

Ch - 1, 2 (2 Ques)	Ch - 17 (1 Ques) maybe
Ch - 5 (1 Ques)	
Ch - 7 (1 Ques)	
Ch - 11, 13 (2/3 Ques)	

Chapters - 1

Topic : 1.4, 1.5, 1.6, 1.8, 1.9, 1.10, 1.13, 1.15
 1.19, 1.20

Varistor (definition)

Short and Open circuit (feature)

Math : 1.3, 1.4, 1.5, 1.7, 1.8, 1.11, 1.12, 1.13, 1.18, 1.19
 1.36, 1.37, 1.38, 1.39, 1.40

Chapters - 2

Kirchhoff's law (KCL, KVL)

~~2.14~~ 2.14 : Source conversion (Voltage source, Current source)

2.15 : Ideal constant-Voltage source }

2.16 : " " - Current " } \rightarrow theory

2.17 : Superposition theorem

Thevenin, Norton theorem.

Charging & Discharging of capacitors - (theory)

and find time constant.

Capacitance (Definition)

Chapters - 7.

Topic : 7.3, 7.4.

Difference between Magnetic and electric circuit.

Math : 7.1, 7.2.

Chap - 11

Topic : 11.1, 11.2, 11.3, 11.8, 11.9, 11.11, 11.13, 11.15)

Definition : 11.18 .

Math : 11.2, 11.3, 11.4, 11.38, 11.30, 11.40, 11.42,
11.43

(Chap 1
advantages)

F1-H3

(Chap 2) S.1-H3

(Chap 3) P - H3

(Chap 4) V - H3

(Chap 5) S.1-H3

Maximum power transfer (theorem and proof)

Power transfer efficiency (theorem, graph)

Math: 2.9, 2.10, 2.11, 2.12, 2.46, 2.47

2.60, 2.61, 2.62, 2.63, 2.96, 2.97,

2.98, 2.99, 2.115, 2.116, 2.117, 2.118

Chapter - 4.

Topic: 4.2 (theory)

4.3 (Coulomb's law)

Math: 4.1, 4.2, 4.3

Chapter - 5.

Topic: 5.1, 5.2, 5.4, 5.12, 5.18,

5.19, 5.20

Math: 5.3, 5.4, 5.12, 5.13, 5.14, 5.15, 5.16,
5.38, 5.39.

Chapter - 12

Polar vs rectangular form (conversion)

(definition) equations

Chapter - 13

Definition → 13.2, 13.3, 13.4, 13.5.

Topic : 13.7 (Not theory, just math).

*** 13.10

Math : 13.1, 13.2, 13.3, 13.4, 13.5, 13.32,

13.33, 13.34, 13.9, 13.43, 13.44, 13.45

Chapter-17

Topic : Types of Filters. (definitions)

Low pass filters (theory)

RC band pass filters.

Math : 17.4, 17.5

5

a

$$\cos(\epsilon + D) = \cos \epsilon \cos D - \sin \epsilon \sin D$$

$$\sin(\epsilon + D) = \sin \epsilon \cos D + \cos \epsilon \sin D$$

$$i_1 = 4 \cos(\omega t + 30^\circ)$$

$$i_2 = 5 \sin(\omega t - 20^\circ)$$

$$I = i_1 + i_2$$

$$= 4 \cos(\omega t + 30^\circ) + 5 \sin(\omega t - 20^\circ)$$

$$= 4 (\cos \omega t \cos 30^\circ - \sin \omega t \sin 30^\circ)$$

$$+ 5 (\sin \omega t \cos 20^\circ - \sin 20^\circ \cos \omega t)$$

$$= 4 \cos \omega t \cos 30^\circ - 4 \sin 30^\circ \sin \omega t$$

$$+ 5 \sin \omega t \cos 20^\circ - 5 \sin 20^\circ \cos \omega t$$

$$= 2\sqrt{3} \cos \omega t - 2 \sin \omega t + 4.698 \sin \omega t$$
$$- 1.71 \cos \omega t$$

=



Apply KVL to mesh 2

$$36 - 12I_1 - 24(I_1 - I_2) = 0$$

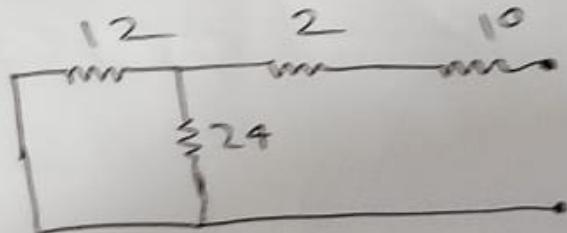
$$\Rightarrow 36 - 36I_1 + 24I_2 = 0$$

$$\Rightarrow 36I_1 - 24I_2 = 36 \quad \text{(ii)}$$

$$I_1 = 2.8A, I_2 = 2.7A, I_3 = -0.3A$$

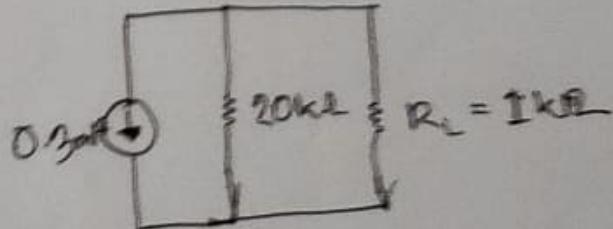
$$I_N = -0.3A$$

R_N



$$R_N = 20\Omega$$

Circuit:



