

Electronic and Device circuit 1

0655-02

20-10-2019

Semiconductors:-

The relation between Resistance R and Temperature (T)

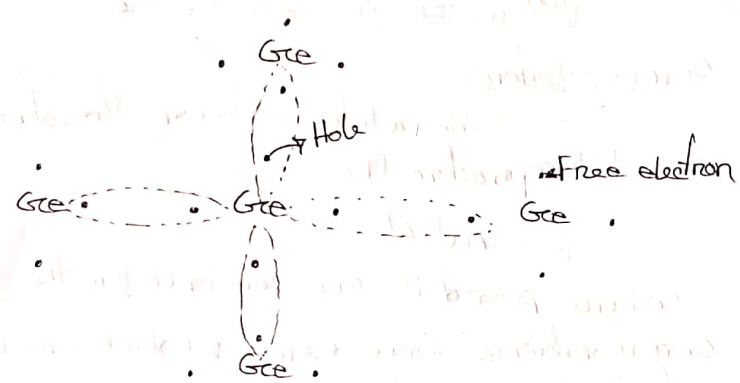
$$R = A e^{B/T}$$

Where A and B are constants for the semiconductor. Three elements which are classified as semiconductor. They are silicon ($_{14}^{28}\text{Si}$), germanium ($_{32}^{73}\text{Ge}$) and grey tin ($_{50}^{119}\text{Sn}$).

#Electrical conduction in semiconductor:-

The crystal structure of Ge or Si is two interpenetrating face-centred cubic lattice (also known as Diamond structure). Germanium will be an insulator (अप्रवाहक) at very low temperature (near 0°K) because

the crystal structure will be true at very low temperature.



Ge represents Ge ionic core. Represent valence electron.

Drift current in a semiconductor:-

$$V_h = \mu_h E \text{ and } V_e = -\mu_e E \quad \left[\mu = \frac{1}{neP} \right]$$

here, V_h = Drift velocity of hole
 E = Electric field.
 V_e = Drift velocity of electron.
 μ_h = hole mobility

$$J_h = p q E \mu_h \quad \left\{ \begin{array}{l} J_h = \text{hole mobility} \\ p = \text{number of hole} \\ J_e = -n q E \mu_e \quad \left\{ \begin{array}{l} J_e = \text{electron mobility} \\ n = \text{number of electron} \end{array} \right. \end{array} \right.$$

$$\begin{aligned} J &= J_h + J_e \\ &= p q \mu_h E - n q \mu_e E \\ &= p q \mu_h E + n q \mu_e E \\ &= (p \mu_h + n \mu_e) q E \\ &= \sigma E \end{aligned}$$

$$\sigma = \text{conductivity} = (p \mu_h + n \mu_e) q$$

intrinsic semiconductor:- A semiconductor which is pure and contains no impurity is known as an intrinsic semiconductor. For intrinsic semiconductor, the number of free electron and free hole is equal.

$$n_i = p_i \text{ and } n_i \times p_i = n_i^2 = p_i^2$$

The conductivity σ for an intrinsic semiconductor $\sigma = n_i q (\mu_h + \mu_e)$

N and P-type semiconductor:- 4

$$n = n_i + N_d$$

usually $N_d \gg n_i$
 $n \approx N_d$

N_d = intensity of donor impurity.
 n_i = density of intrinsic electrons.

P type

$$p = p_i + N_a$$

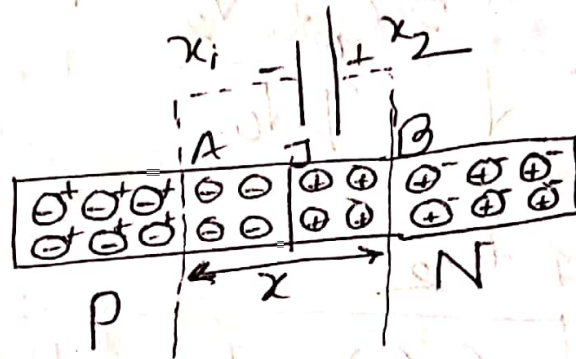
$p \approx N_a$

N_a = intensity of acceptor atoms.
 p_i = density of intrinsic holes.

