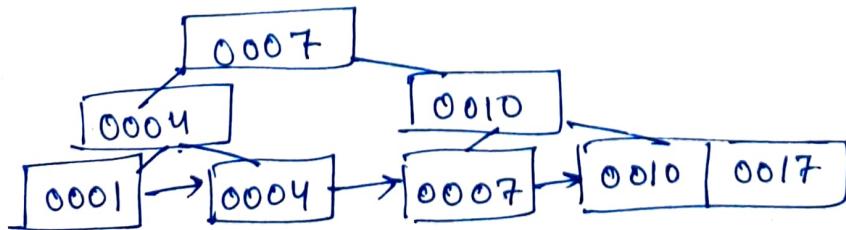
(iii) 7



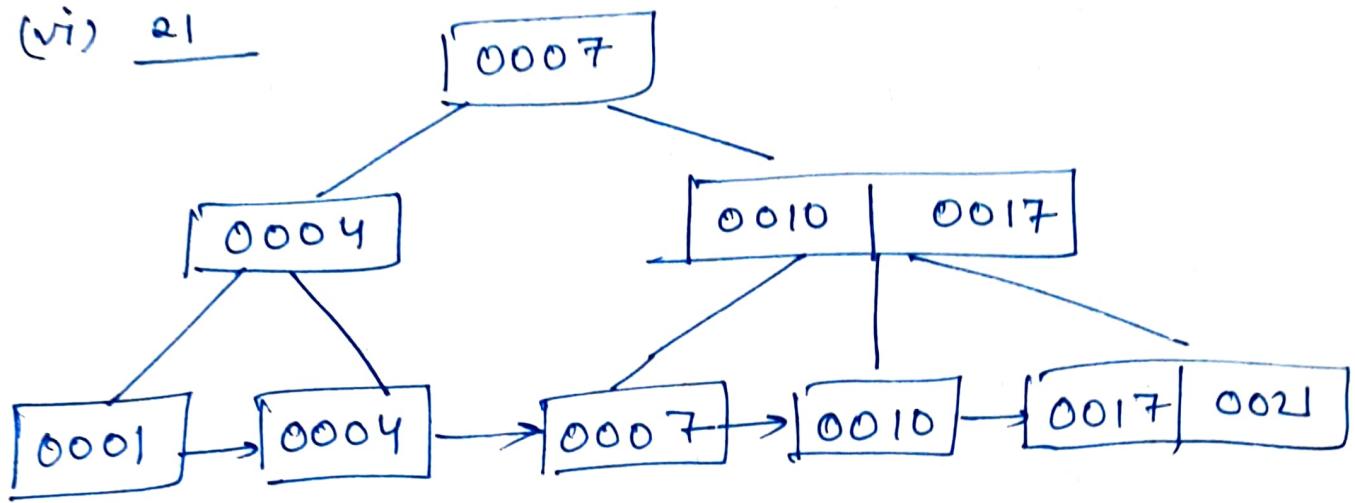
(iv) 10



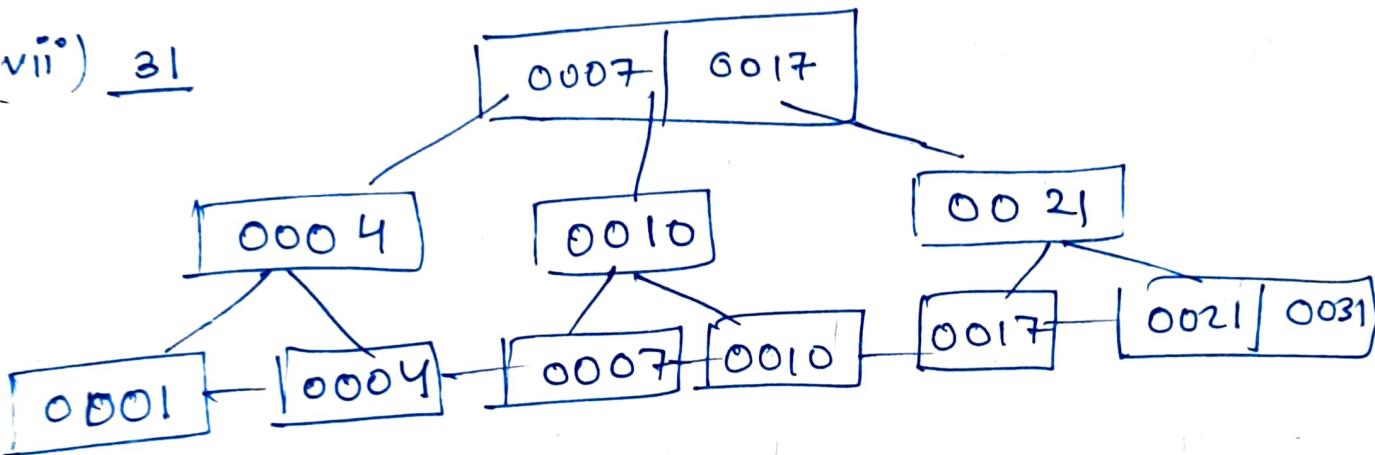
(v) 17



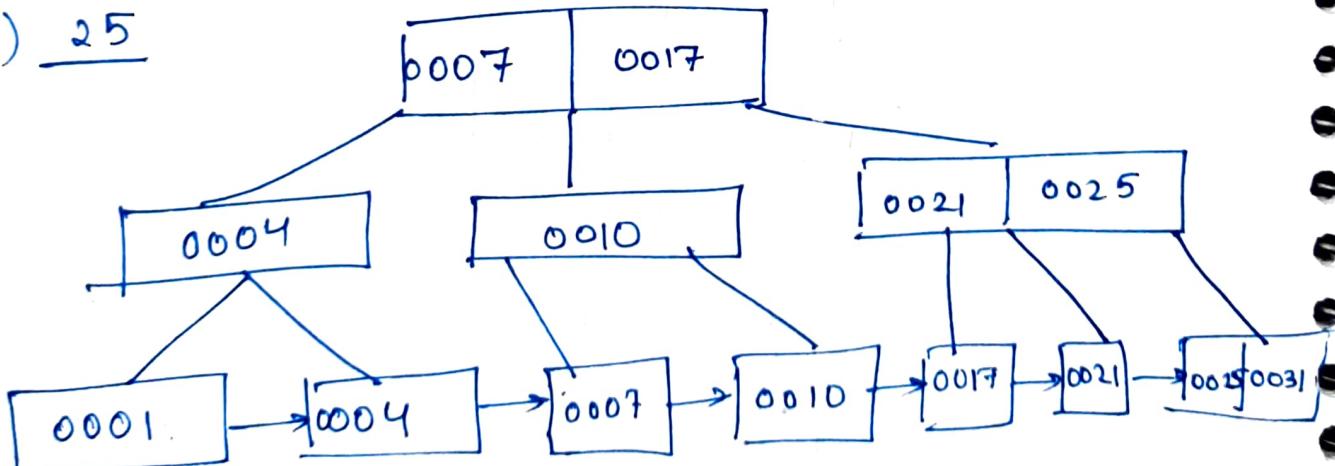
