

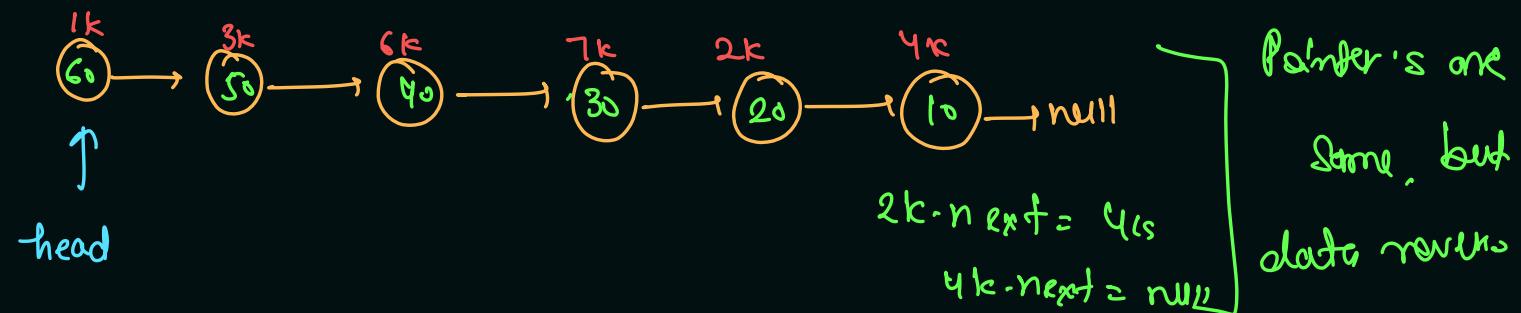
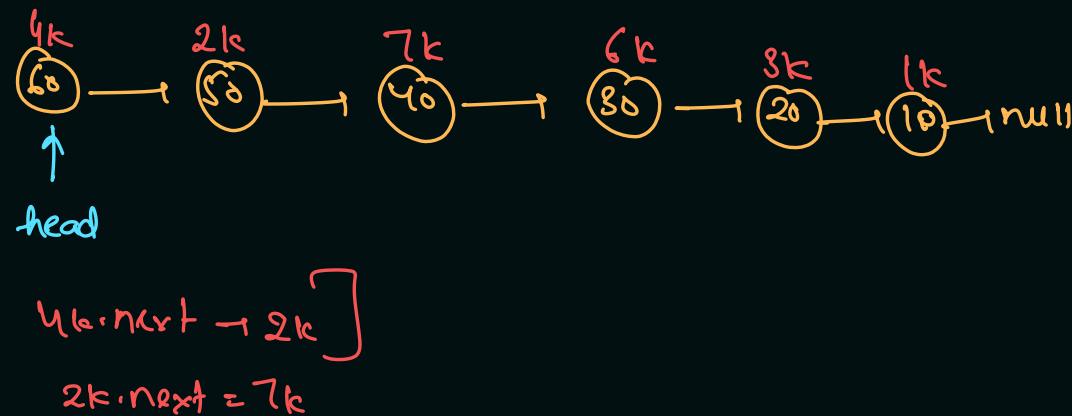
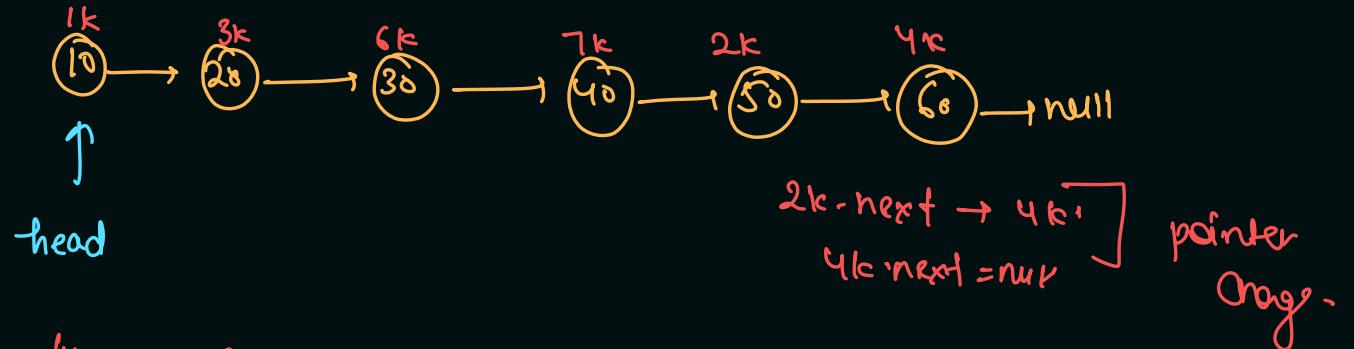
Reverse A Linkedlist

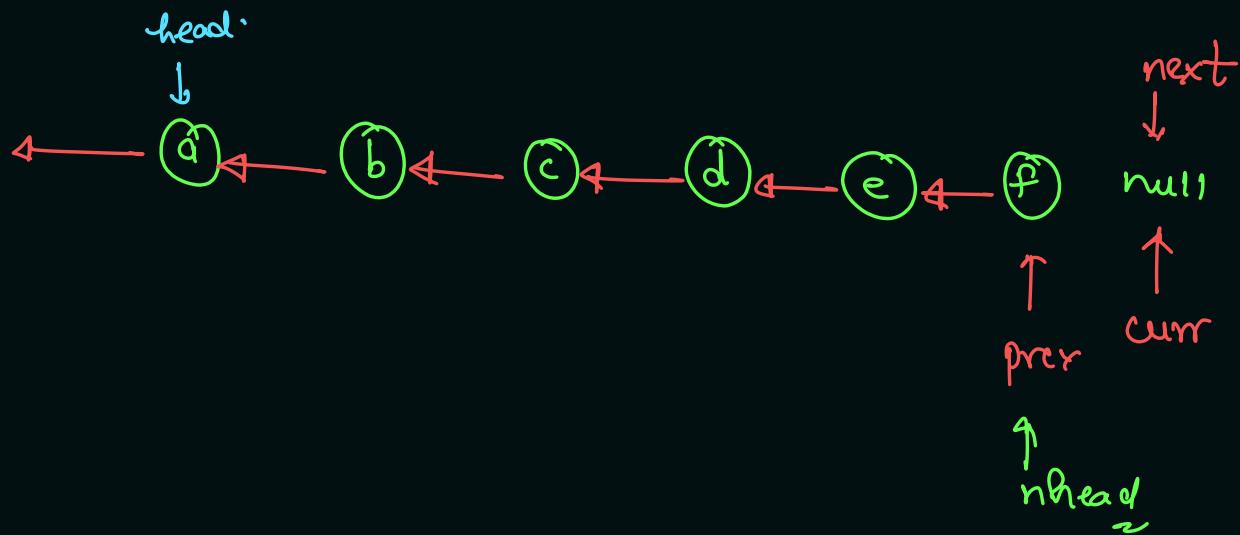
Middle Of A Linked List

Palindrome Linkedlist

① Reverse using data swapping.

② Reverse using pointer



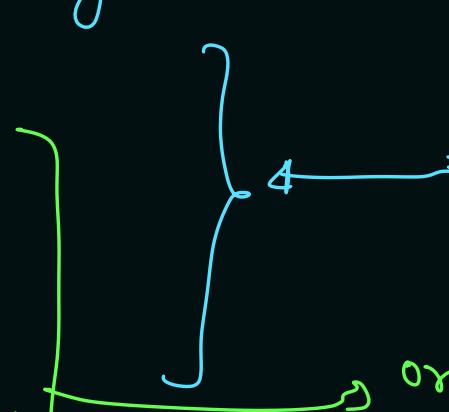


① Make three
pointer.

→ prev
→ curr
↔ next] Running
time.

loop , → condition of running loop → while(curr != null)

$\begin{cases} \text{next} = \text{curr.next} \\ \text{curr.next} = \text{prev}; \\ \text{prev} = \text{curr}; \\ \text{curr} = \text{next} \end{cases}$
✓
✓
✓
✓

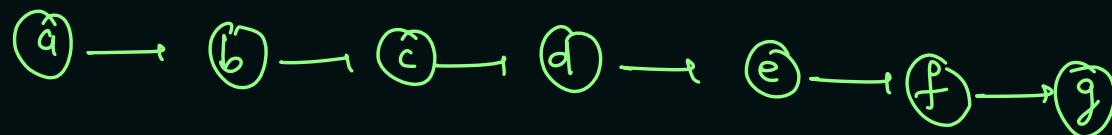


nhead = prev

order of seq. is swapped

Middle of a linked list:

odd size



distance travelled by obj 1 is half of distance travelled by obj 2.

If obj 2 travelled Δ dist. then obj 1 is present at 'Middle' of Δ distance.

$$\text{Slow} = x$$

$$\text{fast} = 2x$$

$$\left[\begin{array}{l} \text{slow} = \text{slow.next} \\ \text{fast} = \text{fast.next.next} \end{array} \right]$$

Object 1 \rightarrow Speed x

Object 2 \rightarrow Speed $2x$

distance travelled

by obj 1 in t time

$$\text{dist.} = \text{Speed} \times \text{time}$$

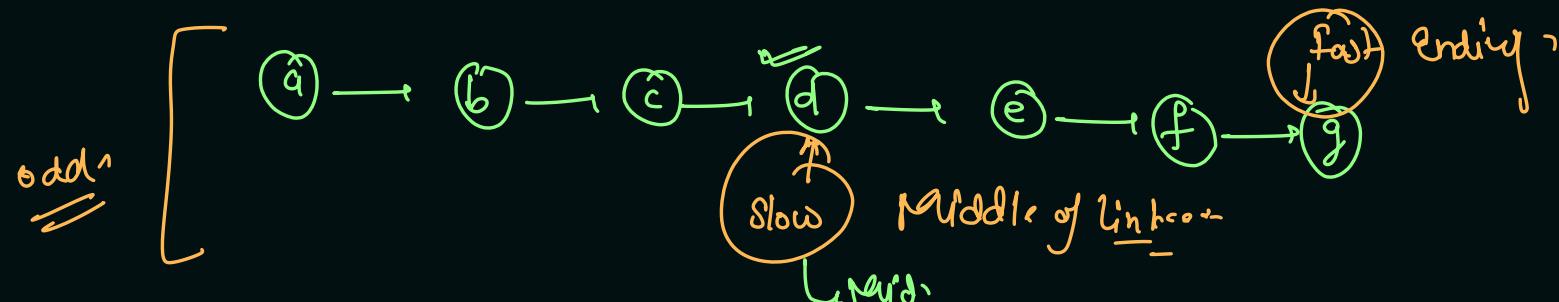
$$= x \times t = \underline{\underline{xt}}$$

distance travelled by

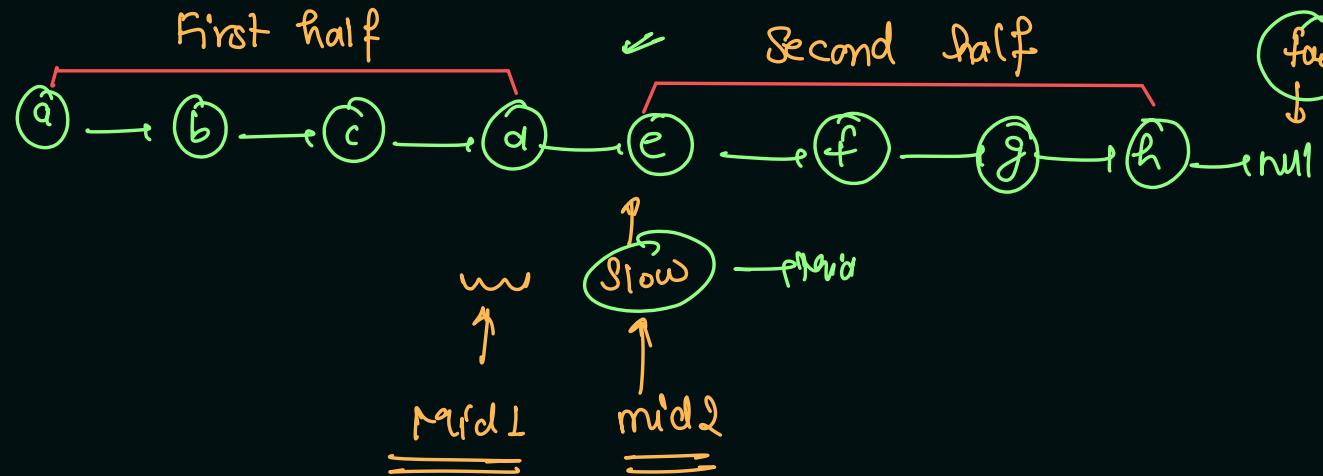
obj 2 in t time.

