# LoRA: Low-Rank Adaptation of Large Language Models

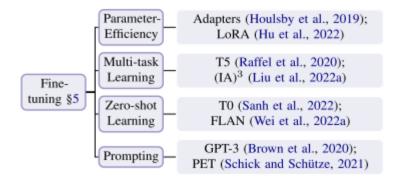
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발제자: 윤예준



### 00. PEFT

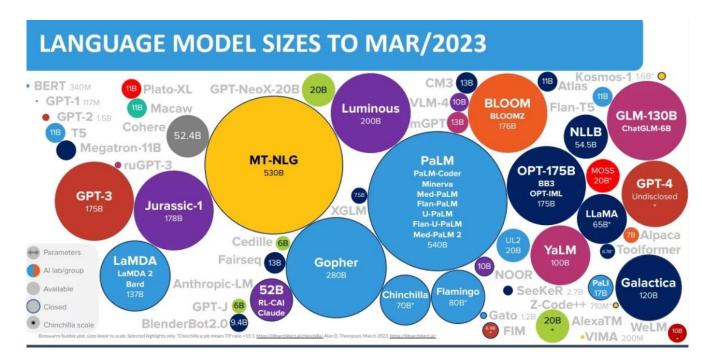
- Parameter-Efficiency Fine-tuning
- pre- trained된 Model을 downstream task에 적용할 때, 가중치의 일부만 업데이트하는 파인 튜닝 방법



- 이전 방법
  - BitFit: bias vector만 학습
  - Adapter: 학습 가능한 adapter 추가

••

- LLM의 모든 파라미터를 fine-tuning하는 것은 실현 가능성이 낮음
- 이를 해결하고자 LoRA를 제안
  - greatly reducing the number of trainable parameters for downstream tasks
  - fewer trainable parameters, a higher training throughput, and, unlike adapter, no additional inference latency에도 불구하고 파인튜닝 보다 비슷하거나 더 좋음



- "Measuring the Intrinsic Dimension of Objective Landscapes", "Intrinsic Dimensionality Explanins the Effectiveness of Language Model Fine-Tuning" ⇒ over-parameterized model은 low intrinsic dimension에 존재한다 사실에 기반
- Major downside of fine-tuning is that the new model contains as many parameters.
- Existing study limitation
  - adapting only some parameters or learning external modules for new tasks
     ⇒ introduce inference latency by extending model depth or reduce the models
     usable sequence length

Batch Size	32	16	1
Sequence Length	512	256	128
Θ	0.5M	11M	11M
Fine-Tune/LoRA	1449.4±0.8	$338.0 \pm 0.6$	$19.8 \pm 2.7$
Adapter <sup>L</sup>	1482.0±1.0 (+2.2%)	354.8±0.5 (+5.0%)	23.9±2.1 (+20.7%)
Adapter <sup>H</sup>	1492.2±1.0 (+3.0%)	366.3±0.5 (+8.4%)	25.8±2.2 (+30.3%)

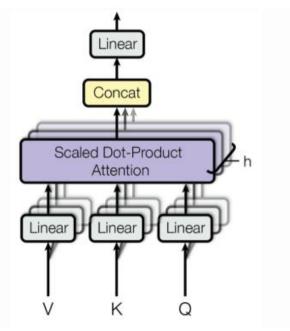
Table 1: Infernece latency of a single forward pass in GPT-2 medium measured in milliseconds, averaged over 100 trials. We use an NVIDIA Quadro RTX8000. " $|\Theta|$ " denotes the number of trainable parameters in adapter layers. Adapter<sup>L</sup> and Adapter<sup>H</sup> are two variants of adapter tuning, which we describe in Section 5.1. The inference latency introduced by adapter layers can be significant in an online, short-sequence-length scenario. See the full study in Appendix B.

#### This work

- Propose Low-Rank Adaptation (LoRA) approach
  - inspiration from Li et al. (2018a); Aghajanyan et al. (2020)
  - => hypothesize that the change in weights during model adaptation also has a low "intrinsic rank"
  - 사전학습된 모델의 weight는 freeze하고 trainable rank decomposition matrices를 inject하는 것.

#### 단순화를 위해 self-attention에만 적용

- $d_{model}$ : input and output dimension size
- $W_q, W_k, W_v, W_o$ : query/key/value/output projection matrices in the self-attention module
- $W, W_0$ : pre-trained weight matrix
- $\Delta W$ : accumulated gradient update during adaptation
- r: rank of a LoRA module



LoRA

- $h = W_0 x + \Delta W = W_0 x + BAx$ 
  - A: random Gaussian initialization
  - B: zero initialization
  - $\alpha$  is roughly the same as tuning the learning rate if we scale the initialization appropriately
  - $\Delta W = BA \left( \Delta Wx \ scaling \ by \frac{\alpha}{r} \right)$  is zero at the beginning of training
- merge하면 No Additional Inference Latency
- 하지만 A,B를 merge하면 다른 여러 작업에 대한 입력을 일괄 처리하는 것은 어려움

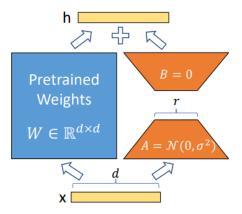


Figure 1: Our reparametrization. We only train A and B.

