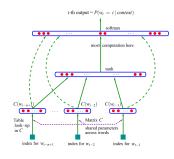
## **Basics**

# Neural Probabilistic Language Model



#### Learning goals

- defined the key learning goals here
- second learning goal

#### WHAT IS A LANGUAGE MODEL?

#### Wikipedia says:

"A statistical language model is a probability distribution over sequences of words"

This means (a) assigning a probability to a sequence of words, e.g.

P("we are all interested in NLP")

and (b) assigning a probability to the likelihood of a word given a sequence of words, e.g.

P("NLP"| "we are all interested in")

©

#### CF. PREVIOUS CHAPTER

#### Predict the next token:

$$P_{(w_1,w_2,\ldots,w_n)} = p(w_1)p(w_2|w_1)p(w_3|w_1,w_2)...p(w_n|w_1,w_2,..,w_{n-1})$$
 
$$= \prod_{i=1}^n p(w_i|w_1,...,w_{i-1})$$
 
$$S = \text{Where are we going}$$
 
$$Previous \ \text{words} \ \text{word being} \ \text{(Context)}$$
 predicted

$$P(S) = P(Where) \times P(are \mid Where) \times P(we \mid Where are) \times P(going \mid Where are we)$$

➤ Source: The Gradient

#### MAKING USE OF THE MARKOV-ASSUMPTION

#### The Markov-Assumption

- "The future is independent of the past given the present"
- In NLP context:
  - $\rightarrow$  Next word only depends on the k previous words
  - $\rightarrow$  kth order markov assumption with k to be chosen manually

#### "Traditional" count-based models

- Good baselines, but severe shortcomings
- Lacking the ability to generalize

#### WHAT ARE POTENTIAL PROBLEMS?

#### **Curse of dimensionality**

- Linear increase in context size leads to an exponential increase in the number of parameters
- Considering a vocabulary of size |V| = 100,000:
  - $\rightarrow$  Already for bi-grams:  $|V|^2 = 10^{10}$  possible combinations

## **Sparsity**

- Again, considering |V| = 1.000.000 & bi-grams as context
- Unlikely to observe all of them bi-gram combinations
  - ever
  - often

## A NEURAL PROBABILISTIC LANGUAGE MODEL

#### Idea

- Using a neural network induces non-linearity and overcomes the shortcomings of traditional models
  - Linear increase in #parameters with increasing context size
  - Better generalization
- Input: Context of (n-1) words

$$[w_{(t-n+1):(t-1)}]$$

- In between:
  - Look-up table

$$\left[\vec{w}^{(w_{t-n+1})}; ...; \vec{w}^{(w_{t-2})}; \vec{w}^{(w_{t-1})}\right]$$

Non-linearity

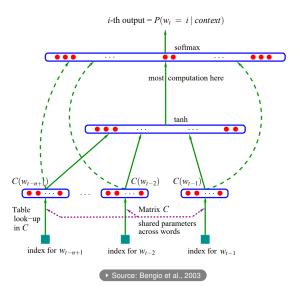
e.g. tanh, ReLU

Output:

Probability distribution over the next word

$$P(w_t|w_{(t-n+1):(t-1)})$$

### **GRAPHICAL ILLUSTRATION**



Note:  $C(\cdot)$  replaced by  $\vec{w}^{(\cdot)}$  on the previous slide.

#### WHAT COULD BE PROBLEMATIC?

#### **Computational cost**

- Vanilla softmax is expensive
- Proposed solution(s):
  - Hierarchical softmax → Morin and Bengio, 2005
  - Sampling Approaches (next chapter)

#### Still relying on the markov assumption

Context window has to be specified manually