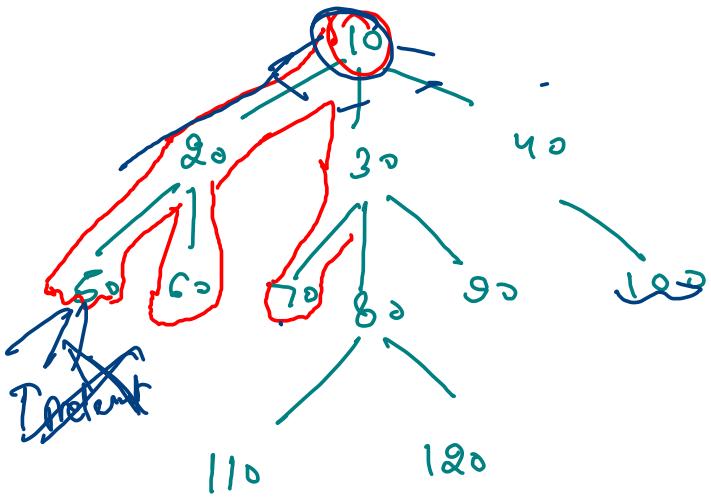


① Why base case is not needed

+

code flow



base case

10 → 20 30 40

20 → 50, 60

50 → •

60 → •

30 → 70 80 90

70 → •

•

•

•

100 → -.

calls → smart call

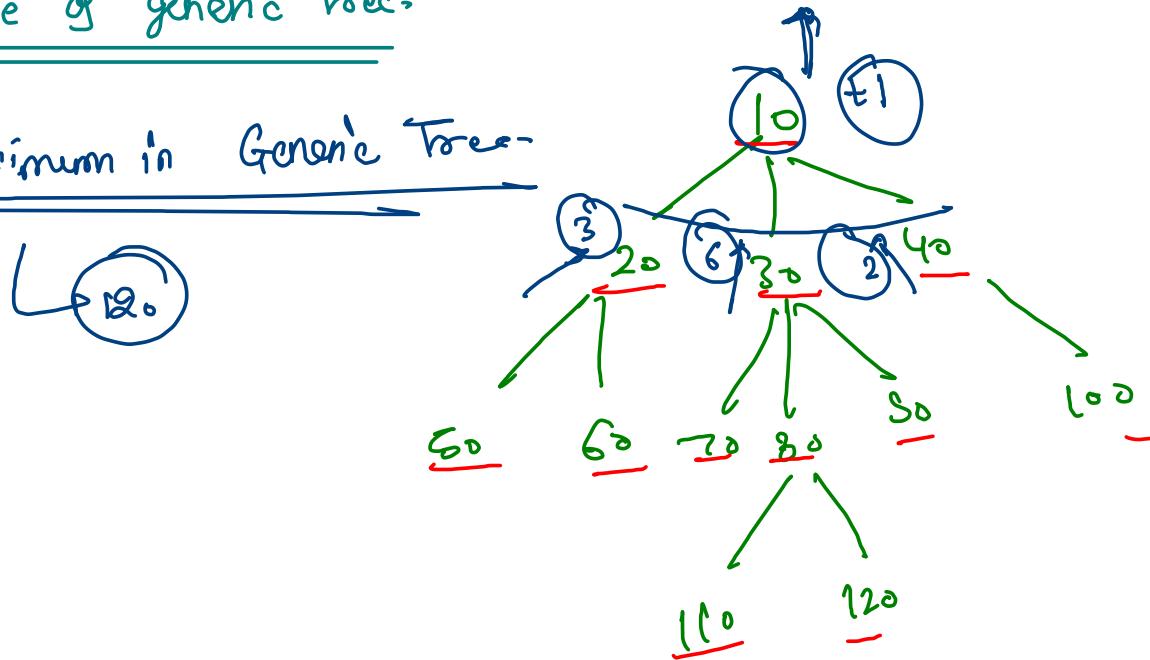
~~node = null~~

```
public static void display(Node node) {  
    // self work  
    System.out.print(node.data + " -> ");  
    for(Node child : node.children) {  
        System.out.print(child.data + " ");  
    }  
    System.out.println(" .");  
  
    // faith work  
    for(Node child : node.children) {  
        display(child);  
    }  
}
```

smart call + stupid base case

size of generic Tree

maximum in Generic Tree



size = 12 -

Expectation →

$$\text{size}(10) \rightarrow 12$$

faith →

$$\begin{cases} \text{size}(20) \rightarrow 3 \\ \text{size}(30) \rightarrow 6 \\ \text{size}(40) \rightarrow 2 \end{cases}$$

