

Economics

3/1/21

Definition:

Economics: 1. Micro → নিয়েজ মিকাত

2. Macro → পুরণ ~~ক্ষমতা~~ মিকাত

Some Basic Concepts:

Commodity, Product, Needs, Wants, Utility, Consumption

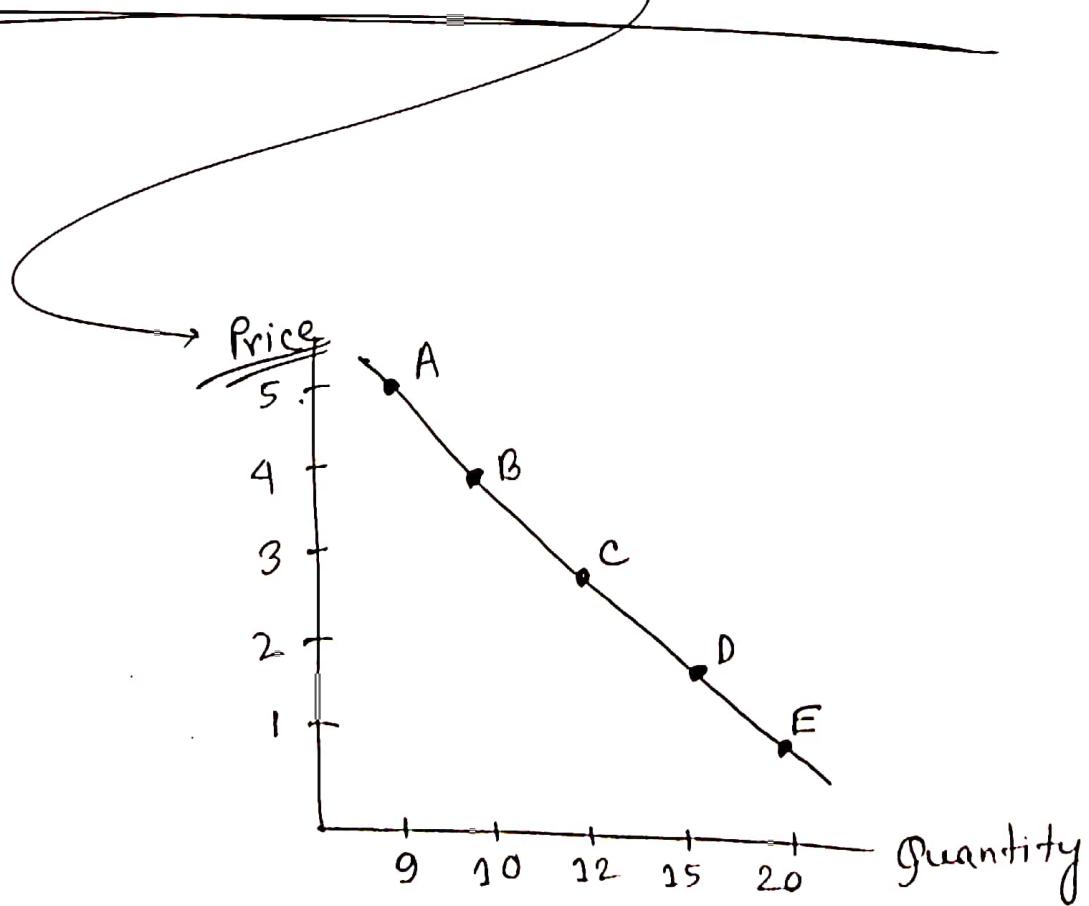
Factors of Production

Land, Labor, Capital, Organization

Definition of Demand

Law of Demand

Demand Schedule and Demand Curve



Price ↑ Real Income ↓ Demand ↓

* Why is demand curve downward sloping?

→ Income effect

→ substitution effect

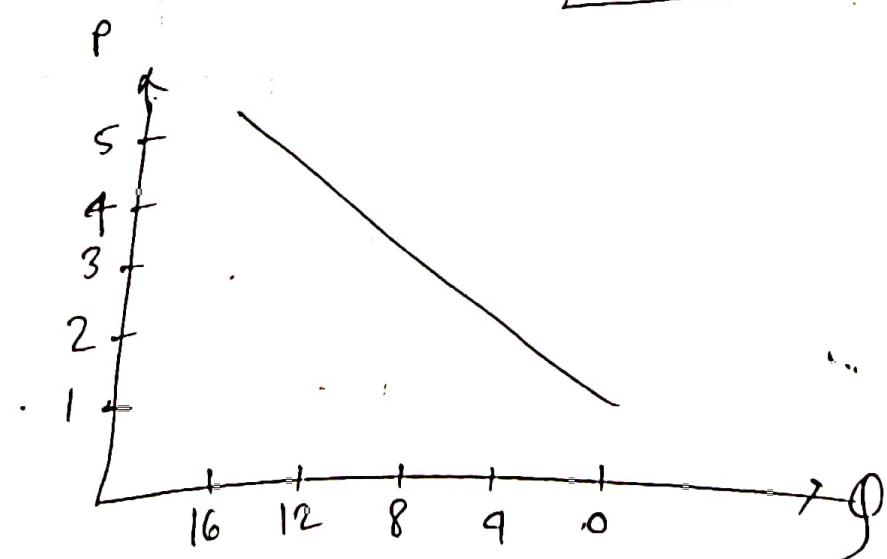
Demand function

$$Q = f(P)$$

$$Q = a - bP$$

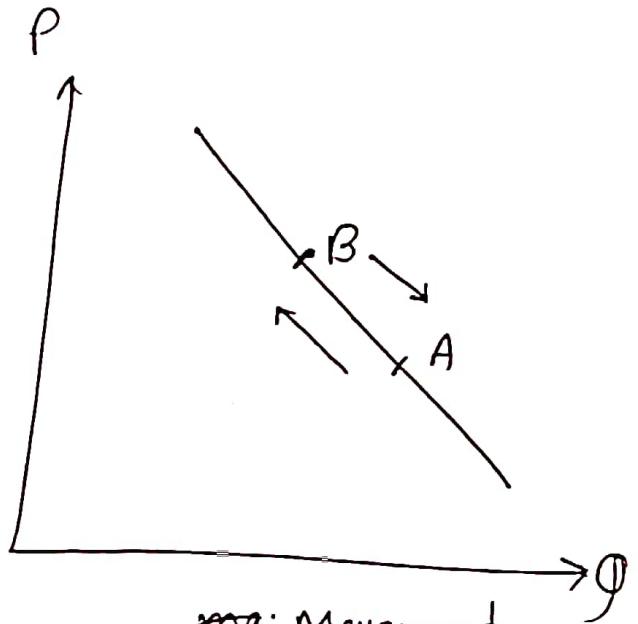
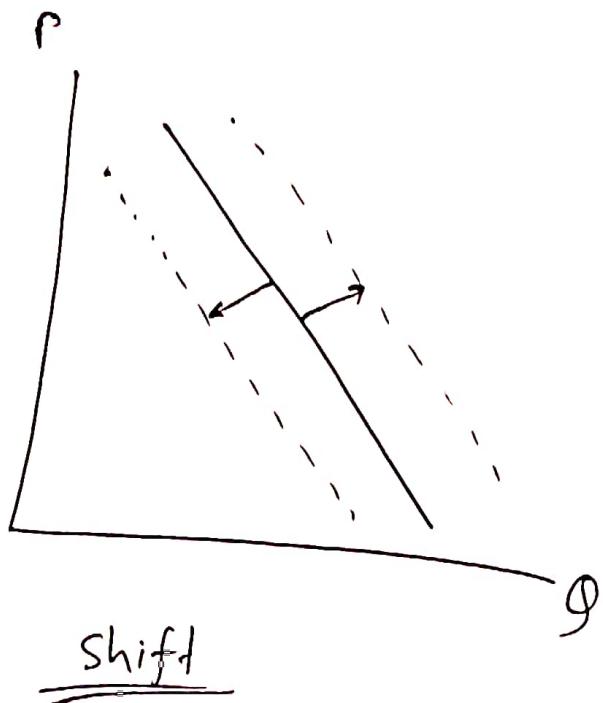
Exemple: $Q = 20 - 4P$

