

## Diameter L.

```
public static int diameter = 0;
```

```
public static int HeightForDia(Node node) {
    if(node == null) return -1;

    int lh = HeightForDia(node.left);
    int rh = heightForDia(node.right);

    diameter = Math.max(diameter, lh + rh + 2);

    return Math.max(lh, rh) + 1;
}
```

$$lh = 6$$

$$rh = 5$$

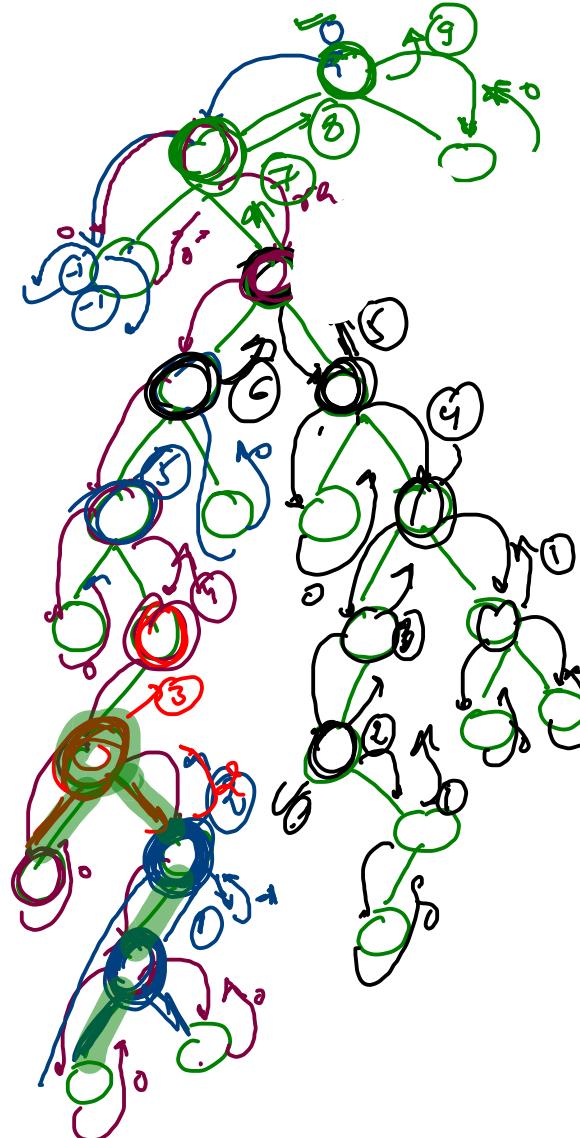
$$\text{diamet}_c = 6 + 5 + 2$$

$$\approx 13$$

diameter =  $\cancel{0} \cancel{2} \cancel{4} \cancel{6} \cancel{7}$

13

(9)



## Diameter.

Expectation  $\rightarrow$  diameter ( $a$ )  $\rightarrow$  overall max. diameter.

faith  $\rightarrow$   $ld = \text{diameter}(b)$   $\rightarrow$  overall diameter of subtree having root is  $b$ .

$rd = \text{diameter}(c)$   $\rightarrow$  overall diameter of subtree having root is  $c$ .

