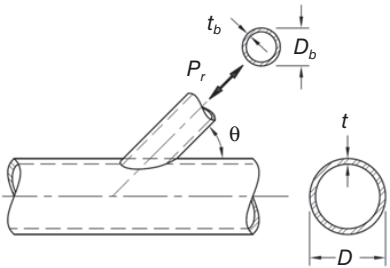
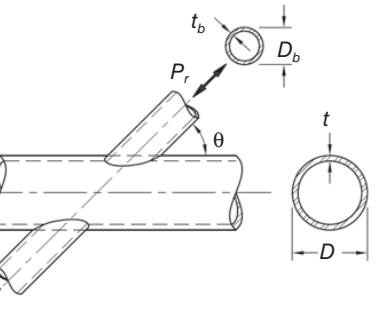
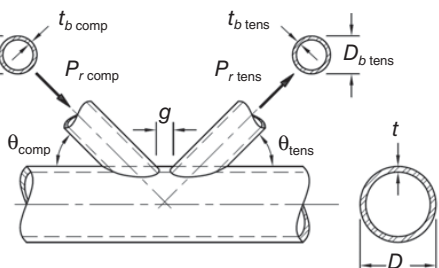


**Table 8-1. Nominal Strengths of Round HSS-to-HSS Truss Connections**

Connection Type	Connection Nominal Axial Strength*
<p>General Check For T-, Y-, Cross- and K-Connections with Gap, when <math>D_b(\text{tens/comp}) &lt; (D - 2t)</math></p>	<p>Limit State: Shear Yielding (Punching)</p> $P_n = 0.6F_y t \pi D_b \left( \frac{1 + \sin \theta}{2 \sin^2 \theta} \right) \quad (\text{K2-4}) \text{ and } (\text{K2-9})$ <p><math>\phi = 0.95</math> (LRFD)      <math>\Omega = 1.58</math> (ASD)</p>
<p>T- and Y-Connections</p> 	<p>Limit State: Chord Plastification</p> $P_n \sin \theta = F_y t^2 (3.1 + 15.6 \beta^2) \gamma^{0.2} Q_f \quad (\text{K2-3})$ <p><math>\phi = 0.90</math> (LRFD)      <math>\Omega = 1.67</math> (ASD)</p>
<p>Cross-Connections</p> 	<p>Limit State: Chord Plastification</p> $P_n \sin \theta = F_y t^2 \left( \frac{5.7}{1 - 0.81 \beta} \right) Q_f \quad (\text{K2-5})$ <p><math>\phi = 0.90</math> (LRFD)      <math>\Omega = 1.67</math> (ASD)</p>
<p>K-Connections with Gap or Overlap</p> 	<p>Limit State: Chord Plastification</p> $(P_n \sin \theta)_{\text{compression branch}} = F_y t^2 \left( 2.0 + 11.33 \frac{D_{b \text{ comp}}}{D} \right) Q_g Q_f \quad (\text{K2-6})$ $(P_n \sin \theta)_{\text{tension branch}} = (P_n \sin \theta)_{\text{compression branch}} \quad (\text{K2-8})$ <p><math>\phi = 0.90</math> (LRFD)      <math>\Omega = 1.67</math> (ASD)</p>

**Functions**

$Q_f = 1$  for chord (connecting surface) in tension

$Q_f = 1.0 - 0.3U(1 + U)$  for chord (connecting surface) in compression

$$U = \left| \frac{P_r}{AF_c} + \frac{M_r}{SF_c} \right|$$

where  $P_r$  and  $M_r$  are determined on the side of the joint that has the lower compression stress.  $P_r$  and  $M_r$  refer to the required axial and flexural strength in the HSS.  $P_r = P_u$  for LRFD;  $P_a$  for ASD.  $M_r = M_u$  for LRFD;  $M_a$  for ASD.

$$Q_g = \gamma^{0.2} \left[ 1 + \frac{0.024 \gamma^{1.2}}{\exp\left(\frac{0.5g}{t} - 1.33\right) + 1} \right] \quad (\text{K2-7})$$

Note that  $\exp(x)$  is identical to  $2.71828^x$ , where 2.71828 is the base of the natural logarithm.

\* Equation references are to the AISC Specification.