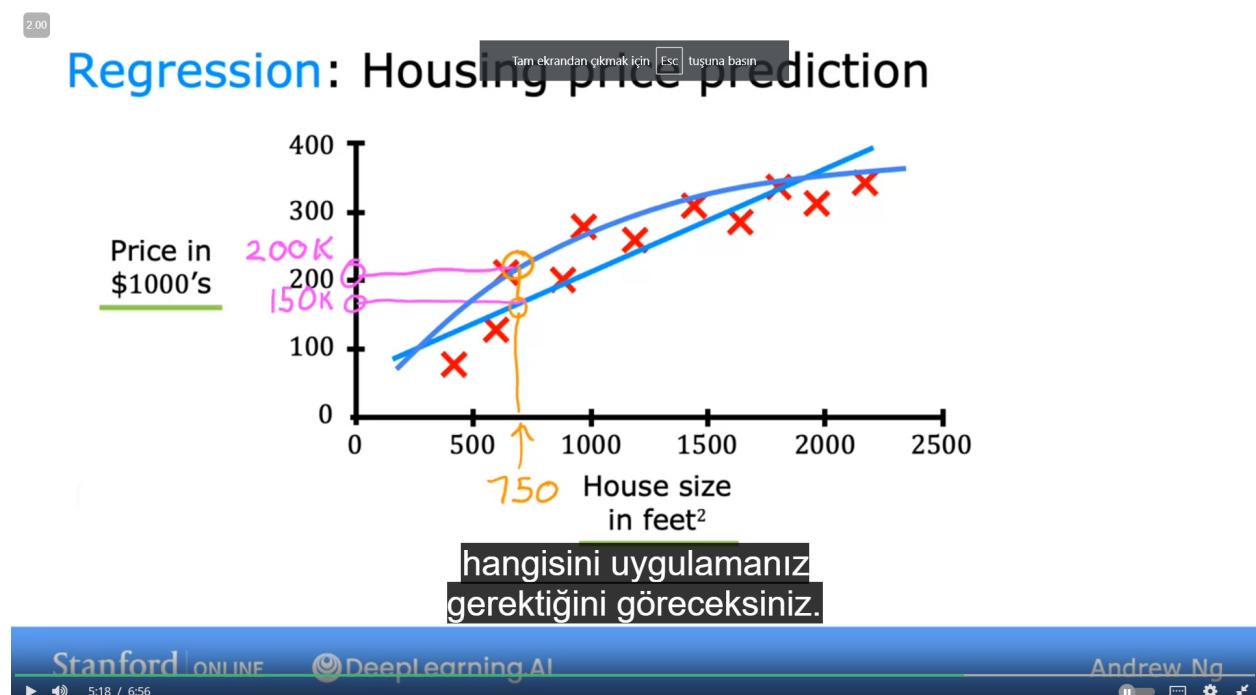


akademi slayt

Input (X)	Output (Y)	Application
email	spam? (0/1)	spam filtering
audio	text transcripts	speech recognition
English	Spanish	machine translation
ad, user info	click? (0/1)	online advertising
image, radar info	position of other cars	self-driving car
image of phone	Bütüün bu uygulamalarda yapacağınız şey aynıdır;	visual inspection

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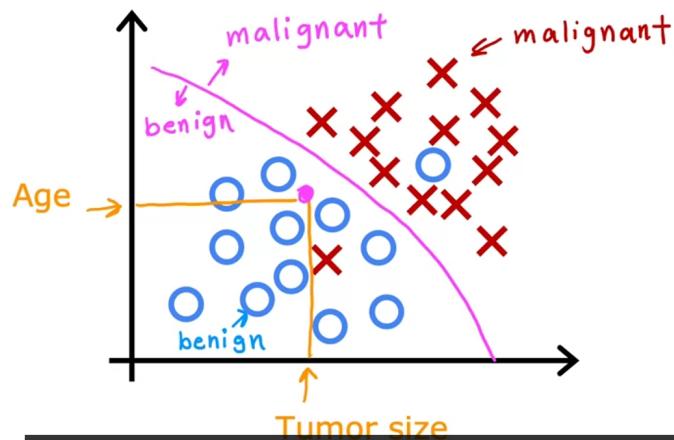


regresyon sonsuz sayıda sayı arasında tahminleme

classification 2 sınıf arası

2.00

Two or more inputs



Göğüs kanseri üzerine çalışan arkadaşlarım
çok daha fazla giriş değerleri kullanıyor.

