

SPRING 2023 ECE 60146 – Homework 1

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This homework involves programming tasks of the Python Object-Oriented programming concepts. Further, the implementation and results are discussed in this report.

Implementation and Results:

1. Created a class *Sequence* with an instance variable *array* which acts as the base class as shown in Figure 1.

```
In [1]: 1 #Base class
        2 class Sequence(object):
        3
        4     #initialization
        5     def __init__(self, array):
        6         self.array = array
```

Figure 1

2. A subclass *Fibonacci* extending the base class *Sequence* is written with the parameters *first_value* and *second_value* initialized in the `__init__` method of the class. These parameters will be the first two numbers of the *Fibonacci* sequence as shown in Figure 2.

```
38 #Fibonacci sub-class
39 class Fibonacci(Sequence):
40     #initialization
41     def __init__(self, first_value, second_value):
42         super().__init__([])
43         self.first_value = first_value
44         self.second_value = second_value
```

Figure 2

3. A method *get_fib_seq* has been written that takes the parameter length and prints an array of *Fibonacci* sequence of given length. Fibonacci of a number can be computed as the sum of the previous two numbers with first two values given as values one and two. To make the instance callable, a `__call__` method that calls the *get_fib_seq* method has been defined as shown in Figure 3. The results for the given and own parameters are shown in Figure 4 and 5 respectively.

```
38 #Fibonacci sub-class
39 class Fibonacci(Sequence):
40     #initialization
41     def __init__(self, first_value, second_value):
42         super().__init__([])
43         self.first_value = first_value
44         self.second_value = second_value
45         self.index = -1
46
47     #compute fibonacci sequence until a given length
48     def get_fib_seq(self, length):
49         self.array = [self.first_value, self.second_value]
50         for i in range(2, length):
51             self.array.append(self.array[i-2] + self.array[i-1])
52         print(self.array)
53
54     #callable
55     def __call__(self, length):
56         return self.get_fib_seq(length)
```

Figure 3

```
In [12]: 1 #given parameters
2 FS = Fibonacci(first_value = 1, second_value = 2)
3 FS(length = 5)

[1, 2, 3, 5, 8]
```

Figure 4: For given parameters

```
In [13]: 1 #own parameters
2 FS = Fibonacci(first_value = 1, second_value = 2)
3 FS(length = 10)

[1, 2, 3, 5, 8, 13, 21, 34, 55, 89]
```

Figure 5: For own parameters

4. To make the instances of the subclass of *Sequence* class iterable, the method `__iter__` is used to initialize iteration and the method `__next__` performs the iteration task by printing every number in the sequence instance. Further, the method `__len__` is used to compute the sequence instance length as shown in Figure 6. The results for the given and own parameters are shown in Figure 7 and 8 respectively.

```
In [1]: 1 #Base class
2 class Sequence(object):
3
4     #initialization
5     def __init__(self, array):
6         self.array = array
7
8     #computes length
9     def __len__(self):
10         return len(self.array)
11
12     #iterbale
13     def __iter__(self):
14         return self
15
16     #iterating function
17     def __next__(self):
18         self.index += 1
19         if self.index < len(self.array):
20             return self.array[self.index]
21         else:
22             raise StopIteration
23
```

Figure 6

```
In [14]: 1 #given parameters
2 FS = Fibonacci(first_value = 1, second_value = 2)
3 FS(length = 5)
4 print(len(FS))
5 print([n for n in FS])

[1, 2, 3, 5, 8]
5
[1, 2, 3, 5, 8]
```

Figure 7: For given parameters

```
In [15]: 1 #own parameters
2 FS = Fibonacci(first_value = 1, second_value = 2)
3 FS(length = 10)
4 print(len(FS))
5 print([n for n in FS])
```

[1, 2, 3, 5, 8, 13, 21, 34, 55, 89]
10
[1, 2, 3, 5, 8, 13, 21, 34, 55, 89]

