

STANDARD VS. BLACK-BOX OPTIMIZATION

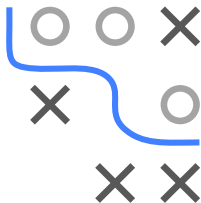
Optimization: Find

$$\min_{\mathbf{x} \in \mathcal{S}} f(\mathbf{x})$$

with objective function

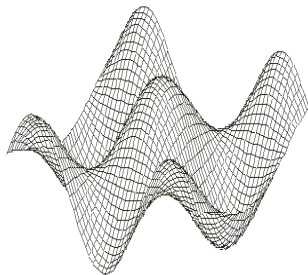
$$f : \mathcal{S} \rightarrow \mathbb{R},$$

where \mathcal{S} is usually box constrained.



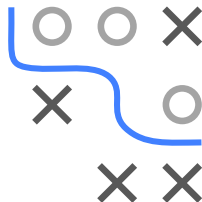
If we are lucky ...

- ... we have an analytic description of $f : \mathcal{S} \rightarrow \mathbb{R}$
- ... we can calculate gradients and use gradient-based methods (e.g. gradient descent) for optimization



EXAMPLES FOR BAYESIAN OPTIMIZATION

- 1 Robot Gait Optimization: The robot's gait is controlled by a **parameterized controller**



- **Goal:** Find parameters s.t. average velocity (directional speed) of the robot is maximized
- Parameters of the gait control e.g. joints of ankles and knees
- *Calandra et al. (2014). An Experimental Evaluation of Bayesian Optimization on Bipedal Locomotion*

NAIVE APPROACHES

- 1 Empirical knowledge / manual tuning
 - Select parameters based on “expert” knowledge
 - **Advantages:** Can lead to fairly good outcomes for known problems
 - **Disadvantages:** Very (!) inefficient, poor reproducibility, chosen solution can also be far away from a global optimum