Model & Method	# Trainable Parameters		SST-2	MRPC	CoLA	QNLI	QQP	RTE	STS-B	Avg.
RoB <sub>base</sub> (FT)*	125.0M	87.6	94.8	90.2	63.6	92.8	91.9	78.7	91.2	86.4
RoB <sub>base</sub> (BitFit)*	0.1M	84.7	93.7	92.7	62.0	91.8	84.0	81.5	90.8	85.2
$RoB_{base} (Adpt^{D})^*$	0.3M	$87.1_{\pm .0}$	$94.2 \scriptstyle{\pm .1}$	$88.5_{\pm 1.1}$	$60.8 \scriptstyle{\pm.4}$	$93.1 \scriptstyle{\pm .1}$	$90.2 \scriptstyle{\pm .0}$	$71.5_{\pm 2.7}$	$89.7_{\pm .3}$	84.4
$RoB_{base} (Adpt^{D})^*$	0.9M	$87.3_{\pm .1}$	$94.7 \scriptstyle{\pm .3}$	$88.4_{\pm.1}$	$62.6_{\pm .9}$	$93.0_{\pm.2}$	$90.6 \scriptstyle{\pm .0}$	$75.9_{\pm 2.2}$	$90.3_{\pm .1}$	85.4
RoB <sub>base</sub> (LoRA)	0.3M	$87.5_{\pm .3}$	$\textbf{95.1}_{\pm .2}$	$89.7 \scriptstyle{\pm .7}$	$63.4_{\pm 1.2}$	$\textbf{93.3}_{\pm .3}$	$90.8 \scriptstyle{\pm .1}$	$\pmb{86.6} \scriptstyle{\pm .7}$	$\textbf{91.5}_{\pm .2}$	87.2
RoB <sub>large</sub> (FT)*	355.0M	90.2	96.4	90.9	68.0	94.7	92.2	86.6	92.4	88.9
RoB <sub>large</sub> (LoRA)	0.8M	<b>90.6</b> $_{\pm .2}$	$96.2 \scriptstyle{\pm .5}$	$\textbf{90.9}_{\pm 1.2}$	$\textbf{68.2}_{\pm 1.9}$	$\textbf{94.9}_{\pm.3}$	$91.6 \scriptstyle{\pm .1}$	$\textbf{87.4}_{\pm 2.5}$	<b>92.6</b> $_{\pm .2}$	89.0
RoB <sub>large</sub> (Adpt <sup>P</sup> )†	3.0M	90.2 <sub>±.3</sub>	96.1 <sub>±.3</sub>	90.2 <sub>±.7</sub>	<b>68.3</b> ±1.0	94.8 <sub>±.2</sub>	<b>91.9</b> <sub>±.1</sub>	83.8 <sub>±2.9</sub>	92.1 <sub>±.7</sub>	88.4
$RoB_{large} (Adpt^{P})^{\dagger}$	0.8M	<b>90.5</b> ±.3	$\textbf{96.6}_{\pm.2}$	$89.7_{\pm 1.2}$	$67.8_{\pm 2.5}$	<b>94.8</b> $_{\pm .3}$	$91.7 \scriptstyle{\pm .2}$	$80.1_{\pm 2.9}$	$91.9_{\pm.4}$	87.9
RoB <sub>large</sub> (Adpt <sup>H</sup> )†	6.0M	$89.9_{\pm .5}$	$96.2 \scriptstyle{\pm .3}$	$88.7_{\pm 2.9}$	$66.5_{\pm 4.4}$	$94.7_{\pm.2}$	$92.1_{\pm.1}$	$83.4_{\pm 1.1}$	$91.0{\scriptstyle\pm1.7}$	87.8
RoB <sub>large</sub> (Adpt <sup>H</sup> )†	0.8M	$90.3_{\pm .3}$	$96.3 \scriptstyle{\pm .5}$	$87.7_{\pm 1.7}$	$66.3_{\pm 2.0}$	$94.7_{\pm.2}$	$91.5 \scriptstyle{\pm .1}$	$72.9_{\pm 2.9}$	$91.5{\scriptstyle \pm .5}$	86.4
RoB <sub>large</sub> (LoRA)†	0.8M	<b>90.6</b> $_{\pm .2}$	$96.2 \scriptstyle{\pm .5}$	$\textbf{90.2}_{\pm 1.0}$	$68.2{\scriptstyle\pm1.9}$	$\textbf{94.8}_{\pm.3}$	$91.6 \scriptstyle{\pm .2}$	$85.2_{\pm 1.1}$	<b>92.3</b> $_{\pm .5}$	<b>88.6</b>
DeB <sub>XXL</sub> (FT)*	1500.0M	91.8	97.2	92.0	72.0	96.0	92.7	93.9	92.9	91.1
DeB <sub>XXL</sub> (LoRA)	4.7M	$91.9_{\pm .2}$	$96.9_{\pm.2}$	<b>92.6</b> <sub>±.6</sub>	<b>72.4</b> <sub>±1.1</sub>	<b>96.0</b> $_{\pm .1}$	<b>92.9</b> <sub>±.1</sub>	<b>94.9</b> <sub>±.4</sub>	93.0 <sub>±.2</sub>	91.3

Table 2: RoBERTa<sub>base</sub>, RoBERTa<sub>large</sub>, and DeBERTa<sub>XXL</sub> with different adaptation methods on the GLUE benchmark. We report the overall (matched and mismatched) accuracy for MNLI, Matthew's correlation for CoLA, Pearson correlation for STS-B, and accuracy for other tasks. Higher is better for all metrics. \* indicates numbers published in prior works. † indicates runs configured in a setup similar to Houlsby et al. (2019) for a fair comparison.

Model&Method	# Trainable Parameters	WikiSQL Acc. (%)	MNLI-m Acc. (%)	SAMSum R1/R2/RL
GPT-3 (FT)	175,255.8M	73.8	89.5	52.0/28.0/44.5
GPT-3 (BitFit)	14.2M	71.3	91.0	51.3/27.4/43.5
GPT-3 (PreEmbed)	3.2M	63.1	88.6	48.3/24.2/40.5
GPT-3 (PreLayer)	20.2M	70.1	89.5	50.8/27.3/43.5
GPT-3 (Adapter <sup>H</sup> )	7.1M	71.9	89.8	53.0/28.9/44.8
GPT-3 (Adapter <sup>H</sup> )	40.1M	73.2	91.5	53.2/29.0/45.1
GPT-3 (LoRA)	4.7M	73.4	91.7	53.8/29.8/45.9
GPT-3 (LoRA)	37.7M	74.0	91.6	53.4/29.2/45.1

Table 4: Performance of different adaptation methods on GPT-3 175B. We report the logical form validation accuracy on WikiSQL, validation accuracy on MultiNLI-matched, and Rouge-1/2/L on SAMSum. LoRA performs better than prior approaches, including full fine-tuning. The results on WikiSQL have a fluctuation around  $\pm 0.5\%$ , MNLI-m around  $\pm 0.1\%$ , and SAMSum around  $\pm 0.2/\pm 0.2/\pm 0.1$  for the three metrics.

- BitFit: only train the bias vectors
- Prefix-embedding tuning(PreEmbed): inserts special tokens among the input tokens and just learning the word embeddings (or equivalently, the activations after the embedding layer)
- Prefix-layer tuning(Prelayer)
  - extension to prefix-embedding tuning
  - learn the activations after every Transformer layer
- Adapter

inserts adapter layers between the self-attention module (and the MLP module) and the subsequent residual connection.

• LoRA only apply LoRA to  $W_q$ ,  $W_v$  in most experiments for simplicity

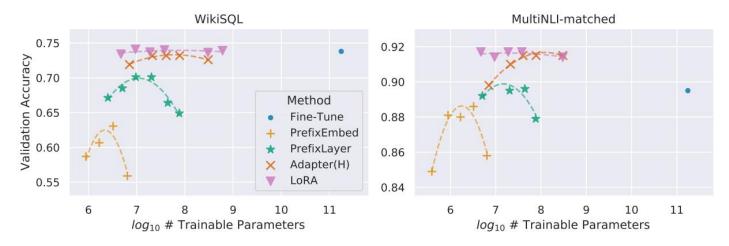


Figure 2: GPT-3 175B validation accuracy vs. number of trainable parameters of several adaptation methods on WikiSQL and MNLI-matched. LoRA exhibits better scalability and task performance. See Section F.2 for more details on the plotted data points.