Method - 3

$$-4(i_3 - i_2) - 4I_o - 12(i_3 - i_1) = 0$$

$$\Rightarrow -4i_3 + 4i_2 - 4I_o - 12i_3 + \underline{12i_1} = 0$$

$$\Rightarrow 12i_1 + 4i_2 - 16i_3 - 4I_o = 0$$

$$-4(i_1 - i_2) = I$$

\Rightarrow ②

$$\Rightarrow 3i_1 + 3i_2 - 16i_3 = 0 \quad \text{--- (iii)}$$

(~~0.6V across 1st loop~~ - ~~0.6V across 2nd loop~~) A =

$$i_1 = 2.25 \text{ A}$$

$$i_2 = \frac{3}{4} = 0.75 \text{ A}$$

$$i_3 = 1.5 \text{ A}$$

$$i_4 = 2.25 - 0.75 = \frac{3}{2} = 1.5$$

~~0.6V across 1st loop - 0.6V across 2nd loop~~ +

~~0.6V across 3rd loop - 0.6V across 4th loop~~ =

b

KVL: It states that the sum of the voltages or electrical potential differences in a closed network is zero.

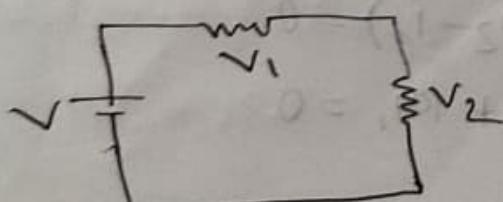
Mathematically we can express this as:

$$\sum_{n=1}^m V_n = 0$$

Where V_n represents the nth voltage.

M is the total number of voltage demands.

Example,



$$V = 15$$

$$V_1 = 10$$

$$V_2 = 5$$

according to KVL,

$$Q_1 Q_2 V_1 - V_2 = 0 \Rightarrow 0 = 0$$

$$15 - 9(I_1 - I_2) - 10 - 8I_1 = 0$$

$$9(I_1 - I_2) - 10 + 8I_1 + 15 = 0$$

$$\Rightarrow 15 - 9I_1 - 10 - 8I_1 = 0 \quad ?$$

$$\Rightarrow -9I_1 - 8I_1 = 10 - 15 \\ \Rightarrow$$

$$\Rightarrow 12I_1 = 15$$

$$\Rightarrow I_1 = \frac{5}{4}$$

$$12I_1 - 9I_2 =$$

~~$I_1 = 6 + 15$~~
 ~~$I_2 = 6 - 15$~~

$$i_1 = 9 \sin(\omega t + 120^\circ)$$

$$i_2 = 5 \sin(\omega t - 20^\circ)$$

$$i = 9 \sin \omega t \cos 120 + \cos \omega t \sin 120 + 5 \sin \omega t \cos 20 - \cos \omega t \sin 20$$

$$(1) \quad 9 \times \frac{1}{2} \sin \omega t + 4 \times \frac{\sqrt{3}}{2} \cos \omega t + 4 \cdot 69 \sin \omega t - 171 \cos \omega t$$

$$= -2 \sin \omega t + 2\sqrt{3} \cos \omega t + 4 \cdot 69 \sin \omega t - 171 \cos \omega t$$

$$\Rightarrow (-2 + 4 \cdot 69) \sin \omega t + (2\sqrt{3} - 171) \cos \omega t$$