(vi) 21



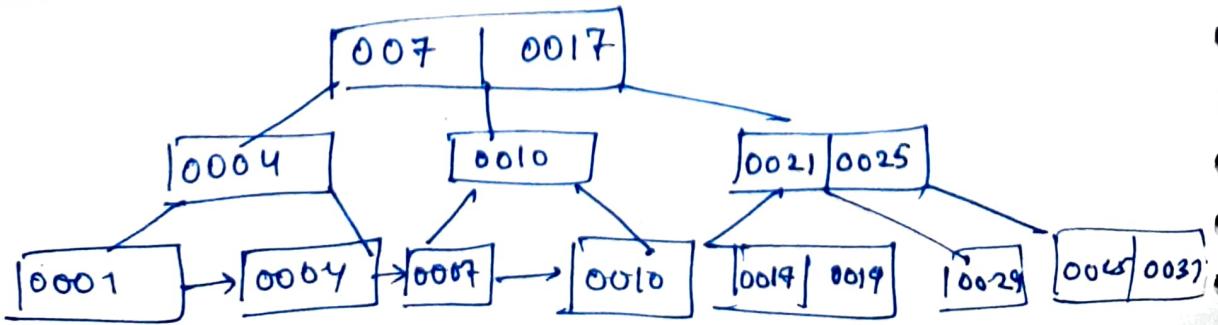
(vii) 31



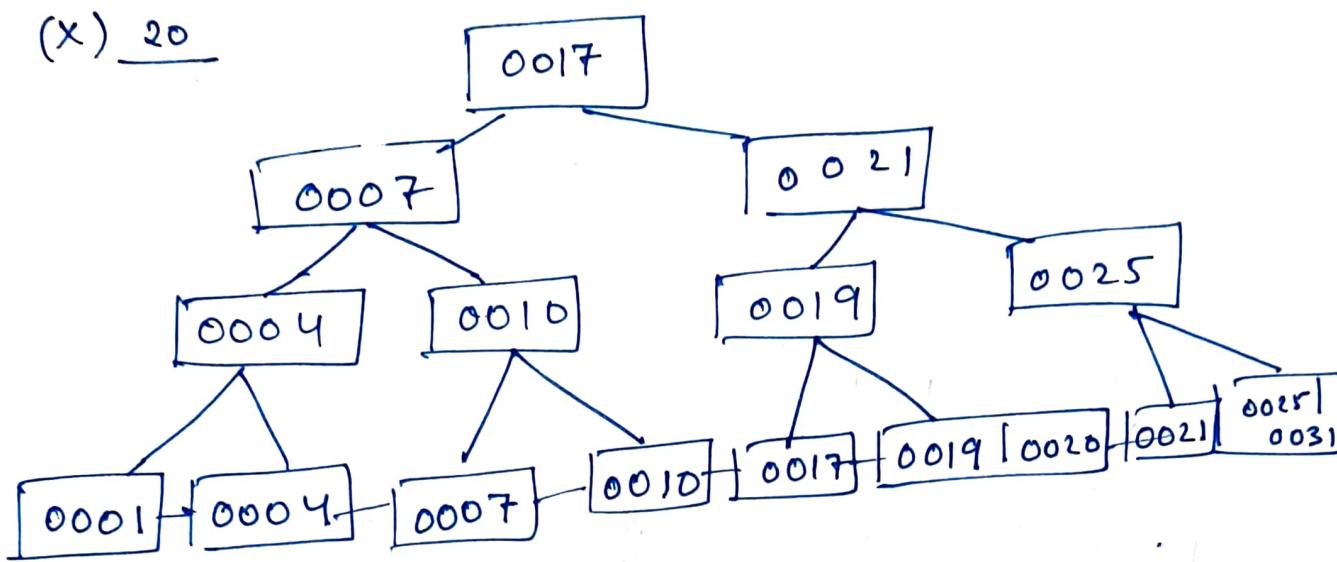
(viii) 25



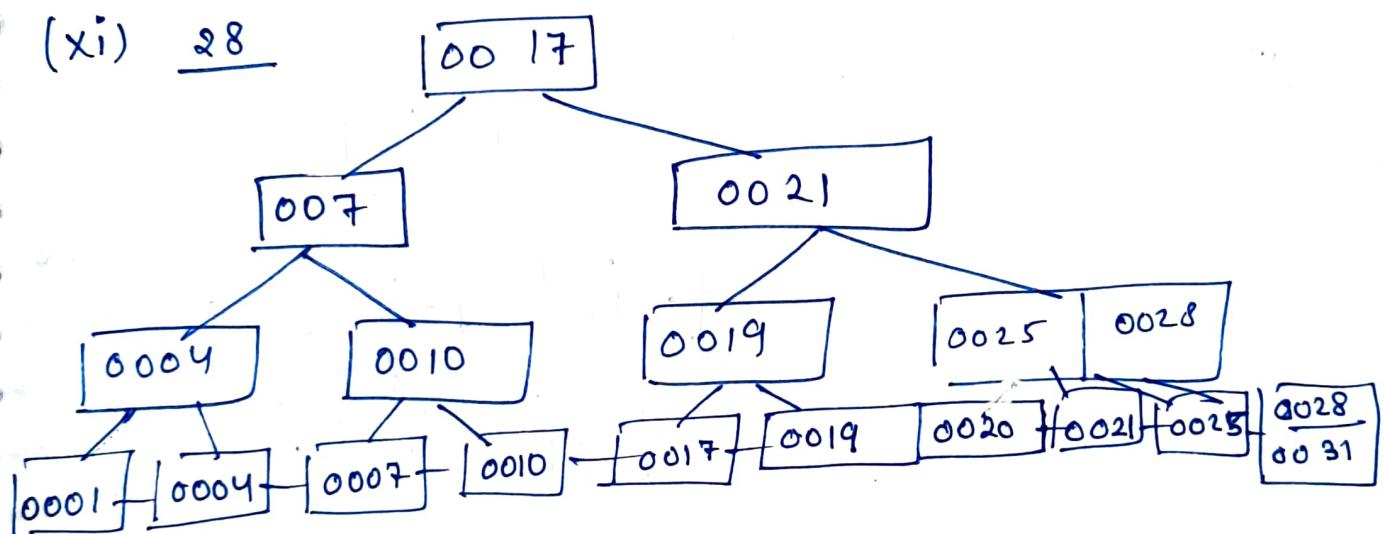
(ix) 19



