AZG.) $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, \leq, P_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, S_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, S_{i}, S_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, S_{i}, S_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, S_{i}, S_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, S_{i}, S_{i}, S_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, S_{i}, S_{i}, S_{i}, S_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, S_{i}, S_{i}, S_{i}, S_{i}, S_{i}, S_{i}) \quad i = 1, 2$ $G_{i} = (N_{i}, S_{i}, S_{i},$

wir gehen davon aus, dass $N_1 \cap N_2 = \emptyset$, soust bewenne um.

definiere $G = (N, \Xi, \beta, S)$ mit

N= N, UN, U & S}

P= P10P2U & 5 -> 5,152}

bil bramm. für L(G2). L(G2) debiniere G= (N, E, P,S)

uit N= N, UN, U & S?

P= PruPzu & S-> Sisif

Cil Gramm Pir (L(Gn)) *

del. Gramm G=(N,E,P,S)

mtt N= N, U { 5, T}

P= P, U { S -> E/T, T -> S, 1 S, T }

erfill e-Bed.

[ohne E-Beel: 5 -> El S. S reicht]