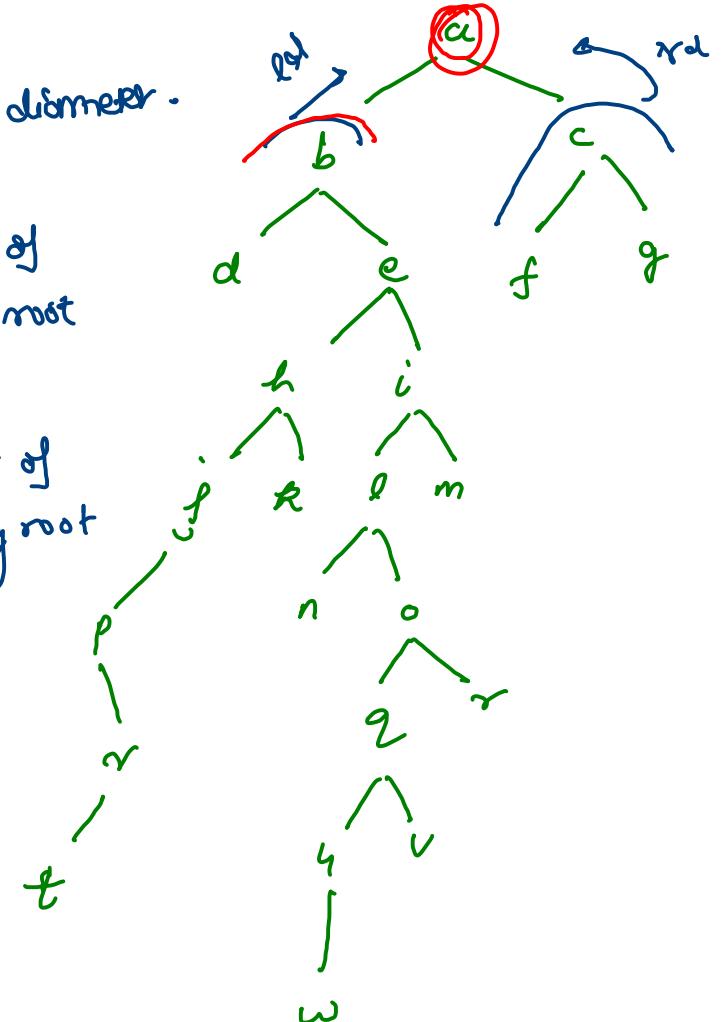
Merging of faith & Expectation:

$lh = \text{height}(\text{node.left});$

$rh = \text{height}(\text{node.right});$

$d = lh + rh + 2;$

return:  $ld$  vs.  $rd$  vs  $d$ ;



complexity wise // -

```
// Diameter 2
public static int diameter2(Node node) {
    if(node == null) return -1;
    int ld = diameter2(node.left);
    int rd = diameter2(node.right);
    int lh = height(node.left);
    int rh = height(node.right);
    int d = lh + rh + 2;
    return Math.max(d, Math.max(ld, rd));
}
```

$\text{height} \geq n = O(n) =$   
 $\text{height}(0) \rightarrow O(n)$

$\text{diameter} = h$   
 $O(n) + \text{height}$

$O(n^2)$

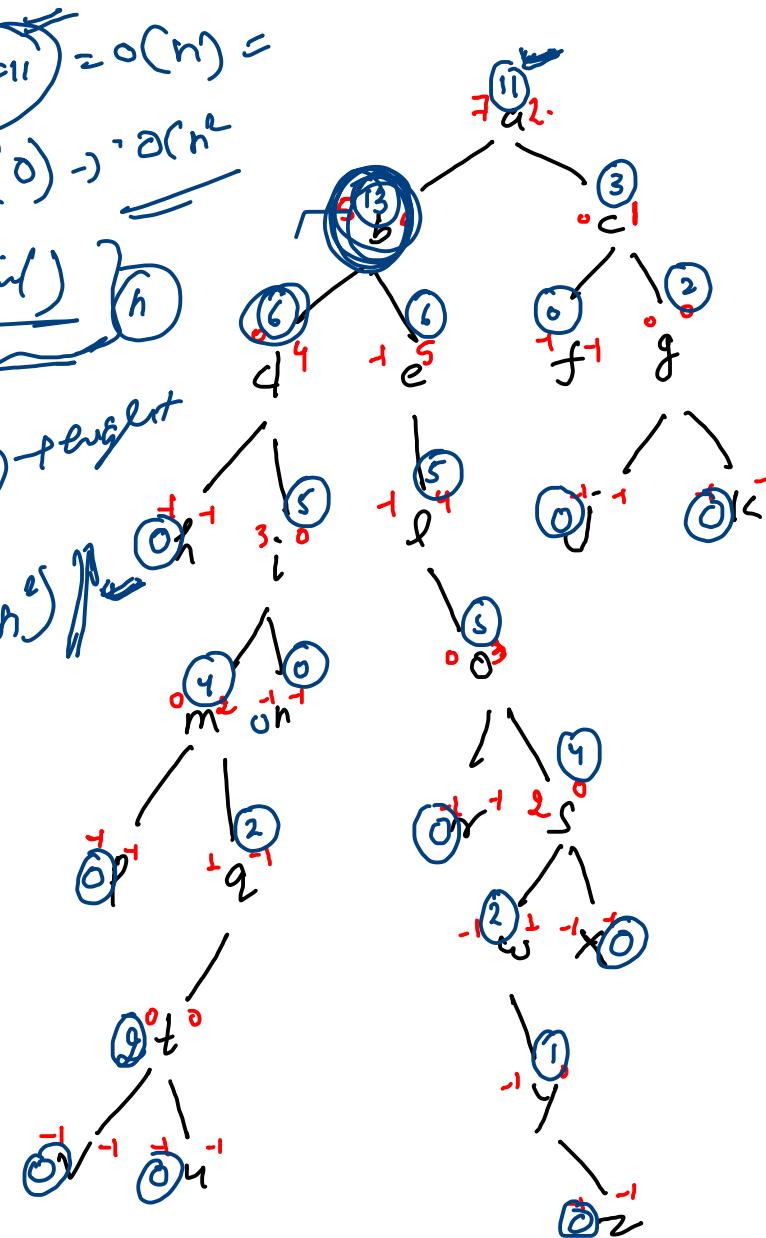
Nadeem: 12.

