

INDEX

NAME.: Smit Sekhadia Std.: _____ Div.: _____

Roll No. : _____ School / College. : _____

LINKED LIST

→ Counting Nodes in LINKED LIST.



Iterative $O(n)$ Time: $O(1)$ Space: $O(n)$

int count (Struct Node *p)

int count = 0; $c = 0$

while ($p \neq 0$)

{

$c++$;

$p = p \rightarrow \text{next}$;

}

return c;

}

Time: $O(n)$; $n = \text{number of nodes}$
Space: $O(1)$; one pointer & one variable

Recursive

int count (Struct Node *p)

int { $\rightarrow \text{if}(p) \rightarrow \text{if}(p \neq \text{NULL})$

 if ($p = 0$) \rightarrow Time: $O(n)$

 return 0; Space: $O(n)$

 else \rightarrow if

 return &count ($p \rightarrow \text{next}$) + 1;

$c(200) = 5$

$c(210) + 1 = 3 + 1 = 4$

$c(270) + 1 - 2 + 1 = 3$

$c(300) + 1 - 1 + 1 = 2$

In recursive, addition of $+1$ is done at returning time and not at calling time.

DSA 450.

→ Removes duplicated elements from a Sorted Linked List



Procedure:

Check data of p and q ; if not matching, move q upon p and p to next node.
if data matches; make q point on p 's next, delete p and move p to next node.

Code:

Node * $q = \text{head}$

TIME: $O(n)$

Node * $p = \text{head} \rightarrow \text{next}$. Space: 2 pointers $\therefore O(1)$

while ($p \neq \text{NULL}$)

{

if ($p \rightarrow \text{data} \neq q \rightarrow \text{data}$)

{

$q = p$; //move q to p

$p = p \rightarrow \text{next}$; //move p to next node.

}

//if data is equal

{

$q \rightarrow \text{next} = p \rightarrow \text{next}$; //make q to point next of p

delete p ;

//delete duplicated element from heap

$p = q \rightarrow \text{next}$

}

Deletes the node from heap memory

DSA 450 → Reversing Linked List using Iterative & Recursive methods.

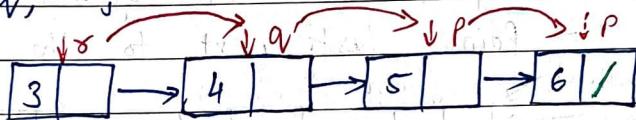
→ Reversing using Sliding Pointers

Procedure

- Have 3 pts + one before other in a line, p, q, r .
- make $p = \text{head}$ & $q = r = \text{NULL}$.
- move r to q ; q to p and p to next node till p becomes null.
- all the three pointers appears to slide on list.
- when p is null, q will be on last node.
- make the node on q as head (as we have to reverse).
- point the next of q on r after every increment in node.

Code: Iterative:

```
datatype Node *p, *q, *r;
p = head;
q = r = NULL;
while (p != NULL)
{
    r = q;
    q = p;
    p = p->next;
    q->next = r;
    head = q;
}
```



TIME: $O(n)$ as traversing through list once.

SPACE: 3 pts are required $\therefore O(1)$

Recursive:

```
void Reverse (Node *q, Node *p)
{
    if (p == NULL)
        Reverse (p, p->next);
    else {
        p->next = q;
        if (p->next == q)
            first = q;
    }
}
```