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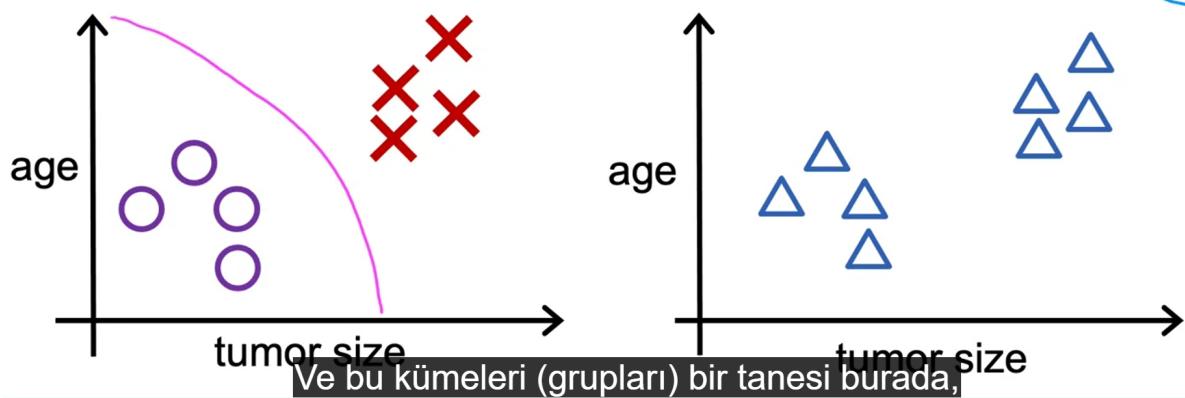
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2.00

Supervised learning
Learn from data **labeled**
with the "**right answers**"

Unsupervised learning
Find something interesting
in **unlabeled** data.



