

HEP computer tools

from SARAH and beyond



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VII Uniandes Particle Physics School

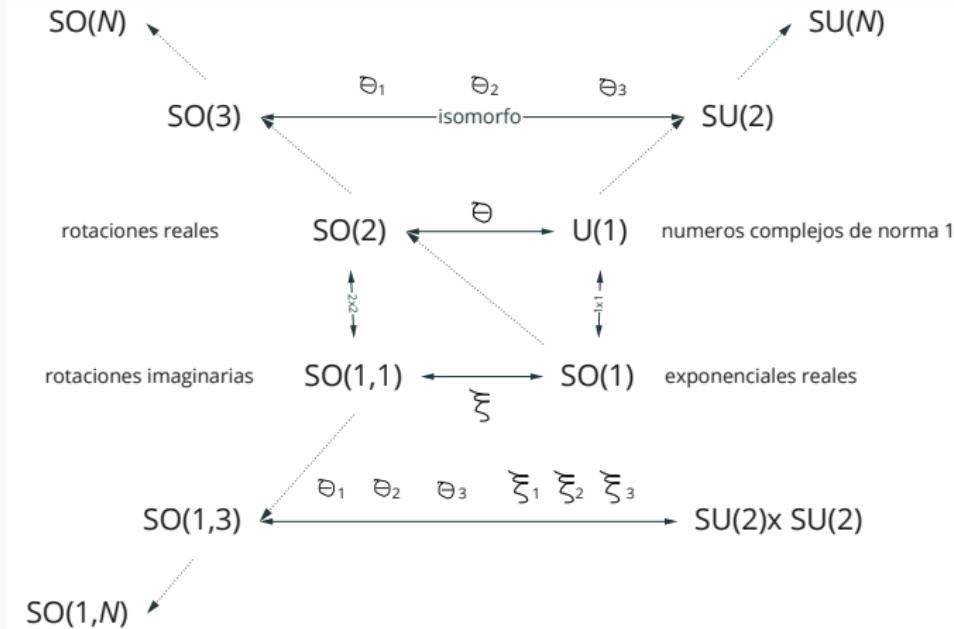
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Universidad de Antioquia
Phenomenology Group
<http://gfif.udea.edu.co>



SO(3) scalar product

$$L = \frac{1}{2}m\mathbf{v} \cdot \mathbf{v} - V(|\mathbf{r}|).$$

Lie groups



$$U = \exp \left(i \sum_j T_j \theta^j \right), \quad (1)$$

where θ^j are the parameters of the transformation and T_j are the generators.

Consider the 1×1

$$K = -i, \quad (2)$$

which generates an element of dilaton group , SO(1), $R(\xi)$

$$\lambda(\xi) = e^\xi, \quad (3)$$

which are just the group of the real exponentials. Such a number can be transformed as

$$x \rightarrow x' = e^\xi x, \quad (4)$$

that corresponds to a boost by e^ξ . We can define the invariant scalar product just as the division of real numbers, such that

$$x \cdot y \rightarrow x' \cdot y' \equiv \frac{x'}{y'} = \frac{e^\xi x}{e^\xi y} = \frac{x}{y} = x \cdot y. \quad (5)$$

We want to obtain a 2×2 representation of the algebra

$$K = \begin{pmatrix} 0 & -i \\ -i & 0 \end{pmatrix} \rightarrow K^2 = -\mathbf{1}, \quad (6)$$

which generates an element of the group SO(1, 1) with *parameter* ξ

$$\Lambda = \exp(i\xi K) = \begin{pmatrix} \cosh \xi & \sinh \xi \\ \sinh \xi & \cosh \xi \end{pmatrix}, . \quad (7)$$

The transformation of a timelike and a spacelike coordinates, are ($c = 1$)

$$\begin{pmatrix} t \\ x \end{pmatrix} = \begin{pmatrix} x^0 \\ x^1 \end{pmatrix} \rightarrow \begin{pmatrix} x'^0 \\ x'^1 \end{pmatrix} = \begin{pmatrix} \cosh \xi & \sinh \xi \\ \sinh \xi & \cosh \xi \end{pmatrix} \begin{pmatrix} x^0 \\ x^1 \end{pmatrix}$$

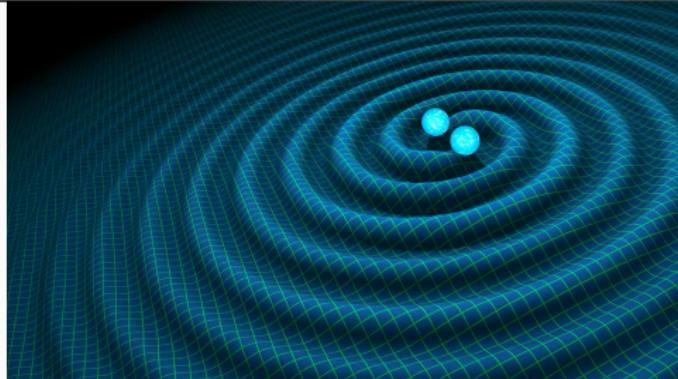
$$x'^{\mu} = \Lambda^{\mu}_{\nu} x^{\nu}, \quad \mu = 0, 1.$$

$$\cosh \xi = \gamma = \frac{1}{\sqrt{1 - v^2}}$$

Special: parameter ξ or v is constant, e.g, inertial system invariance: *Global* conservation of E and p (still action at a distance!)

General: parameter $\xi(t, x)$ or $v(t, x)$ is local, e.g, accelerated system invariance: *Local* conservation of E and p

Inestability of binary particle systems



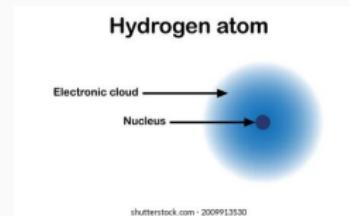
Gravitational wave discovery by LIGO



credits: science.org

Noether's paradigm → Lagrangian formulation of classical field theory

$U(1)$: From special θ to general $\theta(t, x)$



What is a *particle wavicle*?

<https://www.quantamagazine.org/what-is-a-particle-20201112/>

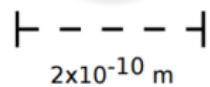
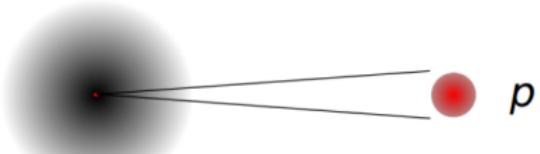
Is a “Quantum Excitation of a Field”



Is a “Irreducible Representation of a Group”



H

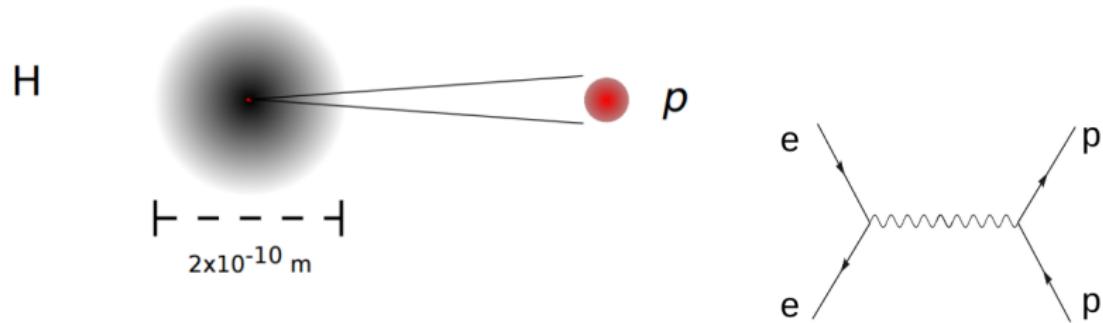


Interacción → Fuerza = $\Delta p/\Delta t$

Introducción

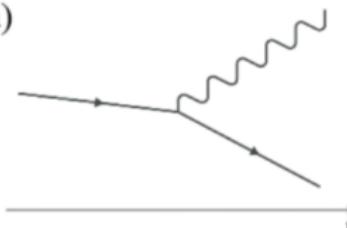
Campos de materia →

Campos de radiación ~~~~~



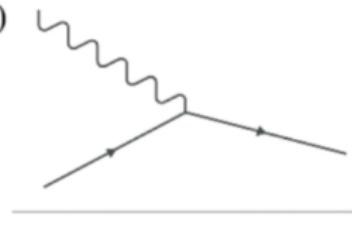
[doi:10.1088/1742-6596/1287/1/012045](https://doi.org/10.1088/1742-6596/1287/1/012045)

a)



Emisión

b)



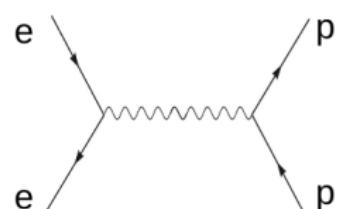
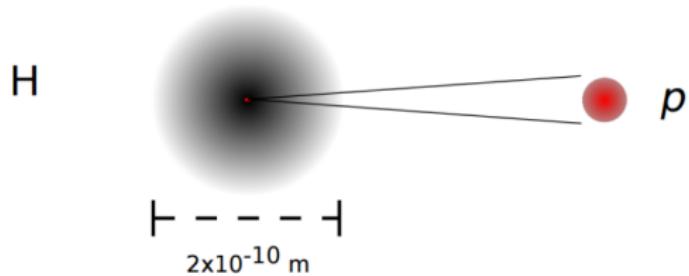
absorción

Interacción → Fuerza = $\Delta p/\Delta t$

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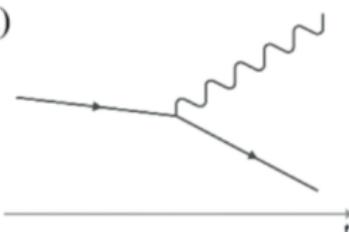
Campos de materia →

Campos de radiación ↗

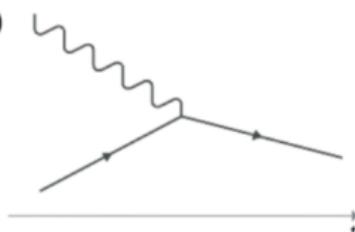


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a)



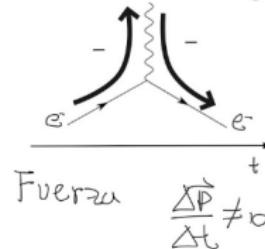
b)



$$e^- \rightarrow e^{-iEt}$$

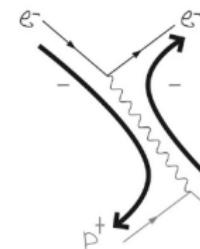
$$e^+ \rightarrow e^{-iE(-t)}$$

Single charge



$$(e^-)^* = e^+$$

↗ fotón neutro



Emisión

absorción

Under a general Lorentz transformation we have for a **pure upperscript** 4-vector

$$A^\mu(x) \rightarrow A'^\mu(x) = \Lambda^\mu{}_\nu A^\nu(\Lambda^{-1}x), \quad (8)$$

where $\mu = 0, 1, 2, 3$. A **pure underscript** 4-vector is

$$\partial_\mu = \frac{\partial}{\partial x^\mu} = \left(\frac{\partial}{\partial t}, \frac{\partial}{\partial x}, \frac{\partial}{\partial y}, \frac{\partial}{\partial z} \right) = (\partial_0, \nabla). \quad (9)$$

From $x'^\mu = \Lambda^\mu{}_\nu x^\nu$

$$\frac{1}{x'^\mu} = (\Lambda^{-1})^\nu{}_\mu \frac{1}{x^\nu}, \quad (10)$$

the transformation properties for a $\partial_\mu = \partial/\partial x^\mu$, are

$$\partial'_\mu = \partial_\nu (\Lambda^{-1})^\nu{}_\mu. \quad (11)$$

In this way, the invariant scalar product between the 4-vector field and the four-gradient is just

$$\partial_\mu A^\mu \rightarrow \partial'_\mu A'^\mu = \partial_\mu A^\mu. \quad (12)$$

Photon: Representation of the Poincaré Group which transform as a vector under $\text{SO}(1, 3)$

| Name | Symbol | $\text{SO}(1, 3)$ |
|------------|----------------|---|
| Photon | A^μ | $\Lambda^\mu{}_\nu A^\nu$ |
| 4-gradient | ∂_μ | $\partial_\nu (\Lambda^{-1})^\nu{}_\mu$ |

Table 1: Scalar products: $\partial_\mu A^\mu$, $A^\nu A_\nu$, $\partial_\mu \partial^\mu$

| Name | Symbol | $\text{SU}(N)$ |
|------------------------|----------------|--------------------------|
| scalar N -plet | Ψ | $U\Psi$ |
| scalar anti- N -plet | Ψ^\dagger | $\Psi^\dagger U^\dagger$ |

Table 2: Scalar products: $\Psi^\dagger \Psi$

Photon: $\hat{p} \oplus \text{SO}(1, 3) = i\partial^\mu \oplus \text{SO}(1, 3) \rightarrow iD^\mu \oplus \text{SO}(1, 3)$

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Table 2: Scalar products: $\Psi^\dagger \Psi$

| Name | Symbol | $\text{SL}(2, C)$ | $U(1)_Q$ |
|---|---|--|---|
| e_L : electron left | ξ_α | $S_\alpha^\beta \xi_\beta$ | $e^{i\theta} \xi_\alpha$ |
| $(e_L)^\dagger$: positron right | $(\xi_\alpha)^\dagger = \xi_{\dot{\alpha}}^\dagger$ | $\xi_{\dot{\beta}}^\dagger [S^\dagger]_{\dot{\alpha}}^{\dot{\beta}}$ | $\xi_{\dot{\alpha}}^\dagger e^{-i\theta}$ |
| e_R : electron right | $(\eta^\alpha)^\dagger = \eta^{\dagger \dot{\alpha}}$ | $[(S^{-1})^\dagger]_{\dot{\beta}}^{\dot{\alpha}} \eta^{\dagger \dot{\beta}}$ | $e^{i\theta} \eta^{\dagger \dot{\alpha}}$ |
| $(e_R)^\dagger$: positron left | η^α | $\eta^\beta [S^{-1}]_\beta^\alpha$ | $e^{-i\theta} \eta^\alpha$ |

