

R Rooms and Q queens :-

① Room R, Q queens.

Combination.

Permutation of single combination

② Room R, Q queens.

Permutation

①	q ₂	q ₃	q ₁	
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$$R = 4, Q = 3 \text{ (object)}$$

combination.

①	q ₁	q ₂	q ₃	
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⑥ permutation

②	q ₂	q ₁	q ₃	
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③	q ₁	q ₂	q ₃	
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④	q ₁	q ₃	q ₂	
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⑤	q ₃	q ₁	q ₂	
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⑥	q ₃	q ₂	q ₁	
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⑦	q ₂	q ₃	q ₁	
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⑧	q ₂	q ₁	q ₃	
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$$\text{Total Per} = 24$$

$$= 12 \times 2 = 24$$

$$= \frac{4!}{11}$$

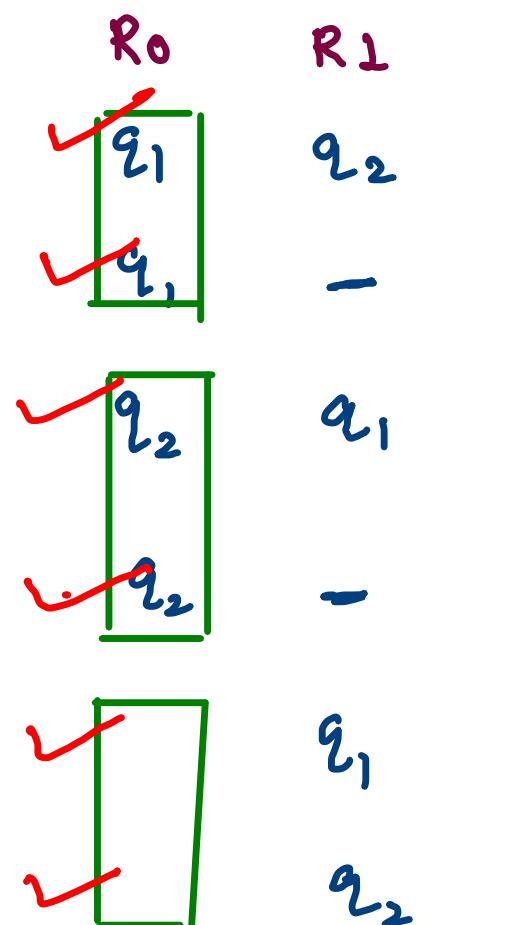
$$= \frac{4 \times 3 \times 2 \times 1}{11}$$

Permutation of R Rooms and Q queens?

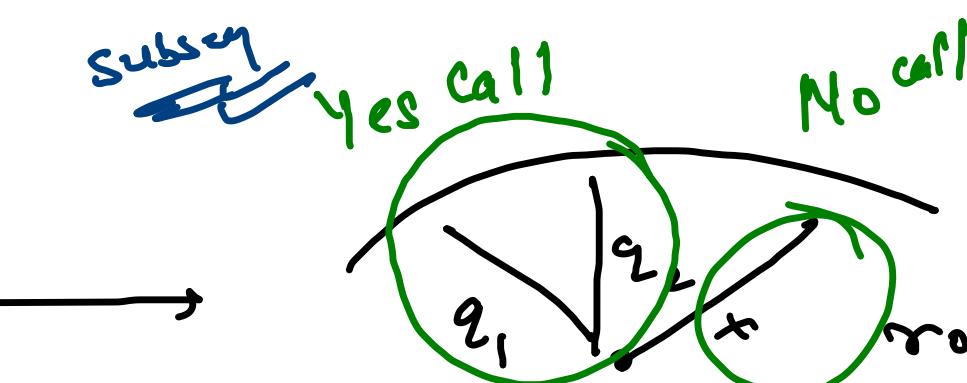
(In permutation queen number is also important in placing)