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Clustering: Google news

Giant panda gives birth to rare twin cubs at Japan's oldest zoo

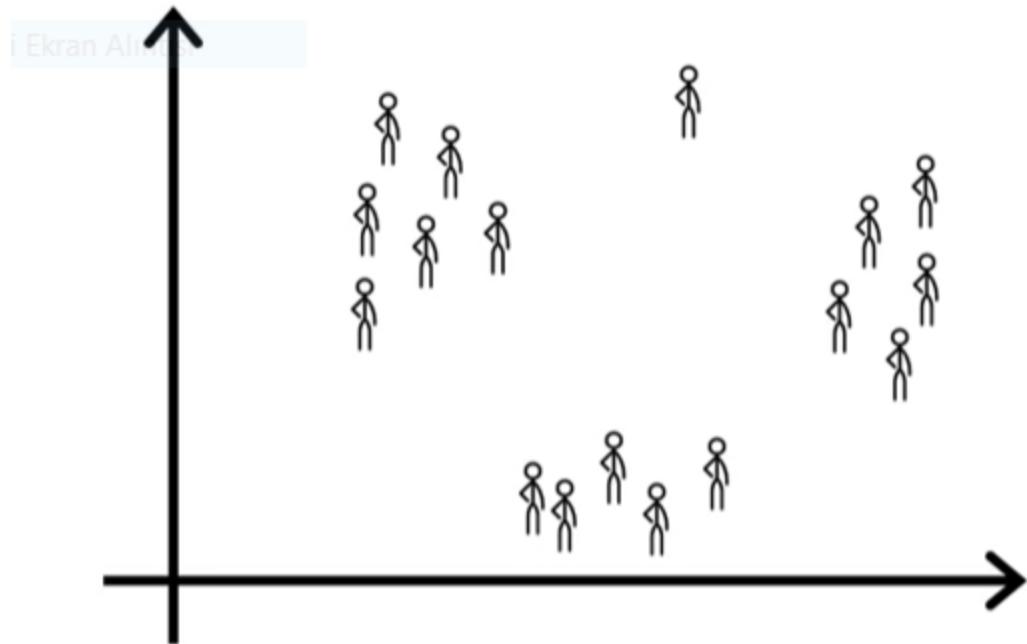
USA TODAY · 6 hours ago

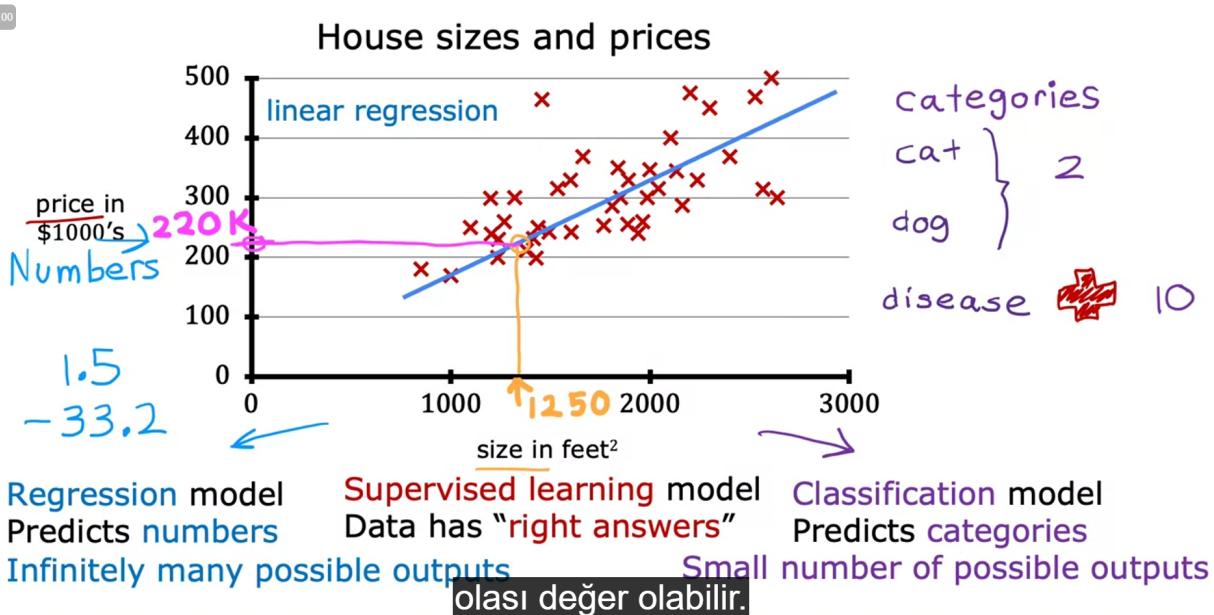
- Giant panda gives birth to twin cubs at Japan's oldest zoo
- Giant panda gives birth to twin cubs at Tokyo's Ueno Zoo
- A Joyful Surprise at Japan's Oldest Zoo: The Birth of Twin Pandas
- Twin Panda Cubs Born at Tokyo's Ueno Zoo

[View Full Coverage](#)

Kümeleme algoritmasıyla ilgili havalı olan şey ise,

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2.00 Terminology

Training set:	x size in feet ²	Data used to train the model	y price in \$1000's
(1)	2104		400
(2)	1416		232
(3)	1534		315
(4)	852		178
...
(47)	3210		870
$x^{(1)} = 2104$		$y = 400$	
$(x, y) = (2104, 400)$			