Table 3: electron **left**: $\text{SL}(2, C) \times U(1)_Q$ (subscript) and positron **left**: $\text{SL}(2, C) \times U(1)_Q$ (superscript)

Scalar products

- $\mathcal{U}(1)$ Majorana scalars: $\xi^\alpha \xi_\alpha + \xi_{\dot{\alpha}}^\dagger \xi^{\dagger \dot{\alpha}}$, $\eta^\alpha \eta_\alpha + \eta_{\dot{\alpha}}^\dagger \eta^{\dagger \dot{\alpha}}$.
- Dirac scalar: $\eta^\alpha \xi_\alpha + \xi_{\dot{\alpha}}^\dagger \eta^{\dagger \dot{\alpha}}$.
- Tensor under subgroup $\text{SL}(2, C)$ but vector under $\text{SO}(1, 3)$: $S^{\dagger \dot{\alpha}}_{\dot{\beta}} \bar{\sigma}^{\mu \dot{\beta} \beta} S_\beta^\alpha = \Lambda^\mu{}_\nu \bar{\sigma}^{\nu \dot{\alpha} \alpha}$

$$\sigma^0 = \mathbb{1},$$

$$\bar{\sigma}^\mu = (\sigma^0, -\boldsymbol{\sigma}),$$

$$\sigma^\mu = (\sigma^0, \boldsymbol{\sigma}).$$

| Name | Symbol | $\text{SL}(2, C)$ | $U(1)_Q$ |
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Table 4: electron **left**: $\text{SL}(2, C) \times U(1)_Q$ (subscript) and positron **left**: $\text{SL}(2, C) \times U(1)_Q$ (superscript)

General theory: QED $\rightarrow D_\mu = i\partial_\mu - ieA_\mu$, $F_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu$



$$\xi_\alpha \rightarrow \xi'_\alpha = e^{i\theta(x)} \xi_\alpha \quad \eta^\alpha \rightarrow \eta'^\alpha = e^{-i\theta(x)} \eta^\alpha$$

$$D_\mu \xi_\alpha \rightarrow (D_\mu \xi_\alpha)' = e^{i\theta(x)} D_\mu \xi_\alpha \quad D_\mu \eta^\alpha \rightarrow (D_\mu \eta^\alpha)' = e^{-i\theta(x)} D_\mu \eta^\alpha$$

$$\mathcal{L} = i\xi_{\dot{\alpha}}^\dagger \bar{\sigma}^\mu{}^{\dot{\alpha}\alpha} D_\mu \xi_\alpha + i\eta^\alpha \sigma^\mu_{\alpha\dot{\alpha}} D_\mu \eta^\dagger{}^{\dot{\alpha}} - m \left[\eta^\alpha \xi_\alpha + \xi_{\dot{\alpha}}^\dagger \eta^\dagger{}^{\dot{\alpha}} \right] - \frac{1}{4} F^{\mu\nu} F_{\mu\nu}$$

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Dirac spinor

$$\begin{aligned} \xi_\alpha &\rightarrow \xi'_\alpha = e^{i\theta(x)} \xi_\alpha & \eta^\alpha &\rightarrow \eta'^\alpha = e^{-i\theta(x)} \eta^\alpha \\ D_\mu \xi_\alpha &\rightarrow (D_\mu \xi_\alpha)' = e^{i\theta(x)} D_\mu \xi_\alpha & D_\mu \eta^\alpha &\rightarrow (D_\mu \eta^\alpha)' = e^{-i\theta(x)} D_\mu \eta^\alpha \\ \mathcal{L} &= i\xi^\dagger \bar{\sigma} \quad D_\mu \xi + i\eta^\dagger \sigma^\mu D_\mu \eta^\dagger - m \left[\eta^\dagger \xi + \xi^\dagger \eta^\dagger \right] - \frac{1}{4} F^{\mu\nu} F_{\mu\nu} \\ \mathcal{L} &= i\bar{\psi} \gamma^\mu D_\mu \psi - m \bar{\psi} \psi - \frac{1}{4} F^{\mu\nu} F_{\mu\nu}. \end{aligned}$$

$$\begin{aligned} \psi &= \begin{pmatrix} e_L \\ e_R \end{pmatrix} = \begin{pmatrix} \xi \\ \eta^\dagger \end{pmatrix} \\ \gamma^\mu &= \begin{pmatrix} 0 & \sigma^\mu \\ \bar{\sigma}^\mu & 0 \end{pmatrix} \\ \bar{\psi} &= \psi^\dagger \gamma^0. \end{aligned}$$

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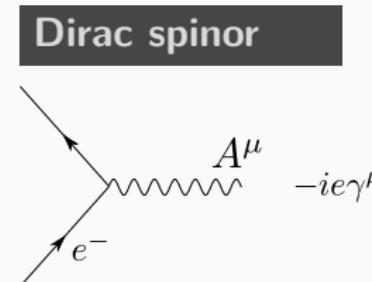
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$$\mathcal{L} = i\bar{\psi} \gamma^\mu D_\mu \psi - m\bar{\psi} \psi - \frac{1}{4} F^{\mu\nu} F_{\mu\nu} \rightarrow e\bar{\psi} \gamma^\mu \psi A_\mu$$



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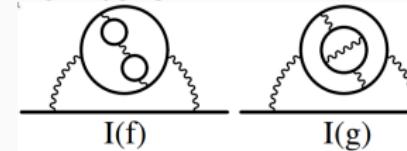
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Dirac spinor

non-bare



$$\mathcal{L} = i(e_L)^\dagger \bar{\sigma} D_\mu e_L + i(e_R)^\dagger \sigma^\mu D_\mu e_R - m \left[(e_R)^\dagger e_L + (e_L)^\dagger e_R \right] - \frac{1}{4} F^{\mu\nu} F_{\mu\nu}$$

$$\mathcal{L} = i\bar{\psi} \gamma^\mu D_\mu \psi - m\bar{\psi} \psi - \frac{1}{4} F^{\mu\nu} F_{\mu\nu} \rightarrow e\bar{\psi} \gamma^\mu \psi A_\mu$$

$$\text{SU}(2)_L \rightarrow D_\mu = \mathbf{1} \partial_\mu - ig_2 \frac{\tau_i}{2} W_\mu^i \quad : 17 \text{ years later... (stages of grief} \rightarrow 1967)$$

Not mass,

| Field | Lorentz | $\text{SU}(2)_L$ |
|--|--------------|------------------|
| $L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$ | ξ_α | 2 |

Denial

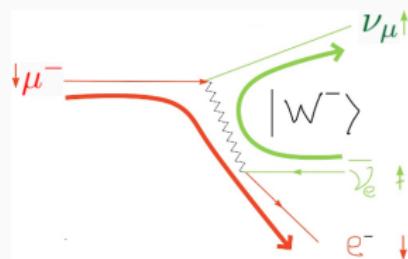
$$|W^0\rangle = |\uparrow\downarrow\rangle + |\downarrow\uparrow\rangle \quad \begin{array}{l} \nearrow \text{green} \\ \searrow \text{green} \end{array}$$

$$|W^+\rangle \quad |\downarrow\uparrow\rangle \quad \begin{array}{l} \nearrow \text{red} \\ \searrow \text{green} \end{array}$$

$$|W^-\rangle \quad |\uparrow\downarrow\rangle \quad \begin{array}{l} \nearrow \text{green} \\ \searrow \text{red} \end{array}$$

$\rightarrow t$

$$\mathcal{L} = i(L)^\dagger \bar{\sigma}^\mu D_\mu L - \tfrac{1}{4} W_{\mu\nu}^i W_i^{\mu\nu}$$

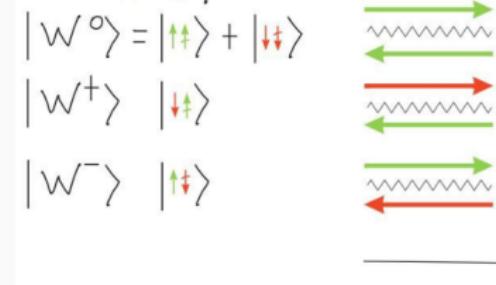


$SU(2)_L \times U(1)_Y \rightarrow D_\mu = \mathbf{1} \partial_\mu - ig_2 \frac{\tau_i}{2} W_\mu^i - ig_1 B_\mu$: 17 years later... (stages of grief \rightarrow 1967)

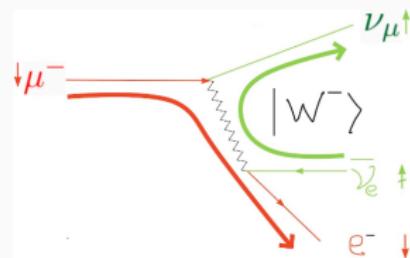
Not mass, hypercharge,

| Field | Lorentz | $SU(2)_L$ | $U(1)_Y$ |
|--|--------------|-----------|----------|
| $L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$ | ξ_α | 2 | -1/2 |

Denial



$$\mathcal{L} = i(L)^\dagger \bar{\sigma}^\mu D_\mu L - \frac{1}{4} W_{\mu\nu}^i W_i^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu}$$

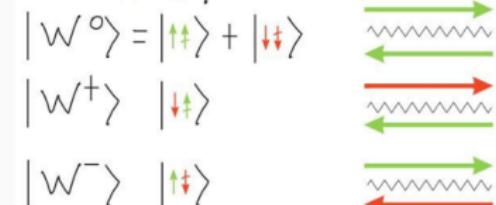


$SU(2)_L \times U(1)_Y \rightarrow D_\mu = \mathbf{1} \partial_\mu - ig_2 \frac{\tau_i}{2} W_\mu^i - ig_1 B_\mu$: 17 years later... (stages of grief \rightarrow 1967)

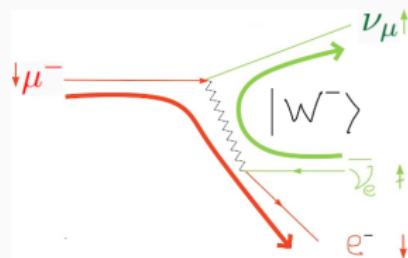
Not mass, hypercharge, not Dirac

| Field | Lorentz | $SU(2)_L$ | $U(1)_Y$ |
|--|---------------|--------------|----------|
| $L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$ | ξ_α | $\mathbf{2}$ | $-1/2$ |
| $(e_R)^\dagger$ | η^α | $\mathbf{1}$ | -1 |

Denial



$$\mathcal{L} = i(L)^\dagger \bar{\sigma}^\mu D_\mu L - \frac{1}{4} W_{\mu\nu}^i W_i^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu} - i(e_R)^\dagger \sigma^\mu D_\mu e_R$$

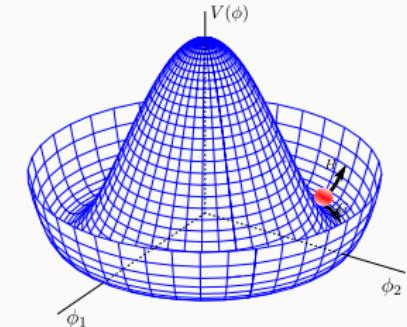


$SU(2)_L \times U(1)_Y \rightarrow D_\mu = \mathbf{1} \partial_\mu - ig_2 \frac{\tau_i}{2} W_\mu^i - ig_1 B_\mu : 17$ years later... (stages of grief $\rightarrow 1967$)

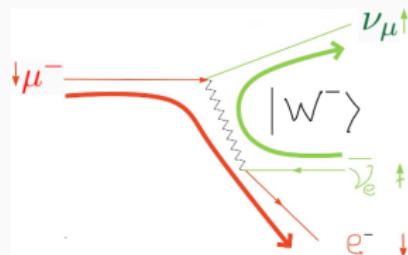
Higgs mechanism: tachyonic mass $\mu^2 < 0$, and condensate

Contempt

| Field | Lorentz | $SU(2)_L$ | $U(1)_Y$ |
|--|---------------|-----------|----------|
| $L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$ | ξ_α | 2 | $-1/2$ |
| $(e_R)^\dagger$ | η^α | 1 | -1 |
| $\Phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} = \left[\frac{H(x) + v}{\sqrt{2}} \right] \exp \left[i \frac{\tau^i}{2} G_i(x) \right]$ | - | 2 | $1/2$ |



$$\mathcal{L} = i(L)^\dagger \bar{\sigma}^\mu D_\mu L - \frac{1}{4} W_{\mu\nu}^i W_i^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu} - i(e_R)^\dagger \sigma^\mu D_\mu e_R + h(e_R)^\dagger \Phi^\dagger L - (D^\mu \Phi)^\dagger D_\mu \Phi - \mu^2 \Phi^\dagger \Phi - \lambda (\Phi^\dagger \Phi)^2$$



$SU(2)_L \times U(1)_Y \rightarrow D_\mu = \mathbf{1} \partial_\mu - ig_2 \frac{\tau_i}{2} W_\mu^i - ig_1 B_\mu : 17$ years later... (stages of grief $\rightarrow 1967$)

