

# NoSQL graph database

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Thanks to Enrico Gallinucci and Oscar Romero for these slides

“WITHOUT DATA, YOU’RE JUST ANOTHER PERSON WITH AN OPINION”

W. Edwards Deming, American Statistician

# Graph Data Model in a Nutshell

## Occurrence-oriented

- It is a schemaless data model
  - There is no explicit schema
  - Data (and its relationships) may quickly vary
- Objects and relationships as first-class citizens
  - An object  $o$  relates (through a relationship  $r$ ) to another object  $o'$ 
    - Such relationship is often known as a triple  $(o \ r \ o')$
  - Both objects and relationships may contain properties
- Built on top of the graph theory
  - Euler (18th century)
  - More natural and intuitive than the relational model to deal with relationships

# Notation (I)

A **graph**  $G$  is a set of nodes and edges:  $G (N, E)$

$N$  - **Nodes** (or vertices):  $n_1, n_2, \dots N_m$

$E$  - **Edges** are represented as pairs of nodes:  $(n_1, n_2)$

- An edge is said to be incident to  $n_1$  and  $n_2$
- Also,  $n_1$  and  $n_2$  are said to be adjacent
- An edge is drawn as a line between  $n_1$  and  $n_2$
- Directed edges entail direction: from  $n_1$  to  $n_2$
- An edge is said to be **multiple** if there is another edge exactly relating the same nodes
- An hyperedge is an edge inciding in more than 2 nodes.

**Multigraph:** If it contains at least one multiple edge

**Simple graph:** If it does not contain multiple edges

**Hypergraph:** A graph allowing hyperedges

# Notation (II)

**Size** (of a graph): #edges

**Degree** (of a node): #(incident edges)

- The degree of a node denotes the node adjacency
- The neighbourhood of a node are all its adjacent nodes

**Out-degree** (of a node): #(edges leaving the node)

- Sink node: A node with 0 out-degree

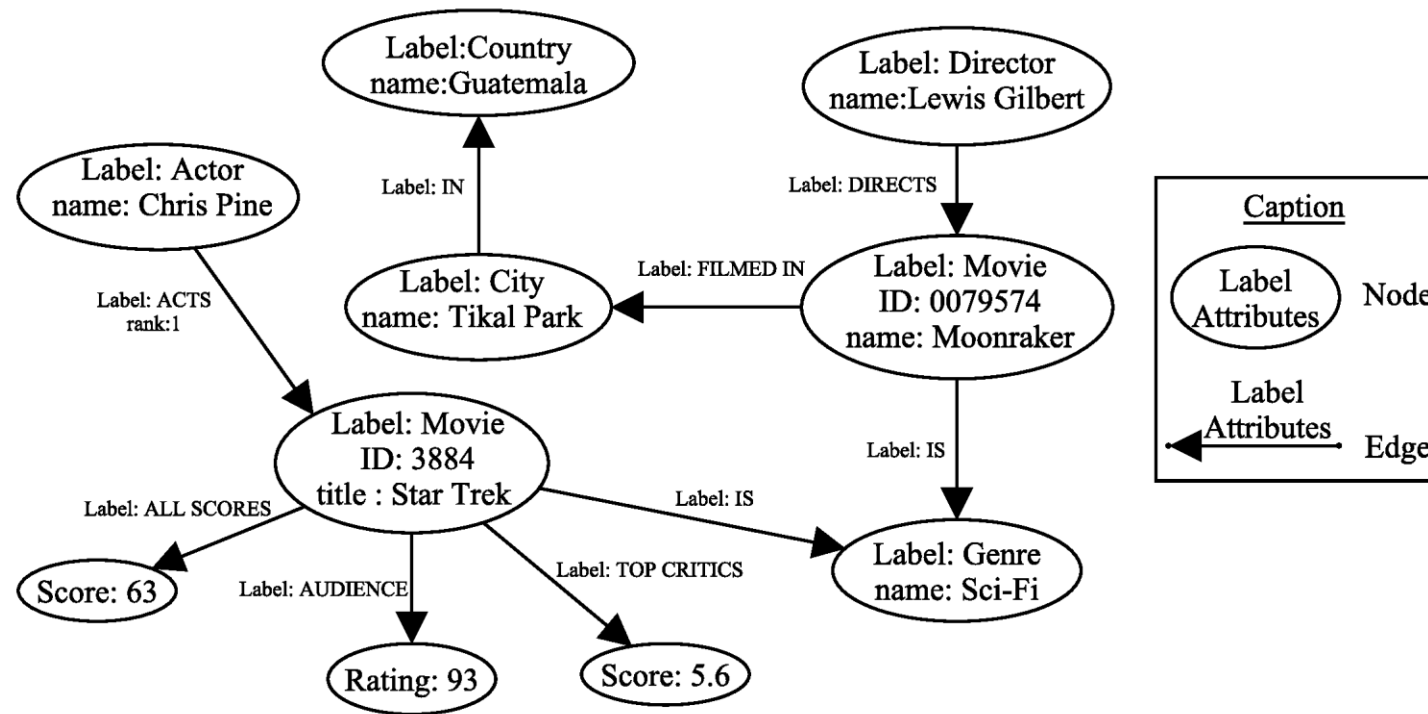
**In-degree** (of a node): #(incoming edges reaching the node)

- Source node: A node with 0 in-degree

**Cliques and trees are specific kinds of graphs**

- Clique: Every node is adjacent to every other node
- Tree: A connected acyclic simple graph

# Example



# Pros and Cons

## Graphs

They are occurrence-oriented

**Occurrences** are **pointed by / point to** related occurrences

- Graph operators do not rely on schema
- Naturally facilitate data linking

The schema information is embedded together with data

- The concept of stand-alone catalog does not exist

Purely schemaless

- Semantics are fixed by the edge / node labels

Difficult to benefit from sequential access.  
Typically, it relies on random accesses

By definition, it follows an Open-World assumption (i.e., assumes incomplete data)

## Key-oriented models

The relational model is schema-oriented. Document-stores and key-values are schemaless databases but still rely on key-based structures

Key-oriented models need to make a strong modeling call, which unbalances the logical / physical model