$A \sin(\omega t + \phi)$
where

$$\Rightarrow A \cos \phi \sin \omega t + A \sin \phi \cos \omega t$$

~~$\overline{A \sin \phi}$~~

$$\frac{\sin \phi}{\cos \phi} = \tan \phi = \frac{1}{\sqrt{3}}$$

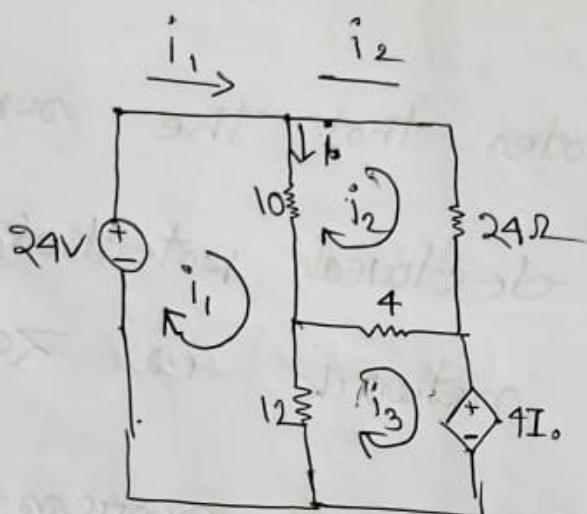
then
• 60°

$$\frac{\sin \phi}{\cos \phi} = \tan \phi = \frac{1}{\sqrt{3}}$$

then
• 30°



C



$$i_1 - i_2 = i_3$$

Apply KVL to mesh-1:

$$24 - 10(i_1 - i_2) - 12(i_1 - i_3) = 0$$

$$\Rightarrow 10i_1 - 10i_2 + 12i_1 - 12i_3 = 24$$

$$\Rightarrow 22i_1 - 10i_2 - 12i_3 = 24 \quad \text{--- (1)}$$

mesh-2

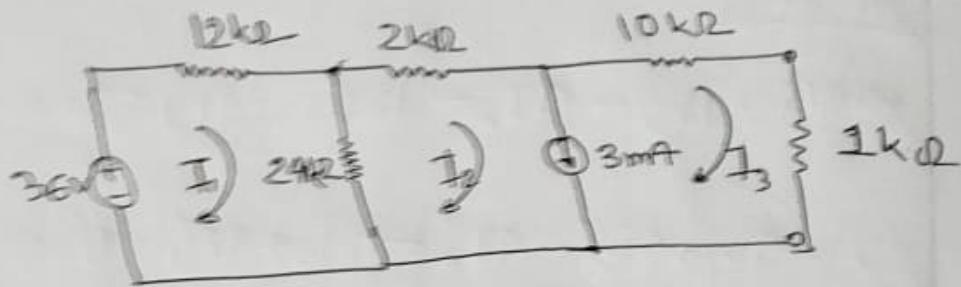
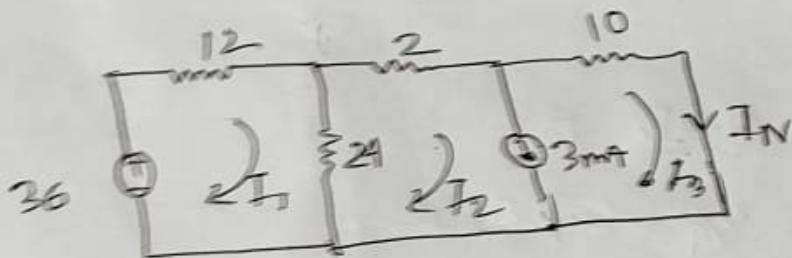
$$-24i_2 - 4(i_2 - i_3) - 10(i_2 - i_1) = 0$$

$$\Rightarrow -24i_2 - 4i_2 + 4i_3 - 10i_2 + 10i_1 = 0$$

$$\Rightarrow -38i_2 + 4i_3 + 10i_1 = 0$$

$$\Rightarrow 10i_1 - 38i_2 + 4i_3 = 0 \quad \text{--- (2)}$$

1e

 I_N find the value of I_N 

$$I_2 - I_3 = 3 \quad \text{--- (1)}$$

By observation

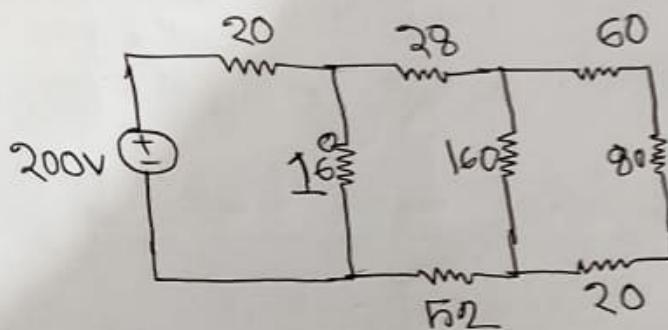
$$-2I_2 - 10I_3 - 24(I_2 - I_1) = 0$$

$$\Rightarrow -2I_2 - 10I_3 - 24I_2 + 24I_1 = 0$$

$$\Rightarrow 24I_1 - 26I_2 - 10I_3 = 0 \quad \text{--- (ii)}$$

4
Q

9th Batch



$$R_{eq} = \left(\left(\frac{(60+80+20)^{-1} + 160^{-1}}{80} \right)^{-1} + 28 + 52 \right)^{-1} + 16^{-1}$$
$$= 100\Omega$$

$$P = \frac{V^2}{R} = \frac{200^2}{100} = 400 \text{ W} \quad \underline{\text{Ans}}$$

th

L. (e) 242

8th

1. (a) ~~10~~ Page - 8 (1.7)