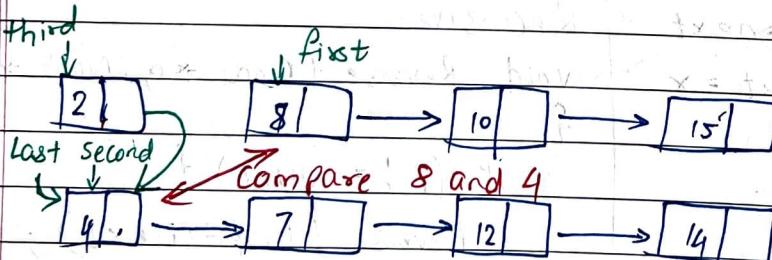
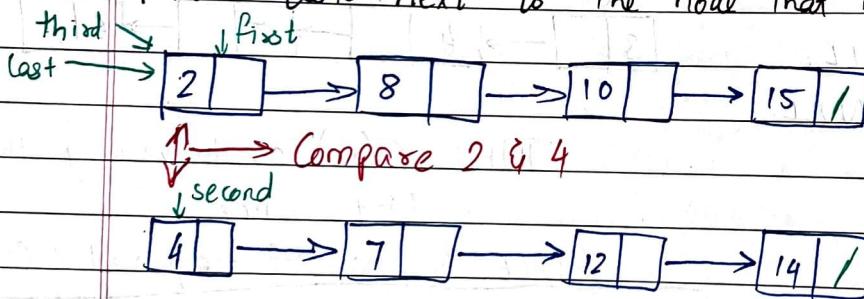
p is ahead & q is tail ptr of p

~~Merging~~ → Merging 2 Linked List.

Merging 2 sorted list into another sorted linked list
(In arrays 3rd array is reqd; In LL no need of 3rd list)

Procedure:

- Need 4 ptrs → first, second, third, last → helping ptr
- Compare data of first node in 1st & 2nd list.
- Bring last and third on the smaller data
- Move first or second of that list to next node.
- Make
- Again Compare which data is small
- Point last's next to that node
- Bring last on that node.
- Bring first/second to next node
- Make last next as NULL.
- Repeat till one of first or second is NULL.
- Point last's next to the node that is not null.



Code:

```

if (first->data < second->data)
{
    third = last = first;
    first = first->next;
    last->next = NULL;
}
else
{
    third = last = second;
    second = second->next;
    last->next = NULL;
}

```

```

while (first != NULL && second != NULL)
{
    if (first->data < second->data)
    {
        last->next = first;
        last = first;
        first = first->next;
    }
    else
    {
        last->next = second;
        last = second;
        second = second->next;
    }
    if (first != NULL)
    {
        last->next = first;
    }
    else
    {
        last->next = second;
    }
}

```

TIME: $O(m+n)$
where $m = \text{no. of nodes in LL1}$
 $n = \text{no. of nodes in LL2}$

SPACE: $O(\max(m, n))$
 $O(1)$

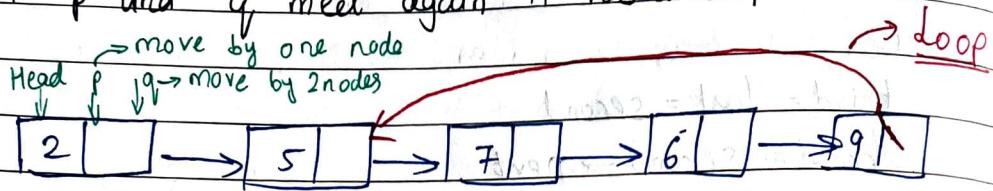
if you make
a new 3rd LL
for ans

DSA 450

Check for Loop in Linked List

Procedure: (Slow and fast pointer method)

- Have two ptrs p & q
- move p by one node every time.
- move q by two nodes every time
- if p and q meet again it has a loop.



Code:

```
bool isLoop (Node *head) {
    Node *p, *q;
    p = q = head;
    TIME : O(n)
    SPACE : 2 ptrs reqd :: O(1)
```

do {

p = p->next;

q = q->next;

q = q != NULL ? q->next : NULL; // again increasing q

} while (p && q && p != q); // increment.

if (p == q)

return true;

else

return false;

}

DSA 150

Removing Loop from Linked List

~~Special Case to be forgotten~~

Procedure:

- Check if Loop is present
- bring p on head
- q is currently in the node which is in loop as we checked loop is present or not.
- move p and q ahead by one node till both's next reach the same node.
- This node is the starting point of the loop.
- Make q's next NULL to remove the loop.