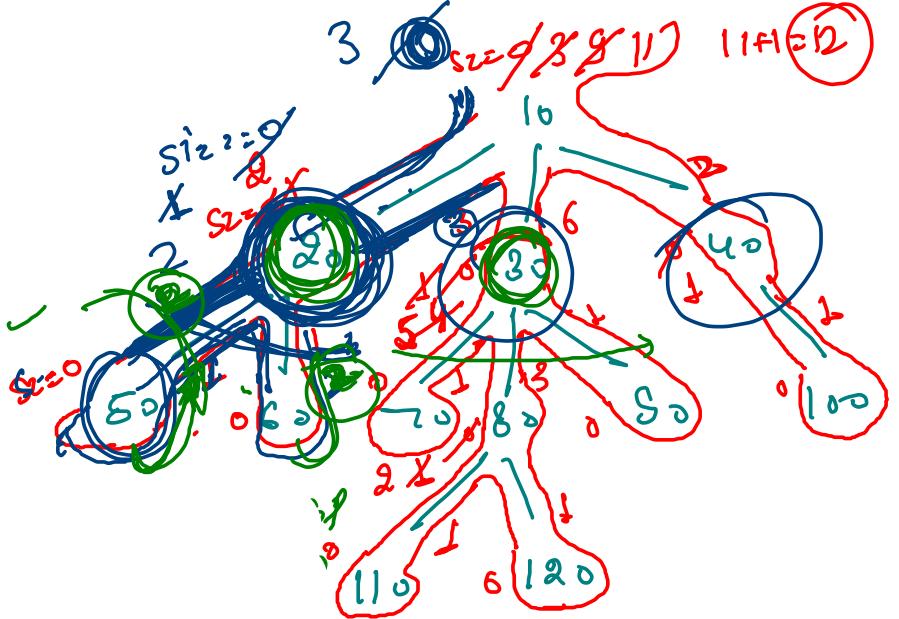
Merging → size = 0

$$\text{size } \pm = \text{size}(50)$$

$$\text{size } \pm = \text{size}(30)$$

$$\text{size } \pm = \text{size}(40)$$

return size $f(1)$

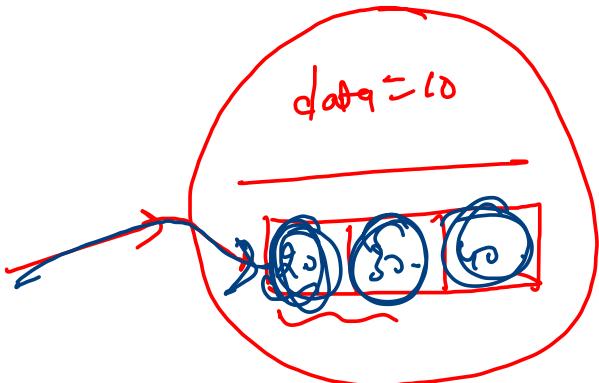


```

public static int size(Node node){
    if(node == null) return 0;
    int sz = 0;
    for(int i = 0; i < node.children.size(); i++) {
        Node child = node.children.get(i);
        sz += size(child);
    }
    return sz + 1;
}