- As consequence, the degree of (de)normalisation has a big impact on queries

Can naturally benefit from sequential reads

Views are either virtual definitions or, if materialised, additional stand-alone constructs

Poor relationship semantics: the relational model only deals with FK, document-stores / key-values do not support relationships

Relational model, and most key-value / document-stores, follow a Closed-World assumption (i.e., complete data)

# Graph Data Models and Data Analytics

From a data management point of view:

- Extremely flexible
- Schemaless by definition
- Facilitate data governance
- Facilitate ad-hoc transformations

From a data analytics point of view:

- Allow to exploit the data structure topology
- Sits somewhere in between descriptive and probabilistic data analysis



# Showcasing Graphs

Crossing data from social networks it is possible to identify a graph like the one that follows:

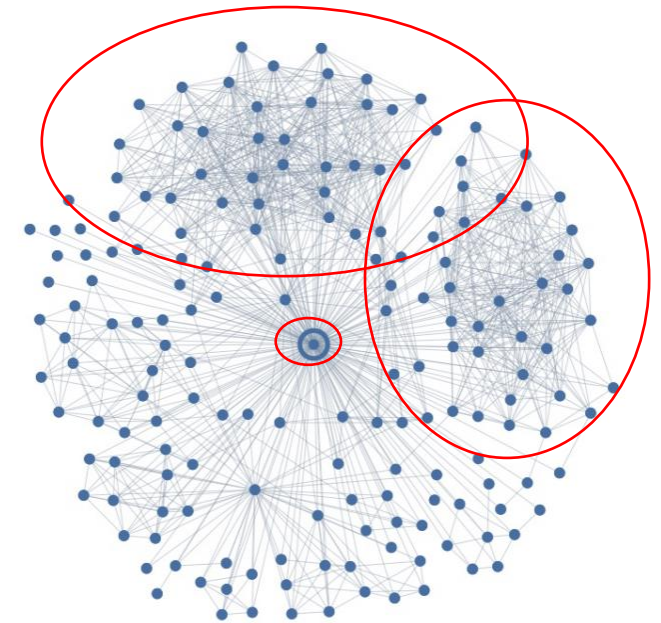
- In the centre there is a specific person  $P$
- The rest are  $P$  connections and connections among them

Using sociology techniques...

- We can identify  $P$  social foci:
  - Dense clusters of friends corresponding to long periods of interaction
  - Typically, college friends, coworkers, relatives, etc.
- The *significant other* can be identified by a high *dispersion* rate
  - Highly connected with  $P$  connections,
  - But with a high dispersion degree wrt  $P$  social foci

**Hypothesis:** when the node with higher dispersion degree identified is not the partner, this couple is likely to split up in a period of 60 days

L. Backstrom, J. Kleinberg. Romantic Partnerships and the Dispersion of Social Ties: A Network Analysis of Relationship Status on Facebook <https://arxiv.org/pdf/1310.6753v1.pdf>



# Graph Data Models

There is no single graph data model

Two main families of graphs

- Property Graphs
  - Born in the database field
  - Not predefined semantics
  - Follow a Closed-World assumption
  - Generate data silos
  - Algebraic operations on top of traditional graph operations
- Knowledge Graphs
  - Born in the knowledge representation field
  - May assume the Open-World assumption
  - Facilitate data sharing and linking
  - Two main families
    - RDF and RDF(S)
      - Born in the semantic web field
      - Vocabulary-based pre-defined semantics
      - Combine algebraic operations with simple reasoning operations
    - Description Logics (DL)-based (e.g., OWL)
      - Representation of (subsets of) first-order logic
      - Pre-defined semantics based on logics
      - Reasoning operations founded in their logics nature

# The Property Graph Data Model

Born in the database community

- Meant to be queried and processed
- **THERE IS NO STANDARD!**

Two main constructs: nodes and edges

- Nodes represent entities,
- Edges relate pairs of nodes, and may represent different types of relationships

Nodes and edges might be labeled,

and may have a set of properties represented as attributes (key-value pairs)\*\*\*

Further assumptions:

- Edges are directed,
- Multi-graphs are allowed

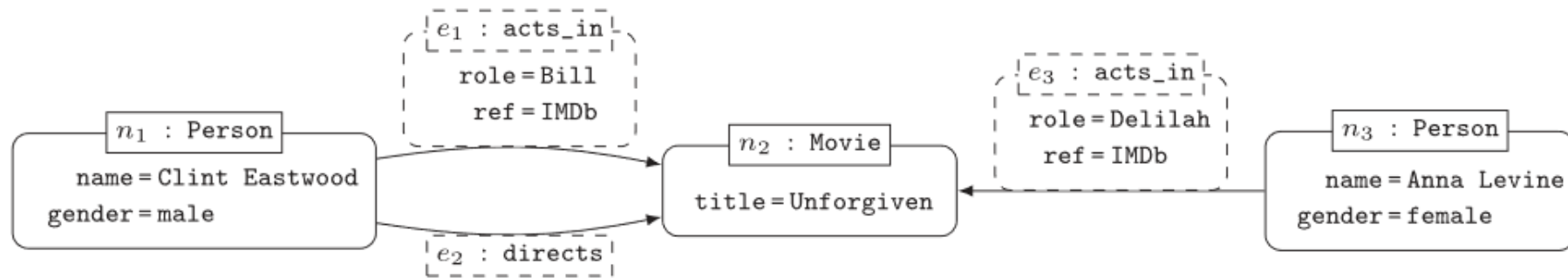
*\*\*\* Note: in some definitions (the least) edges are not allowed to have attributes*

# Formal Definition

*Definition 2.3 (Property graph).* A property graph  $G$  is a tuple  $(V, E, \rho, \lambda, \sigma)$ , where:

- (1)  $V$  is a finite set of *vertices* (or *nodes*).
- (2)  $E$  is a finite set of *edges* such that  $V$  and  $E$  have no elements in common.
- (3)  $\rho : E \rightarrow (V \times V)$  is a total function. Intuitively,  $\rho(e) = (v_1, v_2)$  indicates that  $e$  is a directed edge from node  $v_1$  to node  $v_2$  in  $G$ .
- (4)  $\lambda : (V \cup E) \rightarrow Lab$  is a total function with  $Lab$  a set of labels. Intuitively, if  $v \in V$  (respectively,  $e \in E$ ) and  $\lambda(v) = \ell$  (respectively,  $\lambda(e) = \ell$ ), then  $\ell$  is the label of node  $v$  (respectively, edge  $e$ ) in  $G$ .
- (5)  $\sigma : (V \cup E) \times Prop \rightarrow Val$  is a partial function with  $Prop$  a finite set of properties and  $Val$  a set of values. Intuitively, if  $v \in V$  (respectively,  $e \in E$ ),  $p \in Prop$  and  $\sigma(v, p) = s$  (respectively,  $\sigma(e, p) = s$ ), then  $s$  is the value of property  $p$  for node  $v$  (respectively, edge  $e$ ) in the property graph  $G$ .

