# Colocalization

Thierry Pécot Research engineer FAIIA

### Colocalization

- Colocalization consists in evaluating if two fluorophores are spatially close
- Colocalization cannot conclude about physical interactions (Rayleigh criterion, need to use FRET microscopy)

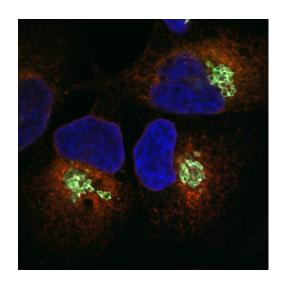
### Outline

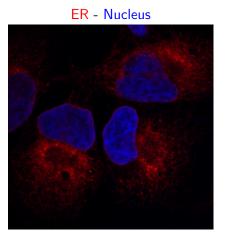
Intensity-based methods

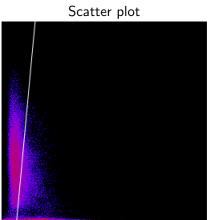
Object-based methods

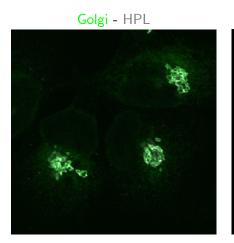
Scatterplot: 2D intensity **histogram** showing the **distribution** of intensity in **both channels** 

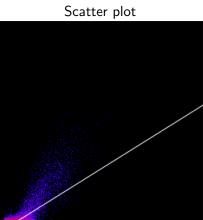
Endoplasmic Reticulum (ER)
Golgi
Nucleus
Helix Pomatia Lectin (HPL)

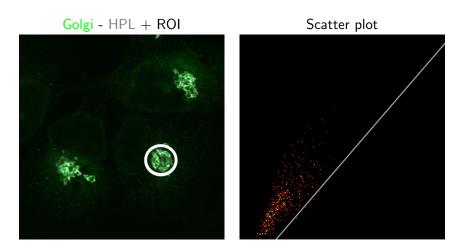












### Pearson's correlation coefficient

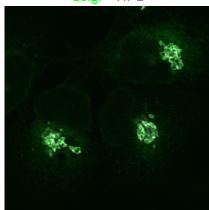
$$PCC = \frac{\sum_{i} (I_i^0 - \overline{I^0}) \times (I_i^1 - \overline{I^1})}{\sqrt{\sum_{i} (I_i^0 - \overline{I^0})^2 \times \sum_{i} (I_i^1 - \overline{I^1})^2}},$$
(1)

where  $I_i^c$  is the **intensity** observed at pixel i for channel c and  $\overline{I^c}$  is the **average intensity** observed in channel c

### Pearson's correlation coefficient

ER - Nucleus

Golgi - HPL



PCC = 0.07

PCC = 0.8

### Pearson's correlation coefficient

#### Advantages:

- No need for segmentation
- Simple and fast approach

#### Drawbacks:

• No statistics for decision

### Costes' automatic threshold

Costes *et al.* have proposed to **automatically** compute a **threshold** in each channel:

- thresholds are initialized to the maximum intensity
- thresholds are progressively decreased
- Pearson's correlation coefficient is computed for each value
- final thresholds minimize the contribution of noise

### Costes' automatic threshold

ER - Nucleus

Golgi - HPL

PCC = -0.53

PCC = 0.66

### Costes' automatic threshold

#### Advantages:

- No need for segmentation
- Simple and fast approach
- Only **informative regions** of the image are taken into account

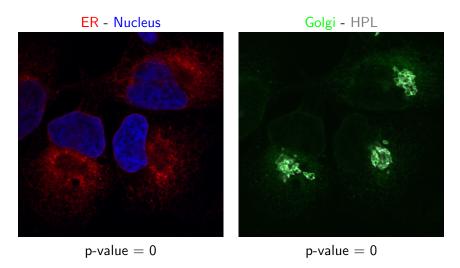
#### Drawbacks:

No statistics for decision

## Pearson's correlation coefficient with block resampling

Costes *et al.* have proposed to first compute the PCC and then **randomly sampling** the images using blocks to compute an **adjusted p-value**.

## Pearson's correlation coefficient with block resampling



## Pearson's correlation coefficient with block resampling

#### Advantages:

- No need for segmentation
- p-value from the resampling procedure

#### Drawbacks:

- Slow
- Arbitrary resampling with blocks

### Outline

Intensity-based methods

Object-based methods

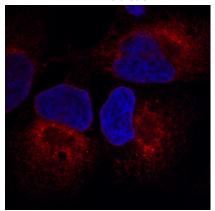
### Manders' colocalization coefficients

$$M_1 = \frac{\sum_i I_{i,coloc}^0}{\sum_i I_i^0}, \text{ where } I_{i,coloc}^0 = \begin{cases} I_i^0 & \text{if } I_i^1 > Th_1\\ 0 & \text{otherwise} \end{cases}$$
 (2)

$$M_2 = \frac{\sum_i I_{i,coloc}^1}{\sum_i I_i^1}, \text{ where } I_{i,coloc}^1 = \begin{cases} I_i^1 & \text{if } I_i^0 > Th_0 \\ 0 & \text{otherwise} \end{cases}$$
(3)

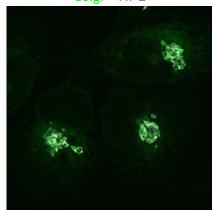
### Manders' colocalization coefficients

ER - Nucleus



M1 = 0.095 M2 = 0.091

Golgi - HPL



M1 = 0.657 M2 = 0.98

### Manders' colocalization coefficients

#### Advantages:

Easy interpretation

#### Drawbacks:

- Need for **segmentation**
- No statistics for decision

## Ripley's analysis

- Segmented objects are reduced to points (their centers)
- These points provide a point pattern for each channel
- The cross Ripley's K-function is analyzed between the two point patterns
- Assuming stationarity of the two point patterns, a statistical procedure is defined

## Ripley's analysis

### Advantages:

p-value for decision

#### Drawbacks:

- Need for segmentation
- Reduction to points is not always suited (large and/or elongated objects)

### GcoPS

- Segmented objects are considered as random sets of spots
- Testing relies on a closed formula of the Pearson correlation between binary images
- Robustness to object size allows to apply GcoPS to small windows and then localize colocalization

### GcoPS

### Advantages:

- p-value for decision
- Robust to noise, object shapes and sizes
- Localizing colocalization

#### Drawbacks:

Need for segmentation

### **Practice**

https://youtu.be/ruF4qg5nTcY https://youtu.be/SE8BQwRLakc