

Recursion - When a function calls another function a process of chaining occurs. Recursion is a special case of this process where a function call itself.

Backtracking → Searching Every possible possibility of combination In order to solve a computational problem & abandon a path/ candidate (as soon as possible OR it can determine) that the candidate possibly be completely,

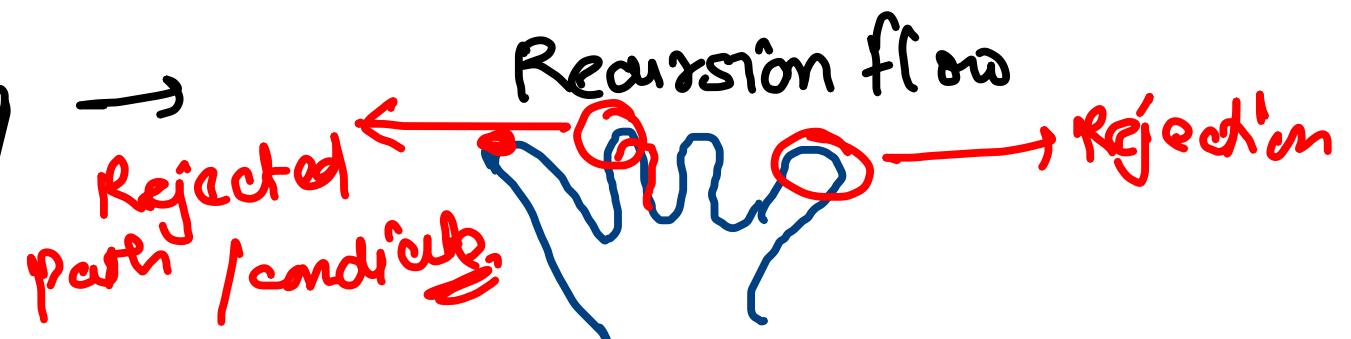
Mapping of Recursion with Backtracking →