Price	Quantity
1	16
2	12
3	8
4	4
5	0



Determinants of Demand

Shift and the movements of the Demand Curve

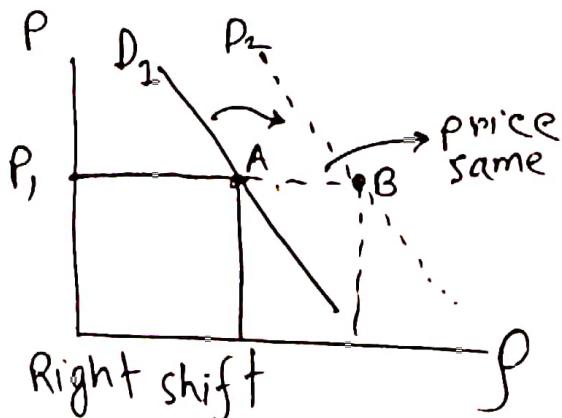
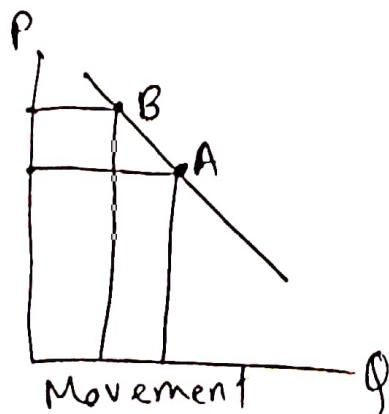


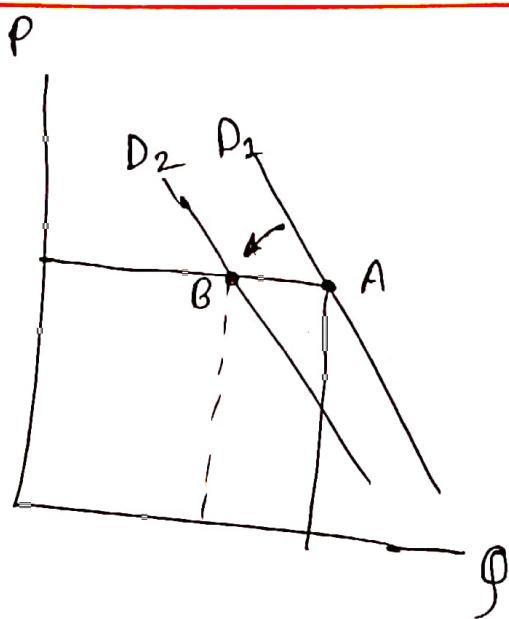
Price same (वैधता)

Demand curve shift
देखा

Same curve ए

एक point वैधता आठोर
point ए देखा

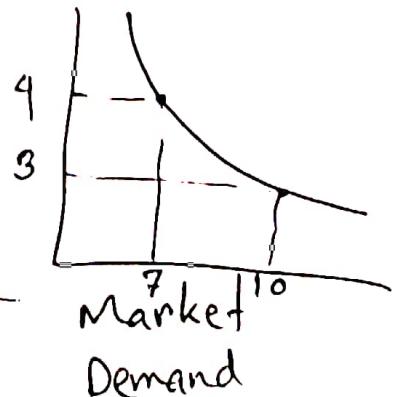
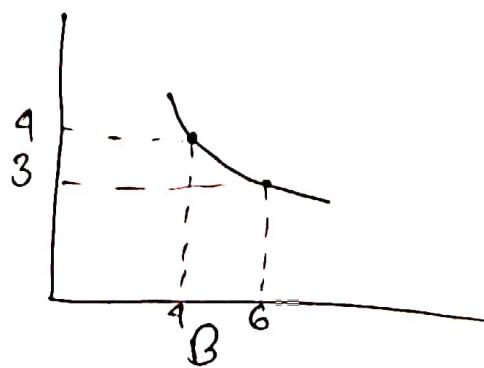
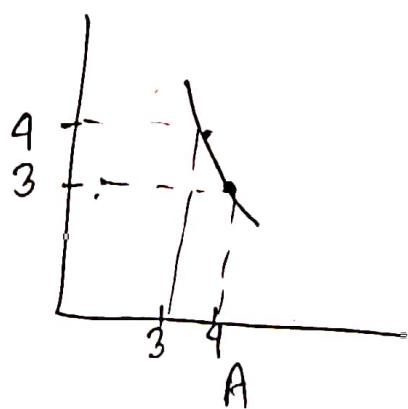




Market Demand

Market Demand Schedule

Market / Aggregate Demand Curve



Elasticity of Demand

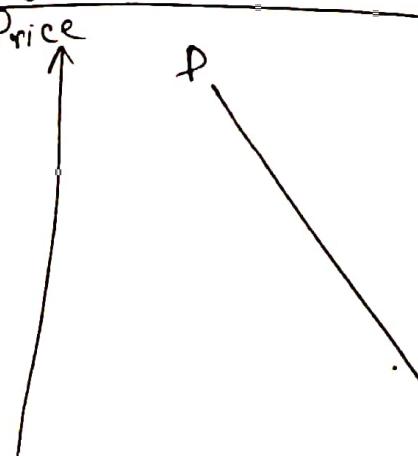
Elasticity of demand = $\frac{\text{percentage change in quantity demanded}}{\text{percentage change in determinants of demand}}$

