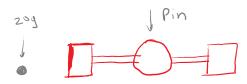
MOP VACCUM MOTOR POWER CALCULATION

07 July 2022 00:42

The map should be able to such the 209 object



Steady state flow process assumption

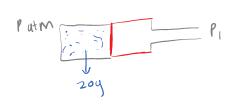
All the power/work done by motor fan goes in increasing

the kinetic energy of air at =0 (inlet and exit state variables are same)

Suppose exit relocity of the air is vmls Vout >>vin (assumption)

$$W = \frac{1}{2} (m) v^2$$

$$W = \frac{1}{2} (84e) V^2$$



assuming friction to be 0.5 but it will

be nower that this just a conservative

estimate

$$mgu = \Delta P Ai$$

$$\rho_1 = \rho_0 tm - mgu$$

$$Ai$$

Applying Bernoullean

$$P_1 + \frac{y_1^2}{2y} = P_2 + \frac{y_2^2}{2y}$$

Putm $P_1 + \frac{y_2^2}{2y}$

$$\int a \psi m = \int a \psi m - mgu + \frac{\sqrt{2}}{Ai}$$

$$\frac{mgu}{Ai} = \frac{\sqrt{2}}{2g}$$

$$\frac{2muy^2}{Ai} = \sqrt{2}$$

$$M = 20 \times 10^{-3}$$
 Ae = π/R $D^2 = 75.43 \times 10^{-4}$

$$\frac{2\pi i \alpha_{3}}{Ai} = \sqrt{\frac{2\pi \alpha g^{2}}{Ai}} \qquad m = \frac{20 \times 10^{-3}}{4} \qquad Ae = \frac{11/4}{15} D^{2} = 75.43 \times 10^{-4}$$

$$S = \frac{1}{2} \text{ SAc } \left(\frac{2\pi \alpha g^{2}}{Ai}\right) \qquad \alpha = \frac{1}{15 \times 10} = \frac{15 \times 10}{15 \times 10^{-4}}$$

$$W = \frac{1}{2} \left(\frac{1.3}{15}\right) \left(\frac{75.43 \times 10^{-4}}{15}\right) \left(\frac{2 \times 20 \times 10^{-3} \text{ o·s } \times (9.8)^{2}}{15 \times 10^{-4}}\right)$$

$$= \frac{13}{2} \left(\frac{75.43}{15}\right) \left(\frac{20 \times (9.8)^{2} \times 10^{-3}}{15}\right)$$

$$= 0.65 \left(\frac{5.03}{15}\right) \left(\frac{20}{15}\right) \left(\frac{96.04}{10^{-3}}\right) \times 3.400$$

say solo of produced energy is lost in frictional and other losses = SIW

Power of motor = 51W