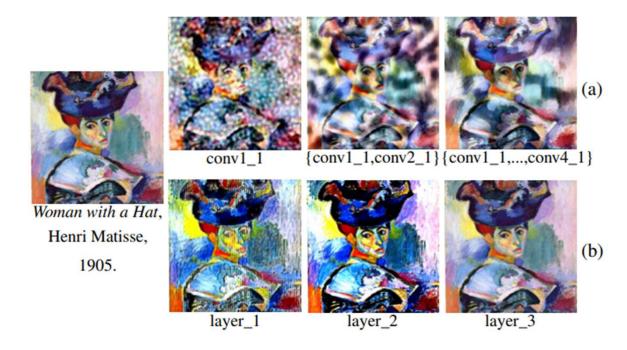
#### **StyTr2:Image Style Transfer with Transformers**

(CVPR 2022)

Hakjun Moon gloriel621@g.skku.edu TNT Vision 2024/05/07



#### Introduction



- (a): CNN Decoder Feature Visualization -> feature and fine detail loss
- (b): Transformer Decoder with Feature Visualization



#### Two differences from NLP Transformer

- 1. Sequence token of image is related to Contents Information.
- 2. Uses CAPE, which is robust against semantic features and dynamic resolution of the image.

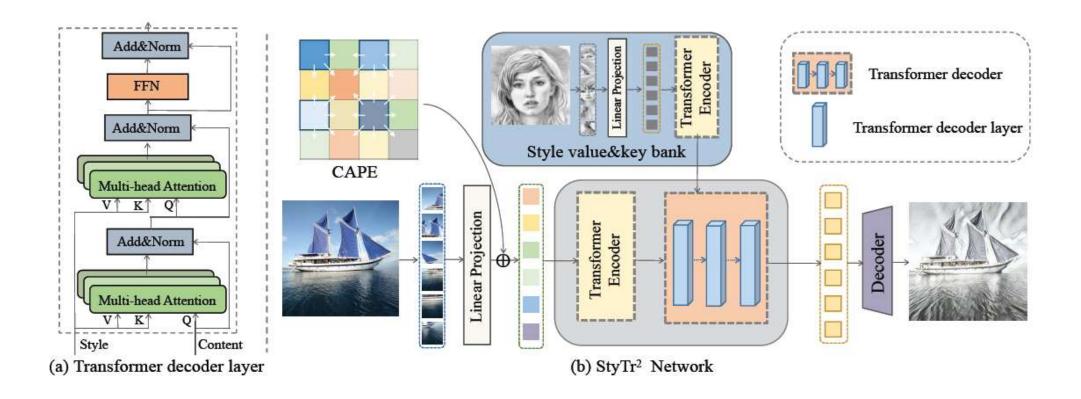


#### **Main Contributions**

- 1. A transformer-based style transfer framework called StyTr2
- 2. A content-aware positional encoding scheme (CAPE)
- 3. Good experiment results

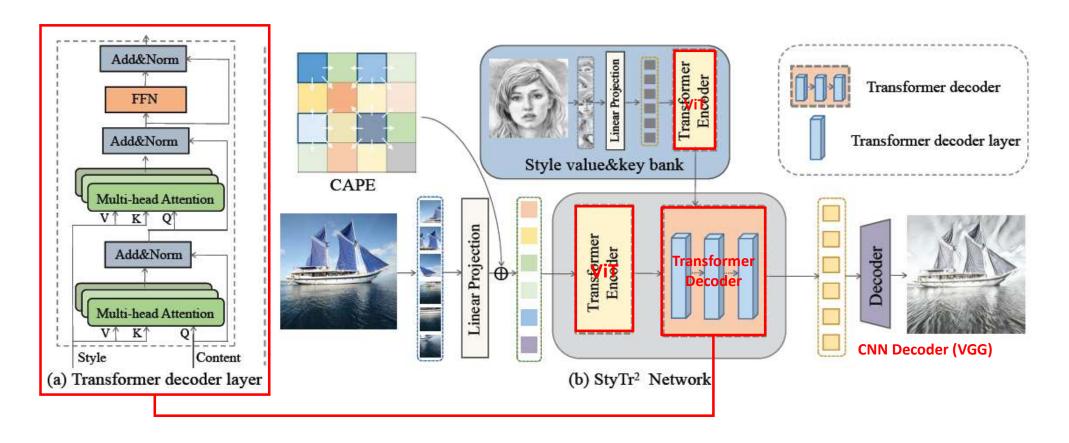


#### **Overall Architecture**





#### **Overall Architecture**





## **Style Transfer Transformer Encoder**

1. the embedding of an input content sequence

$$Z_c = \{\mathcal{E}_{c1} + \mathcal{P}_{\mathcal{CA}1}, \mathcal{E}_{c2} + \mathcal{P}_{\mathcal{CA}2}, ..., \mathcal{E}_{cL} + \mathcal{P}_{\mathcal{CA}L}\}$$

$$Q = Z_c W_q, \quad K = Z_c W_k, \quad V = Z_c W_v, \tag{4}$$

where  $W_q, W_k, W_v \in \mathbb{R}^{C \times d_{head}}$ . The multi-head attention is then calculated by