Notation:

x = "input" variable
feature

y = "output" variable
"target" variable

m = number of training examples

(x, y) = single training example

$(x^{(i)}, y^{(i)})$

$(x^{(i)}, y^{(i)})$ = i^{th} training example

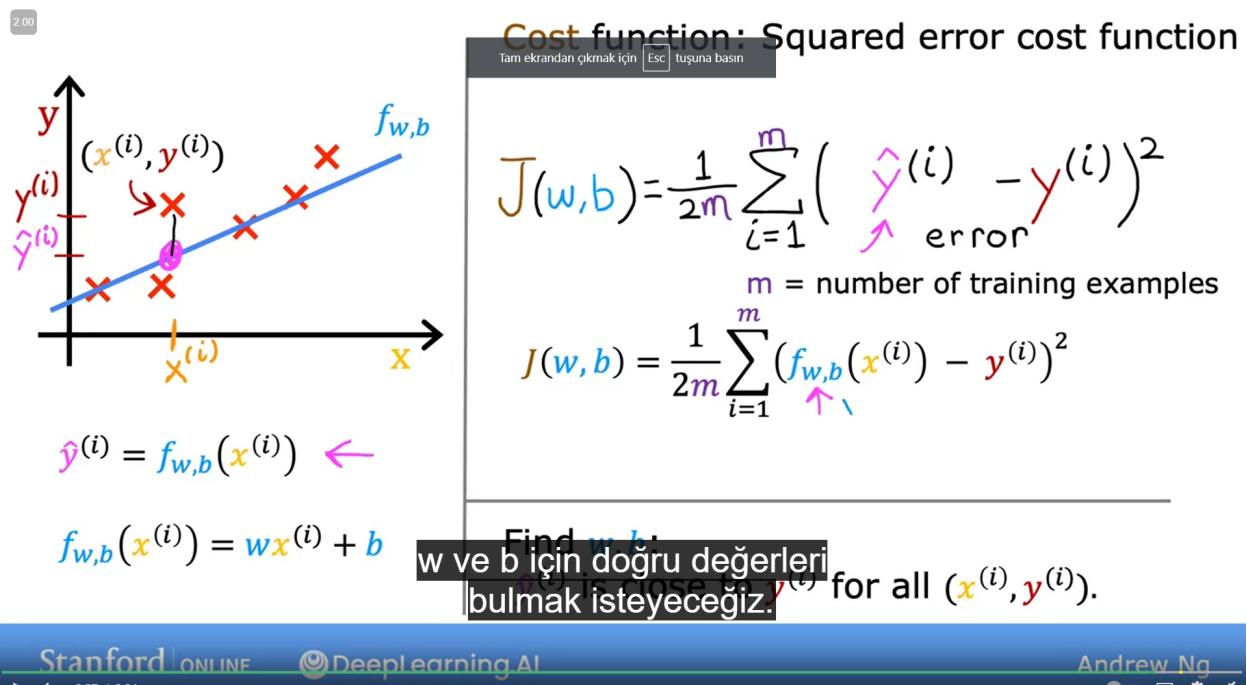
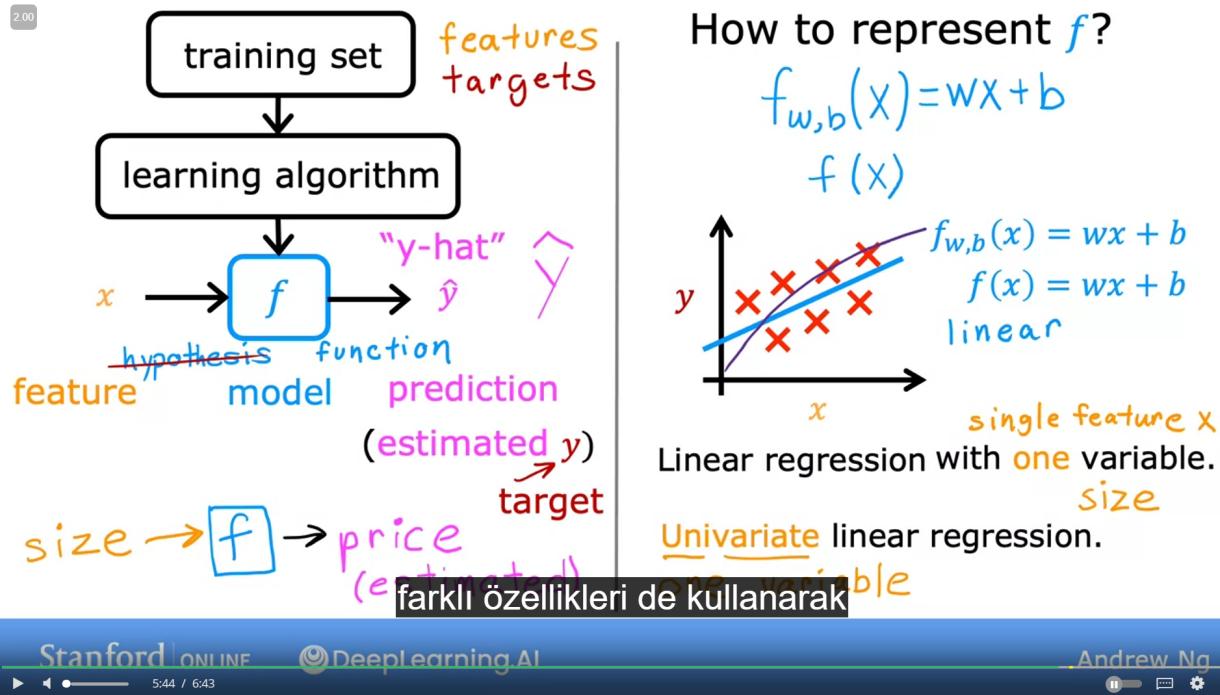
(1st, 2nd, 3rd ...)

