

PESIT Bangalore South Campus

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DEPARTMENT OF INFORMATION SCIENCE ENGINEERING

VII SEMESTER

LAB MANUAL

SUBJECT: MACHINE LEARNING LABORATORY

SUBJECT CODE: 15CSL76

1. Implement and demonstratethe **FIND-Salgorithm** for finding the most specific hypothesis based on a given set of training data samples. Read the training data from a .CSV file.

*** Create Excel file Weather.csv and save it in same path

```
Norma
Sunny
       Warm
                      Strong
                             Warm
                                     Same
                                             Yes
              Warm
               High
                      Strong
                             Warm
                                     Same
                                             Yes
Sunny
                                     Chang
Rainy
       Cold
              High
                      Strong
                                             No
                             Warm
                                     Chang
Sunny
       Warm
              High
                      Strong Cool
                                             Yes
                                     е
```

```
import csv
def loadCsv(filename):
       lines = csv.reader(open(filename, "rt"))
       dataset = list(lines)
       for i in range(len(dataset)):
               dataset[i] = dataset[i]
       return dataset
attributes = ['Sky','Temp','Humidity','Wind','Water','Forecast']
print(attributes)
num_attributes = len(attributes)
filename = "Weather.csv"
dataset = loadCsv(filename)
print(dataset)
target=['Yes','Yes','No','Yes']
print(target)
hypothesis=['0'] * num_attributes
print(hypothesis)
print("The Hypothesis are")
for i in range(len(target)):
  if(target[i] == 'Yes'):
     for j in range(num_attributes):
       if(hypothesis[i]=='0'):
          hypothesis[j] = dataset[i][j]
       if(hypothesis[j]!= dataset[i][j]):
          hypothesis[j]='?'
  print(i+1,'=',hypothesis)
print("Final Hypothesis")
print(hypothesis)
```

['Sky', 'Temp', 'Humidity', 'Wind', 'Water', 'Forecast']
[['Sunny ', 'Warm', 'Normal', 'Strong ', 'Warm', 'Same', 'Yes'],
['Sunny ', 'Warm', 'High', 'Strong ', 'Warm', 'Same', 'Yes'],
['Rainy', 'Cold', 'High', 'Strong ', 'Warm', 'Change', 'No'],
['Sunny ', 'Warm', 'High', 'Strong ', 'Cool', 'Change', 'Yes']]
['Yes', 'Yes', 'No', 'Yes']
['0', '0', '0', '0', '0', '0']

The Hypothesis are

- 1 = ['Sunny', 'Warm', 'Normal', 'Strong', 'Warm', 'Same']
- 2 = ['Sunny', 'Warm', '?', 'Strong', 'Warm', 'Same']
- 3 = ['Sunny', 'Warm', '?', 'Strong', 'Warm', 'Same']
- 4 = ['Sunny', 'Warm', '?', 'Strong', '?', '?']

Final Hypothesis

['Sunny', 'Warm', '?', 'Strong', '?', '?']

2. For a given set of training data examples stored in a .CSV file, implement and demonstrate the **Candidate-Elimination algorithm**to output a description of the set of all hypotheses consistent with the training examples.

*** Create Excel file Training_examples.csv and save it in same path
--

				о —г		
		Humid		Wate	Forec	EnjoySp
Sky	Air	ity	Wind	r	ast	ort
Sunn	War	Norma	Stron	War		
У	m	1	g	m	Same	Yes
Sunn	War		Stron	War		
У	m	High	g	m	Same	Yes
-		_	Stron	War	Chan	
Rainy	Cold	High	g	m	ge	No
Sunn	War	•	Stron		Chan	
У	m	High	g	Cool	ge	Yes
		High		Cool		Yes

import numpy as np import pandas as pd

Loading Data from a CSV File

data = pd.DataFrame(data=pd.read_csv('Training_examples.csv'))

Separating concept features from Target

concepts = np.array(data.iloc[:,0:-1])

Isolating target into a separate DataFrame #copying last column to target array

target = np.array(data.iloc[:,-1])

def learn(concepts, target):

" learn() function implements the learning method of the Candidate elimination algorithm.

Arguments:

concepts - a data frame with all the features

target - a data frame with corresponding output values

Initialise S0 with the first instance from concepts

#.copy() makes sure a new list is created instead of just pointing to the same memory location

```
specific_h = concepts[0].copy()
```

print("initialization of specific h and general h")

print(specific h)

general_h = [["?" for i in range(len(specific_h))] for i in range(len(specific_h))]
print(general_h)

The learning iterations

for i, h in enumerate(concepts):

Checking if the hypothesis has a positive target

if target[i] == "Yes":

for x in range(len(specific_h)):

Change values in S & G only if values change

if $h[x] != specific_h[x]$:

```
specific_h[x] = '?'
              general_h[x][x] = '?'
     # Checking if the hypothesis has a positive target
     if target[i] == "No":
        for x in range(len(specific_h)):
           # For negative hyposthesis change values only in G
           if h[x] != specific_h[x]:
              general_h[x][x] = specific_h[x]
           else:
              general_h[x][x] = '?'
     print(" steps of Candidate Elimination Algorithm",i+1)
     print(specific_h)
     print(general h)
   # find indices where we have empty rows, meaning those that are unchanged
  indices = [i \text{ for } i, \text{ val in enumerate}(general\_h) \text{ if } \text{val} == ['?', '?', '?', '?', '?', '?']]
  for i in indices:
     # remove those rows from general_h
     general_h.remove(['?', '?', '?', '?', '?', '?'])
  # Return final values
  return specific h, general h
s_final, g_final = learn(concepts, target)
print("Final Specific_h:", s_final, sep="\n")
print("Final General h:", g final, sep="\n")
OUTPUT:
initialization of specific_h and general_h
['Sunny' 'Warm' 'High' 'Strong' 'Warm' 'Same']
[['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?'], ['?', '?', '?'],
['?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]
Steps of Candidate Elimination Algorithm 1
['Sunny' 'Warm' 'High' 'Strong' 'Warm' 'Same']
· [['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?'],
['?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]
Steps of Candidate Elimination Algorithm 2
['Sunny' 'Warm' 'High' 'Strong' 'Warm' 'Same']
[['Sunny', '?', '?', '?', '?', '?'], ['?', 'Warm', '?', '?', '?'], ['?', '?', '?', '?', '?', '?', '?'], ['?', '?', '?',
'?', '?'], ['?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', 'Same']]
Steps of Candidate Elimination Algorithm 3
['Sunny' 'Warm' 'High' 'Strong' '?' '?']
[['Sunny', '?', '?', '?', '?'], ['?', 'Warm', '?', '?', '?'], ['?', '?', '?', '?', '?', '?'], ['?', '?', '?',
'?', '?'], ['?', '?', '?', '?', '?'], ['?', '?', '?', '?', '?', '?']]
Final Specific h:
['Sunny' 'Warm' '?' 'Strong' '?' '?']
Final General h:
[['Sunny', '?', '?', '?', '?'], ['?', 'Warm', '?', '?', '?', '?']]
```

3.	Write a program to demonstrate the working of the decision tree based ID3 algorithm .
	Use an appropriate data set for building the decision tree and apply this knowledge to
	classify a new sample.