#### Which Weight Matrices in Transformer should we apply LoRA to?

		# of Trainable Parameters = 18M					
Weight Type Rank r	$\left \begin{array}{c}W_q\\8\end{array}\right $	$W_k$ 8	$\frac{W_v}{8}$	$W_o$	$W_q, W_k$ 4	$W_q, W_v$ 4	$W_q, W_k, W_v, W_o$
WikiSQL (±0.5%) MultiNLI (±0.1%)					71.4 91.3	<b>73.7</b> 91.3	73.7 91.7

Table 5: Validation accuracy on WikiSQL and MultiNLI after applying LoRA to different types of attention weights in GPT-3, given the same number of trainable parameters. Adapting both  $W_q$  and  $W_v$  gives the best performance overall. We find the standard deviation across random seeds to be consistent for a given dataset, which we report in the first column.

#### What is The Optimal Rank r For LoRA?

	Weight Type	r = 1	r = 2	r = 4	r = 8	r = 64
WikiSQL(±0.5%)	$W_q \ W_q, W_v$	68.8 73.4	69.6 73.3	70.5 73.7	70.4 73.8	70.0 73.5
	$W_q, W_k, W_v, W_o$	74.1	73.7	74.0	74.0	73.9
MultiNLI (±0.1%)	$\left \begin{array}{c} W_q \\ W_q, W_v \\ W_q, W_k, W_v, W_o \end{array}\right $	90.7 91.3 91.2	90.9 91.4 91.7	91.1 91.3 91.7	90.7 91.6 91.5	90.7 91.4 91.4

Table 6: Validation accuracy on WikiSQL and MultiNLI with different rank r. To our surprise, a rank as small as one suffices for adapting both  $W_q$  and  $W_v$  on these datasets while training  $W_q$  alone needs a larger r. We conduct a similar experiment on GPT-2 in Section H.2.

### 05. 코드 분석

```
class LoRALayer():
   def init (
        self,
        r: int,
        lora alpha: int,
        lora dropout: float,
        merge weights: bool,
        self.r = r
        self.lora_alpha = lora_alpha
       # Optional dropout
        if lora_dropout > 0.:
            self.lora_dropout = nn.Dropout(p=lora_dropout)
            self.lora dropout = lambda x: x
        # Mark the weight as unmerged
        self.merged = False
        self.merge_weights = merge_weights
```

```
lass Linear(nn.Linear, LoRALayer):
  # LoRA implemented in a dense layer
     in features: int.
     out features: int,
     r: int = 0,
     lora_alpha: int = 1,
     lora dropout: float = 0.,
     fan_in_fan_out: bool " False, # Set this to True if the layer to replace stores weight like (fan_in, fan_out)
     merge_weights: bool = True,
     **kwargs
      nn.Linear.__init__(self, in_features, out_features, **kwargs)
     LoRALayer.__init__(self, r=r, lora_alpha=lora_alpha, lora_dropout=lora_dropout,
                         merge_weights=merge_weights)
     self.fan_in_fan_out = fan_in_fan_out
     # Actual trainable parameters
         self.lora A = nn.Parameter(self.weight.new zeros((r, in features)))
         self.lora_B = nn.Parameter(self.weight.new_zeros((out_features, r)))
         self.scaling = self.lora alpha / self.r
         # Freezing the pre-trained weight matrix
         self.weight.requires_grad = False
     self.reset_parameters()
     if fan in fan out:
         self.weight.data = self.weight.data.transpose(0, 1)
  def reset_parameters(self):
     nn.Linear.reset_parameters(self)
     if hasattr(self, 'lora_A'):
         # initialize A the same way as the default for nn.Linear and B to zero
         nn.init.kaiming uniform (self.lora A, a=math.sqrt(5))
         nn.init.zeros_(self.lora_B)
 def train(self, mode: bool = True):
         return w.transpose(0, 1) if self.fan_in_fan_out else w
     nn.Linear.train(self, mode)
     if mode:
         if self.merge_weights and self.merged:
            # Make sure that the weights are not merged
            if self.r > 0:
                self.weight.data -= T(self.lora_B @ self.lora_A) * self.scaling
            self.merged = False
        if self.merge_weights and not self.merged:
            # Merge the weights and mark it
            if self.r > 0:
                self.weight.data += T(self.lora_B @ self.lora_A) * self.scaling
            self.merged = True
 def forward(self, x: torch.Tensor):
         return w.transpose(0, 1) if self.fan_in_fan_out else w
     if self.r > 0 and not self.merged:
        result = F.linear(x, T(self.weight), bias=self.bias)
         result += (self.lora_dropout(x) @ self.lora_A.transpose(0, 1) @ self.lora_B.transpose(0, 1)) * self.scaling
        return result
        return F.linear(x, T(self.weight), bias=self.bias)
```

### 06. Conclusion

- Propose LoRA
  - an efficient adaptation strategy that neither introduces inference latency nor reduces input sequence length while retaining high model quality
- It allows for quick task-switching when deployed as a service by sharing the vast majority of the model parameters.
- Generally applicable to any neural networks with dense layers

# Few-Shot Parameter-Efficient Fine-Tuning is Better and Cheaper than In-Context Learning

#### NeurIPS 2022

Haokun Liu, Derek Tam, Mohammed Muqeeth, Jay Mohta, Tenghao Huang, Mohit Bansal, Colin Raffel Department of Computer Science University of North Carolina at Chapel Hill

발제자: 윤예준

- In-context Learning(ICL)의 등장
  - input-target pair에 대한 computational cost 높음
  - fine-tuning에 비해 성능이 떨어짐
  - prompt template에 따라 결과가 크게 달라짐

```
Translate English to French: 

sea otter => loutre de mer 

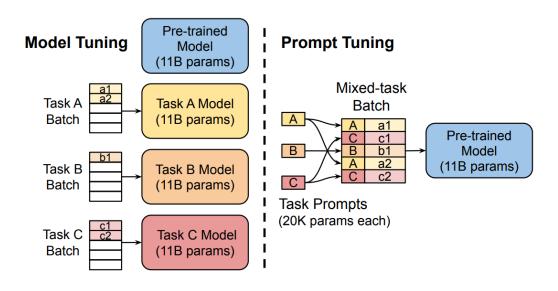
peppermint => menthe poivrée

plush girafe => girafe peluche

cheese => 

prompt
```

