

# Decentralized Communications for Self-regulated Division of Labour in Robot Society

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**Abstract**—Distributed local communication is one of the essential means by which various social insects achieve their self-regulatory division of labour (SRDL). Unlike centralized static communication, this communication mode enables individuals to respond to local changes quickly and it generally produces steady-state convergence of SRDL in social insects. However, realizing this kind of communication in a distributed multi-robot system (MRS) is not as straight forward as a centralized one. From a robot controller's point of view, it is not easy to determine how often or how much dynamic peer-to-peer (P2P) communication is needed to maintain system's convergence of SRDL. To deal with this issue, in this paper, we first present a model for dynamic local communication and its implementation on a MRS with two different communication radii. Then we compare this system with our baseline centralized communication based MRS in terms of convergence of SRDL, communication load, robot task specializations and their motions. Results from these experiments suggest us that similar or better convergence of SRDL can be obtained by setting a smaller P2P communication radius where a robot locally exchanges signals with a minimum number of its nearby peers. Our experiments used 16 e-puck robots in a 2m X 2m area.

## I. INTRODUCTION

Self-regulated division of labour (SRDL) is one of the key research issues in the field of multi-agent and multi-robot systems (MRS). Inspired from biological and various other social systems, robotic researchers have achieved SRDL in MRS using various forms of communications [?]. Two basic forms of communications are: 1) direct or explicit communication and 2) indirect or implicit communication. Direct communication is an intentional communicative act of message passing that aims at one or more particular receiver(s) [12]. It typically exchanges information through physical signals. In contrast, indirect communication, sometimes termed as *stigmergic* in biological literature, happens as a form of modifying the environment (e.g., pheromone dropping by ants) [1]. In ordinary sense, this is an observed behaviour and many researchers call it as *no communication* [2]. In order to avoid ambiguity, by the term *communication*, we always refer to direct communication. In this paper, we also confine our discussion on SRDL within the context of direct communication only.

In order to pursue a SRDL, robots can receive information from a centralised source [10] or from their local peers [11].

In [6], we reported a steady-state convergence of SRDL in a practical MRS using a centralized information source. This centralized communication system is easy to implement and it simplifies the overall design of a robot controller. However this system has disadvantage of a single point of failure and it is not scalable. The increased number of robots and tasks cause inevitable increase in communication load and transmission delay and as a consequence, the overall system performance degrades. On the other hand, uncontrolled reception of information from decentralized or local sources is also not free from drawbacks. If a robot exchanges signals with all other robots (hereafter called as *peers*), it might get the global view of the system quickly and can select an optimal or near optimal task. This can produce a great improvement in overall performance of some types of tasks e.g., in area coverage [9]. But this is also not practical and scalable for a typically large MRS due to the limited communication and computation capabilities of robots and limited available communication bandwidth.

A potential alternate solution to this problem can be obtained by decreasing the number of message recipient peers on the basis of a local communication radius (CR). This means that robots are allowed to communicate only with those peers who are physically located within a preset distance. When this strategy is used for sharing task information among peers, SRDL can be more robust and efficient. This concept was validated by simulation in [11]. But they did not give us any insight for choosing the value of CR. In this paper, we have presented a set of experimental results of SRDL in our MRS with two values of CR: 0.5m and 1m. In case of the former one, we call the peers located within CR as *nearby peers*. Similarly in case of latter one, we call the peers located within CR as *distant peers*. Along with a practical insight for selecting CR value, various other design issues have been tackled in this paper. The recursion-free design of local communication channels is achieved by a dynamic publish/subscribe model of communication. This has been validated by using a state-of-the-art D-Bus <sup>1</sup>. inter-process communication technology in Linux.