*** Create Excel file 'playtennis.csv' and save it in same path

U	Ü	U	U	Ü
0	0	0	1	0
1	0	0	0	1
2	1	0	0	1
2	2	1	0	1
2	2	1	1	0
2 1 0	2 2 1	0 0 1 1 1	1	1
0	1	0	0	0
0	2 1	1 1 1 0	0	1
0 2	1	1	0	1
0	1	1	1	1
1	1	0	1	1
1	0	1	0	1
2	1 1	0	1	0
0	1	1 0 1 1	1	0 1 1 0 1 0 1 1 1 1 1 1 1
1	1	1	1	1

import pandas as pd import numpy as np

#Import the dataset and define the feature as well as the target datasets / columns

#Import all columns omitting the fist which consists the names of the animals #We drop the animal names since this is not a good feature to split the data on

```
attributes =('Outlook','Temperature','Humidity','Wind','PlayTennis') def entropy(target_col):
```

""" Calculate the entropy of a dataset.

The only parameter of this function is the target_col parameter which specifies the target column """

```
elements,counts = np.unique(target_col,return_counts = True)

entropy = np.sum([(-counts[i]/np.sum(counts))*np.log2(counts[i]/np.sum(counts)) for
i in range(len(elements))])
    #print('Entropy =', entropy)
    return entropy

def InfoGain(data,split_attribute_name,target_name="class"):
#Calculate the entropy of the total dataset
    total_entropy = entropy(data[target_name])
```

##Calculate the entropy of the dataset

#Calculate the values and the corresponding counts for the split attribute

```
vals,counts= np.unique(data[split_attribute_name],return_counts=True)
         #Calculate the weighted entropy
         Weighted_Entropy =
       np.sum([(counts[i]/np.sum(counts))*entropy(data.where(data[split_attribute_name]==va
       ls[i]).dropna()[target_name]) for i in range(len(vals))])
         #Calculate the information gain
         Information Gain = total entropy - Weighted Entropy
         return Information_Gain
       def ID3(data,originaldata,features,target_attribute_name="class",parent_node_class =
       None):
#Define the stopping criteria --> If one of this is satisfied, we want to return a leaf node#
  #If all target_values have the same value, return this value
         if len(np.unique(data[target_attribute_name])) <= 1:</pre>
            return np.unique(data[target attribute name])[0]
  #If the dataset is empty, return the mode target feature value in the original dataset
         elif len(data) == 0:
            return np.unique(originaldata[target_attribute_name])
       [np.argmax(np.unique(originaldata[target_attribute_name],return_counts=True)[1])]
         elif len(features) ==0:
            return parent_node_class
  #If none of the above holds true, grow the tree!
         else:
  #Set the default value for this node --> The mode target feature value of the current
node
            parent_node_class = np.unique(data[target_attribute_name])
       [np.argmax(np.unique(data[target_attribute_name],return_counts=True)[1])]
 #Select the feature which best splits the dataset
        item_values = [InfoGain(data,feature,target_attribute_name) for feature in features]
       #Return the information gain values for the features in the dataset
            best_feature_index = np.argmax(item_values)
            best_feature = features[best_feature_index]
#Create the tree structure. The root gets the name of the feature (best_feature) with the
maximum information gain in the first run
            tree = {best_feature:{}}
#Remove the feature with the best inforamtion gain from the feature space
            features = [i for i in features if i != best_feature]
```

```
#Grow a branch under the root node for each possible value of the root node feature
            for value in np.unique(data[best_feature]):
              value = value
#Split the dataset along the value of the feature with the largest information gain and
there with create sub_datasets
              sub_data = data.where(data[best_feature] == value).dropna()
#Call the ID3 algorithm for each of those sub_datasets with the new parameters --> Here
the recursion comes in!
              subtree =
       ID3(sub_data,dataset,features,target_attribute_name,parent_node_class)
#Add the sub tree, grown from the sub_dataset to the tree under the root node
              tree[best_feature][value] = subtree
            return(tree)
       def predict(query,tree,default = 1):
#1.
         for key in list(query.keys()):
            if key in list(tree.keys()):
#2.
              try:
                 result = tree[key][query[key]]
              except:
                 return default
 #3.
              result = tree[key][query[key]]
 #4.
              if isinstance(result,dict):
                 return predict(query,result)
              else:
                 return result
       def train_test_split(dataset):
         training_data = dataset.iloc[:14].reset_index(drop=True)
#We drop the index respectively relabel the index
#starting form 0, because we do not want to run into errors regarding the row labels /
indexe #testing_data = dataset.iloc[10:].reset_index(drop=True)
         return training_data
#,testing data
       def test(data,tree):
#Create new query instances by simply removing the target feature column from the
original #dataset and Convert it to a dictionary
       queries = data.iloc[:,:-1].to_dict(orient = "records")
#Create a empty DataFrame in whose columns the prediction of the tree are stored
         predicted = pd.DataFrame(columns=["predicted"])
```

```
#Calculate the prediction accuracy
         for i in range(len(data)):
            predicted.loc[i,"predicted"] = predict(queries[i],tree,1.0)
         print('The prediction accuracy is: ',(np.sum(predicted["predicted"] ==
       data["class"])/len(data))*100,'%')
** ** **
Train the tree, Print the tree and predict the accuracy
       XX = train_test_split(dataset)
       training_data=XX
       #testing_data=XX[1]
       tree = ID3(training_data,training_data,training_data.columns[:-1])
       print(' Display Tree',tree)
       print('len=',len(training_data))
       test(training_data,tree)
       OUTPUT:
       Display Tree {'outlook': {0: {'humidity': {0.0: 0.0, 1.0: 1.0}}}, 1: 1.0, 2: {'wind': {0.0:
       1.0, 1.0: 0.0}}}
       len= 14
       The prediction accuracy is: 100.0 %
```