- Parameter-Efficient Fine-tuning(PEFT)의 등장
  - 작은 수의 파라미터만을 학습하고도 fine-tuning과 비슷한 성능 => 적은 training cost
  - Prompt Tuning: mixed-task batches 가능
  - <u>하지만, very little labeled data is available 상황에서의 연구가 부족</u>



Few-shot ICL에 경쟁력 있는 PEFT가 가져야할 조건

In-Context Learning

- 학습 없음
- New task 수행 가능
- Mixed-task batches 가능

#### PEFT

- 학습 시 적은 파라미터 사용
- New task에 대해 높은 성능
- Mixed-task batches 가능

- Our primary goal in this paper is to close this gap by proposing a recipe i.e., a model, a PEFT method, and a fixed set of hyperparameters – that attains strong performance on novel, unseen tasks while only updating a tiny fraction of the model's parameters.
- T-few recipe
  - Base Model(T0) + IA3 + Loss Function

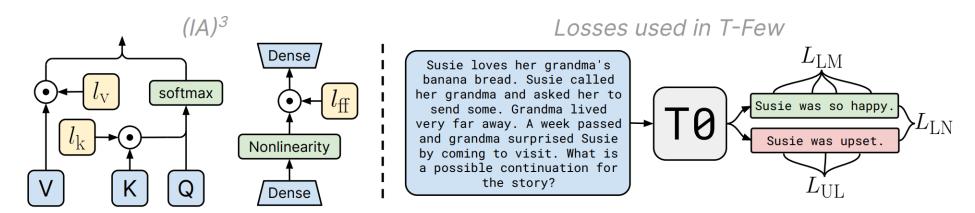
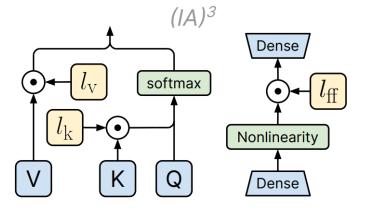
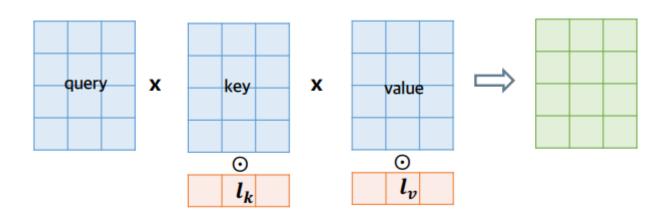


Figure 1: Diagram of (IA)<sup>3</sup> and the loss terms used in the T-Few recipe. Left: (IA)<sup>3</sup> introduces the learned vectors  $l_k$ ,  $l_v$ , and  $l_{\rm ff}$  which respectively rescale (via element-wise multiplication, visualized as  $\odot$ ) the keys and values in attention mechanisms and the inner activations in position-wise feed-forward networks. Right: In addition to a standard cross-entropy loss  $L_{\rm LM}$ , we introduce an unlikelihood loss  $L_{\rm UL}$  that lowers the probability of incorrect outputs and a length-normalized loss  $L_{\rm LN}$  that applies a standard softmax cross-entropy loss to length-normalized log-probabilities of all output choices.

IA<sup>3</sup>: Infused Adapter by Inhibiting and Amplifying Inner Activations

- 1) rescaling vectors on the keys and values in attention mechanism
- 2) intermediate activation of the position-wise feed-forward networks

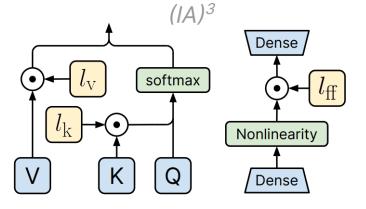


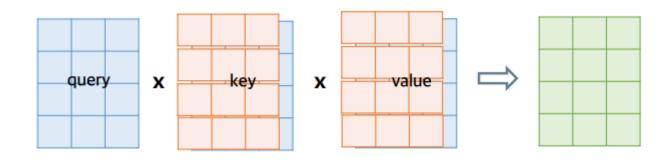


softmax 
$$\left(\frac{Q(l_{\mathbf{k}} \odot K^T)}{\sqrt{d_k}}\right) (l_{\mathbf{v}} \odot V)$$

IA<sup>3</sup>: Infused Adapter by Inhibiting and Amplifying Inner Activations

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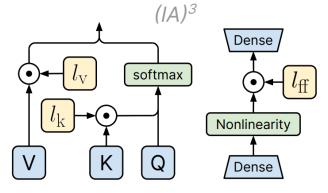




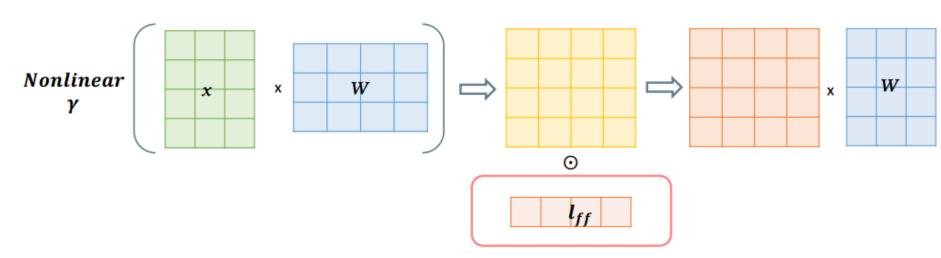
$$\operatorname{softmax}\!\left(\frac{Q(l_{\mathbf{k}}\odot K^T)}{\sqrt{d_k}}\right)(l_{\mathbf{v}}\odot V)$$

### IA<sup>3</sup>: Infused Adapter by Inhibiting and Amplifying Inner Activations

- 1) rescaling vectors on the keys and values in attention mechanism
- 2) <u>intermediate activation of the position-wise feed-forward networks</u>

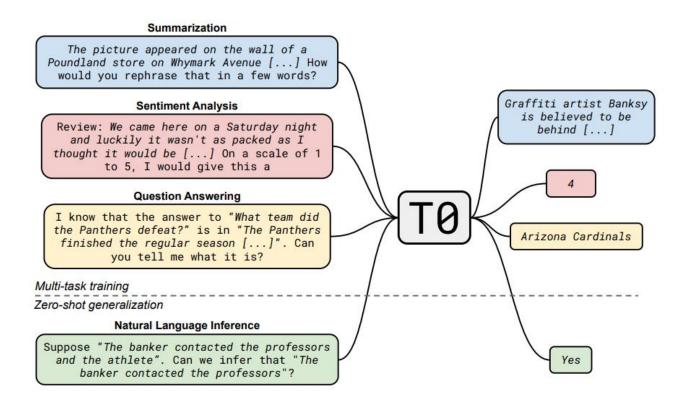


softmax 
$$\left(\frac{Q(l_{\mathbf{k}} \odot K^T)}{\sqrt{d_{\mathbf{k}}}}\right) (l_{\mathbf{v}} \odot V)$$