Our contributions from this study are as follows. We present

<sup>1</sup><http://dbus.freedesktop.org/doc/dbus-specification.html>

a dynamic publish/subscribe local model of communication that achieves similar or better SRDL than its centralized counterpart. The reduction of robot motion is half in this case and this tells us about the level of impact this local model can make on the energy efficiency of a MRS. The reduction in communication load in local model is also significant. Unlike a fixed communication frequency, the dynamic variation in communication frequency produced by our local model suggests us that local communication model should be preferred to a centralized one when robustness and scalability of SRDL of a MRS is an important issue.

Rest of the paper is organized as follows. Section II discusses related background works. Section III presents our local communication model that allows us to implement a inter-disciplinary generic model of SRDL as a multi-robot task allocation (MTRA) mechanism. Section V introduces our implementation of MRTA including the interactions between the hardware, software and communication modules. Section VI presents the design of our experiments including specific parameters and observables. Section VII discusses our experimental results and section VIII draws conclusions.

## II. RELATED WORKS

### III. MODELING

#### A. Model for Self-Regulatory DoL

Our model of self-regulated DoL is based on AFM. It provides us a generic framework for implementing self-regulatory DoL in robots. Here we briefly describe how this model gives our robots self-regulatory DoL behaviours, particularly task-specialization, concurrency, flexibility and robustness. Let us consider a manufacturing shop floor scenario where N number of mobile robots are required to attend to M number of shop tasks spread over a fixed area A. Let these tasks be represented by a set of small rectangular boxes resembling to manufacturing machines. Let  $R_1, R_2, R_n$  be the set of all robots and  $J_1, J_2, J_m$  be the set of all tasks. Each task  $j$  has an associated task-urgency  $\phi_j$  that indicates its relative importance over time. If a robot attends to a task  $j$  in  $x^{th}$  time-step, value of  $\phi_j$  will decrease by a small amount  $\delta_\phi$  in  $(x+1)^{th}$  time-step. On the other hand, if a task has not been served by any robot in  $x^{th}$  time-step,  $\phi_j$  will increase by another small amount in  $(x+1)^{th}$  time-step. In order to complete a shop task  $J_1$ , a robot  $R_1$  needs to reach within a fixed boundary  $D_{j1}$  of  $J_1$ . If a robot completes a task  $j$  we say that it learns about it and this will increase robot's likelihood of selecting that task in next step. We call this variable affinity of a robot to that task as its sensitization  $k_j$ . If a robot does not do a task  $j$  for some time, we say that it forgets about  $j$  and  $k_j$  has been decreased. According AFM, all robots will establish attractive fields to all tasks due to the presence of a system-wide continuous flow of information. The strength of these attractive fields called stimulus will vary according to the distances between robots and tasks, task-urgencies and corresponding sensitizations of robots. This is encoded in Eq. 1.

$$S_j^i = \tanh\left\{\frac{k_j^i}{d + \delta} \phi_j\right\} \quad (1)$$

$$P_j^i = \frac{S_j^i}{\sum_j S_j^i} \quad (2)$$

Eqn 1 says that the stimuli of a robot  $i$  to a particular task  $j$ , ( $S_j^i$ ) depends on robot's spatial distance  $d$  to  $j$ , level of sensitization to that task ( $k_j^i$ ) and perceived urgency of that task ( $\phi_j$ ). We use a vary small value  $\delta$  in 1 to prevent division by zero. The probability of selecting each task has been determined by a probabilistic method outlined in Eq. 2. AFM suggests concurrency of a self-regulatory system by specifying at least two task options: 1) doing a task and 2) doing no task. In robots, the latter can be treated as random walking. So in any time-step a robot will choose from M+1 tasks. Let  $T_a$  be the allocated time to accomplish a task. If  $R_1$  can enter inside the task boundary within  $T_a$  time it waits there until  $T_a$  elapsed. Otherwise it will select a different task.