(b) Page - 29 (1.20)

(c)

2. (a) Page - 162 (2.30)

(b) 163 (1.115)

(c) page - 165 (2.31)

3. (a) page - 299 (7.3) Electromagnetic Induction
 is a current produced because of voltage
 production (electromotive force) due to a
 changing magnetic field. This either happens
 when a conductor is placed in a moving
 magnetic field (when using AC power source) or
 when a conductor is constantly moving in a stationary

3. (b) page - 360 (7.2)

(c)

4. (a) page - 214 (5.2)

(b) page - 227 (5.16)

(c) page - 239 (5.18) P-241 (5.19)

5. (a) page - 216 (5.5)

(b) page - 219 (5.4)

(c) page - 274 (6.25)

(d) page - 260 (6.6)

7. (a)

(b) page - 540 (13.10)

8. (a) page - 99 (2.15) P - 100 (2.16)

(b) page - 100 (2.17)

(c) page - 101 (2.46)

Voltage = 1 V (across the two parallel plates)

Current, $I = \frac{V}{R} = \frac{1}{500} = 2 \times 10^{-3} \text{ A}$
 out at measured current $\underline{\text{Am}}$ \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow

\equiv

$$F = 9 \times 10^9 \frac{q_1 q_2}{d^2}$$

$$= 9 \times 10^9 \times \frac{(3.2 \times 10^{-12})^2}{(10^{-13})^2}$$

$$= 9.216 \times 10^{12} \text{ N}$$

Hence

$$q_1 = q_2 = 3.2 \times 10^{-12} \text{ C}$$

$$d = 10^{-13} \text{ m}$$

$$m_1 = m_2 = 6.68 \times 10^{-27} \text{ kg}$$

How do I calculate F ?

The force of gravitational attraction between the two particles is given by

$$F_g = G \frac{m_1 m_2}{d^2} = 6.67 \times 10^{-11} \times \frac{(6.68 \times 10^{-27})^2}{(10^{-13})^2}$$

$$= 2.97 \times 10^{-37} \text{ N}$$

Obviously, the gravitational force is negligible as compared to the electrostatic force between the two particles.

so that

$$\frac{S \bar{0}1 \times S \cdot S}{S \bar{0}1 \times S \cdot S} = P = P$$

$$\frac{4}{S \bar{0}1 \times S \cdot S} = b$$

$$S \bar{0}1 \times S \cdot S = \frac{4}{b}$$

$$\frac{sP \cdot P}{\sqrt{b}} e_{01 \times e} = 7$$

$$\frac{\sqrt{(S \bar{0}1 \times S \cdot S)}}{\sqrt{(S \bar{0}1 \times S \cdot S)}} \times e_{01 \times e} =$$

Given

$$\text{Energy} = \text{Power} \times \text{time}$$

$$\text{Power} = 100 \text{ watt}$$

$$\text{Power} = 0.1 \text{ kilo watt}$$

$$= 0.1 \text{ kwh} \times 2 \text{ hours}$$

$$= 0.2 \text{ kwh}$$

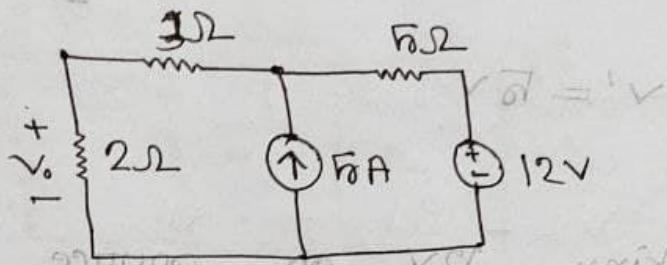
$$= 0.2 \text{ Unit}$$

$$\frac{\sqrt{(S \bar{0}1 \times S \cdot S)}}{\sqrt{(S \bar{0}1 \times S \cdot S)}} = \frac{10.2}{\sqrt{b}} = 7$$

$$\frac{\sqrt{(S \bar{0}1 \times S \cdot S)}}{\sqrt{(S \bar{0}1 \times S \cdot S)}} = \underline{\underline{7}}$$

b

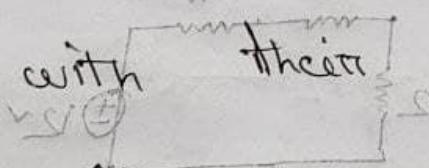
$$V_o = \frac{2 \times 12}{3+2} = 2.4 \text{ across } 2\Omega$$