Higgs mechanism: tachyonic mass $\mu^2 < 0$, and condensate

| Field | Lorentz | $SU(2)_L$ | $U(1)_Y$ | Contempt |
|--|---------------|--------------|----------|--|
| $L = \begin{pmatrix} \nu_L \\ e_L \\ (e_R)^\dagger \end{pmatrix}$ | ξ_α | $\mathbf{2}$ | $-1/2$ | |
| $\Phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} = \left[\frac{H(x) + v}{\sqrt{2}} \right] \exp \left[i \frac{\tau^i}{2} G_i(x) \right]$ | η^α | $\mathbf{1}$ | -1 | $\begin{pmatrix} W_\mu^3 \\ B_\mu \end{pmatrix} = \begin{pmatrix} \cos \theta_W & \sin \theta_W \\ -\sin \theta_W & \cos \theta_W \end{pmatrix} \begin{pmatrix} Z_\mu \\ A_\mu \end{pmatrix},$ |
| | - | $\mathbf{2}$ | $1/2$ | |

$$\mathcal{L} = i(L)^\dagger \bar{\sigma}^\mu D_\mu L - \frac{1}{4} W_{\mu\nu}^i W_i^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu} - i(e_R)^\dagger \sigma^\mu D_\mu e_R + h(e_R)^\dagger \Phi^\dagger L - (D^\mu \Phi)^\dagger D_\mu \Phi - \mu^2 \Phi^\dagger \Phi - \lambda (\Phi^\dagger \Phi)^2$$

$$\Phi \rightarrow \Phi' = \exp \left[i \frac{\tau^i}{2} \theta_i(x) \right] \Phi = \frac{1}{\sqrt{2}} [H(x) + v]$$

$$\mathcal{L} = i\bar{\psi} \gamma^\mu \partial_\mu \psi - m_e \bar{\psi} \psi - i(\nu_L)^\dagger \bar{\sigma}^\mu \partial_\mu \nu_L + \frac{1}{2} \partial^\mu H \partial_\mu H + \frac{e}{\cos \theta_W \sin \theta_W} \bar{\nu}_L \nu_L Z_\mu + \dots$$

$$-\frac{1}{2} m_H^2 H^2 \left(1 + \frac{H}{v} + \frac{H^2}{4v^2} \right) + \left(m_W^2 W^\mu - W_\mu^+ + \frac{1}{2} m_Z^2 Z^\mu Z_\mu \right) \left(1 + 2 \frac{H}{v} + \frac{H^2}{v^2} \right) + \frac{m_e}{v} \bar{\psi} \psi H$$

$SU(2)_L \times U(1)_Y \rightarrow D_\mu = 1\partial_\mu - ig_2 \frac{\tau_i}{2} W_\mu^i - ig_1 B_\mu$: 21 years later... (stages of grief \rightarrow 1971)

Z and W phenomenology and discovery

| Field | Lorentz | $SU(2)_L$ | $U(1)_Y$ |
|--|---------------|-----------|----------|
| $L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$ | ξ_α | 2 | $-1/2$ |
| $(e_R)^\dagger$ | η^α | 1 | -1 |
| $\Phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} = \left[\frac{H(x) + v}{\sqrt{2}} \right] \exp \left[i \frac{\tau^i}{2} G_i(x) \right]$ | - | 2 | $1/2$ |

Bargaining



$$\mathcal{L} = i(L)^\dagger \bar{\sigma}^\mu D_\mu L - \frac{1}{4} W_{\mu\nu}^i W_i^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu} - i(e_R)^\dagger \sigma^\mu D_\mu e_R + h(e_R)^\dagger \Phi^\dagger L - (D^\mu \Phi)^\dagger D_\mu \Phi - \mu^2 \Phi^\dagger \Phi - \lambda (\Phi^\dagger \Phi)^2$$

$$\Phi \rightarrow \Phi' = \exp \left[i \frac{\tau^i}{2} \theta_i(x) \right] \Phi = \frac{1}{\sqrt{2}} [H(x) + v]$$

$$\mathcal{L} = i\bar{\psi} \gamma^\mu \partial_\mu \psi - m_e \bar{\psi} \psi - i(\nu_L)^\dagger \bar{\sigma}^\mu \partial_\mu \nu_L + \frac{1}{2} \partial^\mu H \partial_\mu H + \frac{e}{\cos \theta_W \sin \theta_W} \bar{\nu}_L \nu_L Z_\mu + \dots$$

$$- \frac{1}{2} m_H^2 H^2 \left(1 + \frac{H}{v} + \frac{H^2}{4v^2} \right) + \left(m_W^2 W^\mu - W_\mu^+ + \frac{1}{2} m_Z^2 Z^\mu Z_\mu \right) \left(1 + 2 \frac{H}{v} + \frac{H^2}{v^2} \right) + \frac{m_e}{v} \bar{\psi} \psi H$$

$SU(2)_L \times U(1)_Y \rightarrow D_\mu = \mathbf{1} \partial_\mu - ig_2 \frac{\tau_i}{2} W_\mu^i - ig_1 B_\mu : 32$ years later... (stages of grief $\rightarrow 1982$)

Hierarchy problem

| Field | Lorentz | $SU(2)_L$ | $U(1)_Y$ |
|--|---------------|-----------|----------|
| $L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$ | ξ_α | 2 | $-1/2$ |
| $(e_R)^\dagger$ | η^α | 1 | -1 |
| $\Phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} = \left[\frac{H(x) + v}{\sqrt{2}} \right] \exp \left[i \frac{\tau^i}{2} G_i(x) \right]$ | - | 2 | $1/2$ |

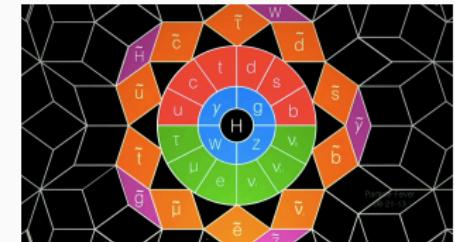
$$\mathcal{L} = i(L)^\dagger \bar{\sigma}^\mu D_\mu L - \frac{1}{4} W_{\mu\nu}^i W_i^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu} - i(e_R)^\dagger \sigma^\mu D_\mu e_R + h(e_R)^\dagger \Phi^\dagger L - (D^\mu \Phi)^\dagger D_\mu \Phi - \mu^2 \Phi^\dagger \Phi - \lambda (\Phi^\dagger \Phi)^2$$

$$\Phi \rightarrow \Phi' = \exp \left[i \frac{\tau^i}{2} \theta_i(x) \right] \Phi = \frac{1}{\sqrt{2}} [H(x) + v]$$

$$\mathcal{L} = i\bar{\psi} \gamma^\mu \partial_\mu \psi - m_e \bar{\psi} \psi - i(\nu_L)^\dagger \bar{\sigma}^\mu \partial_\mu \nu_L + \frac{1}{2} \partial^\mu H \partial_\mu H + \frac{e}{\cos \theta_W \sin \theta_W} \bar{\nu}_L \nu_L Z_\mu + \dots$$

$$-\frac{1}{2} m_H^2 H^2 \left(1 + \frac{H}{v} + \frac{H^2}{4v^2} \right) + \left(m_W^2 W^{\mu-} W_\mu^+ + \frac{1}{2} m_Z^2 Z^\mu Z_\mu \right) \left(1 + 2 \frac{H}{v} + \frac{H^2}{v^2} \right) + \frac{m_e}{v} \bar{\psi} \psi H$$

Depression



credit: quantumdiaries.org

$SU(2)_L \times U(1)_Y \rightarrow D_\mu = 1\partial_\mu - ig_2 \frac{\tau_i}{2} W_\mu^i - ig_1 B_\mu$: 62 years later... (stages of grief \rightarrow 2012)

Higgs discovery!

Field

$$L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}$$

Lorentz

$$\xi_\alpha$$

$SU(2)_L$

$U(1)_Y$

$$(e_R)^\dagger \quad \eta^\alpha \quad \mathbf{1} \quad -1$$

$$\Phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} = \left[\frac{H(x) + v}{\sqrt{2}} \right] \exp \left[i \frac{\tau^i}{2} G_i(x) \right] \quad - \quad \mathbf{2} \quad 1/2$$

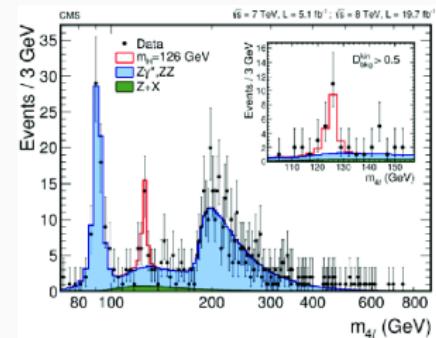
$$\mathcal{L} = i(L)^\dagger \bar{\sigma}^\mu D_\mu L - \frac{1}{4} W_{\mu\nu}^i W_i^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu} - i(e_R)^\dagger \sigma^\mu D_\mu e_R + h(e_R)^\dagger \Phi^\dagger L - (D^\mu \Phi)^\dagger D_\mu \Phi - \mu^2 \Phi^\dagger \Phi - \lambda (\Phi^\dagger \Phi)^2$$

$$\Phi \rightarrow \Phi' = \exp \left[i \frac{\tau^i}{2} \theta_i(x) \right] \Phi = \frac{1}{\sqrt{2}} [H(x) + v]$$

$$\mathcal{L} = i\bar{\psi} \gamma^\mu \partial_\mu \psi - m_e \bar{\psi} \psi - i(\nu_L)^\dagger \bar{\sigma}^\mu \partial_\mu \nu_L + \frac{1}{2} \partial^\mu H \partial_\mu H + \frac{e}{\cos \theta_W \sin \theta_W} \bar{\nu}_L \nu_L Z_\mu + \dots$$

$$- \frac{1}{2} m_H^2 H^2 \left(1 + \frac{H}{v} + \frac{H^2}{4v^2} \right) + \left(m_W^2 W^\mu_- W_\mu^+ + \frac{1}{2} m_Z^2 Z^\mu Z_\mu \right) \left(1 + 2 \frac{H}{v} + \frac{H^2}{v^2} \right) + \frac{m_e}{v} \bar{\psi} \psi H$$

Acceptance



BSM-Submodules

Install compilers:

```
sudo apt install build-essential gfortran feynmf
```

Download all the HEP-tools in one step:

```
git clone --recursive https://github.com/restrepo/BSM-Submodules.git
cd BSM-Submodules/
emacs SARAH/Models/SSDM/SSDM.m
```

$$\mathrm{SU}(3)_c \times \mathrm{SU}(2)_L \times \mathrm{U}(1)_Y \times \textcolor{red}{Z}_2$$

$$\begin{aligned}\mathcal{D}_\mu &= \partial_\mu - i\textcolor{red}{g}_1 YB_\mu \\ &\quad - i\textcolor{red}{g}_2 TW_\mu^B \\ &\quad - i\textcolor{red}{g}_3 \Lambda G_\mu.\end{aligned}$$

$$B \rightarrow B_\mu, \tilde{B} \implies \mathrm{VB}, \mathrm{FB}$$

```

Off[General::spell]

Model`Name = "SSDM";
Model`NameLaTeX ="Singlet scalar Dark Matter";
Model`Authors = "Diego Restrepo ...";
Model`Date = "2015-11-16";

(* 2013-01-24: ...)

(* Global Symmetries *)

Global[[1]] = {Z[2], Z2};

(* Gauge Groups *)

Gauge[[1]]={B, U[1], hypercharge, g1,False,1};
Gauge[[2]]={WB, SU[2], left, g2,True,1};
Gauge[[3]]={G, SU[3], color, g3,False,1};

```

| | N_F | Lorentz | Y | $SU(2)_L$ | $SU(3)_c$ | Z_2 |
|-------|-------|--------------------------------------|------|-----------|-----------|-------|
| Q | 3 | $\xi_{1\alpha} : (u_L \ d_L)^\top$ | 1/6 | 2 | 3 | + |
| L | 3 | $\xi_{2\alpha} : (\nu_L \ e_L)^\top$ | -1/2 | 2 | 1 | + |
| d^c | 3 | $\eta_1^\alpha : (d_R)^\dagger$ | 1/3 | 1 | 3 | + |
| u^c | 3 | $\eta_2^\alpha : (u_R)^\dagger$ | -2/3 | 1 | 3 | + |
| e^c | 3 | $\eta_3^\alpha (e_R)^\dagger$ | 1 | 1 | 1 | + |
| H | 1 | $(H^+ \ H^0)$ | 1/2 | 2 | 1 | + |
| S | 1 | s | 0 | 1 | 1 | - |

$$\text{conj}[H] = \tilde{H} = \begin{pmatrix} H^{0*} \\ -H^- \end{pmatrix}$$

$$\mathcal{L} = (\mathcal{L}_C + \text{h.c})$$

$$+ \mathcal{L}_R,$$

$$\mathcal{L}_C = - Y_e e^c \tilde{H} \cdot L - Y_d d^c \tilde{H} \cdot Q - Y_u u^c H \cdot Q,$$

$$\begin{aligned} \mathcal{L}_R = & - \mu^2 \tilde{H} \cdot H - \lambda_1 (\tilde{H} \cdot H)^2 \\ & - M_S^2 S^2 - \lambda_{SH} S^2 \tilde{H} \cdot H - \lambda_S S^4. \end{aligned}$$

$$Y_e \rightarrow N_F \times N_F, \dots$$

```
(* Matter Fields *)
FermionFields[[1]] = {q, 3, {uL, dL},      1/6, 2, 3, 1};
FermionFields[[2]] = {l, 3, {vL, eL},      -1/2, 2, 1, 1};
FermionFields[[3]] = {dc, 3, conj[dR],     1/3, 1, -3, 1};
FermionFields[[4]] = {uc, 3, conj[uR],     -2/3, 1, -3, 1};
FermionFields[[5]] = {ec, 3, conj[eR],     1, 1, 1, 1};

ScalarFields[[1]] = {H, 1, {Hp, HO},      1/2, 2, 1, 1};
ScalarFields[[2]] = {S, 1, ss,            0, 1, 1, -1};
RealScalars = {S};

(* ----- Before EWSB ----- *)
(* DEFINITION *)
(* ----- ----- *)
```

NameOfStates={GaugeES, EWSB};