# Example of Property Graph



$$V = \{n_1, n_2, n_3\} \quad E = \{e_1, e_2, e_3\}$$

$$\rho(e_3) = (n_3, n_2)$$

$$\lambda(n_3) = \text{person}$$

$$\lambda(e_2) = \text{directs}$$

$$\lambda(e_1) = \text{acts\_in}$$

$$\lambda(e_3) = \text{acts\_in}$$

$$\begin{aligned} \sigma(n_1, \text{gender}) &= \text{male} \\ \sigma(n_2, \text{title}) &= \text{Unforgiven} \\ \sigma(n_3, \text{name}) &= \text{Anna Levine} \\ \sigma(n_3, \text{gender}) &= \text{female} \\ \sigma(e_1, \text{role}) &= \text{Bill} \\ \sigma(e_1, \text{ref}) &= \text{IMDb} \\ \sigma(e_3, \text{role}) &= \text{Delilah} \\ \sigma(e_3, \text{ref}) &= \text{IMDb} \end{aligned}$$

# Traversal Navigation

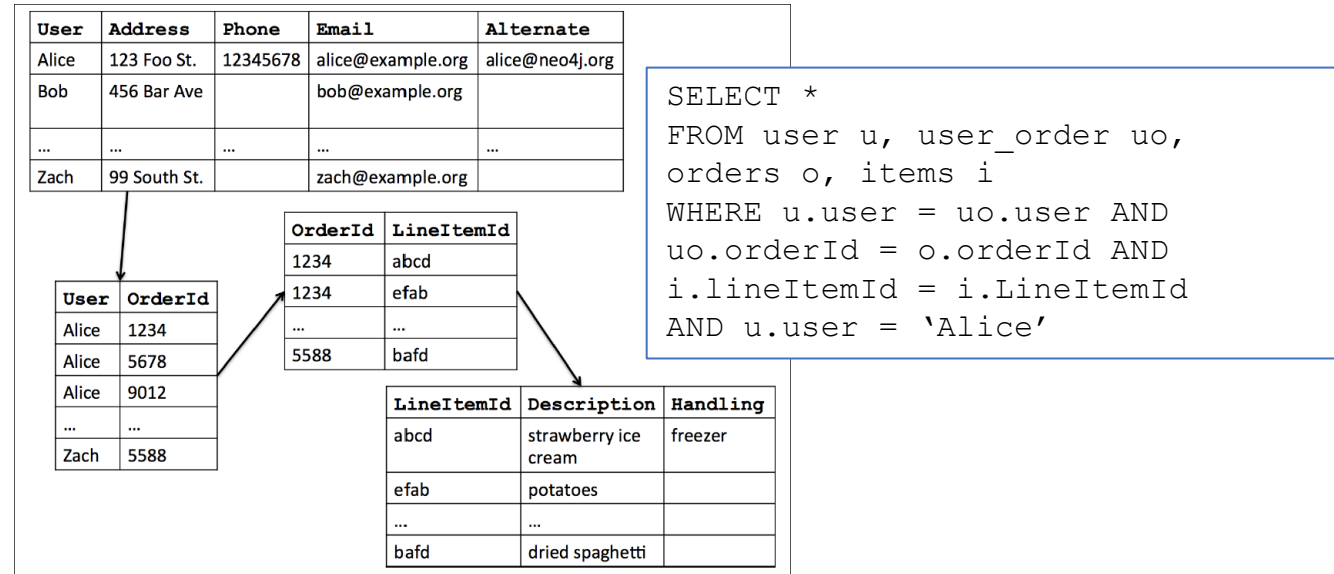
We define the graph traversal pattern as: “the ability to rapidly traverse structures to an arbitrary depth (e.g., tree structures, cyclic structures) and with an arbitrary path description (e.g. friends that work together, roads below a certain congestion threshold)” [Marko Rodriguez]

Totally opposite to set theory (on which relational databases are based on)

- Sets of elements are operated by means of the relational algebra

# Traversing Data in a RDBMS

In the relational theory, it is equivalent to joining data (schema level) and select data (based on a value)