Alekhya: 17

Devender:

Ammuth: 15.

$\max \approx 13$



Diameter .3

A →

left height

left diameter.

B → Right height

Right Diameter

on Node 'a'

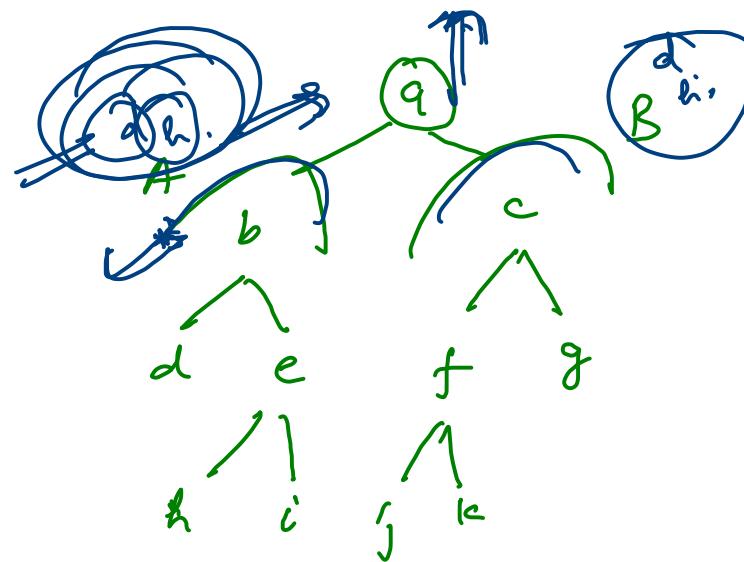
$lf =$

$rd =$

$lh =$

$rh =$

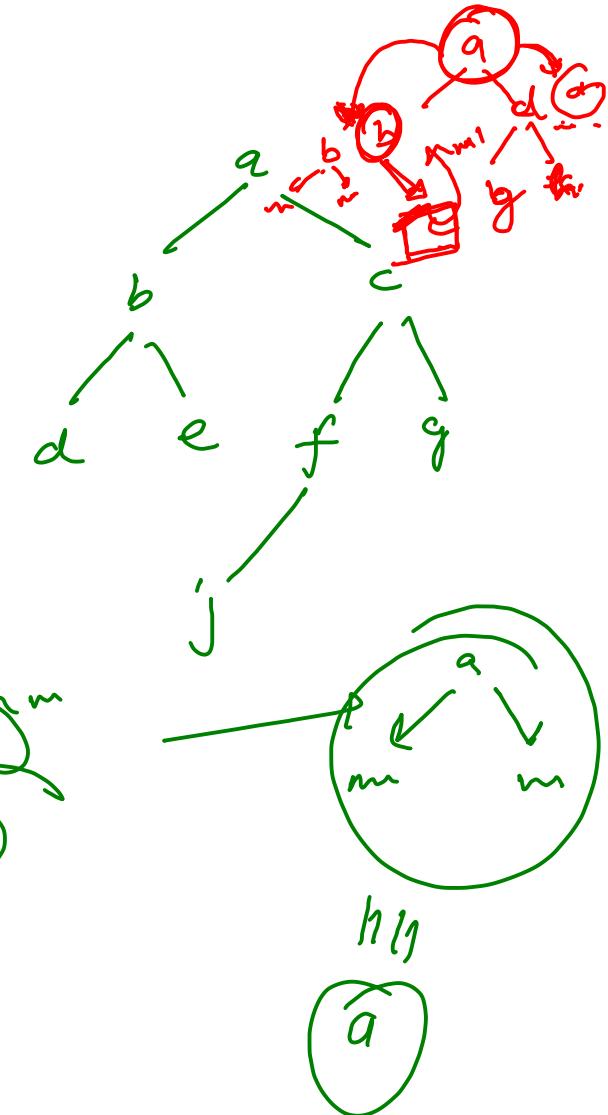
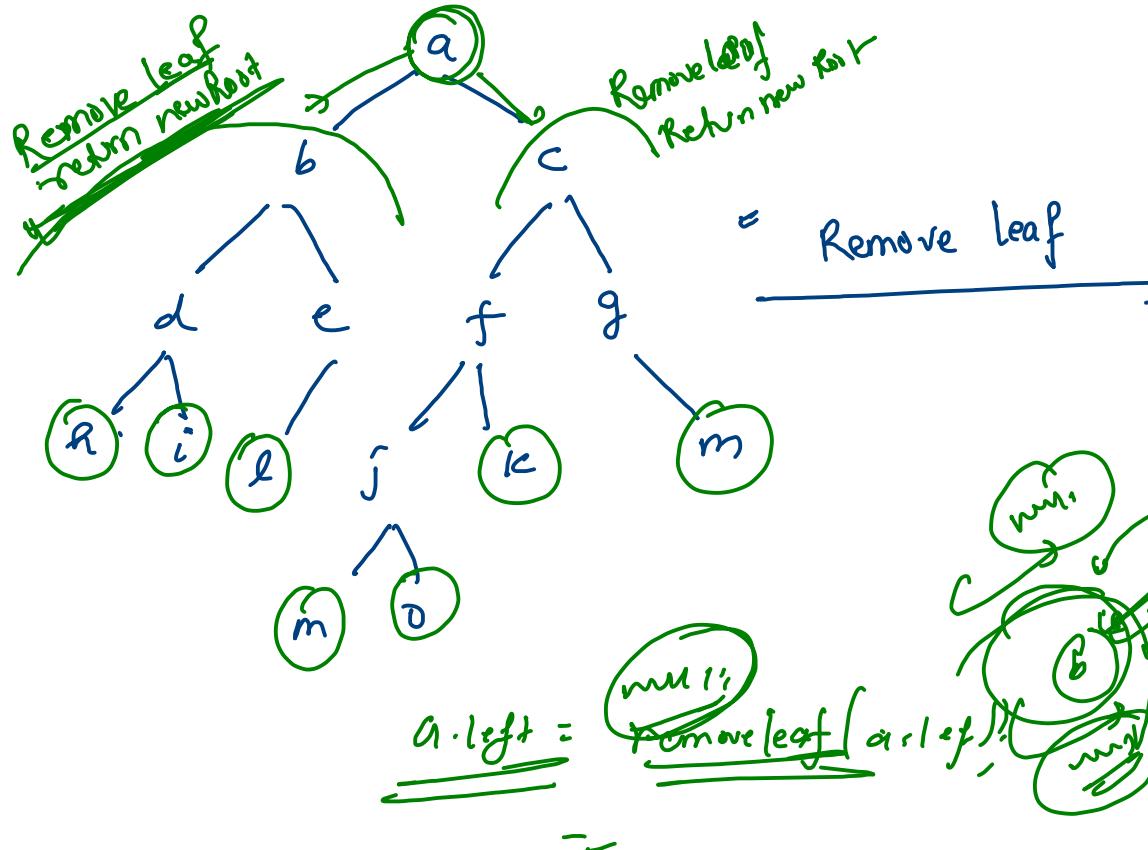
$d = lh + rh + 2;$



