K-MEANS CLUSTERING

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Data Set

The data is visualised using MATLAB. The scatter plot is depicted in Fig. below.

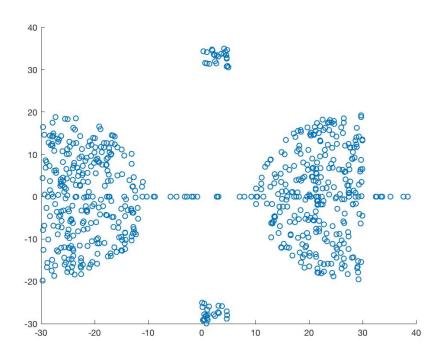


Figure 1: Outlier.txt

Outlier.txt

The data has 4 clusters and some noise points.

Cluster Id	No of Points
Cluster 1	276
Cluster 2	276
Cluster 3	24
Cluster 4	24
Noise	50
Total	650

K-means algorithm

A MATLABcode was written to cluster the data based on K-means algorithm. First the data is read into the code using the code snippet given below.

```
1 % Load data
2 clear all
3 clf
4 clc
```

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```
hold on
filename = 'outlier.txt';

math representation of the file
fileID = fopen(filename, 'r');
formatSpec = '%f,%f,%f';
sizeA = [3 Inf];
A = fscanf(fileID, formatSpec, sizeA);
fclose(fileID);
```

Once the data is loaded, the K-means algorithm is implemented using the code snippet given below.

```
1 % Kmeans algorithm
2 % initialising the clusters' means
  for i = 1:no_of_clusters
      for j = 1:2
      mean\_old(j,i) = A(j,initial\_mean(i));
6
      end
7
  end
  while ((convergence > convergence_limit)\&\&(iteration < max_iteration))
      X = ['Iteration = ', num2str(iteration)];
10
      disp(X);
11
12
      % Assigning each point to a cluster
       dist = 0.0;
13
       for i = 1:max_len
14
           dist_x = (A(1, i)-mean_old(1, 1))^2;
15
           dist_y = (A(2,i)-mean_old(2,1))^2;
16
17
           dist = dist_x + dist_y;
18
           index = 1;
           for j = 2:no_of_clusters
19
               dist_x = (A(1,i)-mean_old(1,j))^2;
20
               dist_y = (A(2,i)-mean_old(2,j))^2;
21
               if ( dist > dist_x + dist_y)
22
                    dist = dist_x + dist_y;
23
                    index = j;
               end
           end
           cluster_id(i,1) = index;
27
      end
28
29
       for i = 1:no_of_clusters
30
           sum(1, i) = 0.0;
31
           sum(2,i) = 0.0;
32
33
           no_of_points(1,i) = 0.0;
34
      % Calculating new mean
      for i = 1:max len
36
           sum(1,i) = 0.0;
37
38
           sum(2, i) = 0.0;
           sum(1, cluster_id(i,1)) = sum(1, cluster_id(i,1)) + A(1,i);
39
           sum(2, cluster_id(i,1)) = sum(2, cluster_id(i,1)) + A(2,i);
40
           no_of_points(1, cluster_id(i,1)) = no_of_points(1, cluster_id(i,1)) + 1;
41
      end
42
43
      % Calculating the new means
44
       for i = 1:no_of_clusters
           for j = 1:2
               mean new(j,i) = sum(j,i)/no of points(1,i);
47
48
           end
      end
49
50
      % Caclulating SSE
51
      sse new = 0.0;
53
       for i = 1: max len
54
           for j = 1:2
               sse new = sse new + (A(j,i)-mean new(j,cluster\ id(i)))^2;
```

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```
end
end
convergence = abs((sse_new - sse_old)) / sse_new;
wupdate the variables
iteration = iteration + 1;
sse_old = sse_new;
mean_old = mean_new;
end
end
```

Finally, the results are plotted.

```
1 %% Plot results
2 k=max(cluster_id);
3 Colors=hsv(k);
_{4} Legends = \{\};
5 \text{ for } i=0:k
       A_{i}=A(:, cluster_id==i);
       if i^{=0}
            Style = 'x';
9
            MarkerSize = 8;
            Color = Colors(i,:);
10
11
            Legends\{end+1\} = ['Cluster \#' num2str(i)];
12
       end
          ~isempty(A_i)
13
           %scatter3 (A_i(1,:), A_i(2,:), A_i(3,:), Style, 'MarkerSize', MarkerSize, '
14
       MarkerFaceColor', Color);
            scatter(A_i(1,:), A_i(2,:), Style, 'MarkerFaceColor', Color);
15
16
17
       hold on;
18 end
19 Style = 'o';
_{20} MarkerSize = 10;
21 \text{ Color} = [0 \ 0 \ 0];
22 Legends{end+1} = 'Centroids';
scatter(mean_new(1,:), mean_new(2,:), Style, 'MarkerFaceColor', Color);
25 hold off;
26 grid on;
27 legend (Legends);
28 legend('Location', 'NorthEastOutside');
```

K-means Implementation

Outlier.txt

No of clusters = 2

The above code was executed with the number of clusters equal to two and the following output was obtained. The centroids and the SSE obtained for each case is given below.

```
SSE =138047.9529
Centroids
Centroid #1=[18.9961 0.78908]
Centroid #2=[-21.0431
-0.27064]
```

```
Listing 1: Case 1
```

```
SSE =137470.4669
Centroids
Centroid #1=[20.122 2.4939]
Centroid #2=[-19.5722 -2.0021]
```

Listing 2: Case 2

No of clusters = 4

The above code was executed with the number of clusters equal to four and the following output was obtained. The centroids and the SSE obtained for each case is given below.

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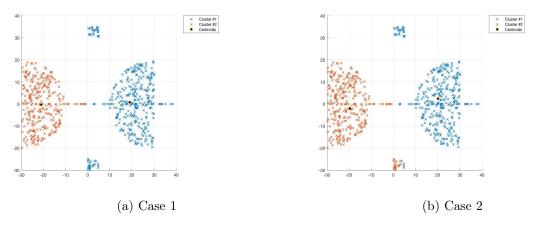


Figure 2: K-means with K=2

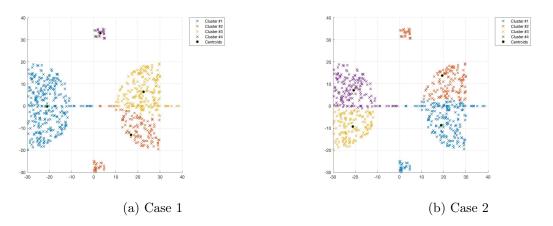


Figure 3: K-means with K=4

```
SSE =71740.5202
                                                       16 SSE =74377.92
  Centroids
                                                         Centroids
                                                       17
          Centroid #1=[-21.0418]
11
                                                                 Centroid #1=[18.8815 -8.6685]
                                                       18
        -0.25116]
                                                                 Centroid \#2 = [19.2873 \ 13.8065]
                                                       19
          Centroid #2=[16.8663 -13.1015]
12
                                                                 Centroid \#3=[-21.094 -9.3189]
Centroid \#4=[-20.6517 7.1059]
                                                       20
          Centroid #3=[22.5359 6.4484]
13
          Centroid #4=[3.0439 32.9744]
                                                                       Listing 4: Case 2
```

Observation

Listing 3: Case 1

We observe that, the bigger clusters are getting classified as two different clusters. The noise points are also getting clustered.

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