



Regression review

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Regression basics

• Outcome is real-valued





Common regression metrics

- Root mean squared error (RMSE)
- Mean absolute error (MAE)



Computing RMSE

Actual	Predicted
10	20
3	8
6	1



Computing RMSE

Actual	Predicted	Error
10	20	-10
3	8	-5
6	1	5



Computing RMSE

Actual	Predicted	Error	Squared Error
10	20	-10	100
3	8	-5	25
6	1	5	25

• Total Squared Error: 150

• Mean Squared Error: 50

Root Mean Squared Error: 7.07



Computing MAE

Actual	Predicted	Error
10	20	-10
3	8	-5
6	1	5

• Total Absolute Error: 20

Mean Absolute Error: 6.67

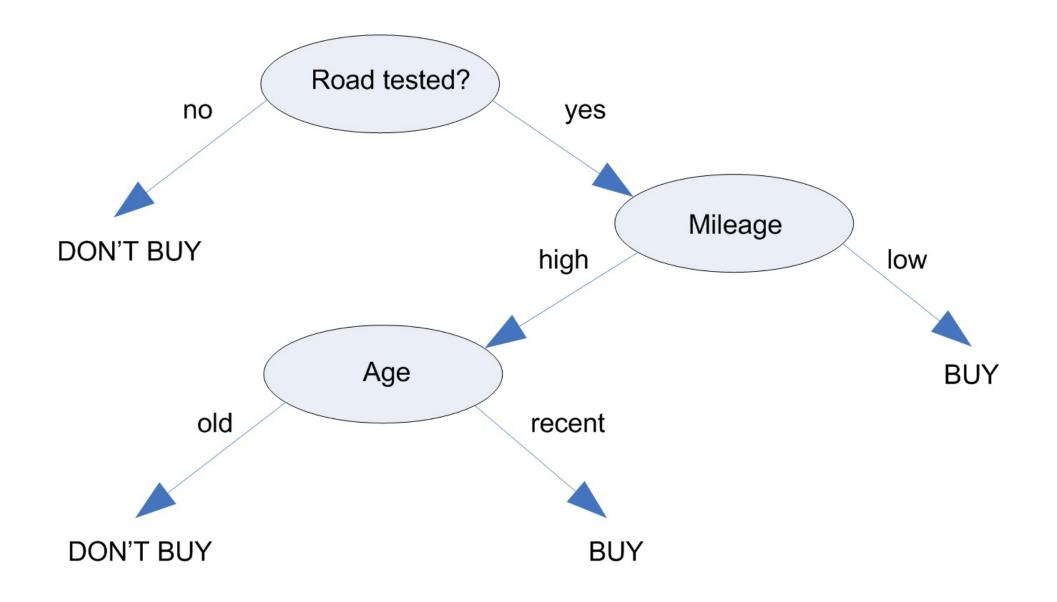


Common regression algorithms

- Linear regression
- Decision trees



Algorithms for both regression and classification







Let's practice!





Objective (loss) functions and base learners

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Objective Functions and Why We Use Them

- Quantifies how far off a prediction is from the actual result
- Measures the difference between estimated and true values for some collection of data
- Goal: Find the model that yields the minimum value of the loss function



Common Loss Functions and XGBoost

- Loss function names in xgboost:
 - reg:linear use for regression problems
 - reg:logistic use for classification problems when you want just decision, not probability
 - binary:logistic use when you want probability rather than just decision



Base Learners and Why We Need Them

- XGBoost involves creating a meta-model that is composed of many individual models that combine to give a final prediction
- Individual models = base learners
- Want base learners that when combined create final prediction that is non-linear
- Each base learner should be good at distinguishing or predicting different parts of the dataset
- Two kinds of base learners: tree and linear