(* ----- Before EWSB ----- *)

```
DEFINITION[GaugeES][LagrangianInput]= {
  {LagHC, {AddHC->True}},
  {LagNoHC,{AddHC->False}}
};
```

```
LagHC = -(Ye ec.conj[H].l + Yd dc.conj[H].q + Yu uc.H.q);
```

```
LagNoHC = -(mu2 conj[H].H + Lambda1/2 conj[H].H.conj[H].H
           + MS2/2 S.S + LamSH S.S.conj[H].H + LamS/2 S.S.S.S);
```

$$\begin{pmatrix} B^\mu \\ W_3^\mu \end{pmatrix} = Z^{\gamma Z} \begin{pmatrix} A^\mu \\ Z^\mu \end{pmatrix} = \begin{pmatrix} \cos \theta_W & \sin \theta_W \\ -\sin \theta_W & \cos \theta_W \end{pmatrix} \begin{pmatrix} A^\mu \\ Z^\mu \end{pmatrix}$$

$$H^0 = \frac{iA + (h + v)}{\sqrt{2}}.$$

$$\begin{aligned} d_L &= V_d D_L, & (d_R)^\dagger &= D_R^c U_d, \\ V_d &\rightarrow N_F \times N_F, \dots \end{aligned}$$

$$\Psi_d = \begin{pmatrix} \xi_{1\alpha} \\ (\eta_1^\alpha)^\dagger \end{pmatrix} = \begin{pmatrix} D_L \\ D_R \end{pmatrix}$$

```

(* Gauge Sector *)

DEFINITION[EWSB][GaugeSector] =
{
  {{VB,VWB[3]},{VP,VZ},ZZ},
  {{VWB[1],VWB[2]},{VWp,conj[VWp]},ZW}
};

(* ----- VEVs ----- *)

DEFINITION[EWSB][VEVs]=
{{H0,{v,1/Sqrt[2]}}, {Ah,\[ImaginaryI]/Sqrt[2]}, {hh,1/Sqrt[2]}} };

DEFINITION[EWSB][MatterSector]=
{{{dL}, {conj[dR]}}, {{DL,Vd}, {DRc,Ud}}},
{{{uL}, {conj[uR]}}, {{UL,Vu}, {URc,Uu}}},
{{{eL}, {conj[eR]}}, {{EL,Ve}, {ERc,Ue}}}};

(*-----*)
(* Dirac-Spinors *)
(*-----*)

DEFINITION[EWSB][DiracSpinors]={
Fd ->{ DL, conj[DRc]},
Fe ->{ EL, conj[ERc]},
Fu ->{ UL, conj[URc]},
Fv ->{ vL, 0}};

```

$$\begin{pmatrix} B^\mu \\ W_3^\mu \end{pmatrix} = Z^\gamma Z \begin{pmatrix} A^\mu \\ Z^\mu \end{pmatrix} = \begin{pmatrix} \cos \theta_W & \sin \theta_W \\ -\sin \theta_W & \cos \theta_W \end{pmatrix} \begin{pmatrix} A^\mu \\ Z^\mu \end{pmatrix};$$

$$H^0 = \frac{iA + (h + v)}{\sqrt{2}}.$$

$$\begin{aligned} d_L &= V_d D_L, & (d_R)^\dagger &= D_R^c U_d, \\ V_d &\rightarrow N_F \times N_F, \dots \end{aligned}$$

Chuck Norris fact of the day

Chuck Norris lost his virginity before his dad



From A. Vicente

(* Gauge Sector *)

```
DEFINITION[EWSB][GaugeSector] =
{{VB,VWB[3]},{VP,VZ},{ZZ}},
{{VWB[1],VWB[2]},{VWp,conj[VWp]},{ZW}};
};
```

(* ----- VEVs ----- *)

```
DEFINITION[EWSB][VEVs]=
{{HO,{v,1/Sqrt[2]}}, {Ah,\[ImaginaryI]/Sqrt[2]}}, {hh,1/Sqrt[2]} };
```

DEFINITION[EWSB][MatterSector]=

```
{{{dL}, {conj[dR]}}, {{DL,Vd}, {DRc,Ud}}},
{{{uL}, {conj[uR]}}, {{UL,Vu}, {URc,Uu}}},
{{{eL}, {conj[eR]}}, {{EL,Ve}, {ERc,Ue}}}};
```

(*-----*)

(* Dirac-Spinors *)

(*-----*)

DEFINITION[EWSB][DiracSpinors]={

```
Fd ->{ DL, conj[DRc]},
Fe ->{ EL, conj[ERc]},
Fu ->{ UL, conj[URc]},
Fv ->{ VL, 0}};
```

./parameters.m

```
...
{g1,      { Description -> "Hypercharge-Coupling"}},
{g2,      { Description -> "Left-Coupling"}},
{g3,      { Description -> "Strong-Coupling"}},
...
{v,       { Description -> "EW-VEV",
           DependenceNum -> Sqrt[4*Mass[VWp]^2/(g2^2)],
           DependenceSPheno -> None }},

{ThetaW,   { Description -> "Weinberg-Angle",
            DependenceNum -> ArcSin[Sqrt[1 - Mass[VWp]^2/Mass[VZ]^2]]}},

{ZZ, {Description -> "Photon-Z Mixing Matrix"}},
...
```

```
...
{{Description -> "Photon-Z Mixing Matrix",
  Dependence -> {{Cos[ThetaW], -Sin[ThetaW]}, {Sin[ThetaW], Cos[ThetaW]}},
  Real -> True,
  LaTeX -> "Z^{\gamma Z}",
  LesHouches -> None,
  OutputName -> ZZ }},  
...
```

./particles.m

```
...
ParticleDefinitions[EWSB] = {

{hh , { Description -> "Higgs",
        PDG -> {25},
        PDG.IX -> {101000001},
        Mass -> LesHouches,
        FeynArtsNr -> 1,
        LaTeX -> "h",
        ElectricCharge -> 0,
        LHPC -> {1},
        OutputName -> "h" }},

{ss , { Description -> "Singlet",
        PDG -> {6666635},
        PDG.IX -> {101000002},
        FeynArtsNr -> 10,
        Mass -> LesHouches,
        LaTeX -> "S",
        ElectricCharge -> 0,
        LHPC -> {"gold"},  
        OutputName -> "Ss" }},

...
}
```

./SPheno.m

```
OnlyLowEnergySPheno = True;

MINPAR={{1,Lambda1IN},
        {2,LamSHIN},
        {3,LamSIN},
        {4,MSinput}
      };

...
ListDecayParticles = {Fu,Fe,Fd,hh};
ListDecayParticles3B = {{Fu,"Fu.f90"},{Fe,"Fe.f90"},{Fd,"Fd.f90"}};

...
DefaultInputValues ={Lambda1IN -> 0.28, LamSHIN -> 0.01, LamSIN -> 0,
                    MSinput -> 200};
```

Implicit files without editors

```
cat << EOF > kk.txt
Hello world
EOF
```

Listing 1: Creates kk.txt file

```
math << EOF
2+2
EOF
```

Listing 2: commands expecting input files

```
Mathematica 11.0.0 for Linux x86 (64-bit)
Copyright 1988-2016 Wolfram Research, Inc.
```

```
In[1]:= 
Out[1]= 4

In[2]:=
```

Automatic index contraction

Verifying Index Contractions

$$u^c \cdot H \cdot q = \delta_{\alpha}^{\beta} \epsilon_{ab} u_{\alpha}^c H^a q^{\beta b}$$
$$= \bar{3} \times 3 \otimes 2 \times 2.$$

```
math<<EOF
<<./SARAH/SARAH.m
Start["SSDM"]
MakeIndexStructure[{u, H, q}] (* uc.H.q *)
EOF
...
Out[3]: Delta[col1, col3] epsTensor[lef2, lef3]
```

Explicit index contraction in SSDM.m

```
Delta[col1, col3] epsTensor[lef2, lef3] uc.H.q
```

See https://gitlab.in2p3.fr/goodsell/sarah/wikis/Automatic_index_contraction

Check SARAH

```
math << EOF
<<./SARAH/SARAH.m
Start ["SSDM"]
MakeSPheno []
EOF
```

```
Mathematica 11.0.0 for Linux x86 (64-bit)
...
In[1]:= SARAH 4.14.1
by Florian Staub, 2018
...
In[2]:= Preparing arrays
...
Model files loaded
  Model      : SSDM
  Author(s): Diego Restrepo (based on SM model by F.Staub)
  Date       : 2015-11-16
*****
Loading Susyno functions for the handling of Lie Groups
Based on Susyno v.2.0 by Renato Fonseca (1106.5016)
webpage: web.ist.utl.pt/renato.fonseca/susyno.html
*****
...
Finished! SPheno code generated in 170.872s
...
The following steps are now necessary to implement the model in SPheno:
```

Check SPheno

```
cp -r SARAH/Output/SSDM/EWSB/SPheno SPheno/SSDM  
cd SPheno  
make Model=SSDM # Be sure that Makefile use gfortran!
```

```
cd SSDM ; make F90=gfortran version=400.00  
make[1]: Entering directory '****/BSM-Submodules/SPHENO/SSDM'  
. .  
  
make[2]: Leaving directory '****/BSM-Submodules/SPHENO/SSDM'  
gfortran -o SPhenoSSDM -g SPhenoSSDM.o ..//lib/libSPhenoSSDM.a ..//lib/libSPheno.a  
mv SPhenoSSDM ..//bin  
rm SPhenoSSDM.o  
make[1]: Leaving directory '****/BSM-Submodules/SPHENO/SSDM'
```

```
# Return to parent directory: BSM-Submodules  
cd ../
```

Check micrOMEGAs

```
cd micromegas  
make # Recompile everything!  
make # twice
```

```
make -C CalcHEP_src  MICROMEGRAS=MICROMEGRAS  
...  
#-----  
# CalcHEP has compiled successfully and can be started.  
# The manual can be found on the CalcHEP website:  
#      http://theory.sinp.msu.ru/~pukhov/calchep.html  
# The next step is typically to run  
#      ./mkWORKdir  <new_dir>  
# where <new_dir> is the new directory where you will do  
# your calculations. After creating this directory, you  
# should cd into it and run calchep or calchep_batch.  
# Please see the manual for further details.  
#-----"  
...  
make[1]: Leaving directory '****/BSM-Submodules/micromegas/sources'
```

Build micrOMEGAs model

```
./newProject SSDM  
cd .. # return to parent directory
```

Check micrOMEGAs II

```
math << EOF
<<./SARAH/SARAH.m
Start ["SSDM"]
MakeCHep []
EOF
```

```
Mathematica 11.0.0 for Linux x86 (64-bit)
...
Write main file for MicrOmegas
Done. Model files generated in 31.044s
Output is saved in ****/BSM-Submodules/SARAH/Output/SSDM/EWSB/CHep/
```

```
cp SARAH/Output/SSDM/EWSB/CHep/* micromegas/SSDM/work/models/
cd micromegas/SSDM/
cp work/models/*.cpp .
# check your micrOMEGAs version
make main=CalcOmega_with_DDetection_M0v5.cpp
```

```
make -C work
...
g++      -g -fPIC  -o CalcOmega_with_DDetection_M0v5 CalcOmega_with_DDetection_M0v5.cpp ... -lpthread
cd ../../ #Return to parent directory
```

Check Madgraph

```
math << EOF
<<./SARAH/SARAH.m
Start ["SSDM"]
MakeUFO []
EOF
```

```
Mathematica 11.0.0 for Linux x86 (64-bit)
...
Writing effective diphoton and digluon vertices

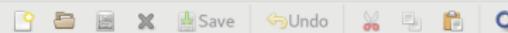
Done. UFO files generated in 30.716s
Output is saved in ****/BSM-Submodules/SARAH/Output/SSDM/EWSB/UFO/
```

```
cp -r SARAH/Output/SSDM/EWSB/UFO/ madgraph/models/SSDM
madgraph/bin/mg5_aMC << EOF
import model SSDM
check u u~ > mu+ mu-
EOF
```

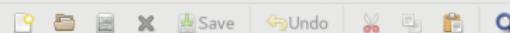
| Process | Min element | Max element | Relative diff. | Result |
|----------------|------------------|------------------|------------------|--------|
| u u~ > mu+ mu- | 4.9949890843e-03 | 4.9949890843e-03 | 5.2093911919e-15 | Passed |
| Summary: | 1/1 passed, | 0/1 failed | | |

Benchmark point

```
cp SPheno/SSDM/Input_Files/LesHouches.in.SSDM .
emacs LesHouches.in.SSDM
```



```
Block MODSEL      #
1 1              # 1/0: High/low scale input
2 1              # Boundary Condition
6 1              # Generation Mixing
Block SMINPUTS   # Standard Model inputs
2 1.166370E-05 # G_F, Fermi constant
3 1.187000E-01 # alpha_s(MZ) SM MSbar
4 9.118870E+01 # Z-boson pole mass
5 4.180000E+00 # m_b(mb) SM MSbar
6 1.735000E+02 # m_top(pole)
7 1.776690E+00 # m_tau(pole)
Block MINPAR     # Input parameters
1 2.8000000E-01 # LambdaLIN
2 1.0000000E-02 # LamSHIN
3 0.0000000E+00 # LamSIN
4 2.0000000E+02 # MSinput
Block SPhenoInput # SPheno specific input
1 -1             # error level
2 0              # SPA conventions
7 0              # Skip 2-loop Higgs corrections
8 3              # Method used for two-loop calculation
9 1              # Gaugeless limit used at two-loop
10 0             # safe-mode used at two-loop
11 1             # calculate branching ratios
13 1             # 3-Body decays: none (0), fermion (1), scalar (2), both (3)
14 0             # Run couplings to scale of decaying particle
12 1.000E-04    # write only branching ratios larger than this value
15 1.000E-30    # write only decay if width larger than this value
16 1             # One-loop decays
19 2             # Matching order / ?; automatic, 1-loop, 0.2, tree, one, 5-loop
:-... LesHouches.in.SSDM  Top L16  (Fundamental)
```



```
Block MODSEL      #
1 1              # 1/0: High/low scale input
2 1              # Boundary Condition
6 1              # Generation Mixing
Block SMINPUTS   # Standard Model inputs
2 1.166370E-05 # G_F, Fermi constant
3 1.187000E-01 # alpha_s(MZ) SM MSbar
4 9.118870E+01 # Z-boson pole mass
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Block MINPAR     # Input parameters
1 2.8000000E-01 # LambdaLIN
2 1.0000000E-02 # LamSHIN
3 0.0000000E+00 # LamSIN
4 2.0000000E+02 # MSinput
Block SPhenoInput # SPheno specific input
1 -1             # error level
2 0              # SPA conventions
7 0              # Skip 2-loop Higgs corrections
8 3              # Method used for two-loop calculation
9 1              # Gaugeless limit used at two-loop
10 0             # safe-mode used at two-loop
11 1             # calculate branching ratios
13 1             # 3-Body decays: none (0), fermion (1), scalar (2), both (3)
14 0             # Run couplings to scale of decaying particle
12 1.000E-04    # write only branching ratios larger than this value
15 1.000E-30    # write only decay if width larger than this value
16 1             # One-loop decays
19 2             # Matching order / 2: automatic, 1-loop, 0.2; tree, one, or two loop
:-... LesHouches.in.SSDM  Top L16  (Fundamental)
```

