

# INDEX

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## QUEUES

Q22] Implement Queue using Stacks S1 & S2.

- You have 2 stacks.
- For Enqueue push data into S1
- For dequeue, pop all the data from S1 and push it into S2 till S1 is empty.
- Now pop from S2 to dequeue.
- Now again if you want to insert, <sup>(enqueue) push</sup> insert in S1 only.

Code:

```
void push (int x)
{ S1.push(x); }

int pop () {
    if (S2.size() == 0) {
        if (S1.size() == 0) {
            return -1;
        } else {
            information
        }
    }
}
```

while (!S1.size() == 0) {

```
    int a = S1.pop();
    S1.pop();
    S2.push(a);
}
```

Time:  $O(1) \rightarrow \text{Push}$

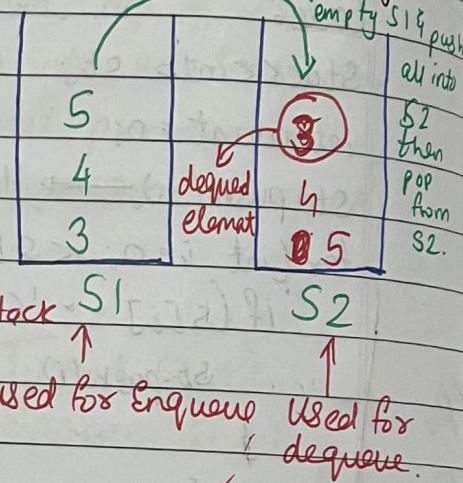
$O(n) \rightarrow \text{Pop}$ .

Space:  $O(n)$

~~to me we are not using any extra space. Stack are already given to us.~~

```
int b = S2.top();
S2.pop();
return b;
```

}



Q19] Implement Stack using 2 Queues.

- Push data into  $q_1$
- ~~copy~~ put all the elements of  $q_2$  into  $q_1$  until  $q_2$  is empty
- Swap elements of  $q_1$  &  $q_2$  & repeat same operation for push
- To Pop: just pop out the front element of  $q_2$ .

Code:

```
void Push (int x) {
    q1.push (x);
    while (!q2.empty ()) {
        q1.push (q2.front ());
        q2.pop ();
    }
}
```

Swap ( $q_1$ ,  $q_2$ ):

```
int Pop () {
    int ans;
    if ( $q_2$ .empty ()) {
        return -1;
    } else {
        ans =  $q_2$ .front ();
         $q_2$ .pop ();
        return ans;
    }
}
```

Time:  $O(n) \rightarrow$  To push;  $O(1) \rightarrow$  To pop.

Space:  ~~$O(n)$~~   $O(2n) \rightarrow$  2 queues.

Using 1 Queue::

Maintain ~~size~~ variable. ~~We will~~ We will pop size - 1 elements from front of  $q_1$  & push them back. i.e. if in queue there are 3 2 1 already; Push (4)

push (int x) {

$q_1$ .push (x);

int sz;