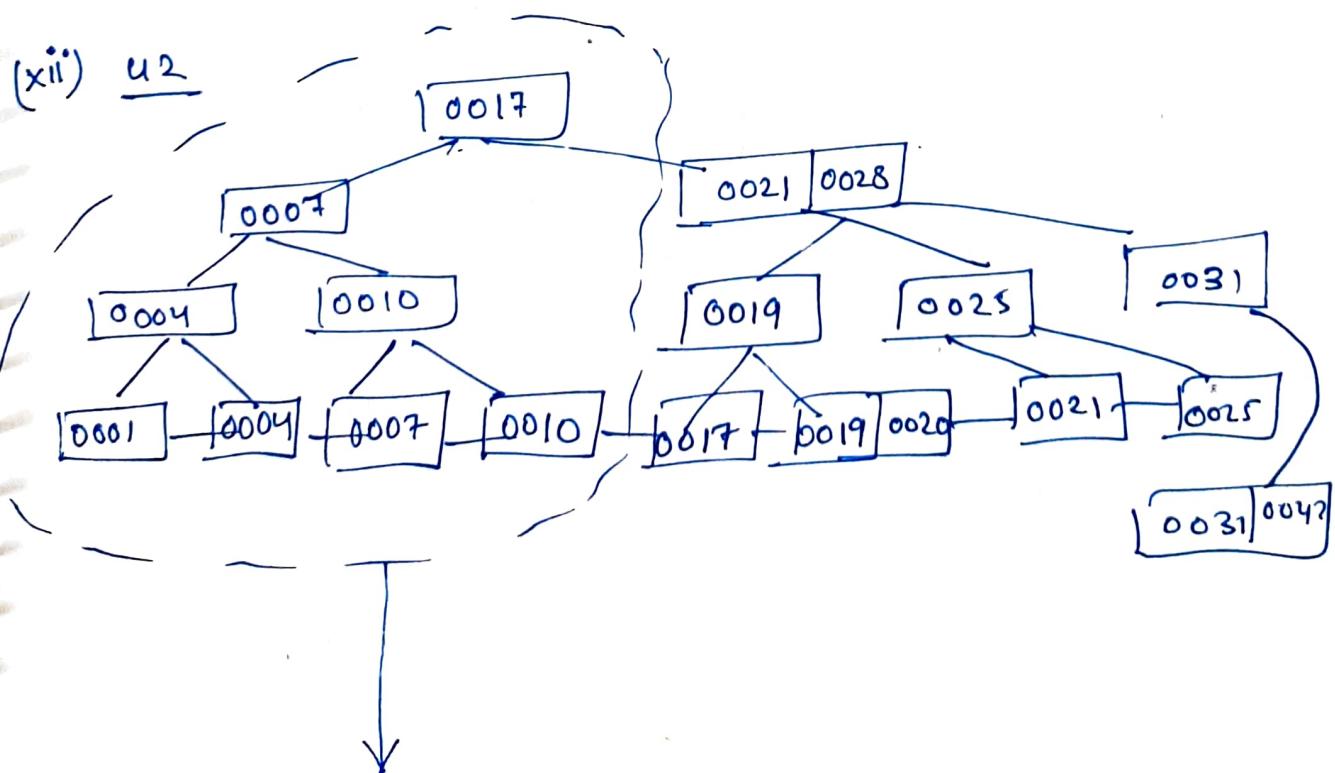
(x) 20



(xi) 28



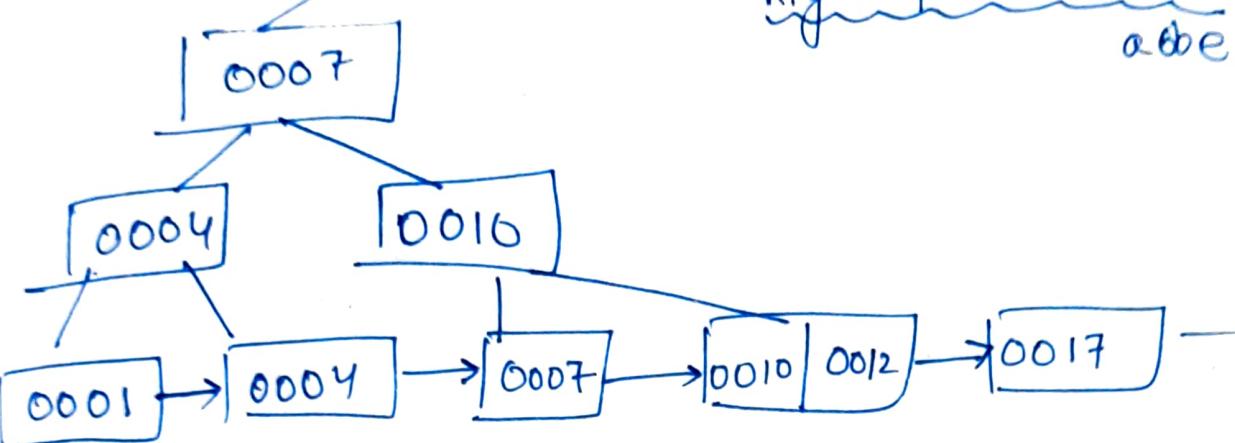
(xii) 42



(xiii) 12

0017

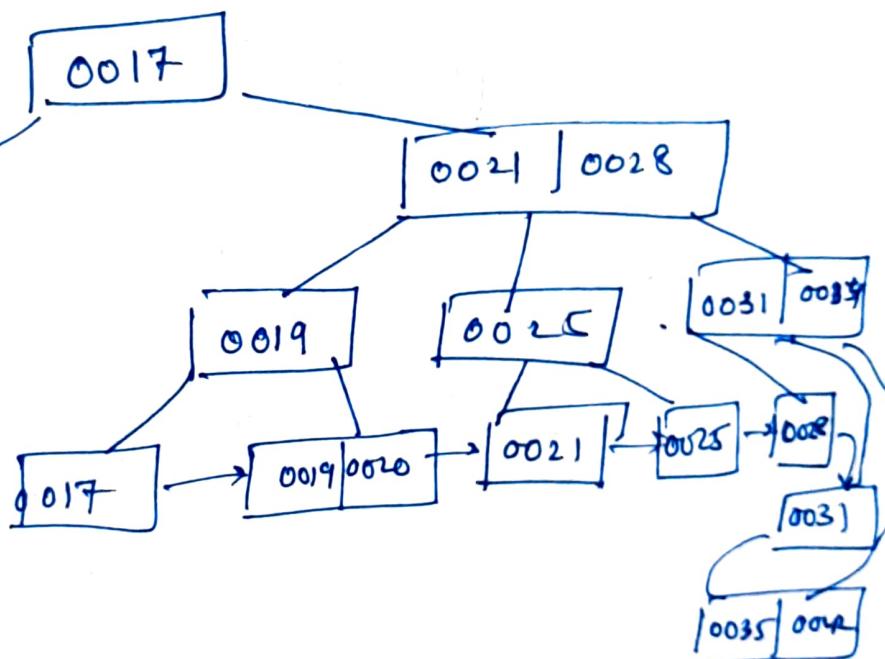
