

## Greibach Normal Form (GNF)

GNF makes the parsing or derivation linear.

-> Every step in derivation introduces exactly one terminal symbol

-> so that with GNF and LMD exactly  $n$  steps later, a string of length  $n$  is derived

Every Production in GNF looks like

**$A \rightarrow a \alpha$**

**$a \in T$**

**$\alpha \in V^*$**

**Or**

**$A \rightarrow \lambda$**

**Leftmost** symbol on RHS of every production is a terminal

There cannot be more than one terminal symbol on RHS

Note: There is specific algorithm to convert CFG to GNF

### Example 1:

$S \rightarrow aSb \mid bSb \mid SS \mid \lambda$

**GNF:**

$S \rightarrow aSB$

$S \rightarrow bSA$

**$S \rightarrow \lambda$**

$B \rightarrow b$

$A \rightarrow A$

For  $S \rightarrow SS$  (Replace the first  $S$  by  $S \rightarrow aSB \mid bSA$ )

Hence we get,

$S \rightarrow aSbS \mid aSAS$

Therefore the grammar in GNF is

$S \rightarrow aSB \mid bSA \mid aSBA \mid bSAS \mid \lambda$

**$A \rightarrow a$**

**$B \rightarrow b$**

### Example 2:

$S \rightarrow XY \mid Xn \mid p$

$X \rightarrow mX \mid m$

$Y \rightarrow Wn \mid o$

Replace X in S and Y

$S \rightarrow mXY \mid mY \mid mXn \mid mn \mid p$

$Y \rightarrow mXn \mid mn \mid o$

**Grammar in GNF is :**

$S \rightarrow mXY \mid mY \mid mXN \mid mN \mid p$

$X \rightarrow mXN \mid mN \mid o$

$N \rightarrow n$