Code:

```
Node *p, *q;
```

```
p = q = head
```

```
while (p && q && q->next != NULL)
```

```
{
```

```
    p = p->next;
```

```
    q = q->next->next;
```

```
    if (p == q)
```

```
{
```

```
        break;
```

```
}
```

```
if (p == q)
```

```
{ p = head;
```

```
while (p->next != q->next) { }
```

```
{ p = p->next;
```

```
    q = q->next;
```

```
}
```

What if you get p=q on first node.

```
    q->next = NULL;
```

now this is a circular LL whose last

```
else if (p == head)
```

node is pointing on first node.

```
{ while (q->next != p) { }
```

```
{ q = q->next;
```

```
    q->next = NULL;
```

so you will get last node;

now break the loop

and now bring p to Head.

Now check p's next & q's next

are equal or not; they will be

equal on node 7. Now break the loop

Special
case
to be
forgotten

OSA 450 → Intersection Point in Y shaped Linked List.

Procedure:

- Take 2 pts p and q and point them on heads of LL1 & LL2.
- Count nodes of both LL.
- store the diff of no of nodes in a var d
- Traverse the first d nodes of longer LL
- Now both the LL are on same height.
- Traverse till $p == q$ and return p's or q's data.

Code:

```
Node *p, *q;
p = head1; q = head2;
while (p != NULL)
{ count1++;
  p = p->next;
}
while (q != NULL)
{ count2++;
  q = q->next;
}
```

gives absolute $p = head1$; $q = head2 \rightarrow$ bringing p & q back to
Value of \leftarrow int $d = abs(count1 - count2)$; head after

$count1 - count2$ if ($count1 > count2$) { counting number of nodes }

```
for (int i=0; i<d; i++) {
```

```
    p = p->next;
}
```

TIME: $O(m+n)$

```
else if ( $count2 > count1$ ) {
```

```
    for (int i=0; i<d; i++) {
```

```
        q = q->next;
    }
```

SPACE: $O(1)$ as 2 extra

pts reqd.

```
while ( $p != q$ )
```

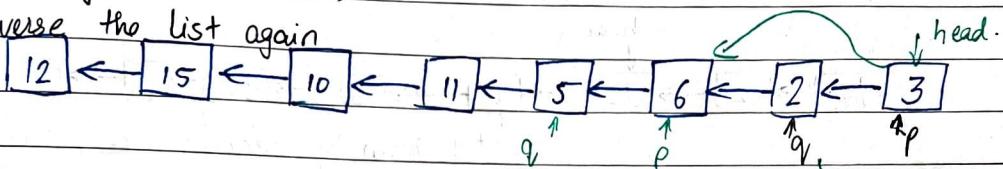
```
{ p = p->next;
```

```
    q = q->next;
```

```
} return p->data;
```

DSA 150

- Reverse Delete nodes having greater value on right.
- Procedure:
- Reverse the LL
- Create a var max and store head's data.
- Take two ptrs p & q.
- Compare each data with max if it is bigger update max to that data and bring p & q forward.
- If it is smaller than make p on q and take q ahead (unlinking that node)
- Reverse the list again



Code : See the function to reverseLL max=3 behind. $q' < max$

Node *p, *q, *q'; head = Reverse(head);

$p = q, q = head;$ Look at 12. on right side. It has

int max = p->data; $15 > 12 \therefore$ remove 12. and $\rightarrow q$

while ($q' \neq \text{NULL}$) Look at 15. on right all elements are

{ smaller than 15 \therefore keep it

OUTPUT: 15 11 6 3

if ($q \rightarrow \text{data} < \text{max}$) Here we reverse the LL as if we don't; The Time becomes $O(n^2)$

$p \rightarrow \text{next} = q \rightarrow \text{next};$ As you be on each node and then check if the right is smaller or bigger.

else {

 max = q->data;

TIME: $O(n)$

 p = q;