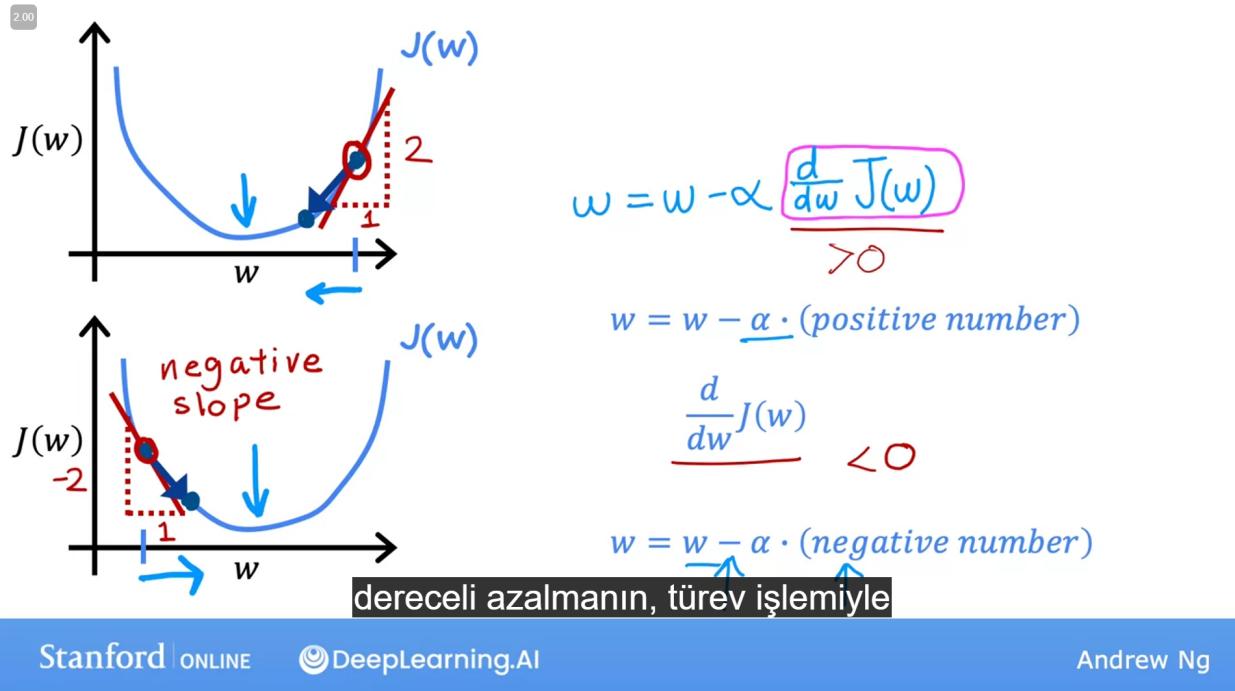
bu da $x^1 = 2104$

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$$w = w - \alpha \frac{d}{dw} J(w)$$

If α is too small...