## IV. OUR DYNAMIC P2P COMMUNICATION MODEL

### A. Characteristics

This model is based on the local P2P communications among robots. Here there is no centralized server to disseminate information but each robot can communicate to its nearby peers within its communication radius,  $r_{comm}$ . Here by  $r_{comm}$ , we assume that within this distance robots can exchange communication signals reliably without any significant loss of information or delay. A robot  $R_1$  is a nearby peer of robot  $R_2$ , if spatial distance between  $R_1$  and  $R_2$  is less than its  $r_{comm}$ . As shown in Fig. 1, local communication can also give robots similar task information as in centralized communication mode. It shows that it is not necessary for each robot to communicate with every other robot to get information on all tasks. Since robots can random walk and explore the environment we assume that for a reasonably high robot to space density, all task will be known to all robots after an initial exploration period. In order to update the urgency of a task, robots can estimate the number of robots working on a task either by using their sensory perception (e.g., camera) or by doing local P2P communication. In Fig. reffig:lcm we have shown that robots exchange both TaskInfo and RobotStatus signals to peers.

We characterize our communication model in terms of three fundamental issues: 1) message content (*what to communicate*) 2) communication frequency (*when to communicate*) and 3) target recipients (*with whom to communicate*) [8]. In a typical MRS, message content can be categorized into two types: 1) state of each individual robot and 2) target task (goal) information [7]. The latter can also be subdivided into two types: 1) an individual robot's target task information 2) information of all available tasks found in the system. Regarding the first issue, our communication model is open. Robots can communicate with their peers with any kind of message. Our model addresses the last two issues very specifically. Robots communicate only when they meet their peers within a certain communication radius (CR). Although in case of an environment where robots move relatively faster the peer relationships can also be changed dynamically. But this can be manipulated by setting the signal frequency and robot to space density to some reasonably higher value. In terms of target recipients, our model differs from a traditional

publish/subscribe communication model by introducing the concept of dynamic subscription. In a traditional model subscription of messages happens prior to the actual message transmission. In that case prior knowledge about the subjects of a system is necessary. But in our model this is not necessary as long as all robots use a common addressing convention for naming their incoming signal channels. In this way, when a robot meets with another robot it can infer the address of this peer robot's target channel name by using a static rule. A robot is thus always listening to its own channel for receiving messages from its potential peers or message publishers. On the other side, upon recognizing a peer a robot sends a message to this particular peer aiming at its inferred outgoing channel. So here it is neither necessary to create any custom subject namespace nor to hard-code information in each robot controller about the names of their potential peers. Subscription is done automatically based on its  $r_{comm}$ .

### B. Implementation Algorithm

Let  $N$  be the set of robots and a robot  $i$  has a channel  $L_i$  for reception of signals directed to itself. Let  $M$  be the set of tasks and each task  $j$  has an associated information  $H_j$ . It encodes the necessary properties of tasks, such as their locations, urgencies etc. Each task  $j$  also has a task perception radius  $r_{task}$  such that if a robot comes within this radius it can perceive current value of  $H_j$ . Let at time step  $q$ , robot  $i$  has its own task information  $G_i^q$  that contains all or a subset of all task information. Let  $r_{comm}$  be the communication range of each robot. Let at time step  $q$ ,  $P_{p,q}^i$  be a set of peer robots of  $i$  that are within  $r_{comm}^i$ . Let  $E_{p,q}^i$  be its active signal emission channels. Algorithm 1 shows implementation of our proposed P2P dynamic communication.

#### Algorithm 1: Locality based Dynamic P2P Communication

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1: Initialization:
2:  $robotid \leftarrow id$ 
3:  $pose[id] \leftarrow (0,0,0)$ 
4:  $G[id], P[id], L[id], E[] \leftarrow \emptyset$ 
5: Loop:
6:  $pose[id] \leftarrow (x,y,\theta)$ 
7: if  $pose[id] \in U(pose[k], r_{task}^k), (k = 0, 1, \dots, M-1)$  then
8:    $G[id] \leftarrow G[id] \cup H_k$ 
9: end if
10: if  $pose[id] \in V(pose[k], r_{comm}^k), (k = 0, 1, \dots, N-1, k \neq id)$  then
11:    $P[id] \leftarrow P[id] \cup k$ 
12:    $h_k \leftarrow W(E[k], L[id])$ 
13:    $G[id] \leftarrow G[id] \cup h_k$ 
14: end if
15: for all  $k \in P[id], (k = 0, 1, \dots, N-1, k \neq id)$  do
16:    $W(E[id], L[k]) \leftarrow G[id]$ 
17: end for
18: Loop again