SPACE: $O(1)$

 q = q->next;

}

 q = Reverse(\star);

 return q;

}

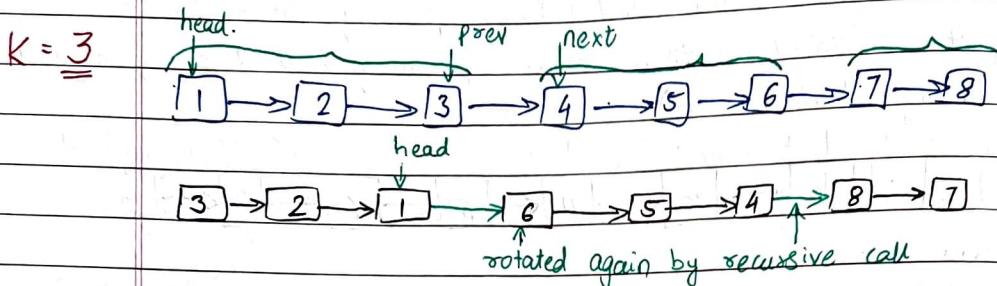
DSA 450 → Reverse Linked List in groups of given size

~~VIMP~~ → Procedure:

~~VIMP~~ → Write normal code for reversing a linked list

→ With one extra condition of $c < k$ where c is 0 and we increment it in every while loop.

→ Point head's next to recursive call



∴ Point head's next to recursive call

Code: Node * reverse (struct Node * head, int k) {

Node * cur, prev, nex;

cur = head;

prev = NULL;

int c = 0;

extra condition

while [cur != NULL && (c < k)] {

TIME: $O(n)$

SPACE: $O(1)$

Normal
reversing

 nex = cur → next;

 cur → next = prev;

 prev = cur;

 cur = nex;

 c++;

}

 if (nex != NULL)

for reversing

{

 head → next = reverse (nex, k)

}

 return prev;

}

DSA 450

→ Remove duplicate elements from Unsorted LL.

Method 1: Using Maps.

- Create a map of type int by $\text{map} < \text{int}, \text{int} > \text{mp};$
- Take 2 pts prev and curr
- Traverse through entire List.
- store each data of List as key in map and make its value as one
- if again find that value is 1 then we have to remove it

Method 2: Using unordered sets.

- Create an unordered set s by $\text{unordered_set} < \text{int} > \text{s};$
- take two pointers pprev and temp at head and heads' next
- insert heads data in set.
- traverse the LL and use count function to check if data is already present or not.

Code:

USING MAPS

```

map <int, int> mp;
Node * pprev = head;
Node * curr = head->next;

TIME: O(n)
SPACE: O(n)

while (curr) {
    if (mp[curr->data] > 0) {
        pprev->next = curr->next;
        curr = pprev->next;
    } else {
        mp[curr->data] = 1;
        pprev = curr;
        curr = curr->next;
    }
}
return head;
    
```

USING UNORDERED SETS

```

if (head->next == NULL) { return head; }

unordered_set <int> s;
s.insert(head->data);

Node * pprev = head;
Node * temp = head->next;
while (temp != NULL) {
    if (s.count(temp->data) == 0) {
        s.insert(temp->data);
        pprev = pprev->next;
        temp = temp->next;
    } else {
        pprev->next = temp->next;
        temp = temp->next;
    }
}
return head;
    
```

TIME: $O(n)$
SPACE: $O(n)$

DSK 450

→ Add 1 to a number represented as linked list

Procedure:

→ Reverse the linked list.

→ Check if the last node is 9 in reversed LL.

→ If it is 9 then make that as 0 and make a new node at the start of [999 wala case]

→ Check if p's data is 9

→ If it is 9 then make that as 0 and move ahead

→ Else add 1 to the data if it is not 9.