Right part is same as above



(xiv) 34

0017

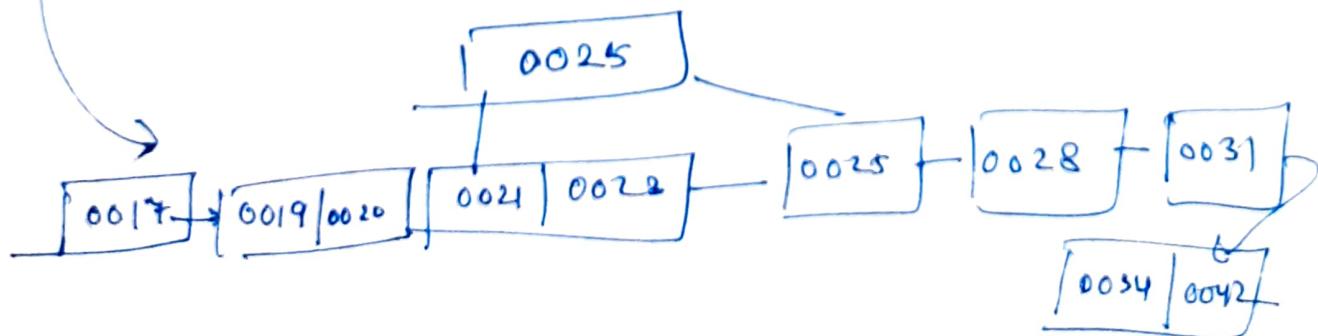
left part  
same as  
above



(xv) 23

same as above

inserting at the last leaf node