#### Baseline Model: TO

pre-trained T5 + fine-tuning on multitask mixture of dataset for zero-shot generalization



#### **Loss Function**

- Unlikelihood Training
- TO evaluation: rank classification
  - model의 log-likelihood를 이용하여 가장 높은 확률을 가진 것이 정답일 경우 "prediction is correct"라고 함
  - 문제점: Multi choice Question Answering task 에서,
     correct choice와 in-correct choice를 모두 고려한 model update가 이루어짐
  - 효과: 원치 않은 prediction을 할 확률을 줄임. => Incorrect choice sequence에 낮은 확률을 주어, rank classification 향상

 $\hat{y}^{(n)}=(\hat{y}_1,\hat{y}_2,...,\hat{y}_{T^{(n)}})$  is the n-th of N incorrect target sequences T^(n): 각 choice를 구성하는 토큰 수

$$L_{\text{UL}} = -\frac{\sum_{n=1}^{N} \sum_{t=1}^{T^{(n)}} \log(1 - p(\hat{y}_i^{(n)} | \mathbf{x}, \hat{y}_{< t}^{(n)}))}{\sum_{n=1}^{N} T^{(n)}}$$

#### **Loss Function**

- Unlikelihood Training
- TO evaluation: rank classification
  - 문제점: 짧은 길이의 answer에 더 많은 probability가 주어지는 경향이 있기 때문에, length normalization이 필요함.
- TO 논문에서,
  - "For simplicity, we do not apply length normalization to the log-likelihoods of the target options."

#### Q: 이번 주 일정이 어떻게 되나요?

- A1: 바빠요.(0.7)
- A2: 매일(0.2) \* 오전에(0.5) \* 일이(0.6) \* 있어서(0.75) \* 바빠요. (0.8) = 0.036
- A3: 매일(0.2) \* 오전에(0.5) \* 기업(0.4) \* 프로젝트(0.5) \* 미팅이(0.6) \* 있어서(0.75) \* 바빠요. (0.8) = 0.0072

$$\beta(x,y) = \frac{1}{T} \sum_{t=1}^{T} \log p \ (y_t | x, y < t)$$
: 문장 길이로 정규화한 log-probability

$$L_{\text{LN}} = -\log \frac{\exp(\beta(\mathbf{x}, \mathbf{y}))}{\exp(\beta(\mathbf{x}, \mathbf{y})) + \sum_{n=1}^{N} \exp(\beta(\mathbf{x}, \hat{\mathbf{y}}^{(n)}))}$$

#### T-few recipe

- Base: T0 + pre-training (IA)^3
- loss = standard LM loss + unlikelihood loss + length-normalized loss
- Training
  - 1000 steps, a batch size of 8
  - Adafactor optimizer
  - 3e^-3 learning rate
  - linear decay schedule with a 60-step warmup
  - Task마다 하이퍼 파라미터 튜닝 x

#### held-out TO datasets

- T0 학습 시 사용한 데이터셋
- 구성: held-out dataset
- 20~70개 examples

Task	Dataset
sentence completion	COPA, H-SWAG, Story Cloze
natural language inference	ANLI, CB, RTE
coreference resolution	WSC, Winograde
word sense disambiguation	WiC



#### RAFT: Real-world Annotated Few-shot Tasks

- long input text, a public training set with 50 examples and a larger unlabeled test set
- 정답 공개 X, huggingface leaderboard를 통해 평가 가능

Dataset Name	Long inputs	Domain expertise	Detailed instructions	Number of classes	Test sei size
ADE Corpus V2 (ADE)	-	✓	_	2	5,000
Banking77 (B77)	-	-	-	77	5,000
NeurIPS impact statement risks (NIS)	✓	-	-	2	150
OneStopEnglish (OSE)	✓	-	-	3	516
Overruling (Over)	-	✓	-	2	2,350
Semiconductor org types (SOT)	-	-	-	3	449
Systematic review inclusion (SRI)	✓	-	✓	2	2,243
TAI safety research (TAI)	✓	✓	✓	2	1,639
Terms of Service (ToS)	-	✓	✓	2	5,000
TweetEval Hate (TEH)	-	-	✓	2	2,966
Twitter complaints (TC)	_	_	_	2	3,399

Table 1: Overview of the tasks in RAFT. Long inputs, Domain expertise, and Detailed instructions are some of the real-world challenges posed by RAFT.

Rank	Submitter	Submission Name	Submission Date	Overall
1	Raldir	AuT-Few (H)	Nov 19, 2022	0.773
2	AaronLi	yiwise	Jul 08, 2022	0.768
3	jtmohta	T-Few	May 06, 2022	0.758
4	Raldir	AuT-Few	Dec 17, 2022	0.747

Method	Acc.
T-Few	75.8%
Human baseline [2]	73.5%
PET [50]	69.6%
SetFit [51]	66.9%
GPT-3 [4]	62.7%

Table 2: Top-5 best methods on RAFT as of writing. T-Few is the first method to outperform the human baseline and achieves over 6% higher accuracy than the next-best method.

#### Results: held-out TO datasets

Method	Inference FLOPs	Training FLOPs	Disk space	Acc.
T-Few	1.1e12	2.7e16	4.2 MB	72.4%
T0 [1]	1.1e12	0	0 B	66.9%
T5+LM [14]	4.5e13	0	16 kB	49.6%
GPT-3 6.7B [4]	5.4e13	0	16 kB	57.2%
GPT-3 13B [4]	1.0e14	0	16 kB	60.3%
GPT-3 175B [4]	1.4e15	0	16 kB	66.6%

Table 1: Accuracy on held-out T0 tasks and computational costs for different few-shot learning methods and models. T-Few attains the highest accuracy with 1,000× lower computational cost than ICL with GPT-3 175B. Fine-tuning with T-Few costs about as much as ICL on 20 examples with GPT-3 175B.

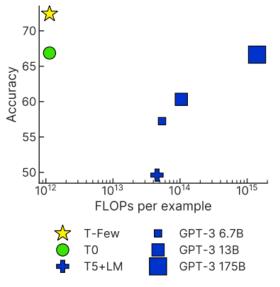


Figure 3: Accuracy of different few-shot learning methods. T-Few uses (IA)<sup>3</sup> for PEFT methods of T0, T0 uses zero-shot learning, and T5+LM and the GPT-3 variants use few-shot ICL. The x-axis corresponds to inference costs; details are provided in section 4.2.