$R=3$ $G=2$

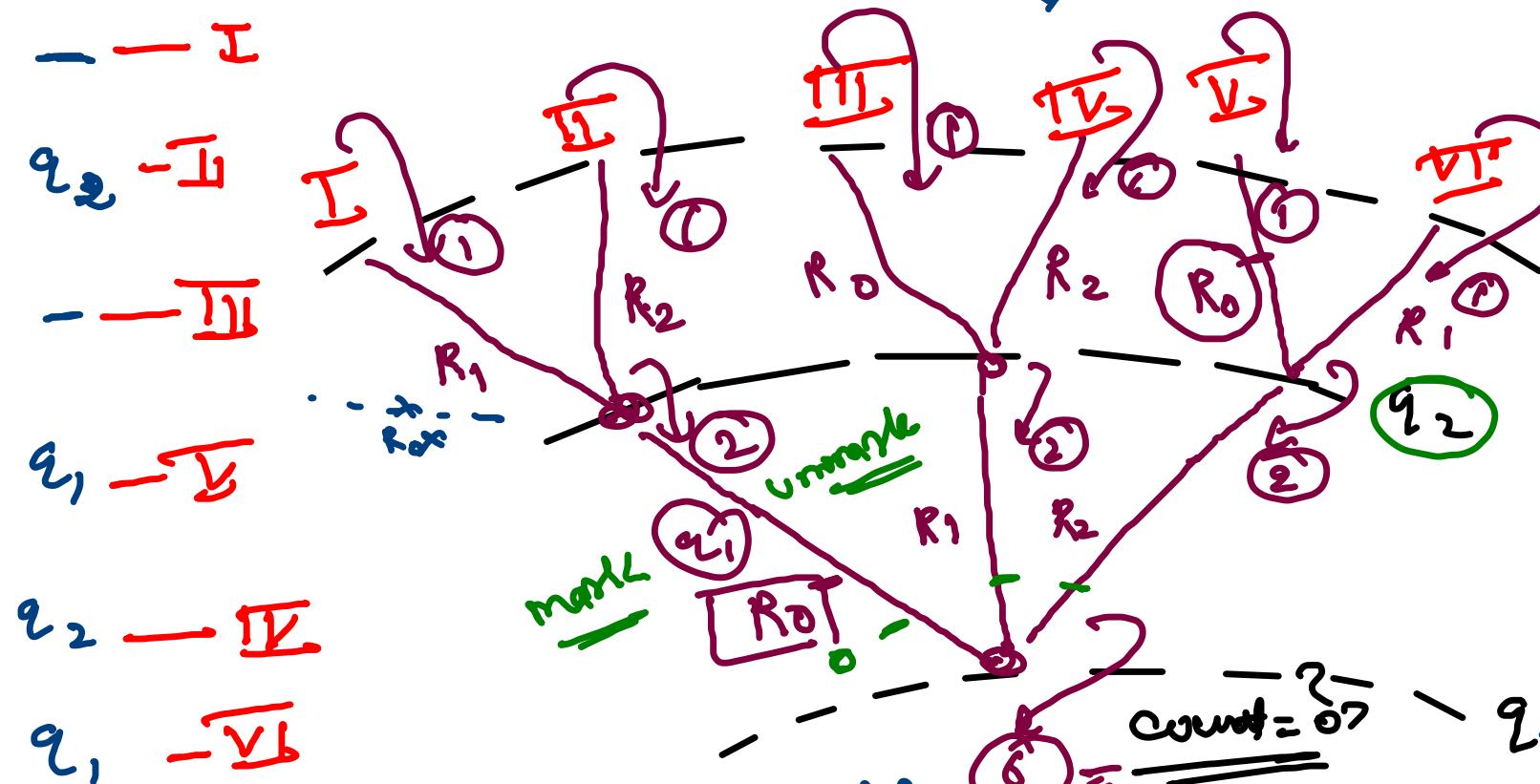
$${}^3P_2 = \frac{3!}{1!} = 3 \times 2 = 6$$



Queens . Room



subseq



989

www \rightarrow Comb kind
queen
is placed ↓ queen ↘
 $f = 0 \rightarrow$ queen
no open /

Q p s f
= queen space
so far.

no. of Rooms → boolean Room

no . 89 queos

$$qpsf = \alpha$$

point → as

variables.