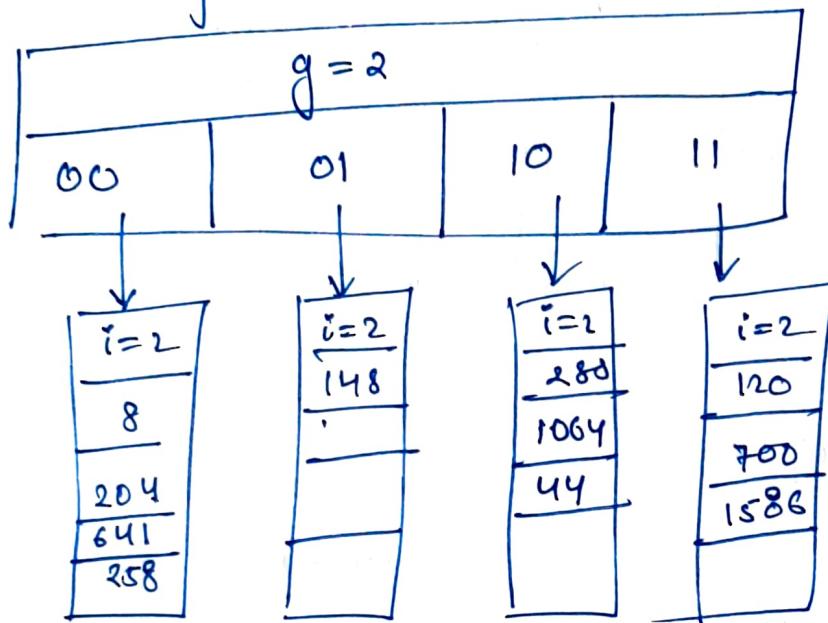


Hence all insertion done.

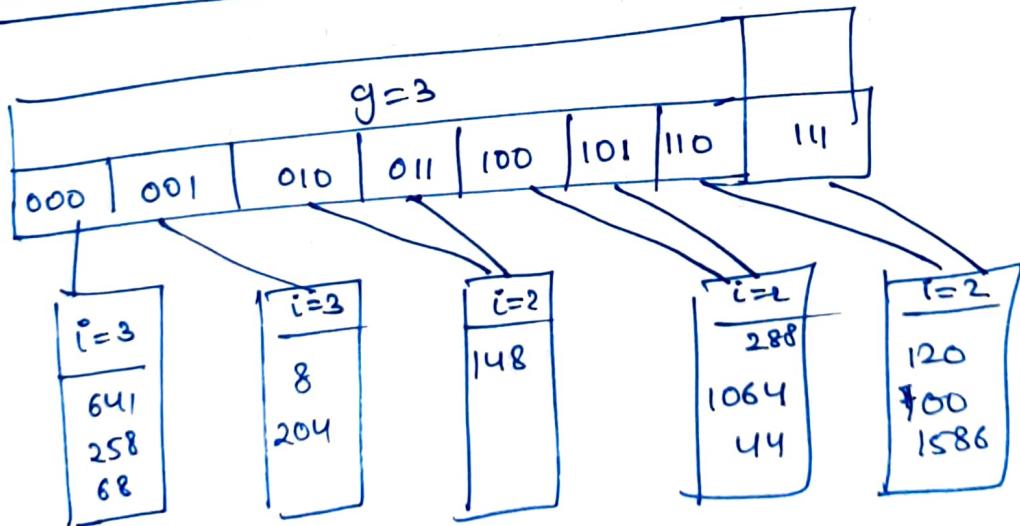
## Question 7

6-bit hash  $\rightarrow 2^6 = 64$ .

→ Directory and Bucket structure.