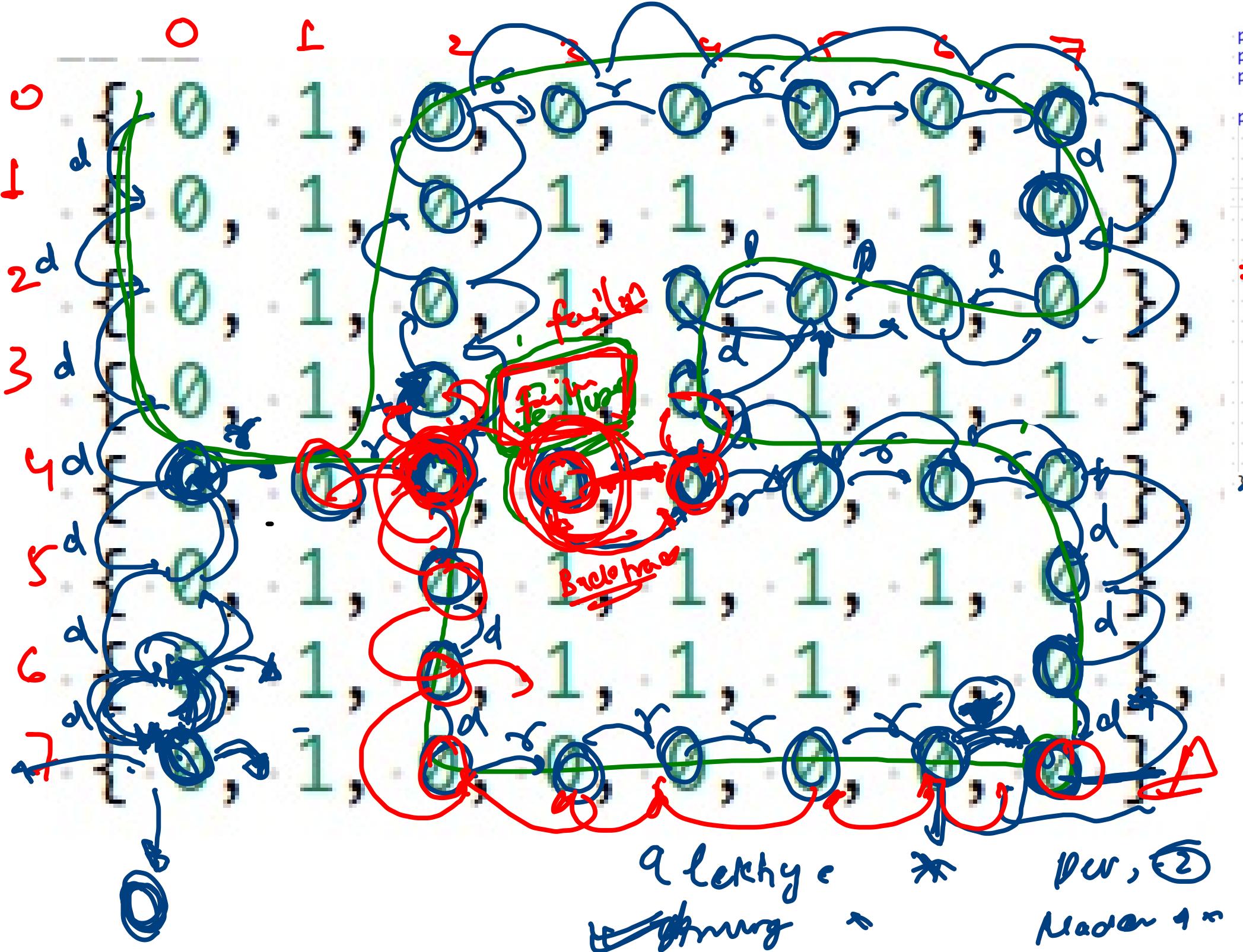
Agenda →

1. Introduction
2. Mapping in Recursion - Backtrack
3. Flood fill → Rat in a maze
4. Target sum subsets.
5. Box Queen.
7. N - Queens .
8. Knights Tour.
9. CRYPTO ARITHMETIC

Floated question →

- print Encoding -
- Get permutation .





```

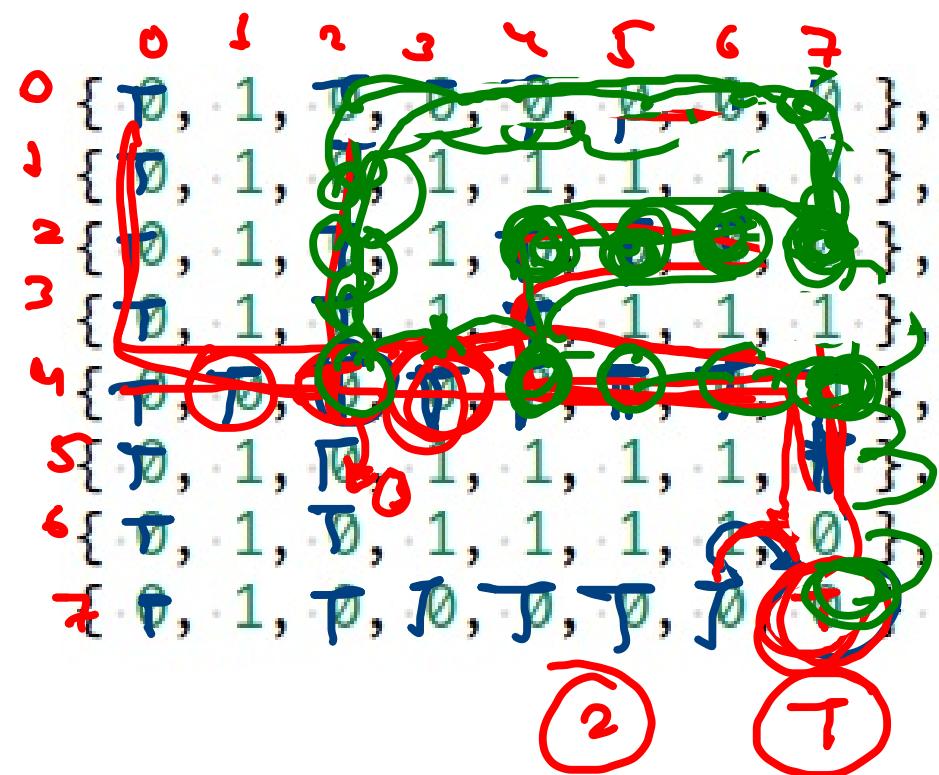
public static int[] xdir = {-1, 0, 1, 0};
public static int[] ydir = {0, -1, 0, 1};
public static char[] dname = {'t', 'l', 'd', 'r'};

public static void floodfill1(int[][] maze, int row, int col, String psf)
    // stupid base case
    if(row == maze.length - 1 && col == maze[0].length - 1) {
        // this is destination
        System.out.println(psf);
        return;
    }

    visited[row][col] = true;
    // make smart calls
    for(int d = 0; d < 4; d++) {
        int x = row + xdir[d];
        int y = col + ydir[d];

        if(x >= 0 && x < maze.length && y >= 0 && y < maze[0].length &&
           maze[x][y] != 1 && visited[x][y] == false) {
            floodfill1(maze, x, y, psf + dname[d], visited);
        }
    }
}