$$\text{dist.} = \text{Speed} \times \text{time}$$

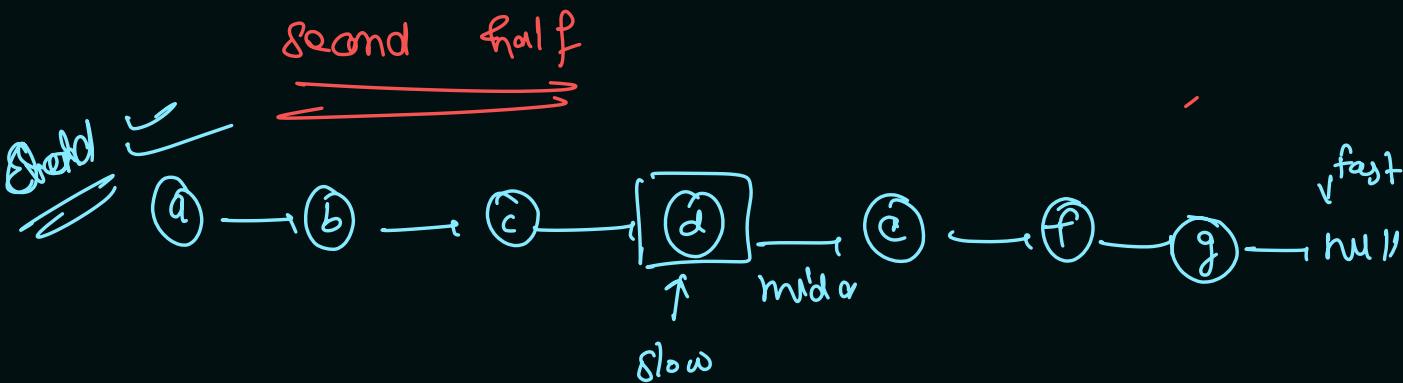
$$= 2x \times t = \underline{\underline{2xt}}$$



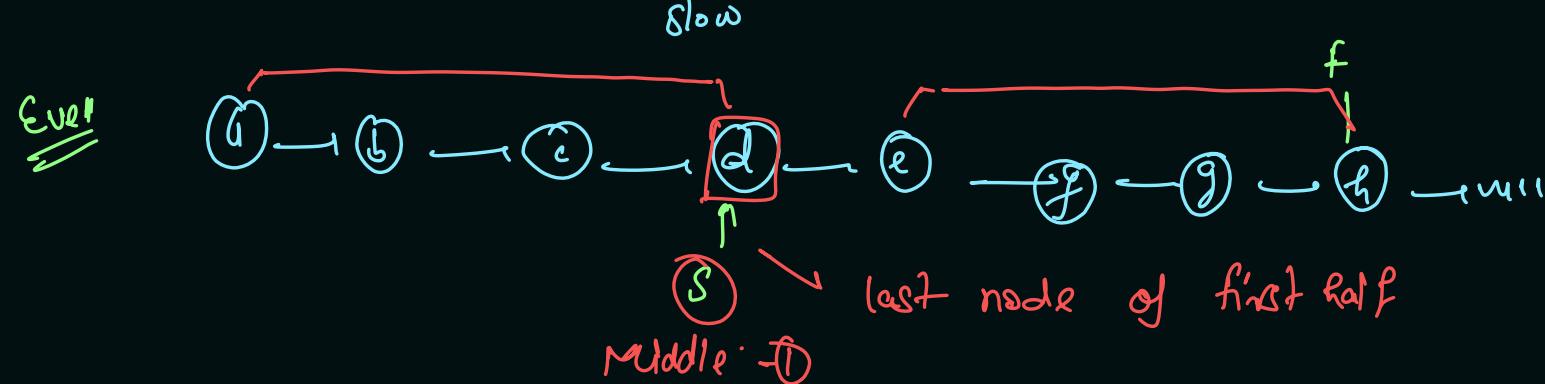
$Slow \leftarrow head;$
 $Fast \leftarrow head'$



When fast is reached at end, that time slow is at first node of



odd $\left\{ \begin{array}{l} Slow = head; \\ Fast = head.next; \end{array} \right.$



Palindrome of a linked list

Palindrome →



Check

Palindrome array



left ↑
left ↓

left++

↑ Right

Right--

left to Right ← LL . in $O(1)$
Right to left → LL . in $O(n)$

→ If use of array is allowed, then it is solvable.

Case → Right to left

Reverse Linkedlist and then solve the problem.

concept → Mid & Midh

linkedlist

array X

Recursive X

check -

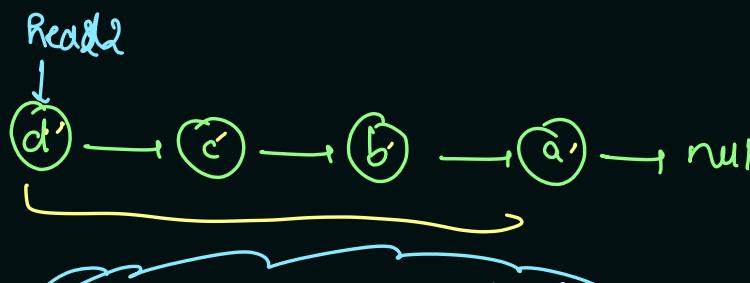
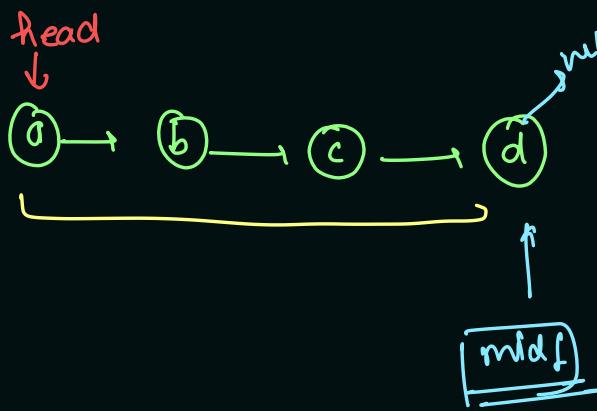
① head = null]

② head = next = = null

③ odd size.

④ even size -

size=2 [⑤ head.next.next = null]

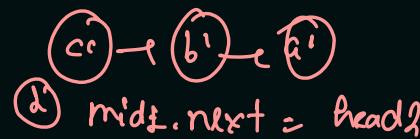


Steps

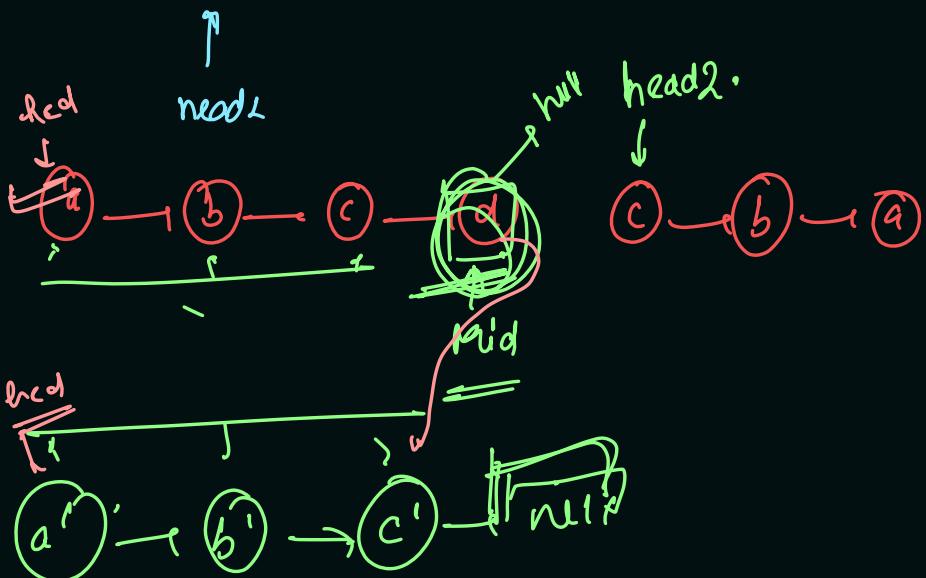
- 1) get mid L
- 2) head2 = midL.next +
- 3) midL.next = null
- 4) Reverse head2
- 5) Check if head2 == head1