4. Build an Artificial Neural Network by implementing the **Backpropagation algorithm** and test the same using appropriate data sets.

```
from math import exp
from random import seed
from random import random
# Initialize a network
def initialize network(n inputs, n hidden, n outputs):
       network = list()
       hidden_layer = [{'weights':[random() for i in range(n_inputs + 1)]} for i in
range(n_hidden)]
      network.append(hidden laver)
       output layer = [{'weights':[random() for i in range(n hidden + 1)]} for i in
range(n_outputs)]
      network.append(output layer)
      return network
# Calculate neuron activation for an input
def activate(weights, inputs):
       activation = weights[-1]
       for i in range(len(weights)-1):
              activation += weights[i] * inputs[i]
       return activation
# Transfer neuron activation
def transfer(activation):
       return 1.0 / (1.0 + \exp(-activation))
# Forward propagate input to a network output
def forward_propagate(network, row):
       inputs = row
       for layer in network:
              new_inputs = []
              for neuron in layer:
                     activation = activate(neuron['weights'], inputs)
                     neuron['output'] = transfer(activation)
                     new_inputs.append(neuron['output'])
              inputs = new inputs
       return inputs
# Calculate the derivative of an neuron output
def transfer derivative(output):
       return output * (1.0 - output)
# Backpropagate error and store in neurons
def backward_propagate_error(network, expected):
       for i in reversed(range(len(network))):
              layer = network[i]
              errors = list()
              if i != len(network)-1:
                     for j in range(len(layer)):
                             error = 0.0
```

for neuron in network[i + 1]:

```
error += (neuron['weights'][j] * neuron['delta'])
                             errors.append(error)
              else:
                      for j in range(len(layer)):
                             neuron = layer[j]
                             errors.append(expected[j] - neuron['output'])
              for j in range(len(layer)):
                      neuron = layer[i]
                      neuron['delta'] = errors[i] * transfer_derivative(neuron['output'])
# Update network weights with error
def update_weights(network, row, l_rate):
       for i in range(len(network)):
              inputs = row[:-1]
              if i != 0:
                      inputs = [neuron['output'] for neuron in network[i - 1]]
              for neuron in network[i]:
                      for j in range(len(inputs)):
                             neuron['weights'][j] += l_rate * neuron['delta'] * inputs[j]
                      neuron['weights'][-1] += l_rate * neuron['delta']
# Train a network for a fixed number of epochs
def train network(network, train, 1 rate, n epoch, n outputs):
       for epoch in range(n_epoch):
              sum_error = 0
              for row in train:
                      outputs = forward_propagate(network, row)
                      expected = [0 \text{ for i in range(n outputs)}]
                      expected[row[-1]] = 1
                      sum_error += sum([(expected[i]-outputs[i])**2 for i in
range(len(expected))])
                      backward_propagate_error(network, expected)
                      update_weights(network, row, l_rate)
              print('>epoch=%d, lrate=%.3f, error=%.3f' % (epoch, l_rate, sum_error))
# Test training backprop algorithm
seed(1)
dataset = [[2.7810836, 2.550537003, 0],
           [1.465489372,2.362125076,0],
       [3.396561688,4.400293529,0],
       [1.38807019,1.850220317,0],
       [3.06407232,3.005305973,0],
       [7.627531214, 2.759262235, 1],
       [5.332441248,2.088626775,1],
       [6.922596716, 1.77106367, 1],
       [8.675418651, -0.242068655, 1],
       [7.673756466,3.508563011,1]]
n_{inputs} = len(dataset[0]) - 1
n_{outputs} = len(set([row[-1] for row in dataset]))
network = initialize network(n inputs, 2, n outputs)
train_network(network, dataset, 0.5, 20, n_outputs)
for layer in network:
       print(layer)
```

```
OUTPUT:
>epoch=0, lrate=0.500, error=6.350
>epoch=1, lrate=0.500, error=5.531
>epoch=2, lrate=0.500, error=5.221
>epoch=3, lrate=0.500, error=4.951
>epoch=4, lrate=0.500, error=4.519
>epoch=5, lrate=0.500, error=4.173
>epoch=6, lrate=0.500, error=3.835
>epoch=7, lrate=0.500, error=3.506
>epoch=8, lrate=0.500, error=3.192
>epoch=9, lrate=0.500, error=2.898
>epoch=10, lrate=0.500, error=2.626
>epoch=11, lrate=0.500, error=2.377
>epoch=12, lrate=0.500, error=2.153
>epoch=13, lrate=0.500, error=1.953
>epoch=14, lrate=0.500, error=1.774
>epoch=15, lrate=0.500, error=1.614
>epoch=16, lrate=0.500, error=1.472
>epoch=17, lrate=0.500, error=1.346
>epoch=18, lrate=0.500, error=1.233
>epoch=19, lrate=0.500, error=1.132
[{'weights': [-1.4688375095432327, 1.850887325439514, 1.0858178629550297], 'output':
0.029980305604426185, 'delta': -0.0059546604162323625}, {'weights':
[0.37711098142462157, -0.0625909894552989, 0.2765123702642716], 'output':
0.9456229000211323, 'delta': 0.0026279652850863837}]
[{'weights': [2.515394649397849, -0.3391927502445985, -0.9671565426390275], 'output':
0.23648794202357587, 'delta': -0.04270059278364587}, {'weights': [-2.5584149848484263,
1.0036422106209202, 0.42383086467582715], 'output': 0.7790535202438367, 'delta':
0.03803132596437354}]
```

5. Write a program to implement the **naïve Bayesian classifier** for a sample training data set stored as a .CSV file. Compute the accuracy of the classifier, considering few test data sets.

```
*** Create Excel file DBetes.csv and save it in same path
       import csv
       import random
       import math
#1.Load Data
       def loadCsv(filename):
              lines = csv.reader(open(filename, "rt"))
              dataset = list(lines)
              for i in range(len(dataset)):
                      dataset[i] = [float(x) for x in dataset[i]]
              return dataset
#Split the data into Training and Testing randomly
       def splitDataset(dataset, splitRatio):
              trainSize = int(len(dataset) * splitRatio)
              trainSet = []
              copy = list(dataset)
              while len(trainSet) < trainSize:
                     index = random.randrange(len(copy))
                     trainSet.append(copy.pop(index))
              return [trainSet, copy]
#Seperatedata by Class
       def separateByClass(dataset):
              separated = \{\}
              for i in range(len(dataset)):
                      vector = dataset[i]
                     if (vector[-1] not in separated):
                             separated[vector[-1]] = []
                      separated[vector[-1]].append(vector)
              return separated
#Calculate Mean
       def mean(numbers):
              return sum(numbers)/float(len(numbers))
#Calculate Standard Deviation
       def stdev(numbers):
              avg = mean(numbers)
              variance = sum([pow(x-avg,2) for x in numbers])/float(len(numbers)-1)
              return math.sqrt(variance)
#Summarize the data
```

summaries = [(mean(attribute), stdev(attribute)) for attribute in zip(*dataset)]

def summarize(dataset):