Results: PEFT methods

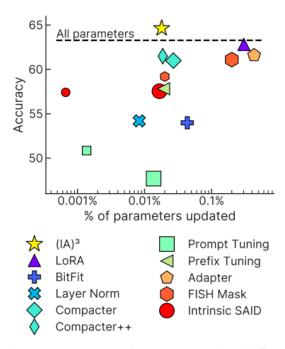


Figure 2: Accuracy of PEFT methods with  $L_{\rm UL}$  and  $L_{\rm LN}$  when applied to T0-3B. Methods that with variable parameter budgets are represented with larger and smaller markers for more or less parameters.

### 05. 코드 분석

```
{
   "lora_scaling_rank": 1,
   "lora_rank": 0,
   "lora_init_scale": 0.0,
   "lora_modules": ".*SelfAttention|.*EncDecAttention|.*DenseReluDense",
   "lora_layers": "k|v|wi_1.*",
   "trainable_param_names": ".*lora_b.*",
   "model_modifier": "lora",
   "lr": 3e-3,
   "num_steps": 1000
}
```

```
:lass LoRALinear(nn.Module):
  def init (self, linear layer, rank, scaling rank, init scale):
      super(). init ()
      self.in_features = linear_layer.in_features
      self.out_features = linear_layer.out_features
      self.rank = rank
      self.scaling_rank = scaling_rank
      self.weight = linear_layer.weight
      self.bias = linear layer.bias
      if self.rank > 0:
          self.lora_a = nn.Parameter(torch.randn(rank, linear_layer.in_features) * init_scale)
          if init scale < 0:
              self.lora b = nn.Parameter(torch.randn(linear_layer.out_features, rank) * init_scale)
              self.lora_b = nn.Parameter(torch.zeros(linear_layer.out_features, rank))
      if self.scaling rank:
          self.multi lora a = nn.Parameter(
              torch.ones(self.scaling_rank, linear_layer.in_features)
              + torch.randn(self.scaling rank, linear layer.in features) * init scale
          if init scale < 0:
              self.multi lora b = nn.Parameter(
                  torch.ones(linear_layer.out_features, self.scaling_rank)
                  + torch.randn(linear_layer.out_features, self.scaling_rank) * init_scale
              self.multi_lora_b = nn.Parameter(torch.ones(linear_layer.out_features, self.scaling_rank))
   def forward(self, input):
       if self.scaling_rank == 1 and self.rank == 0:
           # parsimonious implementation for ia3 and lora scaling
           if self.multi_lora_a.requires_grad:
               hidden = F.linear((input * self.multi lora a.flatten()), self.weight, self.bias)
               hidden = F.linear(input, self.weight, self.bias)
           if self.multi_lora_b.requires_grad:
               hidden = hidden * self.multi_lora_b.flatten()
           return hidden
           # general implementation for lora (adding and scaling)
           weight = self.weight
           if self.scaling rank:
               weight = weight * torch.matmul(self.multi lora b, self.multi lora a) / self.scaling rank
               weight = weight + torch.matmul(self.lora_b, self.lora_a) / self.rank
           return F.linear(input, weight, self.bias)
   def extra repr(self):
       return "in_features={}, out_features={}, bias={}, rank={}, scaling_rank={}".format(
           self.in_features, self.out_features, self.bias is not None, self.rank, self.scaling_rank
```

30

### 06. Conclusion

- T-few recipe
  - Base Model(T0) + IA3 + Loss Function

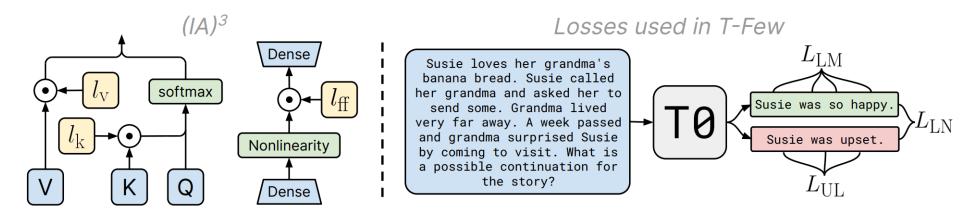


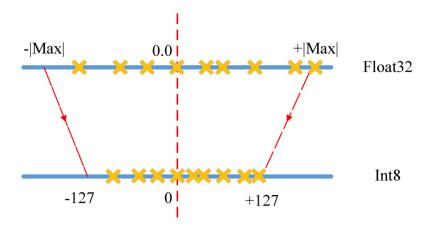
Figure 1: Diagram of (IA)<sup>3</sup> and the loss terms used in the T-Few recipe. Left: (IA)<sup>3</sup> introduces the learned vectors  $l_k$ ,  $l_v$ , and  $l_{\rm ff}$  which respectively rescale (via element-wise multiplication, visualized as  $\odot$ ) the keys and values in attention mechanisms and the inner activations in position-wise feed-forward networks. Right: In addition to a standard cross-entropy loss  $L_{\rm LM}$ , we introduce an unlikelihood loss  $L_{\rm UL}$  that lowers the probability of incorrect outputs and a length-normalized loss  $L_{\rm LN}$  that applies a standard softmax cross-entropy loss to length-normalized log-probabilities of all output choices.

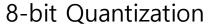
# QLoRA: Efficient Finetunin of Quantized LLMs

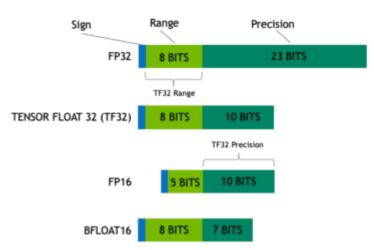
Tim Dettmers, Artidoro Pagnoni, Ari Holtzman, Luke Zettlemoyer University of Washington