$sz = q_1.size () - 1;$

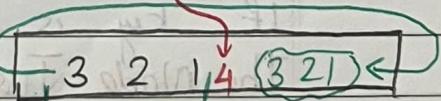
while ( $sz--$ ) {

$q_1.push (q_1.front ());$

$q_1.pop ();$

}

}



Pop size - 1 elements &

push them behind 4

Pop will be same

as above  $\rightarrow$  pop the

$q_1.push (q_1.front ());$  first element

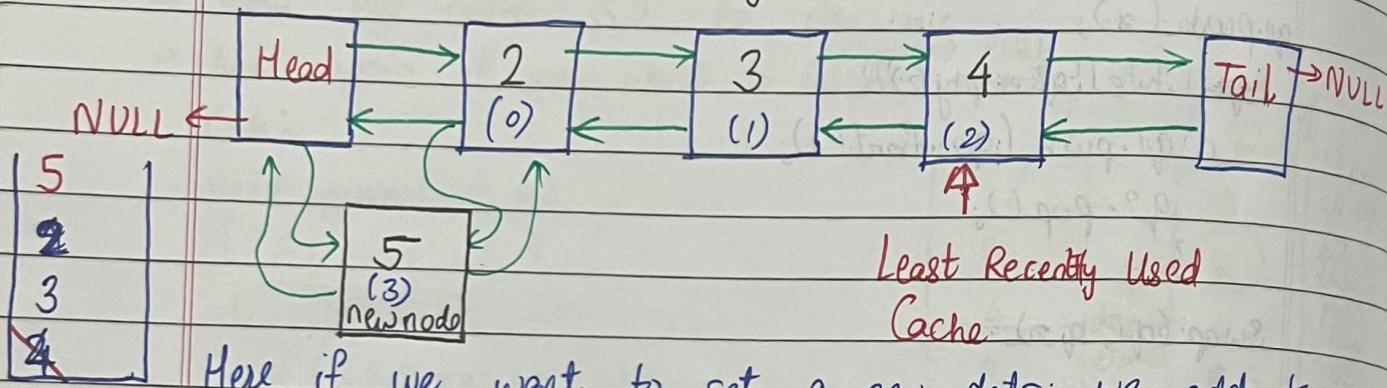
of  $q_1.$

Time  $\rightarrow O(n) \rightarrow$  To push  
 $O(1) \rightarrow$  To pop

Space  $\rightarrow O(n) \rightarrow$  1 queue used.

## ~~OSA~~ Q25) LRU Cache. (good Ques)

- We will use Hash Map and Queues using Doubly Link list. When we have to set a cache; we add its key to the hash map and value will be Node of DLL which will contain the key and value of cache.
- Why we use Doubly Linked List?  
 Consider, hash map capacity = 3



Here if we want to set a new data; we add the temp node just before head, & if the cache is already full; you <sup>(delete)</sup> remove the LRU node i.e 4

If we want to get data, first we find the key is present in Hashmap or not. If present → remove key from map, <sup>delete that node</sup>, add Node to DLL just after head; and now add the key to the map as `head->next`.  
 If key is not present in map; return -1.

The Node Just Before Tail will always be LRU.

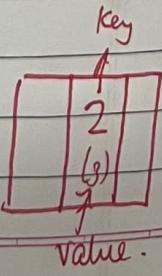
Code:

```
Class Nodo {
    int key;
    int value;
    Nodo* next;
    Nodo* prev;
}
```

```
Nodo (int key, int value) {
```

```
    this->key = key;
    this->value = value;
}
```

in Nodo



$\text{Node}^* \text{head} = \text{new Node}(-1, -1);$   
 $\text{Node}^* \text{tail} = \text{new Node}(-1, -1);$   
 $\text{int cap} = 0;$   
 $\text{unordered\_map} < \text{int, Node}^* \rangle m;$

LRU Cache (int cap){

$\text{this} \rightarrow \text{cap} = \text{cap};$

$\text{head} \rightarrow \text{next} = \text{tail};$

$\text{tail} \rightarrow \text{prev} = \text{head}$

$\text{head} \rightarrow \text{prev} = \text{tail} \rightarrow \text{next} = \text{NULL};$

}

void addNode (Node\* newnode).

{ Node\* temp;

$\text{temp} = \text{head} \rightarrow \text{next};$

$\text{newnode} \rightarrow \text{next} = \text{temp};$

$\text{newnode} \rightarrow \text{prev} = \text{head};$

$\text{head} \rightarrow \text{next} = \text{newnode};$

$\text{temp} \rightarrow \text{prev} = \text{newnode};$

}

Adding new node just  
after  
before head.

void deleteNode (Node\* delnode){

$\text{Node}^* \text{delprev};$

$\text{Node}^* \text{delnext};$

$\text{delprev} = \text{delnode} \rightarrow \text{prev};$

$\text{delnext} = \text{delnode} \rightarrow \text{next};$

$\text{delprev} \rightarrow \text{next} = \text{delnext};$

$\text{delnext} \rightarrow \text{prev} = \text{delprev};$

(Deleting) the node

Time:  $O(n)$  for both get & set as we use Maps

Space:  $O(1)$  for both get & set.

