# Lab 3

## **Introduction to Python Programming for Economics & Finance**

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## Daily returns of US stock market indices

In this lab, we examine how the three major US stock market indices performed this year using data from Yahoo! Finance.

## 1 Download data from Yahoo! Finance

Use the yfinance library and its download() function to obtain the time series of daily observations for the S&P 500, the Dow Jones Industrial Average (DJIA) and the NASDAQ Composite indices. Restrict the sample to the period from 2023-01-01 to 2023-04-30 and keep only the closing price stored in column Close.

*Hint*: The corresponding ticker symbols are ^GSPC, ^DJI, ^IXIC, respectively.

Rename the DataFrame columns to 'SP500', 'Dow Jones' and 'NASDAQ' using the rename() method.

Hint: You may need to first install yfinance as follows (in particular when running on Google Colab):

```
[1]: # Uncomment this to install yfinance in your Python environment #! pip install yfinance
```

*Note:* If you cannot import yfinance, e.g., because you are using the Jupyter Lite environment, you can load the data from a the CSV file located in the same directory as this notebook as follows:

```
import pandas as pd

# Uncomment this to use file in local directory
DATA_PATH = '.'

# Uncomment this to load data directly from GitHub

# DATA_PATH = 'https://raw.githubusercontent.com/richardfoltyn/python-intro-PGR/main/labs'

data = pd.read_csv(
    f'{DATA_PATH}/US-stock-indices.csv',
    index_col='Date',
    parse_dates=True
)
```

#### Solution.

```
[2]: import yfinance as yf

# List of ticker symbols
tickers = ['^GSPC', '^DJI', '^IXIC']

# Period
start = '2023-01-01'
end = '2023-04-30'
data = yf.download(tickers, start=start, end=end)
```

```
[********* 3 of 3 completed
```

As you can see, the resulting DataFrame has a hierarchical column index, with the first level being the variable names (Adj Close, Close, etc.) and the second level comprising the ticker symbols.

## [3]: data.info()

```
<class 'pandas.core.frame.DataFrame'>
DatetimeIndex: 81 entries, 2023-01-03 to 2023-04-28
Data columns (total 18 columns):
      Column
                                      Non-Null Count Dtype
 #
       (Adj Close, ^DJI) 81 non-null
(Adj Close, ^GSPC) 81 non-null
(Adj Close, ^IXIC) 81 non-null
 0
                                                                float64
 1
                                                                float64
     (Close, ^DJI)
(Close, ^GSPC)
(Close, ^GSPC)
(Close, ^IXIC)
(High, ^DJI)
(High, ^GSPC)
(High, ^IXIC)
(High, ^DJI)
(High, ^IXIC)
                                                                float64
                                                                float64
                                                               float64
                                                           float64
                                                             float64
 6
                                                              float64
 8
                                                             float64
                                                              float64
 9
 10 (Low, ^GSPC)
                                  81 non-null
81 non-null
                                                              float64
 11 (Low, ^IXIC)
                                                              float64
 12 (Open, ^DJI)
                                   81 non-null
                                                              float64
 13 (Open, ^GSPC)
                                  81 non-null
81 non-null
                                                              float64
 14 (Open, ^IXIC)
                                                             float64
 15 (Volume, ^DJI)
                                   81 non-null
                                                              int64
 16 (Volume, ^GSPC)
17 (Volume, ^IXIC)
                                      81 non-null
                                                                int64
                                      81 non-null
                                                                int64
dtypes: float64(15), int64(3)
memory usage: 12.0 KB
```

The columns in the hierarchical MultiIndex are difficult to work with, so we only keep the Close column and discard the remaining data:

```
[4]: # Keep only Close column
data = data['Close']
```

Lastly, we get rid of the inconvenient column names and replace them with something more readable.

```
[5]: # Rename to get nicer column names
names = {
    '^GSPC': 'SP500',
    '^DJI': 'Dow Jones',
    '^IXIC': 'NASDAQ'
}
data = data.rename(columns=names)
```

We can get a peak at the first few rows using the head() method.

```
[6]: data.head(3)
```

```
[6]: Dow Jones SP500 NASDAQ

Date
2023-01-03 33136.371094 3824.139893 10386.980469
2023-01-04 33269.769531 3852.969971 10458.759766
2023-01-05 32930.078125 3808.100098 10305.240234
```

## 2 Plot daily closing prices

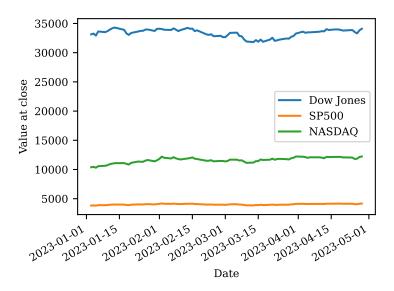
Plot the three time series (one for each index) in a single graph. Label all axes and make sure your graph contains a legend.

*Hint:* You can directly use the DataFrame.plot() method implemented in pandas.