del summaries[-1]

```
return summaries
#Summarize Attributes by Class
       def summarizeByClass(dataset):
         separated = separateByClass(dataset)
         print(len(separated))
         summaries = {}
         for class Value, instances in separated.items():
                     summaries[classValue] = summarize(instances)
         print(summaries)
         return summaries
#Calculate Gaussian Probability Density Function
       def calculateProbability(x, mean, stdev):
              exponent = math.exp(-(math.pow(x-mean,2)/(2*math.pow(stdev,2))))
              return (1 / (math.sqrt(2*math.pi) * stdev)) * exponent
#Calculate Class Probabilities
       def calculateClassProbabilities(summaries, inputVector):
              probabilities = {}
              for classValue, classSummaries in summaries.items():
                      probabilities[classValue] = 1
                      for i in range(len(classSummaries)):
                             mean, stdev = classSummaries[i]
                             x = inputVector[i]
                             probabilities[classValue] *= calculateProbability(x, mean, stdev)
              return probabilities
#Make a Prediction
       def predict(summaries, inputVector):
              probabilities = calculateClassProbabilities(summaries, inputVector)
              bestLabel, bestProb = None, -1
              for classValue, probability in probabilities.items():
                      if bestLabel is None or probability > bestProb:
                             bestProb = probability
                             bestLabel = classValue
              return bestLabel
#return a list of predictions for each test instance.
       def getPredictions(summaries, testSet):
              predictions = []
              for i in range(len(testSet)):
                      result = predict(summaries, testSet[i])
                     predictions.append(result)
              return predictions
#calculate accuracy ratio.
       def getAccuracy(testSet, predictions):
              correct = 0
              for i in range(len(testSet)):
                      if testSet[i][-1] == predictions[i]:
                             correct += 1
              return (correct/float(len(testSet))) * 100.0
       filename = 'DBetes.csv'
       splitRatio = 0.70
```

```
dataset = loadCsv(filename)
    trainingSet, testSet = splitDataset(dataset, splitRatio)
    print('Split {0} rows into train={1} and test={2} rows'.format(len(dataset),
    len(trainingSet), len(testSet)))
# prepare model
    summaries = summarizeByClass(trainingSet)
```

test model

predictions = getPredictions(summaries, testSet)
accuracy = getAccuracy(testSet, predictions)
print('Accuracy: {0}%'.format(accuracy))

OUTPUT:

Split 250 rows into train=175 and test=75 rows
2
{1.0: [(5.188405797101449, 3.144908875135665), (141.1159420289855, 30.431473757532896), (72.44927536231884, 18.13635950878467), (19.855072463768117, 17.342802679327338), (113.08695652173913, 159.1615660015684)], 0.0: [(3.2735849056603774, 2.792960603162459), (109.0754716981132, 26.201671380061143), (69.5, 16.88405841530491), (19.358490566037737, 15.185951326799056), (68.72641509433963, 111.65606485725267)]}
Accuracy: 68.0%

6. Assuming a set of documents that need to be classified, use the **naïve Bayesian Classifier** model to perform this task. Built-in Java classes/API can be used to write the program. Calculate the accuracy, precision, and recall for your data set.

```
from sklearn.datasets import fetch_20newsgroups
twenty_train = fetch_20newsgroups(subset='train', shuffle=True)
print("lenth of the twenty_train---------', len(twenty_train))
```

#print(twenty_train.target_names) #prints all the categories

print("***First Line of the First Data File***")

#print("\n".join(twenty_train.data[0].split("\n")[:5]))#prints first line of the first data file

#2 Extracting features from text files

from sklearn.feature_extraction.text import CountVectorizer
count_vect = CountVectorizer()
X_train_counts = count_vect.fit_transform(twenty_train.data)
print('dim=',X_train_counts.shape)

#3 TF-IDF

from sklearn.feature_extraction.text import TfidfTransformer
tfidf_transformer = TfidfTransformer()
X_train_tfidf = tfidf_transformer.fit_transform(X_train_counts)
print(X_train_tfidf.shape)

Machine Learning

#4 Training Naive Bayes (NB) classifier on training data.

from sklearn.naive_bayes import MultinomialNB
clf = MultinomialNB().fit(X train tfidf, twenty train.target)

- # Building a pipeline: We can write less code and do all of the above, by building a pipeline as follows:
- # The names 'vect', 'tfidf' and 'clf' are arbitrary but will be used later.
- # We will be using the 'text_clf' going forward.

```
from sklearn.pipeline import Pipeline
text_clf = Pipeline([('vect', CountVectorizer()), ('tfidf', TfidfTransformer()), ('clf',
MultinomialNB())])
text_clf = text_clf.fit(twenty_train.data, twenty_train.target)
```

Performance of NB Classifier

```
import numpy as np
twenty_test = fetch_20newsgroups(subset='test', shuffle=True)
predicted = text_clf.predict(twenty_test.data)
accuracy=np.mean(predicted == twenty_test.target)
print("Predicted Accuracy = ",accuracy)
```

#To Calculate Accuracy, Precision, Recall

```
from sklearn import metrics
print("Accuracy= ",metrics.accuracy_score(twenty_test.target,predicted))
print("Precision=",metrics.precision_score(twenty_test.target,predicted,average=None))
print("Recall=",metrics.recall_score(twenty_test.target,predicted,average=None))
print(metrics.classification_report(twenty_test.target,
predicted,target_names=twenty_test.target_names))
```

Downloading 20news dataset. This may take a few minutes.

Downloading dataset from https://ndownloader.figshare.com/files/5975967 (14 MB)

lenth of the twenty_train----> 6

First Line of the First Data File

dim= (11314, 130107)

(11314, 130107)

Predicted Accuracy = 0.7738980350504514

Accuracy= 0.7738980350504514

Precision= [0.80193237 0.81028939 0.81904762 0.67180617 0.85632184 0.88955224

 $0.93127148\ 0.84651163\ 0.93686869\ 0.92248062\ 0.89170507\ 0.59379845$

 $0.83629893\ 0.92113565\ 0.84172662\ 0.43896976\ 0.64339623\ 0.92972973$

0.95555556 0.97222222]