Consider N-type semiconductor:-

the density of majority carriers (electron).
the density of minority carriers (holes).

PN Junction:-



⊕ Donor atom
⊖ Acceptor atom
+ Holes
- Electron

I. $p \cdot B$ = Internal potential barrier

The internal potential barrier $V_0 =$

$$V_0 = \frac{kT}{q} \log_e \left(\frac{N_a N_d}{n_i^2} \right)$$

k = Boltzmann's constant
 T = absolute temperature

where,

N_a = number of acceptor impurity atom.
 N_d = number of donor impurity atom per unit volume.

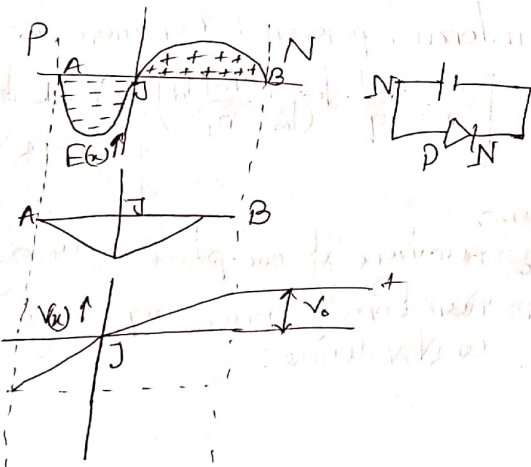
Expressions for P.N. Junctions:

$$x_1 = \sqrt{\frac{2\epsilon_r\epsilon_0 V_1}{qN_d}} \quad \left| \begin{array}{l} \epsilon_0 = \text{permittivity of free space} \\ \epsilon_r = \text{permittivity of relative space.} \end{array} \right.$$

$$x_2 = \sqrt{\frac{2\epsilon_r\epsilon_0 V_2}{qN_a}}$$

$$d = x_1 + x_2$$

$$= \sqrt{\frac{2\epsilon_r\epsilon_0 V_0}{q} \left(\frac{1}{N_a} + \frac{1}{N_d} \right)} \quad [\because V_0 = V_1 + V_2]$$



V_1 and V_2 related by,

$$\frac{V_1}{V_2} = \frac{N_a}{N_d}$$

$$E_0 = \frac{2V_0}{d}$$

Forward biased PN Junction:-

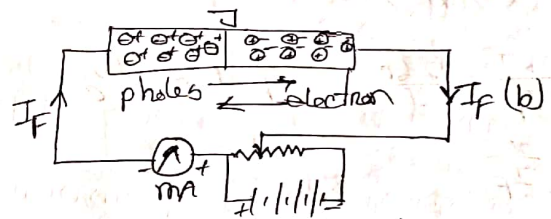


Fig: Forward biased.

When the positive terminal of a battery is connected to the p-region and the negative terminal connected to the N-region is called the PN junction of forward biased.

current voltage equation:

$$I = (I_0 e^{qV/nkT})^{-1}$$

$$I_F = I_0 e^{qV/nkT}$$

$$\frac{dI_F}{dV} = I_0 \frac{q}{nkT} e^{qV/nkT} = \frac{q}{nkT} I_F$$

$$I_R = I_0 \left(\frac{1}{e^{qV/nkT} - 1} \right)$$

$$R = \frac{nkT}{qI_F} = \frac{26mV}{I}$$

$$q = 1.6 \times 10^{-19} C$$

$$R \propto \frac{1}{I_F}$$

where,
I = The diode current in amperes.

I_0 = The reverse current in amperes.