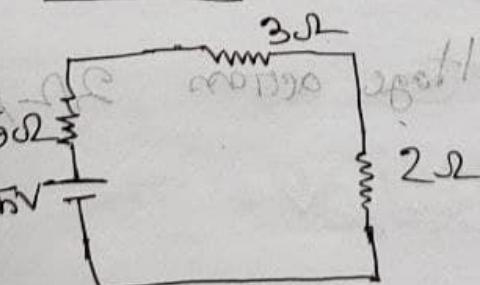
voltage drop across 2Ω will be

find the V_o using superposition theorem

Taking 5mA source and replacing other sources with their internal resistance,



$$V_{P.S} = \frac{5 \times 8}{2+3} = 4 \text{ across } 2\Omega$$

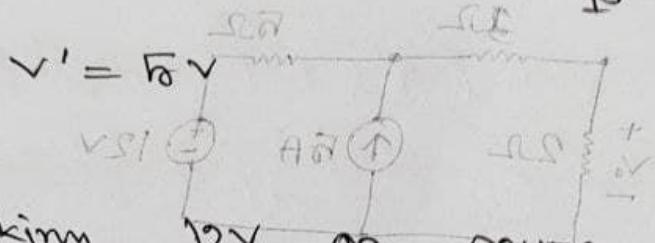


$$V_o + V = V_{P.S} = 4 \text{ across } 2\Omega$$

$$V(2+3) = 25V$$

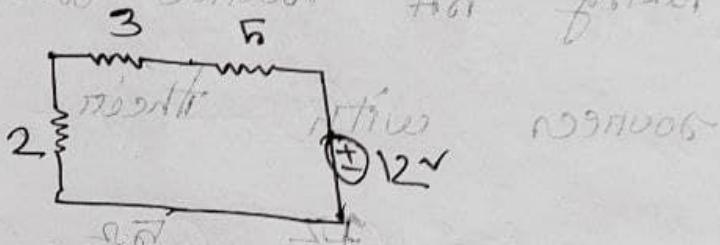
$$V_{P.S} =$$

$$\text{Voltage across } 2\Omega = \frac{2 \times 25}{10} = 5V$$



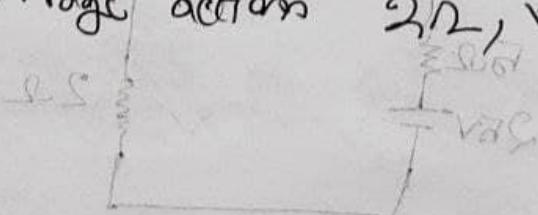
Taking 12V on source and replace other sources with their internal resistance.