Recall= [0.52037618 0.64781491 0.65482234 0.77806122 0.77402597 0.75443038

 $0.69487179\ 0.91919192\ 0.9321608\ 0.89924433\ 0.96992481\ 0.96717172$

 $0.59796438\ 0.73737374\ 0.89086294\ 0.98492462\ 0.93681319\ 0.91489362$

0.41612903 0.13944223]

	precision recall f1-score support					
alt atheign	0.00	0.50	0.62	210		
alt.atheism	0.80	0.52	0.63	319		
comp.graphics	0.81	0.65	0.72	389		
comp.os.ms-windows.misc	0.82	0.65	0.73	394		
comp.sys.ibm.pc.hardware	0.67	0.78	0.72	392		
comp.sys.mac.hardware	0.86	0.77	0.81	385		
comp.windows.x	0.89	0.75	0.82	395		
misc.forsale	0.93	0.69	0.80	390		
rec.autos	0.85	0.92	0.88	396		
rec.motorcycles	0.94	0.93	0.93	398		
rec.sport.baseball	0.92	0.90	0.91	397		
rec.sport.hockey	0.89	0.97	0.93	399		
sci.crypt	0.59	0.97	0.74	396		
sci.electronics	0.84	0.60	0.70	393		
sci.med	0.92	0.74	0.82	396		
sci.space	0.84	0.89	0.87	394		
soc.religion.christian	0.44	0.98	0.61	398		
talk.politics.guns	0.64	0.94	0.76	364		
talk.politics.mideast	0.93	0.91	0.92	376		
talk.politics.misc	0.96	0.42	0.58	310		
talk.religion.misc	0.97	0.14	0.24	251		
avg / total		0.82	0.77	0.77	7532	

```
7. Write a program to construct a Bayesian network considering medical data. Use this
       model to demonstrate the diagnosis of heart patients using standard Heart Disease Data
       Set. You can use Java/Python ML library classes/API.
   import bayespy as bp
   import numpy as np
   import csv
   from colorama import init
   from colorama import Fore, Back, Style
   init()
# Define Parameter Enum values
       ageEnum = {'SuperSeniorCitizen':0, 'SeniorCitizen':1, 'MiddleAged':2, 'Youth':3,
       'Teen':4}
# Gender
       genderEnum = {'Male':0, 'Female':1}
# FamilyHistory
       familyHistoryEnum = {'Yes':0, 'No':1}
# Diet(Calorie Intake)
       dietEnum = {'High':0, 'Medium':1, 'Low':2}
# LifeStyle
       lifeStyleEnum = {'Athlete':0, 'Active':1, 'Moderate':2, 'Sedetary':3}
# Cholesterol
       cholesterolEnum = {'High':0, 'BorderLine':1, 'Normal':2}
# HeartDisease
       heartDiseaseEnum = {'Yes':0, 'No':1}
#heart_disease_data.csv
       with open('heart_disease_data.csv') as csvfile:
         lines = csv.reader(csvfile)
         dataset = list(lines)
         data = \prod
         for x in dataset:
       data.append([ageEnum[x[0]],genderEnum[x[1]],familyHistoryEnum[x[2]],dietEnum[x[
       3]],lifeStyleEnum[x[4]],cholesterolEnum[x[5]],heartDiseaseEnum[x[6]]])
# Training data for machine learning todo: should import from csv
       data = np.array(data)
       N = len(data)
# Input data column assignment
       p_age = bp.nodes.Dirichlet(1.0*np.ones(5))
       age = bp.nodes.Categorical(p age, plates=(N,))
       age.observe(data[:,0])
       p_gender = bp.nodes.Dirichlet(1.0*np.ones(2))
       gender = bp.nodes.Categorical(p_gender, plates=(N,))
       gender.observe(data[:,1])
       p_familyhistory = bp.nodes.Dirichlet(1.0*np.ones(2))
       familyhistory = bp.nodes.Categorical(p familyhistory, plates=(N,))
       familyhistory.observe(data[:,2])
       p_diet = bp.nodes.Dirichlet(1.0*np.ones(3))
```

```
diet = bp.nodes.Categorical(p_diet, plates=(N,))
       diet.observe(data[:,3])
       p lifestyle = bp.nodes.Dirichlet(1.0*np.ones(4))
       lifestyle = bp.nodes.Categorical(p_lifestyle, plates=(N,))
       lifestyle.observe(data[:,4])
       p cholesterol = bp.nodes.Dirichlet(1.0*np.ones(3))
       cholesterol = bp.nodes.Categorical(p_cholesterol, plates=(N,))
       cholesterol.observe(data[:,5])
# Prepare nodes and establish edges
# np.ones(2) -> HeartDisease has 2 options Yes/No
# plates(5, 2, 2, 3, 4, 3) -> corresponds to options present for domain values
       p_heartdisease = bp.nodes.Dirichlet(np.ones(2), plates=(5, 2, 2, 3, 4, 3))
       heartdisease = bp.nodes.MultiMixture([age, gender, familyhistory, diet, lifestyle,
       cholesterol], bp.nodes.Categorical, p_heartdisease)
       heartdisease.observe(data[:,6])
       p_heartdisease.update()
# Sample Test with hardcoded values
#print("Sample Probability")
#print("Probability(HeartDisease|Age=SuperSeniorCitizen, Gender=Female,
FamilyHistory=Yes, DietIntake=Medium, LifeStyle=Sedetary, Cholesterol=High)")
#print(bp.nodes.MultiMixture([ageEnum['SuperSeniorCitizen'], genderEnum['Female'],
familyHistoryEnum['Yes'], dietEnum['Medium'], lifeStyleEnum['Sedetary'],
cholesterolEnum['High']], bp.nodes.Categorical, p_heartdisease).get_moments()[0]
[heartDiseaseEnum['Yes']])
# Interactive Test
       m = 0
       while m == 0:
         print("\n")
         res = bp.nodes.MultiMixture([int(input('Enter Age: ' + str(ageEnum))),
       int(input('Enter Gender: ' + str(genderEnum))), int(input('Enter FamilyHistory: ' +
       str(familyHistoryEnum))), int(input('Enter dietEnum: ' + str(dietEnum))),
       int(input('Enter LifeStyle: ' + str(lifeStyleEnum))), int(input('Enter Cholesterol: ' +
       str(cholesterolEnum)))], bp.nodes.Categorical, p heartdisease).get moments()[0]
       [heartDiseaseEnum['Yes']]
         print("Probability(HeartDisease) = " + str(res))
#print(Style.RESET_ALL)
        m = int(input("Enter for Continue:0, Exit :1 "))
```

Enter Age: {'SuperSeniorCitizen': 0, 'SeniorCitizen': 1, 'MiddleAged': 2, 'Youth': 3, 'Teen': 4}0

Enter Gender: {'Male': 0, 'Female': 1}0

Enter FamilyHistory: {'Yes': 0, 'No': 1}0

Enter dietEnum: {'High': 0, 'Medium': 1, 'Low': 2}0

Enter LifeStyle: {'Athlete': 0, 'Active': 1, 'Moderate': 2, 'Sedetary': 3}0

Enter Cholesterol: {'High': 0, 'BorderLine': 1, 'Normal': 2}0

Probability(HeartDisease) = 0.5

Enter for Continue:0, Exit:10

Enter Age: {'SuperSeniorCitizen': 0, 'SeniorCitizen': 1, 'MiddleAged': 2, 'Youth': 3, 'Teen': 4}4