#### Solution.

```
[7]: # Plot all three indices, setting a label for the y-axis. data.plot(ylabel='Value at close')
```

```
[7]: <Axes: xlabel='Date', ylabel='Value at close'>
```



## 3 Plot normalised daily closing prices

The graph you created in the previous sub-question is not well-suited to illustrate how each index developed in 2023 since the indices are reported on vastly different scales (the S&P500 appears to be an almost flat line).

To get a better idea about how each index fared in 2023 relative to its value at the beginning of the year, normalize each index by its value on the first trading day in 2023 (which was 2023-01-03). Plot the resulting normalised indices.

#### Solution.

To normalise each column by its first value, we use the transform() method. Recall that transform() applies some operation to each element of a column, but does not change the number of elements (as opposed to aggregation or reduction methods).

```
[8]: # transform() is executed by column (i.e., for each ticker symbol).
# We need to normalise each column Series by its first element.
close_norm = data.transform(lambda x: x / x.iloc[o])
```

You can use head() to verify that the first normalised element of each column is now 1.

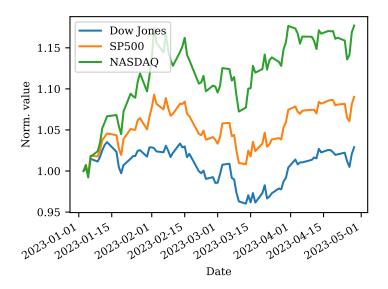
```
[9]: close_norm.head(3)
```

```
[9]: Dow Jones SP500 NASDAQ

Date
2023-01-03 1.000000 1.000000 1.000000
2023-01-04 1.004026 1.007539 1.006911
2023-01-05 0.993774 0.995806 0.992131
```

Finally, we plot the normalised indices just like in the previous sub-question. It is now much easier to see that these indices moved very similarly over this year.

```
[10]: close_norm.plot(ylabel='Norm. value')
[10]: <Axes: xlabel='Date', ylabel='Norm. value'>
```



# 4 Compute and plot the daily returns

For each index, compute the daily returns, i.e., the relative change vs. the previous closing price in percent.

Create a plot of the daily returns for all indices.

### Solution.

We use the pct\_change() method to compute the relative difference between two consecutive closing prices.

```
[11]: # Relative difference from previous closing price in percent
returns = data.pct_change() * 100.0
```

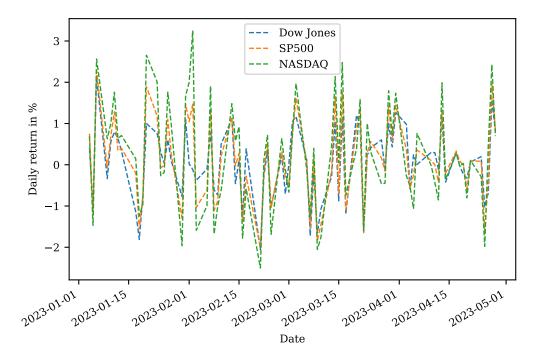
Because we cannot compute a difference for the very first observation, this value is set to NaN.

```
[12]: returns.head(3)
```

```
[12]: Dow Jones SP500 NASDAQ
Date
2023-01-03 NaN NaN NaN
2023-01-04 0.402574 0.753897 0.691051
2023-01-05 -1.021021 -1.164553 -1.467856
```

```
[13]: # use dashed lines since daily returns are overlapping
returns.plot(ylabel='Daily return in %', lw=1.0, ls='--', figsize=(6, 4))
```

[13]: <Axes: xlabel='Date', ylabel='Daily return in %'>



## 5 Plot the distributions of daily returns

Compute the average daily returns and the volatility (standard deviation) for each index. Create a histogram of daily returns for each index using 25 bins (i.e., create a figure with 3 panels). For each histogram, add the density of a normal distribution that has the same mean and variance.

*Hint:* You can either use DataFrame.hist() to plot the histogram, or Matplotlib's hist() function. In either case, you should add density=True such that the histogram is appropriately rescaled and comparable to the normal density.

*Hint:* Use the pdf() method of the scipy.stats.norm class to compute the normal density.

### Solution.

We compute the column-wise mean and standard deviation using the functions mean and std. We can do this in a single call if we pass these to agg().

```
[14]: moments = returns.agg(['mean', 'std'])
moments
```

```
[14]: Dow Jones SP500 NASDAQ
mean 0.039391 0.113019 0.212472
std 0.855634 0.995370 1.309395
```