total bridge branch would not form
constant current



$$\text{Voltage across } 2\Omega, V'' = \frac{2 \times 12}{10} = 2.4V$$

\therefore total voltage across $2\Omega, V = V' + V''$

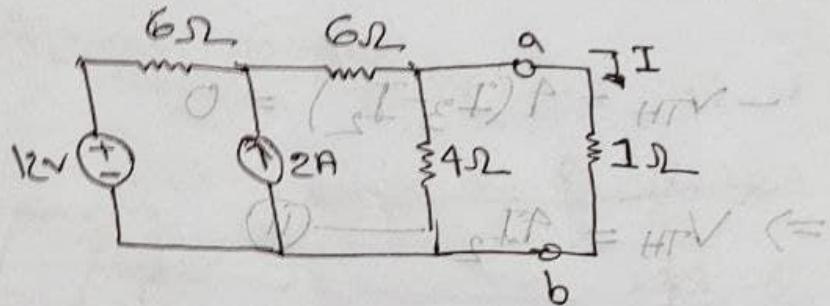


$$= (2.4 + 5)V \\ = 7.4V$$

Ans

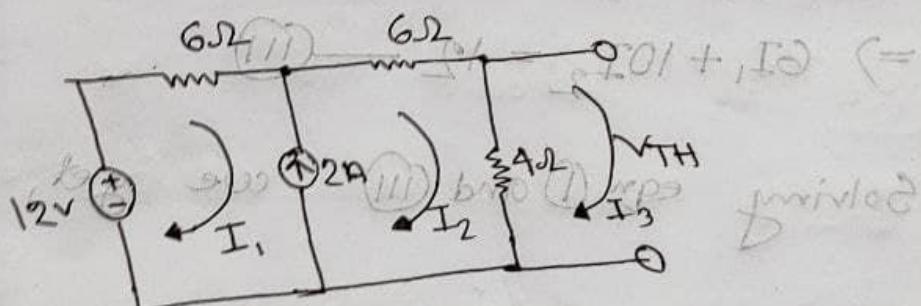
e

E-Accm at JVN stage



Sources b/w 1 - Accm of JVN stage
 $R_L = 1\Omega$

Replace R_L with JVN^{th} I_0 - I_D - Ω



$$(\uparrow) \text{ At } 0 = I$$

Hence,

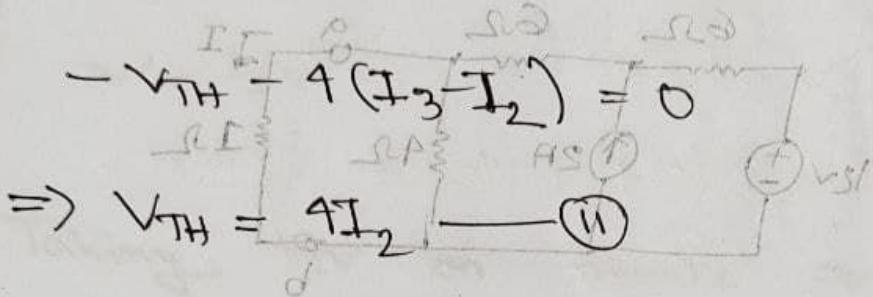
$$I_2 - I_1 = 2 \quad \text{---} \textcircled{1}$$

$$(\downarrow) \text{ At } 1 = I$$

(By observation)

$$2 - (7 \cdot 1 \times \frac{1}{4}) = HTV : .$$

Apply KVL to mesh-3,

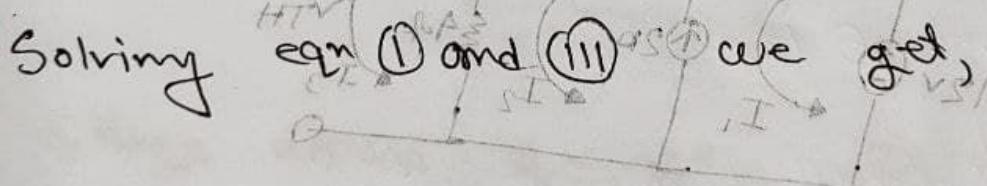
$$-V_{TH} - 4(I_3 - I_2) = 0$$
$$\Rightarrow V_{TH} = 4I_2$$


Apply KVL to mesh-1 and mesh-2

$$12 - 6I_1 - 6I_2 - 4(I_2 - I_3) = 0$$

$$\Rightarrow 6I_1 + 10I_2 = 12$$

Solving eqn ① and ③ we get,

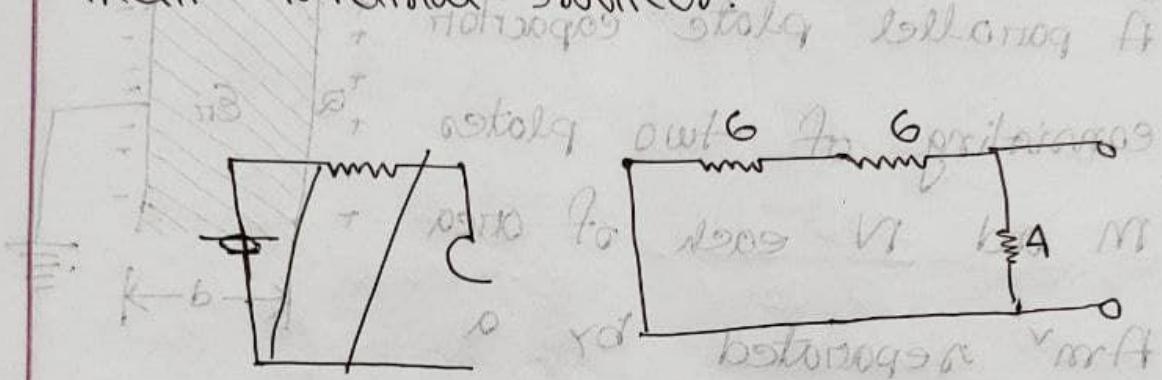


$$I_1 = 0.5 \text{ A} (\uparrow)$$

$$I_2 = 1.5 \text{ A} (\downarrow)$$

$$\therefore V_{TH} = 4 \times 1.5 \leq 6 \text{ V}$$

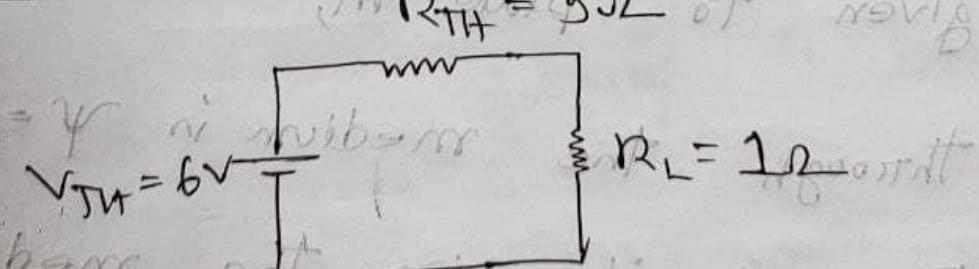
Remove R_L and replace the sources with their internal sources.



$$R_{TH} = \left(\frac{1}{(6+6)} + \frac{1}{4} \right)^{-1}$$

$$\text{in parallel} = 3\Omega$$

Circuit



$$I_{BL} = \frac{V_{TH}}{R_{TH} + R_L} = \frac{6}{3 + 1} = \frac{6}{4} = 1.5 \text{ A}$$

5
Q

A parallel plate capacitor consisting of two plates m and N each of area A_m^2 separated by a thickness d meters of a medium of relative permittivity ϵ_{rr} is shown in the fig.