Enter Gender: {'Male': 0, 'Female': 1}0

Enter FamilyHistory: {'Yes': 0, 'No': 1}0

Enter dietEnum: {'High': 0, 'Medium': 1, 'Low': 2}1

Enter LifeStyle: {'Athlete': 0, 'Active': 1, 'Moderate': 2, 'Sedetary': 3}3

Enter Cholesterol: {'High': 0, 'BorderLine': 1, 'Normal': 2}2

Probability(HeartDisease) = 0.13784165696493575

Enter for Continue:0, Exit:10

Enter Age: {'SuperSeniorCitizen': 0, 'SeniorCitizen': 1, 'MiddleAged': 2, 'Youth': 3, 'Teen': 4}3

Enter Gender: {'Male': 0, 'Female': 1}1

Enter FamilyHistory: {'Yes': 0, 'No': 1}0

Enter dietEnum: {'High': 0, 'Medium': 1, 'Low': 2}1

Enter LifeStyle: {'Athlete': 0, 'Active': 1, 'Moderate': 2, 'Sedetary': 3}0

Enter Cholesterol: {'High': 0, 'BorderLine': 1, 'Normal': 2}1

Probability(HeartDisease) = 0.2689414213699951

Enter for Continue:0, Exit:1

8. Apply **EM algorithm** to cluster a set of data stored in a .CSV file. Use the same dataset for clustering using *k*-**Means algorithm**. Compare the results of these two algorithms and comment on the quality of clustering. You can add Java/Python ML library classes/API in the program.

**EM algorithm

```
import numpy as np from scipy import stats np.random.seed(110)
```

for reproducible random results # set parameters

```
red_mean = 3
red_std = 0.8
blue_mean = 7
blue_std = 1
```

draw 40 samples from normal distributions with red/blue parameters

```
red = np.random.normal(red_mean, red_std, size=40)
blue = np.random.normal(blue_mean, blue_std, size=40)
both_colours = np.sort(np.concatenate((red, blue)))
```

#Since the colours are hidden from us, we will start the EM process
#Starting guesses are very critical because the EM Algorithm converges to
a local maxima. Hence we can get different answers with different starting points
#One reasonably good guess would be to take the value from a different but less
#robust algorithm

estimates for the mean

```
red_mean_guess = 2.1
blue_mean_guess = 6
```

estimates for the standard deviation

```
red_std_guess = 1.5
blue_std_guess = 0.8
```

#These are pretty bad guesses

#To continue with EM and improve these guesses, we compute the likelihood #of each data point (regardless of its secret colour) appearing under #these guesses for the mean and standard deviation

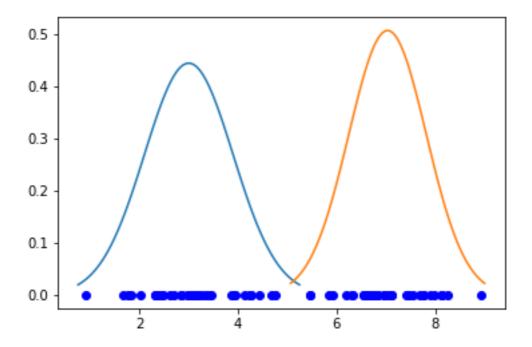
#The variable both_colours holds each data point. The function stats.norm computes #the probability of the point under a normal distribution with the given parameters:

```
for i in range(10):
    likelihood_of_red = stats.norm(red_mean_guess, red_std_guess).pdf(both_colours)
    likelihood_of_blue = stats.norm(blue_mean_guess,
    blue_std_guess).pdf(both_colours)
```

```
#Normalize these weights so that they can total 1
         likelihood total = likelihood of red + likelihood of blue
         red_weight = likelihood_of_red / likelihood_total
         blue_weight = likelihood_of_blue / likelihood_total
  #With our current estimates and our newly-computed weights, we can now compute
  #probably better, estimates for the parameters (step 4). We need a function for the
  #mean and a function for the standard deviation:
         def estimate_mean(data, weight):
           return np.sum(data * weight) / np.sum(weight)
         def estimate std(data, weight, mean):
           variance = np.sum(weight * (data - mean)**2) / np.sum(weight)
           return np.sqrt(variance)
  # new estimates for standard deviation
         blue_std_guess = estimate_std(both_colours, blue_weight, blue_mean_guess)
         red_std_guess = estimate_std(both_colours, red_weight, red_mean_guess)
  # new estimates for mean
         red_mean_guess = estimate_mean(both_colours, red_weight)
         blue mean guess = estimate mean(both colours, blue weight)
#Lets print the model parameters (The means and the std deviation in our case)
      print("red mean:", red_mean_guess, "::::", "blue mean:", blue_mean_guess)
      print("red std:", red_std_guess, "::::", "blue std:", blue_std_guess)
#plot the data
      import matplotlib.pyplot as plt
      import numpy as np
      import matplotlib.mlab as mlab
#The two Gaussian distributions
      y = np.zeros(len(both colours))
      mured = red_mean_guess
      sigmared = red std guess
      x = np.linspace(mured - 2.5*sigmared, mured + 2.5*sigmared, 100)
      plt.plot(x,mlab.normpdf(x, mured, sigmared))
      mublue = blue_mean_guess
      sigmablue = blue std guess
      y = np.linspace(mublue - 2.5*sigmablue, mublue + 2.5*sigmablue, 100)
      plt.plot(y,mlab.normpdf(y, mublue, sigmablue))
#The data points themselves
      for i in range(len(both colours)):
         plt.plot(both_colours[i],0,"bo")
      plt.show()
```

red mean: 2.997142582038222 ::::::::: blue mean: 7.036259959647933 red std: 0.8992704481319626 :::::::: blue std: 0.7882001074294297

OUTPUT:



**K-MEANS

import pylab as pl import numpy as np from sklearn.cluster import KMeans

np.random.seed(110) # for reproducible random results

set parameters

red_mean = 3 red_std = 0.8 blue_mean = 7

blue std = 1

draw 20 samples from normal distributions with red/blue parameters

red = np.random.normal(red_mean, red_std, size=40)
blue = np.random.normal(blue_mean, blue_std, size=40)
both_colours = np.sort(np.concatenate((red, blue)))
y = np.zeros(len(both_colours))

#We will need the elbow curve for calculating exact value of k #But we will use 2 for now

kmeans=KMeans(n_clusters=2)
kmeansoutput=kmeans.fit(both_colours.reshape(-1,1))

#but what value of K was actually good?

