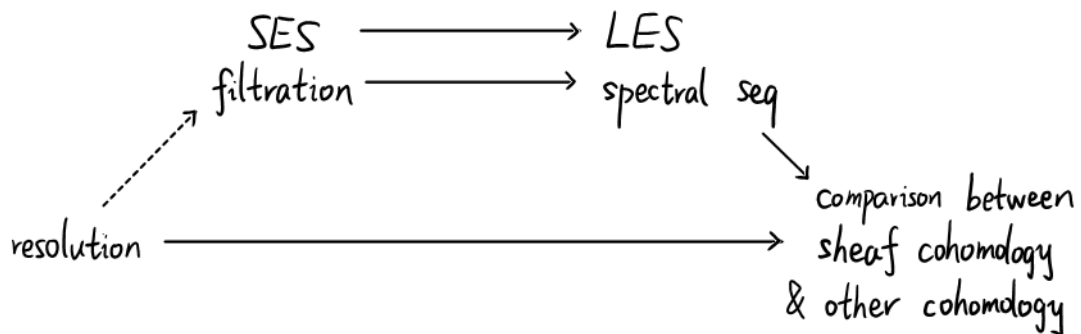


Eine Woche, ein Beispiel
1.28 conormal bundle

slogan:

SES	induces	LES,
filtration	induces	spectral sequence.

To expand a little bit,



Even though "filtration \Rightarrow spectral seq" is the most general statement, people start with "SES \Rightarrow LES" and "acyclic resolution \Rightarrow other coh \approx hyper coh". Let us leave spectral seq in other people's notes.

Methods to construct SES: $\left\{ \begin{array}{l} \text{check by stalks} \\ \text{filtration by } H^i(\mathcal{F}) \\ \text{filtration by } \mathcal{F}^i \end{array} \right.$

method	spectral seq	LES	cohomology/resolution
check by stalks	... for stratifications	relative coh seq	simplicial/cellular
	Čech-to-derived fctor	MV	Čech
filtration by $H^i(\mathcal{F})$	Grothendieck		
	Leray-Serre	Cysin	Euler class
			Hodge-Tate
filtration by \mathcal{F}^i need resolution to get "another" complex	Hodge-de Rham		de Rham, Hodge-de Rham
			Dolbeault $H^p(X, \Omega^q) = H^{p,q}(X)$
	Frölicher		$H^{p,q}(X) \Rightarrow H^{p+q}(X)$ "composition"
			singular
spectral sequences which I don't know	Adams Atiyah-Hirzebruch Bar Bockstein Cartan-Leray Eilenberg-Moore Green ⋮		for stable homotopy gp for top K-theory for group for group homology for Koszul cohomology ⋮

For more spectral sequences, see:

https://en.wikipedia.org/wiki/Spectral_sequence

<https://github.com/CubicBear/SpectralSequences/blob/main/SpectralSequences.pdf>

1. open-closed formalism
2. open cover
3. filtration by $H^i(\mathcal{F})$
4. Hodge related filtration