```

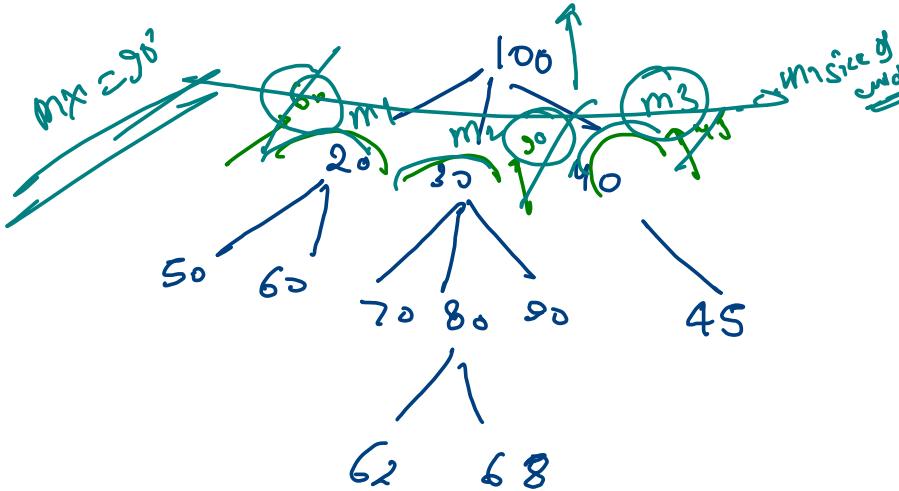
12 is size of overall tree,



③

for(Node child : node.children){
 child
}

Max



Expectation $\Rightarrow \max(100) \rightarrow \max_{\text{overall}}$

faith $\rightarrow \max(20) \rightarrow 60$

$\max(30) \rightarrow 80$

$\max(40) \rightarrow 40$

Merging [Get Max from faith]

final = (m_1 vs. m_2 vs. m_3 ... m_{size})^{V8}
node, data

return x_1 ;