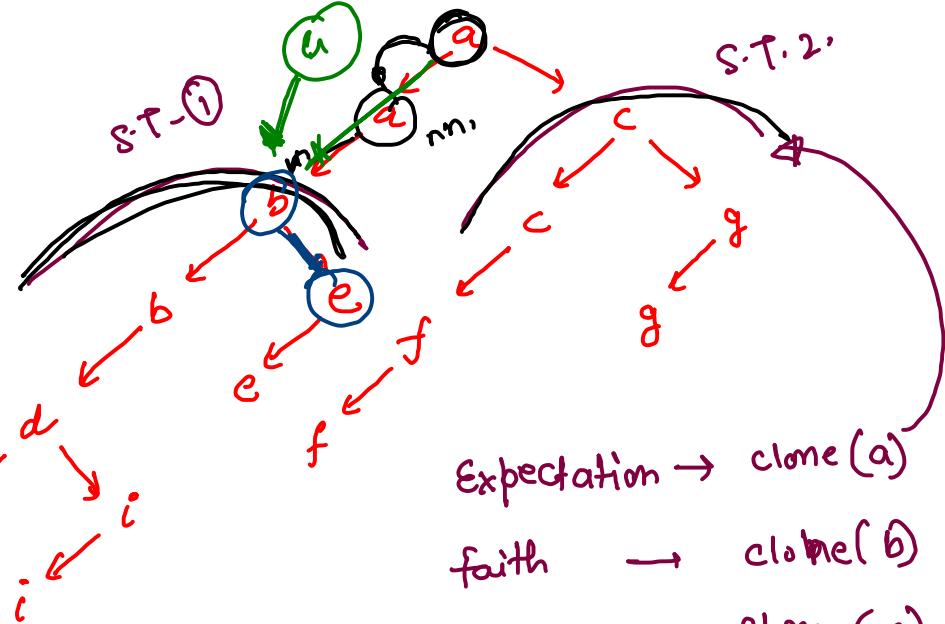
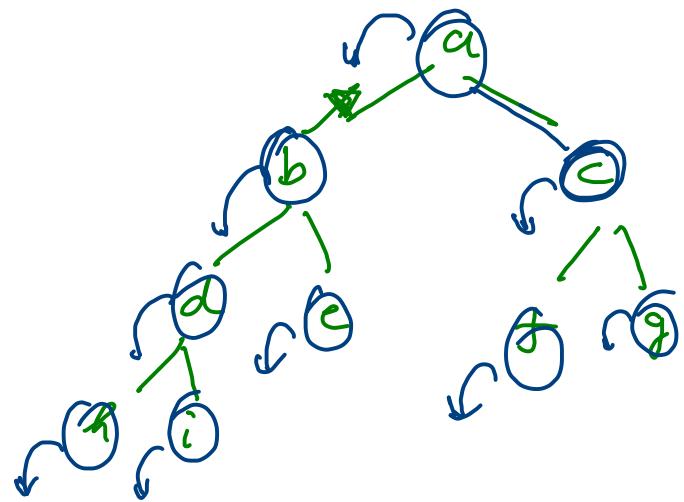
$return \left( \begin{array}{c} \text{height,} \\ \text{diameter} \end{array} \right)$   
 $Rd.h\_max(lh, rh) + 1;$   
 $ld \leq Rd \leq rs$   
 $(lh + rh)$

Remove leaves

leaf  $\rightarrow$  [left == NULL  
right == NULL]. I am leaf



## left Clone tree



Expectation  $\rightarrow \text{clone}(a)$   
faith  $\rightarrow \text{clone}(b)$  S.T. 1  
 $\text{clone}(c)$  S.T. 2.

## steps:

```
Node nn = new Node(root.left);  
nn.left = node.left;
```

node.left = nn;

node = a

merging  $\rightarrow$  add a clone  
Node c on  
left of root  
& make nn.left  
= actual left  
of Root