Relatively Elastic Demand



$$|e > 1|$$

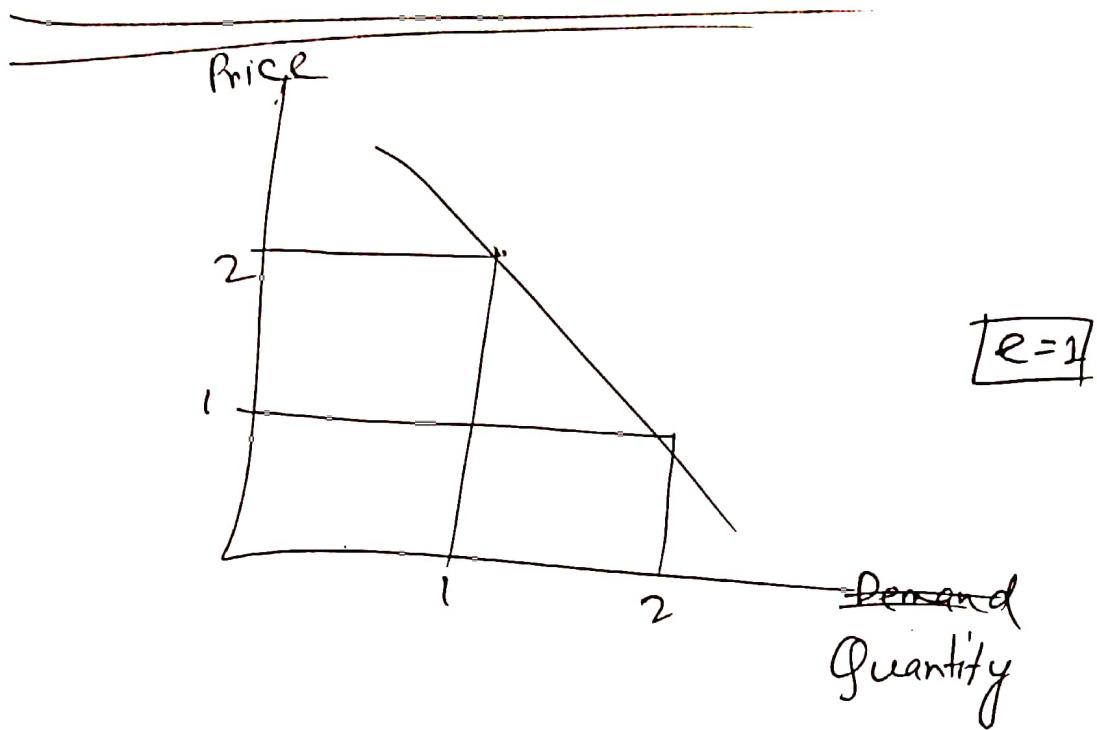
Relatively Inelastic



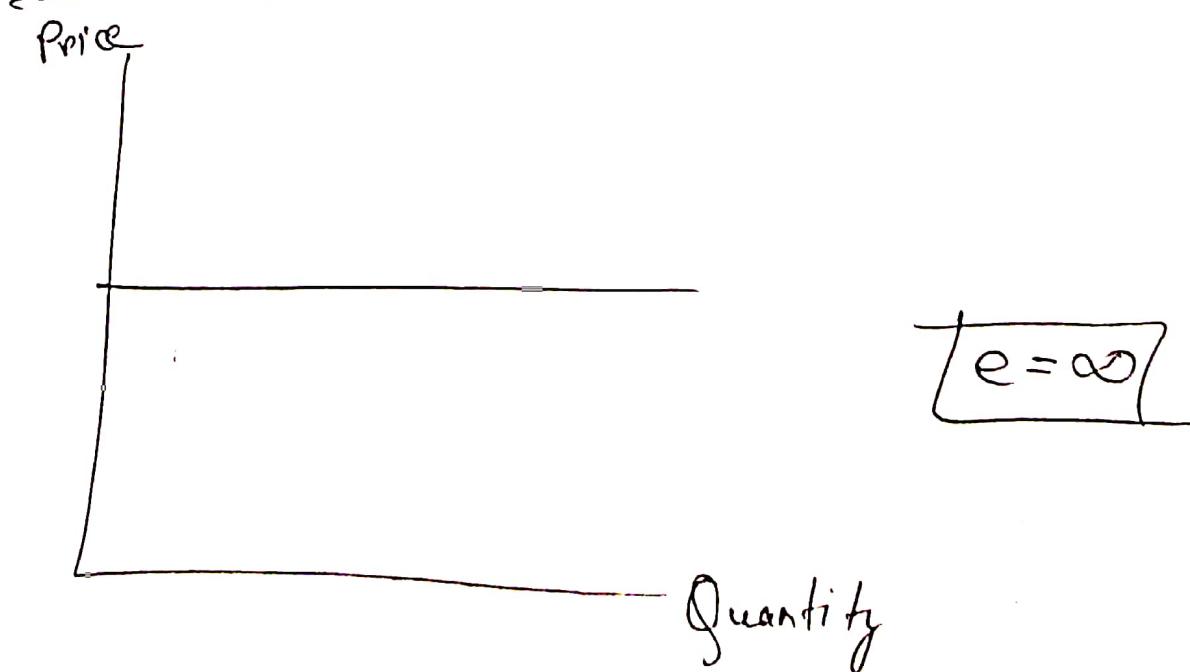
$$|e < 1|$$

↓
elasticity

Unitary Elastic Demand

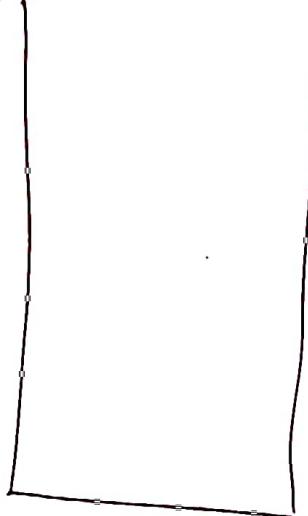


Perfectly Elastic



Perfectly Inelastic

Price



Example

Salt, Drugs

~~e = 0~~

$$\boxed{e = 0}$$

$$e = \frac{\Delta Q}{\Delta P} \times \frac{P}{Q}$$

$$\text{Price Elasticity of Demand} = \frac{(Q_2 - Q_1) / [(Q_2 + Q_1) / 2]}{(P_2 - P_1) / [(P_2 + P_1) / 2]}$$

$$\Delta Q = Q_2 - Q_1$$

$$\Delta P = P_2 - P_1$$

$$\# P_1 = \$ 2.00 \quad Q_1 = 10$$

$$P_2 = \$ 2.20 \quad Q_2 = 8$$

$$e = \frac{(8-10) / [(18\cancel{10})/2]}{(.2) / [4 \cdot 2/2]} \quad e = (dQ/dP) * (P/Q)$$

$$= \frac{(-2) / \cancel{10}}{(.2) \cancel{10} / (2 \cdot 2)} = (-2 \cdot \cancel{1.20}) * (2.20/2)$$

~~-2.33~~

$$\therefore -2.33 = -2.75$$

$$= -2.33$$

$$|e| = 2.3$$

$$\boxed{|e| > 1}$$

This product's demand is relatively inelastic.

$$\# \quad \begin{array}{|c|c|} \hline Q & P \\ \hline 10 & 7 \\ \hline 8 & 19 \\ \hline \end{array} \quad (\text{Math})$$

Income Elasticity of Demand:

Income Elasticity of Demand:

$$= \frac{\text{Proportionate change in Demand}}{\text{Proportionate change in Income}}$$

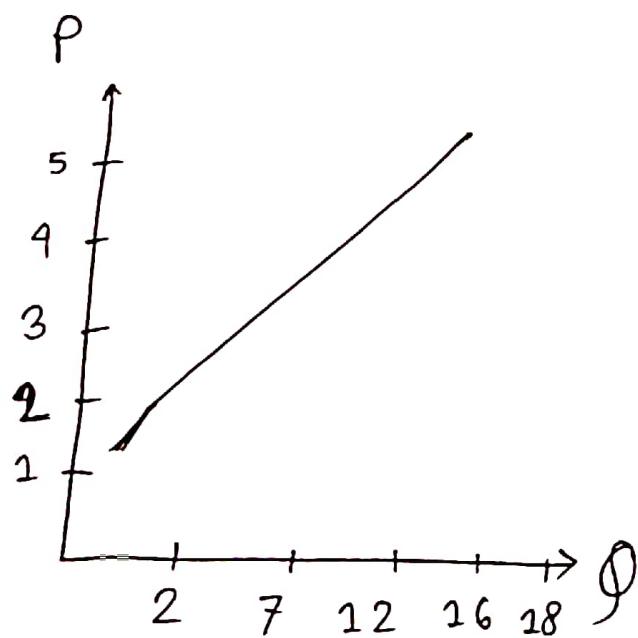
i.e.

$$\begin{aligned} \text{Income Elasticity of Demand} &= \frac{\Delta Q}{Q} \div \frac{\Delta Y}{Y} \\ &= \frac{\Delta Q}{\Delta Y} \times \frac{Y}{Q} \end{aligned}$$

Supply

Supply schedule and Supply curve

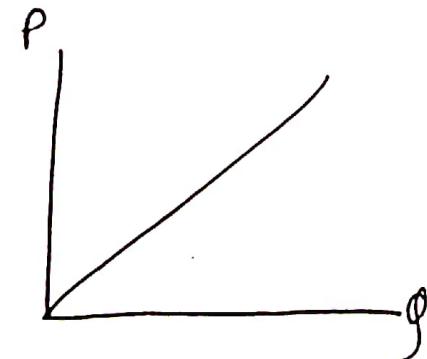
#	Price	Quantity
	1	2
	2	7
	3	12
	4	16
	5	18