- ① queen placed so far (q_{psf}) = 0 initially.
- ② Total queens = $q = 3$.
- ③ Room's board size - ($R = 4$) size.
- ④ answer so far (asf) append.

$q=2$

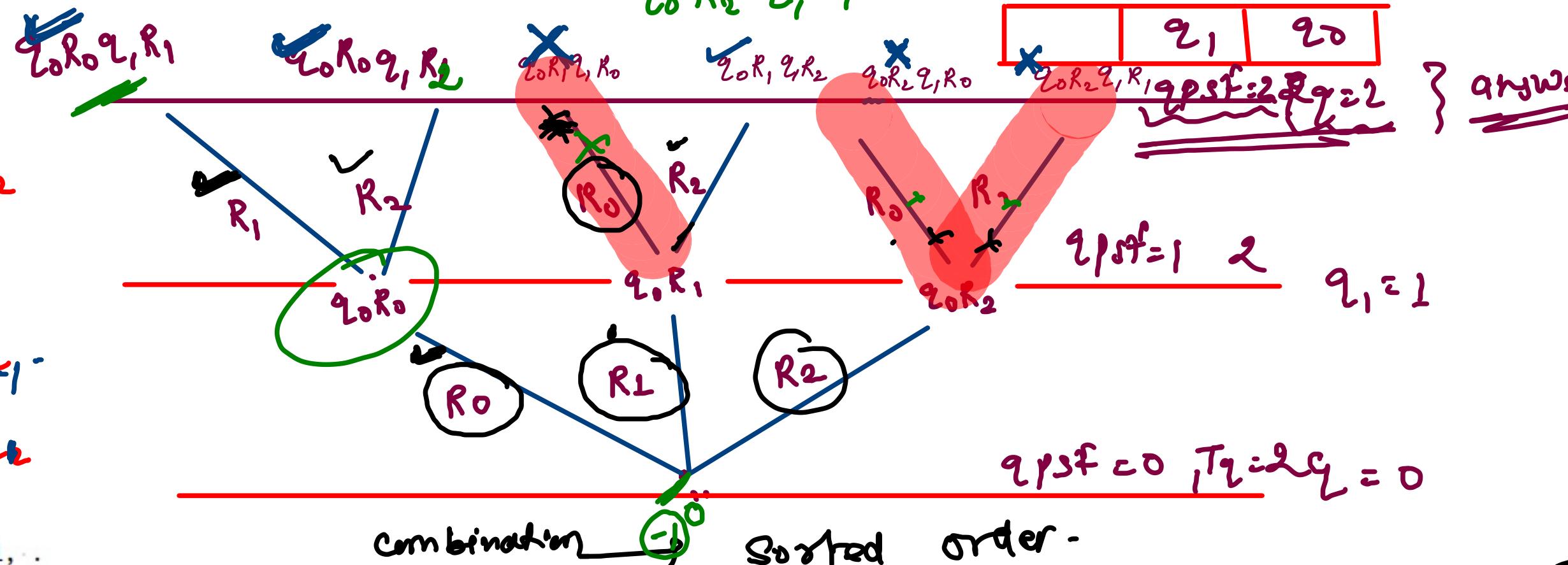
$R=3$

$${}^3C_2 = \frac{3!}{2!1!} = 3 \times 2! = 3$$

$q=2$

$R=3$

Combination,