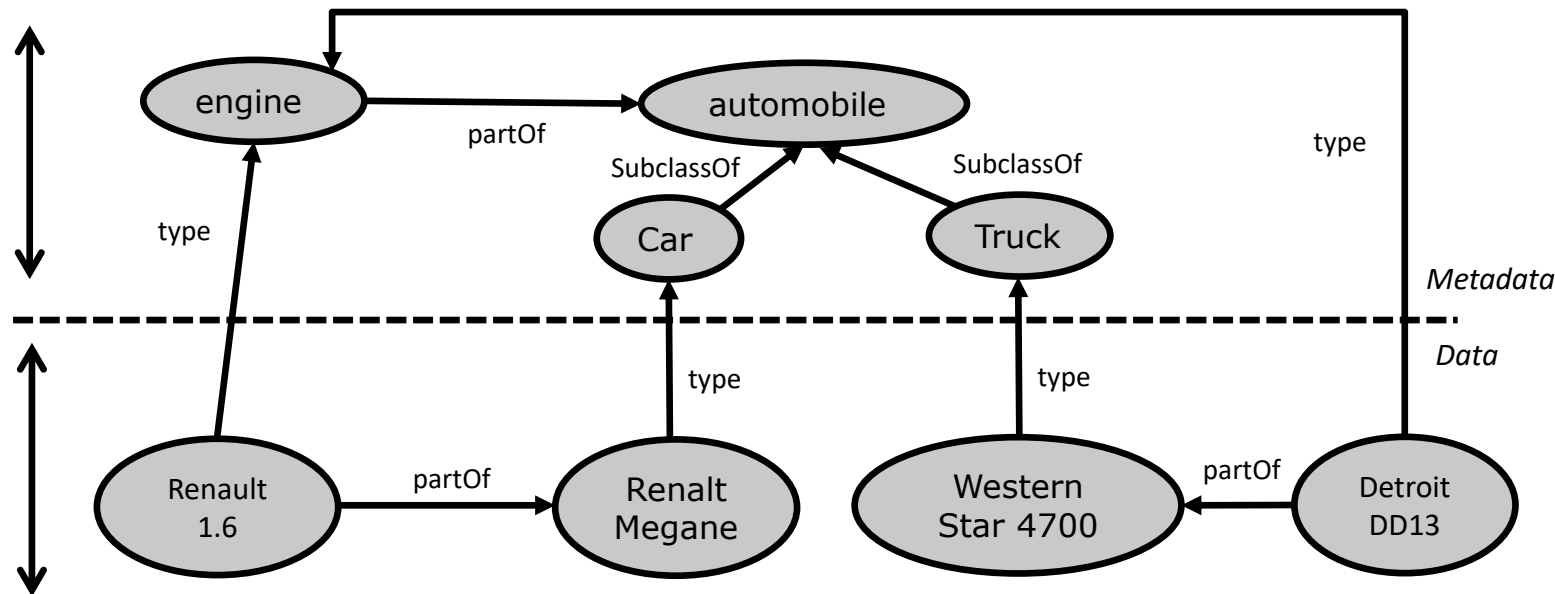


# Knowledge graphs

Every node is represented with a unique identifier and can be universally referred

Metadata is represented as nodes and edges (not using special constructs; e.g., labels)

Predefined vocabularies embedding popular semantics

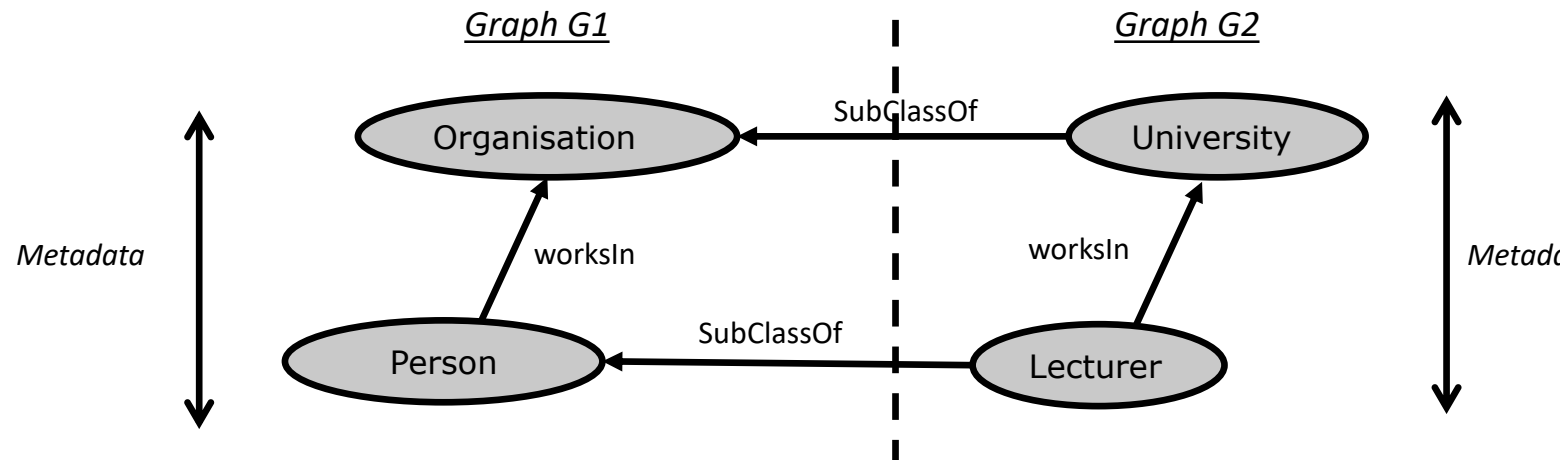




# KGs as Canonical Data Model

Knowledge graphs facilitate linking data

- Linking via their metadata is way more powerful and it is a unique feature of their own



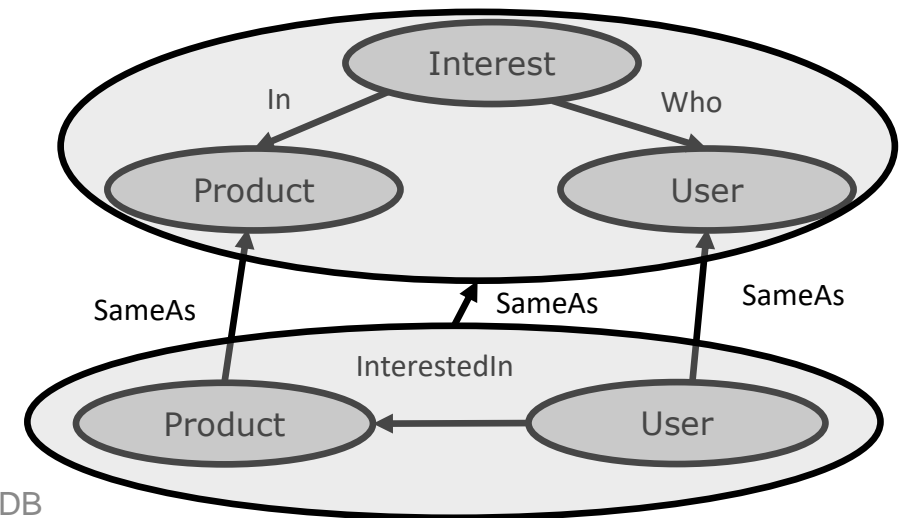
How to do this in a property graph?