~~Supply cu~~

Supply Curve

$$\text{Ex: } Q = 4 + 3P$$



Determinants of Supply

Equilibrium Analysis

Equilibrium in a market

Demand	Price	Supply
20	1	2
15	2	7
12	3	12
10	4	16
9	5	18

Problem:

$$\text{Demand } d = 200 - 10P$$

$$S = -50 + 10P$$

$$\text{i) } S = D \Rightarrow 200 - 10P = -50 + 10P \Rightarrow P = 22.5$$

$$\text{Demand } D = 200 - 10P$$

$$= 200 - 10 \times 12.5$$

$$= 75$$

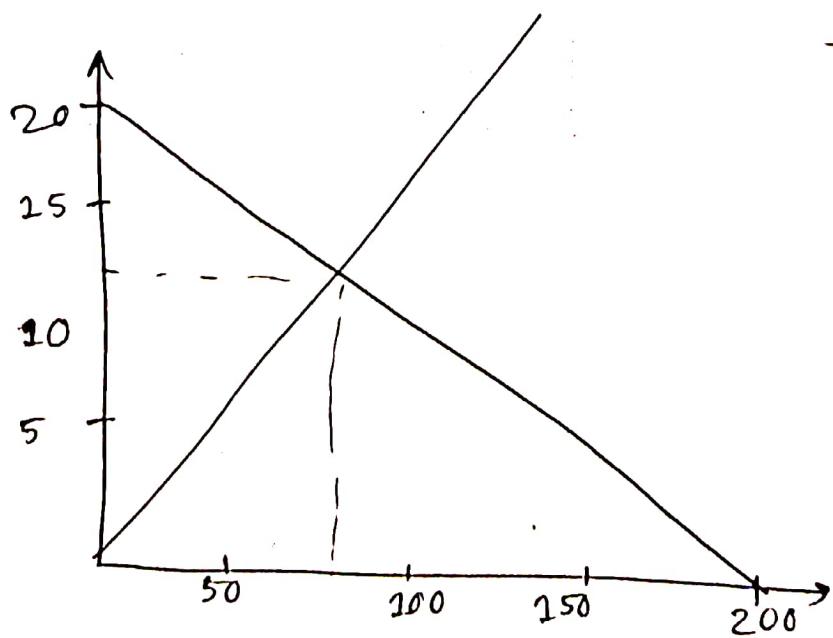
\therefore Market clearing price (P) = 12.5 tk

Market clearing qty (q) = 75 units

ii) If the market price is decreased to TK 9.

per unit, then the supply curve is downward sloping.

iii)



Market Equilibrium chart

Utility: denotes satisfaction

Cardinal and Ordinal utility analysis:

Cardinal utility: ranking 1, 2, 3, 4...

Ordinal utility: ranking 1st, 2nd, 3rd...

Total Utility: total satisfaction

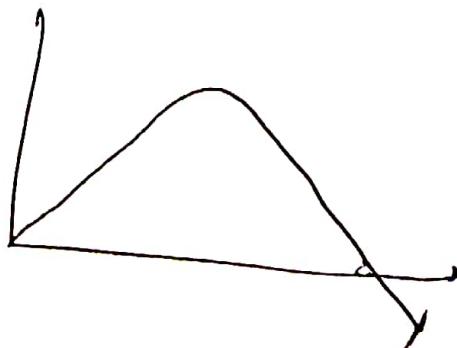
Marginal Utility: extra satisfaction

Law of diminishing marginal utility:

continue to good consume more

satisfaction level

পুরুষের রাজ্যে, বাস্তবতা অন্তর্ভুক্ত

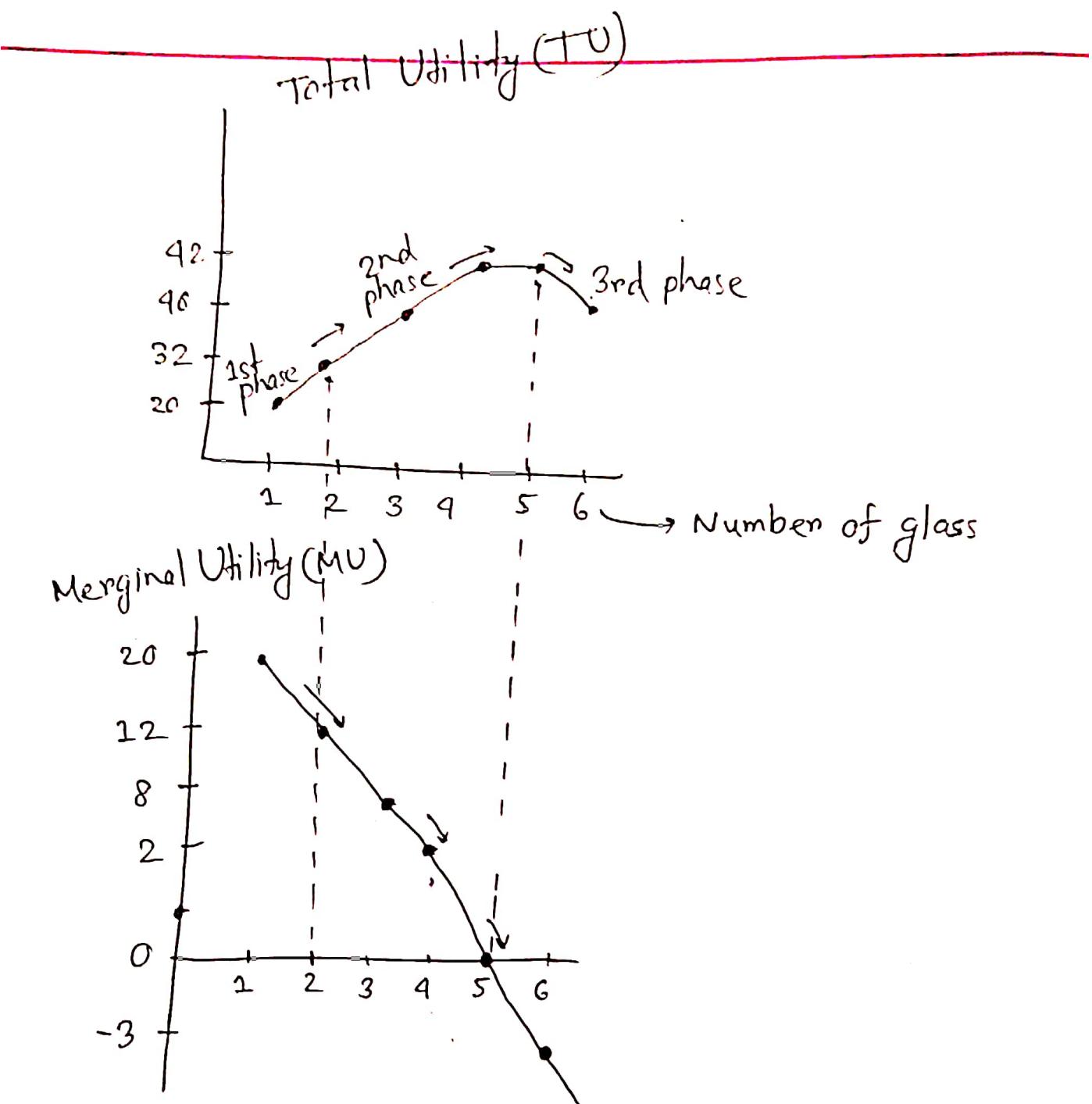


Assumptions:

-~~fixed~~ ~~fixed~~ 5 things constant ~~price - 25/-~~

<u>Units</u>	<u>Total Utility</u>	<u>Marginal Utility</u>
1st glass	20	$20 - 20 = 0$
2nd glass	32	$32 - 20 = 12$
3rd glass	40	$40 - 32 = 8$
4th glass	42	$42 - 40 = 2$
5th glass	42	$42 - 42 = 0$
6th glass	39	$39 - 42 = -3$

satisfaction level



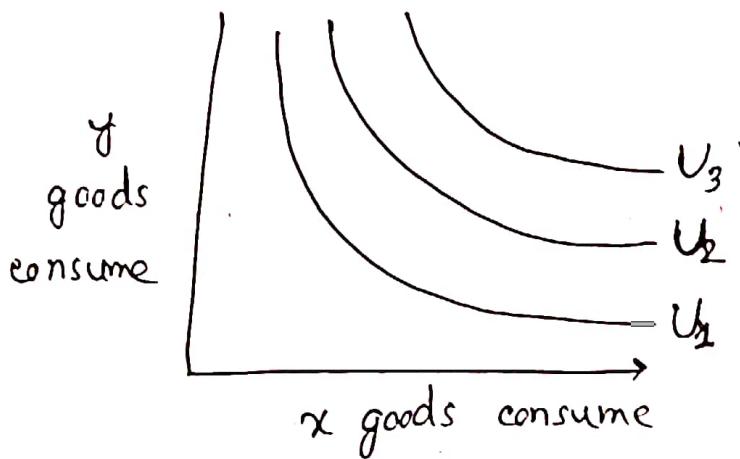
1st phase: $TU \uparrow MU \downarrow$

2nd phase: $TU (\text{Max}) \quad MU (\leq 0)$

3rd phase: $TU \downarrow (\text{but positive}) \quad MU (\text{Negative})$

Limitations of the Law:

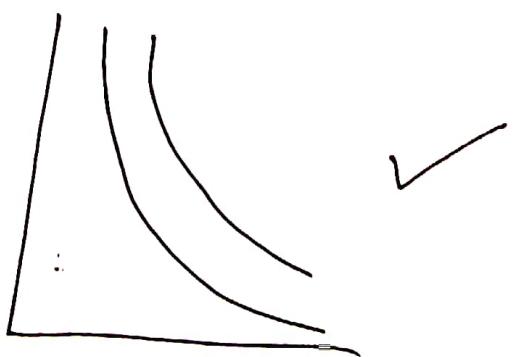
Indifference Curve:



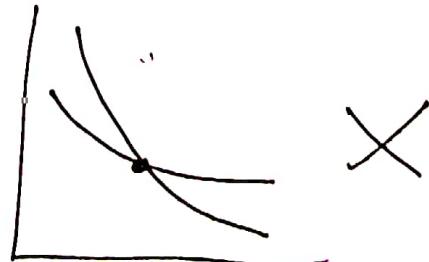
Properties of Indifference Curves

1. negatively sloped
2. convex to the origin

~~analogous for 3rd~~



3. cannot intersect



Budget Constraint Line:

$$M = P_x X + P_y Y$$

Amount of purchase
of two commodity



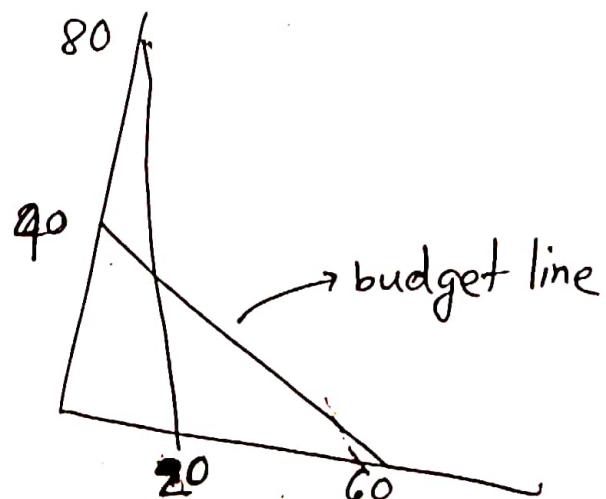
Income

(remain same)

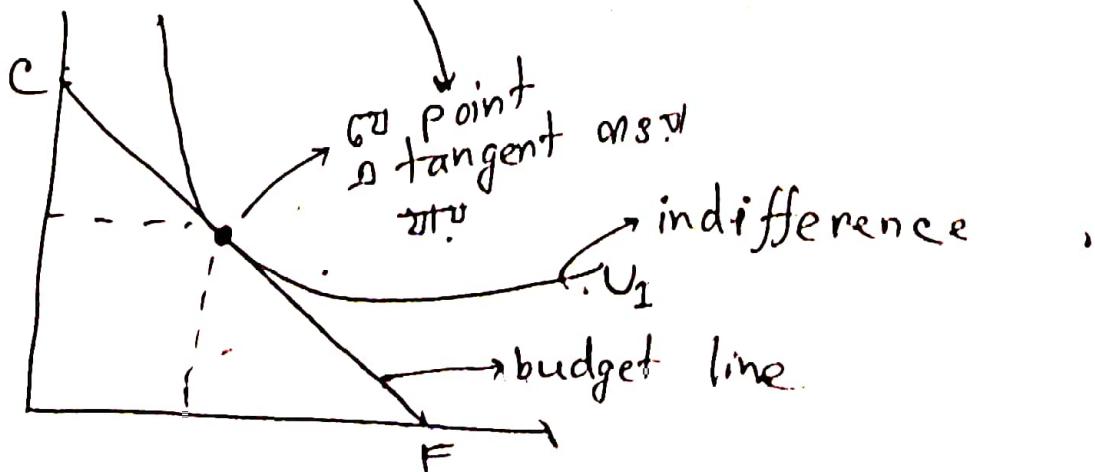
Price of given commodity

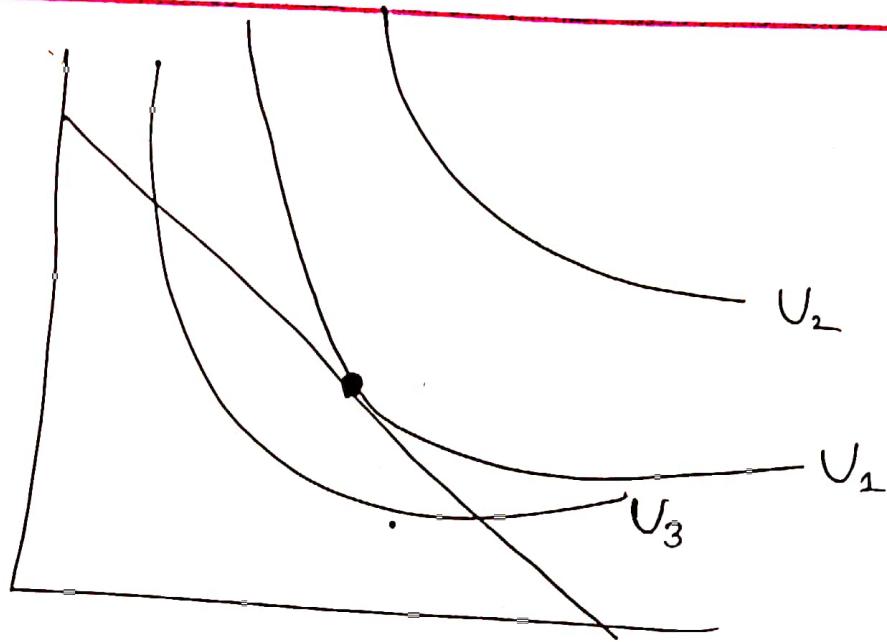
$$100 \leftarrow = 20 + 80$$

$$100 = 90 + 60$$



Consumer Equilibrium:



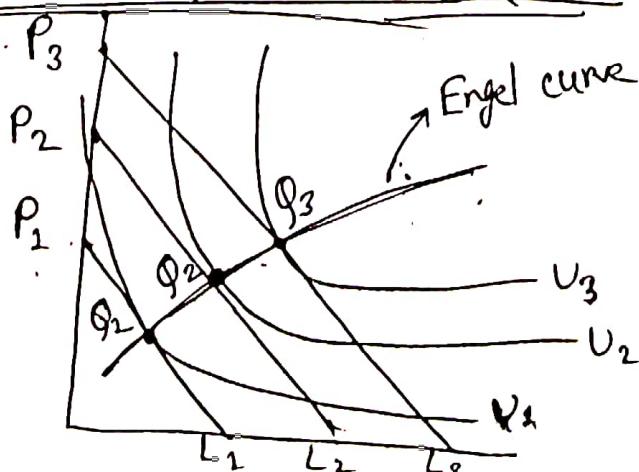


U_3 : budget line अ फिटे, ख़ीज़ goods unused थाए
एवं budget line अ intersect नहीं।

U_2 : budget line अ अवलोकित जाए, satisfaction level
अनेक ग्रन्थि, गत्तुरे मस्तूर वा tangent प्रथम ग्राम
पर budget line अ माप्त।

~~U_3, U_2~~

Income-Consumption Curve (ICC)



आमाद़ा budget
line यदि गाड़ि
थाएंगी वा लग्तु थाएं।

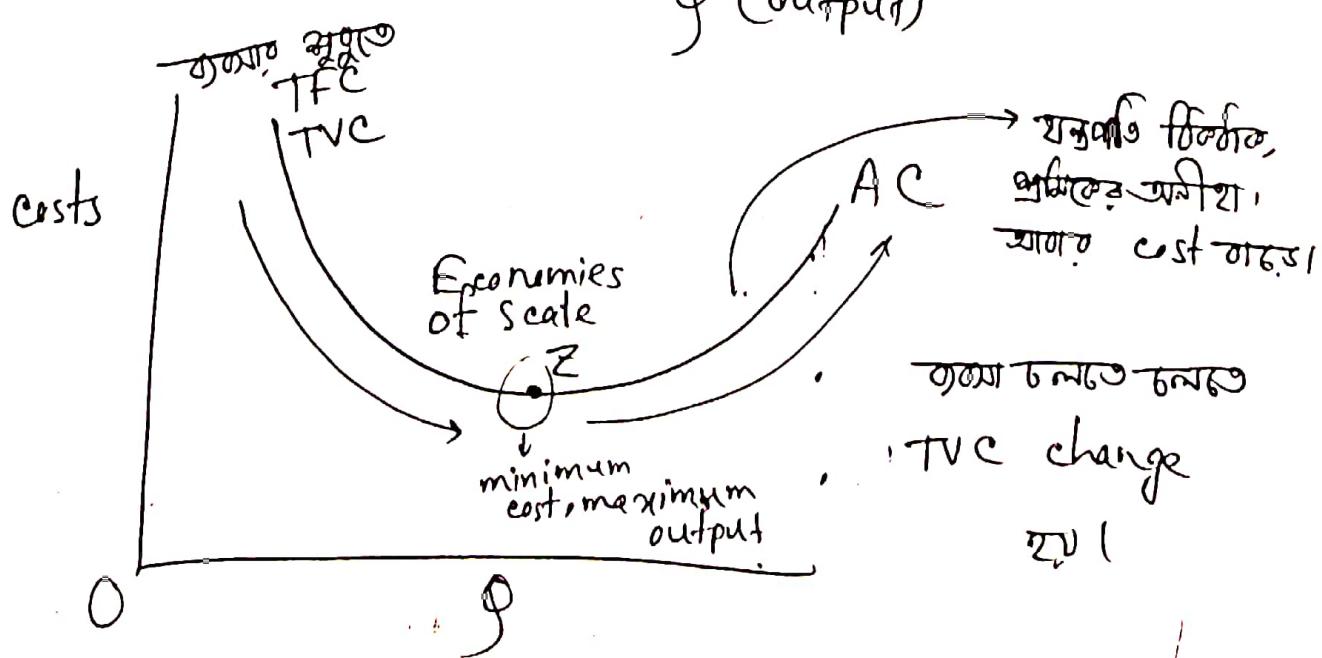
Concept of Cost:

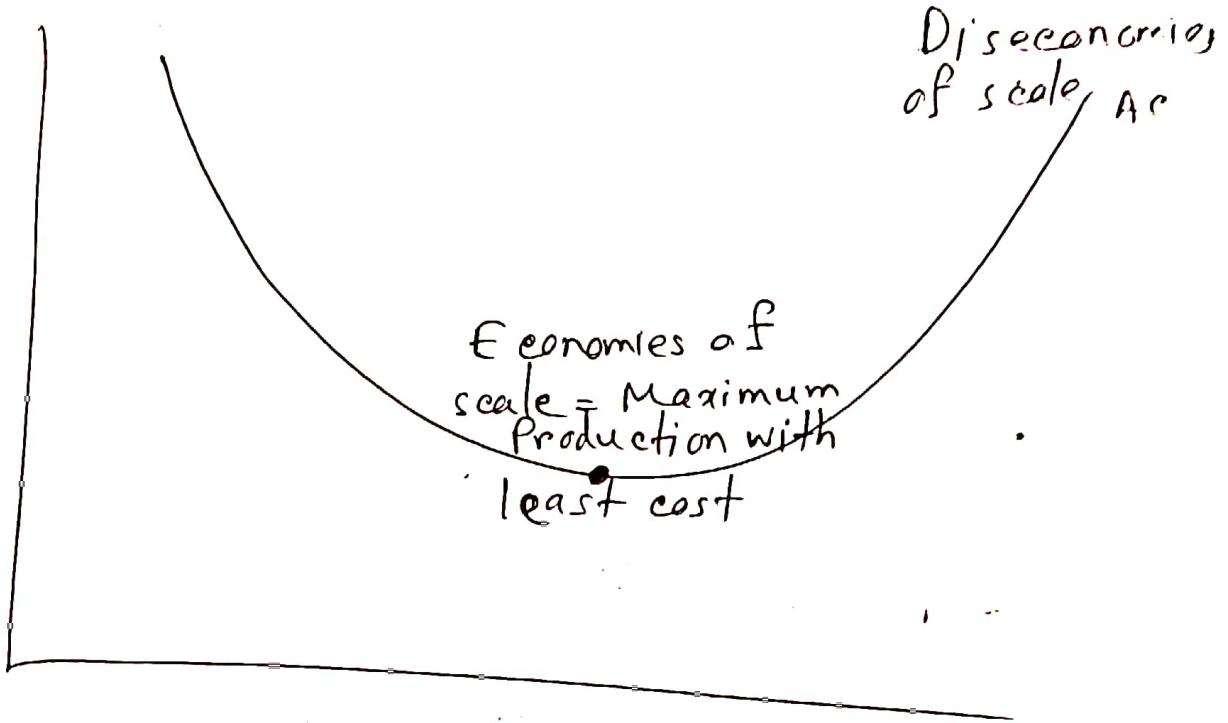
$$\text{Total Cost} = \text{Total Fixed Cost} + \text{Total Variable Cost}$$

↓ ↓
Production \rightarrow change in
यात्रिका आवश्यकता
अनुपर्याप्ति direct proportion