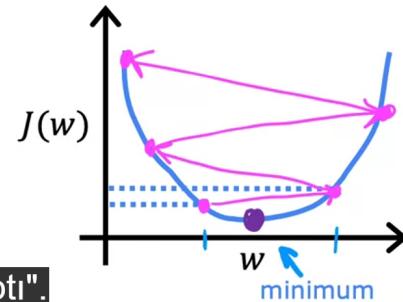
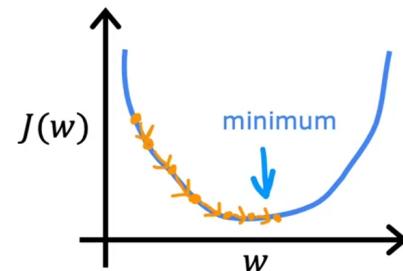
Gradient descent may be slow.

If α is too large...

Gradient descent may:

- Overshoot, never reach minimum
- Fail to converge, diverge

ve hatta "yolundan saptı".



2.00

Can reach local minimum with fixed learning rate

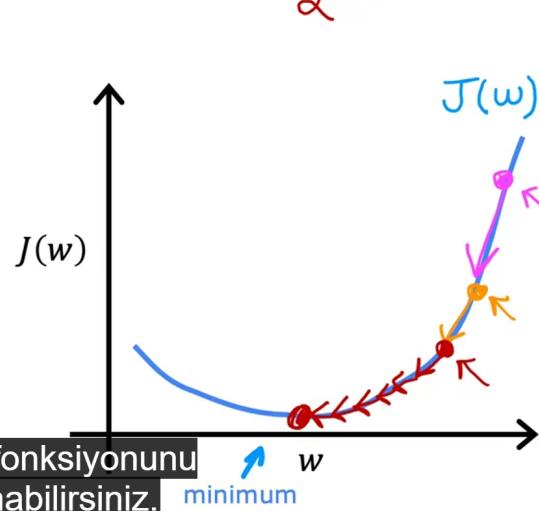
$$w = w - \alpha \frac{d}{dw} J(w)$$

smaller
not as large
large

- Near a local minimum,
- Derivative becomes smaller
 - Update steps become smaller

Can reach minimum without decreasing learning rate

Herhangi bir J cost fonksiyonunu küçültmede kullanabilirsiniz.



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(Optional)

$$\frac{\partial}{\partial w} J(w, b) = \frac{\partial}{\partial w} \frac{1}{2m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})^2 = \frac{\partial}{\partial w} \frac{1}{2m} \sum_{i=1}^m (wx^{(i)} + b - y^{(i)})^2$$

$$= \cancel{\frac{1}{2m}} \sum_{i=1}^m (wx^{(i)} + b - y^{(i)}) \cancel{\frac{\partial}{\partial x^{(i)}}} = \boxed{\frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})x^{(i)}}$$

$$\frac{\partial}{\partial b} J(w, b) = \frac{\partial}{\partial b} \frac{1}{2m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})^2 = \frac{\partial}{\partial b} \frac{1}{2m} \sum_{i=1}^m (wx^{(i)} + b - y^{(i)})^2$$

$$= \cancel{\frac{1}{2m}} \sum_{i=1}^m (wx^{(i)} + b - y^{(i)}) \cancel{\frac{\partial}{\partial b}} = \boxed{\frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})}$$

Artık dereceli azalma algoritmasına koyabiliriz.

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multiple linear regression

Multiple features (variables)

Size in feet ²	Number of bedrooms	Number of floors	Age of home in years	Price (\$) in \$1000's
x_1	x_2	x_3	x_4	
2104	5	1	45	460
1416	3	2	40	232
1534	3	2	30	315
852	2	1	36	178
...