# KGs as Canonical Data Model

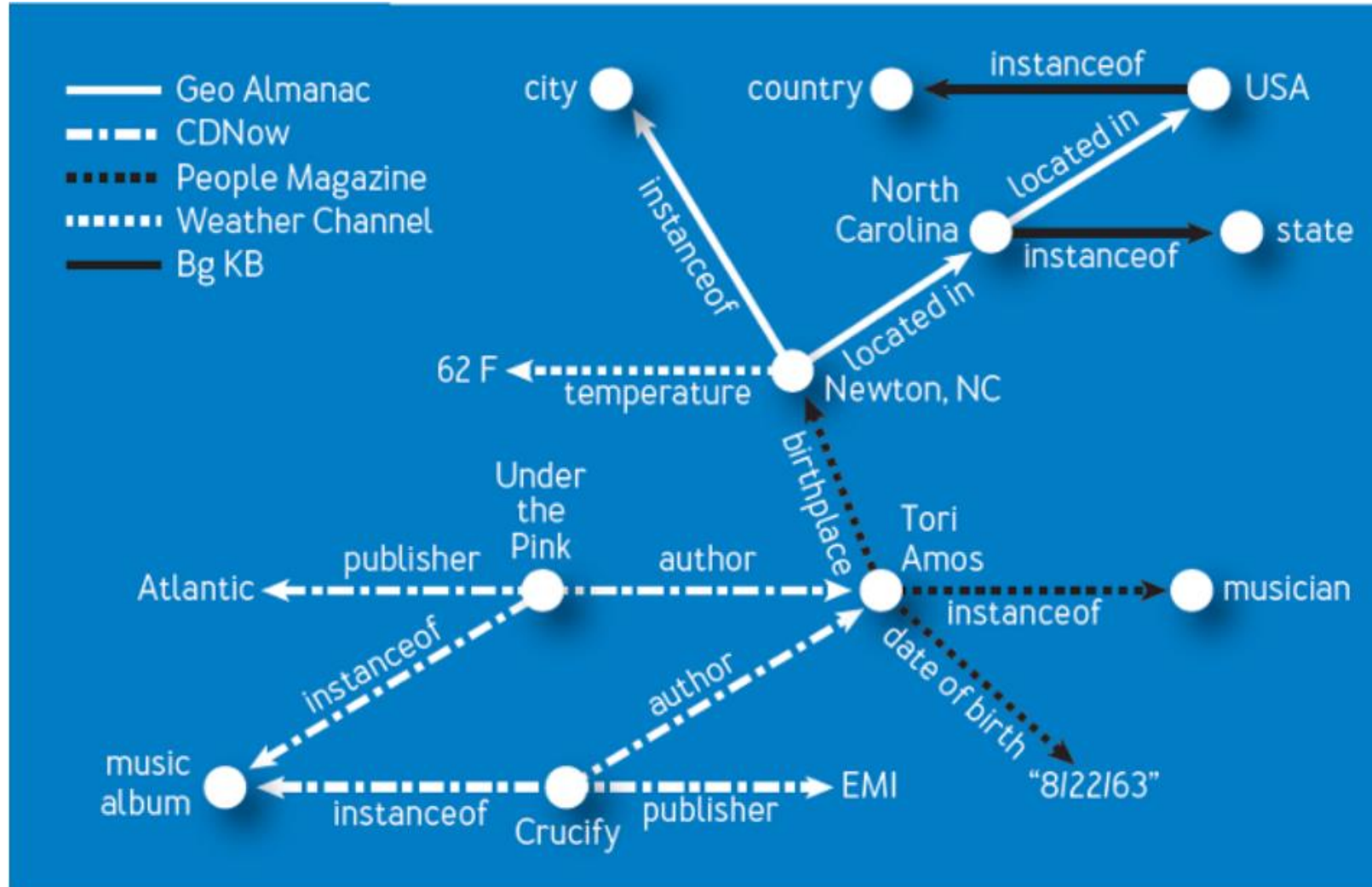
Knowledge graphs facilitate linking data

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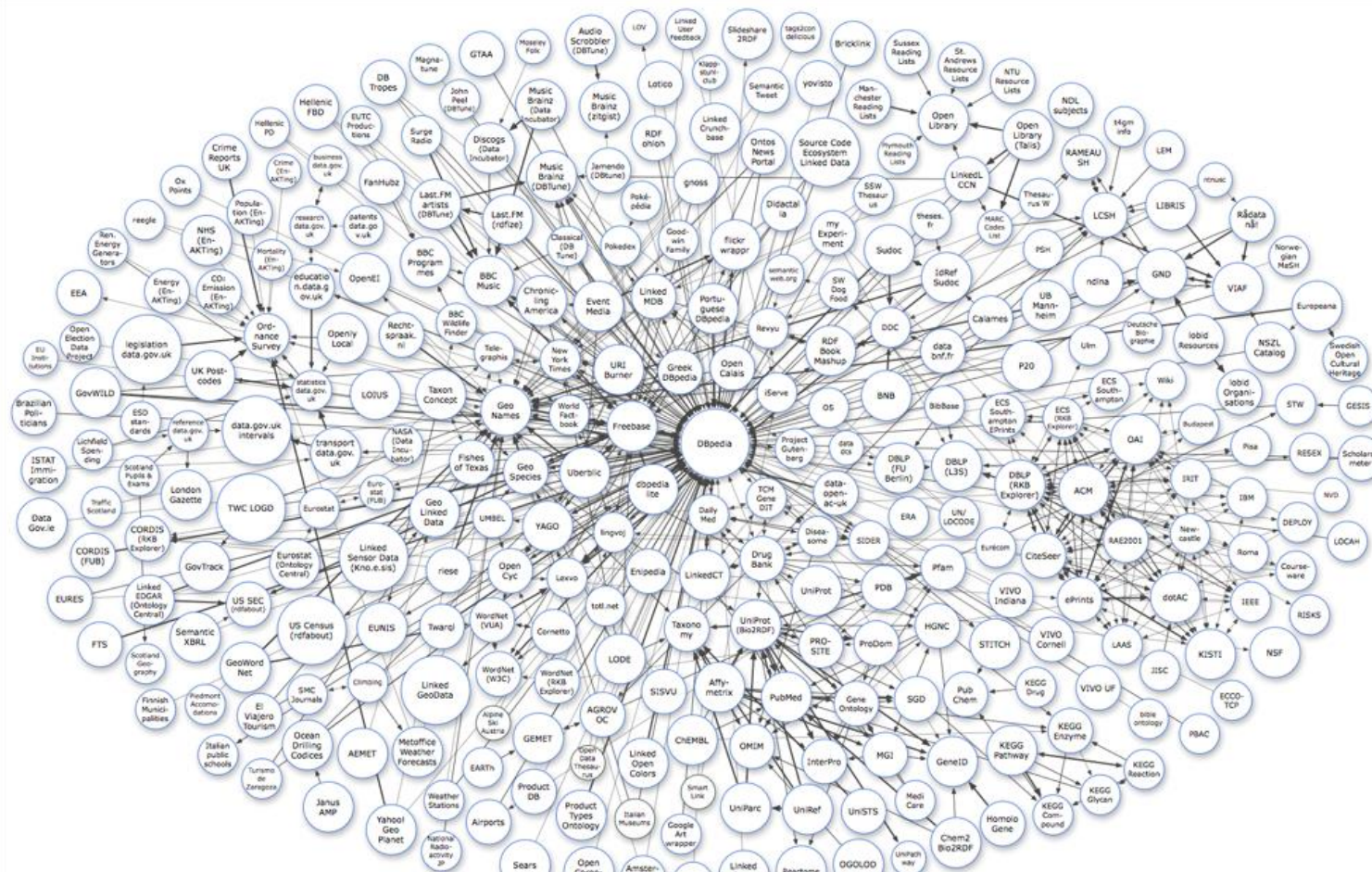
But KGs are even more flexible than that...