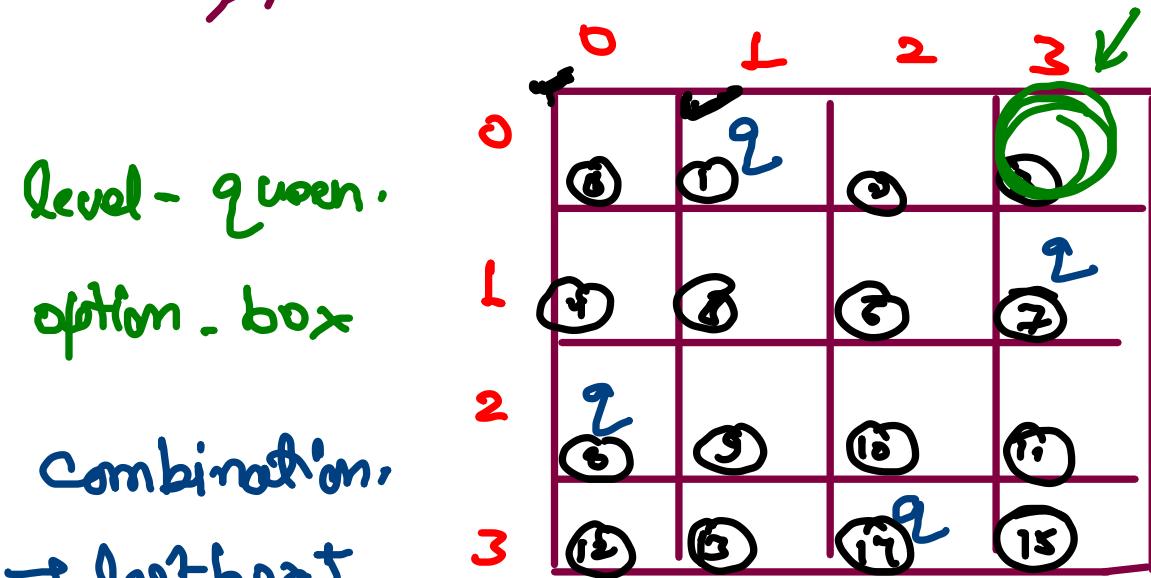
output.exe

- 1 R0Q0, R1Q1, ..
- 2 R0Q0, R2Q1, ..
- 3 R1Q0, R2Q1, ..
- 4

last room occupied = r -
for current 'level' - try from $r+1$

N Queens →
 $n > 4$.

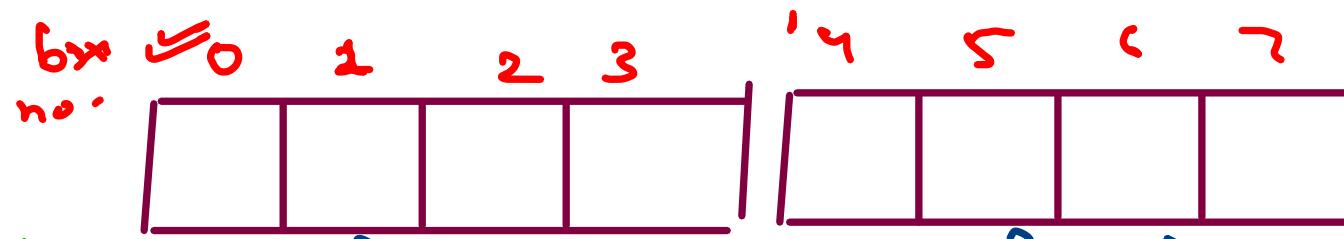
$n \times n \rightarrow$ chess board
 n - queens placed.