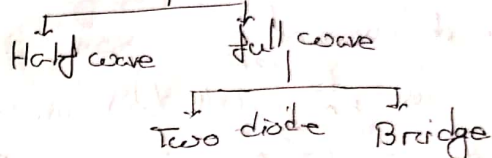
V = The potential difference in volts. It is positive forward bias and negative for reverse bias.

q = electronic charge 1.6×10^{-19}
k = Boltzmann constant $1.38 \times 10^{-23} J/K$

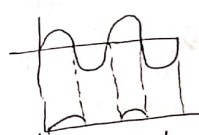
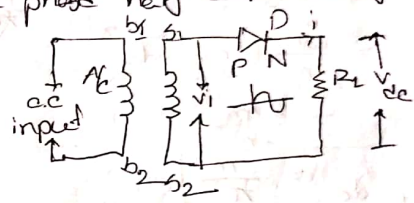
1 for germanium diode 2 for silicon diode

EDC class - 04 27-10-19
Application of diode:

Rectifier



single phase half wave rectifier:



calculation half wave rectifier:

$$v_i = V_m \sin \omega t$$

$$i = \frac{V_m}{(R_f + R_L)} \sin \omega t$$

$$= i_m \sin \omega t \quad 0 \leq \omega t \leq \pi$$

V_m = maximum voltage

$t = 0 \leq t \leq 2\pi$

R_f = Forward Resistance

R_L = Load Resistance

$$i = I_m \sin \omega t$$

when $0 \leq \omega t \leq \pi$

$i = 0$ when $\pi \leq \omega t \leq 2\pi$

Average dc current

$$\begin{aligned} i_{dc} &= \frac{1}{2\pi} \int_0^{2\pi} i \, d(\omega t) \\ &= \frac{1}{2\pi} \left[\int_0^{\pi} I_m \sin \omega t \, d(\omega t) + \int_{\pi}^{2\pi} 0 \, d(\omega t) \right] \\ &= \frac{I_m}{2\pi} (-\cos \omega t)_0^{\pi} \\ &= \frac{2 I_m}{2\pi} \end{aligned}$$

$$i_{dc} = \frac{I_m}{\pi}$$

R.m.s

$$i_{rms} = \left[\frac{1}{2\pi} \int_0^{2\pi} i^2 \, d(\omega t) \right]^{1/2}$$

$$i_{rms} = \frac{I_m}{2}$$

power supplied to the circuit

$$\begin{aligned} P_i &= i_{rms}^2 (R_f + R_L) \\ &= \left(\frac{I_m}{2} \right)^2 (R_f + R_L) \end{aligned}$$

$$P = i^2 R$$

average power of dc circuit

$$P_{dc} = I_{dc}^2 R_L = \left(\frac{I_m}{\pi} \right)^2 R_L$$

efficiency of rectifier:

$$\begin{aligned} \eta &= \frac{O/P}{I/P} = \frac{P_{dc}}{P_i} \times 100 \\ &= \frac{i_{dc}^2 R_L}{(I_{m/2})^2 (R_f + R_L)} \times 100\% \end{aligned}$$

$$\therefore \eta = \frac{40.6}{1 + R_f/R_L}$$

$$\therefore \eta_{max} = 40.6\%$$

Ripple factor: EDC class-5

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$$r = \frac{\text{rms value of all a.c component}}{\text{average or d.c current}}$$

$$= \frac{I_{rms}}{I_{dc}}$$

$$I_{dc} + I_{rms} = I_{rms}$$

$$\Rightarrow 1 + \frac{I_{rms}}{I_{dc}} = \frac{I_{rms}}{I_{dc}}$$

$$\Rightarrow \frac{I_{rms}}{I_{dc}} = \frac{I_{rms}}{I_{dc}} - 1$$

$$\Rightarrow r$$

$$\Rightarrow r = 1.21$$

Peak Inverse voltage (PIV):

$$\text{PIV} = V_m$$

Regulation:

$$I_{dc} = \frac{I_m}{\pi}$$

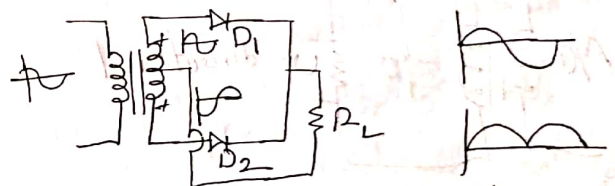
$$\Rightarrow I_{dc} = \frac{1}{\pi} \left(\frac{V_m}{R_f + R_L} \right)$$