발제자: 윤예준

- LLM을 fine-tuning의 효과
  - 성능 개선
  - add desirable or remove undesirable behaviors
- LLM fine-tuning의 단점
  - fine-tuning하는데 매우 큰 비용 소요
  - LLaMA 65B 16비트 fine-tuning시 780GB 이상 필요
- 이를 해결하기 위한 방법: 양자화 =>기존 양자화 방법은 추론에만 동작(훈련 중 x)







https://blogs.nvidia.com/blog/2020/05/14/tensorfloat-32-precision-format/

#### Background

- Block-wise k-bit Quantization
  - 문제점: 입력 텐서에서 outlier 발생시 특정 bit 조합이 잘 나타나지 않는 경우 존재
  - 해결방안: 입력 텐서를 블록 n개로 chunk하여 n개의 양자화 상수  $c_i$ 생성

$$\mathbf{X}^{\text{Int8}} = \text{round}\left(\frac{127}{\text{absmax}(\mathbf{X}^{\text{FP32}})}\mathbf{X}^{\text{FP32}}\right) = \text{round}(c^{\text{FP32}} \cdot \mathbf{X}^{\text{FP32}}),$$

$$\text{dequant}(c^{\text{FP32}}, \mathbf{X}^{\text{Int8}}) = \frac{\mathbf{X}^{\text{Int8}}}{c^{\text{FP32}}} = \mathbf{X}^{\text{FP32}}$$

$$\text{Float32}$$

$$\text{Float32}$$

$$\text{Float32}$$

$$\text{Int8}$$

$$\text{Solit Quantization}$$

$$\text{Int8}$$

$$\text{Solit Quantization}$$

$$\text{Solit Quantization}$$

$$\text{Solit Quantization}$$

$$\text{Solit Quantization}$$

$$\text{Tound}(c^{\text{FP32}} \cdot \mathbf{X}^{\text{FP32}}) = \mathbf{X}^{\text{FP32}}$$

$$\text{Solit Quantization}$$

$$\text{Solit Quantization}$$

$$\text{Solit Quantization}$$

- This work
  - 양자화된 4비트 모델을 fine-tuning하는 방법을 제시
  - 성능 저하 없이 메모리 사용량을 줄일 수 있음을 입증
- 주요 특징
  - 4-bit NormalFloat (NF4): 정규 분포 가중치에 이론적으로 최적화된 새로운 데이터 유형
  - Double Quantization: 양자화 상수를 양자화하여 평균 메모리 사용량을 줄임
  - Paged Optimizers: 메모리 스파이크 관리하는데 사용

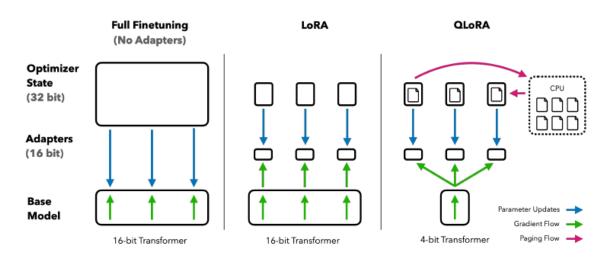


Figure 1: Different finetuning methods and their memory requirements. QLORA improves over LoRA by quantizing the transformer model to 4-bit precision and using paged optimizers to handle memory spikes.

#### 4-bit NormalFloat Quantization

- NF data type builds on Quantile Quantization
- NF: Quantization bin이 input tensor로부터 할당된 값과 같도록 보장하는 정보 이론적 최적의 data type
- Quantile quantization은 input tensor의 quantile을 추정하는 경험적 누적 분포 함수로 동작 간단히 말하면 분위수를 통한 양자화 => 분포 함수를 통해 input tensor에 대한 분위 추정하는 방식
- 문제점: 양자화 느림(분위수 추정 프로세스 비용이 많이 듦)
  - SRAM 양자화 같은 빠른 Quantile Quantization 방법 사용 가능
  - 그러나 이 또한 outlier에서 발생하는 오류를 해결하지 못함
- 해결방안:input tensor가 양자화 상수까지 고정된 분포에서 나오게 설정하면 됨
  - 사전 학습된 가중치는 일반적으로 zero-mean 정규 분포 형태를 띄므로 weights를 [-1, 1]의 범위에 맞게 표준편차를 이용하여 스케일 진행

#### 4-bit NormalFloat Quantization

- (1) k-bit 분위수 양자화 데이터 유형을 얻기 위해 이론적으로 N(0, 1) 분포를 띄는  $2^k + 1$  분위수를 추정
- (2) 이 데이터 유형을 가지고 그 값을 [-1, 1] 범위로 정규화
- (3) input weight tensor를 absolute maximum rescaling를 통해 [-1, 1] 범위로 정규화하여 양자화

$$q_i = \frac{1}{2} \left( Q_X \left( \frac{i}{2^k + 1} \right) + Q_X \left( \frac{i+1}{2^k + 1} \right) \right),$$

- Qx is the quantile function of the standard normal distribution N(0, 1)
- 대칭적인 k-bit 양자화는 0의 정확한 표현을 갖지 않음. => 0의 개별 영점을 보장하고 k-bit 데이터 유형에 대한 2^k비트를 모두 사용하기 위해 음수부분 양수부분 사분위수 추정하여 비대칭 데이터 유형을 생성한 다음 두 집합에서 발생하는 두 0 중 하나 제거

#### **Double Quantization**

- 양자화 상수를 양자화하여 메모리를 줄이는 방법
- 32-bits의 상수와 64 blocksize를 통해 양자화 상수를 만든다고 가정하면 파라미터당 32/64 즉 0.5bits를 평균적으로 추가 사용함
- Double Quantization은 첫 번째 양자화 상수를 두 번째 양자화의 input으로 사용
- $c_2^{FP32} \vdash c_2^{FP8}$ 와  $c_1^{FP32}$  로 변함
- 수로 변환하면 8/64 + 32/(64\*256) => 0.127
   (256 추가된 이유는 c1으로 한 번 더 양자화 할 때 성능 저하를 줄이기 위해 8-bits quantization에 사용된 256 block size를 사용하기 때문)
- 결과적으로 기존보다 약 0.373bit 줄일 수 있게 됨

#### **Paged Optimizers**

- OOM이 발생할 때 CPU RAM or Disk 메모리를 사용하여 메모리 한계를 늘리는 방식
- NVIDIA 통합 메모리 기능 사용하여 CPU와 GPU간에 page 자동 전송 수행 (https://docs.nvidia.com/cuda/cuda-c-programming-guide/)

#### **QLoRA**

- W: NF4, 64 block size
- c2: FP8, 256 block size
- parameter update는 only 어댑터에 대한 error에 대한 기울기만 업데이트

$$\mathbf{Y}^{\mathrm{BF16}} = \mathbf{X}^{\mathrm{BF16}} \mathrm{doubleDequant}(c_1^{\mathrm{FP32}}, c_2^{\mathrm{k-bit}}, \mathbf{W}^{\mathrm{NF4}}) + \mathbf{X}^{\mathrm{BF16}} \mathbf{L}_1^{\mathrm{BF16}} \mathbf{L}_2^{\mathrm{BF16}},$$

$$\mathrm{doubleDequant}(c_1^{\mathrm{FP32}}, c_2^{\mathrm{k-bit}}, \mathbf{W}^{\mathrm{k-bit}}) = \mathrm{dequant}(\mathrm{dequant}(c_1^{\mathrm{FP32}}, c_2^{\mathrm{k-bit}}), \mathbf{W}^{\mathrm{4bit}}) = \mathbf{W}^{\mathrm{BF16}},$$