combination,
→ last box

Convert 2D array into 1D →

assume all the boxes are 1D



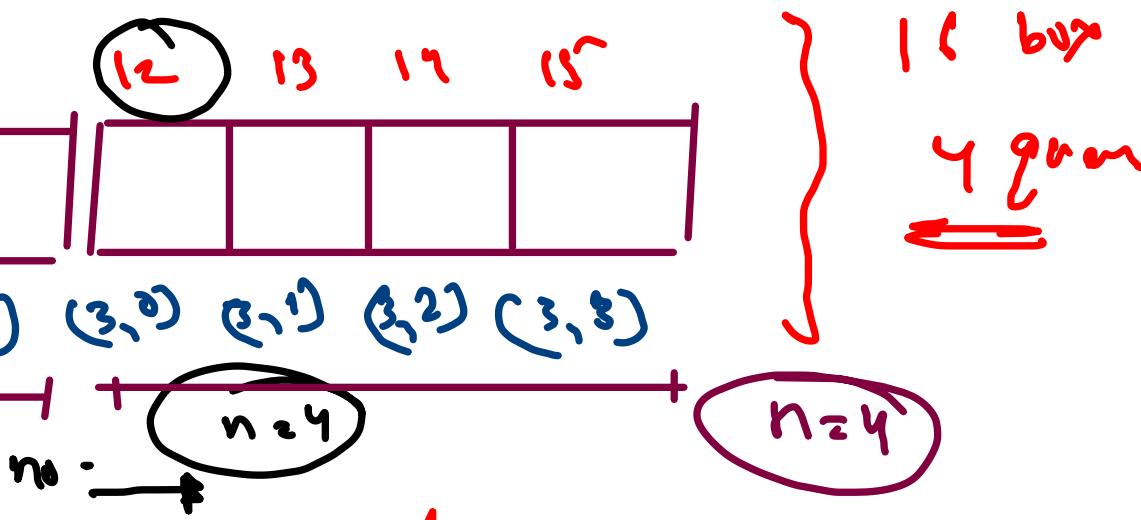
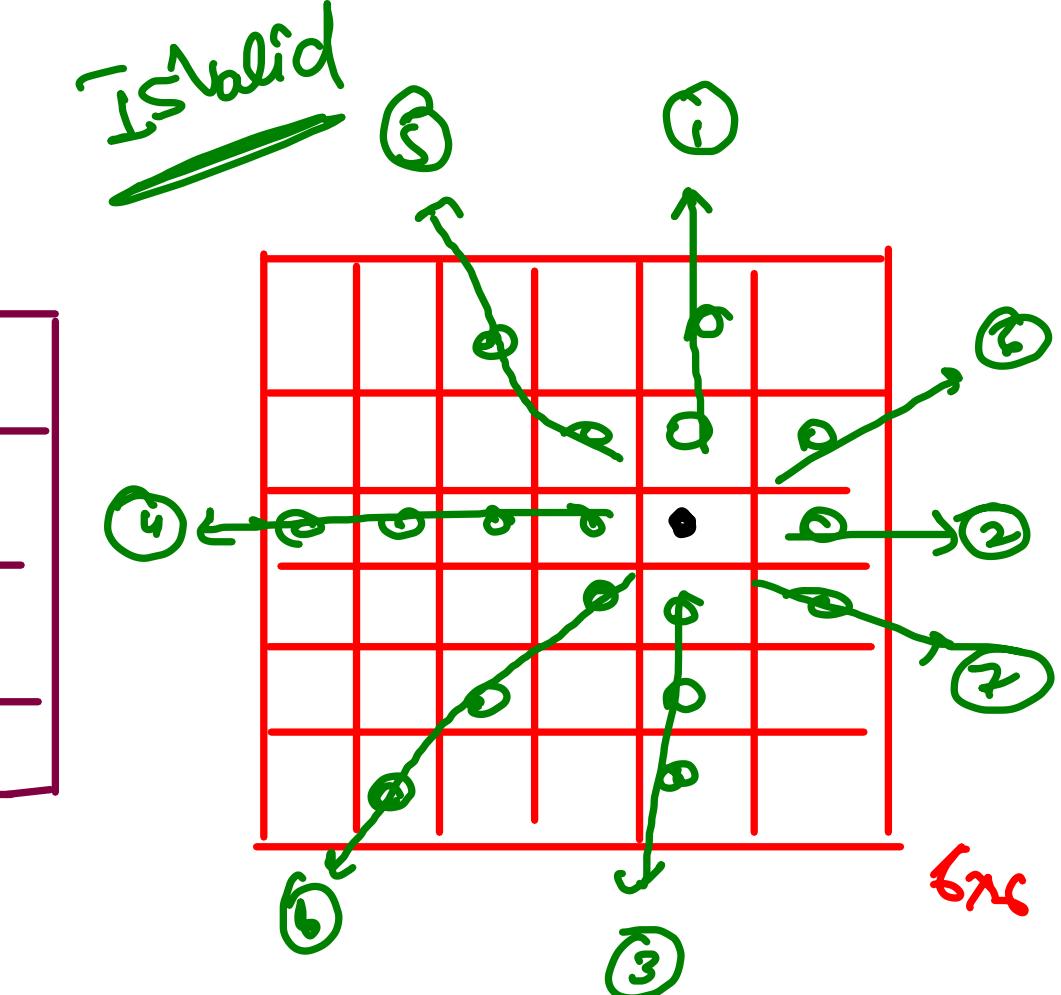
Actual \Rightarrow (0,0) (0,1) (0,2) (0,3) (1,0) (1,1) (1,2) (1,3) (2,0) (2,1) (2,2) (2,3) (3,0) (3,1) (3,2) (3,3)

can we extract Row & Col from box no?