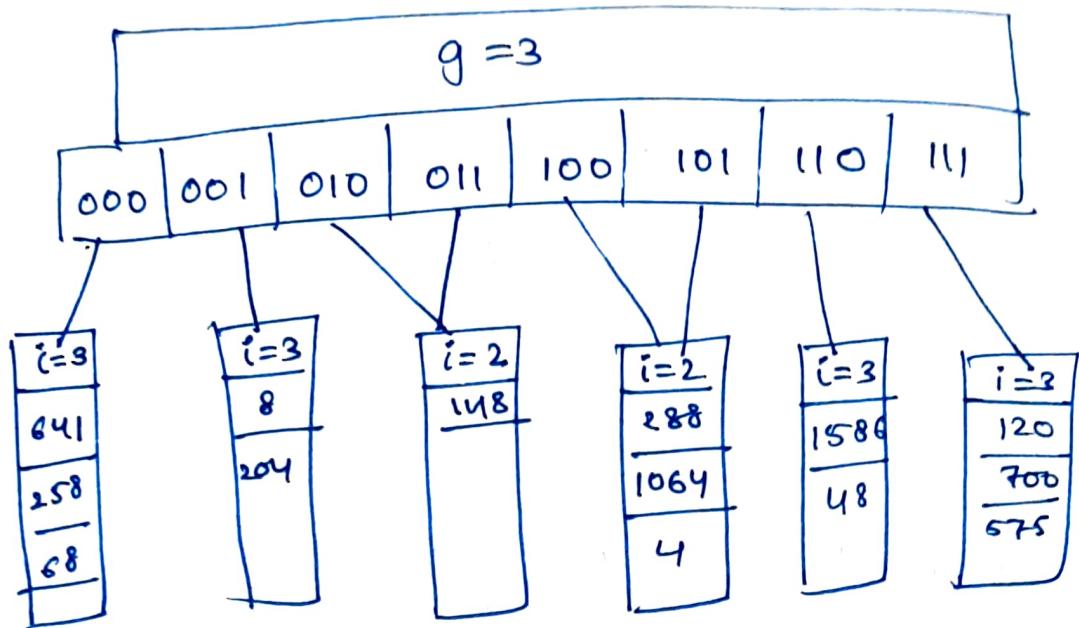


(i) insert 68 :  $68 \bmod 64 = 4$

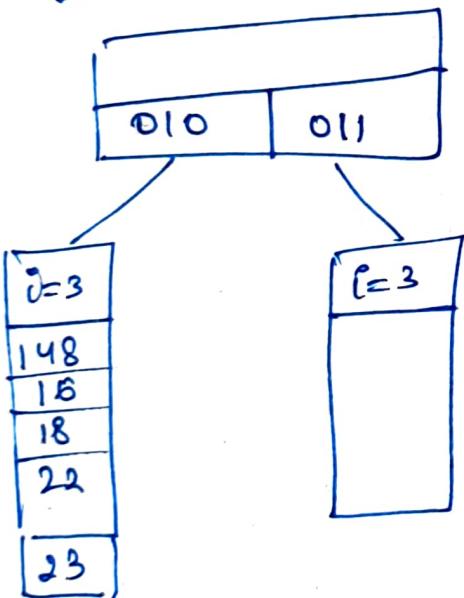


Bucket and directory split

(ii) inserting 48 and 575 → Bucket split  
no directs split