Run SPheno

```
BSM-Submodules$ SPheno/bin/SPhenoSSDM LesHouches.in.SSDM
Calculating branching ratios and decay widths
Calculating one loop decays
Loop masses not calculated: tree-level masses used for kinematics
Loop masses not calculated: no U-factors are applied
Calculating one-loop decays of Fu
Calculating one-loop decays of Fe
Calculating one-loop decays of Fd
Calculating one-loop decays of hh
Calculating low energy constraints
Calculating unitarity constraints
Writing output files
Finished!
BSM-Submodules$ emacs SPheno.spc.SSDM
```



Save

Undo



```
# SUSY Les Houches Accord 2 - SSDM Spectrum + Decays + Flavor Observables
# SPheno module generated by SARAH
# -----
# SPheno v4.0.3
# W. Porod, Comput. Phys. Commun. 153 (2003) 275-315, hep-ph/0301101
# W. Porod, F.Staub, Comput.Phys.Commun.183 (2012) 2458-2469, arXiv:1104.1573
# SARAH: 4.14.1
#   F. Staub; arXiv:0806.0538 (online manual)
#   F. Staub; Comput. Phys. Commun. 181 (2010) 1077-1086; arXiv:0909.2863
#   F. Staub; Comput. Phys. Commun. 182 (2011) 808-833; arXiv:1002.0840
#   F. Staub; Comput. Phys. Commun. 184 (2013) 1792-1809; arXiv:1207.0906
#   F. Staub; Comput. Phys. Commun. 185 (2014) 1773-1790; arXiv:1309.7223
# Including the calculation of flavor observables based on the FlavorKit
# W. Porod, F. Staub, A. Vicente; Eur.Phys.J. C74 (2014) 8, 2992; arXiv:1405.1434
# Two-loop masss corrections to Higgs fields based on
# M. D. Goodsell, K. Nickel, F. Staub; Eur.Phys.J. C75 (2015) no.6, 290; arXiv:1411.0675
# M. D. Goodsell, K. Nickel, F. Staub; Eur.Phys.J. C75 (2015) no.1, 32; arXiv:1503.03098
# M. D. Goodsell, F. Staub; arXiv:1511.01904
#
# in case of problems send email to florian.staub@kit.edu and goodsell@lpthe.jussieu.fr
# -----
# Created: 19.09.2019, 22:47
Block SPINFO # Program information
  1 SPhenoSARAH      # spectrum calculator
  2 v4.0.3            # version number of SPheno
  9 4.14.1            # version number of SARAH
Block MODSEL # Input parameters
  1 1    # GUT scale input
  2 1    # Boundary conditions
  6 1    # switching on flavour violation
Block MINPAR # Input parameters
  1 2.8000000E-01 # Lambda1IN
  2 1.0000000E-02 # LamSHIN
  3 0.0000000E+00 # LamSIN
  4 2.0000000E+02 # MSinput
Block gaugeGUT Q= -1.0000000E+00 # (GUT scale)
  1 0.0000000E+00 # g1(Q)
  2 0.0000000E+00 # g2(Q)
  3 0.0000000E+00 # g3(Q)
Block SMINPUTS # SM parameters
----- SPheno.spc.SSDM Top L39 (Fundamental)
Beginning of buffer
```



Save Undo



```
3 3 9.95678124E-01 # Real(Yu(3,3),dp)
Block Yd Q= 1.60000000E+02 # (Renormalization Scale)
1 1 2.87184285E-05 # Real(Yd(1,1),dp)
1 2 0.00000000E+00 # Real(Yd(1,2),dp)
1 3 0.00000000E+00 # Real(Yd(1,3),dp)
2 1 0.00000000E+00 # Real(Yd(2,1),dp)
2 2 5.45650142E-04 # Real(Yd(2,2),dp)
2 3 0.00000000E+00 # Real(Yd(2,3),dp)
3 1 0.00000000E+00 # Real(Yd(3,1),dp)
3 2 0.00000000E+00 # Real(Yd(3,2),dp)
3 3 2.40086062E-02 # Real(Yd(3,3),dp)
Block Ye Q= 1.60000000E+02 # (Renormalization Scale)
1 1 2.93501725E-06 # Real(Ye(1,1),dp)
1 2 0.00000000E+00 # Real(Ye(1,2),dp)
1 3 0.00000000E+00 # Real(Ye(1,3),dp)
2 1 0.00000000E+00 # Real(Ye(2,1),dp)
2 2 6.06868478E-04 # Real(Ye(2,2),dp)
2 3 0.00000000E+00 # Real(Ye(2,3),dp)
3 1 0.00000000E+00 # Real(Ye(3,1),dp)
3 2 0.00000000E+00 # Real(Ye(3,2),dp)
3 3 1.02047490E-02 # Real(Ye(3,3),dp)
```

Block MASS # Mass spectrum

| # PDG code | mass | particle |
|------------|----------------|----------|
| 25 | 1.30287679E+02 | # hh |
| 6666635 | 2.83944658E+01 | # ss |
| 23 | 9.11887000E+01 | # VZ |
| 24 | 8.03497269E+01 | # VWp |
| 1 | 5.00000000E-03 | # Fd_1 |
| 3 | 9.50000000E-02 | # Fd_2 |
| 5 | 4.18000000E+00 | # Fd_3 |
| 2 | 2.50000000E-03 | # Fu_1 |
| 4 | 1.27000000E+00 | # Fu_2 |
| 6 | 1.73500000E+02 | # Fu_3 |
| 11 | 5.10998930E-04 | # Fe_1 |
| 13 | 1.05658372E-01 | # Fe_2 |
| 15 | 1.77669000E+00 | # Fe_3 |

Block UDLMIX Q= 1.60000000E+02 # ()

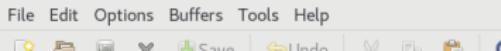
```
1 1 1.00000000E+00 # Real(ZDL(1,1),dp)
1 2 0.00000000E+00 # Real(ZDL(1,2),dp)
1 3 0.00000000E+00 # Real(ZDL(1,3),dp)
```

$$M_S = 28 \text{ GeV}$$

File Edit Options Buffers Tools Help

Save Undo

```
52 0.0000000E+00 # Ignore negative masses
53 0.0000000E+00 # Ignore negative masses at MZ
55 0.0000000E+00 # Calculate one loop masses
56 1.0000000E+00 # Calculate two-loop Higgs masses
57 1.0000000E+00 # Calculate low energy
60 1.0000000E+00 # Include kinetic mixing
65 1.0000000E+00 # Solution of tadpole equation
Block HiggsBoundsInputHiggsCouplingsFermions #
1.0000000E+00 0.0000000E+00 3 25 5 5 # h_1 b b coupling
1.0000000E+00 0.0000000E+00 3 25 3 3 # h_1 s s coupling
1.0000000E+00 0.0000000E+00 3 25 6 6 # h_1 t t coupling
1.0000000E+00 0.0000000E+00 3 25 4 4 # h_1 c c coupling
1.0000000E+00 0.0000000E+00 3 25 15 15 # h_1 tau tau coupling
1.0000000E+00 0.0000000E+00 3 25 13 13 # h_1 mu mu coupling
Block HiggsBoundsInputHiggsCouplingsBosons #
1.0000000E+00 3 25 24 24 # h_1 W W coupling
1.0000000E+00 3 25 23 23 # h_1 Z Z coupling
0.0000000E+00 3 25 23 22 # h_1 Z gamma coupling
1.04284942E+00 3 25 22 22 # h_1 gamma gamma coupling
1.02186767E+00 3 25 21 21 # h_1 g g coupling
0.0000000E+00 4 25 21 21 23 # h_1 g g Z coupling
0.0000000E+00 3 25 25 23 # h_1 h_1 Z coupling
Block EFFHIGGSCOUPLEDINGS # values of loop-induced couplings
25 22 22 0.33598689E-04 # H-Photon-Photon
25 21 21 0.65965686E-04 # H-Gluon-Gluon
25 22 23 0.0000000E+00 # H-Photon-Z (not yet calculated by SPheno)
Block SPhenoLowEnergy # low energy observables
1 -0.0000000E+00 # T-parameter (1-loop BSM)
2 0.0000000E+00 # S-parameter (1-loop BSM)
3 0.0000000E+00 # U-parameter (1-loop BSM)
20 1.99137438E-23 # (g-2)_e
21 2.00436756E-14 # (g-2)_mu
22 9.10708358E-10 # (g-2)_tau
23 0.0000000E+00 # EDM(e)
24 0.0000000E+00 # EDM(mu)
25 0.0000000E+00 # EDM(tau)
39 -3.57242562E-04 # delta(rho)
Block FlavorKitQFV # quark flavor violating observables
200 3.1500000E-04 # BR(B->X_s gamma)
201 1.0000000E+00 # BR(B->X_s gamma)/BR(B->X_s gamma) SM
-:--- SPheno.spc.SSDM 22% L186 (Fundamental)
```

Block FlavorKitEV # lepton flavor violating observables

```

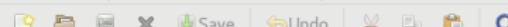
701 0.00000000E+00 # BR(mu->e gamma)
702 0.00000000E+00 # BR(tau->e gamma)
703 0.00000000E+00 # BR(tau->mu gamma)

```

```

1001 0.00000000e+00 # BR(tau- > mu)
1002 0.00000000e+00 # BR(tau- > tau)
1101 0.00000000e+00 # BR(tau- > mu)
1102 0.00000000e+00 # BR(tau- > tau)
1103 0.00000000e+00 # BR(tau- > tau)
2001 0.00000000e+00 # BR(tau- > pi0)
2002 0.00000000e+00 # BR(tau- > eta)
2003 0.00000000e+00 # BR(tau- > eta')
2004 0.00000000e+00 # BR(tau- > pi1)
2005 0.00000000e+00 # BR(tau- > pi2)
2006 0.00000000e+00 # BR(tau- > rho0)
Block PDFC0_0: 1.69999999e-01 # Wilson coefficients at scale Q
0309 1.69999999e-01 # confC7mu
0310 0.00000000e+00 # confC7tau
0321 4422 0.00000000e+00 # 1645673793
0325 4322 0.00 2. -3.7376993e-10 # confC7rho
0385 4322 0.00 2. -3.7376993e-10 # confC7eta
```