Relation b/w box No. & (Row & Column)

$$R = \frac{box\ no.}{Total\ Column}$$

$$C = box\ no \% Total\ Column$$



Knights Tour → Knight can visit all the cells exactly once -

r, c
 $\begin{pmatrix} \downarrow & \downarrow \\ 2 & 0 \end{pmatrix}$

	0	1	2	3
0				
1		0		
2			4	
3				

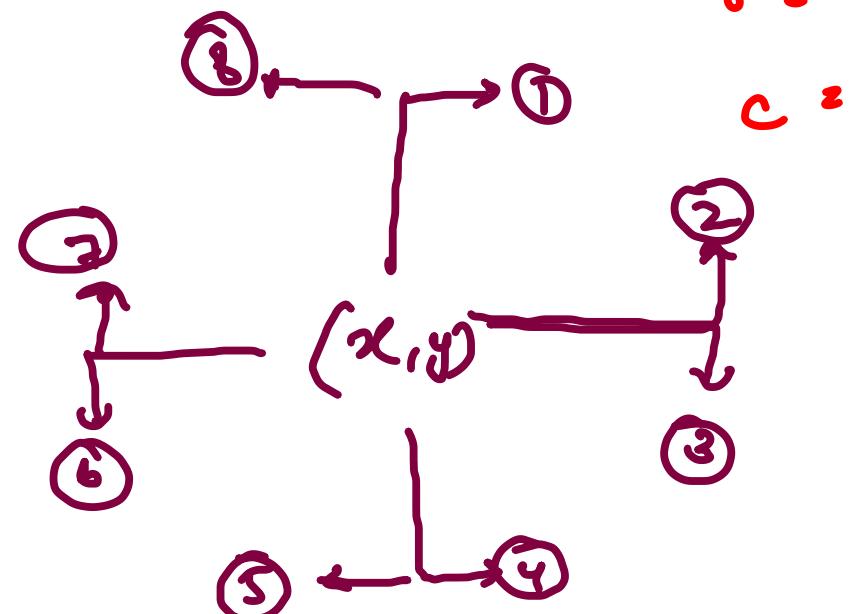
level → base case

option calls

XSF

	0	1	2	3	4
0	20	2	13	8	23
1	12	7	24	3	14
2	1	18	15	22	9
3	6	11	20	17	4
4	19	16	5	10	21

$$5 \times 5 = 25$$



Sign value for option
Committed & valid

Jumps of knight → also responsible for calls
Pointed to edge.