(iii) insert 16, 18, 22, 23



multiple splits

$$16 \bmod 64 = 010000$$

$$18 \bmod 64 = 18$$

$$22 \bmod 64 = 22$$

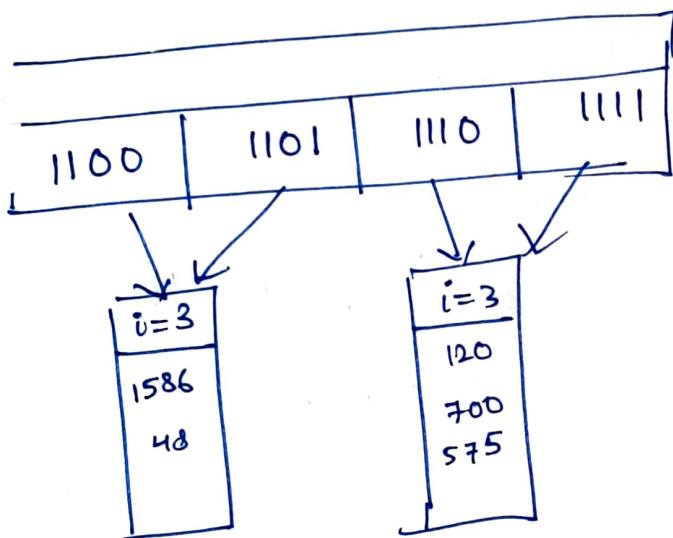
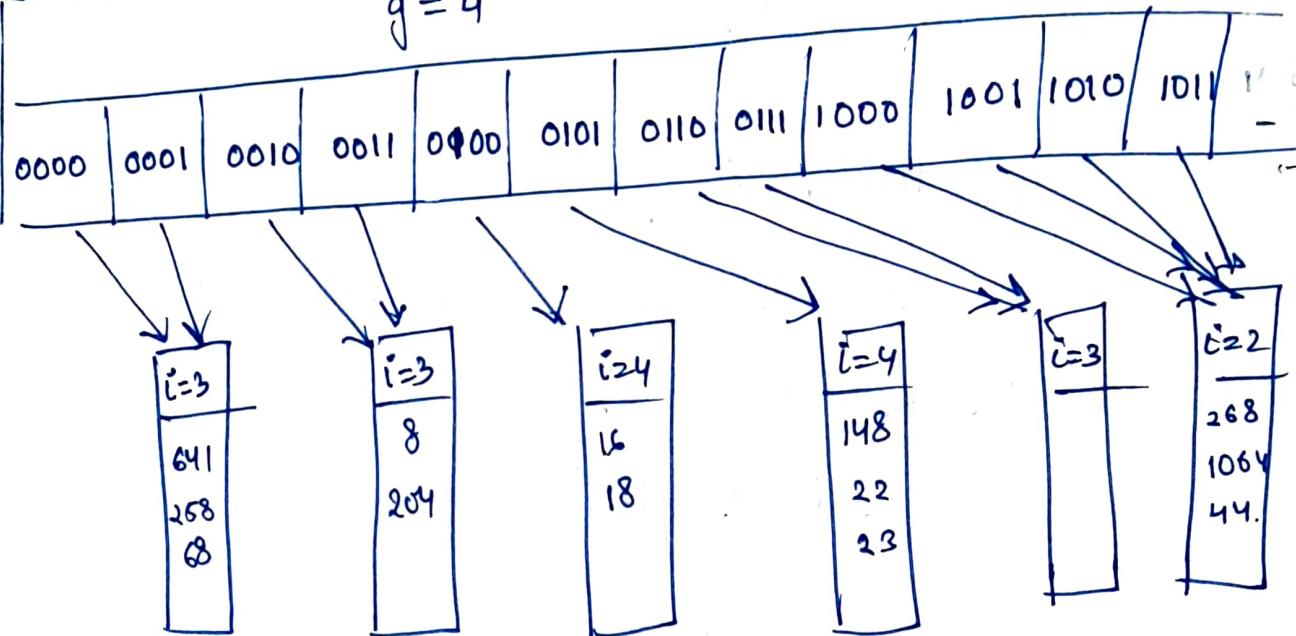
$$23 \bmod 64 = 23$$