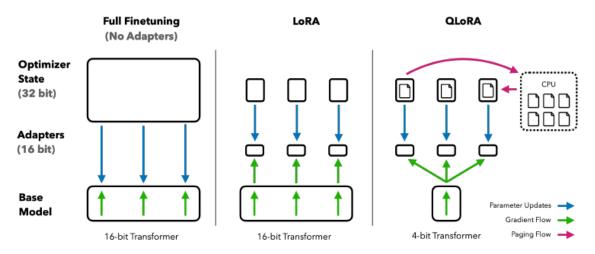
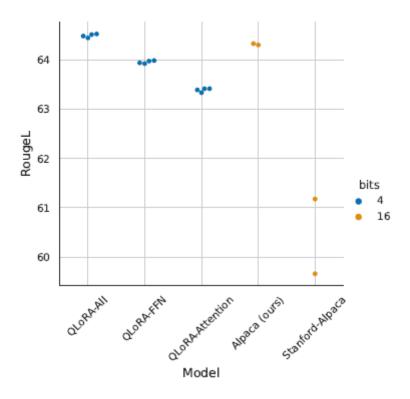


Figure 1: Different finetuning methods and their memory requirements. QLORA improves over LoRA by quantizing the transformer model to 4-bit precision and using paged optimizers to handle memory spikes.

#### 04. 실험 결과



**Figure 2:** RougeL for LLaMA 7B models on the Alpaca dataset. Each point represents a run with a different random seed. We improve on the Stanford Alpaca fully finetuned default hyperparameters to construct a strong 16-bit baseline for comparisons. Using LoRA on all transformer layers is critical to match 16-bit performance.

#### 04. 실험 결과

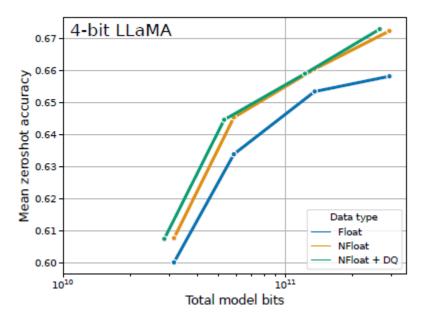


Figure 3: Mean zero-shot accuracy over Winogrande, HellaSwag, PiQA, Arc-Easy, and Arc-Challenge using LLaMA models with different 4-bit data types. The NormalFloat data type significantly improves the bit-for-bit accuracy gains compared to regular 4-bit Floats. While Double Quantization (DQ) only leads to minor gains, it allows for a more fine-grained control over the memory footprint to fit models of certain size (33B/65B) into certain GPUs (24/48GB).

### 04. 실험 결과

**Table 3:** Experiments comparing 16-bit BrainFloat (BF16), 8-bit Integer (Int8), 4-bit Float (FP4), and 4-bit NormalFloat (NF4) on GLUE and Super-NaturalInstructions. QLoRA replicates 16-bit LoRA and full-finetuning.

Dataset	GLUE (Acc.)	Super-NaturalInstructions (RougeL)				
Model	RoBERTa-large	T5-80M	T5-250M	T5-780M	T5-3B	T5-11B
BF16	88.6	40.1	42.1	48.0	54.3	62.0
BF16 replication	88.6	40.0	42.2	47.3	54.9	-
LoRA BF16	88.8	40.5	42.6	47.1	55.4	60.7
QLoRA Int8	88.8	40.4	42.9	45.4	56.5	60.7
QLora FP4	88.6	40.3	42.4	47.5	55.6	60.9
QLoRA NF4 + DQ	-	40.4	42.7	47.7	55.3	60.9

#### 05. 코드 분석

```
compute_dtype = (torch.float16 if args.fp16 else (torch.bfloat16 if args.bf16 else torch.float32))
model = AutoModelForCausalLM.from pretrained(
    args.model_name_or_path,
    cache dir=args.cache dir,
    load in 4bit=args.bits == 4,
    load in 8bit=args.bits == 8,
    device_map=device_map,
    max_memory=max_memory,
    quantization_config=BitsAndBytesConfig(
        load in 4bit=args.bits == 4,
        load_in_8bit=args.bits == 8,
       11m_int8_threshold=6.0,
        llm_int8_has_fp16_weight=False,
       bnb_4bit_compute_dtype=compute_dtype,
       bnb_4bit_use_double_quant=args.double_quant,
       bnb_4bit_quant_type=args.quant_type,
    ),
    torch_dtype=(torch.float32 if args.fp16 else (torch.bfloat16 if args.bf16 else torch.float32)),
    trust_remote_code=args.trust_remote_code,
    use_auth_token=args.use_auth_token
```

```
if not args.full_finetune:
   model = prepare model for kbit training(model, use gradient checkpointing=args.gradient checkpointing)
if not args.full_finetune:
   if checkpoint dir is not None:
       print("Loading adapters from checkpoint.")
       model = PeftModel.from_pretrained(model, join(checkpoint_dir, 'adapter_model'), is_trainable=True)
       print(f'adding LoRA modules...')
       modules = find_all_linear_names(args, model)
       config = LoraConfig(
           r=args.lora_r,
           lora_alpha=args.lora_alpha,
           target_modules=modules,
           lora dropout=args.lora dropout,
           bias="none",
           task type="CAUSAL LM",
       model = get_peft_model(model, config)
for name, module in model.named_modules():
   if isinstance(module, LoraLayer):
       if args.bf16:
           module = module.to(torch.bfloat16)
   if 'norm' in name:
       module = module.to(torch.float32)
   if 'lm_head' in name or 'embed_tokens' in name:
       if hasattr(module, 'weight'):
           if args.bf16 and module.weight.dtype == torch.float32:
               module = module.to(torch.bfloat16)
```

#### 06. Conclusion

- QLoRA
  - 4-bit NormalFloat (NF4)
  - Double Quantization
  - Paged Optimizers
- 양자화된 4비트 모델을 fine-tuning하는 방법을 제시
- 65B Model을 48GB GPU로 학습할 수 있음을 보임

## oo. Open Questions

• task에 적합한 학습을 위해 PEFT 방법들을 어떻게 사용할 수 있을까?

### 00. 참고문헌

http://dsba.korea.ac.kr/seminar/?mod=document&uid=2733

https://velog.io/@nellcome/QLoRA%EB%9E%80

# 감사합니다.