$i=2$

$x_j = j^{th}$ feature

$n = \text{number of features}$

$\vec{x}^{(i)} = \text{features of } i^{th} \text{ training example}$

$x_j^{(i)} = \text{value of feature } j \text{ in } i^{th} \text{ training example}$

Bazen x^2 ifadesinin sayı olmadığını,

$j=1 \dots 4$

$n=4$

$$\vec{x}^{(2)} = [1416 \ 3 \ 2 \ 40]$$

$$x_3^{(2)} = 2$$

The screenshot shows a video player interface with the Stanford Deep Learning AI logo. The video progress bar indicates 3:00 / 9:51. The main content area displays the gradient descent algorithm for one feature and n features ($n \geq 2$). The algorithm is shown as a repeat loop with update equations for w and b . A pink box highlights the update equation for w in the one-feature case, and another pink box highlights the update equation for w_1 in the n -feature case. Handwritten annotations include 'One feature' above the one-feature section, ' $j=1 \dots n$ ' above the n -feature section, and 'simultaneously update' below the update equations.

Gradient descent

repeat {
One feature

$$w = w - \alpha \frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)}) x^{(i)}$$

$$\hookrightarrow \frac{\partial}{\partial w} J(w, b)$$

$$b = b - \alpha \frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})$$

simultaneously update w, b for $j = 1, \dots, n$ and b

}

n features ($n \geq 2$)

repeat {

$$j=1 \quad w_1 = w_1 - \alpha \frac{1}{m} \sum_{i=1}^m (f_{\bar{w},b}(\vec{x}^{(i)}) - y^{(i)}) x_1^{(i)}$$

$$\vdots \quad \hookrightarrow \frac{\partial}{\partial w_1} J(\vec{w}, b)$$

$$w_n = w_n - \alpha \frac{1}{m} \sum_{i=1}^m (f_{\bar{w},b}(\vec{x}^{(i)}) - y^{(i)}) x_n^{(i)}$$

$$b = b - \alpha \frac{1}{m} \sum_{i=1}^m (f_{\bar{w},b}(\vec{x}^{(i)}) - y^{(i)})$$

simultaneously update

Coklu regresyon için
dereceli azalma bu kadardı.

The screenshot shows a video player interface with the Stanford Deep Learning AI logo. The video progress bar indicates 4:32 / 7:45. The main content area displays the gradient descent algorithm for one feature and n features ($n \geq 2$). The algorithm is shown as a repeat loop with update equations for w and b . A pink box highlights the update equation for w in the one-feature case, and another pink box highlights the update equation for w_1 in the n -feature case. Handwritten annotations include 'One feature' above the one-feature section, ' $j=1 \dots n$ ' above the n -feature section, and 'simultaneously update' below the update equations.

2.00 Parameters and features

$\vec{w} = [w_1 \ w_2 \ w_3] \quad n=3$

b is a number

$\vec{x} = [x_1 \ x_2 \ x_3]$

linear algebra: count from 1
 $w[0] \quad w[1] \quad w[2]$

```
w = np.array([1.0, 2.5, -3.3])
b = 4
x = np.array([10, 20, 30])
code: count from 0
```

Without vectorization $n=100,000$

$f_{\vec{w}, b}(\vec{x}) = w_1 x_1 + w_2 x_2 + w_3 x_3 + b$

```
f = w[0] * x[0] +
    w[1] * x[1] +
    w[2] * x[2]
```



donanım kullanma yeteneği, for döngüsü

Without vectorization

$$f_{\vec{w}, b}(\vec{x}) = \left(\sum_{j=1}^n w_j x_j \right) + b \quad \sum_{j=1}^n \rightarrow j=1 \dots n$$

$$\text{range}(0, n) \rightarrow j=0 \dots n-1$$

```
f = 0
for j in range(0, n):
    f = f + w[j] * x[j]
f = f + b
```