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### V. IMPLEMENTATION

We have developed a system where up to 40 E-puck robots [5] can operate together according to the generic rules of the AFM. As shown in Fig. 2, our software system consists

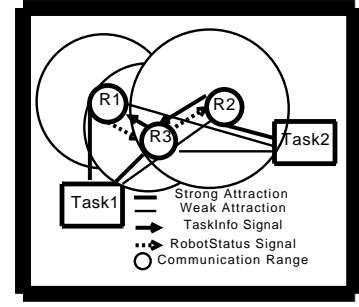


Fig. 1. Local communication model

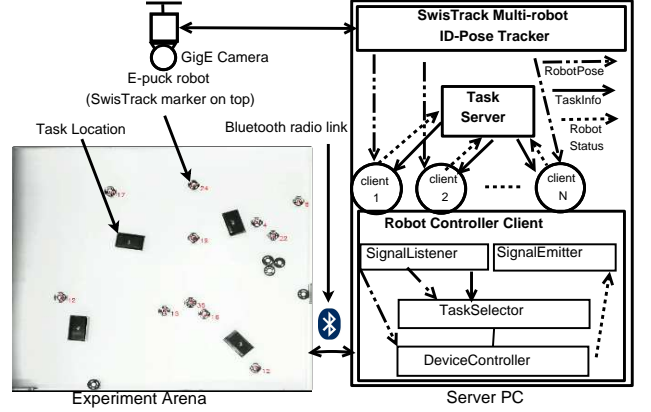


Fig. 2. Hardware and software setup

of a multi-robot tracking system, a centralized task server and robot controller clients. Here at first we have presented the design of our communication system. Then we have discussed about our specific implementation.

### VI. EXPERIMENT DESIGN

In this section, we have described the design of parameters and observables of our experiments. These experiments are designed to validate AFM by testing the occurrence of convergent MRTA. Our experimental setup can be found in section V. The details of convergence is presented in section VII.

### VII. RESULTS AND DISCUSSIONS

In this section we have presented our experimental results. We ran those experiments for about 40 minutes and averaged them from three iterations. Fig. 3 shows the dynamic changes in task urgencies. In order to describe our system's dynamic behaviour holistically we analyse the changes in task urgencies over time. Let  $\phi_{j,q}$  be the urgency of a task  $j$  at  $q^{th}$  step. In  $(q+1)^{th}$  step, we can find the change of urgency of task  $j$ :

$$\delta\phi_{j,q+1} = (\phi_{j,q+1} - \phi_{j,q}) \quad (3)$$

So we can calculate the sum of changes in urgencies of all tasks at  $(q+1)^{th}$  step:

$$\Delta\Phi_{j,q+1} = \sum_{j=1}^M \delta\phi_{j,q+1} \quad (4)$$

TABLE I  
EXPERIMENTAL PARAMETERS

Parameter	Value
Total number of robots ( $N$ )	16
Total number of tasks ( $M$ )	4
Experiment area ( $A$ )	$4 m^2$
Initial task urgency ( $\Phi_{INIT}$ )	0.5
Task urgency increase rate ( $\Delta\phi_{INC}$ )	0.005
Task urgency decrease rate ( $\Delta\phi_{DEC}$ )	0.0025
Initial sensitization ( $K_{INIT}$ )	0.1
Sensitization increase rate ( $\Delta k_{INC}$ )	0.03
Sensitization decrease rate ( $\Delta k_{DEC}$ )	0.01
A very small distance ( $\delta$ )	0.000001
Task info update interval ( $\Delta TS_u$ )	5s
Task info signal emission interval ( $\Delta TS_e$ )	2.5s
Robot's task time-out interval ( $\Delta RT_{to}$ )	10s