# The Envisioned Idea: Distributed Knowledge



# The Linking Open Data Project



“Linking Open Data cloud diagram, by Richard Cyganiak and Anja Jentzsch. <http://lod-cloud.net/>”

As of September 2011 

# Neo4j

## Graph database

- <https://neo4j.com/download/other-releases/>

## GUI di base

- Start docker and databases
- <http://127.0.0.1:7474/>
  - Database: neo4j
  - User: neo4j
  - Pwd: fitstic

Comes with tutorials to start using it

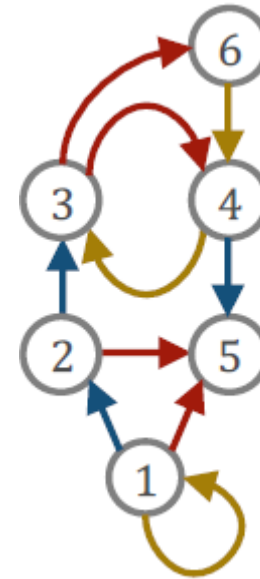
# Graph Database - Concepts

There are three fundamental concepts in a graph database:

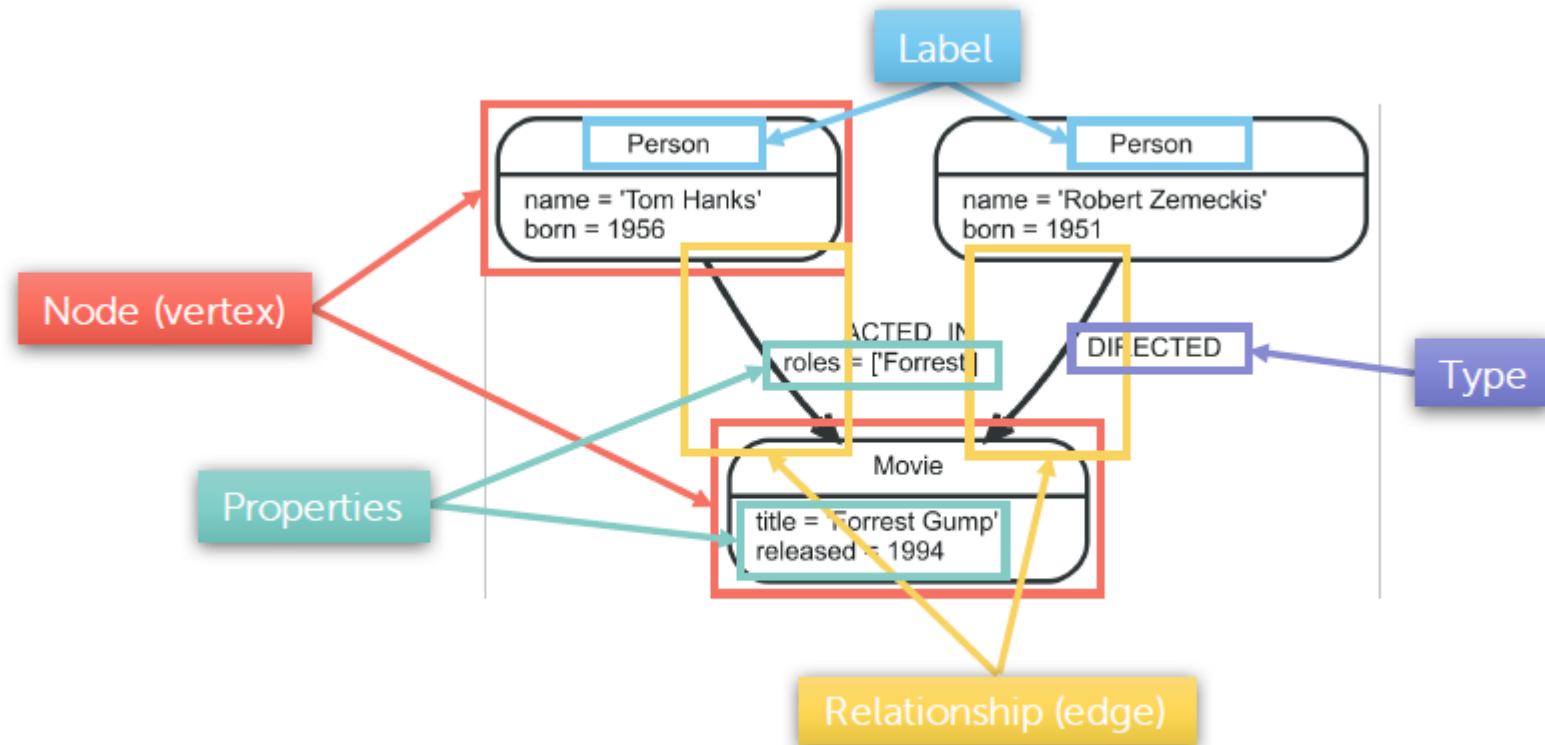
- Nodes: records, data units
- Relationships (or arcs): Directed links between nodes
- Properties: values (with a certain label) associated with a node or relation