If a charge of $+Q$ coulomb is given to plate m , then flux passing through the medium is $\Psi = Q$ coulomb.

Flux density in the medium is

$$D = \frac{\Psi}{A} = \frac{Q}{A(1+\epsilon_r)} = \frac{4\pi V}{\sqrt{A(1+\epsilon_r)}} = I$$

Electric intensity $E = \frac{V}{d}$ and $D = \epsilon E$

$$\therefore D = \epsilon \cdot \frac{V}{d}$$

$$\Rightarrow \frac{Q}{A} = \frac{\epsilon V}{d}$$

$$\Rightarrow \frac{Q}{V} = \epsilon \frac{A}{d}$$

$$\Rightarrow C = \frac{\epsilon \cdot A}{d}$$

$$E, V, D = D$$

$$\frac{D}{E \cdot A} = \epsilon$$

b

a Total charge on the

$$\text{plates}, Q = CV \quad \therefore Q =$$

$$= 4 \times 10^9 \times 10^6 \times 200 \times 10^{-3}$$

$$= 8 \times 10^6 C$$

Given

$$C = 4 \times 10^9 \mu F$$

$$V = 2 \times 10^9 V$$

$$A = 200 \times 10^4 m^2$$

b Potential gradient, $E = \frac{dv}{dx} = \frac{2 \times 10^9}{4 \times 10^6} = 5 \times 10^6 V/m$

● ● ○ ○

$$D = \frac{Q}{A} = \frac{8 \times 10^6}{200 \times 10^4} = 4 \times 10^9 C/m^2$$

d $\frac{V}{b} = E$ electric field E
Electric flux density

$$D = \epsilon_0 \epsilon_r E$$

$$\frac{V}{b} \cdot S = D$$

$$\Rightarrow \epsilon_r = \frac{D}{\epsilon_0 E} = \frac{4 \times 10^9}{8.85 \times 10^{-12} \times 10^6}$$

$$\frac{A}{b} \cdot S = \rho \Leftarrow$$

$$\frac{A \cdot S}{b} = \frac{9.035}{A \cdot S} = 9 \Leftarrow$$

5 ~~revise~~

d

The ~~total~~ a ~~is~~ ~~at~~ no ~~exists~~ ~~exists~~ ~~exists~~

RMS value of a AC circuit:

If phase is T for a full cycle then

we can write

$$\sqrt{\frac{P_{avg}}{t}} = \frac{P_{avg}}{\sqrt{t}} = \frac{Vb}{\sqrt{t}} = E_{rms}$$

$$V_{rms} = \frac{\int_0^{T/2} P(t) dt}{\frac{T}{2}} = \frac{\frac{1}{2} P_{avg} T}{\frac{T}{2}} = \frac{P_{avg}}{2} = D = \rho$$

$$\bar{I}^v = \frac{1}{T} \int_0^T I^v dt$$

We know for AC circuit $I = I_0 \sin(\omega t)$

$$\bar{I}^v = \frac{1}{T} \int_0^T (I_0 \sin(\omega t)) dt$$

$$= \frac{I_0}{T} \int_0^T \sin(\omega t) dt$$

$$= \frac{I_0}{T} \left[-\frac{1}{2} \cos(2\omega t) \right]_0^T = \frac{I_0}{T} \left[-\frac{1}{2} + \frac{\sin(2\omega T)}{2\omega} \right]$$

$$= \frac{I_0}{2T} \left(T - \frac{1}{2\omega} \sin(2\omega T) \right)$$

$$= \frac{I_0}{2T} \left(T - \frac{1}{2\omega} \sin\left(2 \times \frac{2\pi}{\omega} T\right) \right)$$