$\rightarrow D = 1$ head2 \rightarrow reverse -

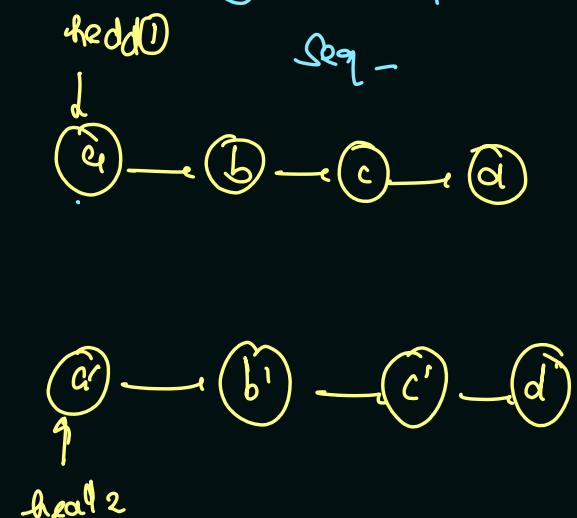


midL.next = head2

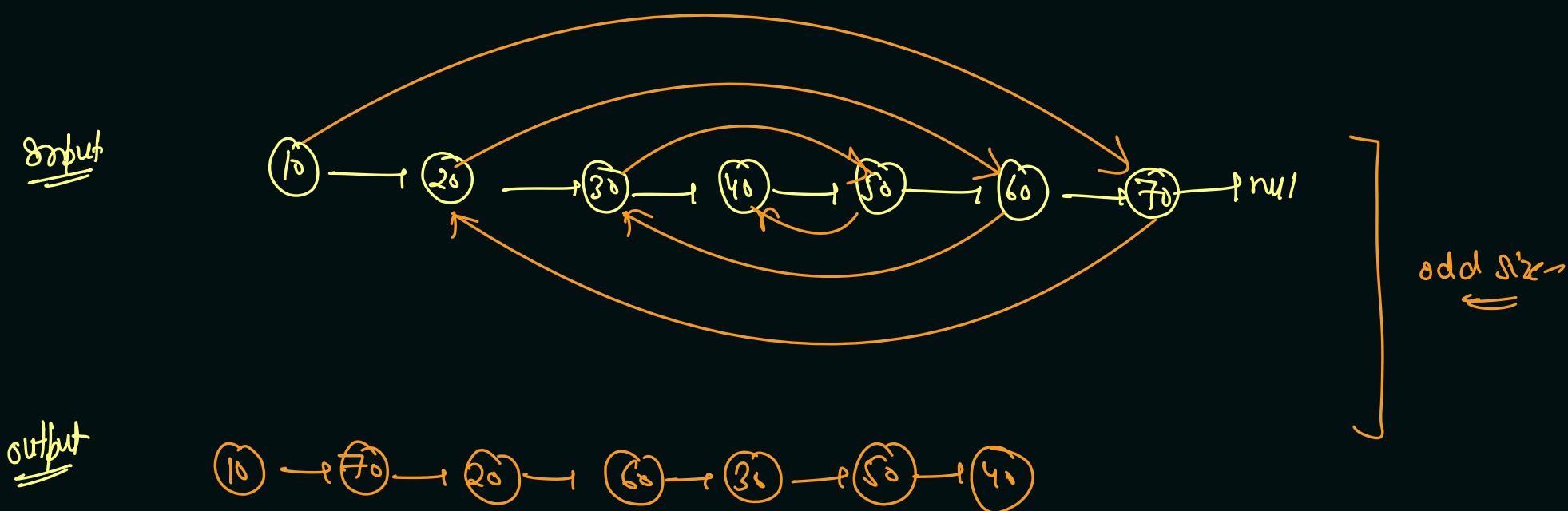
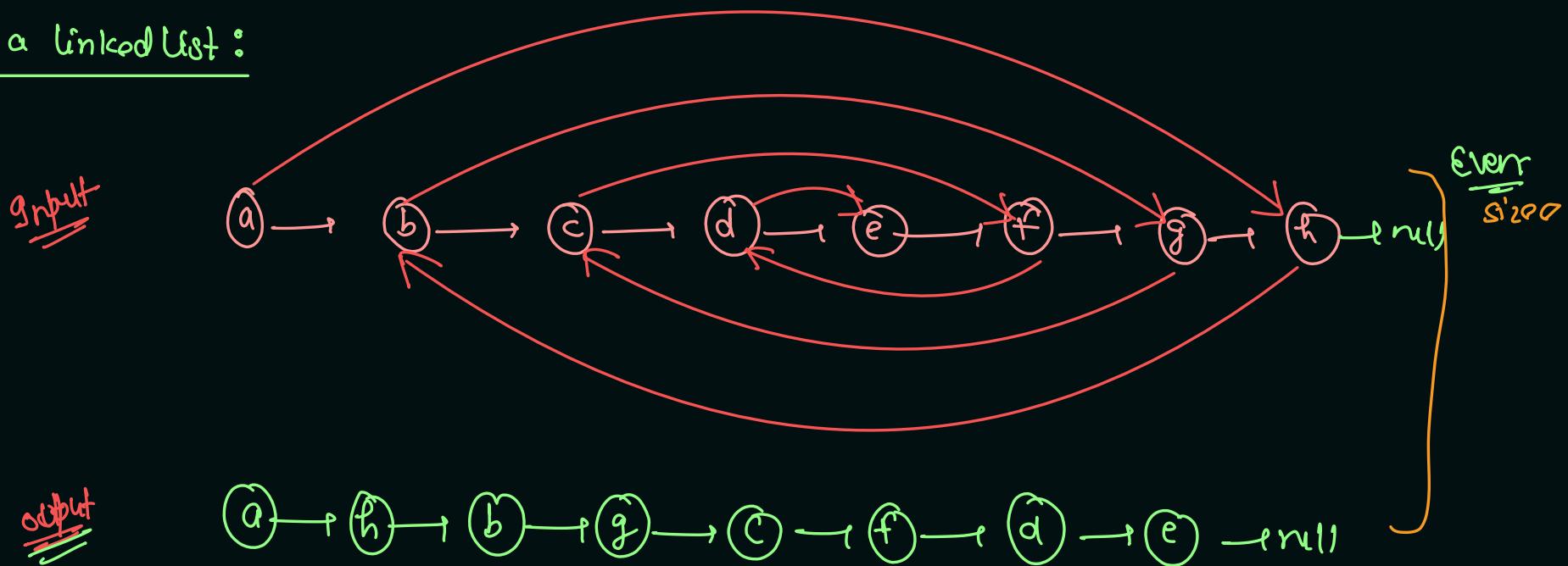


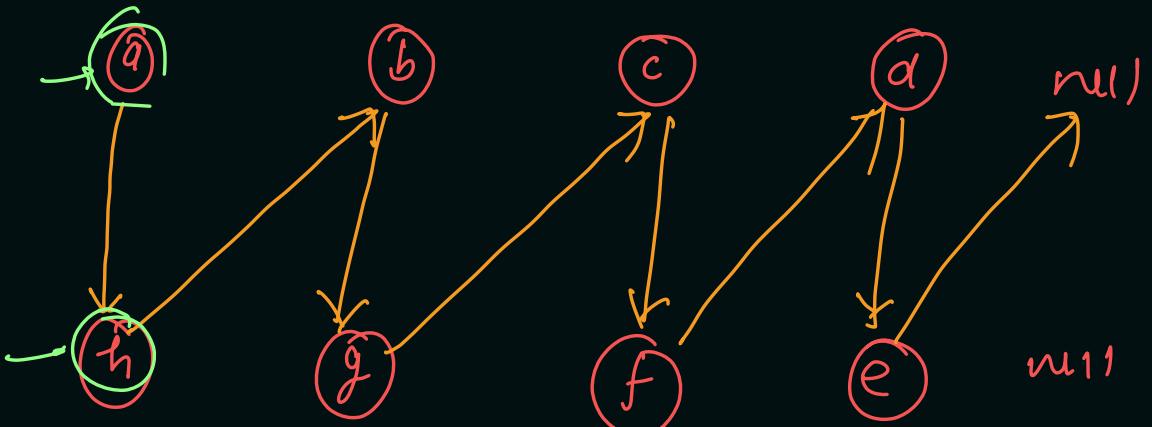
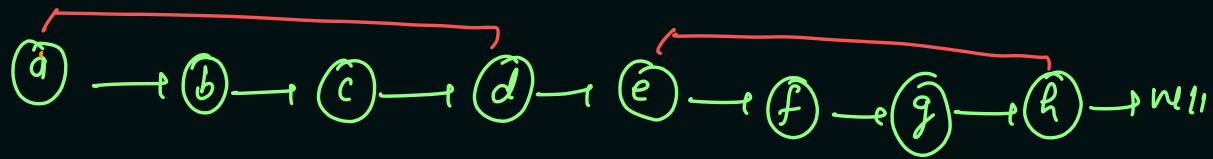
first list

Second list

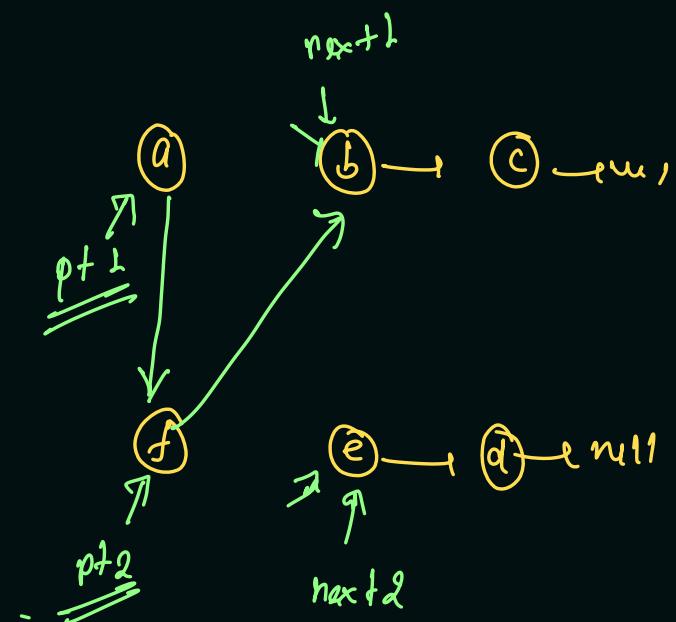


Fold of a linked list:

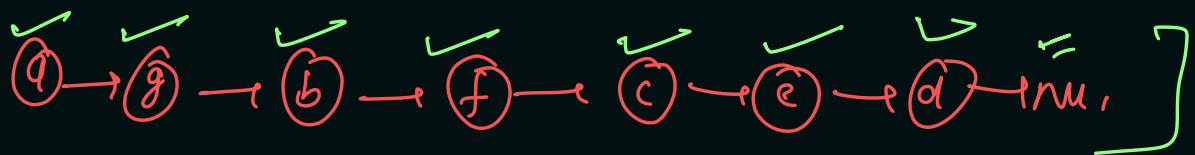
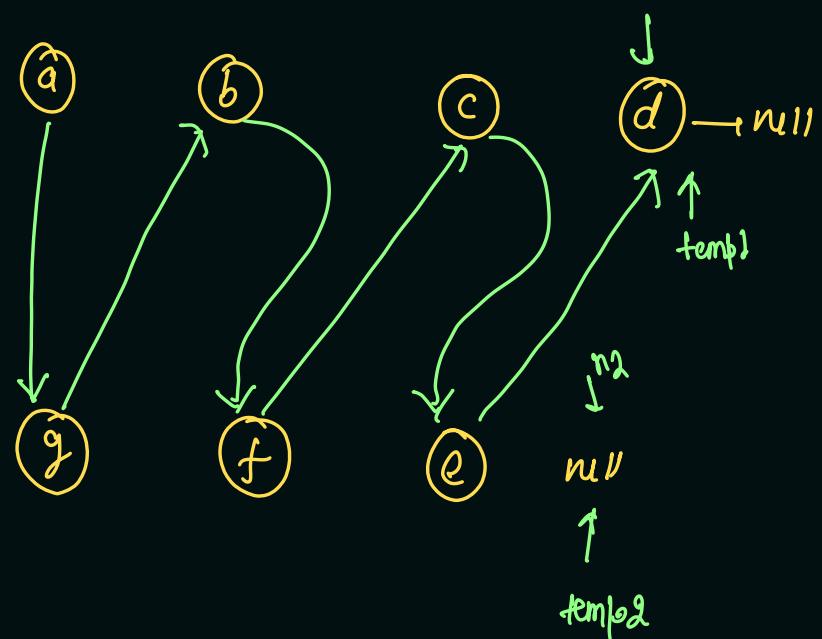
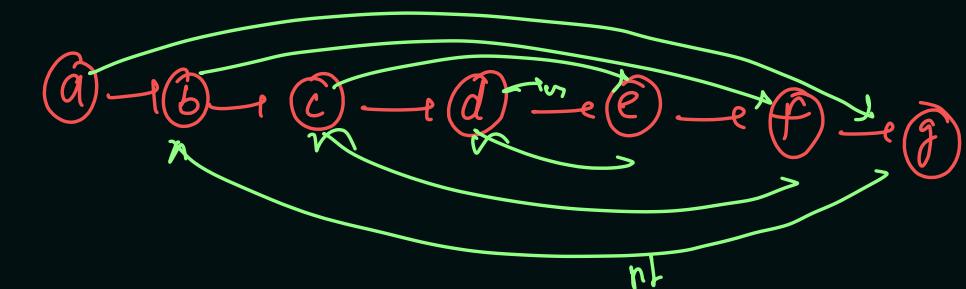