→ Reverse the LL again to get final ans

Code:

Node * addOne (Node * head)

{

 head = reverse (head);

 Node * p = head;

 while (p != NULL)

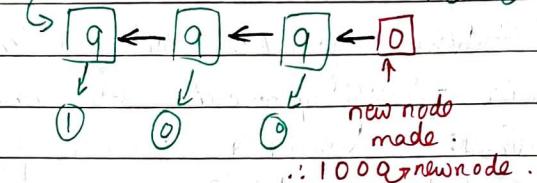
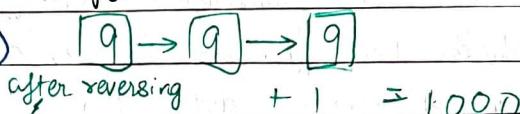
 {

 → 999 case

 if (p->data == 9 && p->next == NULL)

 {

 p->data = 0;



Making New Node → Node * temp = new Node (0);

as a digit increase

If we add 1 to 999

temp->next = head } → Bringing Head at

head = temp; the new node created.

 p = p->next;

 } → 399 case

 else if (p->data == 9)

 {

 p->data = 0;

 p = p->next;

 }

 else { → 344 case

 p->data += 1;

 p = p->next;

 break;

}

TIME: O(n)

SPACE: O(1)

head = reverse (head);

} return head;

PSK 450 → Add two Nos represented by Linked List.

Procedure:

- Reverse both Linked Lists
- Make a sum = Carry + first's data + second's data
- If carry as if sum is ≥ 10 then carry is 1 else 0
- Sum = sum % 10 as is addition of 2 nos is 18 we want 8 as sum & 1 as carry.
- Make a new node with value sum and make it a LL
- If carry is > 0 after while loop (99+1 case) then make a new node to get ans as (100 carry)
- Code: reverse resultant LL again to get final ans.

Node addTwoLL (Node *First, Node *Second) {

```

    Node *res=NULL, *cur=NULL, *temp;
    int s=0, c=0;
    first = reverse(First);
    second = reverse(Second);
    while(first != NULL || second != NULL) {
        s = c + (first ? first->data : 0) + (second ? second->data : 0);
        c = (s >= 10 ? 1 : 0);           // if second exist then add
        s = s % 10;                   // if sum < 10 then add else add 0
        temp = new Node(s);           // if sum is > 10 then carry is 1 else 0
        if(res == NULL) {             // Creating new Node for ans
            res = temp;              // Adding first Node to res
        } else {
            cur->next = temp;        // Linking all nodes of result.
        }
    }
}

```

carry left cur = temp; at end if (First) first = first->next; if (second) second = second->next;

at end so make if (First) first = first->next; if (second) second = second->next;

1 |
9 9
+ 1

0 0
| 0 0
if (c > 0) {
 temp = new Node(c);
 cur->next = temp;
 cur = temp;
}

TIME: O(n)

SPACE: O(1)

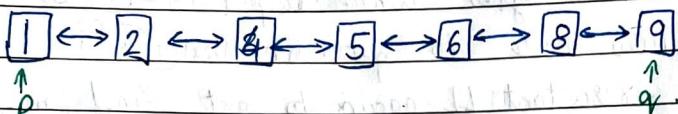
return res = reverse(res);
return res;

~~IMP~~
~~DSA 450~~

Find pairs with given sum in doubly linked list

Procedure:

- Have 2 Ptrs p at start & q at end or the last node of LL.
- p's data + q's data = sum
- if sum < x ; move p ahead by one node
- if sum > x ; move q back by one node
- if sum == x ; move p ahead & q back by one node.
- if p & q crosses each other , stop.