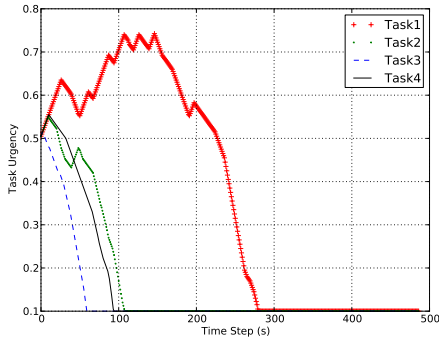


Fig. 3. Task urgencies observed at TaskServer in local mode  $R_{comm}=0.5m$

Fig. ?? plots this sum of changes of task urgencies by a dashed line. If we consider the absolute change over a window  $w$  of time in the following equation we can describe the overall changes of our systems in both positive and negative directions.

$$\Delta\Phi_{jw,q+1} = \sum_{j=0}^{w-1} |\Delta\Phi_{q+j}| \quad (5)$$

In order to find convergence in DoL we have calculated the sum of absolute changes in task urgencies over a window of 2 consecutive steps (100s). This is plotted in solid line in Fig. ???. Note that we scale down the time steps of this plot by aggregating the values of 10 consecutive steps (50s) of Fig. 3 into a single step value. From Fig. 3 we can see that initially the sum of changes of task urgencies are towards negative direction. This implies that tasks are being served by a high number of robots. When the task urgencies stabilize near zero the fluctuations in urgencies become minimum. Since robots chose tasks stochastically, there will always be a small changes in task urgencies. A potential convergence point is shown in Fig. ?? by considering the persistence

existence of the value of  $\Delta\Phi_{jw,q+1}$  below a threshold 0.1. This convergence happens near step 23 or after 1150s from the beginning of our experiments. This implies that from this point of time and onwards, changes of our system's behaviour remains under a small threshold value. Similar to Eq. 4, we can calculate the absolute sum of changes in sensitizations by all robots in the following equation.

$$\Delta K_{j,q+1} = \sum_{j=1}^M |\Delta k_{j,q+1}| \quad (6)$$

This values of  $\Delta K$  are plotted in Fig. 8. It shows that the overall rate of learning and forgetting decrease over time. It is a consequence of the gradually increased task specialization of robots.

We have aggregated the changes in translation motion of all robots over time. Let  $u_{i,q}$  and  $u_{i,q+1}$  be the translations of a robot  $i$  in two consecutive steps. If the difference between these two translations be  $\delta u_i$ , we can find the sum of changes of translations of all robots in  $(q+1)^{th}$  step using the following equation.

$$\Delta U_{q+1} = \sum_{i=1}^N \delta u_{i,q+1} \quad (7)$$

This is plotted in Fig. 11. In this plot we can see that robot translations also vary over varying task requirements of tasks. But it fails to show a consistence behaviour like previous plots.

Fig. 10 presents the frequency of signalling task information by TaskServer. Since the duration of each time step is 50s long and TaskServer emits signal in every 2.5s, there should be 20 signals in each step. The insignificant variation in frequency shows us the stable behaviour of D-Bus daemon over time.

As an example of task specialization of a robot we plotted sensitization of Robot9 in Fig. 14. It shows that this robot has specialized in Task1. The continuous learning happens from step 12 to step 42 where it has learned this task completely and forgot rest of the tasks. This behaviour is found common in all robots with varying level of sensitizations. Hence we get the linear decrease of  $\Delta K$  in Fig. 8. However, the changes in motion of this robot plotted in Fig. 15 is not stable due to the fact that robots frequently avoid dynamic obstacles and select random-walking.