Vectorization

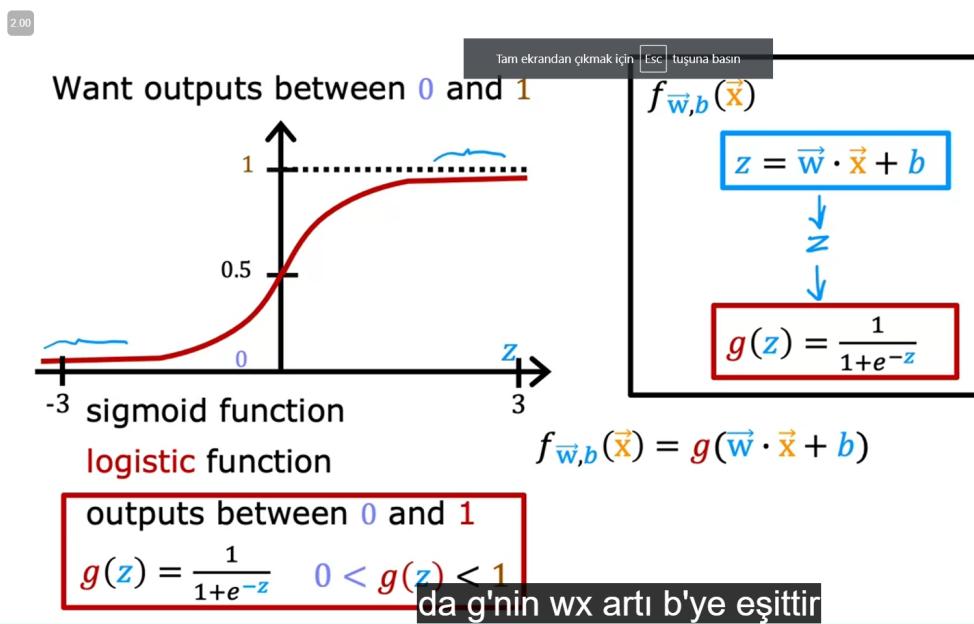
$f_{\vec{w}, b}(\vec{x}) = \vec{w} \cdot \vec{x} + b$

```
f = np.dot(w, x) + b
```



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LOGISTIC REGRESSION



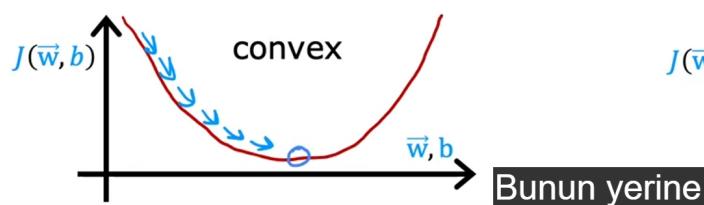
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Squared error cost

$$J(\vec{w}, b) = \frac{1}{m} \sum_{i=1}^m \frac{1}{2} (f_{\vec{w}, b}(\vec{x}^{(i)}) - y^{(i)})^2$$

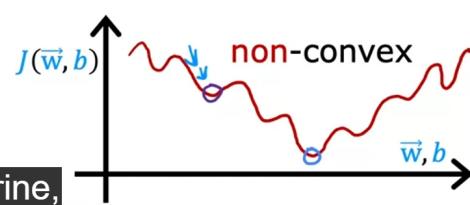
linear regression

$$f_{\vec{w}, b}(\vec{x}) = \vec{w} \cdot \vec{x} + b$$



logistic regression

$$f_{\vec{w}, b}(\vec{x}) = \frac{1}{1 + e^{-(\vec{w} \cdot \vec{x} + b)}}$$



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Simplified cost function

$$\text{loss } L(f_{\vec{w}, b}(\vec{x}^{(i)}), y^{(i)}) = -y^{(i)} \log(f_{\vec{w}, b}(\vec{x}^{(i)})) - (1 - y^{(i)}) \log(1 - f_{\vec{w}, b}(\vec{x}^{(i)}))$$

$$\text{cost} \quad J(\vec{w}, b) = \frac{1}{m} \sum_{i=1}^m [L(f_{\vec{w}, b}(\vec{x}^{(i)}), y^{(i)})]$$

$$= -\frac{1}{m} \sum_{i=1}^m [y^{(i)} \log(f_{\vec{w}, b}(\vec{x}^{(i)})) + (1 - y^{(i)}) \log(1 - f_{\vec{w}, b}(\vec{x}^{(i)}))]$$

more

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