- Steps:
- ① Split from middle & reverse second half.
 - ② Merge them according to proper logic



$\text{pt1}.\text{next} = \text{pt2};$
 $\text{pt2}.\text{next} = \text{next1};$
 $\text{pt1} = \text{next1};$
 $\text{pt2} = \text{next2};$



don't
 do anything
 return head
 as it is

head = null? → \overrightarrow{J} null
head.next = null → $\overrightarrow{(i)}$ null
head.next.next = null
 $\overrightarrow{(i)} \rightarrow \overrightarrow{(j)}$ null

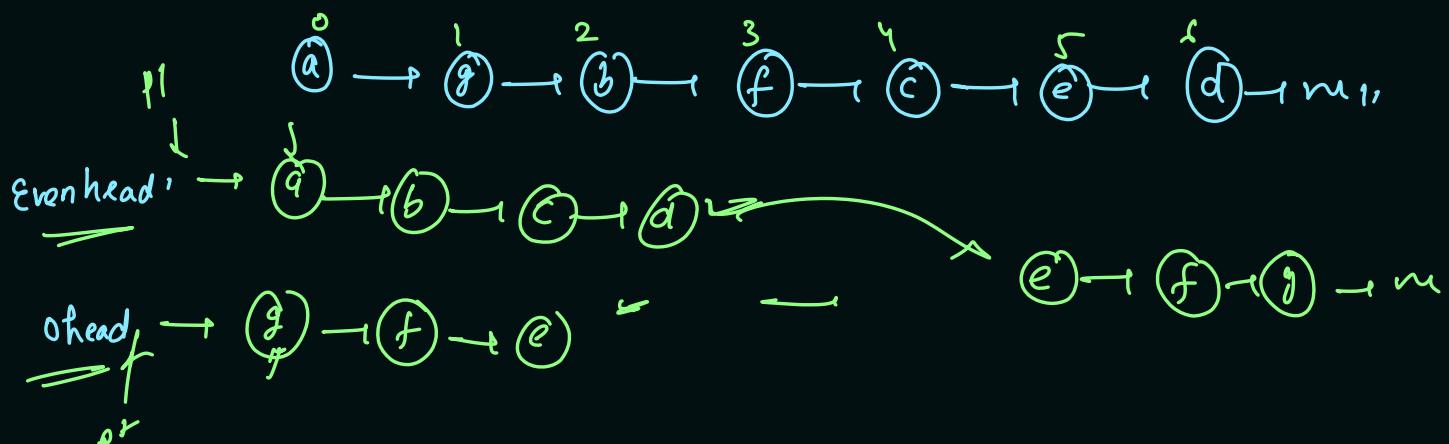
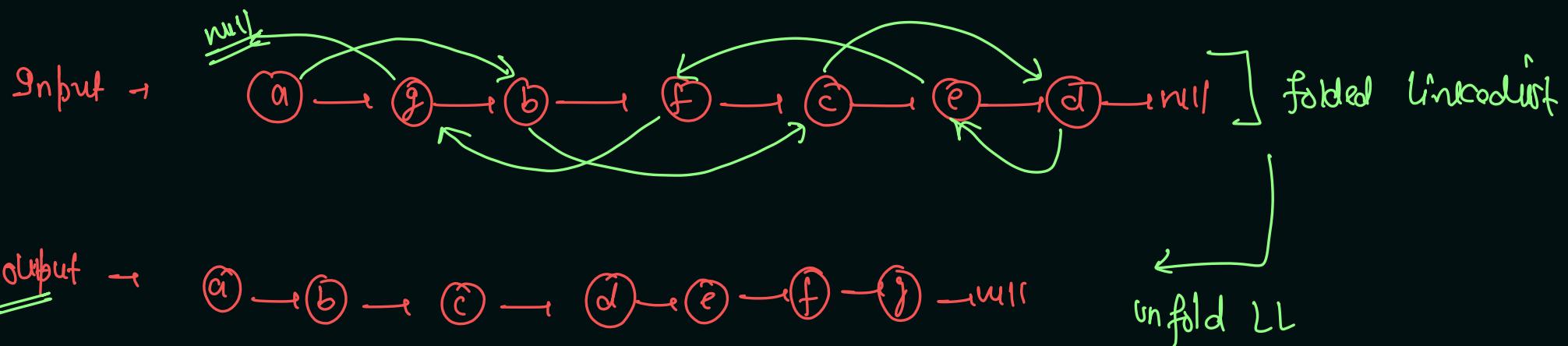
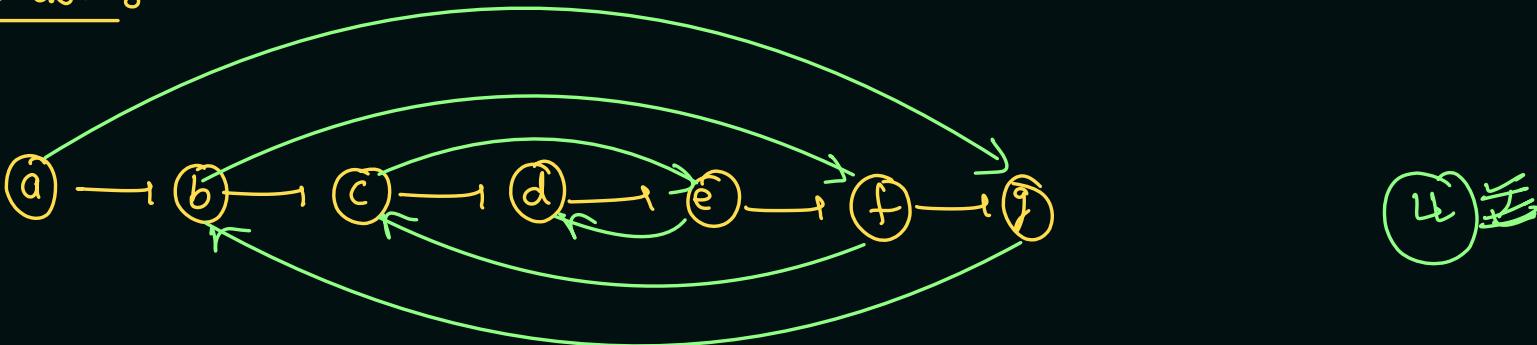
```

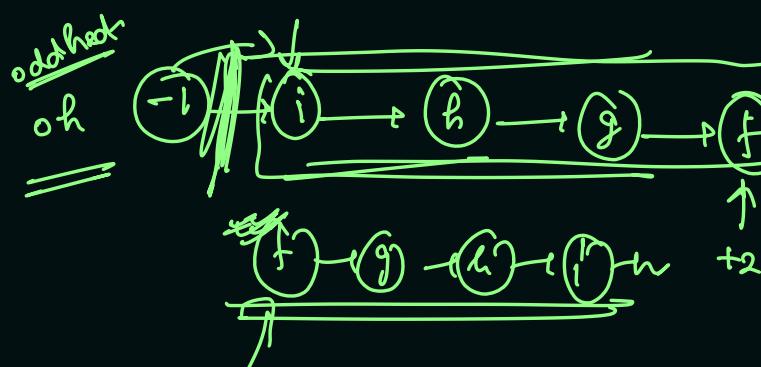
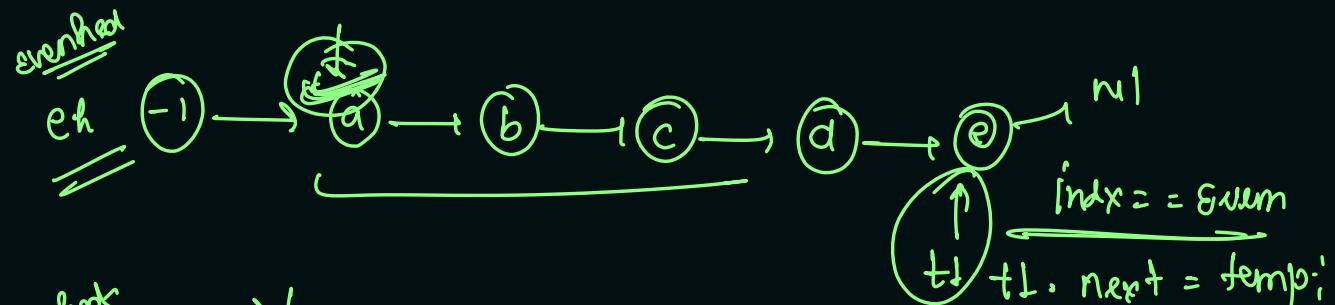
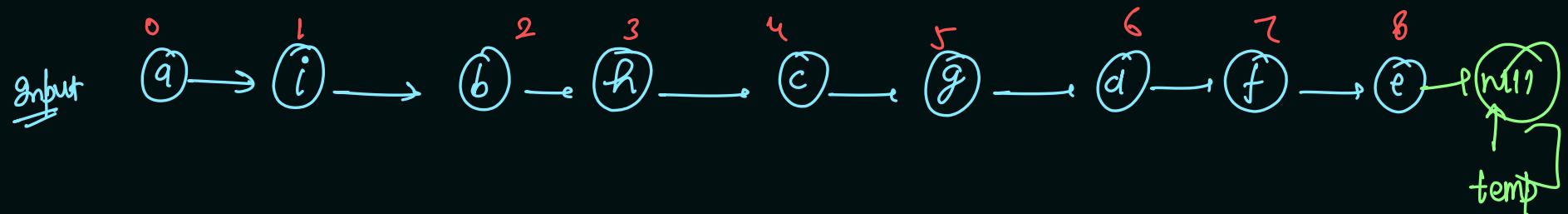
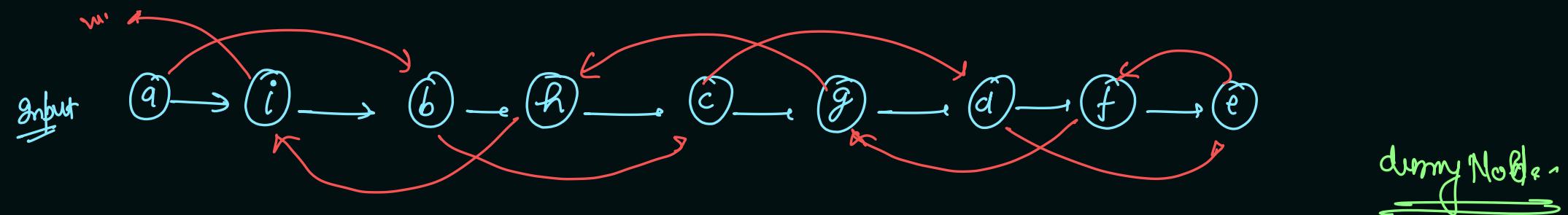
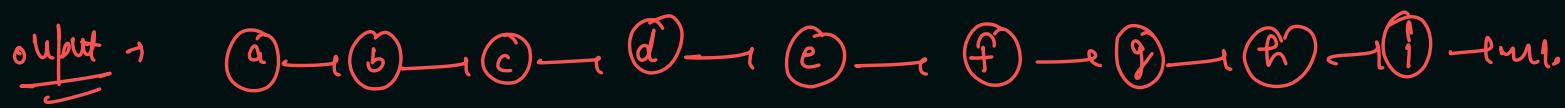
while(temp1 != null && temp2 != null) {
  ↵ ListNode next1 = temp1.next;
  ↵ ListNode next2 = temp2.next;

  ↵ temp1.next = temp2;
  ↵ temp2.next = next1;

  = temp1 = next1;
  = temp2 = next2;
}
  