| | | | | |
|----------|----|-----|-------------------|--------------|
| 035 4422 | 00 | 1 | 0.00000000E+00 | # coeFFC7DIP |
| 035 4422 | 00 | 2 | -0.77376189E-10 | # coeFFC7DP |
| 035 4422 | 00 | 3 | -0.15475237E-09 | # coeFFC7BP |
| 035 4422 | 00 | 4 | -0.30950474E-08 | # coeFFC7B |
| 035 4422 | 00 | 5 | -0.61899940E-07 | # coeFFC7B |
| 035 4422 | 00 | 6 | -0.12379988E-06 | # coeFFC7B |
| 035 4422 | 00 | 7 | -0.24759976E-05 | # coeFFC7B |
| 035 4422 | 00 | 8 | -0.49519952E-04 | # coeFFC7B |
| 035 4422 | 00 | 9 | -0.10000000E+00 | # coeFFC7B |
| 035 4422 | 00 | 10 | -0.20000000E+00 | # coeFFC7B |
| 035 4422 | 00 | 11 | -0.40000000E+00 | # coeFFC7B |
| 035 4422 | 00 | 12 | -0.80000000E+00 | # coeFFC7B |
| 035 4422 | 00 | 13 | -0.16000000E+01 | # coeFFC7B |
| 035 4422 | 00 | 14 | -0.32000000E+01 | # coeFFC7B |
| 035 4422 | 00 | 15 | -0.64000000E+01 | # coeFFC7B |
| 035 4422 | 00 | 16 | -0.12800000E+02 | # coeFFC7B |
| 035 4422 | 00 | 17 | -0.25600000E+02 | # coeFFC7B |
| 035 4422 | 00 | 18 | -0.51200000E+02 | # coeFFC7B |
| 035 4422 | 00 | 19 | -0.10240000E+03 | # coeFFC7B |
| 035 4422 | 00 | 20 | -0.20480000E+03 | # coeFFC7B |
| 035 4422 | 00 | 21 | -0.40960000E+03 | # coeFFC7B |
| 035 4422 | 00 | 22 | -0.81920000E+03 | # coeFFC7B |
| 035 4422 | 00 | 23 | -0.16384000E+04 | # coeFFC7B |
| 035 4422 | 00 | 24 | -0.32768000E+04 | # coeFFC7B |
| 035 4422 | 00 | 25 | -0.65536000E+04 | # coeFFC7B |
| 035 4422 | 00 | 26 | -0.13107200E+05 | # coeFFC7B |
| 035 4422 | 00 | 27 | -0.26214400E+05 | # coeFFC7B |
| 035 4422 | 00 | 28 | -0.52428800E+05 | # coeFFC7B |
| 035 4422 | 00 | 29 | -0.10485760E+06 | # coeFFC7B |
| 035 4422 | 00 | 30 | -0.20971520E+06 | # coeFFC7B |
| 035 4422 | 00 | 31 | -0.41943040E+06 | # coeFFC7B |
| 035 4422 | 00 | 32 | -0.83886080E+06 | # coeFFC7B |
| 035 4422 | 00 | 33 | -0.16777216E+07 | # coeFFC7B |
| 035 4422 | 00 | 34 | -0.33554432E+07 | # coeFFC7B |
| 035 4422 | 00 | 35 | -0.67108864E+07 | # coeFFC7B |
| 035 4422 | 00 | 36 | -0.134217728E+08 | # coeFFC7B |
| 035 4422 | 00 | 37 | -0.268435456E+08 | # coeFFC7B |
| 035 4422 | 00 | 38 | -0.536870912E+08 | # coeFFC7B |
| 035 4422 | 00 | 39 | -0.1073741824E+09 | # coeFFC7B |
| 035 4422 | 00 | 40 | -0.2147483648E+09 | # coeFFC7B |
| 035 4422 | 00 | 41 | -0.4294967296E+09 | # coeFFC7B |
| 035 4422 | 00 | 42 | -0.8589934592E+09 | # coeFFC7B |
| 035 4422 | 00 | 43 | -0.1717986918E+10 | # coeFFC7B |
| 035 4422 | 00 | 44 | -0.3435973836E+10 | # coeFFC7B |
| 035 4422 | 00 | 45 | -0.6871947672E+10 | # coeFFC7B |
| 035 4422 | 00 | 46 | -0.1374389534E+11 | # coeFFC7B |
| 035 4422 | 00 | 47 | -0.2748779068E+11 | # coeFFC7B |
| 035 4422 | 00 | 48 | -0.5497558136E+11 | # coeFFC7B |
| 035 4422 | 00 | 49 | -0.1099511627E+12 | # coeFFC7B |
| 035 4422 | 00 | 50 | -0.2199023254E+12 | # coeFFC7B |
| 035 4422 | 00 | 51 | -0.4398046508E+12 | # coeFFC7B |
| 035 4422 | 00 | 52 | -0.8796093016E+12 | # coeFFC7B |
| 035 4422 | 00 | 53 | -0.1759218603E+13 | # coeFFC7B |
| 035 4422 | 00 | 54 | -0.3518437206E+13 | # coeFFC7B |
| 035 4422 | 00 | 55 | -0.7036874412E+13 | # coeFFC7B |
| 035 4422 | 00 | 56 | -0.1407374882E+14 | # coeFFC7B |
| 035 4422 | 00 | 57 | -0.2814749764E+14 | # coeFFC7B |
| 035 4422 | 00 | 58 | -0.5629499528E+14 | # coeFFC7B |
| 035 4422 | 00 | 59 | -0.1125899905E+15 | # coeFFC7B |
| 035 4422 | 00 | 60 | -0.225179981E+15 | # coeFFC7B |
| 035 4422 | 00 | 61 | -0.450359962E+15 | # coeFFC7B |
| 035 4422 | 00 | 62 | -0.900719924E+15 | # coeFFC7B |
| 035 4422 | 00 | 63 | -0.1801439848E+16 | # coeFFC7B |
| 035 4422 | 00 | 64 | -0.3602879696E+16 | # coeFFC7B |
| 035 4422 | 00 | 65 | -0.7205759392E+16 | # coeFFC7B |
| 035 4422 | 00 | 66 | -0.1441151878E+17 | # coeFFC7B |
| 035 4422 | 00 | 67 | -0.2882303756E+17 | # coeFFC7B |
| 035 4422 | 00 | 68 | -0.5764607512E+17 | # coeFFC7B |
| 035 4422 | 00 | 69 | -0.1152921502E+18 | # coeFFC7B |
| 035 4422 | 00 | 70 | -0.2305843004E+18 | # coeFFC7B |
| 035 4422 | 00 | 71 | -0.4611686008E+18 | # coeFFC7B |
| 035 4422 | 00 | 72 | -0.9223372016E+18 | # coeFFC7B |
| 035 4422 | 00 | 73 | -0.1844674403E+19 | # coeFFC7B |
| 035 4422 | 00 | 74 | -0.3689348806E+19 | # coeFFC7B |
| 035 4422 | 00 | 75 | -0.7378697612E+19 | # coeFFC7B |
| 035 4422 | 00 | 76 | -0.1475739522E+20 | # coeFFC7B |
| 035 4422 | 00 | 77 | -0.2951479044E+20 | # coeFFC7B |
| 035 4422 | 00 | 78 | -0.5902958088E+20 | # coeFFC7B |
| 035 4422 | 00 | 79 | -0.1180591617E+21 | # coeFFC7B |
| 035 4422 | 00 | 80 | -0.2361183234E+21 | # coeFFC7B |
| 035 4422 | 00 | 81 | -0.4722366468E+21 | # coeFFC7B |
| 035 4422 | 00 | 82 | -0.9444732936E+21 | # coeFFC7B |
| 035 4422 | 00 | 83 | -0.1888946587E+22 | # coeFFC7B |
| 035 4422 | 00 | 84 | -0.3777893174E+22 | # coeFFC7B |
| 035 4422 | 00 | 85 | -0.7555786348E+22 | # coeFFC7B |
| 035 4422 | 00 | 86 | -0.1511157269E+23 | # coeFFC7B |
| 035 4422 | 00 | 87 | -0.3022314538E+23 | # coeFFC7B |
| 035 4422 | 00 | 88 | -0.6044629076E+23 | # coeFFC7B |
| 035 4422 | 00 | 89 | -0.1208925815E+24 | # coeFFC7B |
| 035 4422 | 00 | 90 | -0.241785163E+24 | # coeFFC7B |
| 035 4422 | 00 | 91 | -0.483570326E+24 | # coeFFC7B |
| 035 4422 | 00 | 92 | -0.967140652E+24 | # coeFFC7B |
| 035 4422 | 00 | 93 | -0.1934281304E+25 | # coeFFC7B |
| 035 4422 | 00 | 94 | -0.3868562608E+25 | # coeFFC7B |
| 035 4422 | 00 | 95 | -0.7737125216E+25 | # coeFFC7B |
| 035 4422 | 00 | 96 | -0.1547425043E+26 | # coeFFC7B |
| 035 4422 | 00 | 97 | -0.3094850086E+26 | # coeFFC7B |
| 035 4422 | 00 | 98 | -0.6189700172E+26 | # coeFFC7B |
| 035 4422 | 00 | 99 | -0.1237940034E+27 | # coeFFC7B |
| 035 4422 | 00 | 100 | -0.2475880068E+27 | # coeFFC7B |
| 035 4422 | 00 | 101 | -0.4951760136E+27 | # coeFFC7B |
| 035 4422 | 00 | 102 | -0.9903520272E+27 | # coeFFC7B |
| 035 4422 | 00 | 103 | -0.1980704054E+28 | # coeFFC7B |
| 035 4422 | 00 | 104 | -0.3961408108E+28 | # coeFFC7B |
| 035 4422 | 00 | 105 | -0.7922816216E+28 | # coeFFC7B |
| 035 4422 | 00 | 106 | -0.1584563243E+29 | # coeFFC7B |
| 035 4422 | 00 | 107 | -0.3169126486E+29 | # coeFFC7B |
| 035 4422 | 00 | 108 | -0.6338252972E+29 | # coeFFC7B |
| 035 4422 | 00 | 109 | -0.1267650594E+30 | # coeFFC7B |
| 035 4422 | 00 | 110 | -0.2535301188E+30 | # coeFFC7B |
| 035 4422 | 00 | 111 | -0.5070602376E+30 | # coeFFC7B |
| 035 4422 | 00 | 112 | -0.1014120475E+31 | # coeFFC7B |
| 035 4422 | 00 | 113 | -0.202824095E+31 | # coeFFC7B |
| 035 4422 | 00 | 114 | -0.40564819E+31 | # coeFFC7B |
| 035 4422 | 00 | 115 | -0.81129638E+31 | # coeFFC7B |
| 035 4422 | 00 | 116 | -0.162259276E+32 | # coeFFC7B |
| 035 4422 | 00 | 117 | -0.324518552E+32 | # coeFFC7B |
| 035 4422 | 00 | 118 | -0.649037104E+32 | # coeFFC7B |
| 035 4422 | 00 | 119 | -0.1298074208E+33 | # coeFFC7B |
| 035 4422 | 00 | 120 | -0.2596148416E+33 | # coeFFC7B |
| 035 4422 | 00 | 121 | -0.5192296832E+33 | # coeFFC7B |
| 035 4422 | 00 | 122 | -0.1038459366E+34 | # coeFFC7B |
| 035 4422 | 00 | 123 | -0.2076918732E+34 | # coeFFC7B |
| 035 4422 | 00 | 124 | -0.4153837464E+34 | # coeFFC7B |
| 035 4422 | 00 | 125 | -0.8307674928E+34 | # coeFFC7B |
| 035 4422 | 00 | 126 | -0.1661534985E+35 | # coeFFC7B |
| 035 4422 | 00 | 127 | -0.332306997E+35 | # coeFFC7B |
| 035 4422 | 00 | 128 | -0.664613994E+35 | # coeFFC7B |
| 035 4422 | 00 | 129 | -0.1329227988E+36 | # coeFFC7B |
| 035 4422 | 00 | 130 | -0.2658455976E+36 | # coeFFC7B |
| 035 4422 | 00 | 131 | -0.5316911952E+36 | # coeFFC7B |
| 035 4422 | 00 | 132 | -0.106338239E+37 | # coeFFC7B |
| 035 4422 | 00 | 133 | -0.212676478E+37 | # coeFFC7B |
| 035 4422 | 00 | 134 | -0.425352956E+37 | # coeFFC7B |
| 035 4422 | 00 | 135 | -0.850705912E+37 | # coeFFC7B |
| 035 4422 | 00 | 136 | -0.1701411824E+38 | # coeFFC7B |
| 035 4422 | 00 | 137 | -0.3402823648E+38 | # coeFFC7B |
| 035 4422 | 00 | 138 | -0.6805647296E+38 | # coeFFC7B |
| 035 4422 | 00 | 139 | -0.1361129459E+39 | # coeFFC7B |
| 035 4422 | 00 | 140 | -0.2722258918E+39 | # coeFFC7B |
| 035 4422 | 00 | 141 | -0.5444517836E+39 | # coeFFC7B |
| 035 4422 | 00 | 142 | -0.1088903567E+40 | # coeFFC7B |
| 035 4422 | 00 | 143 | -0.2177807134E+40 | # coeFFC7B |
| 035 4422 | 00 | 144 | -0.4355614268E+40 | # coeFFC7B |
| 035 4422 | 00 | 145 | -0.8711228536E+40 | # coeFFC7B |
| 035 4422 | 00 | 146 | -0.1742245707E+41 | # coeFFC7B |
| 035 4422 | 00 | 147 | -0.3484491414E+41 | # coeFFC7B |
| 035 4422 | 00 | 148 | -0.6968982828E+41 | # coeFFC7B |
| 035 4422 | 00 | 149 | -0.1393796565E+42 | # coeFFC7B |
| 035 4422 | 00 | 150 | -0.278759313E+42 | # coeFFC7B |
| 035 4422 | 00 | 151 | -0.557518626E+42 | # coeFFC7B |
| 035 4422 | 00 | 152 | -0.1115037252E+43 | # coeFFC7B |
| 035 4422 | 00 | 153 | -0.2230074504E+43 | # coeFFC7B |
| 035 4422 | 00 | 154 | -0.4460149008E+43 | # coeFFC7B |
| 035 4422 | 00 | 155 | -0.8920298016E+43 | # coeFFC7B |
| 035 4422 | 00 | 156 | -0.1784059603E+44 | # coeFFC7B |
| 035 4422 | 00 | 157 | -0.3568119206E+44 | # coeFFC7B |
| 035 4422 | 00 | 158 | -0.7136238412E+44 | # coeFFC7B |
| 035 4422 | 00 | 159 | -0.1427247682E+45 | # coeFFC7B |
| 035 4422 | 00 | 160 | -0.2854495364E+45 | # coeFFC7B |
| 035 4422 | 00 | 161 | -0.5708990728E+45 | # coeFFC7B |
| 035 4422 | 00 | 162 | -0.1141798145E+46 | # coeFFC7B |
| 035 4422 | 00 | 163 | -0.228359629E+46 | # coeFFC7B |
| 035 4422 | 00 | 164 | -0.456719258E+46 | # coeFFC7B |
| 035 4422 | 00 | 165 | -0.913438516E+46 | # coeFFC7B |
| 035 4422 | 00 | 166 | -0.1826877032E+47 | # coeFFC7B |
| 035 4422 | 00 | 167 | -0.3653754064E+47 | # coeFFC7B |
| 035 4422 | 00 | 168 | -0.7307508128E+47 | # coeFFC7B |
| 035 4422 | 00 | 169 | -0.1461501625E+48 | # coeFFC7B |
| 035 4422 | 00 | 170 | -0.292300325E+48 | # coeFFC7B |
| 035 4422 | 00 | 171 | -0.58460065E+48 | # coeFFC7B |
| 035 4422 | 00 | 172 | -0.11692013E+49 | # coeFFC7B |
| 035 4422 | 00 | 173 | -0.23384026E+49 | # coeFFC7B |
| 035 4422 | 00 | 174 | -0.46768052E+49 | # coeFFC7B |
| 035 4422 | 00 | 175 | -0.93536104E+49 | # coeFFC7B |
| 035 4422 | 00 | 176 | -0.187072208E+50 | # coeFFC7B |
| 035 4422 | 00 | 177 | -0.374144416E+50 | # coeFFC7B |
| 035 4422 | 00 | 178 | -0.748288832E+50 | # coeFFC7B |
| 035 4422 | 00 | 179 | -0.1496577664E+51 | # coeFFC7B |
| 035 4422 | 00 | 180 | -0.2993155328E+51 | # coeFFC7B |
| 035 4422 | 00 | 181 | -0.5986310656E+51 | # coeFFC7B |
| 035 4422 | 00 | 182 | -0.1197262131E+52 | # coeFFC7B |
| 035 4422 | 00 | 183 | -0.2394524262E+52 | # coeFFC7B |
| 035 4422 | 00 | 184 | -0.4789048524E+52 | # coeFFC7B |
| 035 4422 | 00 | 185 | -0.9578097048E+52 | # coeFFC7B |
| 035 4422 | 00 | 186 | -0.1915619409E+53 | # coeFFC7B |
| 035 4422 | 00 | 187 | -0.3831238818E+53 | # coeFFC7B |
| 035 4422 | 00 | 188 | -0.7662477636E+53 | # coeFFC7B |
| 035 4422 | 00 | 189 | -0.1532495527E+54 | # coeFFC7B |
| 035 4422 | 00 | 190 | -0.3064991054E+54 | # coeFFC7B |
| 035 4422 | 00 | 191 | -0.6129982108E+54 | # coeFFC7B |
| 035 4422 | 00 | 192 | -0.1225996421E+55 | # coeFFC7B |
| 035 4422 | 00 | 193 | -0.24519 | |



```

01050105 3232 00 0 0.0000000E+00 # coeffBB_SRRSM
01050105 3132 00 0 0.0000000E+00 # coeffBB_SLRSM
01050105 4141 00 0 0.0000000E+00 # coeffBB_VLLSM
01050105 4242 00 0 0.0000000E+00 # coeffBB_VRRSM
01050105 4142 00 0 0.0000000E+00 # coeffBB_VLRSM
01050105 4343 00 0 0.0000000E+00 # coeffBB_TLLSM
01050105 4444 00 0 0.0000000E+00 # coeffBB_TRRSM
03050305 3131 00 0 0.0000000E+00 # coeffBsBs_SLLSM
03050305 3232 00 0 0.0000000E+00 # coeffBsBs_SRRSM
03050305 3132 00 0 0.0000000E+00 # coeffBsBs_SLRSM
03050305 4141 00 0 0.0000000E+00 # coeffBsBs_VLLSM
03050305 4242 00 0 0.0000000E+00 # coeffBsBs_VRRSM
03050305 4142 00 0 0.0000000E+00 # coeffBsBs_VLRSM
03050305 4343 00 0 0.0000000E+00 # coeffBsBs_TLLSM
03050305 4444 00 0 0.0000000E+00 # coeffBsBs_TRRSM

Block TREELEVELUNITARITY #
  0 1.0000000E+00 # Tree-level unitarity limits fulfilled or not
  1 1.67207372E-02 # Maximal scattering eigenvalue

Block TREELEVELUNITARITYwTRILINEARS #
  0 1.0000000E+00 # Tree-level unitarity limits fulfilled or not
  1 1.61576897E-02 # Maximal scattering eigenvalue
  2 2.0000000E+03 # best scattering energy
  11 1.0000000E+03 # min scattering energy
  12 2.0000000E+03 # max scattering energy
  13 5.0000000E+00 # steps

DECAY      4 3.82261015E-13 # Fu_2
#   BR      NDA    ID1    ID2
#   BR      NDA    ID1    ID2    ID3
  3.05502575E-02 3      2      -1      1 # BR(Fu_2 -> Fu_1 Fd_1^* Fd_1 )
  5.45954987E-01 3      2      -1      3 # BR(Fu_2 -> Fu_1 Fd_1^* Fd_2 )
  1.56486313E-03 3      2      -3      1 # BR(Fu_2 -> Fu_1 Fd_2^* Fd_1 )
  2.79270154E-02 3      2      -3      3 # BR(Fu_2 -> Fu_1 Fd_2^* Fd_2 )
  1.07295183E-02 3      1      -11     12 # BR(Fu_2 -> Fd_1 Fe_1^* Fv_1 )
  1.01645236E-02 3      1      -13     14 # BR(Fu_2 -> Fd_1 Fe_2^* Fv_2 )
  1.91744771E-01 3      3      -11     12 # BR(Fu_2 -> Fd_2 Fe_1^* Fv_1 )
  1.81364064E-01 3      3      -13     14 # BR(Fu_2 -> Fd_2 Fe_2^* Fv_2 )

DECAY      6 1.55526925E+00 # Fu_3
#   BR      NDA    ID1    ID2
  1.6759777E-03 2      3      24    # BR(Fu_3 -> Fd_2 VWP )
  9.98288583E-01 2      5      24    # BR(Fu_3 -> Fd_3 VWP )

----- SPheNo.spc.SSDM 80% L558 (Fundamental)