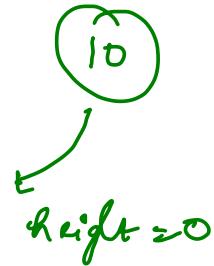
90 vs. 100



Height - Distance of farthest node from root is known as Height

Edge basis →

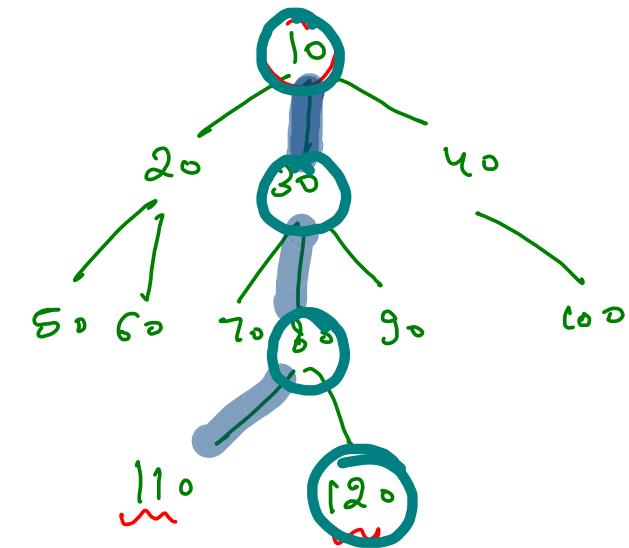
height = 3

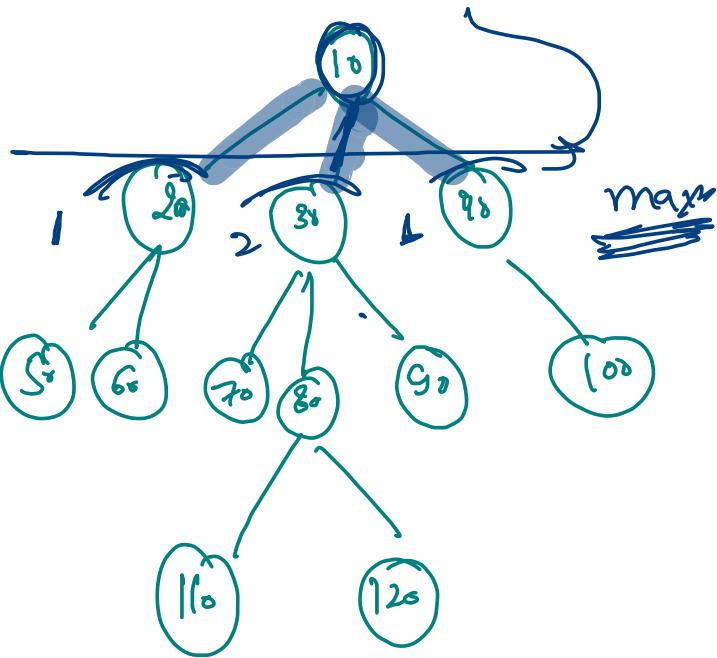


Node basis →

Node basis

Height → 4





height

farthest
distance b/w root
to leaf.