```

Unfold a linked list





$t \downarrow$ $\text{t1. next} = \text{temp};$
 $\text{t1} = \text{temp};$

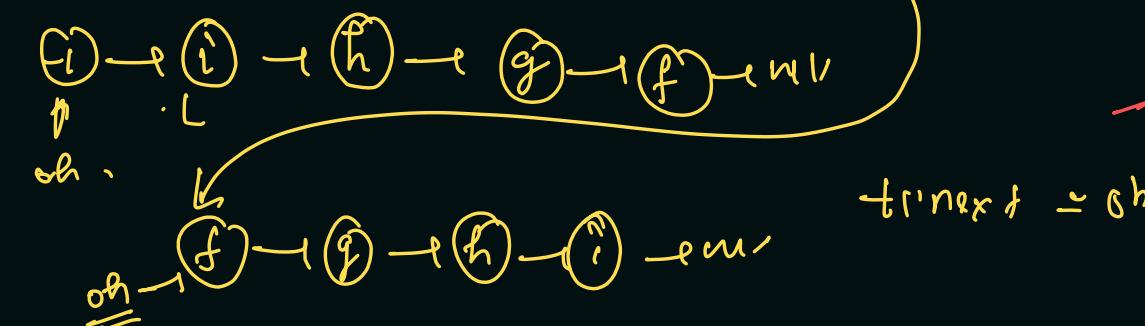
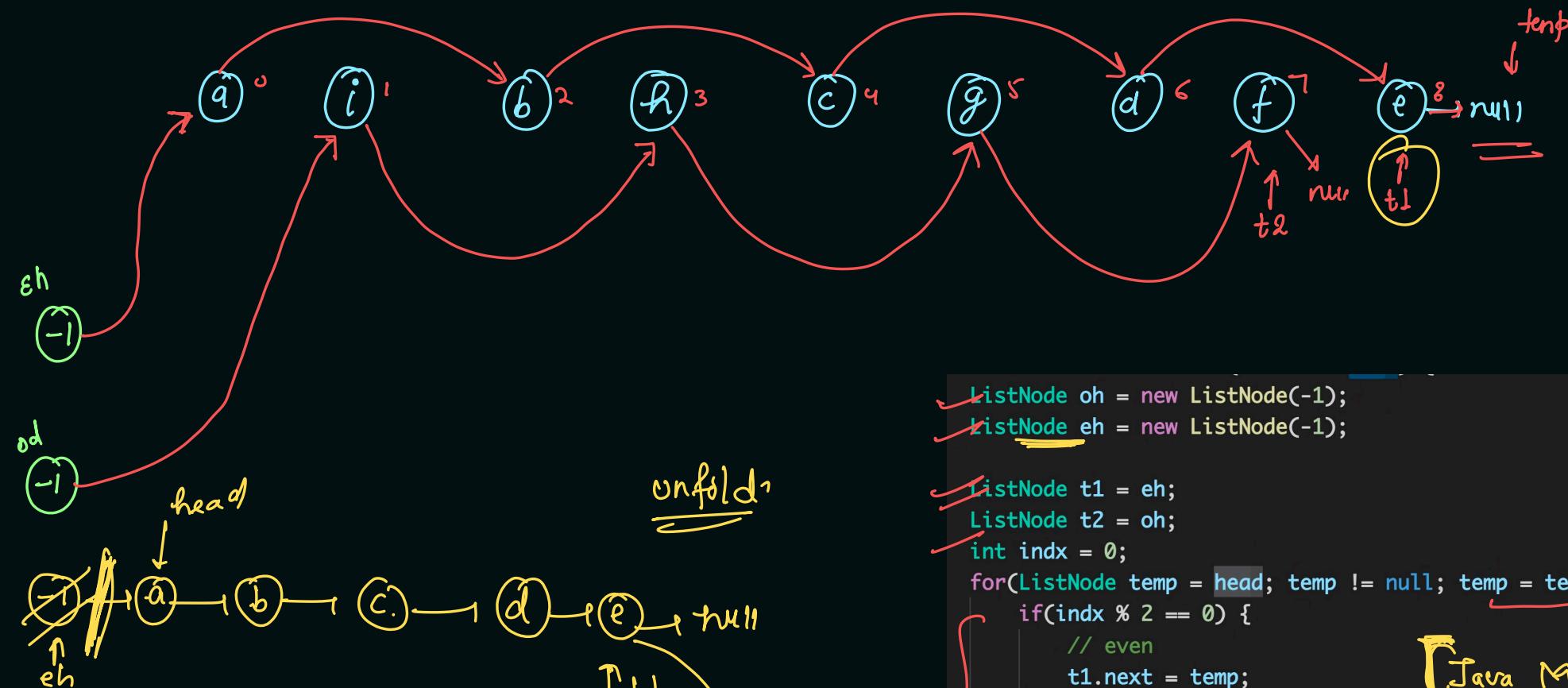
idx = odd
 $\text{t2. next} = \text{temp};$
 $\text{t2} = \text{temp};$

out of loop \rightarrow $\text{t1. next} = n$
 $\text{t2. next} = n$

odc

idx = empty
 5 8 7 8

9



$\left\{ \begin{array}{l} \text{head} == \text{null} \\ \text{head} \cdot \text{next} == \text{null} \\ \text{head} \cdot \text{next} \cdot \text{next} == \text{null} \end{array} \right\}$ Nothing to do

```

ListNode oh = new ListNode(-1);
ListNode eh = new ListNode(-1);

ListNode t1 = eh;
ListNode t2 = oh;
int indx = 0;
for(ListNode temp = head; temp != null; temp = temp.next, indx++) {
    if(indx % 2 == 0) {
        // even
        t1.next = temp;
        t1 = temp;
    } else {
        // odd
        t2.next = temp;
        t2 = temp;
    }
}
t1.next = null;
t2.next = null;
oh = reverseList(oh.next);
t1.next = oh;

```

[Java Memory Manager]

Mark & Sweep

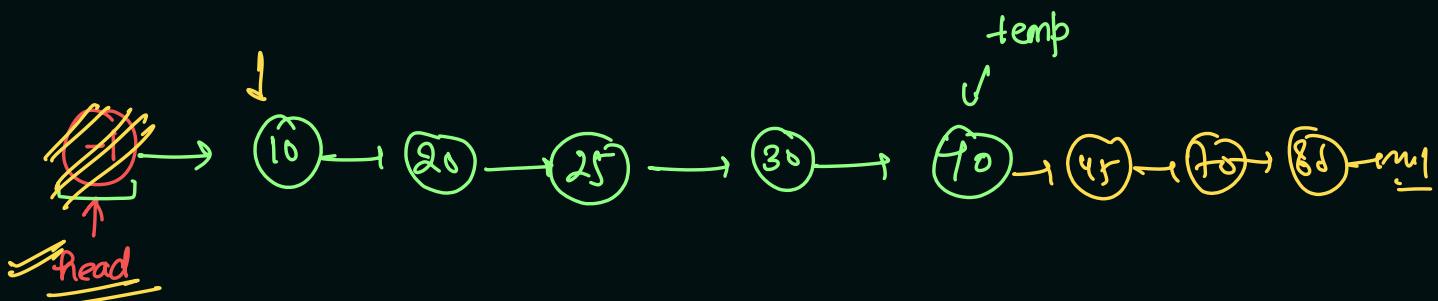
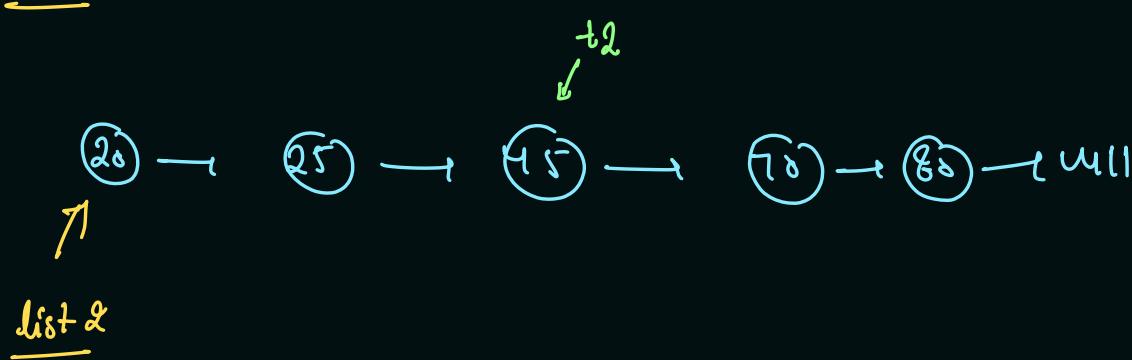
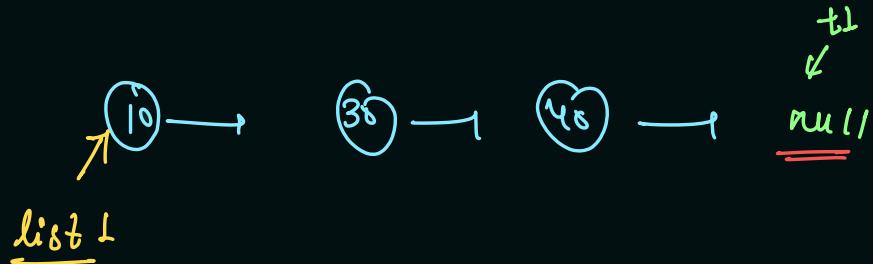
Algorithm

Merge two sorted List:

Edge case - ($L_1 = \text{null} \text{ || } L_2 = \text{null}$)
return $L_1 = \text{null} ? L_2 : L_1$

① dummy Node

② $+L, t_1 & t_2 < \text{temp}$



loop

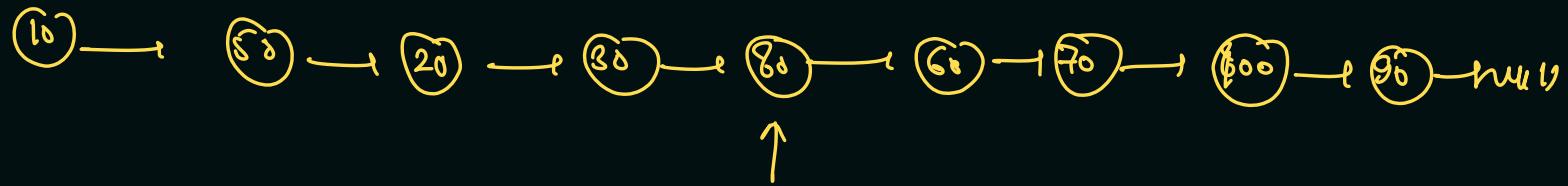
```

if (+L.val < +2.val) {
    temp.next = +1;
    temp = +L;
    +L = +L.next;
} else {
    temp.next = +2;
    temp = +2;
    +2 = +2.next;
}
  
