

МОСКОВСКИЙ АВИАЦИОННЫЙ ИНСТИТУТ
(НАЦИОНАЛЬНЫЙ ИССЛЕДОВАТЕЛЬСКИЙ УНИВЕРСИТЕТ)



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«ИНФОРМАЦИОННЫЕ ТЕХНОЛОГИИ И
ПРИКЛАДНАЯ МАТЕМАТИКА»

КАФЕДРА 813
«КОМПЬЮТЕРНАЯ МАТЕМАТИКА»

Курсовая работа по дисциплине «Теория графов»
Тема: «Применение фундаментальных алгоритмов для
анализа данных»

Студент	Васильев Дмитрий Олегович
Группа	М8О-310Б-18
Преподаватель	Васильев Дмитрий Олегович
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Содержание

1	First Section	2
2	An automated derivative and integral table	3
	Список литературы	7

1 First Section

This document is an example of `natbib` package using in bibliography management. Three items are cited: *The L^AT_EX Companion* book [2], the Einstein journal paper Einstein [1], and the Donald Knuth's website [3]. The L^AT_EX related items are [2, 3].

```
1 import numpy as np
2
3 def incmatrix(genl1,genl2):
4     m = len(genl1)
5     n = len(genl2)
6     M = None #to become the incidence matrix
7     VT = np.zeros((n*m,1), int) #dummy variable
8
9     #compute the bitwise xor matrix
10    M1 = bitxormatrix(genl1)
11    M2 = np.triu(bitxormatrix(genl2),1)
12
13    for i in range(m-1):
14        for j in range(i+1, m):
15            [r,c] = np.where(M2 == M1[i,j])
16            for k in range(len(r)):
17                VT[(i)*n + r[k]] = 1;
18                VT[(i)*n + c[k]] = 1;
19                VT[(j)*n + r[k]] = 1;
20                VT[(j)*n + c[k]] = 1;
21
22    if M is None:
23        M = np.copy(VT)
24    else:
25        M = np.concatenate((M, VT), 1)
26
27    VT = np.zeros((n*m,1), int)
28
29    return M
```

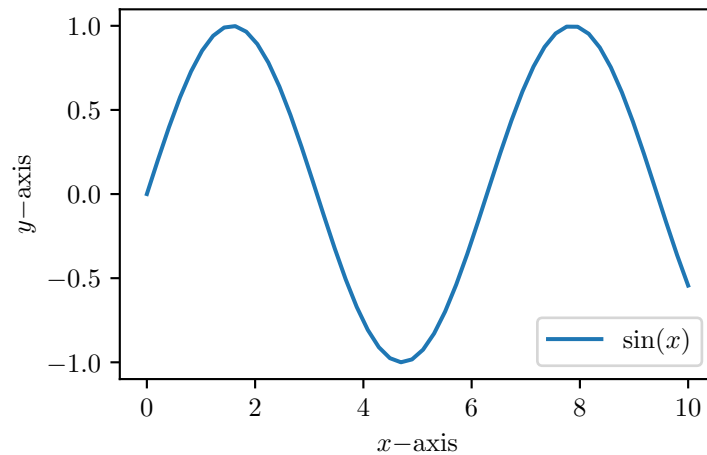
Листинг 1: Python example

```
rc('text', usetex=True)
rc('font', family='serif')
rc('font', size=10.0)
rc('legend', fontsize=10.0)
rc('font', weight='normal')
x = linspace(0, 10)
figure(figsize=(4, 2.5))
plot(x, sin(x), label='$\sin(x)$')
```

```

xlabel(r'$x\mathrm{-axis}$')
ylabel(r'$y\mathrm{-axis}$')
legend(loc='lower right')
savefig('myplot.pdf', bbox_inches='tight')

```



```

from scipy.integrate import quad
myintegral = quad(lambda x: e**-x**2, 0, inf)[0]