Relations are pointers contained in a node and pointing to another node

- Very different mechanism from foreign key in RDBMS
- Much more efficient for certain types of queries



# Graph Database - Concepts





# Graph Database - Concepts

## Path

- Sequence of distinct arcs connecting two nodes

## Way

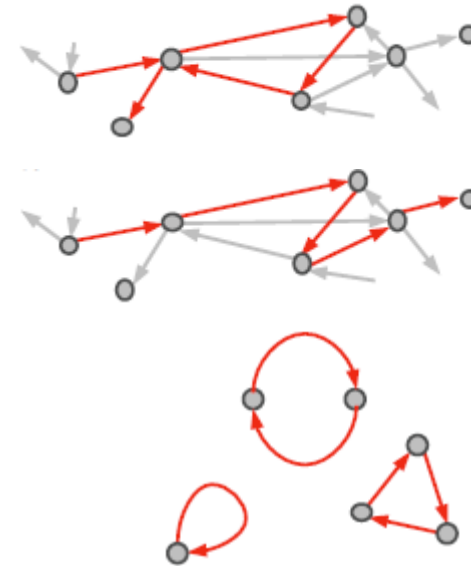
- Path passing through distinct nodes

## Cycle

- Path that begins and ends in the same node

## Distance between two nodes

- Minimum number of arcs connecting two nodes



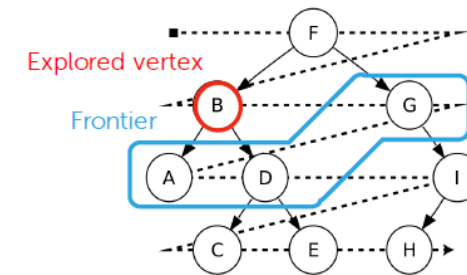
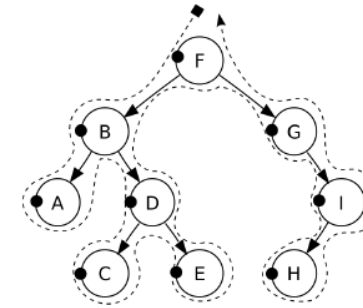
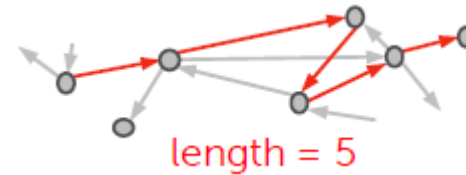


# Graph Database - Concepts

One of the most known queries is finding the shortest path between two nodes

Two main methods:

- Depth-first search
  - Examine all child nodes before examining sibling nodes
  - Requires fewer resources
  - Examine the whole graph to find the right solution
- Breadth-first search
  - Examine all sister nodes before examining child nodes
  - Requires more resources
  - The first solution he finds is the right one



# Graph Database - Concepts

## Betweenness centrality (A)

- Number of shorter paths between two nodes passing through a certain node

## Closeness centrality (B)

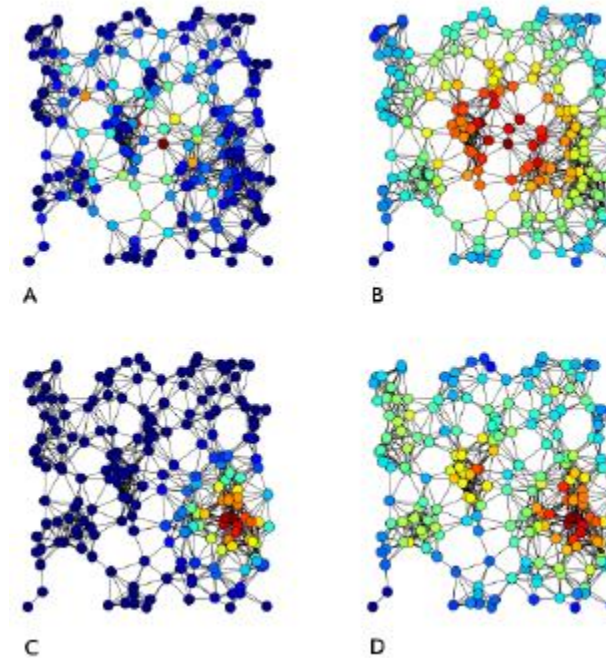
- Sum of distances from all other nodes

## Eigenvector centrality (C)

- A node's score is influenced by Adjacent node scoring (page rank)

## Degree centrality (D)

- Number of adjacent nodes



# Query language: Cypher

Two main clauses: **match** and **return**

## Match

- Which data to be retrieved by specifying patterns
- Multiple match per query
- Similar to the combination of WHERE and JOIN in SQL

## Return

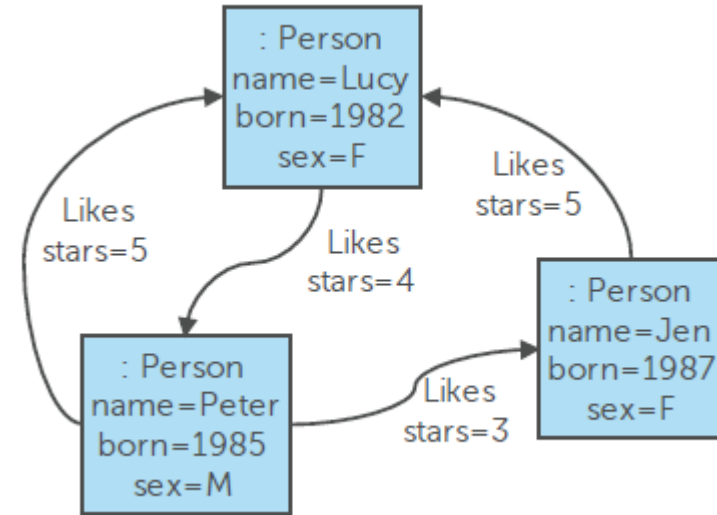
- Which data to be returned (nodes, arcs, properties, expressions)
- One clause per query
- Corresponds to SELECT in SQL