```



Target sum subset →

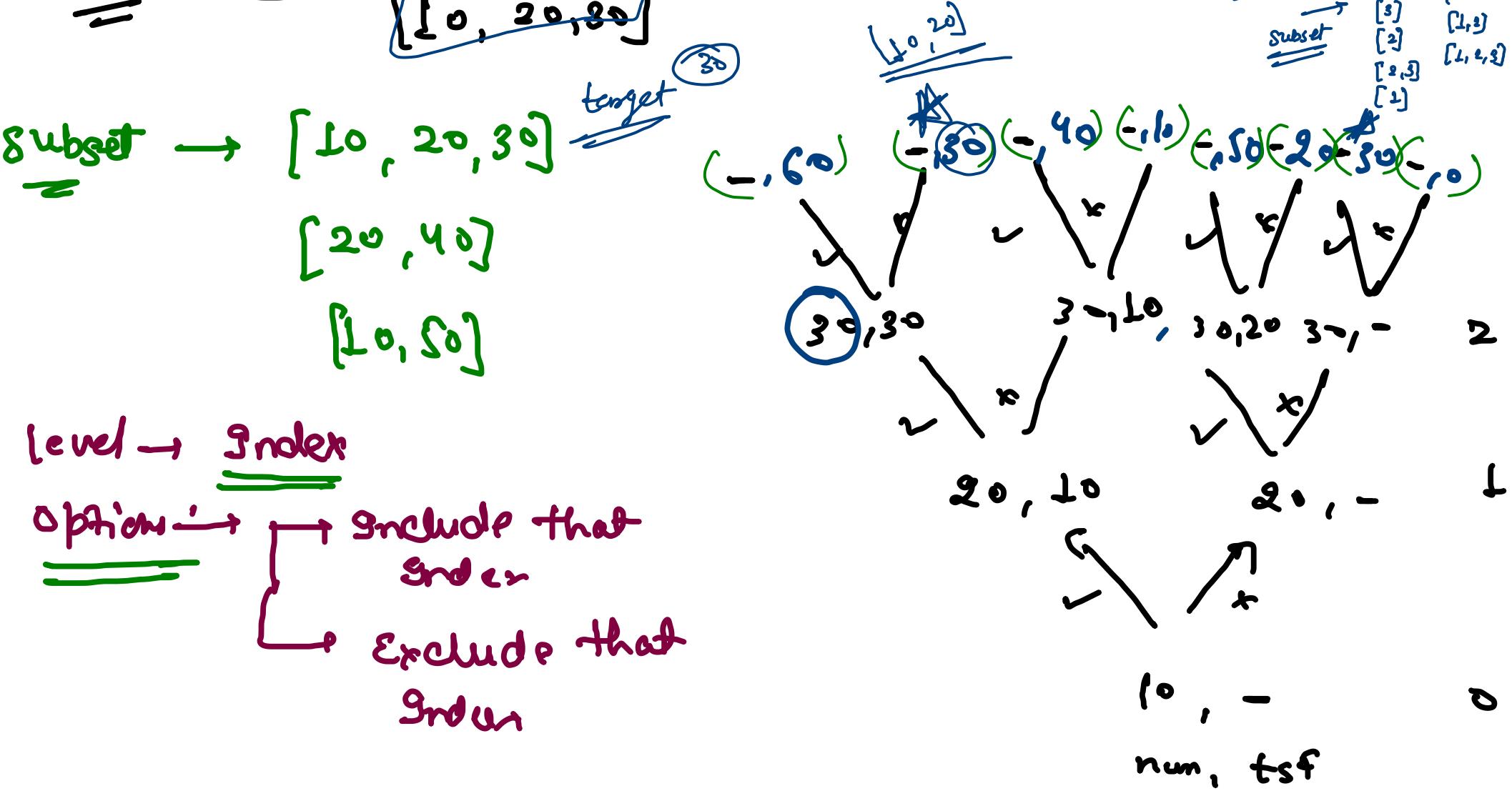
arr = 10 20 30 40 50

target = 60

subset → [10, 20, 30]
 [20, 40]
 [10, 50]

level → index

options → { include that index
 exclude that index }



subset / subsequence

① string → subsequence

array → subset

② no. of subset / subseq → ?

"abc" → no = 2^n

[1, 2, 3] →
 ↓
 subset

$2 \times 2 \times 2 \dots \rightarrow n$
 - - -
 - c -
 - b -
 - bc -
 a - -
 a - c
 a b -
 a b c

subarray / substring

① string → substring.
 array → subarray.

② no. of subarray / substrin → ?

