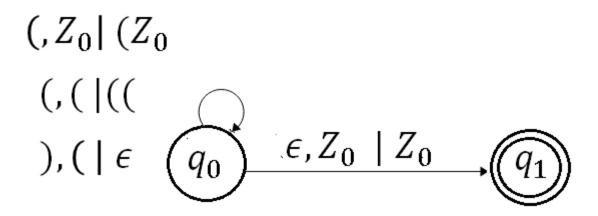
Exercise Problems

- Problem where the product machine for PDA and DFA is constructed.
- If L is CFL but not regular, and R is regular, then is it possible for $L \cap R$ to be regular?
 - Answer for this is given towards the end.

Problem where the product machine for PDA and DFA is constructed.

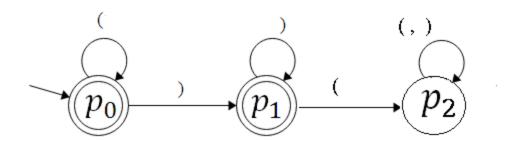
- Create PDA for well formed parentheses language (Dyck set).
- What is your idea?

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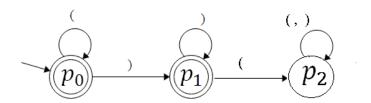
- Find DFA for (*)*
- Give transition diagram for this.

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- Give transition diagram for this.



 Now create PDA for the intersection of the two languages.

$$(,Z_{0}|(Z_{0}),(|((Q_{0}),(|\epsilon|(Q_{0}),Z_{0}||Z_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|A_{0}),(|$$



Verify your solution

- Your answer should have six states with all relevant arrows added.
 - In the class what is given is only a partial answer.
- Your constructed PDA should recognize the language $\{ (k)^k | k \ge 0 \}$.
- Verify ϵ is recognized by the product machine.
- Give ID seq. to verify () is in, but (() is not in the intersection.

The second question -- answer

- If L is CFL but not regular, and R is regular, then is it possible for $L \cap R$ to be regular?
- Yes. It is possible.
- Take for example $L = \{a^k b^k | k \ge 1\}$ and $R = \{a^l | l \ge 1\}$.
- There intersection is empty which is regular !!