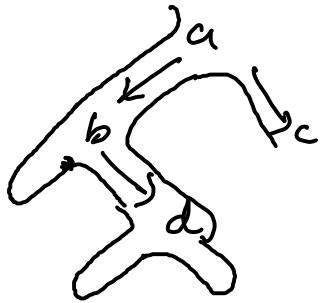
```

public static Node createLeftCloneTree(Node node
{
    // write your code here
    if(node == null) return null;

    node.left = createLeftCloneTree(node.left);
    node.right = createLeftCloneTree(node.right);

    // steps of cloning
    Node nn = new Node(node.data, null, null);
    nn.left = node.left;
    node.left = nn;
    return node;
}

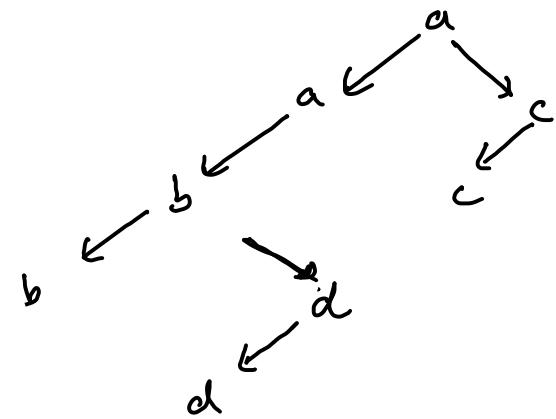
```



Expectation →  $\text{clone}(a) \rightarrow \text{clone complete tree.}$

faith →  $\text{clone}(a.\text{left}) \rightarrow \text{clone complete subtree } \textcircled{1}$

$\text{clone}(a.\text{right}) \rightarrow \text{clone complete subtree } \textcircled{2}$



Method 1

$a.\text{left} = nn;$

$nn.\text{left} = b$

??

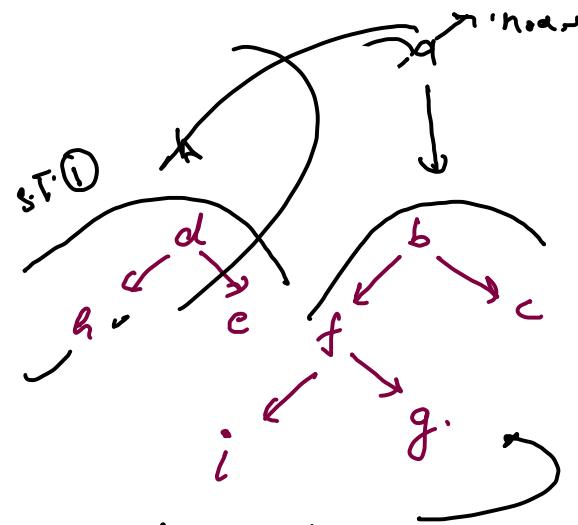
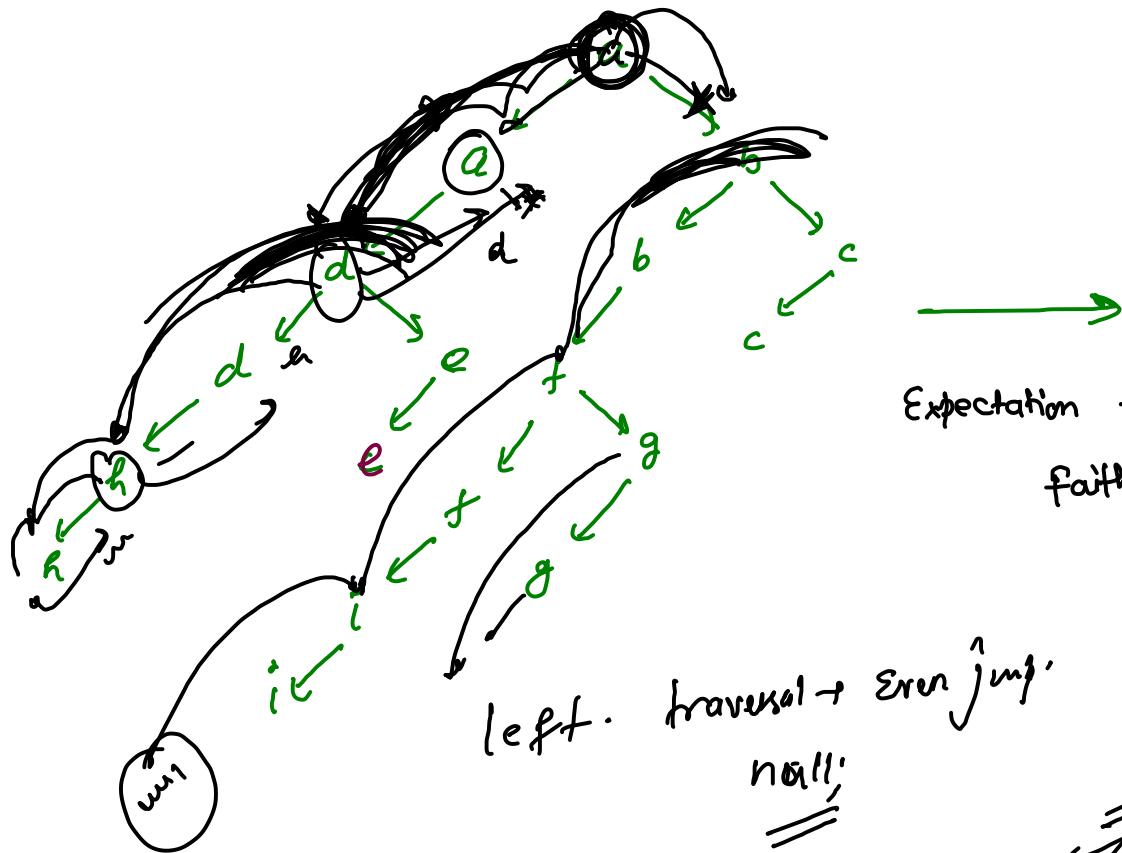
=