$$= \frac{I_0}{2T} \times T = \frac{I_0}{2}$$

$$I_{rms} = \sqrt{\bar{I}^v} = \sqrt{\frac{I_0^v}{2}} = \frac{1}{\sqrt{2}} I_0$$

b

$$+b^v I \text{ Given}$$

$$V_{\max} = \sqrt{2} \times 230$$

$$= 325.269 \text{ V}$$

$$I_{\max} = \frac{325.269}{120.1778} \left(\frac{V_{\max}}{X_C} \right)$$

$$= 2.71 \text{ A}$$

$$\varphi = 90^\circ \text{ (lead)}$$

$$V_{\text{rms}} = 230 \text{ V}$$

$$C = 26.5 \times 10^{-6} \text{ F}$$

$$f = 50 \text{ Hz}$$

$$X_C = \frac{1}{\omega C} = \frac{1 \times 10^6}{2\pi f \times 26.5}$$

$$= \frac{1 \times 10^6}{2 \times 3.14 \times 50 \times 26.5}$$

$$= 120.1778 \Omega$$

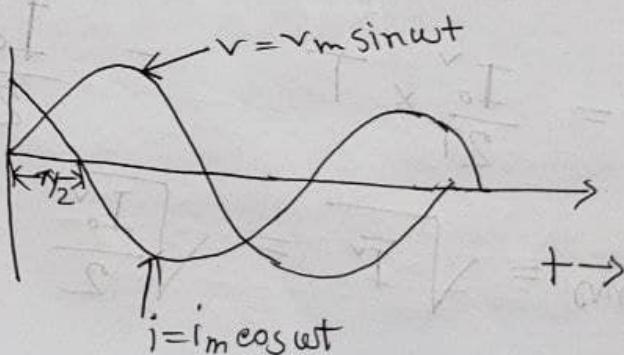
a.

$$v(t) = 325.269 \sin(314t)$$

$$i(t) = 2.71 \sin(314t + \pi/2)$$

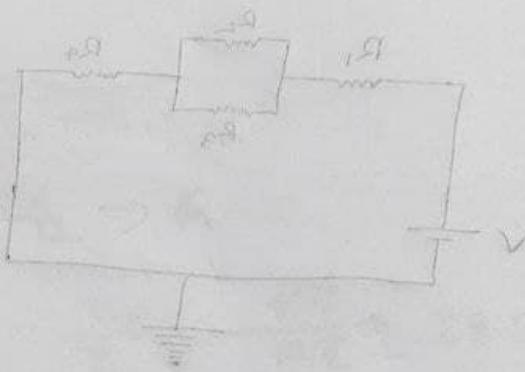
$$= 2.71 \cos(314t)$$

b



$$\underline{E} = E_{\max} = \frac{1}{2} C V_{\max}^2 = \frac{1}{2} \times 26.5 \times 10^{-6} \times (325.26)^2 \text{ V}$$

$$= 1.4 \text{ V}$$



Given,

$$V = 0 + 0.8j = 0.8 \angle 90^\circ$$

$$I = 0.4 + 0.4j = \frac{2\sqrt{2}}{5} \angle 45^\circ$$

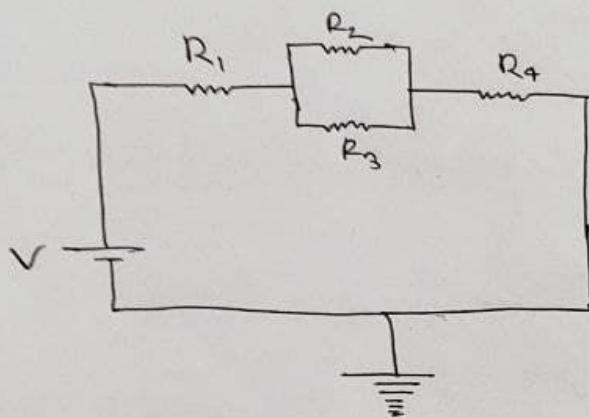
$$Z = V/I = \frac{0.8 \angle 90^\circ}{2\sqrt{2} \angle 45^\circ} = \sqrt{2} \angle 45^\circ = 1 + j$$

$\therefore R = 1$ and $X_L = 1$
Hence the imaginary part is positive so
 X_L is inductive.

Q

a

E.P.F.



e

The phase difference between applied voltage and circuit current is $(55^\circ - 10^\circ) = 45^\circ$ with current lagging. The angular frequency is $\omega = 3000 \text{ rad/sec}$.

$$L = 0.03 \text{ H}$$

$$V = 400 \cos(300t - 10^\circ)$$

$$i = 10\sqrt{2} \cos(3000t - 45^\circ)$$

Since current lags $X_L > X_C$.

$$\text{Net reactance } X = X_L - X_C \quad \text{Also } X_L = \omega L \\ = 3000 \times 0.03 \\ = 90 \Omega$$

$$\tan \phi = \frac{X}{R}$$

$$\Rightarrow \tan 45^\circ = \frac{X}{R} \Rightarrow R = X.$$

$$\text{Now, } Z = \frac{V_m}{I_m} = \frac{400}{10\sqrt{2}} = 28.28 \Omega$$

$$Z^v = R^v + x^v = 2R^v$$

$$\therefore R = 20$$

$$\therefore X_C = X_L - X = 90 - 20 = 70$$

$$\therefore 70 = \frac{1}{\omega C} \Rightarrow C = \frac{1}{3000 \times 70} = 4.76 \mu F$$

Ans