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```
int get(int key){ if you find the key in the hashmap  
    if (m.find[key] != m.end()) {  
        Node* resnode = m[key]; → store the key in resnode  
        int res = resnode → value;  
        m.erase[key];  
        deletenode(resnode); → delete that node  
        addnode(resnode); → add that node just before head  
        m[key] = head → next; → Add the key of that node  
        return res; → in map.  
    }  
    else {  
        return -1; → if key not found in map; return -1  
    }  
}
```

```
void set(int key, int value){  
    if (m.find(key) != m.end()) { → if you find the key in the  
        Node* existingnode = m[key]; → hashmap before map ends  
        m.erase(key); → erase the key if key is found  
        deletenode(existingnode); → as we need to update value  
    }  
    if (m.size() == cap) { → delete that node.  
        m.erase[key]; → If Hashmap is full  
        m.erase(tail → prev → key); → Erase the tail LRU key  
        deletenode(tail → prev); → delete LRU node.  
    }  
    addnode(new Node(key, value)); → add the new node  
    m[key] = head → next; → which we want to  
    }  
    };
```

↓  
add the data in  
the map.

Time: Enqueue  $\rightarrow O(1)$

Dequeue  $\rightarrow O(1)$

Space:  $O(n)$

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Q23]

Implement  $K$  Queues in Array Efficiently. (Good Ques)

- Similar to  $K$  stacks in Array.
- arr[n] → store elements of  $K$  queues.
- front[K] → store index of first element of  $K^{th}$  Queue.
- rear[K] → store index of last element of  $K^{th}$  Queue.
- next[n] →
  - ① If queue index is empty store the next free index
  - ② if index is occupied; store the index of the prev element of that queue.
- a free variable → that will contain the next free index.

Code:

Enqueue (int data, int k){

if (isFull()) {

cout << "Queue Overflow";

return;

int i = free; <sup>available</sup> → i will store free space

free = next[i]; <sup>index</sup> → free → next available space

if (isEmpty()) { <sup>if Kth q is empty.</sup>

front[k] = i; <sup>first element will be front</sup>

} else { <sup>else update rear with a element's</sup>

next[rear[K]] = i; <sup>before's index</sup>

next[i] = -1;

rear[K] = i; <sup>update rear as new inserted</sup>

arr[i] = data; <sup>data</sup>

}

↳ add data to Q in array.

Dequeue (int k){

if (isEmpty(k)) {

cout << "Queue Underflow";

return;

}

→ as you have to dequeue

int i = front[k]; <sup>first element of kth q</sup>

→ as we are storing index of prev element

front[k] = next[i]; <sup>of each element</sup>

if the index is already occupied. So this will be front

next[i] = free; <sup>Attach prev front</sup>

free = i; <sup>to begining of free list</sup>

→ return the prev front item

return arr[i]; <sup>from array,</sup>

}

Constructor: K Queues & int k1, int n1)

{ k = k1, n = n1;

arr = new int[n];

front = new int[k];

rear = new int[k];

next = new int[n];

for (int i = 0; i < k; i++) {

front[i] = -1;

free = 0;

for (int i = 0; i < n - 1; i++)

{ next[i] = i + 1; }

next[n - 1] = -1;

Q26

### Reverse Queue Using Recursion

- Pop the front of Queue & store it in data var
- Call the recursion again on that Queue.
- push the data in Queue (will be call after recursion time)

Code:

```
queue<int> rev(queue<int> q) {
```

```
if (q.size() != 0) {
```

```
int data = q.front(); Problem in this is that
```

```
q.pop(); in recursion stack each time
```

q = rev(q); entire q will be stored making

q.push(data); Time & space complexity more

return q; Solution: Make another function & pass

queue by ADDRESS (&q)

```
else return q;
```

```
}
```

Code:

```
queue<int> rev(queue<int> q) {
```

```
func(q);  
return & q;
```

```
}
```

```
void func(queue<int>
```

```
if (q.size() != 0) {
```

```
int data = q.front();
```

```
q.pop();
```

```
func(q);
```

```
q.push(data);
```

```
}
```

```
}
```

V.VIMP Remember for ahead codes also

Passing by address so that  
that same q is updated  
&q } on whatever operation we  
do; else every time a new  
queue would be made in  
the memory.

Q26

### Queue & Stack using Dequeue

- Make a Doubly Linked List.
- Make 4 functions: insertFirst(); deleteFirst(); insertLast(); deleteLast();
- These are normal Linked List Functions
- Make a ~~front~~ Stack which will have class
  - push → insertLast()
  - pop → deleteLast()
- Make a class Queue which will have
  - Enqueue → insertLast()
  - Dequeue → ~~remove~~ deleteFirst()

Q27

### Reverse First K elements of Queue

↳ Only first K elements; rest elements as it is.

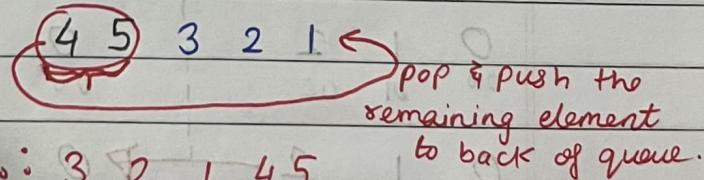
- Make a stack s; pop the first K elements from ~~stack~~ queue and push it into stack.
- pop the elements and push them in queue
- Now the first 'K' elements are reversed. but they are behind of the rest of elements.
- Pop the remaining elements and push them again in queue to get the proper order.

Code:

```
Stack<int> s;
for(int i=0; i<K; i++) {
    int data = q.front();
    q.pop();
    s.push(data);
}
```