```

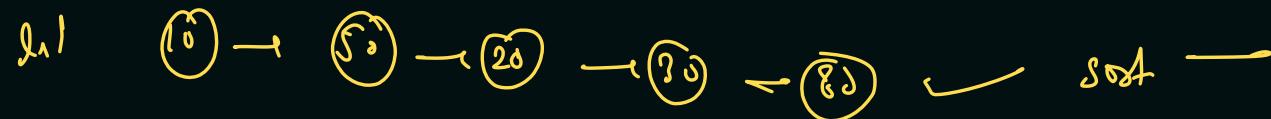
temp0.next = +1 = null ? +2 : +1;

Result \rightarrow head.next

Merge Sort



mid :



Merg-

```
public ListNode sortList(ListNode head) {  
    if(head == null || head.next == null) return head;  
    ✓ ListNode mid = midNode1(head); n  
    ✓ ListNode head2 = mid.next; n  
    mid.next = null; }  
    head = sortList(head); t(n/2)  
    head2 = sortList(head2); t(n/2)  
    ✓ ListNode res = mergeTwoLists(head, head2); n'  
    return res;  
}
```

$$T(n) = n + T(n/2) + T(n/2) + n + k$$

$$T(n) = 2T(n/2) + 2n + k$$

$$2\tau(n_{j_2}) = 2^2 \tau(n_{j_2}) + 2n + 2k$$

$$2^2 T(n/2^2) = 2^3 T(n/2^3) + 2n + 2^2 K$$

$$2^3 T\left(\frac{n}{2^3}\right) = 2^9 T\left(\frac{n}{2^9}\right) + 2n + 2^3 ls$$

$$2^{\frac{h-1}{2}} T(n/2^{\frac{h-1}{2}}) = 2^h T(n/2^h) + 2n + 2^{h+1} K$$

$$T(n) = 2^h T\left(\frac{n}{2^h}\right) + 2n \times h + k \left(1 + 2 + 2^2 + 2^3 + \dots + 2^{h-1} \right)$$

$$T(n) = 2^k T(1), \quad q = p + 1 - 2^k$$

$$= g^h_1, \text{ and } \frac{g^h_2}{2}$$

$$= n + qh \log h + \sum_{k=1}^n$$

G.P.

$$\frac{k \cdot 2^m}{2} = \underline{\downarrow (2)^{h-1}}$$

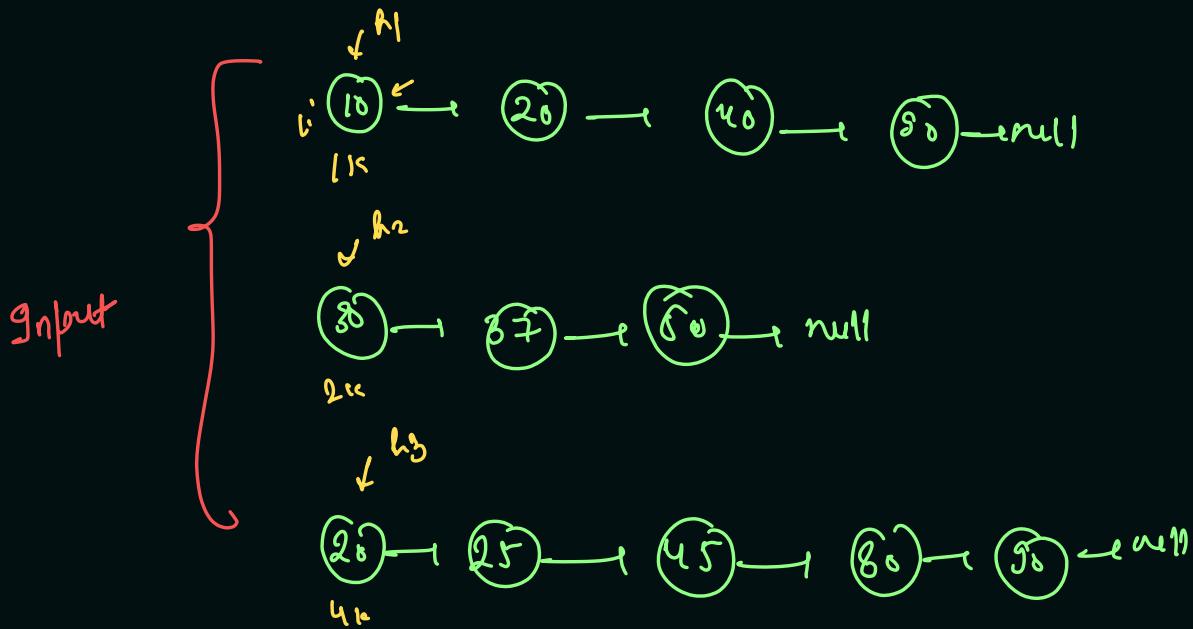
$$\frac{a\gamma^n}{(\gamma-1)} \quad a_2)$$

γ = 2

$$+ \underline{2n \log n} + kn = O(n \log n)$$

Merge k Sorted Linkedlist

$k=3$



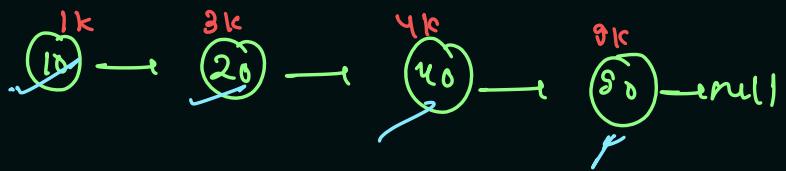
[$1k, 2k, 4k$]
 h_1, h_2, h_3

=
 $\overbrace{[h_1, \text{null}, \text{null}, h_2]}$
Reference

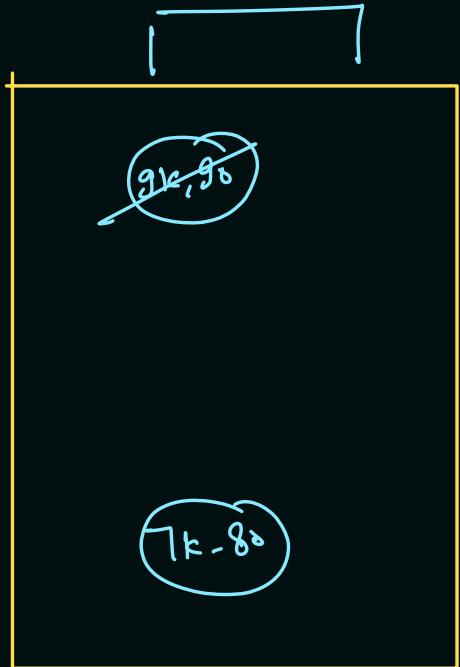
Output { 10 → 20 → 25 → 30 → 32 → 40 → 45 → 50 → 60 → 80 → 90 → 90 → null }

1K	6K	8K
----	----	----

① Add heads of all K list in priority queue.

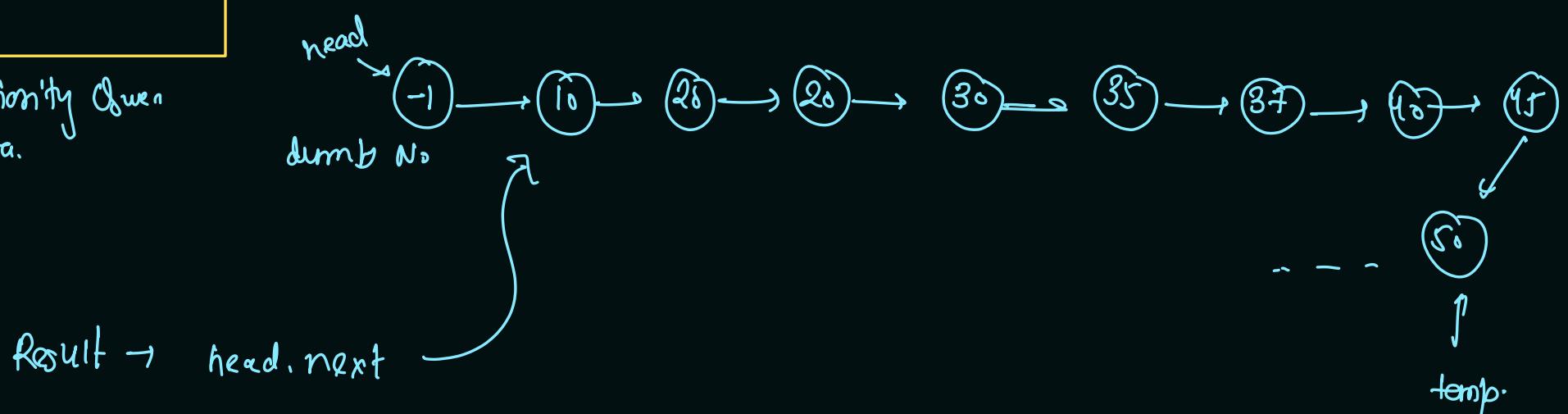


②



Min-Priority Queue
on data.

Class →
[Node] ←



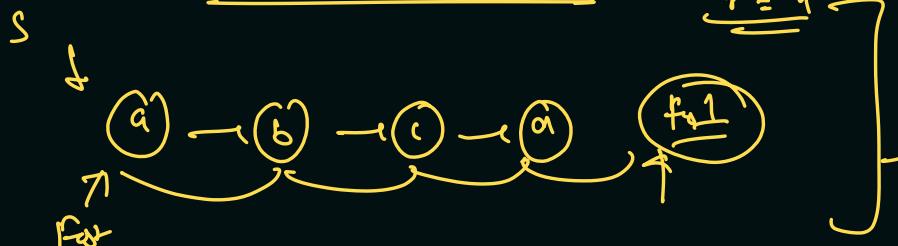
Remove Nth node from end of linkedlist:

input =



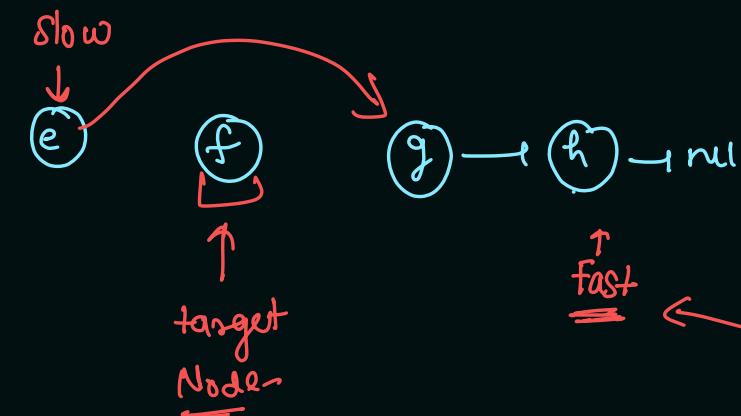
$$\underline{\underline{n=3}}$$

n = size of linkedlist



Difference creation.