setting  $i=3$  gives the table as

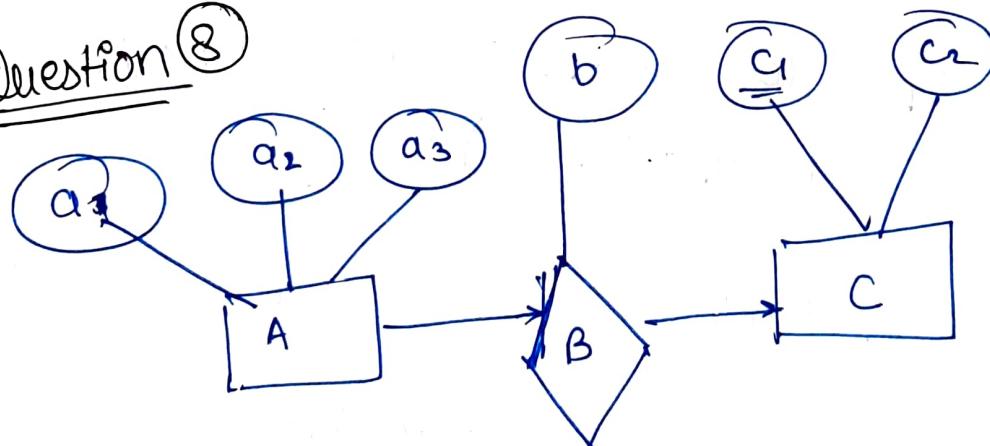
(iv) multiple splits

setting  $i=4$  &  $g=4$

$$g = 4$$



Question 8



many to one mapping from A to C vice B.

→ maximum tables = 3 :

create table A (

a<sub>1</sub> <datatype> Primary key,  
a<sub>2</sub> <datatype>,  
a<sub>3</sub> <datatype> );

create table B (

a<sub>1</sub> <datatype>  
a<sub>2</sub> <datatype>  
b <datatype>  
foreign key a<sub>1</sub> reference A(a<sub>1</sub>),  
foreign key a<sub>2</sub> reference C(c<sub>1</sub>));

create table C (

c<sub>1</sub> <datatype> primary key,  
c<sub>2</sub> <datatype> );

→ minimum tables = 2

we shift to the many side for  
the relationship.

create table A (

a<sub>1</sub> <datatype> primary key .

a<sub>2</sub> <datatype>

a<sub>3</sub> <datatype>

b <datatype>

c<sub>1</sub> <datatype>

foreign key a<sub>1</sub> references C(c<sub>1</sub>));

create table C (

c<sub>1</sub> int primary key ,

c<sub>2</sub> int );

### Question 9

a) A B C D E

No tuple as c4D together do not  
match

(b)	A	B	C	D	D'	E
	3	4	2	6	1	3
	2	2	5	1	4	5
	4	2	5	3	4	5
	3	4	2	6	5	7

$$(c) \pi_{B\bar{E}} (\pi_{B,C\bar{R}}) \bowtie (\sigma_{E=7} S)$$

		↓	
B	C		
2 3			D C
2 5			1 2 3
4 2			5 5
2 5			
B	C	D	E
5		4	5
2		4	5
2		4	5
4	2	1	3

Hence , we get

B	E
2	5
2	5
4	3

Ans .

$$(d) \pi_{A,B\bar{R}} - \rho_{S(A,B)} (\pi_{D,C} S)$$

we, get by performing the projection ,

ans :

A	B
2	2
4	2

## Question (10)

T<sub>5</sub> : already committed before the checkpoint, so no need to do anything.

T<sub>6</sub> : Not committed ∴ undo

T<sub>7</sub> : committed before crash  
∴ Redo

T<sub>8</sub> : committed before checkpoint, no need to do anything.