Nc = range(1, 5)

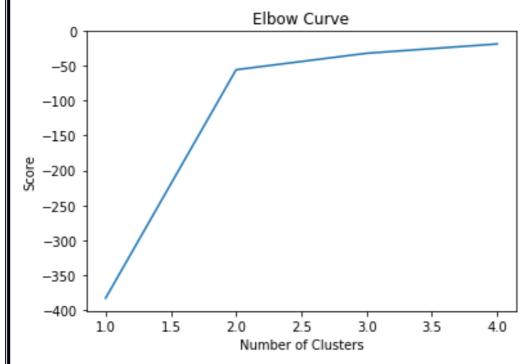
```
kmeans = [KMeans(n_clusters=i) for i in Nc]
score = [kmeans[i].fit(both_colours.reshape(-1,1)).score(both_colours.reshape(-1,1)) for
i in range(len(kmeans))]
pl.plot(Nc,score)

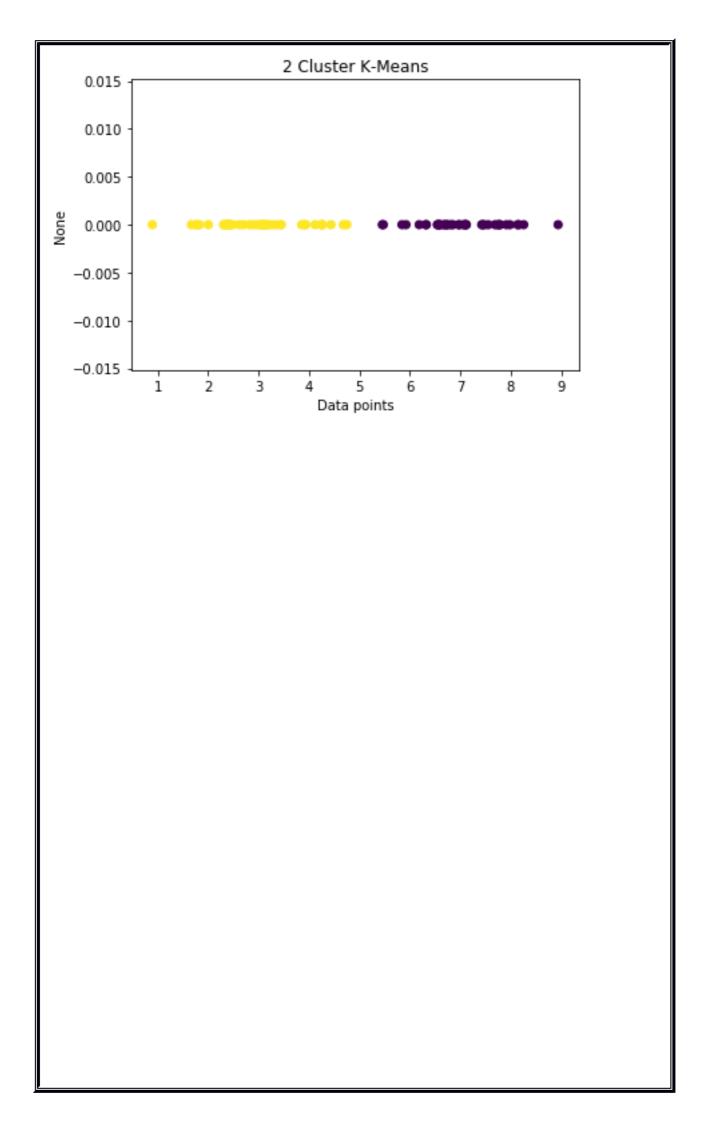
pl.xlabel('Number of Clusters')
pl.ylabel('Score')
pl.title('Elbow Curve')
pl.show()
```

#plot the points themselves

```
pl.scatter(both_colours,y,c=kmeansoutput.labels_)
pl.xlabel('Data points')
pl.ylabel('None')
pl.title('2 Cluster K-Means')
pl.show()
```

OUTPUT:





9. Write a program to implement *k***-Nearest Neighbour algorithm** to classify the iris data set. Print both correct and wrong predictions. Java/Python ML library classes can be used for this problem.

#1.Import Data

```
from sklearn.datasets import load_iris
iris = load_iris()
print("Feature Names:",iris.feature_names,"Iris Data:",iris.data,"Target
Names:",iris.target_names,"Target:",iris.target)
```

#2. Split the data into Test and Data

```
from sklearn.model_selection import train_test_split
X_train, X_test, y_train, y_test = train_test_split(
    iris.data, iris.target, test_size = .25)
```

```
#neighbors_settings = range(1, 11)
#for n_neighbors in neighbors_settings:
#3.Build The Model
```

```
from sklearn.neighbors import KNeighborsClassifier
clf = KNeighborsClassifier()
clf.fit(X_train, y_train)
```

#4.Calculate Accuracy of the Test data with the trained data

```
print(" Accuracy=",clf.score(X_test, y_test))
```

#5 Calculate the prediction with the labels of the test data

```
print("Predicted Data")
print(clf.predict(X_test))

prediction=clf.predict(X_test)

print("Test data :")
print(y_test)
```

#6 To identify the miss classification

```
diff=prediction-y_test
print("Result is ")
print(diff)
print('Total no of samples misclassied =', sum(abs(diff)))
```

```
OUTPUT:
Feature Names: ['sepal length (cm)', 'sepal width (cm)', 'petal length (cm)', 'petal width (cm)']
Iris Data:
[[5.1 3.5 1.4 0.2]
[4.9 3. 1.4 0.2]
[4.7 3.2 1.3 0.2]
[4.6 3.1 1.5 0.2]
[5. 3.6 1.4 0.2]
[5.4 3.9 1.7 0.4]
[4.6 3.4 1.4 0.3]
[5. 3.4 1.5 0.2]
[4.4 2.9 1.4 0.2]
[4.9 3.1 1.5 0.1]
[5.4 3.7 1.5 0.2]
[4.8 3.4 1.6 0.2]
[4.8 3. 1.4 0.1]
[4.3 3. 1.1 0.1]
[5.8 4. 1.2 0.2]
[5.7 4.4 1.5 0.4]
[5.4 3.9 1.3 0.4]
[5.1 3.5 1.4 0.3]
[5.7 3.8 1.7 0.3]
[5.1 3.8 1.5 0.3]
[5.4 3.4 1.7 0.2]
[5.1 3.7 1.5 0.4]
[4.6 3.6 1. 0.2]
[5.1 3.3 1.7 0.5]
[4.8 3.4 1.9 0.2]
[5. 3. 1.6 0.2]
[5. 3.4 1.6 0.4]
[5.2 3.5 1.5 0.2]
[5.2 3.4 1.4 0.2]
[4.7 3.2 1.6 0.2]
[4.8 3.1 1.6 0.2]
[5.4 3.4 1.5 0.4]
[5.2 4.1 1.5 0.1]
[5.5 4.2 1.4 0.2]
[4.9 3.1 1.5 0.1]
[5. 3.2 1.2 0.2]
[5.5 3.5 1.3 0.2]
[4.9 3.1 1.5 0.1]
[4.4 3. 1.3 0.2]
[5.1 3.4 1.5 0.2]
[5. 3.5 1.3 0.3]
[4.5 2.3 1.3 0.3]
[4.4 3.2 1.3 0.2]
[5. 3.5 1.6 0.6]
[5.1 3.8 1.9 0.4]
[4.8 3. 1.4 0.3]
[5.1 3.8 1.6 0.2]
[4.6 3.2 1.4 0.2]
[5.3 3.7 1.5 0.2]
[5. 3.3 1.4 0.2]
[7. 3.2 4.7 1.4]
[6.4 3.2 4.5 1.5]
[6.9 3.1 4.9 1.5]
```