```

File Edit Options Buffers Tools Help

Save Undo

```

2.15252618E-03 3 2 -12 11 # BR(Fd_3 -> Fu_1 Fv_1^* Fe_1 )
2.14490780E-03 3 2 -14 13 # BR(Fd_3 -> Fu_1 Fv_2^* Fe_2 )
5.83957751E-04 3 2 -16 15 # BR(Fd_3 -> Fu_1 Fv_3^* Fe_3 )
1.59069889E-01 3 4 -12 11 # BR(Fd_3 -> Fu_2 Fv_1^* Fe_1 )
1.58104211E-01 3 4 -14 13 # BR(Fd_3 -> Fu_2 Fv_2^* Fe_2 )
1.96896118E-02 3 4 -16 15 # BR(Fd_3 -> Fu_2 Fv_3^* Fe_3 )

DECAY 25 6.42252863E-03 # hh
# BR NDA ID1 ID2
1.93338706E-03 2 22 22 # BR(hh -> VP VP )
5.96211424E-02 2 21 21 # BR(hh -> VG VG )
2.82490956E-02 2 23 23 # BR(hh -> VZ VZ )
2.33261695E-01 2 -24 24 # BR(hh -> VWP^* VWP_virt )
1.33790716E-04 2 -3 3 # BR(hh -> Fd_2^* Fd_2 )
3.58433068E-01 2 -5 5 # BR(hh -> Fd_3^* Fd_3 )
1.45065926E-04 2 -13 13 # BR(hh -> Fe_2^* Fe_2 )
4.18774507E-02 2 -15 15 # BR(hh -> Fe_3^* Fe_3 )
1.68995783E-02 2 -4 4 # BR(hh -> Fu_2^* Fu_2 )
2.59445280E-01 2 6666635 6666635 # BR(hh -> SS SS )

DECAY1L 4 1.11448989E-23 # Fu_2
# BR NDA ID1 ID2
9.80578882E-01 2 2 21 # BR(Fu_2 -> Fu_1 VG )
1.94211179E-02 2 2 22 # BR(Fu_2 -> Fu_1 VP )

DECAY1L 6 1.40218346E+00 # Fu_3
# BR NDA ID1 ID2
1.67434891E-03 2 3 24 # BR(Fu_3 -> Fd_2 VWP )
9.98290247E-01 2 5 24 # BR(Fu_3 -> Fd_3 VWP )

DECAY1L 3 1.38160366E-20 # Fd_2
# BR NDA ID1 ID2
9.93677595E-01 2 1 21 # BR(Fd_2 -> Fd_1 VG )
6.32240539E-03 2 1 22 # BR(Fd_2 -> Fd_1 VP )

DECAY1L 5 4.50364203E-14 # Fd_3
# BR NDA ID1 ID2
2.05693613E-02 2 1 21 # BR(Fd_3 -> Fd_1 VG )
9.74708472E-01 2 3 21 # BR(Fd_3 -> Fd_2 VG )
4.62332156E-03 2 3 22 # BR(Fd_3 -> Fd_2 VP )

DECAY1L 25 8.26580363E-03 # hh
# BR NDA ID1 ID2
3.55304437E-04 2 -3 3 # BR(hh -> Fd_2^* Fd_2 )
6.75629528E-01 2 -5 5 # BR(hh -> Fd_3^* Fd_3 )
1.19436199E-04 2 -13 13 # BR(hh -> Fe_2^* Fe_2 )

```

BR($h \rightarrow S S$) = 26%

- : --- SPheNo.spc.SSDM 93% L632 (Fundamental)

Run micrOMEGAs

```
micromegas/SSDM/CalcOmega_with_DDetection_M0v5 SPheno.spc.SSDM
```

```
Masses of odd sector Particles:  
~Ss : MSs = 28.4 ||  
PROCESS: ~Ss,~Ss->AllEven,1*x{h,g,A,Z,Wp,Wm,nu1,Nu1,nu2,Nu2,nu3,Nu3,d1,D1,d2,D2,d3,D3,u1,U1,u2,U2,u3,U3,e1,E1,e2,E2,e3,  
E3  
Xf=1.64e+01 Omega h^2=2.28e+01  
  
# Channels which contribute to 1/(omega) more than 1%.  
# Relative contributions in % are displayed  
85% ~Ss ~Ss ->d3 D3  
8% ~Ss ~Ss ->e3 E3  
4% ~Ss ~Ss ->u2 U2  
2% ~Ss ~Ss ->g g  
  
===== Calculation of CDM-nucleons amplitudes =====  
TREE LEVEL  
PROCESS: QUARKS,~Ss->QUARKS,-Ss{d1,D1,d2,D2,d3,D3,u1,U1,u2,U2,u3,U3  
Delete diagrams with _S0_!=1,_V5_,A  
....  
CDM-nucleon cross sections[pb]:  
proton SI 2.407E-09 SD 0.000E+00  
neutron SI 2.471E-09 SD 0.000E+00  
  
===== Direct Detection =====  
73Ge: Total number of events=1.29E-03 /day/kg  
Number of events in 10 - 50 KeV region=4.19E-04 /day/kg  
131Xe: Total number of events=2.66E-03 /day/kg
```

Automatic generation of scotogenic models

Python program: minimal-lagrangians

Simon May, <https://arxiv.org/pdf/2003.08037.pdf> [CPC]

```
pip install minimal-lagrangians
```

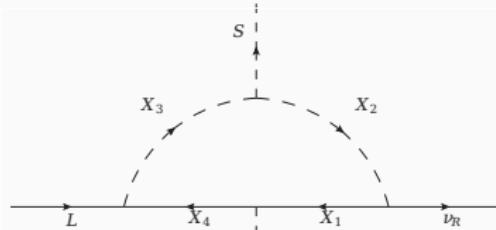
- As the program was originally written for the study of minimal darkmatter models with radiative neutrino masses: D. Restrepo, O. Zapata, C. E. Yaguna, Models with radiative neutrino masses and viable dark matter candidates, arXiv:1308.3655 [JHEP]
- Lagrangians for the individual models.
- Model files for SARAH can be constructed automatically from the specified field content, which can be tedious if done manually

Thus, minimal-lagrangians enables rapid phenomenological studies using SARAH and, successively, further tools like SPheno, and micrOMEGAs → Sec. 8: Outlook

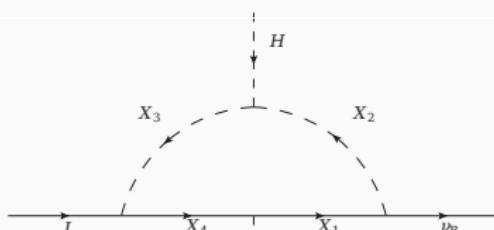
```
BSMModel('T1-3-B', (
    FermionField("Psi", 1, Y= 0),
    FermionField("Psi'", 2, Y= 1),
    ScalarField ("phi", 3, Y= 0),
    FermionField("Psi''", 2, Y=-1), 6), (0, 2)), # = -2 is equivalent to= 2
```

Dirac neutrino masses

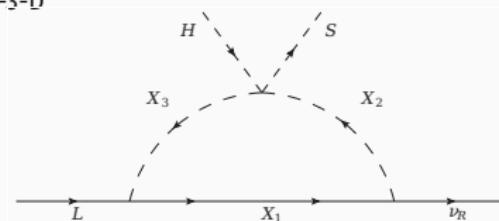
One loop topologies $U(1)_{B-L} \oplus Z_2 \oplus Z_2$



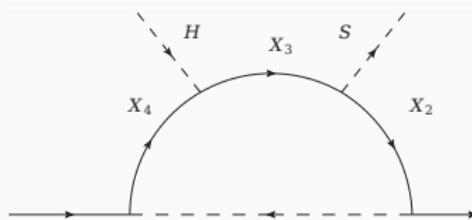
T1-3-D



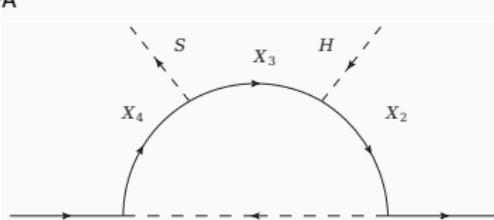
T1-3-E



T3-1-A



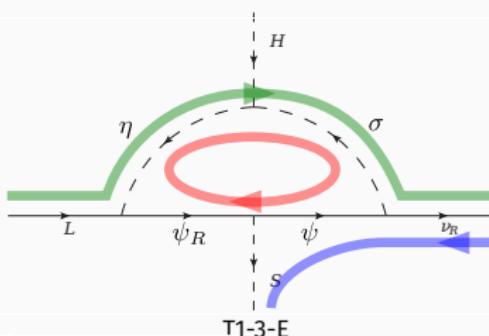
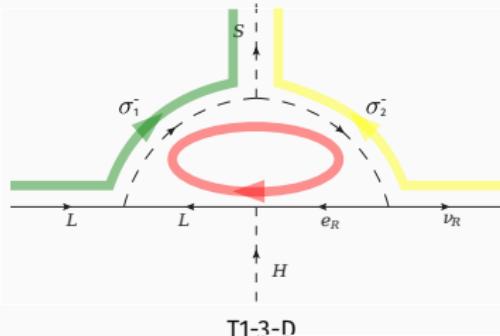
T1-2-A



T1-2-B

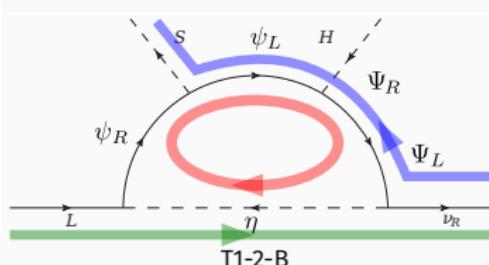
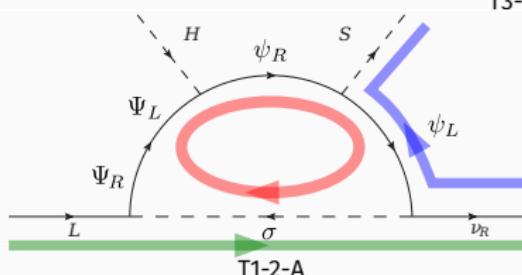
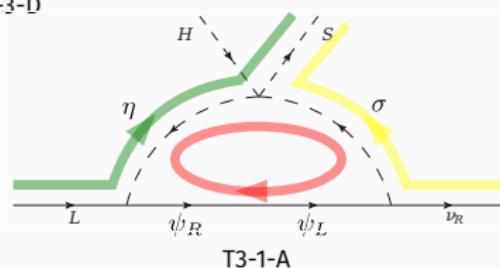
Chang-Yuan Yao and Gui-Jun Ding, arXiv:1802.05231 [PRD]

One loop topologies $U(1)_{B-L}$ only!