```

$$\int_0^{\infty} e^{-x^2} dx = 0.886226925452758$$

2 An automated derivative and integral table

— An Automated Derivative and Integral Table —

```

1  from re import sub
2
3  var('x')
4
5  # Create a list of functions to include in the table
6  funcs = ['sin(x)', 'cos(x)', 'tan(x)',
7           'sin(x)**2', 'cos(x)**2', 'tan(x)**2',
8           'asin(x)', 'acos(x)', 'atan(x)',
9           'sinh(x)', 'cosh(x)', 'tanh(x)']
10
11  print(r'\begin{align*}')
12
13  for func in funcs:

```

```

14         # Put in some vertical space when switching to arc and hyperbolic funcs
15         if func == 'asin(x)' or func == 'sinh(x)':
16             print(r'&\\')
17         myderiv = 'Derivative(' + func + ', x)'
18         myint = 'Integral(' + func + ', x)'
19         print(latex(eval(myderiv)) + '&=' +
20               latex(eval(myderiv + '.doit()')) + r'\quad & \quad')
21         print(latex(eval(myint)) + '&=' +
22               latex(eval(myint + '.doit()')) + r'\\')
23         print(r'\end{align*}')
24     print(r'\end{align*}')

```

$$\frac{d}{dx} \sin(x) = \cos(x) \qquad \int \sin(x) dx = -\cos(x)$$

$$\frac{d}{dx \cos(x) = -\sin(x)} \int \cos(x) dx = \sin(x)$$

$$\frac{d}{dx \tan(x) = \tan^2(x) + 1} \int \tan(x) dx = -\log(\cos(x))$$

$$\frac{d}{dx \sin^2(x) = 2 \sin(x) \cos(x)} \int \sin^2(x) dx = \frac{x}{2} - \frac{\sin(x) \cos(x)}{2}$$

$$\frac{d}{dx \cos^2(x) = -2 \sin(x) \cos(x)} \int \cos^2(x) dx = \frac{x}{2} + \frac{\sin(x) \cos(x)}{2}$$

$$\frac{d}{dx \tan^2(x) = (2 \tan^2(x) + 2) \tan(x)} \int \tan^2(x) dx = -x + \frac{\sin(x)}{\cos(x)}$$

$$\frac{d}{dx \operatorname{asin}(x) = \frac{1}{\sqrt{1-x^2}}} \int \operatorname{asin}(x) dx = x \operatorname{asin}(x) + \sqrt{1-x^2}$$

$$d \frac{\int \operatorname{acos}(x) dx = x \operatorname{acos}(x) - \sqrt{1-x^2}}{dx \operatorname{acos}(x) = -\frac{1}{\sqrt{1-x^2}}}$$

$$d \frac{\int \operatorname{atan}(x) dx = x \operatorname{atan}(x) - \frac{\log(x^2+1)}{2}}{dx \operatorname{atan}(x) = \frac{1}{x^2+1}}$$

$$d \frac{\int \sinh(x) dx = \cosh(x)}{dx \sinh(x) = \cosh(x)}$$

$$d \frac{\int \cosh(x) dx = \sinh(x)}{dx \cosh(x) = \sinh(x)}$$

$$d \frac{\int \tanh(x) dx = x - \log(\tanh(x)+1)}{dx \tanh(x) = 1 - \tanh^2(x)}$$

Список литературы

- [1] A. Einstein. Zur Elektrodynamik bewegter Körper. (German) [On the electrodynamics of moving bodies]. *Annalen der Physik*, 322(10):891–921, 1905. doi: <http://dx.doi.org/10.1002/andp.19053221004>.
- [2] M. Goossens, F. Mittelbach, and A. Samarin. *The L^AT_EX Companion*. Addison-Wesley, Reading, Massachusetts, 1993.
- [3] D. Knuth. Knuth: Computers and typesetting. URL <http://www-cs-faculty.stanford.edu/~uno/abcde.html>.