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Matlab #6 Report

Matlab Programming Workshop | Spring 99

6-1 : assume - assumptions

Name	Syntax	Description
assume	<code>assume(condition)</code>	States that condition is valid. assume is not additive. Instead, it automatically deletes all previous assumptions on the variables in condition.
	<code>assume(expr, set)</code>	States that expr belongs to set. assume deletes previous assumptions on variables in expr.
	<code>assume(expr, 'clear')</code>	Clears all assumptions on all variables in expr.

Name	Syntax	Description
assumptions	<code>assumptions(var)</code>	Returns all assumptions that affect variable var. If var is an expression or function, assumptions returns all assumptions that affect all variables in var.
	<code>assumptions</code>	Returns all assumptions that affect all variables in MATLAB® Workspace.

```

1 %report6 problem1
2 clc;clear;close all
3
4 syms x;
5 %assume(x<5 | x>-5 )
6 assumeAlso( x/2 , 'integer')
7 assumeAlso(x~=0)
8 assumptions
9 solve(x<5,x>-5,x) %print even numbers in (-5,5) but 0

```

Command Window

```

ans =

[ in(x/2, 'integer'), x ~= 0]

ans =

-4
-2
2
4

```

6-2 : double

Name	Syntax	Description
double	$Y = \text{double}(X)$	If you have an array of a different type, such as single or int8, then you can convert that array to double precision using the double function.

```
1 %report6 problem2
```

```
2
3 clc;clear; close all
4 x = sym ([1,2,3 ; 4,5,6 ; 7,8,9]);
5 y=double(x);
```

```
6
7 whos x
8 whos y
```

Command Window

Name	Size	Bytes	Class	Attributes
x	3x3	8	sym	
y	3x3	72	double	

fx >> |

6-3 : symvar

Name	Syntax	Description
symvar	$C = \text{symvar}(\text{expr})$	Searches the expression, expr , for identifiers other than i, j, pi, inf, nan, eps, and common functions. These identifiers are the names of variables in the expression. symvar returns the identifiers in a cell array of character vectors, C. If symvar finds no identifiers, then C is an empty cell array.

```
1 %report6 problem3
2 clc;clear; close all
3
4 %Find all symbolic variables in an expression. symvar returns the variables in alphabetical order.
5
6 syms a b c d e
7 avr = (a+b+c+d+e)/5;
8 symvar(avr)
9
10 %Find the first three symbolic variables in an expression.
11 %symvar chooses variables that are alphabetically closest to x and returns them in alphabetical order.
12
13 syms a b x y z
14 f = cos(a)*exp(x^2/(sin(3*y-b)))+z;
15 symvar(f,3)
```

```

Command Window

ans =

[ a, b, c, d, e]

ans =

[ x, y, z]

fx >>

```

6-4 : diff

Name	Syntax	Description
diff	$Y = \text{diff}(X)$	Calculates differences between adjacent elements of X along the first array dimension whose size does not equal 1. If X is a vector of length m , then $Y = \text{diff}(X)$ returns a vector of length $m-1$. If X is a 0-by-0 empty matrix, then $Y = \text{diff}(X)$ returns a 0-by-0 empty matrix.
	$Y = \text{diff}(X, n)$	Calculates the n th difference by applying the $\text{diff}(X)$ operator recursively n times. In practice, this means $\text{diff}(X, 2)$ is the same as $\text{diff}(\text{diff}(X))$.
	$Y = \text{diff}(X, n, \text{dim})$	Is the n th difference calculated along the dimension specified by dim . The dim input is a positive integer scalar.