Figure 8: For own parameters

5. Similar to the step 3 and 4 above, a method *get_prime_seq* is written to print the first given length number of primes which invokes *check_prime* method that checks if a number is prime or not. The given number is divided by numbers from 2 to the square root of given numbers; if the remainder is zero, the number is not a prime else it is a prime. To make the instance callable, a *__call__* method that calls the *get_prime_seq* method has been defined and the methods *__iter__* and *__next__* defined in *Sequence* class makes the instance iterable as shown in Figure 9. The results for the given and own parameters are shown in Figure 10 and 11 respectively.

```
In [3]: 1 #Prime sub-class
2 class Prime(Sequence):
3     #initialization
4     def __init__(self):
5         super().__init__([])
6         self.index = -1
7
8     #check if a number is prime
9     def check_prime(self, num):
10         for i in range(2, int(self.num**(1/2))+1):
11             if (num%i == 0):
12                 return False
13             return True
14
15     #print the prime numbers until given length
16     def get_prime_seq(self, length):
17         self.array = []
18         self.num = 2
19
20         while len(self.array) < length:
21             if self.check_prime(self.num):
22                 self.array.append(self.num)
23                 self.num += 1
24             else:
25                 self.num += 1
26         print(self.array)
27
28     #callable
29     def __call__(self, length):
30         return self.get_prime_seq(length)
```

Figure 9

```
In [4]: 1 #given parameters
        2 PS = Prime()
        3 PS(length = 8)
        4 print(len(PS))
        5 print([n for n in PS])

[2, 3, 5, 7, 11, 13, 17, 19]
8
[2, 3, 5, 7, 11, 13, 17, 19]
```

Figure 10: For given parameters

```
In [9]: 1 #own parameters
        2 PS = Prime()
        3 PS(length = 10)
        4 print(len(PS))
        5 print([n for n in PS])

[2, 3, 5, 7, 11, 13, 17, 19, 23, 29]
10
[2, 3, 5, 7, 11, 13, 17, 19, 23, 29]
```

Figure 11: For own parameters

6. A method `__gt__` that overrides the inbuilt `__gt__` function is written in *Sequence* class such that if the lengths of arrays returned by the two instances is same, a parameter *count* initialized to zero is incremented by 1 for every number greater than the corresponding number in the other array. If the lengths of both the arrays are not same, a *'ValueError'* is thrown stating the reason for error as shown in Figure 12. The results for the given and own parameters are shown in Figure 13 and 14 respectively.

```
24 #computes the greater than relationship
25 def __gt__(self, other):
26     self.count = 0
27
28     #check for lengths of the two arrays
29     if len(self.array) == len(other.array):
30         for i in range(len(self.array)):
31             if self.array[i] > other.array[i]:
32                 self.count +=1
33         return self.count
34     else:
35         #throws an error if lengths are not same
36         raise ValueError('Two arrays are not equal in length!')
```

Figure 12

```
In [5]: 1 #given parameters
2 FS = Fibonacci(first_value = 1, second_value = 2)
3 FS(length = 8)
4
5 PS = Prime()
6 PS(length = 8)
7
8 print(FS>PS)
```

```
[1, 2, 3, 5, 8, 13, 21, 34]
[2, 3, 5, 7, 11, 13, 17, 19]
2
```

```
In [6]: 1 PS(length = 5)
2 print(FS>PS)
```

```
[2, 3, 5, 7, 11]
```

```
-----
ValueError                                Traceback (most recent call last)
Input In [6], in <cell line: 2>()
      1 PS(length = 5)
----> 2 print(FS>PS)

Input In [1], in Sequence.__gt__(self, other)
      33     return self.count
      34 else:
      35     #throws an error if lengths are not same
----> 36     raise ValueError('Two arrays are not equal in length!')

ValueError: Two arrays are not equal in length!
```