"abc" → [] [a] [ab] [abc]]_n

$$= \frac{3}{2} \times 4 = 6$$

[1, 2, 3] → [] [1] [1, 2] [1, 2, 3]]_n-1

$$= \frac{2}{2} \times 3 = 3$$

[1, 2, 3] → [] [1, 2] [1, 2, 3]]_n-2

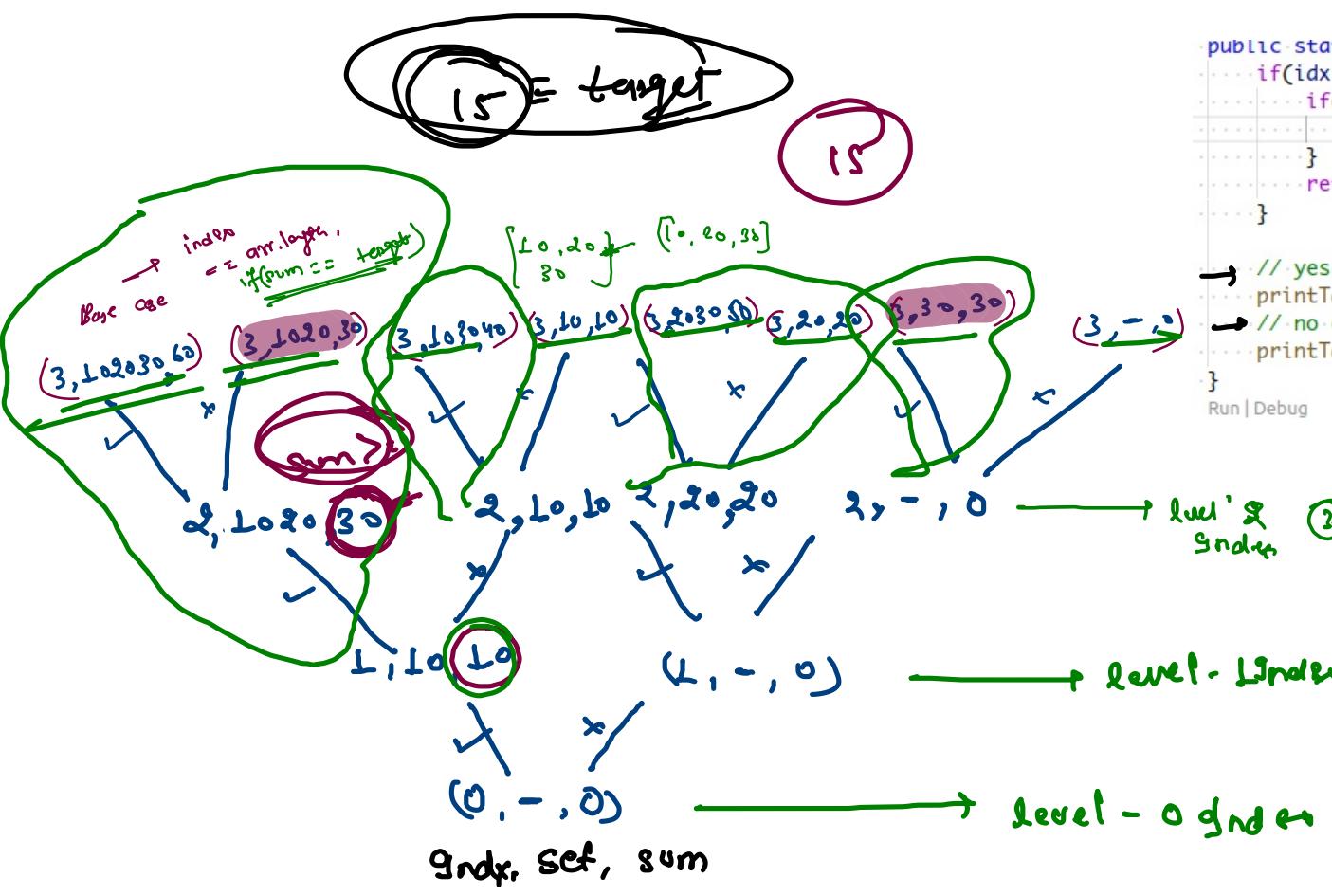
$$= \frac{1}{2} \times 2 = 1$$

no → $\frac{n(n+1)}{2}$

print
 subseq.
 =

[10, 20]
 [30]