Code:

$$\text{Node}^* \cancel{P} = \text{head}, ^*q = \text{head}; \quad x = 7.$$

This is only possible if
while ($q \rightarrow \text{next} \neq \text{NULL}$) { DLL is sorted. If it was
unsorted we needed to travel through
LL n^2 times as we needed to check
all the elements with each pair.

bool found = false;

while ($\cancel{first} \neq q \& \cancel{q} \rightarrow \text{next} \neq p$)

{

if (($\cancel{first} \rightarrow \text{data} + \cancel{second} \rightarrow \text{data}$) == x) {

{ found = true;

cout << first->data << second->data;

first = first->next;

second = second->prev;

}

~~TIME: O(n)~~

SPACE: O(1)

if (($\cancel{first} \rightarrow \text{data} + \cancel{second} \rightarrow \text{data}$) < x) { if sum < x ; take first

{ first = first->next; } ahead else take second back

else {

second = second->prev;

}

if (found == false)

{ return 0; }

- KIRAN
VIRAJ
PRADEEP
- Count triplets whose Sum is equal to X in Linked List.
- METHOD - 1** (Native approach using 3 nested for loops) **TIME: $O(n^3)$**
- METHOD - 2** (Hashing using unordered MAPS) **TIME: $O(n^2)$** **SPACE: $O(n)$**
- ↳ Create hash table with (key, value) as (data, Node*) tuples.
 - ↳ Traverse LL and store each node's data and its ptr pair in hash table
 - ↳ Generate each possible pair of nodes.
 - ↳ For each pair, calculate sum of data of two nodes and check whether ($x - psum$) exists in the table.
 - ↳ If it exists then two nodes and data in the table are a triplet.
- METHOD 3: (Optimized Method) (2 ptrs approach) TIME: $O(n^2)$; SPACE: $O(1)$**
- ↳ Make 3 ptrs first, current & last.
 - ↳ For each current, traverse the LL once with first as head & last as last node.
 - ↳ Check whether $x - \text{first} \rightarrow \text{data} + \text{last} \rightarrow \text{data}$ is equal to current $\rightarrow \text{data}$.
 - ↳ If it is equal; they form a triplet.; Continue till like prev sum
- CODE for METHOD 2 (Hash Maps)**
- ```

Node* ptr, *ptr1, *ptr2;
int count = 0; TIME: $O(n^2)$
unordered_map<int, Node*> um; SPACE: $O(n)$
for (ptr = head; ptr != NULL; ptr = ptr->next)
 um[ptr->data] = ptr; Checking if $x - psum$ is present
for (ptr1 = head; ptr1 != NULL; ptr1 = ptr1->next)
 for (ptr2 = ptr1->next; ptr2 != NULL; ptr2 = ptr2->next)
 int psum = ptr1->data + ptr2->data; in Map.
 if (um.find($x - psum$) != um.end() && um[$x - psum$] == $psum$) { $! = psum$
 count++;
 }
}
Count = count / 3; As each triplet is counted 3 times.
return count;
}

```

CODE for METHOD-3 TIME:  $O(n^2)$ ; SPACE:  $O(1)$

```
int CountTriplets (Node* head, int x)
```

```
{
```

```
 if (head == NULL).
```

```
 { return 0; }
```

$$a + b + c = x$$

$$a = [x - (b + c)]$$

↳ value.

```
Node *current, *first, *last;
```

```
int count = 0;
```

```
last = head
```

```
while (last != NULL)
```

```
{ last = last->next; }
```

```
for (current = head; current != NULL; current = current->next)
```

```
{
```

```
 first = current->next.
```

```
 count = count + CountPairs (first, last, x - current->data);
```

```
}
```

↳ calling function CountPairs.

```
return count;
```

```
}
```

```
int CountPairs (Node* first, Node* secondlast, int value)
```

```
{
```

```
 int count = 0;
```

```
 while (first != NULL && second != NULL && first != second &&
```

```
{
```

```
 if ((first->data + second->data) == value)
```

```
{
```

second->next != first)

↓  
go on till both

```
 count++;
```

```
 first = first->next;
```

```
 second = second->prev;
```

the pointer cross each other

or becomes equal.

```
} ↳ if less than take first ahead.
```

```
else if ((first->data + second->data) < value) {
```

```
 first = first->next; }
```

```
else { ↳ if more than take second behind.
```

```
 second = second->prev; }
```

```
}
```

```
return count;
```