```
while(!s.empty()) {
    int data = s.top();
    s.pop();
    q.push(data);
}
```

1 2 3 4 5       $K = 3$



∴ 3 2 1 4 5

Time:  $O(n)$

Space:  $O(n) \rightarrow n$  sized stack used.

int x = q.size() - K;

while(x--) {

int data = q.front();

q.pop();

q.push(data);

}

return q;

### 30] Rotten Oranges.

- DSANSA
- make a pair  $\langle \text{int}, \text{int} \rangle$  to store index of element.
  - Scan the matrix wherever 2 is found, push them in queue; set count as 0.
  - Push  $\{-1, -1\}$  in the stack;  $\{-1, -1\}$  acts as delimiter (Separator). iss se pata chlega ki ek hr ho gaya and vo orange se baki ke orange rot hue
  - While queue is empty; check if first element of queue is  $\{-1, -1\}$  & size is 1; then pop & break else check if first is  $\{-1, -1\}$  and size of q is  $> 1$  then increase count as our orange rot hone baki hai. pop the element  $\{-1, -1\}$  and push it back at end of queue again  $\{-1, -1\}$  lko. so we know unit time me sab oranges rot hue hai & we check again rot aur ho sakte kia.
  - Else now check if there is some element which can be rotated [up, down, left, right]. if yes & push it into queue and make its value 2.
  - Pop elements till queue is empty.

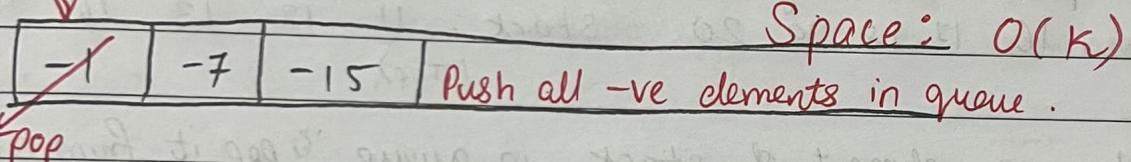
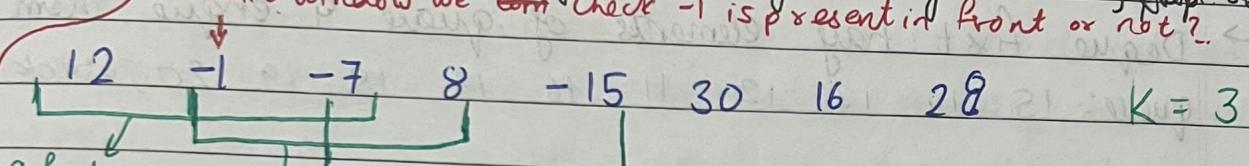
0	1	2		0	2	2	
00	01	02		00	01	02	
0	1	2		0	2	2	
10	11	12	UNIT TIME	10	11	12	
2	1			2	2	2	
20	21	22		20	21	22	

(0,2), (1,2), (2,0), (-1,-1), (0,1), (1,1), (2,1) (2,2) (-1,-1)

↑ pop      ↑ pop      ↑ pop now push possible rote.      Now pop (-1,-1) & increase count by 1 & push (-1,-1) again. Then pop these elements & repeat process.

Q32] First negative integer in K size window.  
Sliding Window + queues

- Make a ans vector.
- Make a sliding window of size K. & push all the negative numbers in queue.
- for each increase in window; ans will be front of the queue
- Compare the first element of queue with front; if it is present then pop that element as in the next window; that first element will be removed.
- If the queue is empty for any Sliding window; ~~pop~~ return 0  
 for next window we ~~can~~ check -1 is present in front or not?



Time:  $O(n)$

Space:  $O(K)$

Fixed Code in ALL SLIDING WINDOWS OF FIXED SIZE

while ( $j < \text{size}$ )

{

Calculations → vary acc to problem

if ( $j - i + 1 < K$ ) {

$j++$

}

if ( $j - i + 1 == K$ ) {

    ① ans nikalo from calculation → vary acc to problem

    ② Slide window ahead

}     ↳ before slide window; remove calc performed for i as it will not be part of next window.

Q28] Interleave first half of Queue with second half

Queue: 11 12 13 14 15 16 17 18 19 20.

→ Output: 11 16 12 17 13 18 14 19 15 20.

→ Push first half elements of Queue into stack and pop from queue.

queue: 16 17 18 19 20      stack: 15 14 13 12 11  
(Top)

→ Enqueue back the stack elements till stack is empty