Method 2

$nn.\text{left} = a.\text{left}$

$a.\text{left} = nn,$

Transform a left Cloned Tree to Original form.



Expectation → reset(a) →  
faith → → reset(a, left)

tion → reset(a) →  
 faith → - reset(a.left.left); ST. ① root  
 reset(a.right) → ST. ② most

`node.left = node.left.left;`  
`return node;`

nail  
—



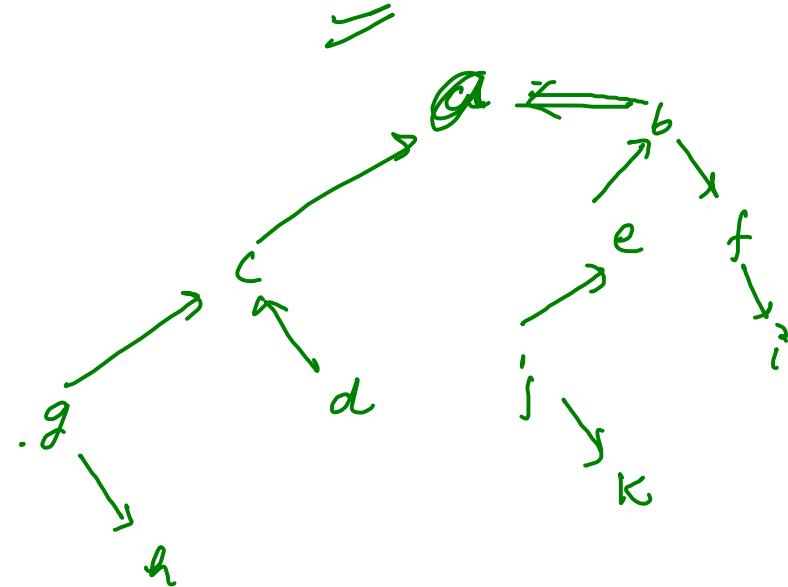
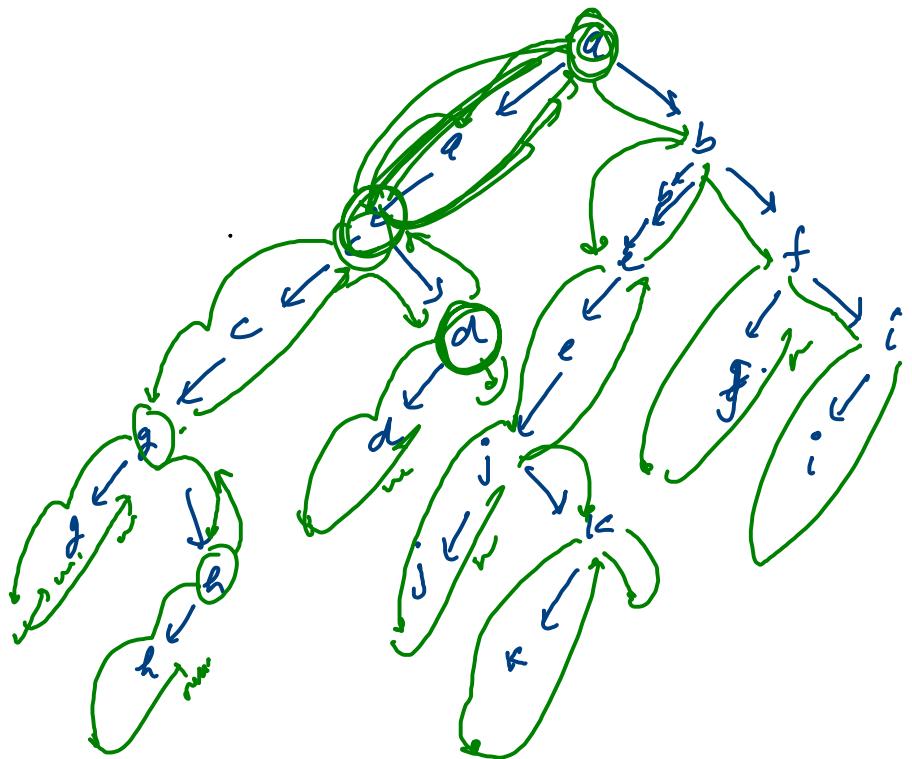
```

public static Node transBackFromLeftClonedTree(Node node){
    // write your code here
    if(node == null) return null;

    node.left = transBackFromLeftClonedTree(node.left.left);
    node.right = transBackFromLeftClonedTree(node.right);

    return node;
}

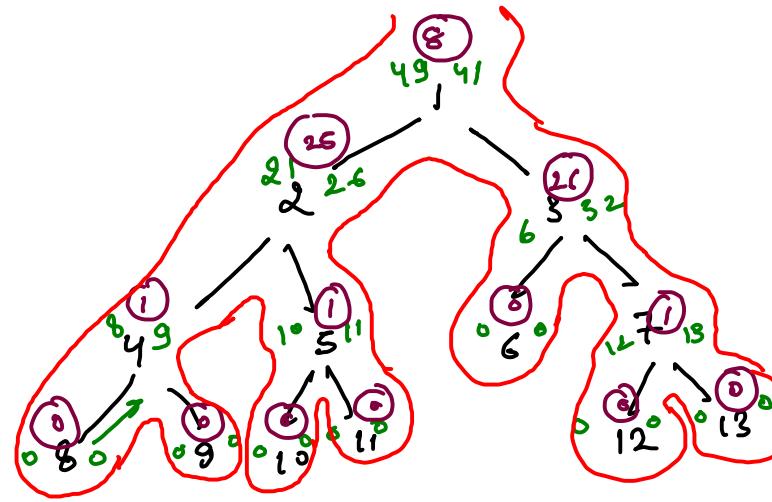
```



## Tilt of Binary Tree

$$\text{Tilt} = \left| \begin{array}{c} \text{Left} \\ \text{subtree} \\ \text{sum} \end{array} - \begin{array}{c} \text{Right} \\ \text{subtree} \\ \text{sum} \end{array} \right|$$

Node    Lsum    Rsum    Tilt



Tilt = overall sum of all tilts

$$0 + 0 + 1 + 0 + 0 + 1 + 0 + 0 + 0 + 1 + 26 + 8.$$

$$= 37 \rightarrow$$

Travel & change strategy.

Travel → for sum  
change → tilt variable.

Diameter  
→ Travel for height  
height - Diameter

Tilt  
→  
Travel - sum  
change → tilt

Size, Sum, Max, min, Height, dia, filt.

→ single generation ??

~~Class~~

No static var. allowed

linearise -

Expectation  $\rightarrow$  linearise (a)

```

graph TD
    A[faith] --> B["linearise (b)"]
    C[children] --> D["linearise (c)"]
    E["of or"] --> F["linearise (a)"]

```

~~get last Child~~ → d

$\Rightarrow$   $\delta^-$  ~~unstable~~ (at) Chiral

remove last child  
 get last child - c  
 get tail of ~~last child~~  
 n child (c)