## VIII. CONCLUSIONS AND FUTURE WORKS

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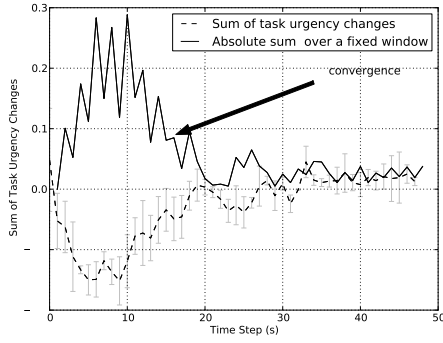


Fig. 4. Convergence of task urgencies in local mode  $R_{comm}=0.5m$

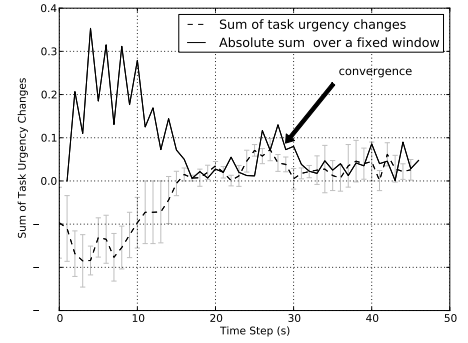


Fig. 5. Convergence of task urgencies in local mode  $R_{comm}=1m$

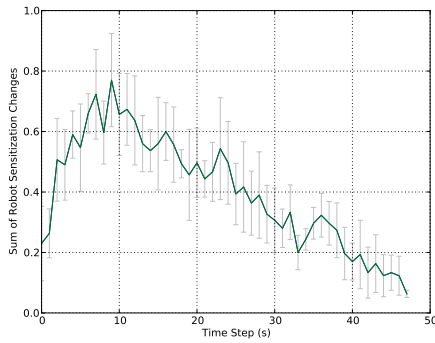


Fig. 6. Changes in sensitizations of all robots in local mode  $R_{comm}=0.5m$

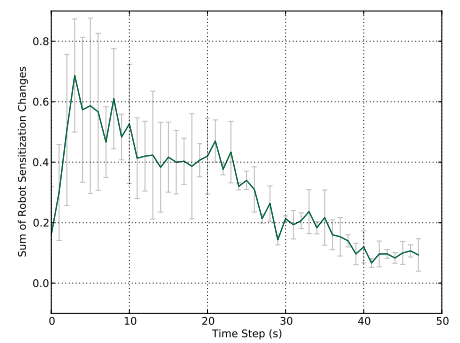


Fig. 7. Changes in sensitizations of all robots in local mode  $R_{comm}=1m$

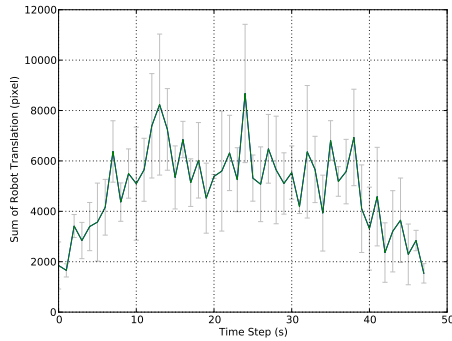


Fig. 8. Sum of translations of all robots in local mode  $R_{comm}=1m$

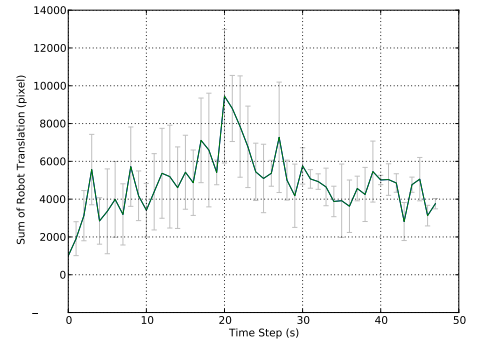


Fig. 9. Sum of translations of all robots in local mode  $R_{comm}=1m$

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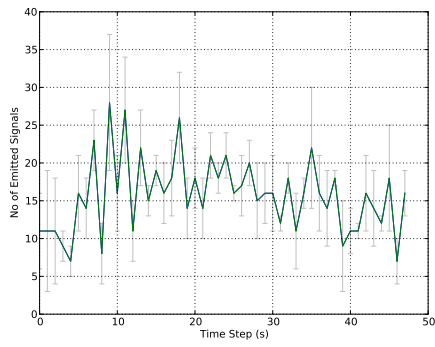