Figure 13: For given parameters

```
In [10]: 1 #own parameters
2 FS = Fibonacci(first_value = 1, second_value = 2)
3 FS(length = 12)
4
5 PS = Prime()
6 PS(length = 12)
7
8 print(FS>PS)
```

```
[1, 2, 3, 5, 8, 13, 21, 34, 55, 89, 144, 233]
[2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37]
6
```

```

In [11]: 1 #own parameters
          2 PS(length = 8)
          3 print(FS>PS)

[2, 3, 5, 7, 11, 13, 17, 19]

-----
ValueError                                Traceback (most recent call last)
Input In [11], in <cell line: 3>()
      1 #own parameters
      2 PS(length = 8)
----> 3 print(FS>PS)

Input In [1], in Sequence.__gt__(self, other)
      33     return self.count
      34 else:
      35     #throws an error if lengths are not same
----> 36     raise ValueError('Two arrays are not equal in length!')

ValueError: Two arrays are not equal in length!

```

Figure 14: For own parameters

Source Code:

```

#!/usr/bin/env python
# coding: utf-8

# <h2><center>ECE60146 Deep Learning</center></h2>
# <h3><center>Homework - 1 </center></h3>
# <h3><center>Sahithi Kodali - 34789866</center></h3>
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# In[1]:

#Base class
class Sequence(object):

    #initialization
    def __init__(self, array):
        self.array = array

    #computes length
    def __len__(self):
        return len(self.array)

```

```

#iterbale
def __iter__(self):
    return self

#iterating function
def __next__(self):
    self.index += 1
    if self.index < len(self.array):
        return self.array[self.index]
    else:
        raise StopIteration

#computes the greater than relationship
def __gt__(self, other):
    self.count = 0

    #check for lengths of the two arrays
    if len(self.array) == len(other.array):
        for i in range(len(self.array)):
            if self.array[i] > other.array[i]:
                self.count +=1
        return self.count
    else:
        #throws an error if lengths are not same
        raise ValueError('Two arrays are not equal in length!')

#Fibonacci sub-class
class Fibonacci(Sequence):
    #initialization
    def __init__(self, first_value, second_value):
        super().__init__([])
        self.first_value = first_value
        self.second_value = second_value
        self.index = -1

    #compute fibonacci sequence until a given length
    def get_fib_seq(self, length):
        self.array = [self.first_value, self.second_value]
        for i in range(2, length):
            self.array.append(self.array[i-2] + self.array[i-1])
        print(self.array)

    #callable
    def __call__(self, length):
        return self.get_fib_seq(length)

```

```
# In[2]:

#given parameters
FS = Fibonacci(first_value = 1, second_value = 2)
FS(length = 5)
print(len(FS))
print([n for n in FS])
```

```
# In[3]:

#own parameters
FS = Fibonacci(first_value = 1, second_value = 2)
FS(length = 10)
print(len(FS))
print([n for n in FS])
```

```
# In[4]:

#Prime sub-class
class Prime(Sequence):
    #initialization
    def __init__(self):
        super().__init__([])
        self.index = -1

    #check if a number is prime
    def check_prime(self, num):
        for i in range(2, int(self.num**(1/2))+1):
            if (num%i == 0):
                return False
        return True

    #print the prime numbers until given length
    def get_prime_seq(self, length):
        self.array = []
        self.num = 2

        while len(self.array) < length:
```



```

        if self.check_prime(self.num):
            self.array.append(self.num)
            self.num += 1
        else:
            self.num += 1
    print(self.array)

#callable
def __call__(self, length):
    return self.get_prime_seq(length)

# In[5]:

#given parameters
PS = Prime()
PS(length = 8)
print(len(PS))
print([n for n in PS])

# In[6]:

#own parameters
PS = Prime()
PS(length = 10)
print(len(PS))
print([n for n in PS])

# In[7]:

#given parameters
FS = Fibonacci(first_value = 1, second_value = 2)
FS(length = 8)

PS = Prime()
PS(length = 8)

print(FS>PS)

# In[8]:

```

```
PS(length = 5)
print(FS>PS)

# In[9]:

#own parameters
FS = Fibonacci(first_value = 1, second_value = 2)
FS(length = 12)

PS = Prime()
PS(length = 12)

print(FS>PS)

# In[10]:

#own parameters
PS(length = 8)
print(FS>PS)
```