queue: 16 17 18 19 20 15 14 13 12 11; Stack: Empty

→ Deque first half elements of queue & enqueue them back

queue: 15 14 13 12 11 16 17 18 19 20; Stack: Empty

→ Again push first half elements into stack.

queue: 16 17 18 19 20      stack: 11 12 13 14 15  
(Top)

{ → push one element of stack in queue & pop it from stack  
→ ~~push~~ first element of queue in queue again at back of queue  
→ pop that element of queue from front  
→ do till stack is empty.

queue: 11 16 12 17 13 18 14 19 15 20.

→ while (!s.empty()) {

    q.push(s.top());

    s.pop();

    q.push(q.front());

    q.pop();

}

Time: O(n)

Space: O(n)

Q] Maximum element in Subarray of Sliding window size K.  
Sliding window + Queues.

Brute force

→ 2 for loops where i goes from 0 to n

→ j goes from 0 to  $i+K$  (window size)

→ Find maximum of that sliding window & push in vector

Optimised Solution: (Sliding windows & queues)

→ Start i & j from 0

Till you hit ~~the~~ sliding window; Calculations →

push first element, and for the next elements; check if front is less than pop front & push that element. now

till the sliding window is hit; push elements ahead into queue even if they are small as when the sliding window moves ahead they might be maximum for that window

If you find a greater element pop all the elements in front of that

Smaller X  
POP()

j

Smaller ✓

push()

Time:  $O(n * k)$   
Space:  $O(n)$

→ ans ka calculation → Whenever window size hits;  $ans = q.front()$

→ to remove calculations of i as in next window i will not be there; check if i is  $q.front()$ ; if yes pop front.

vector<int> arr;

int i=0, j=0;

deque<int> dq;

while (j < size) {

if (!dq.empty()) {

dq.push\_back(arr[j]);

} else {

while (!dq.empty() && dq.back() < arr[j]) {

if prev element

arr < arr[i]

dq.pop\_back();

dq.push\_back(arr[j]);

if ( $j - i + 1 < k$ ) {  $j++$  }  $\rightarrow$  increase till sliding window hit

else if ( $j - i + 1 = k$ )  $\rightarrow$  sliding window

ans.push\_back(dq.front());  $\rightarrow$  ans calc w.r.t

if ( $arr[i] = q.front()$ );

dq.pop\_front();  $\rightarrow$  remove calc

$i++$ ;  $\rightarrow$  slide of i as in next

$j++$ ;  $\rightarrow$  swindow window it will not

be there.

~~Q34]~~ Sum of minimum and maximum of all subarrays of size K.

DSAM<sup>50</sup>

- do same as prev sum (Find max element in subarray)
- do same to find minimum [use 2 deque one for Max & other for Min]
- Add both the output vectors to get sum

DSAM<sup>50</sup>

Q35] Minimum Sum of Squares of character counts in a given string after removing K' characters.

String: aaabbbcccc .  $K=3$ .

Here you have to get min sum of square after removing 3 characters.

Case ① You remove 3 c's then  $3^2 + 4^2 + 2^2 = 29 \times$

Case ② You remove 2 c's & 1 b;  $(3^2 + 3^2 + 2^2) = 27$  ✓ minimum