Jump so far
Level → jstf, jgaf == nan
Prvna

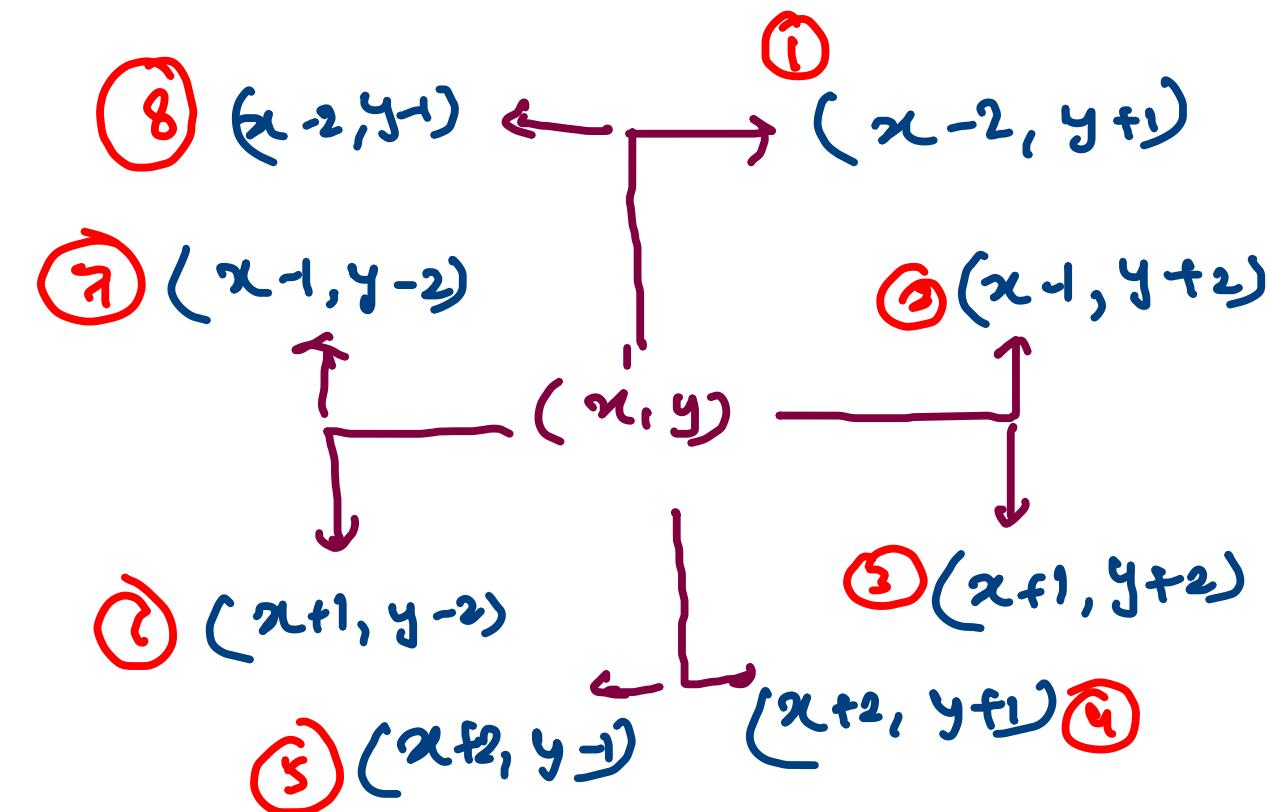
level → cell visited so far.

```
, if(cell visited so far == n*n) {  
    Base case; printboard;  
}
```

options → Eightal ls.

- ① Position valid →
- ② Unvisited

$$x\text{ dir} = \{-2, -1, 1, 2, 2, 1, -1, -2\}$$
$$y\text{ dir} = \{1, 2, 2, 1, -1, -2, -2, -1\}$$



CRYPTO ARITHMETIC

$$\begin{array}{r} \text{SEND} \\ + \text{MORE} \\ \hline \text{MONEY} \end{array}$$

$$\begin{array}{r} 9 \ 5 \ 6 \ 7 \\ + 1 \ 0 \ 8 \ 5 \\ \hline 10652 \end{array}$$

String 1 → SEND
 String 2 → MORE
 String 3 → MONEY
 valid string

S → 9
 E → 5
 N → 6
 D → 7
 M → 1
 O → 0
 R → 8.
 Y → 2

generate all possible mapping.
 ✓ Map character with digits(0 to 9)
 unique Mapping. ↪ S → 1

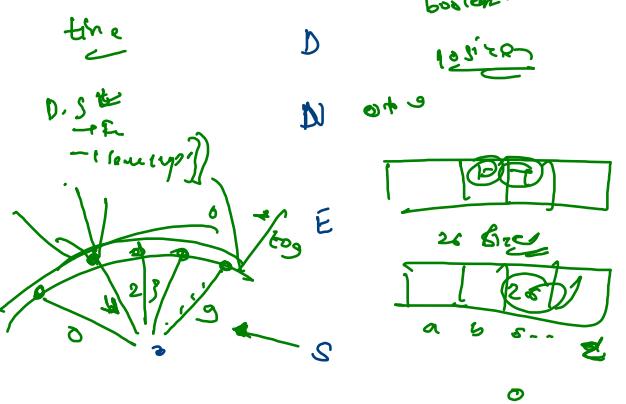
SENDMORY
 character map { } 0 to 9.