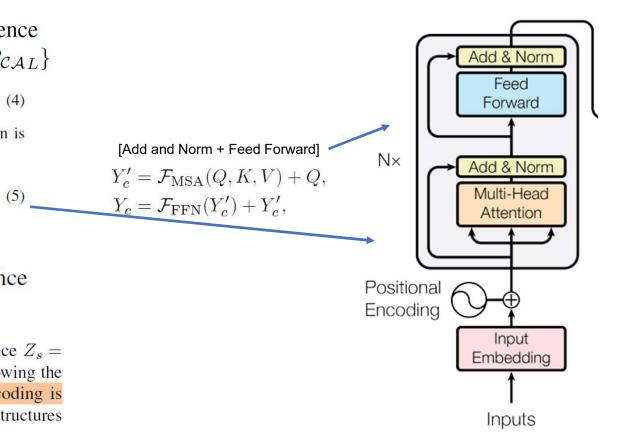
$$\mathcal{F}_{MSA}(Q, K, V) = \text{Concat}(\text{Attention}_1(Q, K, V), \dots, \text{Attention}_N(Q, K, V))W_o,$$
 (5)

(MSA = Multi Head Self Attention)

2. the embedding of an input style sequence

$$Z_s = \{\mathcal{E}_{s1}, \mathcal{E}_{s2}, ..., \mathcal{E}_{sL}\}$$

Similarly, the embedding of an input style sequence  $Z_s = \{\mathcal{E}_{s1}, \mathcal{E}_{s2}, ..., \mathcal{E}_{sL}\}$  is encoded into a sequence  $Y_s$  following the same calculation process, except that positional encoding is not considered because we do not need to maintain structures of the input style in the final output.



# **Style Transfer Transformer (Decoder)**

content sequence = Query

style sequence = Key, Value

transformer decoder includes the encoded content sequence, i.e.,  $\hat{Y}_c = \{Y_{c1} + \mathcal{P}_{\mathcal{CA}1}, Y_{c2} + \mathcal{P}_{\mathcal{CA}2}, ..., Y_{cL} + \mathcal{P}_{\mathcal{CA}l}\}$ , and the style sequence  $Y_s = \{Y_{s1}, Y_{s2}, ..., Y_{sL}\}$ . We use the content sequence to generate the query Q, and use the style sequence to generate the key K and the value V:

$$Q = \hat{Y}_c W_q, \quad K = Y_s W_k, \quad V = Y_s W_v. \tag{7}$$

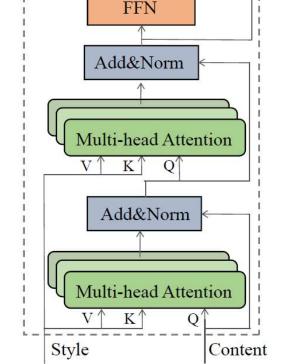
Then, the output sequence X of the transformer decoder can be calculated by

$$X'' = \mathcal{F}_{MSA}(Q, K, V) + Q,$$

$$X' = \mathcal{F}_{MSA}(X'' + \mathcal{P}_{CA}, K, V) + X'',$$

$$X = \mathcal{F}_{FFN}(X') + X'.$$
(8)

Layer normalization (LN) is also applied at the end of each block [22].



Add&Norm



#### [Traditional Positional Encoding using Transformer]

1. Attention Score for ith, jth patch

$$A_{i,j} = ((\varepsilon_i + \mathcal{P}_i)W_q)^T((\varepsilon_j + \mathcal{P}_j)W_k) = W_q^T \varepsilon_i^T \varepsilon_j W_k + W_q^T \varepsilon_i^T \mathcal{P}_j W_k + W_q^T \mathcal{P}_i^T \varepsilon_j W_k + W_q^T \mathcal{P}_i^T \mathcal{P}_j W_k, \quad (1)$$

2. The relationship between pixel  $(x_i, y_i)$  and  $(x_i, y_i)$ 

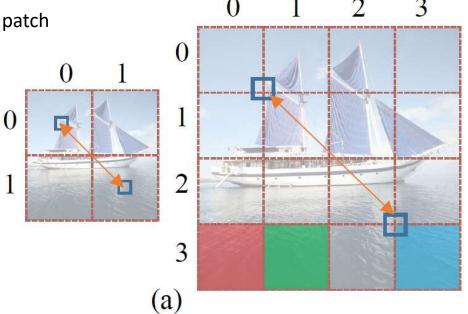
$$\mathcal{P}(x_i, y_i)^T \mathcal{P}(x_j, y_j) = \sum_{k=0}^{rac{d}{4}-1} [cos(w_k(x_j - x_i) + cos(w_k(y_j - y_i)))],$$
 (2)



