

Ly the trick: Scan from L -> R Until you find an operator La look left of operator for their number of operands > group this operator with its operands la evaluate this and replace on the postfix w/ the result L> repeat the process. the postfix 952+-3\* Example 3:  $952+ \rightarrow (5+2) \rightarrow 97-3*$ 97 - (9-7) - 28\* 23\* -> 2\*3 = [6] 2.3.2 Synthesized Attibutes We associate grantities with programming constructs (attributes) Ly values types. A syntax - directed definition associates: 1. With each grammar symbol, a set of attributes, and production a set of semantic rules 2. With each For computing the values of the attributes on the symbols in the production. Example: a node N is labeled by grammar symbol X. we write X, a to denote the value of attribute a of X "annotated parse tree". The tollowing shows an annotated parse tree with an attribute "x" for -> the value of the attribute at the root nonterminals expr and term. (x) is the post-fix 95-2+ expr.t = 95- + term.t = 2 - term.t = 5 term.t = 9This annotated parse tree is based on the syntax directed definition below. for translating expressions of digits separated by +/- signs into postfix. PRODUCTION SEMANTIC RULES  $expr \rightarrow expr_1 + term \ \middle| \ expr.t \ = \ expr_1.t \ || \ term.t \ || \ '+'$ Each nonterminal has  $expr \rightarrow expr_1$  - term |  $expr_1.t \parallel term.t \parallel '-'$ a string-valued attribute  $expr \rightarrow term$ expr.t = term.tString "t" that is the postfix '  $\mathit{term.t} \ = \ '0'$  $term \rightarrow 0$ notation.  $\mathit{term.t} \ = \ '1'$  $\mathit{term} \to \mathbf{1}$ term.t = '9'(Table: Syntax directed definition for infix to postfix) Basically, the table is a formal way of showing how to translate from infix to postfix notation. 2.3.4 Tree Traversals tree traversal: Starts at the root and visits each note of the tree in a particular order.

