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# Implementation of Priority Queue using min heap/max heap

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## **Ascending and Descending Heap**

- Ascending Heap: Root will have the lowest element. Each node's data is greater than or equal to its parent's data.
   It is also called min heap.
- Descending Heap: Root will have the highest element. Each node's data is lesser than or equal to its parent's data. It is also called max heap.



#### **Priority Queue using Heap**

- Priority Queue is a Data Structure in which intrinsic ordering of the elements does determine the results of its basic operations
- Ascending Priority Queue: is a collection of items into which items can be inserted arbitrarily and from which only the smallest item can be removed
- Descending Priority Queue: is a collection of items into which items can be inserted arbitrarily and from which only the largest item can be removed



## **Priority Queue using Heap**

#### Consider the properties of a heap

- The entry with largest key is on the top(Descending heap)
  and can be removed immediately. But O(logn) time is
  required to readjust the heap with remaining keys
- If another entry need to be done, it requires O(logn)
- Therefore, heap is advantageous to implement a Priority
   Queue



## **Priority Queue using Heap: Implementation**

- dpq: Array that implements descending heap of size k (position from 0 to k-1)
- pqinsert(dpq,k,elt): insert element into the heap dpq of size k. Size increases to k+1
- This insertion is done using siftup operation



# **Priority Queue using Heap: Implementation**



# Algorithm for siftup

```
c = k;
p = (c-1)/2;
while(c>0 && dpq[p]<elt) {</pre>
 dpq[c]=dpq[p];
 c=p;
 p=(c-1)/2;
dpq[c]=elt;
```

**Priority Queue using Heap: Implementation** 

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```

```
pqmaxdelete(dpq,k) //for a descending heap of size k
p = dpq[0];
adjustheap(0,k-1)
return p;
```

# **Priority Queue using Heap: Implementation**



# Algorithm largechild(p,m)

```
c = 2*p+1;
if(c+1 \le m \&\& x[c] \le x[c+1])
 c = c + 1;
if(c > m)
 return -1;
else
 return (c);
```

**Priority Queue using Heap: Implementation** 



```
Algorithm adjustheap(root,k) //recursive
```

```
p = root;
c = largechild(p,k-1);
if(c \ge 0 \&\& dpq[k] < dpq[c])
 dpq[p] = dpq[c];
 adjustheap(c,k);
else
 dpq[p] = dpq[k];
```

# **Priority Queue using Heap: Implementation**

#### **Iterative version**

```
p = root;
kvalue = dpq[k];
c = largechild(p,k-1);
while(c \ge 0 \&\& kvalue < dpq[c]){
  dpq[p] = dpq[c];
  p = c;
  c = largechild(p,k-1);
dpq[p] = kvalue;
```





# **THANK YOU**

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