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II -	
[6.5 2.8 4.6 1.5]	
[5.7 2.8 4.5 1.3]	
[6.3 3.3 4.7 1.6]	
[4.9 2.4 3.3 1.]	
[6.6 2.9 4.6 1.3]	
[5.2 2.7 3.9 1.4]	
[5. 2. 3.5 1.]	
[5.9 3. 4.2 1.5]	
[6. 2.2 4. 1.]	
[6.1 2.9 4.7 1.4]	
[5.6 2.9 3.6 1.3]	
[6.7 3.1 4.4 1.4]	
[5.6 3. 4.5 1.5]	
[5.8 2.7 4.1 1.]	
[6.2 2.2 4.5 1.5]	
[5.6 2.5 3.9 1.1]	
[5.9 3.2 4.8 1.8]	
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[5.8 2.7 3.9 1.2]	
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[6. 3.4 4.5 1.6]	
[6.7 3.1 4.7 1.5]	
[6.3 2.3 4.4 1.3]	
[5.6 3. 4.1 1.3]	
[5.5 2.5 4. 1.3]	
[5.5 2.6 4.4 1.2]	
[6.1 3. 4.6 1.4]	
[5.8 2.6 4. 1.2]	
[5. 2.3 3.3 1.]	
[5.6 2.7 4.2 1.3]	
[5.7 3. 4.2 1.2]	
[5.7 2.9 4.2 1.3]	
[6.2 2.9 4.3 1.3]	
[5.1 2.5 3. 1.1]	
[5.7 2.8 4.1 1.3]	
[6.3 3.3 6. 2.5]	
[5.8 2.7 5.1 1.9]	
_	
[7.1 3. 5.9 2.1]	
[6.3 2.9 5.6 1.8]	
[6.5 3. 5.8 2.2]	
[7.6 3. 6.6 2.1]	
[4.9 2.5 4.5 1.7]	
[7.3 2.9 6.3 1.8]	
[6.7 2.5 5.8 1.8]	
[5.7 2.5 5.5 1.6]	

```
[7.2 3.6 6.1 2.5]
[6.5 3.2 5.1 2.]
[6.4 2.7 5.3 1.9]
[6.8 3. 5.5 2.1]
[5.7 2.5 5. 2.]
[5.8 2.8 5.1 2.4]
[6.4 3.2 5.3 2.3]
[6.5 3. 5.5 1.8]
[7.7 3.8 6.7 2.2]
[7.7 2.6 6.9 2.3]
[6. 2.2 5. 1.5]
[6.9 3.2 5.7 2.3]
[5.6 2.8 4.9 2.]
[7.7 2.8 6.7 2.]
[6.3 2.7 4.9 1.8]
[6.7 3.3 5.7 2.1]
[7.2 3.2 6. 1.8]
[6.2 2.8 4.8 1.8]
[6.1 3. 4.9 1.8]
[6.4 2.8 5.6 2.1]
[7.2 3. 5.8 1.6]
[7.4 2.8 6.1 1.9]
[7.9 3.8 6.4 2.]
[6.4 2.8 5.6 2.2]
[6.3 2.8 5.1 1.5]
[6.1 2.6 5.6 1.4]
[7.7 3. 6.1 2.3]
[6.3 3.4 5.6 2.4]
[6.4 3.1 5.5 1.8]
[6. 3. 4.8 1.8]
[6.9 3.1 5.4 2.1]
[6.7 \ 3.1 \ 5.6 \ 2.4]
[6.9 3.1 5.1 2.3]
[5.8 2.7 5.1 1.9]
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[6.7 \ 3.3 \ 5.7 \ 2.5]
[6.7 3. 5.2 2.3]
[6.3 2.5 5. 1.9]
[6.5 3. 5.2 2.]
[6.2 3.4 5.4 2.3]
[5.9 3. 5.1 1.8]]
Target Names: ['setosa' 'versicolor' 'virginica']
2 2]
Accuracy= 0.9473684210526315
Predicted Data
[21210111220211122122111200101020110112]
Test data:
[212101111202111122121111200101020110112]
Result is
Total no of samples misclassied = 2
```

```
10. Implement the non-parametric Locally Weighted Regressionalgorithm in order to fit
       data points. Select appropriate data set for your experiment and draw graphs.
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
#the Gaussian Kernel
       def kernel(point,xmat, k):
         m,n = np.shape(xmat)
         weights = np.mat(np.eye((m)))
         for j in range(m):
           diff = point - X[i]
           weights[j,j] = np.exp(diff*diff.T/(-2.0*k**2))
         return weights
#Weigh each point by its distance to the reference point. We are considering
# All points here. If KNN was the topic, we could restrict this to "K"
       def localWeight(point,xmat,ymat,k):
         wei = kernel(point,xmat,k)
         W = (X.T*(wei*X)).I*(X.T*(wei*ymat.T))
         return W
       def localWeightRegression(xmat,ymat,k):
         m,n = np.shape(xmat)
         ypred = np.zeros(m)
         for i in range(m):
# predicted value y = wx. Here w = weights we have computed.
# Remember that both w and x are vectors here (2*1) and (2*1) and (2*1)
# Resultant value of y is a scalar
    ypred[i] = xmat[i]*localWeight(xmat[i],xmat,ymat,k)
         return ypred
# load data points
       data = pd.read csv('LR.csv')
       colA = np.array(data.colA)
       colB = np.array(data.colB)
#preparing and add 1
#convert to matrix form
       mcolA = np.mat(colA)
       mcolB = np.mat(colB)
       m = np.shape(mcolA)[1]
       one = np.ones((1,m),dtype=int)
#horizontally stack
       X= np.hstack((one.T,mcolA.T))
       print(X.shape)
#set k here (0.5)
       vpred = localWeightRegression(X,mcolB,0.5)
       SortIndex = X[:,1].argsort(0)
       xsort = X[SortIndex][:,0]
```

```
fig = plt.figure()
ax = fig.add_subplot(1,1,1)
ax.scatter(colA,colB, color='green')
ax.plot(xsort[:,1],ypred[SortIndex], color = 'red', linewidth=5)
plt.xlabel('colA')
plt.ylabel('colB')
plt.show();
```