We Use the **diff** function to approximate partial derivatives with the syntax $Y = \text{diff}(f)/h$, where f is a vector of function values evaluated over some domain, X , and h is an appropriate step size.

```
Y = ((diff(f)/h)/h)/h    %third derivative
```

```

5 - X = [2 4 9 10 11 32];
6 - Y1 = diff(X)
7 - Y2 = diff(X, 2)
8
9 %use diff to approximate the derivatives of functions
10 - h = 0.001; %step size
11 - X = 0:h:5;
12 - Y = X.^3 + 2 * X.^2;
13 - deriY_1 = diff(Y) / h; % deriY_1 = 3x^2 + 2x
14 - deriY_2 = diff(deriY_1) / h; %deriY_2 = 6x + 2
15 - plot(X(:,1:length(deriY_1)),deriY_1,'r', ...
16       X,Y,'b', ...
17       X(:,1:length(deriY_2)),deriY_2,'k');
18 - axis([0, 5, 0, 100]);
19 - legend({'Y' = 3x^2 + 2x', 'Y = x^3 + 2x^2', "Y''= 6x + 2"})

```

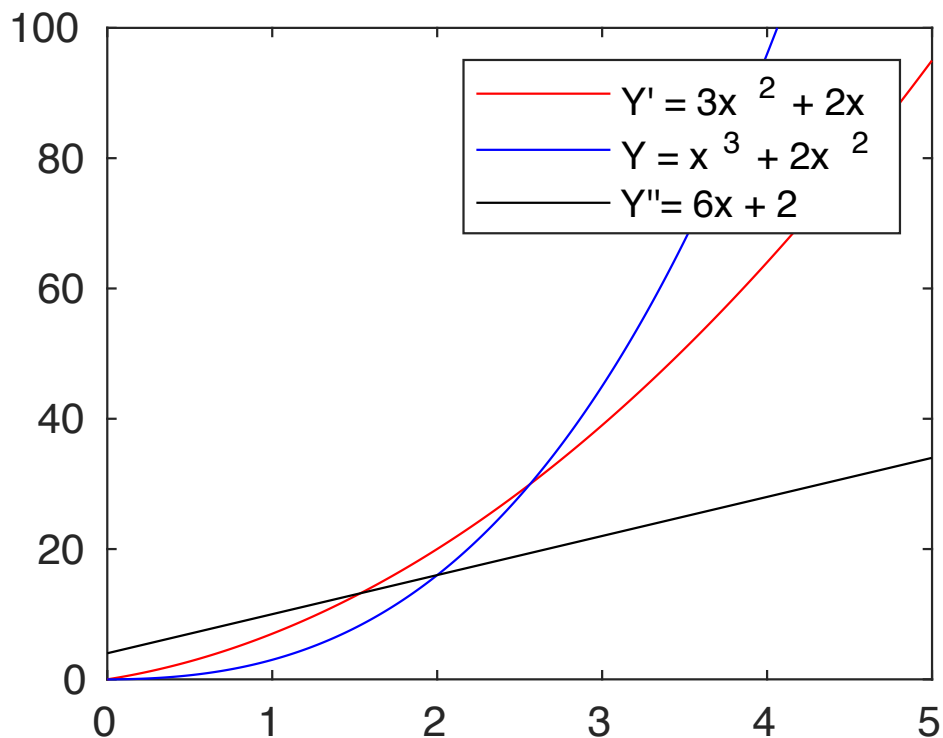
COMMAND WINDOW

Y1 =

2 5 1 1 21

Y2 =

3 -4 0 20



6-5 : Partial Derivatives

$$z(x, y) = xy + x^2, \quad w(x, y) = e^{2xy} + \cos\left(\frac{x}{3}\right) - \sin^2(4y)$$

```

1 %report6 problem5
2
3 - clc;clear;close all
4 - syms x y
5
6 - z = x*y + x^2;
7 - deri1_z_x == diff(z, x) % = y + 2x
8 - deri2_z_x == diff(diff(z,x), x) % = 2
9 - deri1_z_y == diff(z, y) % = x
10 - deri2_z_y == diff(diff(z,y), y) % = 0
11
12 - w = exp(2*x*y) + cos(x/3) + sin(4*y)^2;
13 - deri1_w_x == diff(w, x) % = 2*y*exp(2*x*y) - (1/3)*sin(x/3)
14 - deri2_w_x == diff(diff(w,x), x) % = 4*(y^2)*exp(2*x*y) - (1/9)*cos(x/3)
15 - deri1_w_y == diff(w, y) % = 2*x*exp(2*x*y) - 8*sin(4*y)*cos(4*y)
16 - deri2_w_y == diff(diff(w,y), y) % = 4*(x^2)*exp(2*x*y) - ...