Trees as Base Learners example: Scikit-learn API

```
In [1]: import xgboost as xgb
In [2]: import pandas as pd
In [3]: import numpy as np
In [4]: from sklearn.model selection import train test split
In [5]: boston data = pd.read csv("boston housing.csv")
In [6]: X, y = boston data.iloc[:,:-1],boston data.iloc[:,-1]
In [7]: X train, X test, y train, y test= train test split(X, y,
        test size=0.2, random state=123)
In [8]: xg reg = xgb.XGBRegressor(objective='reg:linear',
        n estimators=10, seed=123)
In [9]: xg reg.fit(X train, y train)
In [10]: preds = xg reg.predict(X test)
```



Trees as base learners example: Scikit-learn API

```
In [11]: rmse = np.sqrt(mean_squared_error(y_test,preds))
In [12]: print("RMSE: %f" % (rmse))
RMSE: 129043.2314
```



Linear Base Learners Example: Learning API Only

```
In [1]: import xgboost as xgb
In [2]: import pandas as pd
In [3]: import numpy as np
In [4]: from sklearn.model selection import train test split
In [5]: boston data = pd.read csv("boston housing.csv")
In [6]: X, y = boston data.iloc[:,:-1], boston data.iloc[:,-1]
In [7]: X train, X test, y train, y test= train test split(X, y,
        test size=0.2, random state=123)
In [8]: DM train = xgb.DMatrix(data=X train, label=y train)
In [9]: DM test = xgb.DMatrix(data=X test,label=y test)
In [10]: params = {"booster":"gblinear","objective":"reg:linear"}
In [11]: xg reg = xgb.train(params = params, dtrain=DM train,
         num boost round=10)
In [12]: preds = xg reg.predict(DM test)
```



Linear base learners example: Learning API only

```
In [13]: rmse = np.sqrt(mean_squared_error(y_test,preds))
In [14]: print("RMSE: %f" % (rmse))
RMSE: 124326.24465
```





Let's get to work!





Regularization and base learners in XGBoost

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Regularization in XGBoost

- Regularization is a control on model complexity
- Want models that are both accurate and as simple as possible
- Regularization parameters in XGBoost:
 - gamma minimum loss reduction allowed for a split to occur
 - alpha l1 regularization on leaf weights, larger values mean more regularization
 - lambda I2 regularization on leaf weights



L1 Regularization in XGBoost example

```
In [1]: import xgboost as xgb
In [2]: import pandas as pd
In [3]: boston data = pd.read csv("boston data.csv")
In [4]: X,y = boston data.iloc[:,:-1],boston data.iloc[:,-1]
In [5]: boston dmatrix = xgb.DMatrix(data=X,label=y)
In [6]: params={"objective":"reg:linear","max depth":4}
In [7]: l1 params = [1,10,100]
In [8]: rmses_l1=[]
In [9]: for reg in l1 params:
           params["alpha"] = req
   . . . :
   ...: cv_results = xgb.cv(dtrain=boston_dmatrix,
   ...: params=params,nfold=4,
            num boost round=10,metrics="rmse",as pandas=True,seed=123)
            rmses l1.append(cv results["test-rmse-mean"] \
   . . . :
            .tail(1).values[0])
In [10]: print("Best rmse as a function of l1:")
In [11]: print(pd.DataFrame(list(zip(l1 params, rmses l1)),
         columns=["l1","rmse"]))
Best rmse as a function of l1:
                    rmse
        1 69572.517742
    1 10 72721 0671/11
```



Base Learners in XGBoost

- Linear Base Learner:
 - Sum of linear terms
 - Boosted model is weighted sum of linear models (thus is itself linear)
 - Rarely used
- Tree Base Learner:
 - Decision tree
 - Boosted model is weighted sum of decision trees (nonlinear)
 - Almost exclusively used in XGBoost

Creating DataFrames from multiple equal-length lists

- pd.DataFrame(list(zip(list1,list2)),columns=["list1","list2"]))
- zip creates a generator of parallel values:
 - \blacksquare zip([1,2,3],["a","b""c"]) = [1,"a"],[2,"b"],[3,"c"]
 - generators need to be completely instantiated before they can be used in DataFrame objects
- list() instantiates the full generator and passing that into the DataFrame converts the whole expression





Let's practice!