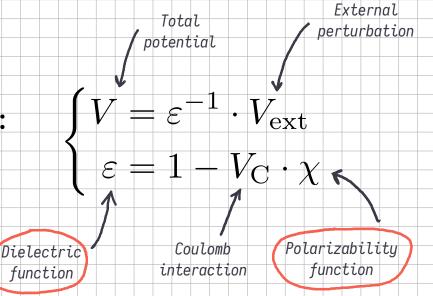
Assumptions:

- Tight-binding approximation,
 - i.e. continuous space is discretized: $\psi(\mathbf{r})
 ightarrow \psi_i$

Random phase approximation (RPA),
 i.e. 1st order perturbation theory:



What we can do:

magic : $(\mathcal{H}\,,\,V_{\mathrm{C}})\mapsto (\chi(\omega)\,,\,\varepsilon(\omega))$

Complete real-space description!

for up to O(10000) sites

(for any Hamiltonian, frequency, temperature, chemical potential, etc.)

Already done:

PHYSICAL REVIEW B 97, 205434 (2018)

Plasmon confinement in fractal quantum systems

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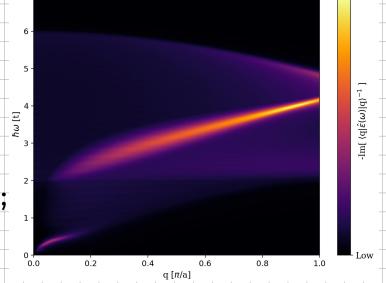
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Recent progress in the fabrication of materials has made it possible to create arbitrary nonperiodic twodimensional structures in the quantum plasmon regime. This paves the way for exploring the quantum plasmonic properties of electron gases in complex geometries. In this work we study systems with a fractal dimension. We calculate the full dielectric functions of two prototypical fractals with different ramification numbers, namely the Sierpinski carpet and gasket. We show that the Sierpinski carpet has a dispersion comparable to a square lattice, but the Sierpinski gasket features highly localized plasmon modes with a flat dispersion. This strong plasmon confinement in finitely ramified fractals can provide a novel setting for manipulating light at the quantum level.

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Work in progress:

(by Samber Bastiaansen)



- EELS (Electron Energy Loss Spectroscopy) spectrum;
- Plasmon dispersion;
- Real-space plasmon eigenmodes;