$$\Rightarrow I_{dc} R_L + I_{dc} R_f = \frac{V_m}{\pi}$$

$$\Rightarrow I_{dc} R_L = \frac{V_m}{\pi} - I_{dc} R_f$$

$$\Rightarrow V_{dc} = \frac{V_m}{\pi} - I_{dc} R_f$$

Single phase Full-wave rectifier



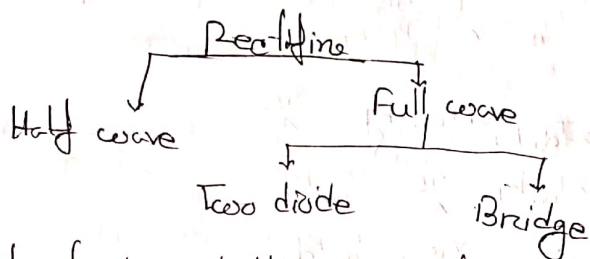
{ when D_1 is on D_2 is off
and D_1 is off D_2 is on }

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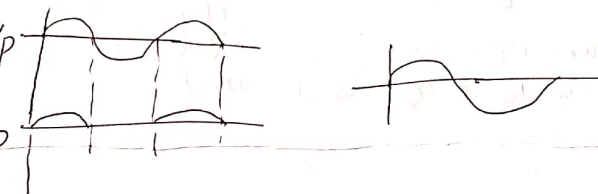
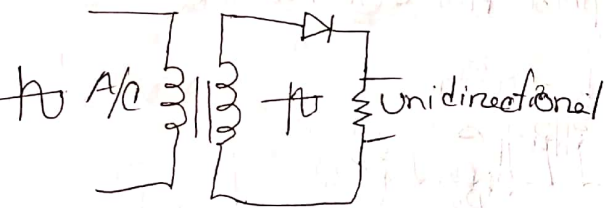
class - 04 EDC

Application of Diode

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Single phase half wave rectifier -



Calculation half wave rectifier:-

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$$V_i = V_m \sin(\omega t)$$

V_m = maximum voltage
 $t = 0 \leq t \leq 2\pi$

$$i = \frac{V_m}{R_f + R_L} \sin(\omega t)$$

$$= i_m \sin(\omega t) \quad [0 \leq t \leq 2\pi]$$

R_f = Forward Resistance
 R_L = Load resistance

$$i = i_m \sin(\omega t) \quad \text{when } 0 \leq t \leq \pi$$

$$i = 0 \quad \text{when } \pi \leq t \leq 2\pi$$

average dc current, $i_{dc} = \frac{1}{2\pi} \int_0^{2\pi} i(\omega t) d\omega t$

$$= \frac{1}{2\pi} \left[\int_0^{\pi} i_m \sin(\omega t) d\omega t + \int_{\pi}^{2\pi} 0 d\omega t \right]$$

$$= \frac{i_m}{2\pi} [-\cos \omega t]_0^{\pi}$$

$$= \frac{i_m}{2\pi} \{ -(\cos \pi - \cos 0) \}$$

$$= \frac{2i_m}{2\pi} = \frac{i_m}{\pi}$$

Rms $i_{rms} = \frac{1}{2\pi} \int_0^{2\pi} i^2 d\omega t \Bigg|^{1/2}$

after calculation, $i_{rms} = \frac{I_m}{2}$

power supplied to the circuit:-

$$P_i = i_{rms}^2 (R_f + R_L) = \left(\frac{I_m}{2}\right)^2 (R_f + R_L) \quad \left[\begin{array}{l} \text{E.C.} \\ P = i^2 R \end{array} \right]$$

average power in dc current:-

$$P_{dc} = i_{dc}^2 R_L$$

efficiency of rectifier:-

$$\eta = \frac{P/P}{i/P} = \frac{P_{dc}}{P_i} \times 100 = \frac{i_{dc}^2 R_L}{\left(\frac{I_m}{2}\right)^2 (R_f + R_L)} \times 100\%$$

$$\eta = \frac{40.6}{1 + R_f/R_L}$$

$$\eta_{max} = 40.6\%$$

Full wave Rectifier: ^{EDC} class-05

$$i_p = \frac{V_m}{R_f + R_L} \sin \omega t$$

$$i_1 = I_m \sin \omega t \quad 0 \leq \omega t \leq \pi$$

$$i_2 = 0$$

$$i_2 = i_m \sin \omega t \quad \pi \leq \omega t \leq 2\pi$$

$$i_1 = 0$$



Average current Dc circuit,

$$I_{dc} = \int_0^\pi i_m \sin \omega t d(\omega t) + \int_\pi^{2\pi} i_m \sin(\omega t - \pi) d(\omega t)$$