fast = null] \rightarrow n size
 Remove head
 Return head next =



Iteration
 Single Iteration.

two iterations

one not

allowed

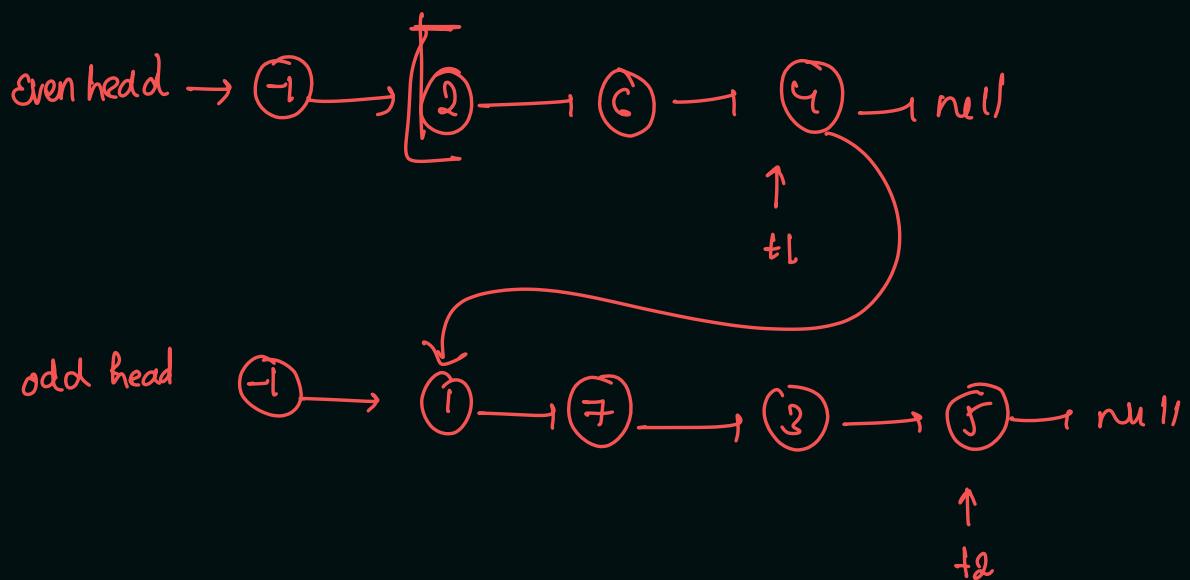
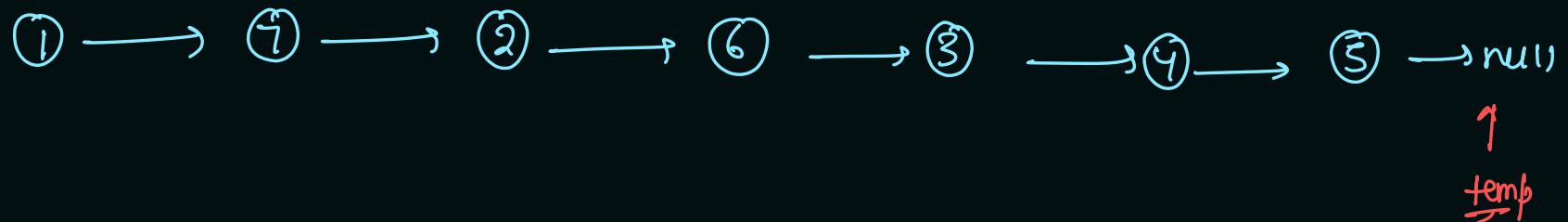
difference b/w
 fast & slow. = n

fast = end

slow = end - n.

slow.next = slow.next.next

Segregate odd Even Nodes



$t1.next = ohead.next$

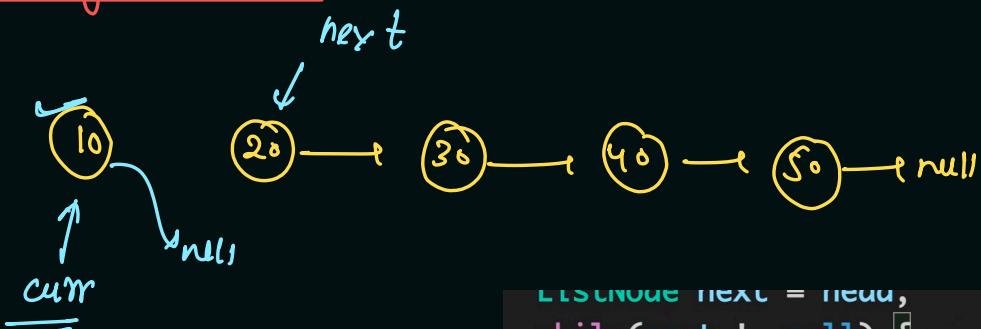
return ehead.next

Odd \rightarrow Even

~~Even \rightarrow Odd~~

Even \rightarrow Odd

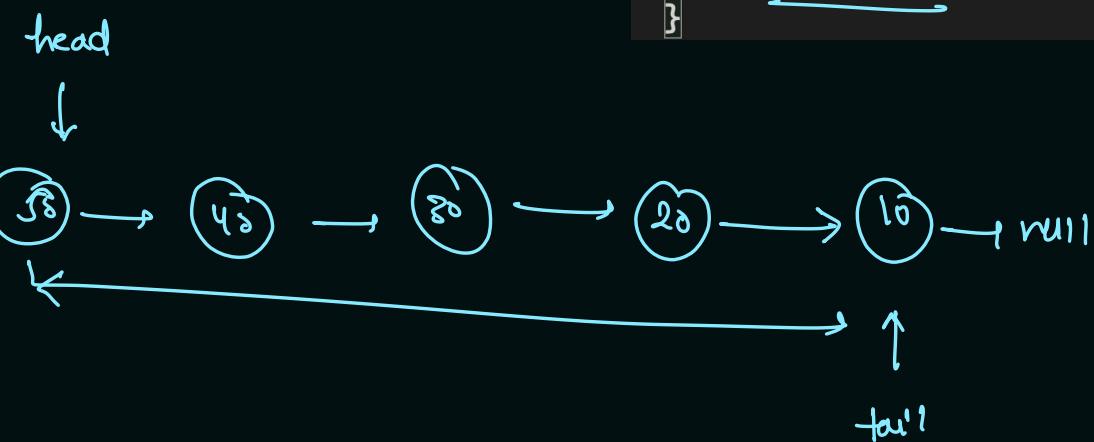
Reverse using add first



```

ListNode next = head,
while(next != null) {
    ListNode curr = next;
    next = next.next;
    curr.next = null;
}

```



head
tail] =

addFirst

```

if (Head == null) {
    head = tail = node;
} else {
    node.next = head;
    head = node;
}

```

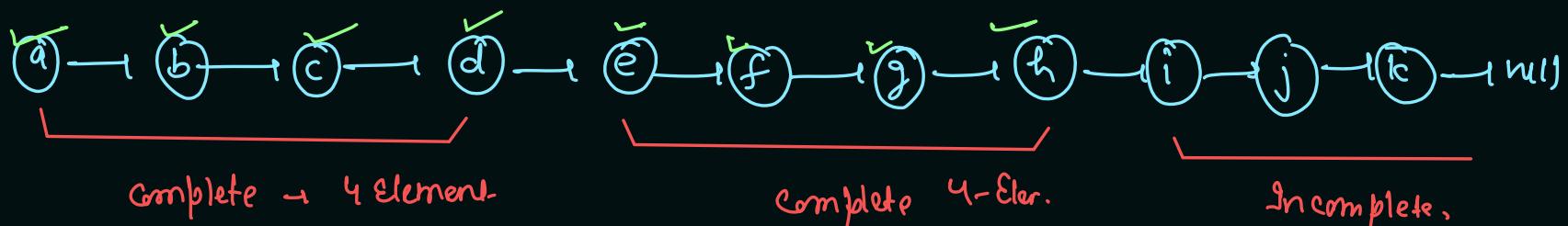
head & tail

temporary head

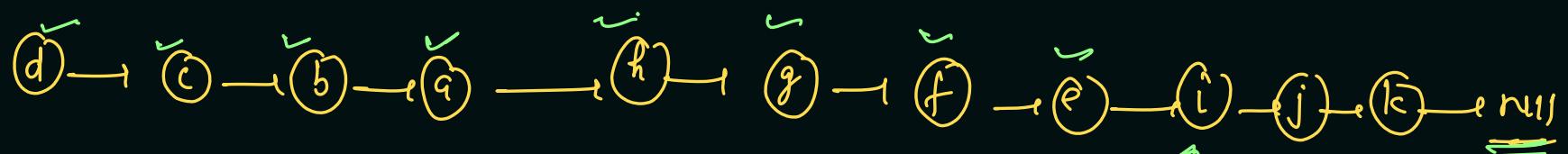
temporary tail

Reverse in k-Groups

$$\underline{k=4}.$$



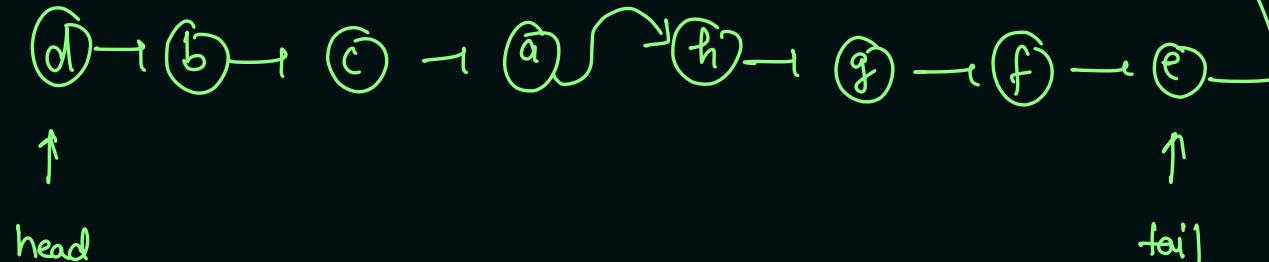
Reverse if Group is complete
 ↓ Reverse ↓ Reverse } as it is.