#### [Problems of Traditional Method]

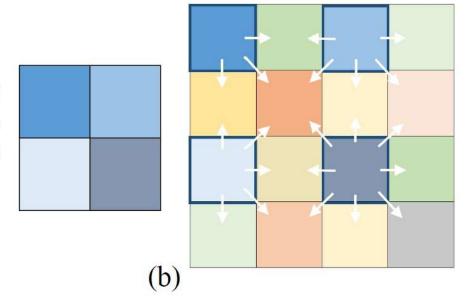
1. Distance of red and cyan patch > Distance of red and green patch (in terms of embedding vectors)

2. The positional Encoding using sin and cos does not fit well If the size of the input image changes.





For an image  $I \in \mathbb{R}^{H \times W \times 3}$ , we rescale the fixed  $n \times n$  positional encoding to  $\frac{H}{m} \times \frac{W}{m}$ , as shown in Figure 3(b). In this way, various image scales will not influence the spatial relation between two patches.





[ $n \times n$  CAPE for RGB image]

The CAPE of patch (x, y), namely ,  $\mathcal{P}_{\mathcal{C}\mathcal{A}}(x, y)$ , is formulated as

 $P_L$  = Positional encoding for  $\varepsilon$ 

$$\mathcal{P}_{\mathcal{L}} = \mathcal{F}_{pos}(AvgPool_{n \times n}(\mathcal{E})),$$

$$\mathcal{P}_{\mathcal{CA}}(x, y) = \sum_{k=0}^{s} \sum_{l=0}^{s} (a_{kl}\mathcal{P}_{\mathcal{L}}(x_k, y_l)),$$
(3)

where  $\operatorname{AvgPool}_{n \times n}$  is the average pooling function,  $\mathcal{F}_{pos}$  is  $1 \times 1$  convolution operation used as a learnable positional encoding function,  $\mathcal{P}_{\mathcal{L}}$  is learnable PE following the sequence  $\mathcal{E}$ , n is set to 18 in our experiments,  $a_{kl}$  is the interpolation weight, and s is the number of neighboring patches. Lastly, we add  $\mathcal{P}_{\mathcal{CA}i}$  to  $\mathcal{E}_i$  as the final feature embedding of the i-th patch at a pixel location (x, y).



#### **Loss Functions**



Style:  $I_s$ 



Input:  $I_c$ 



Output:  $I_o$ 

The generated results should maintain the original content structures and the reference style patterns. Therefore, we construct two different perceptual loss terms to measure the content difference between the output image  $I_o$  and the input content image  $I_c$ , as well as the style difference between  $I_o$  and the input style reference  $I_s$ .

where  $\phi_i(\cdot)$  denotes features extracted from the *i*-th layer in a pretrained VGG19 and  $N_l$  is the number of layers.

The content perceptual loss  $\mathcal{L}_c$  is defined as

$$\mathcal{L}_c = \frac{1}{N_l} \sum_{i=0}^{N_l} \|\phi_i(I_o) - \phi_i(I_c)\|_2, \tag{9}$$

The style perceptual loss  $\mathcal{L}_s$  is defined as

$$\mathcal{L}_{s} = \frac{1}{N_{l}} \sum_{i=0}^{N_{l}} \|\mu(\phi_{i}(I_{o})) - \mu(\phi_{i}(I_{s}))\|_{2} + \|\sigma(\phi_{i}(I_{o})) - \sigma(\phi_{i}(I_{s}))\|_{2},$$
(10)

where  $\mu(\cdot)$  and  $\sigma(\cdot)$  denote the mean and variance of extracted features, respectively.



#### **Loss Functions**

We also adopt identity loss [15] to learn richer and more accurate content and style representations. Specifically, we take two of the same content (style) images into  $\operatorname{StyTr}^2$ , and the generated output  $I_{cc}(I_{ss})$  should be identical to the input  $I_c(I_s)$ . Therefore, we compute two identity loss terms to measure the differences between  $I_c(I_s)$  and  $I_{cc}(I_{ss})$ :