$$\left[\because A \sin(\omega t - \pi) = -A \sin(\omega t) \right] \quad \text{phase difference of } \pi$$

$$= \frac{2I_m}{\pi}$$

$$I_{rms} = \frac{1}{2\pi} \left[\int_0^\pi i_m^2 \sin^2 \omega t d(\omega t) + \int_\pi^{2\pi} i_m^2 \sin^2(\omega t - \pi) d(\omega t) \right]$$

$$I_{rms} = \frac{I_m}{\sqrt{2}}$$

$$P_{in} = I_{rms}^2 (R_f + R_L)$$

$$= \frac{I_m^2}{2} (R_f + R_L)$$

$$P_{dc} = I_m$$

$$P_{dc} = I_{dc}^2 R_L$$

$$P_{dc} = \frac{4I_m^2}{\pi^2} R_L$$

$$\begin{aligned} \text{efficiency, } \eta &= \frac{P_{dc}}{P_{in}} \times 100\% \\ &= \frac{\frac{4I_m^2}{\pi^2} R_L}{\frac{I_m^2}{2} (R_f + R_L)} \times 100\% \\ &= \frac{4 \times 2 R_L}{\pi^2 (R_f + R_L)} \times 100\% \end{aligned}$$

$$\eta = \frac{81.2}{1 + \frac{R_f}{R_L}} \%$$

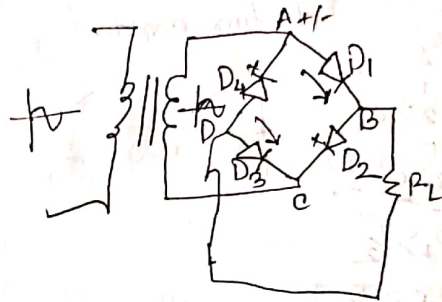
$$\text{Rippling factor } \frac{I_{rms}}{I_{dc}} = \frac{I_m \pi}{\sqrt{2} \cdot 2 I_m} = \frac{\pi}{2\sqrt{2}}$$

$$\therefore r = \sqrt{\left(\frac{I_{rms}}{I_{dc}}\right)^2} = (1.11 - 1) = 0.11$$

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Bridge Rectifier

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Capacitor filter for a full wave rectifier



$$\begin{aligned} V &= \frac{V_m}{\pi} \left[1 + \frac{\pi}{2} \sin \omega t - \frac{2}{1+3} \cos 2\omega t - \frac{2}{3+5} \cos 4\omega t \right. \\ &\quad \left. - \frac{2}{5+7} \cos 6\omega t + \dots \right] \end{aligned}$$

capacitor impedance

$$\begin{cases} X_c = \frac{1}{2\pi f C} \\ V_L = 2\pi f L \end{cases}$$

charging voltage eqn class-06 04-11-2019

$$V_e = V_m e^{-t/CR_L}$$

t = time constant

$$= V_m \left(1 - \frac{t}{2RC} \right)$$

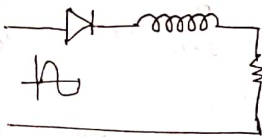
$$\therefore \frac{t}{2RC} \ll 1$$

$$CR_L > T/2$$

$$\Rightarrow RC > T/2$$

ripple:- $r = \frac{1}{2\sqrt{3}fRC}$

Inductor:



$$X_L = 2\pi fL$$

$$X_L = 0$$

$$r = \frac{R_L}{3\sqrt{2}\omega L}$$



RC section filter:



variation of filters:

variation of filters:

i) capacity $\frac{1}{f} + (C)$

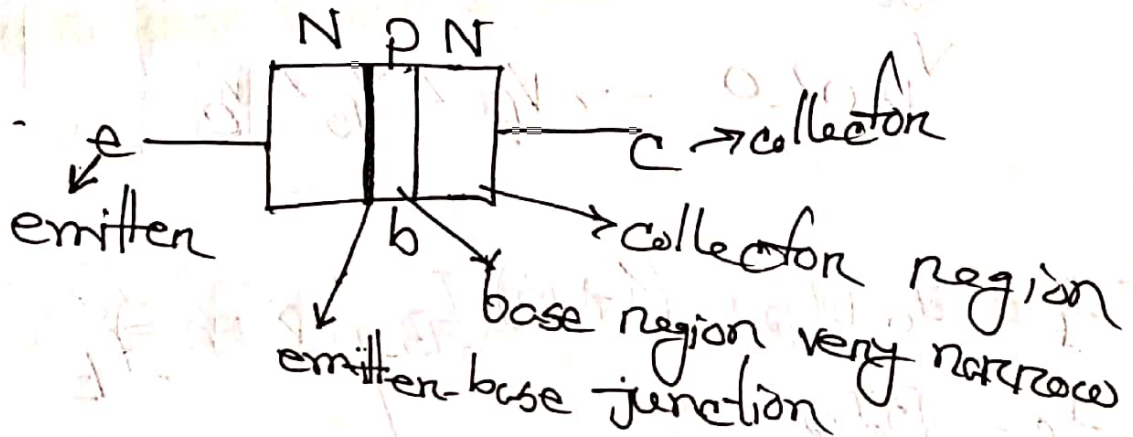
ii) inductor $\frac{1}{f} + (L)$

iii) CLC $\frac{1}{f} + (C)$ [connect full wave rectifier]

Bipolar Junction Transistor

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construction of Bipolar junction transistor



$$I_E = I_C + I_B$$

$$\alpha = \frac{I_C}{I_E} \text{ (common base current gain)}$$

$$I_C (1 - \alpha) = \alpha I_B + I_{CBO}$$

$$\beta = \frac{\alpha}{1 - \alpha} \rightarrow I_C = \beta I_B + (1 + \beta) I_{CBO}$$

$$\beta = \frac{I_C}{I_B}$$



19/12/19

BJT DC Analysis

exam - 07-01-20

2-3

$$V_{BE} > 0$$

$$V_{BC} < 0 \rightarrow V_E < V_B < V_C$$

$$I_E = I_C + I_B = (1 + \beta) I_B \quad \alpha = \frac{I_C}{I_E}$$

$$I_C = \beta I_B$$

$$I_C = \alpha I_E$$

$$\beta = \frac{I_C}{I_B}$$

Common-base and common collector curve difference and similarity

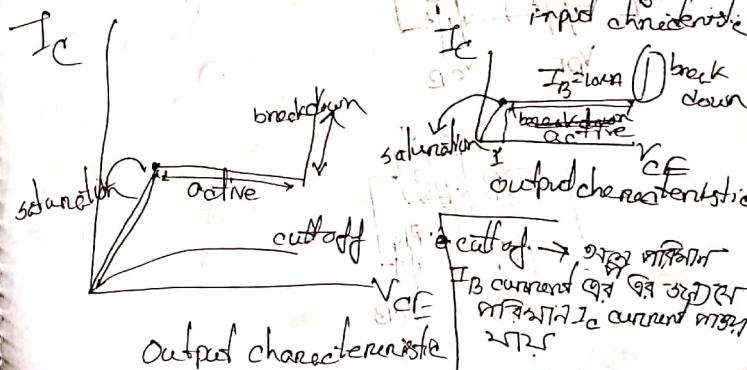
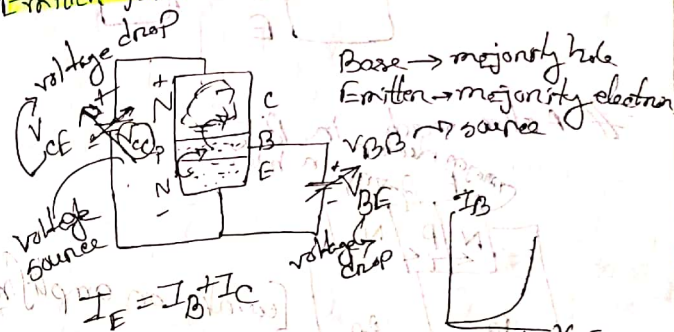
input characteristic curve