$$\underline{\text{size} := 11}$$

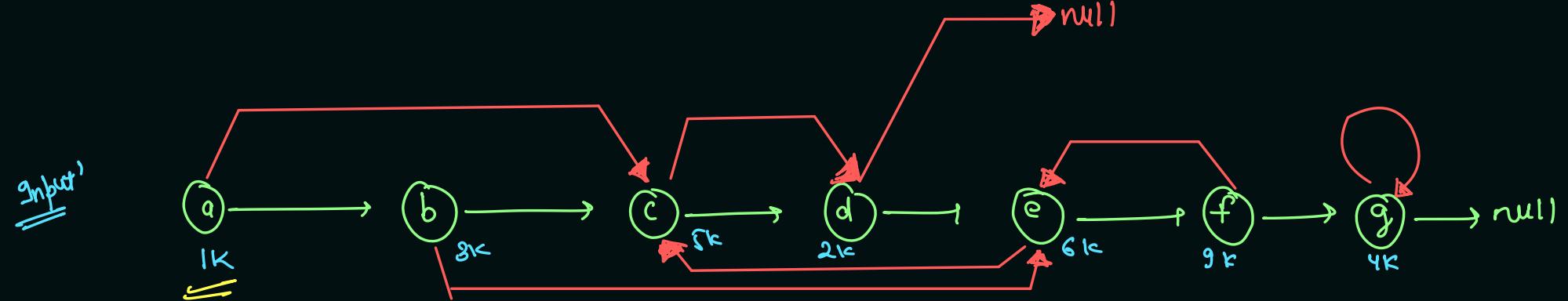
\neq

3

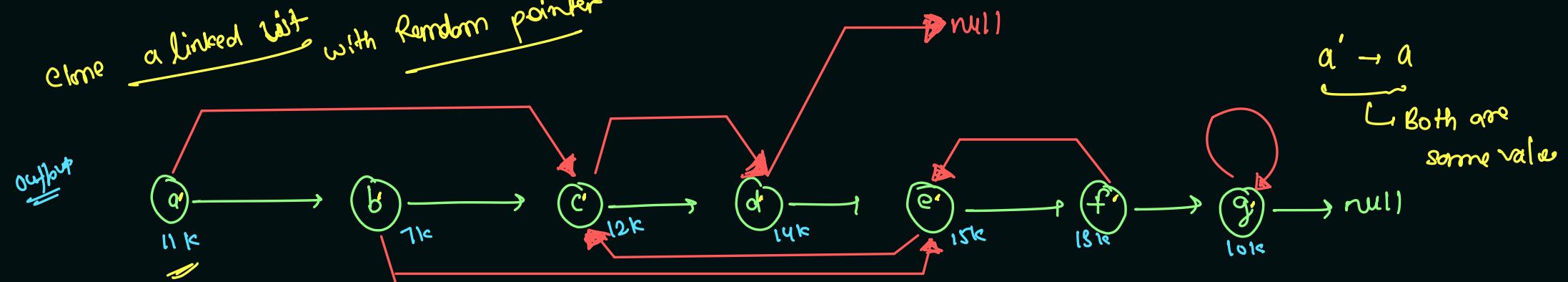


Reverse in Range] =

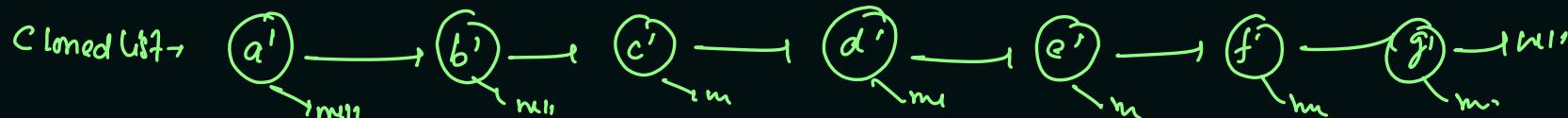
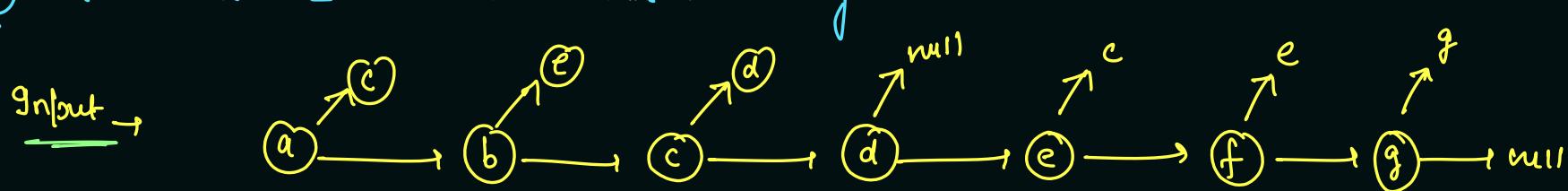
copy linkedlist with Random pointer:



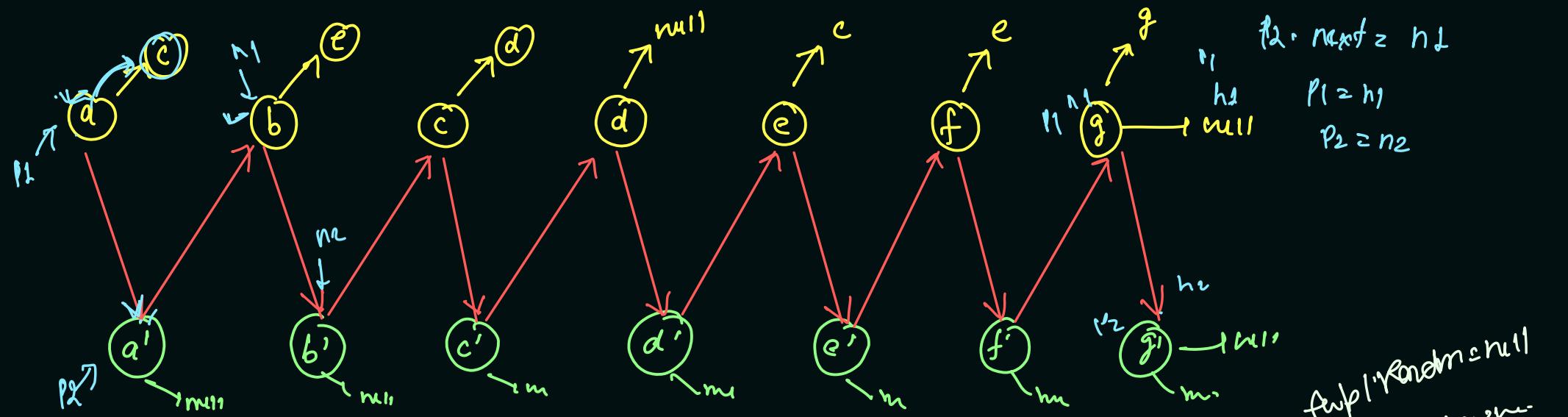
clone a linked list with Random pointer



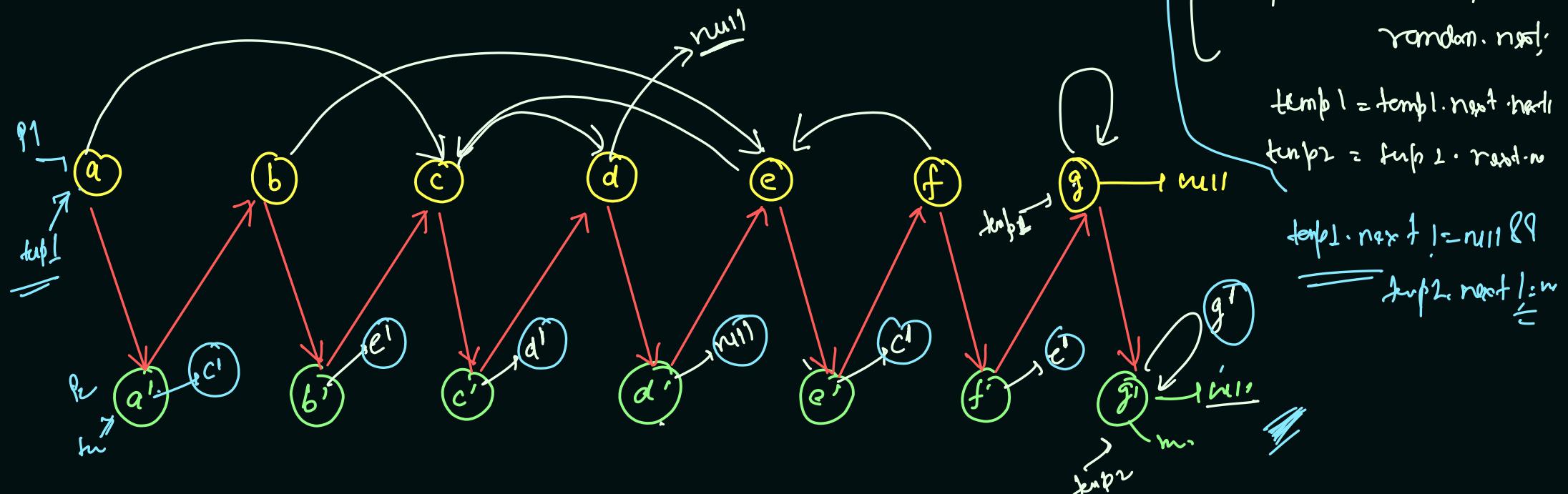
Step ① → clone LL with next only -



Step 2 → connect nodes with zig-zag pattern

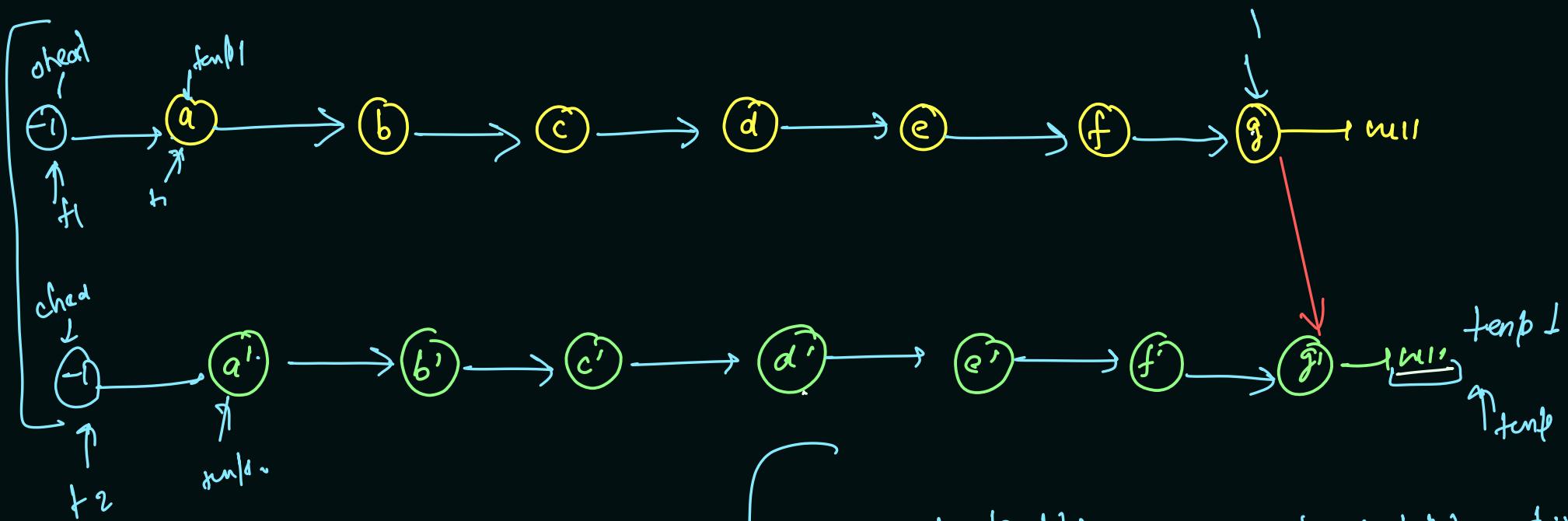


Step 3 - connect Random pointers:



Step 4

Retain original list →



t1.next = temp1;

t1 = knp1;

t2.next = temp2;

t2 = temp2;

temp1 = knp2.next = next

temp2 = knp2.next = next

temp2 = knp2.next = null?

null? temp2.next = null

End
t1.next = null
t2.next = null
Result = check.next