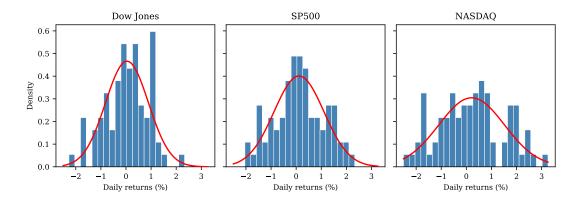
To plot the histograms of daily returns, we use can directly call the hist() method of the DataFrame object. This method returns a collection of axes which we can subsequently use to add the normal density for each index. Note that we need to do this in a loop as use the correct mean and std. dev. for each index.

```
import numpy as np
import matplotlib.pyplot as plt
from scipy.stats import norm

xmin, xmax = returns.min().min(), returns.max().max()
```

```
# Use DataFrame.plot() to create histograms
axes = returns.hist(bins=25, figsize=(8, 2.75),
    grid=False, layout=(1, 3),
    sharex=True, sharey=True,
    density=True, range=(xmin, xmax),
    color='steelblue', edgecolor='white', lw=0.4
)
# Impose tighter figure layout
plt.gcf().tight_layout()
# common x-values used to plot normal PDF
xvalues = np.linspace(xmin, xmax, 100)
# Iterate through axes and add normal PDF
for i, ax in enumerate(axes.flatten()):
    # Mean and standard deviation for current index
    mean = moments.iloc[o, i]
    std = moments.iloc[1, i]
    # Evaluate PDF at common xvalues
    pdf = norm.pdf(xvalues, loc=mean, scale=std)
    # Plot PDF
    ax.plot(xvalues, pdf, lw=1.5, c='red', zorder=100)
    # Label x-axis
    ax.set_xlabel('Daily returns (%)')
# Label left-most y-axis
axes[0,0].set_ylabel('Density')
```

[15]: Text(66.972222222221, 0.5, 'Density')



# 6 Compute and plot the pairwise correlations

Compute the pairwise correlations between the daily returns of each index pair. Create a 3-by-3 graph where each panel contains a bivariate scatter plot of the daily returns of one index vs. another.

*Hint:* You can use the function <code>scatter\_matrix()</code> to accomplish this task. Alternatively, you can create a figure with 3-by-3 subplots using Matplotlib's <code>subplots()</code>, iterate over all rows and columns and add a <code>scatter()</code> plot to each axes object.

#### Solution.

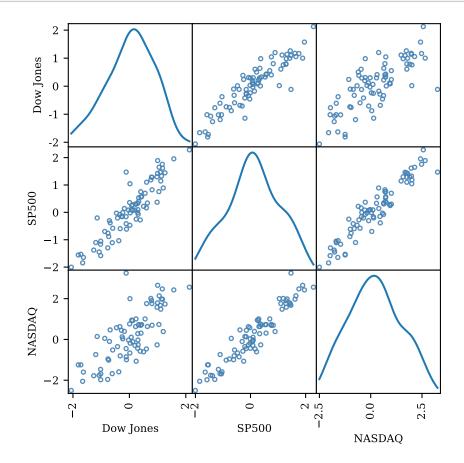
To compute the pairwise correlation between all columns, we call corr(). The results show that all three daily returns are highly correlated, which is what we would have expected from looking at the time series of daily returns we plotted earlier.

Note that in all these operations, the NaN in the first row are automatically excluded.

#### [16]: returns.corr()

```
[16]:
                  Dow Jones
                                 SP500
                                          NASDAQ
       Dow Jones
                   1.000000
                             0.917530
                                        0.772169
       SP500
                                       0.946892
                   0.917530
                             1.000000
       NASDAQ
                   0.772169
                             0.946892
                                       1.000000
```

We can plot the pairwise correlations using the scatter\_matrix() contained in pandas.plotting which takes a DataFrame as its argument and creates pairwise scatter plots for all columns. The function either plots a histogram or a kernel density plot along the main diagonal since creating a scatter plot of one and the same variable against itself just yields a diagonal line!



Alternatively, it is straightforward to create the 3-by-3 scatter plots manually. We first ask Matplotlib to create a figure with 3-by-3 panels and then iterate over rows and columns, using ax.scatter() to add the bivariate scatter plot to each panel.

```
[18]: import matplotlib.pyplot as plt
       fig, axes = plt.subplots(3, 3, figsize=(5, 5), sharex=True, sharey=True)
       labels = returns.columns.to_list()
       # Iterate over rows and columns
       for i in range(axes.shape[0]):
           for j in range(axes.shape[1]):
               ax = axes[i, j]
               # For diagonal panels, print the index name instead of
               # (exactly diagonal) scatter plot.
               if i == j:
                   ax.text(0.5, 0.5, labels[i], transform=ax.transAxes,
                       va='center', ha='center')
                   continue
               # Get x- and y-values for this panel
               xvalues = returns.iloc[:, j]
               yvalues = returns.iloc[:, i]
               ax.scatter(xvalues, yvalues, s=10, alpha=1.0, lw=0.75,
                   color='none', edgecolors='steelblue')
               # Set uniform x- and y-ticks for all axes
               ticks = np.linspace(-4, 4, 5)
               ax.set_xticks(ticks)
               ax.set_yticks(ticks)
       fig.tight_layout()
```