# Cypher - Examples

## Examples

- `MATCH (p:Person)-[:Likes]->(f:Person)`  
`RETURN p.name, f.sex`

p.name	f.sex
Lucy	M
Peter	F
Jen	F
Peter	F



- `MATCH (p:Person)-[:Likes]->(:Person) -[:Likes]->(fof:Person)`  
`RETURN p.name, fof.name`

p.name	fof.name
Lucy	Jen
Peter	Lucy
Peter	Peter
Jen	Peter
Lucy	Lucy

# Cypher – Pattern syntax

## Matching **nodes**

()	unidentified node
(matrix)	node identified by the matrix variable
(:Movie)	unidentified node of class “Movie”
(matrix:Movie:Action)	node with “Movie” and “Action” classes identified by matrix variable...
(matrix:Movie {title: "The Matrix"})	... with a title property equal to "The Matrix"
(matrix:Movie {title: "The Matrix", released: 1997})	... with a released property equal to 1997

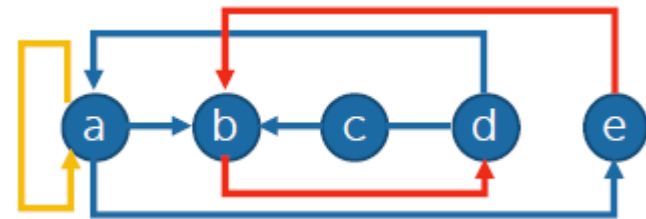
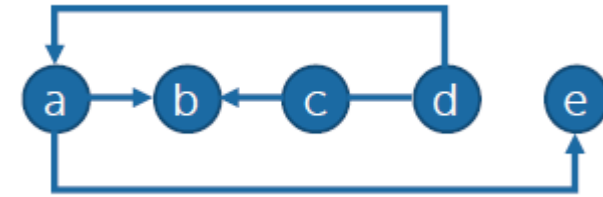
## Matching **arcs**

-->	unidentified arc
--	unidentified arc without direction
-[role]->	arc identified by the role variable
-[:ACTED_IN]->	unidentified arc of class “ACTED_IN”
-[role:ACTED_IN]->	arc of class “ACTED_IN” identified by the variable role
-[role:ACTED_IN {roles: ["Neo"]}]>	... with roles properties that contains "Neo"

# Cypher – Pattern syntax

## Syntax for paths


- A path is a string in which nodes and arcs alternate
- A path always begins and ends with a node
- `(a)-->(b)<--(c)--(d)-->(a)-->(e)`
- `(keanu:Person:Actor {name: "Keanu Reeves"})  
-[role:ACTED_IN {roles: ["Neo"]}]->  
 (matrix:Movie {title: "The Matrix"})`
- Specify multiple paths, as long as they are connected by at least one shared variable
- `(a)-->(b)<--(c)--(d)-->(a)-->(e),  
(e)-->(b)-->(d),  
(a)-->(a)`



# Match opzionale & Where

## Optional Match clause

- Works as a left outer join
- If the pattern does not match, returns null
- `MATCH (a:Movie)`  
`OPTIONAL MATCH (a)-[:WROTE]-(x)`  
`RETURN a.title, x.name`



	a.title	x.name
Rows	The Matrix	null
	The Matrix Reloaded	null
	The Matrix Revolutions	null
	The Devil's Advocate	null
	A Few Good Men	Aaron Sorkin
	Top Gun	Jim Cash
	Jerry Maguire	Cameron Crowe
	Stand By Me	null

## Where clause

- Adds conditions that must be met by the pattern
- More expressive of the conditions that can be specified in Match
- `MATCH (n)`  
`WHERE n.name = 'Matteo' XOR (n.age < 30 AND n.name = 'Enrico')`  
`OR NOT (n.name ~= 'Enr.*' OR n.name CONTAINS 'att')`  
`RETURN n`

# Variable-length paths

Follow the same type of arc by specifying how many "jumps" you want to do

- The \* character precedes the length declaration
  - (a)-[:x\*2]->(b) Exactly two jumps: (a)-[:x]->()-[:x]->(b)
  - (a)-[\*3..5]->(b) Minimum 3, maximum 5
  - (a)-[\*3..]->(b) Minimum 3
  - (a)-[\*..5]->(b) Maximum 5
  - (a)-[\*]->(b) No limits
- Un esempio completo
  - MATCH (me)-[:KNOWS\*1..2]->(remote\_friend)  
WHERE me.name = "Enrico" RETURN remote\_friend.name
  - Returns direct friends and friends of friends
  - Attention: if a direct friend and also friend of friends, will be returned twice!



# Percorsi di lunghezza variabile

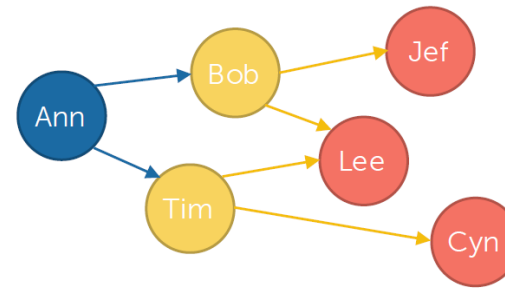
It is possible to search for the shortest path between two nodes

- ```
MATCH (m { name:"Martin Sheen" }),  
      (o { name:"Oliver Stone" }),  
      p = shortestPath((m)-[*..15]-(o))  
RETURN p
```

# Aggregation

## The group-by clause is implicit

- Expressions in RETURN without aggregate functions are grouping keys
- Expressions in RETURN with aggregate functions produce aggregates
- MATCH (me:Person {name:'Ann'})-->(friend:Person)-->(friend\_of\_friend:Person)  
RETURN me.name, count(DISTINCT friend\_of\_friend), count(friend\_of\_friend)



Result

| me  | COUNT DISTINCT | COUNT |
|-----|----------------|-------|
| Ann | 3              | 4     |