BJT

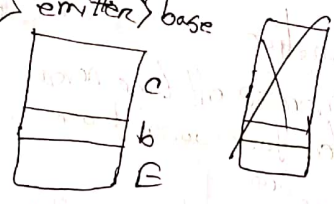
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configuration

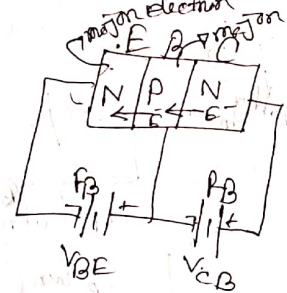
- collector to all time reverse bias
- emitter forward bias



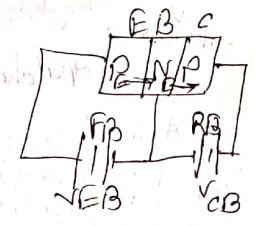
The size of emitter, base and collector



Active mode in BJT



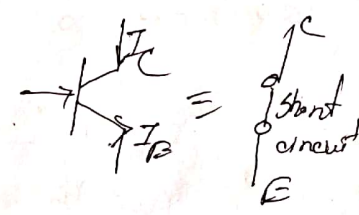
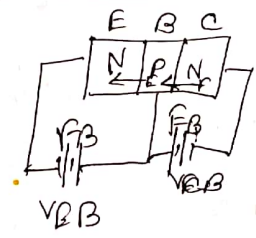
[works on amplification]



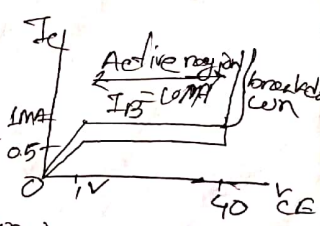
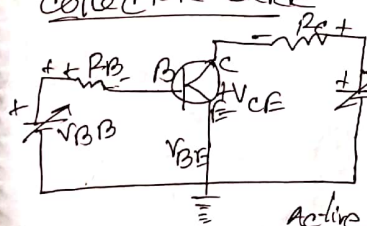
cut-off mode BJT



saturation mode

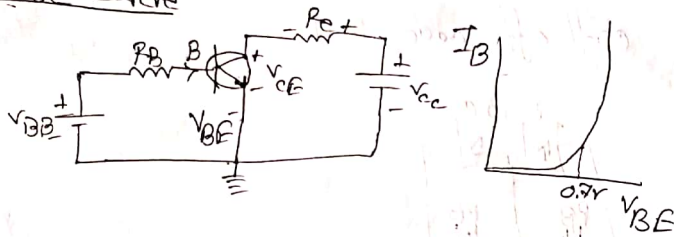


collector curve



Active region
B-E & C-B } Amplification
F-B P-B } operation.

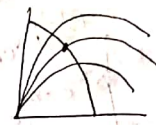
Base curve



Transistor Biasing

01.01.2020

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parameter variation

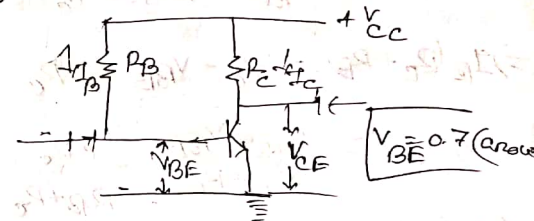
$$\alpha = 0.98 / 0.99$$

$$\beta = 49 / 99$$

$$T \uparrow I_{CBO} \uparrow I_C \uparrow T$$

stability factor, $S = \frac{\delta I_C}{\delta I_{CBO}}$ 5 stability circuit
bircuit of 28

Fixed biasing circuit



capacitance impedance

$$X_C = \frac{1}{2\pi f C}$$

$$V_{CC} = I_B R_B + V_{BE}$$

$$I_B = \frac{V_{CC} - V_{BE}}{R_B}$$

we know

$$I_C = \beta I_B + (1 + \beta) I_{CBO}$$

$$\delta I_C = \beta \left(\frac{V_{CC} - V_{BE}}{R_B} \right) + (1 + \beta) I_{CBO}$$