```

Command Window

```
deri1_z_x =
```

```
2*x + y
```

```
deri2_z_x =
```

```
2
```

```
deri1_z_y =
```

```
x
```

```
deri2_z_y =
```

```
0
```

```
deri1_w_x =
```

```
2*y*exp(2*x*y) - sin(x/3)/3
```

```
deri2_w_x =
```

```
4*y^2*exp(2*x*y) - cos(x/3)/9
```

```
deri1_w_y =
```

```
2*x*exp(2*x*y) + 8*cos(4*y)*sin(4*y)
```

```
deri2_w_y =
```

```
32*cos(4*y)^2 - 32*sin(4*y)^2 + 4*x^2*exp(2*x*y)
```

6-6 : int

$$I_1 = \int_0^4 e^{-3x} dx = ? \quad , \quad I_2 = \int_0^{+\infty} e^{-x} dx = ? \quad , \quad I_3 = \int_{-\infty}^{+\infty} e^{-x^2} dx = ?$$

Name	Syntax	Description
int	<code>F = int(expr)</code>	Computes the indefinite integral of expr . int uses the default integration variable determined by symvar(expr, 1) . If expr is a constant, then the default integration variable is x .
	<code>F = int(expr, var)</code>	computes the indefinite integral of expr with respect to the symbolic scalar variable var .
	<code>F = int(expr, var, a, b)</code>	computes the definite integral of expr with respect to the symbolic scalar variable var from a to b .

```

1      %report6 problem6
2
3      clc;clear;close all
4      syms x
5
6      expr1 = e^(-3*x);
7      I1 = int(expr1, 0, 4)
8
9      expr2 = e^(-x);
10     I2 = int(expr1, 0, inf)
11
12     expr3 = e^(-(x^2));
13     I3 = int(expr1, -inf, inf)

```

Command Window

```

I1 =

1/3 - exp(-12)/3

I2 =

1/3

I3 =

Inf

fx >>

```

6-7 : limit

Name	Syntax	Description
limit	<code>limit(f,var,a)</code>	Returns the Bidirectional Limit of the symbolic expression f when var approaches a.
	<code>limit(f,a)</code>	Uses the default variable found by symvar.
	<code>limit(f)</code>	Returns the limit at 0.
	<code>limit(f,var,a,'left')</code>	Returns the Left Side Limit of f as var approaches a.
	<code>limit(f,var,a,'right')</code>	Returns the Right Side Limit of f as var approaches a.

```

1 %report6 problem7
2 - clc;clear;
3
4 - syms x
5 %first we make our function the find the limit of it by two given number
6 %2+,2-,3+,3-
7 - f=((x^2-4)^2)/((x-2)*(x-3));
8 - limit(f,x,2,'right')
9 - limit(f,x,2,'left')
10 - limit(f,x,3,'right')
11 - limit(f,x,3,'left')

```

ans =

0

ans =

0

ans =

Inf

ans =

-Inf

fx >>

6-8 : finverse

Name	Syntax	Description
finverse	$g = \text{finverse}(f)$	Returns the inverse of function f , such that $f(g(x)) = x$. If f contains more than one variable, use the next syntax to specify the independent variable.
	$g = \text{finverse}(f, \text{var})$	Uses the symbolic variable var as the independent variable, such that $f(g(\text{var})) = \text{var}$.

```

1 %report6 problem8
2 - clc;clear;
3 - syms x y
4 - finverse (exp(x-5*y),x)
5 %%%
6 - syms x y
7 - finverse (log( x-y ),y)
8 %%%
9 - sym x ;
10 - y(x)=cos(x)
11 - z = finverse(y)

```

```
ans =
```

```
5*y + log(x)
```

```
ans =
```

```
x - exp(y)
```

```
y(x) =
```

```
cos(x)
```

```
z(x) =
```

```
acos(x)
```

```
fx >>
```