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DateString[]
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Wed 25 Jun 2014 15:24:49
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Clear["Global`*"]
```

Figure I: CoESS and Superinfection

Notebook pour résolution des CoESS pour différentes valeurs de σ

```
s[x_] :=  $\frac{s_{\max}}{1 + b \text{Exp}[-c x]}$  /. c ->  $\frac{\sigma 1}{\sigma^2} \frac{s_{\max}}{b}$  /. b ->  $\frac{s_{\max}}{\sigma} - 1$  /. s_max -> 10 // Simplify;

para =  $\beta'[\alpha] - \frac{\beta[\alpha] (1 - 2 h \sigma 1)}{\mu + \alpha + \gamma + \sigma h}$ ;

hote2 =  $r'[\gamma] + \frac{r[\gamma] - \mu}{\mu + \alpha + \gamma + h}$ ;

res = Solve[
  {0 == r[ $\gamma$ ] (x + y) - ( $\mu + (\beta[\alpha] y)$ ) x +  $\gamma y$ ,
  0 ==  $\beta[\alpha] x y - (\mu + \alpha + \gamma) y$ , {x, y}}];
eqlib = res[[1]];
Ieq = y /. eqlib[[2]] /.  $\alpha[w] \rightarrow \alpha$  /.  $\gamma[w] \rightarrow \gamma$  /.  $\beta[w] \rightarrow \beta[\alpha]$ ;

 $\beta[\alpha_] := \beta_0 \alpha / (1 + \alpha)$ 
 $r[\gamma_] := r_m / (1 + c \gamma)$ 

isop1 = ( $\gamma$  /. (Solve[0 == para /. h ->  $\beta[\alpha]$  Ieq,  $\gamma$ ])[[1]]) // Simplify;
isop2 = ( $\gamma$  /. (Solve[0 == para /. h ->  $\beta[\alpha]$  Ieq,  $\gamma$ ])[[2]]) // Simplify;
isoh = ( $\gamma$  /. Solve[0 == hote2 /. h ->  $\beta[\alpha]$  Ieq,  $\gamma$ ])[[2]] // Simplify;
```

Résolution pour $\sigma=0$

```
plotvir = Plot[isop1 /. {c -> 0.05,  $\mu \rightarrow 1$ ,  $\sigma \rightarrow 0$ ,  $\sigma 1 \rightarrow 0$ ,  $r_m \rightarrow 2$ },
  { $\alpha$ , 1, 5}, PlotStyle -> {Black, Thickness[0.0035]}];
plotgam = Plot[isoh /. {c -> 0.05,  $\mu \rightarrow 1$ ,  $\sigma \rightarrow 0$ ,  $\sigma 1 \rightarrow 0$ ,  $r_m \rightarrow 2$ },
  { $\alpha$ , 0, 10}, PlotStyle -> {Black, Thickness[0.005]}];
```

Résolution pour $\sigma=1$

```
plotvir1 = Plot[isop1 /. {c -> 0.05,  $\mu \rightarrow 1$ ,  $\sigma \rightarrow 1$ ,  $\sigma 1 \rightarrow 0$ ,  $r_m \rightarrow 2$ },
  { $\alpha$ , 1, 5}, PlotStyle -> {Thickness[0.004], Dashed, Black}];
```

Résolution pour $\sigma=6$

```
plotvir6 = Plot[isop1 /. {c → 0.05,  $\mu$  → 1,  $\sigma$  → 6,  $\sigma_1$  → 0,  $r_m$  → 2},
  { $\alpha$ , 1, 5}, PlotStyle → {Thickness[0.004], DotDashed, Black}];
```

Dessin de la figure

```
front = Plot[( $r_m / (\mu + \alpha[w]) - 1$ ) / c /. { $\beta_0$  → 10, c → 0.05,  $r_m$  → 2,  $\sigma$  → 1,  $\mu$  → 1},
  { $\alpha[w]$ , 0, 4}, PlotStyle → {GrayLevel[0.8]}, PlotRange → {0, 8},
  Filling → Bottom, FillingStyle → GrayLevel[0.8]];
```