$$\begin{array}{r} A \ B \ C \ D \ E \ F \ G \ H \\ \downarrow \quad \downarrow \\ 0 \ 1 \ 2 \ 3 \ 4 \ 5 \ 6 \ 7 \end{array} \rightarrow \boxed{D \ F \ G} \rightarrow \boxed{2 \ 1 \ 6}$$

$$D \ F \ G \rightarrow \boxed{2 \ 1 \ 6}$$

$$2 \times 10 + 1 = 21 \times 10 + 6 = \boxed{216} \quad \text{return}$$

num = 0
 number < 10 + map[1]
 num = num * 10 +



the

bottom.

1, 0, 5, 1, 2, 0

0 to 9

D

N

O

R

S

E

M

D

Y

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R

S

E

M

D

Y

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O

R

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CRYPTOGRAPHIC ALGORITHMIC →

SEND + MORE = MONEY

$1534 + 9857 = 15221$

generate all possible mappings -

Map character with digits (0-9)

N → 6
 D → 7
~~M → L~~
~~S → 9~~
~~O → 0~~
~~E R → S~~
~~N Y → 6~~
 D → 7 E F G H
~~M → L~~
~~O → 0~~ → 216
~~R → 8~~
 Number = 216 + mod 1
 M →

unique Mapping - $\hookrightarrow S \rightarrow i$
 generate all possible mapping with digits 0 to 9
 SENDMORY character to 9
 unique Mapping - $\hookrightarrow S \rightarrow i$

A B C D E F G H
3 0 1 2 5 4 6 7

$$\begin{array}{r} D F G \\ \rightarrow \boxed{2 \ 1 \ 6} \end{array}$$

DFG → 24K

$$2+10+1 = 21 \text{ as } 10 + 1 = 21 \text{ s } \quad \text{definisi}$$

SEND
MORE
MONEY

Handwritten notes and diagrams related to a search algorithm:

- Notes:
 - Worst case time complexity: $O(n)$
 - Best case time complexity: $O(1)$
 - Time complexity: $\log n$
 - Space complexity: $O(1)$
- Diagram 1: A vertical list of elements labeled S, D, N, M, and G from bottom to top. To the right, the word "booster" is written above a green bracket under the elements D, N, and M.
- Diagram 2: A diagram showing a search space divided into two halves by a vertical line. The left half is labeled "left" and the right half is labeled "right". A green circle highlights the "right" side.
- Diagram 3: A diagram showing a search space divided into three segments labeled a, b, and c from left to right. A green circle highlights segment c.

booster
position

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Principle of Mathematical Induction \rightarrow (PMI) \rightarrow

$$1 + 2 + 3 + 4 + \dots + n = \frac{n(n+1)}{2} \quad \left. \begin{array}{l} \\ \end{array} \right\} \rightarrow \text{Expectation}$$

Suppose, it is true for k .

$$1 + 2 + 3 + \dots + k = \frac{k(k+1)}{2} \quad \begin{array}{l} \text{faith small problems} \\ \text{will work.} \end{array}$$

Now check for $k+1$ (Merging of faith & expected in R.H.S.)

L.H.S -

$$\underbrace{1 + 2 + 3 + \dots + k}_{\text{L.H.S.}} + (k+1)$$

$$\underbrace{k(k+1)}_{\text{L.H.S.}} + (k+1) = (k+1) \left[\frac{k}{2} + 1 \right]$$

$$= \frac{(k+1)(k+1+1)}{2}$$

$$= \frac{(k+1)((k+1)+1)}{2}$$

L.H.S

$$= \frac{n(n+1)}{2}$$

$$= \frac{(k+1)((k+1)+1)}{2}$$

L.H.S = R.H.S.

True.