Fig. 10. Local peers' frequency of task information signalling in local mode  $R_{comm}=0.5m$

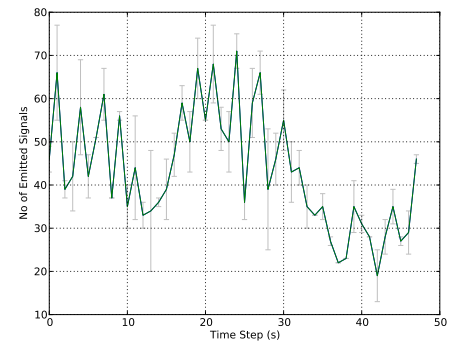


Fig. 11. Local peers' frequency of task information signalling in local mode  $R_{comm}=1m$

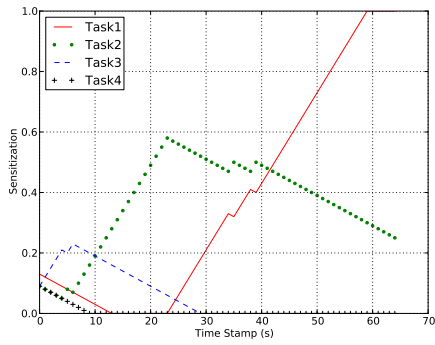


Fig. 12. Task specialization of Robot12 in local mode  $R_{comm}=0.5m$

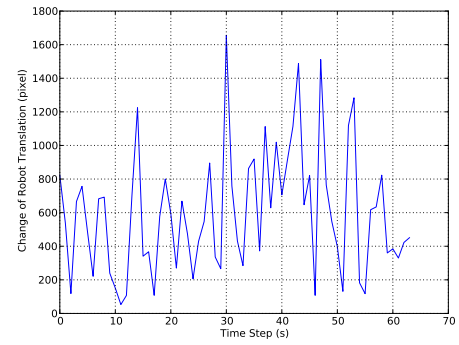


Fig. 13. Changes in translation of Robot12 in local mode  $R_{comm}=0.5m$

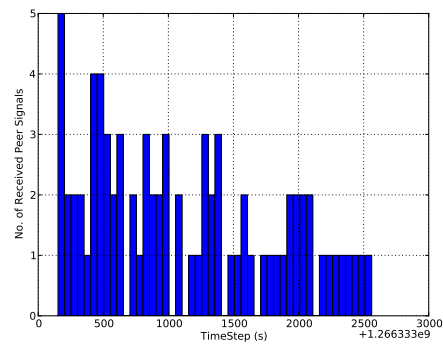


Fig. 14. Number of peer signals caught by Robot12 in local mode  $R_{comm}=0.5m$

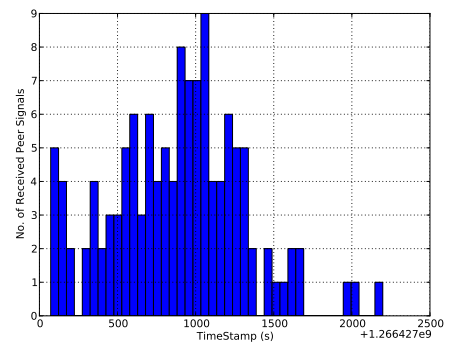


Fig. 15. Number of peer signals caught by Robot12 in local mode  $R_{comm}=1m$