Expectation $\rightarrow \text{height}(10) = 3$

faith $\rightarrow \text{height}(20) \geq 1$

$\text{height}(30) = 2$

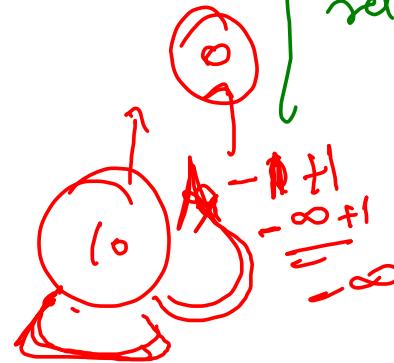
$\text{height}(40) = 1$

max height

maxheight + 1

Initialization

edge level
 $\max = -\infty$
 $\max = -1$



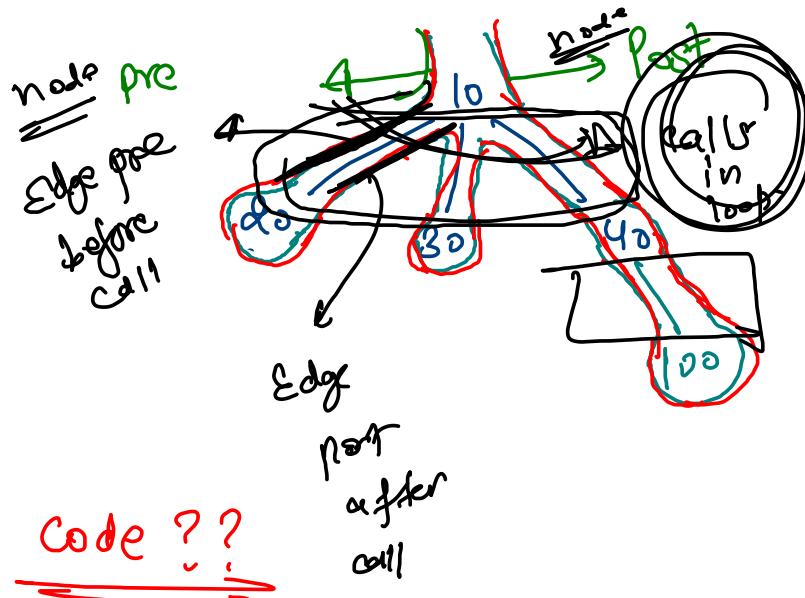
$ht = 0$

node base $\max ht = 0$

node base $\max ht = 0$

node base $\max ht = 0$

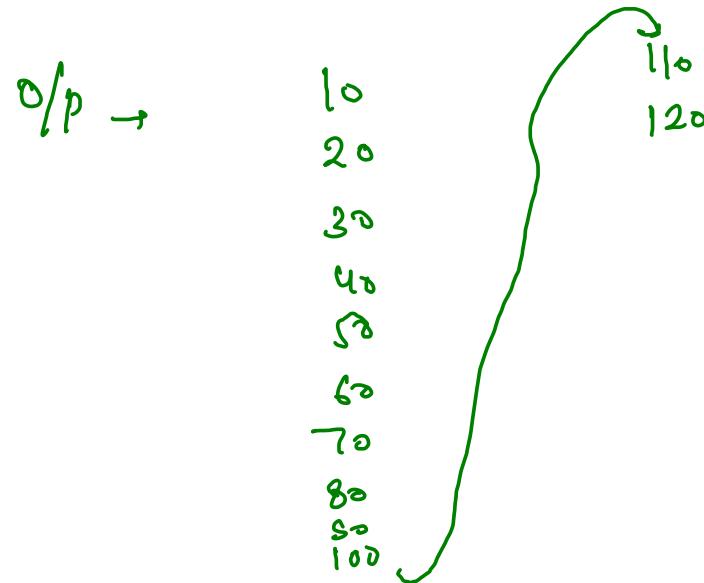
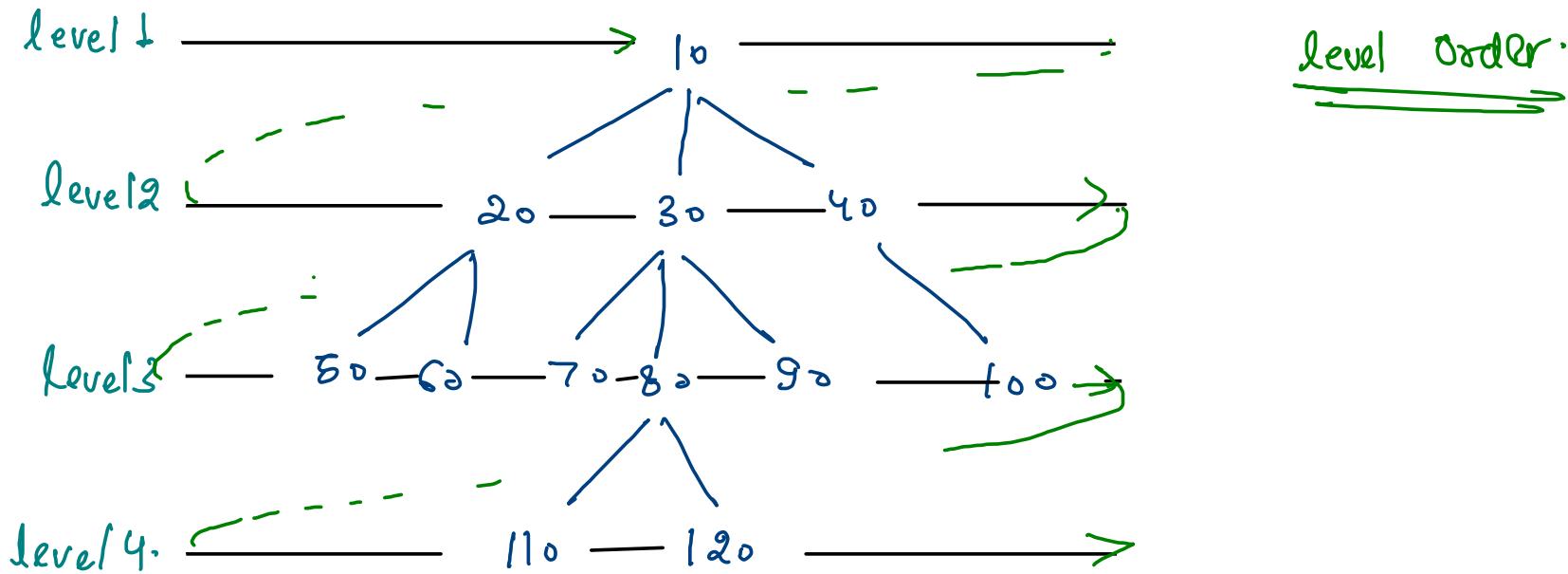
Traversals (PreOrder, Post Order)



Euler traversal

- ✓ Node pre 10
- ✓ Edge pre 10 - 20
- ✓ Node pre 20
- ✓ Node post 20
- ✓ Edge post 10 - 20
- ✓ Edge pre 10 - 30
- ✓ Node pre 30
- ✓ Node post 30
- ✓ Edge post 10 - 30
- ✓ Edge pre 10 - 40
- ✓ Node pre 40
- ✓ Edge pre 40 - 100

- ✓ Node pre 100
- ✓ Node post 100
- ✓ Edge post 40 - 100
- ✓ Node post 40
- ✓ Edge Post 10 - 40
- ✓ Node post 10