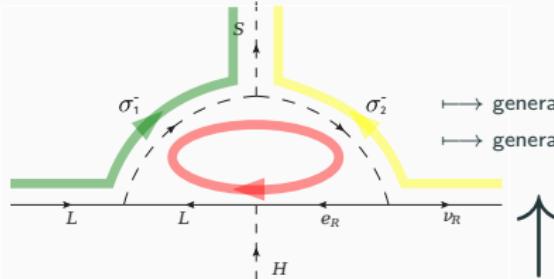


$\psi_{L,R} \rightarrow$ Singlet fermions (vector-like)
 $\sigma \rightarrow$ Singlet scalar

with J. Calle, C. Yaguna, and O. Zapata, arXiv:1812.05523 [PRD]



One loop topologies $U(1)_{B-L}$ only! with J. Calle, C. Yaguna, and O. Zapata, arXiv:1812.05523 [PRD]

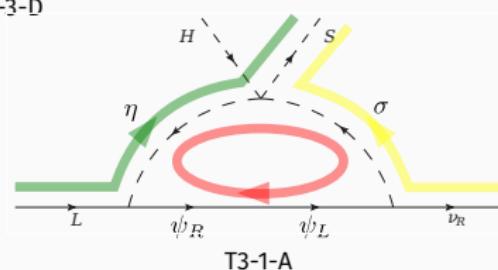


→ generalization to two and three loops: S. Saad arXiv:1902.07259 [NPB]
 → generalization to $U(1)_R$: et al, S. Saad arXiv:1904.07407

| Fields: f_i | L, e_R | ν_{R3} | ν_{R2} | ν_{R1} | S | H |
|---------------|----------|------------|------------|------------|-----|-----|
| $U(1)_{B-L}$ | -1 | -4 | -4 | +5 | +3 | 0 |

T1-3-D

$\psi_{L,R} \rightarrow$ Singlet fermions (vector-like)
 $\sigma \rightarrow$ Singlet scalar



T3-1-A

Anomaly cancellation conditions

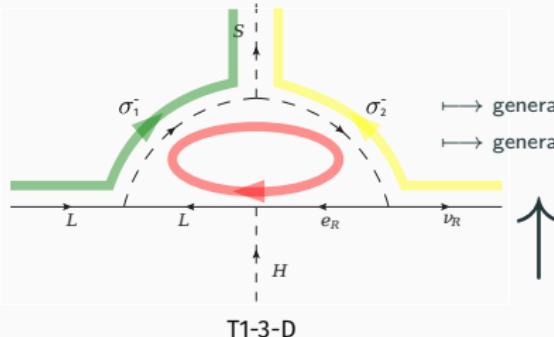
$$\sum_i \nu_{Ri} = -3$$

$$\sum_i \nu_{Ri}^3 = -3$$

Three-level cancellation conditions

$$\frac{\nu_R \nu_R}{(\nu_R)^\dagger L \cdot H}$$

One loop topologies $U(1)_{B-L}$ only! with J. Calle, C. Yaguna, and O. Zapata, arXiv:1812.05523 [PRD]



→ generalization to two and three loops: S. Saad arXiv:1902.07259 [NPB]
 → generalization to $U(1)_R$: et al, S. Saad arXiv:1904.07407

| Fields: f_i | L, e_R | ν_{R3} | ν_{R2} | ν_{R1} | σ_1^- | σ_2^- | S | H |
|---------------|----------|------------|------------|------------|--------------|--------------|-----|-----|
| $U(1)_{B-L}$ | -1 | -4 | -4 | +5 | -2 | -5 | +3 | 0 |

Anomaly cancellation conditions

$\sigma \rightarrow$ Singlet scalar

$$\sum_i \nu_{Ri} = -3$$

$$\sum_i \nu_{Ri}^3 = -3$$

Three-level cancellation conditions

$$\frac{\nu_R \nu_R}{(\nu_R)^\dagger L \cdot H}$$

Dirac Zee

```
cp -r BSM/SARAH/Models/B-L/ SARAH/Models/  
math << EOF  
<<./SARAH/SARAH.m  
Start["B-L/DZ"]  
MakeSPheno[]  
EOF
```

```
cp -r SARAH/Output/B-L-DZ/EWSB/SPheno SPheno/BLDZ  
cd SPheno  
make Model=BLDZ  
cd .. # Return to parent directory  
  
cp BSM/Input_Files/LesHouches.in.BLDZ .
```

SP1/Run/SP1-BLDZ/LesHouches.in.BLDZ

LesHouches.in.BLDZ: Fix options!

```
55 1      # Calculate loop corrected masses  
50 0      # Majorana phases: use only positive masses  
520 0     # Write effective Higgs couplings
```

Dirac Zee

```
cp -r BSM/SARAH/Models/B-L/ SARAH/Models/
math << EOF
<<./SARAH/SARAH.m
Start["B-L/DZ"]
MakeSPheno []
EOF
```

```
cp -r SARAH/Output/B-L-DZ/EWSB/SPheno SPheno/BLDZ
cd SPheno
make Model=BLDZ
cd .. # Return to parent directory
```

```
cp BSM/Input_Files/LesHouches.in.BLDZ .
```

```
SPheno/bin/SPhenoBLDZ LesHouches.in.BLDZ
```

```
cat SPheno.spc.BLDZ
```

```
Block MASS # Mass spectrum
#   PDG code      mass          particle
    25     1.24861947E+02 # hh_1
    35     1.71464282E+03 # hh_2
  900037     2.00000000E+03 # Hm_2
  900038     3.00000000E+03 # Hm_3
    22     0.00000000E+00 # VP
    23     9.11887000E+01 # VZ
    21     0.00000000E+00 # VG
    24     7.96796394E+01 # VWm
    31     2.57196423E+03 # VZp
    1     5.00000000E-03 # Fd_1
    .
    .
    .
    15     1.77669000E+00 # Fe_3
    12     0.00000000E+00 # Fv_1
    14     -1.61994502E-31 # Fv_2
    16     4.42048291E-14 # Fv_3
  8810012     -4.42048291E-14 # Fv_4
  8810014     2.08300541E-10 # Fv_5
  8810016     -2.08300541E-10 # Fv_6
```

EXTRA

2nd Chuck Norris fact of the day

*Chuck Norris can run collider
simulations with MadGraph on
an abacus*

From A. Vicente

Backup slides

Preliminars

✿ Computer tools in particle physics

Information

This is the website for the course 'Computer tools in particle physics' by Avelino Vicente.

- [CINVESTAV, México City \(México\) 2015](#)
- [IFIC, Valencia \(Spain\) 2016](#)
- [Universidad de Antioquia, Medellín \(Colombia\) 2016](#)
- [IFIC, Valencia \(Spain\) 2017](#)

References

The course focuses on the material contained in the following notes:

[Computer tools in particle physics, A. Vicente, arXiv:1507.06349 \[PDF\]](#)

For two-loops RGEs see also:

["Exploring new models in all detail with SARAH", Florian Staub, arXiv:1503.04200 \[PDF\]](#)

SARAH:

["SARAH 4: A tool for \(not only SUSY\) model builders", Florian Staub, arXiv:1309.7223 \[PDF\]](#)

About

This is the website for the course 'Computer tools in particle physics'.

- Links
- V1.0 August 2009: Susy Only
 - V4.0 September 2013: non-Susy
 - [SARAH](#) V4.14.2 (Transferred to W.Porod)
 - [SPheno](#)
 - [MicrOMEGAS](#)
 - [MadGraph](#)
 - [MadAnalysis](#)
 - [FlavorKit](#)

Contact

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Office B-6-0

For questions and comments, you can send me an [e-mail](#).

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SARAH:

["SARAH 4: A tool for \(not only SUSY\) model builders", Florian Staub, arXiv:1309.7223 \[PDF\]](#)

About

This is the website for the course 'Computer tools in particle physics'.

Links

- [SARAH](#)
- [SPheno](#)
- [MicrOMEGAS](#)
- [MadGraph](#)
- [MadAnalysis](#)
- [FlavorKit](#)

Contact

Avelino Vicente
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For questions and comments, you can send me an [e-mail](#).

✿ Computer tools in particle physics

Information

This is the website for the course [Computer tools in particle physics](#) by Avelino Vicente, to take place at [Instituto de Física Corpuscular](#) (CSIC/Universidad de Valencia).

Dates: Monday 22/05/2017 - Friday 26/05/2017

Place: IFIC - Sala de Audiovisuales (Nave experimental)

Time: 15:00

Duration: 1.5 h for the first session and 1 h for the rest

Material and required programs

This will be a hands-on course, where all participants are encouraged to run all codes in their own laptops. The only required programs are [Mathematica](#), a [LaTeX](#) compiler and [Fortran 90](#) and [C++](#) compilers. If you wish to fully participate please download the following files:

- For lecture 1: [run_sarah_Scotogenic.nb](#) and [Scotogenic.tar.gz](#)
- For lecture 2: [micromegas_4.2.5.tgz](#)
- For lecture 4: [run_sarah_DarkBS.nb](#), [DarkBS.tar.gz](#) and [plotDarkBS.txt](#)

You should also download the latest versions of the codes we are going to use (exception: for lecture 2 we will use an old version of MicrOMEGAs, see above). You can find them in their official websites (links on your right). Finally, the slides of the course are available here: [introduction](#), [lecture 1](#), [lecture 2](#), [lecture 3](#), [lecture 4](#) and [lecture 5](#).

References

The course will mainly focus on the material contained in the following notes:

[Computer tools in particle physics](#), A. Vicente, arXiv:1507.06349

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Input/Output

Code



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Observables already in FlavorKit

| Lepton flavor | Quark flavor |
|---|---|
| $\ell_\alpha \rightarrow \ell_\beta \gamma$ | $B_{s,d}^0 \rightarrow \ell^+ \ell^-$ |
| $\ell_\alpha \rightarrow 3\ell_\beta$ | $\bar{B} \rightarrow X_s \gamma$ |
| $\mu - e$ conversion in nuclei | $\bar{B} \rightarrow X_s \ell^+ \ell^-$ |
| $\tau \rightarrow P \ell$ | $\bar{B} \rightarrow X_{d,s} \nu \bar{\nu}$ |
| $h \rightarrow \ell_\alpha \ell_\beta$ | $B \rightarrow K \ell^+ \ell^-$ |
| $Z \rightarrow \ell_\alpha \ell_\beta$ | $K \rightarrow \pi \nu \bar{\nu}$ |
| | $\Delta M_{B_{s,d}}$ |
| | ΔM_K and ε_K |
| | $P \rightarrow \ell \nu$ |

Ready to be computed in your favourite model!

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| Lepton flavor | Quark flavor |
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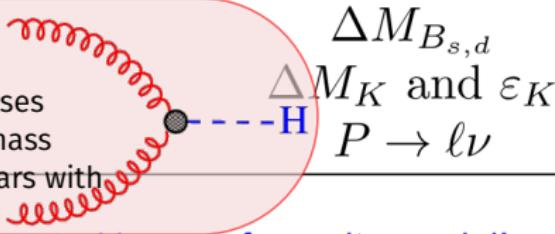
Also in SARAH

S,T,U

One-loop corrections to All masses

Two-loop corrections to Higgs mass

Gluon fusion production of scalars with
proper output for MadGraph



Ready to be computed in your favourite model!

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Models already in SARAH

Supersymmetric Models

- MSSM [in several versions]
- NMSSM [in several versions]
- Near-to-minimal SSM (near-MSSM)
- General singlet extended SSM (SMSSM)
- DiracNMSSM
- Triplet extended MSSM/NMSSM
- Several models with R-parity violation
- Several U(1)-extended models
- Secluded MSSM
- Several B-L extended models
- Inverse and linear seesaws
- MSSM/NMSSM with Dirac Gauginos
- Minimal R-Symmetric SSM
- Minimal Dirac Gaugino SSM
- Seesaws I-II-III [SU(5) versions]
- Left-right symmetric model
- Quiver model
- Models with vector-like superfields

Non-Supersymmetric Models

- Standard Model
- Two Higgs doublet models (including inert)
- Singlet extensions
- Triplet extensions
- U(1) extensions
- SM extended by a scalar color octet
- Gauged Two Higgs doublet model
- Singlet extended SM
- Singlet Scalar DM
- Singlet-Doublet DM
- Models with vector-like fermions
- Model with a scalar SU(2) 7-plet
- Leptoquark models
- Left-right models
- 331 models (with and without exotics)
- Georgi-Machacek model

More info: <http://sarah.hepforge.org/>

Models already in SARAH

Supersymmetric Models

- Minimal supersymmetric SM
- NMSSM (in several versions)
- Minimal R-minimal SSM (near-MSM_{inv})
- General singlet extended SSM (GMSM)
- DiracNMSM
- Triplet extended MSSM/NMSSM
- Several models with R-parity violation
- Several U(1)-extended models
- Secluded MSSM
- Several B-L extended models
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Always check any version of
SARAH and SPheno with this one!

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