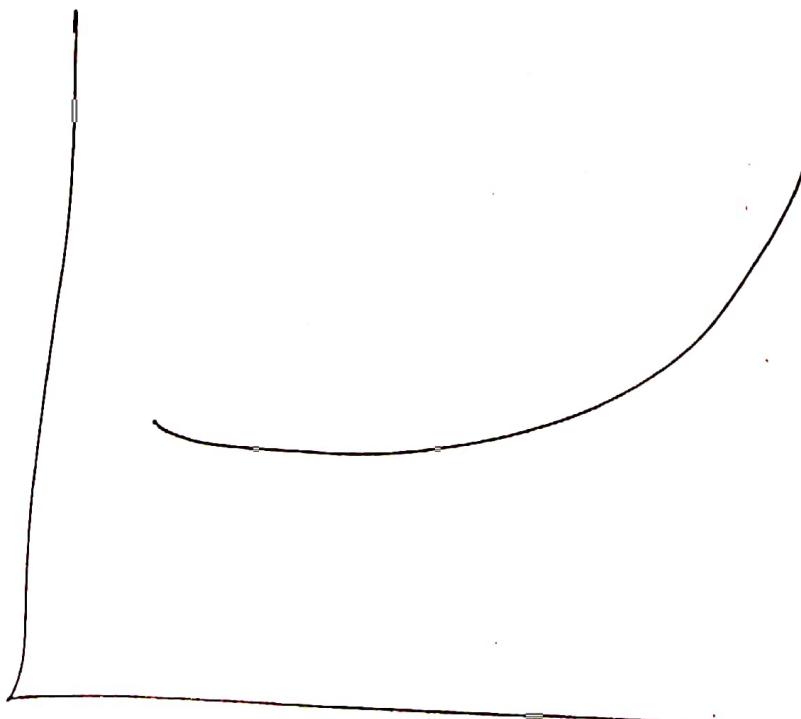
$$\text{Average Fixed Cost} = \frac{\text{Total Fixed Cost}}{\text{Q(Output)}}$$

$$\text{Average Cost} = \frac{\text{Total Cost}}{\text{Q(Output)}}$$





Marginal Cost: ($MC = \frac{\text{Total Cost (Now)}}{\text{Previous cost}}$)



Q	TFC	TVC	TC	AFC	Ave	AC	MC
0	100	0	100	-	-	-	-
1	100	20	120	100	20	120	20
2	100	37	137	50	18.5	68.5	17
3	100	52	152	33.33	17.33	50.67	15
4	100	80	180	25	20	45	28
5	100	120	220	20	29	44	40
6	100	165	265	16.67	27.5	44.17	45

$(TFC + TVC)$ (TFC/Q) (TVC/Q) (T/Q) $(\frac{\partial TC}{\partial Q})$

Problem 1:

Numerical Example

$M_C = \frac{\text{Total Cost Now}}{\text{Total Cost Previous}}$

Prblm 2:

Question

Q	T_C	TFC	TV_C	$AC = T_C/Q$	AFC $= TFC/Q$	AVC $= TVC/Q$	$MC = dT_C/dQ$
0	120						
1							
2				265			
3			269				
4				161			
5							
6		525					
7			120				
8		768					

Theory of Production

Inputs: Land, labour, capital, technology

Outputs: Soap, car, etc.

factors of Production

Land; Labour, Capital, Organization

Production function

functional relationship between inputs and outputs

$$Q = f(\text{Land, Labour, Capital, Organization, Technology})$$

↓
(output)

Inputs

- i) fixed
- ii) Variable

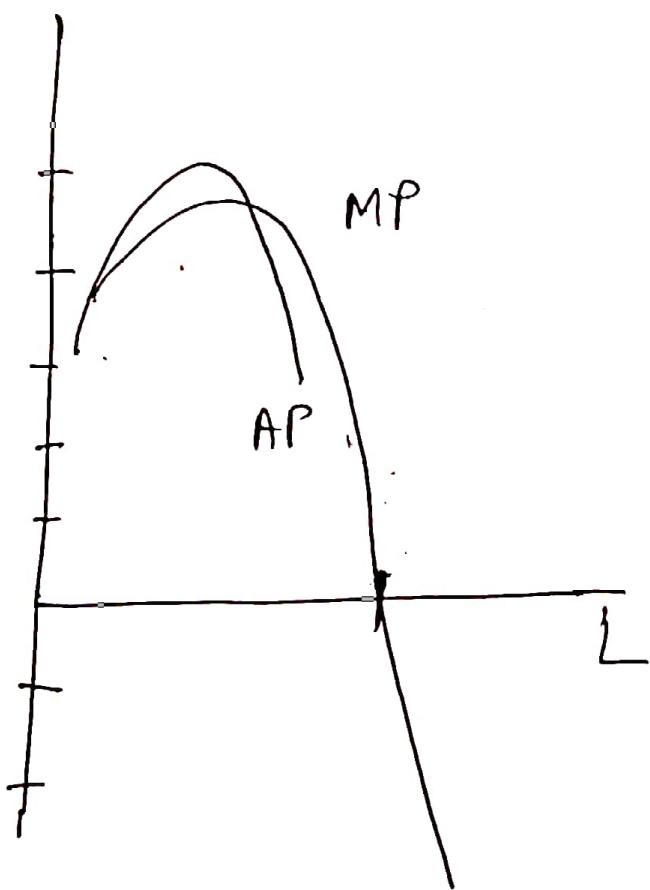
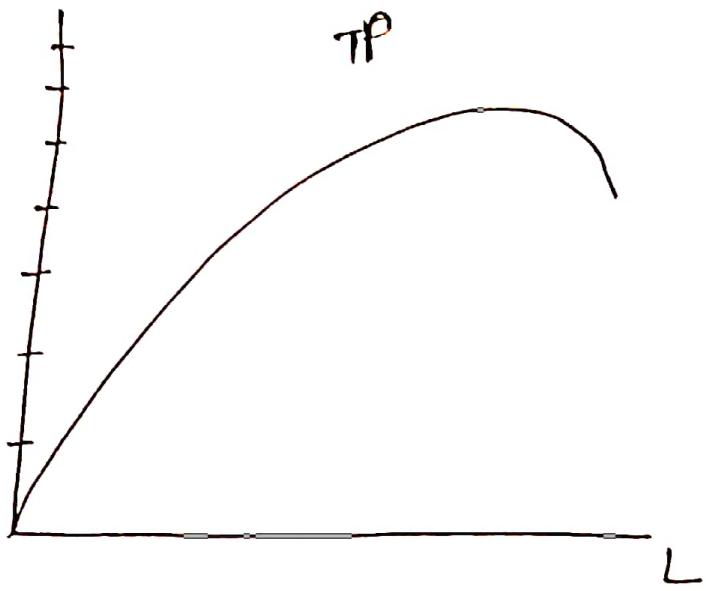
Various concept of production

- * Total product (TP)
- * Average product (AP)
- * Marginal product (MP)

Short run Production Function with Labour
as Variable factor

$$AP = TP/L$$

<u>Labour(L)</u>	<u>Capital</u>	<u>Total Output(TP)</u>	<u>AP</u>	<u>MP</u>
0	10	0	0	-
1	10	10	10	10
2	10	30	15	20
3	10	60	20	30
4	10	80	20	20
5	10	95	19	15
6	10	108	18	13
7	10	112	16	9
8	10	112	14	0
9	10	108	12	-9
10	10	100	10	-8



stages in Law of variable proportion

- i) First
- ii) Second
- iii) Third

Definition of Market

- - -

Market structure

1. sellers and buyers
2. product
3. individual firms
4. ease of entry into or exit from

Perfect competition

Characteristics:

Monopoly:

1 seller, more than one buyers

Ex: WASA, Titas Gas Distribution

Characteristics

- - -

Monopolistic Competition

selling closely related but not identical commodities.