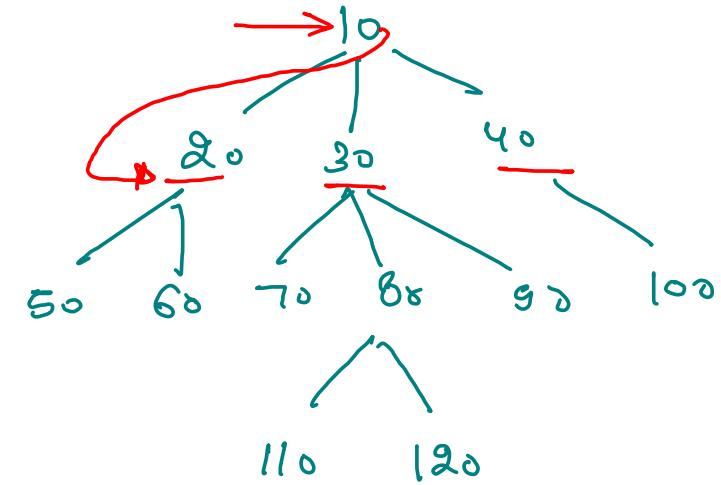
Recursion → Depth-
stack. first

Queue → Breadth
First

Recursion
Recusive
stack

provide priority to
siblings rather than
children.

Queue → FIFO
first in first out



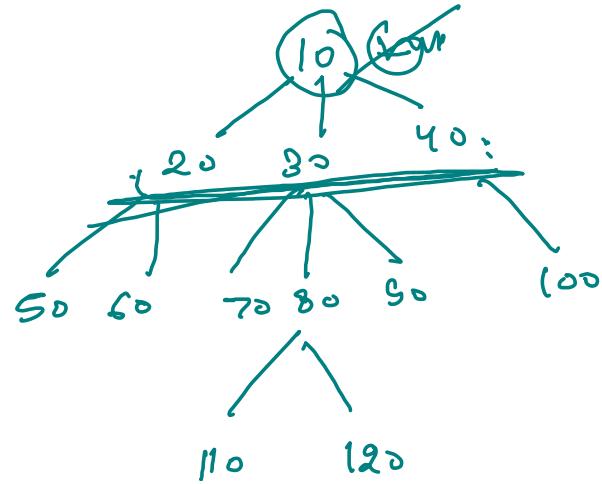
Step for algorithm

while ($q.size() > 0$)

- ① get + rem.
- ② print
- ③ Add children.

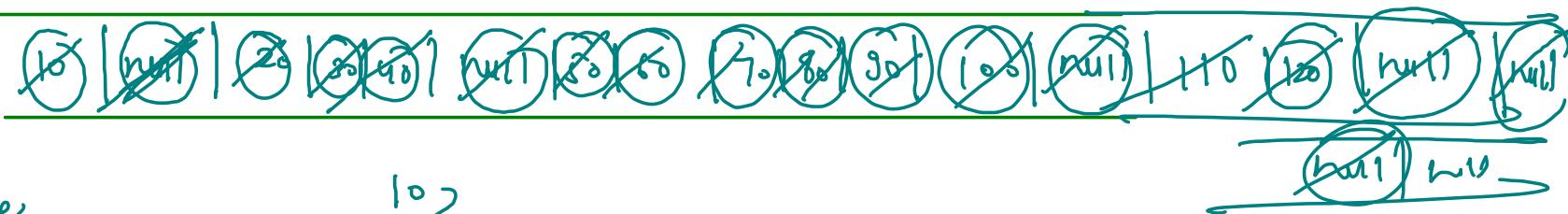
10
20
30
40
50
60
70
80
90
100
110
120

Level Order Line wise



→ 10
→ 20 30 40
→ 50 60 70 80 90 100
→ 110 120

Delimiter] ~~null~~



- ① get + remove
 - ② print if null → enter it if push(null) queue.push()
 - ③ add child
- 10
→ 20 30 40
→ 50 60 70 80 90 100
→ 110 120