10, -
 num, tsf



```

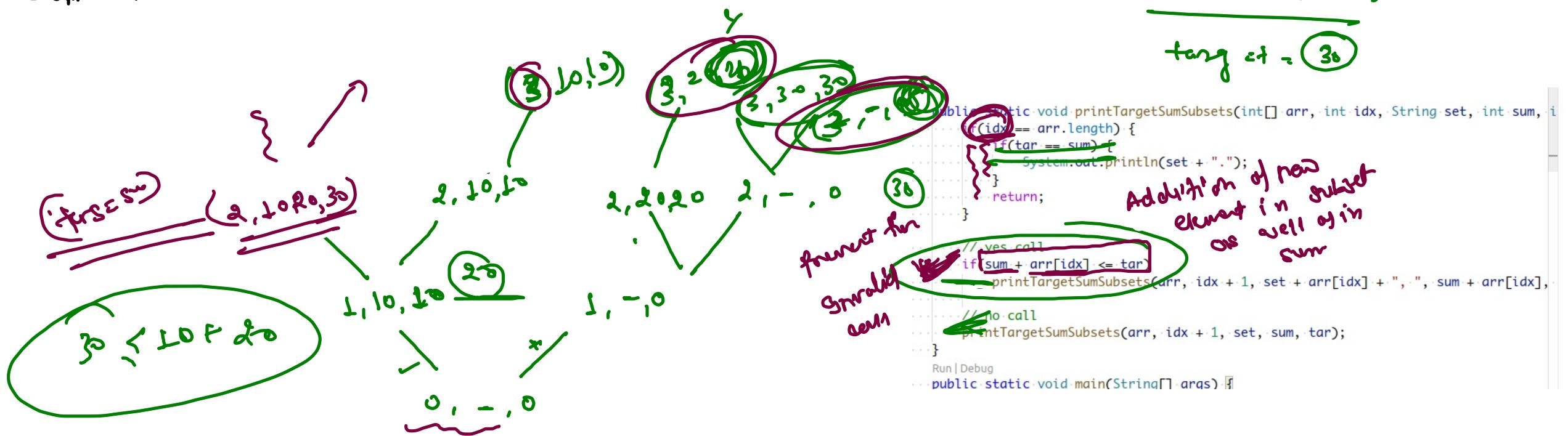
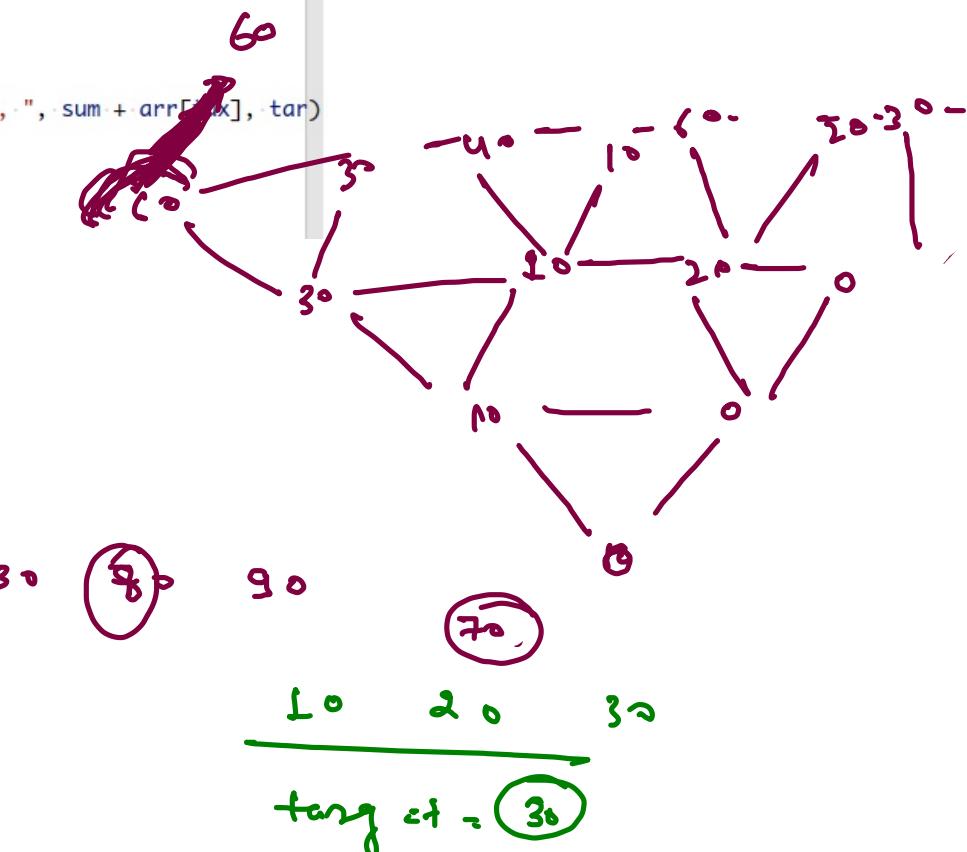
public static void printTargetSumSubsets(int[] arr, int idx, String set, int sum, int tar) {
    if(idx == arr.length) {
        if(tar == sum) {
            System.out.println(set + ".");
        }
        return;
    }

    // yes call
    printTargetSumSubsets(arr, idx + 1, set + arr[idx] + " ", sum + arr[idx], tar);
    // no call
    printTargetSumSubsets(arr, idx + 1, set, sum, tar);
}

Run | Debug

```

level 2
nodes
 $\text{arr} = [1, 2, 3]$
 $\text{target} = 6$



```

public static void printTargetSumSubsets(int[] arr, int idx, String set, int sum, int tar) {
    if(idx == arr.length) {
        if(tar == sum) {
            System.out.println(set + ".");
        }
        return;
    }

    // yes call
    if(sum + arr[idx] <= tar)
        printTargetSumSubsets(arr, idx + 1, set + arr[idx] + " ", sum + arr[idx], tar);
    // no call
    printTargetSumSubsets(arr, idx + 1, set, sum, tar);
}

Run | Debug
public static void main(String[] args) {
}

```

Addition of new element in subset or well as in sum
found for general case

Print Encoding: problematic Situat.

☞ `str.charAt(0) == '0'`



a → 1	f → 12
b → 2	m → 13
c → 3	n → 14
d → 4	o → 15 w → 23
e → 5	p → 16 x → 29
f → 6	q → 17 y → 25
g → 7	r → 18 z → 26
h → 8	s → 19
i → 9	t → 20
j → 10	u → 21
k → 11	v → 22