Ex: ~~Lux~~ Soap (Lux, Lifebuoy, Sandalina)

Characteristics

Oligopoly

There are few seller of a product selling identical or differential products.

Ex: Mobile phone company.

Characteristics

Short-Run Equilibrium of the firm

* Total Profit : Total Revenue (TR) - Total Cost (TC)

* Total Revenue : Price \times Quantity

*

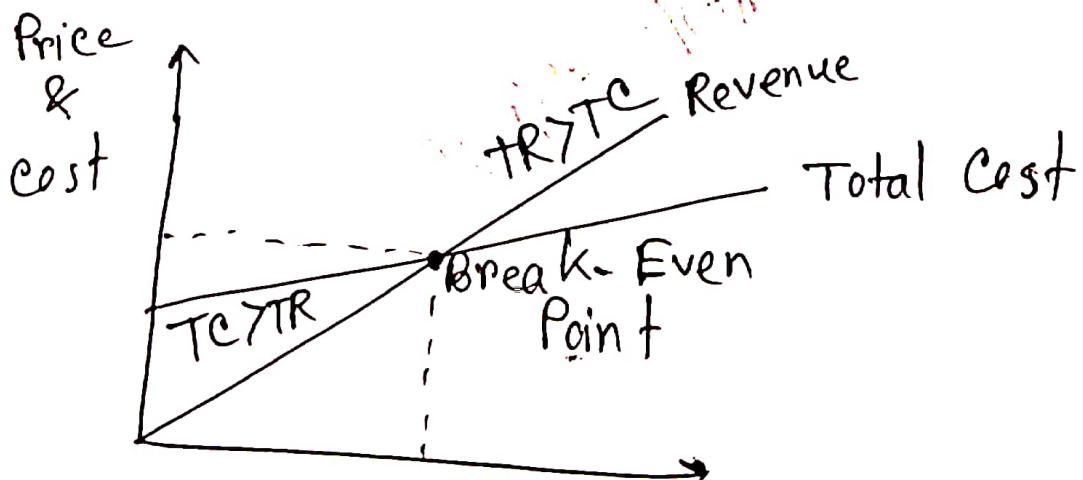
Short-Run Equilibrium of the firm:

Total Profit = Total Revenue - Total Cost

Total Revenue = Price × Quantity

Break

~~Break~~ Even~~t~~ point = (Total Revenue = Total Cost)



Marginal Approach:

Marginal Revenue.

Marginal Cost

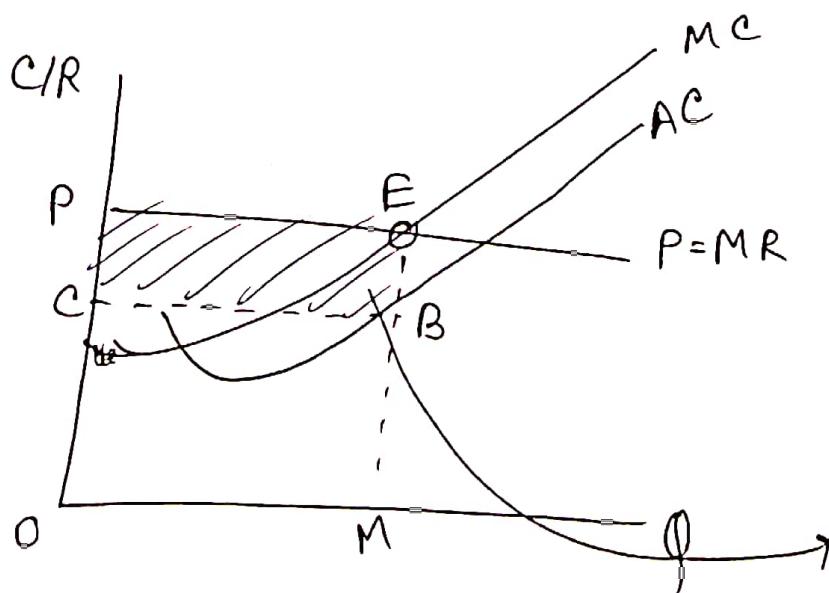
Price = Marginal Revenue

Condition of Market Equilibrium

i) $MR = MC$

ii) Slope of MC is greater than slope of MR

- i) Super Normal Profits : Average Revenue > Short-Run Average Cost
- ii) Normal Profits
- iii) Minimum Losses



$$TR = OPEM$$

$$TC = OCBM$$

$$\pi = TR - TC$$

$$= OPEM - OCBM$$

$$= CPFB$$

Super Normal Profit

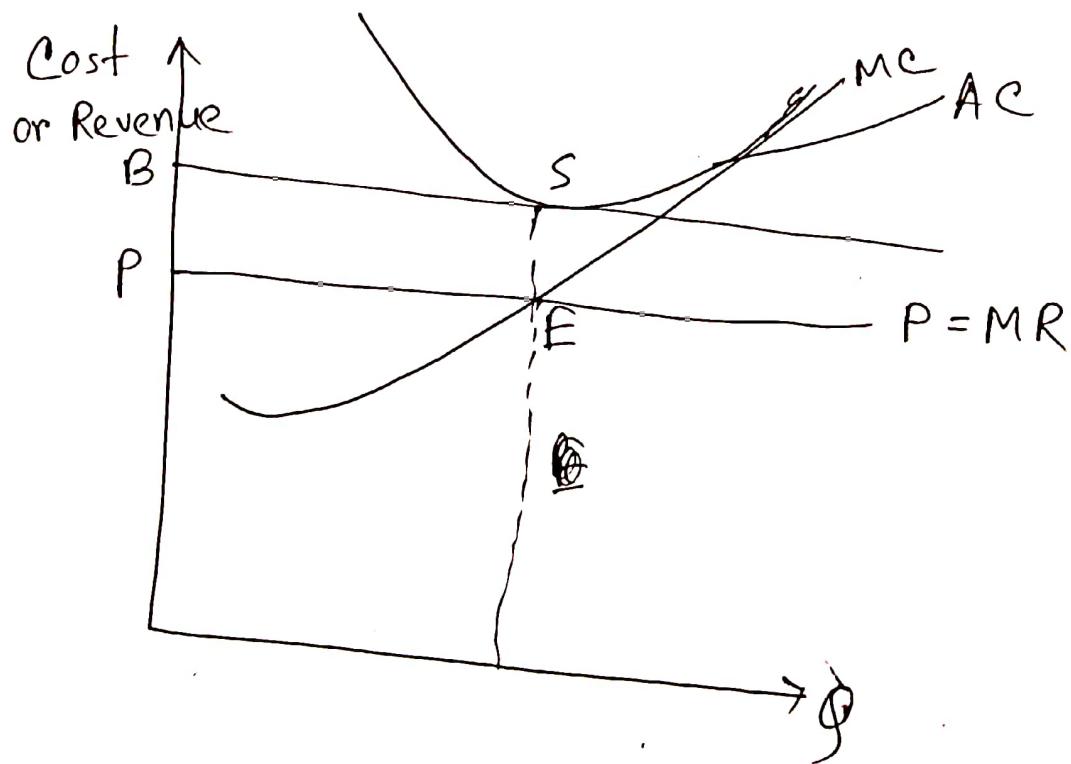
Normal Profits : $AR = SAC$

Graph on slide

$$TR = OPEM$$

$$TC = OPEM$$

Minimum Loss: $AR < SAC$



$$TR = OPEM$$

$$TC = OPEM$$

$$\pi = -PBSE$$