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DAtter O union, the largest get has I dement. In order to get the largest possible set with any one union, the largest get and the scenarion largest set will have to be joined. I the first union will make one set with 2 elements and the rest will have I element, and all the subsequent unions will take a set with one element and add it to the largest set-

so if at any point, after U unions, there are unt alements in the largest jet, then after unt unions, after adding a set with one alement to the largest jet, there will be und alements in the largest jet. That is a proof by induction

2) It asks to prove that there exists an algorithm that takes O(m+n!g(n)), but the question destrict specify what said algorithm is sufficient accomplish, here is my algorithm which takes O(m+n!g(n)) time, but does it accomplish

anything.

int n,m;

cin >> n >> m;

for (|nt |= 0, |< m; == i) {}

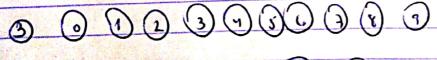
for (|nt |= 0, |< n; == i)

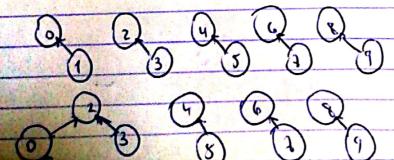
{

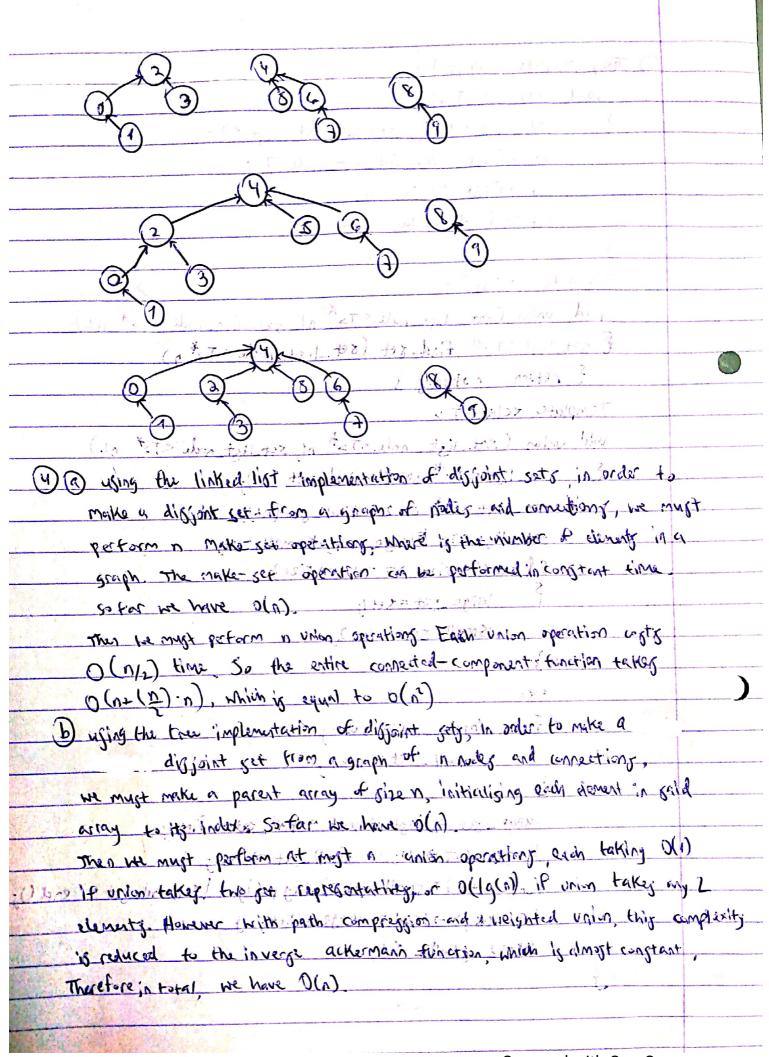
makeger();

for (|nt| = 0; |< |g|n), = >j) {}

return b;







```
Template < elass T>
 void make set (Tn)
       5-et_ligh < T> * Get= hem set_ligh < T>;
       set -> Pingt = New Set_Kgt_node<T>j
       set -> first -> value = n.
       set > first > value = zet;
  Template < < 1935 T>
   set list < T> flnd set (set list node < Tst n)
    { return nahead; }
  Template xclass T>
   wid union (set list node < Tst 11, set 115t node < Tst 12)
   E Set 118+ < 7 > 4 80+ 1 = find 80+ (N1);
      50+ 113+ < T3 542 = pind set (12);
         set ligt < T> * large set, * small set;
        if ( set 1 → size >= set 2 → size)
             large_set=set1;
              3mall_ 5et = 5et 2;
         7
          { large_set= set2;
          sng11-88+= sex1
          large_set > last > next = small set > first;
          large set > last = small-set > last;
          for ( auto is small - set > begin (); ils small set -> end (); 4+i)
          { (*; ) -> head = 1919e - 5et; }
        delete small _ Set;
```