$$\mathcal{L}_{id1} = \|I_{cc} - I_c\|_2 + \|I_{ss} - I_s\|_2,$$

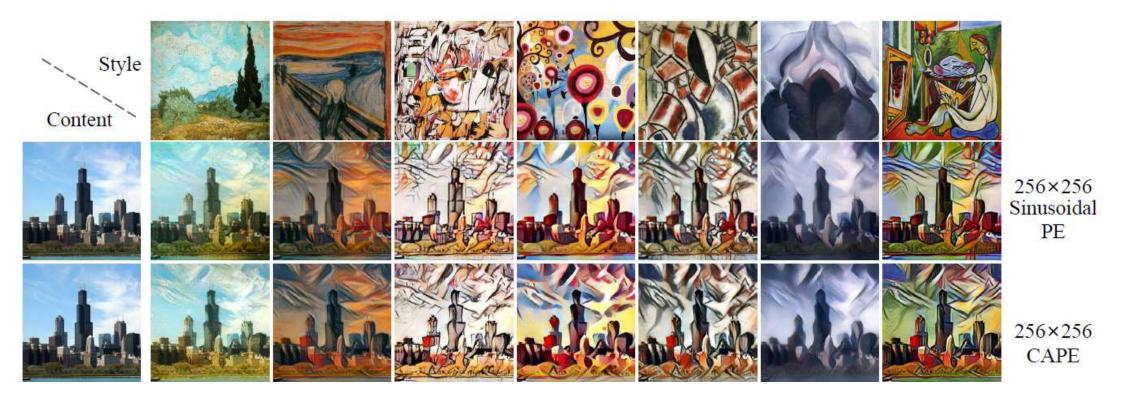
$$\mathcal{L}_{id2} = \frac{1}{N_l} \sum_{i=0}^{N_l} \|\phi_i(I_{cc}) - \phi_i(I_c)\|_2 + \|\phi_i(I_{ss}) - \phi_i(I_s)\|_2.$$



#### **Loss Functions**

$$\mathcal{L} = \lambda_c \mathcal{L}_c + \lambda_s \mathcal{L}_s + \lambda_{id1} \mathcal{L}_{id1} + \lambda_{id2} \mathcal{L}_{id2}. \tag{12}$$





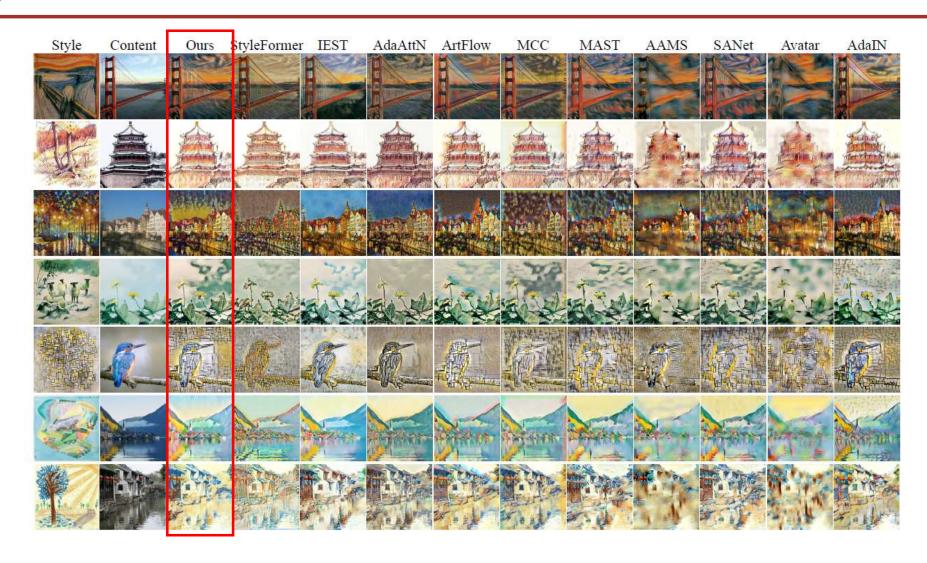














Ours	StyleFormer	<b>IEST</b>	AdaAttN	ArtFlow	MCC	MAST	AAMS	SANet	Avatar	AdaIN
$\mathcal{L}_c\downarrow$ 1.91	2.86	1.97	2.29	2.13	2.38	2.46	2.44	2.44	2.84	2.34
$\mathcal{L}_s \downarrow   \underline{1.47}$	2.91	3.47	2.45	3.08	1.56	1.55	3.18	1.18	2.86	1.91

#### TABLE II

QUANTITATIVE COMPARISONS. WE COMPUTE THE AVERAGE CONTENT AND STYLE LOSS VALUES OF RESULTS BY DIFFERENT METHODS TO MEASURE HOW WELL THE INPUT CONTENT AND STYLE ARE PRESERVED. THE BEST RESULTS ARE IN BOLD WHILE THE SECOND-BEST RESULTS ARE MARKED WITH AN UNDERLINE.

 $L_c$ : concept perceptual loss

 $L_s$ : style perceptual loss



# **Inference Example**

Input/Output







Style