Case ③ You remove 2 b's & 1 c;  $3^2 + 2^2 + 4^2 = 29 \times$

You remove character whose count is max; decrease k  
remove again the character whose count is max.

→ First remove 1 c;  $a \ b \ c \ ; K=2$

→  $\text{count}(b) = \text{count}(c) \therefore$  remove any one (suppose b);  $a \ b \ ; K=1$

→  $\text{count}(c)$  is max  $\therefore$  removed;  $a \ b \ ; K=0$

or (Max Heap)  $\times$

→ Use priority Queues whose front will always be the maximum element.

→ Use unordered map to know the count

→ pop the max element from pq & decrease its count by 1 & push it back again in pq. & decrease K by 1

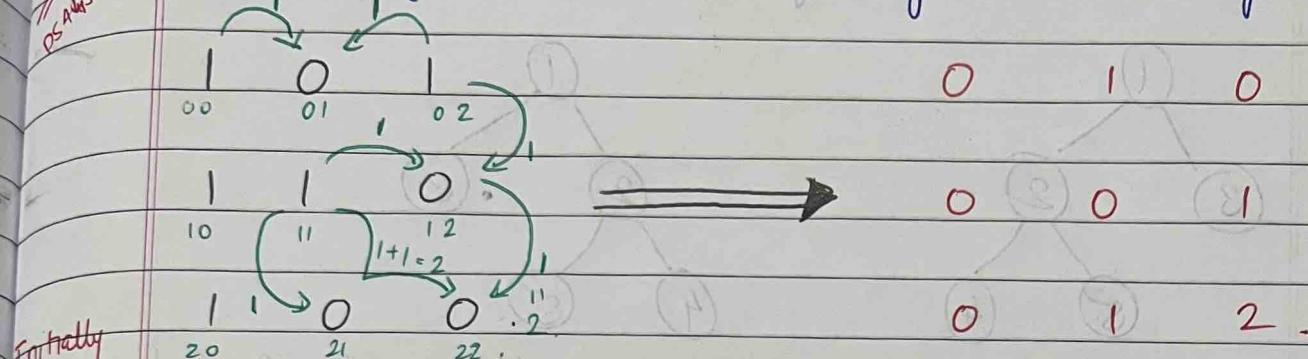
→ Continue till  $K=0$ .

Time to push data in pq is  $\log n$   
& it runs for map of max size  $n \therefore n \log n$

Time:  $O(n \log n)$

Space:  $O(n) \rightarrow$  Priority queue used

~~Q3]~~ Distance of Nearest cell having 1 in Binary Matrix.



Initially  
our matrix  
will look like

Dist of 1 from 1 will be 0 only.

Initially in ans vector, store INT\_MAX instead of 0's.

In solution instead of checking dist from 0's to 1's

Check dist from one to 0's and store them in ans

Start from (0,0); on its right is INT\_MAX now check.

if  $a[i][j] + 1 < \text{INT\_MAX}$ ;  $i < \text{INT\_MAX} \Rightarrow \text{True}$

update with  $\rightarrow$  & push it in the back of queue

→ Check below (0,0); it is already 0  $\rightarrow$  ~~no need to compare ahead~~  $0+1 < 1 \rightarrow \text{not true so move}$

→ Initially You Have To push all elements with 1 in the queue into the queue to check; aage kis elements ko compare karna hai

→ as now work of (0,0) is completed; pop it from queue.

→ Next element in queue is (0,2)

→ see on left of (0,2); you have 1 (already got from above) check if  $1+1 < 1$  : False so let that remain as 1.

→ see down; there is INT\_MAX; check if  $a[i][j] + 1 < \text{INT\_MAX}$  True then update that INT\_MAX to 1 & push it  $\rightarrow (1,2)$  into queue

→ Pop (0,2) out of queue.

→ Coming to (1,2) our matrix will look like: 0 1 0

& queue would be: (1,2), (2,1)

$i=1; j=2 \quad a[i][j] + 1 < \text{INT\_MAX} \Rightarrow \text{True}$

$\therefore$

$\therefore a[i+1][j]$

$\therefore a[i+1][j] = a[i][j] + 1 \therefore$

$$= 1+1$$

$$a[i+1][j] = 2$$

0 1 0

0 0 0

$\text{a}[i][j]$

0 1 0

$\text{INT\_MAX}$

$\frac{\cancel{1}}{2}$

$\text{a}[i+1][j]$

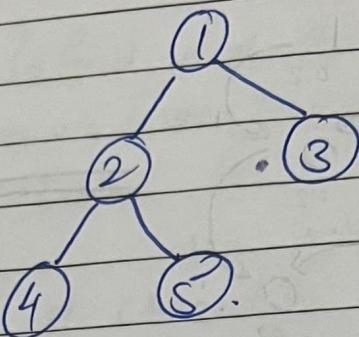
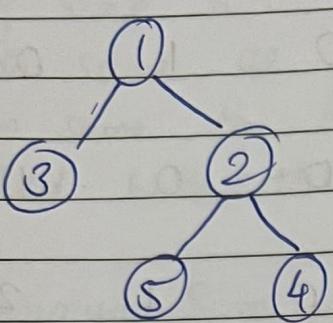
0 0 1

0 1 0

$\frac{\cancel{1}}{2}$

**Q**

Check if all levels of two trees are anagrams or not.



We Traverse both trees simultaneously level by level.  
We store each level elements of both trees in  
2 different vectors.

To check if two vectors are anagram or  
not ; Sort both and then compare the two  
vectors.

If they are same They are Anagrams.

Time :  $O(n \log n)$ ;  $n \rightarrow$  number of nodes.